

Q1) Write the program for the line integral $\int_C \mathbf{F} \cdot d\mathbf{r}$ along the given curve C, given by $\mathbf{x}(t) = t \sin(\pi t/2)$, $\mathbf{y}(t) = t \cos(\pi t/2)$, $0 \leq t \leq 1$, where $\mathbf{F} = x^2 y \mathbf{i} + (x^2 + y^2) \mathbf{j}$. (HERE $\mathbf{x}(t) = t \sin(\pi t/2)$ AND $\mathbf{y}(t) = t \cos(\pi t/2)$, AS MENTIONED IN THE DA QUESTION PAPER, NOT FROM THE LAB MANUAL)

A: Code is as follows:

```
%Write the program for the line integral  $\int_C \mathbf{F} \cdot d\mathbf{r}$  along the given curve  
% C, given by  $\mathbf{x}(t) = t \sin(\pi t/2)$ .  
%  $\mathbf{y}(t) = t \cos(\pi t/2)$ ,  $0 \leq t \leq 1$ , where  $\mathbf{F} = x^2 y \mathbf{i} + (x^2 + y^2) \mathbf{j}$ 
```

```
clc  
clear all  
syms x y t  
f=input('Enter the components of 2D vector function [u,v] ');  
r=input('Enter x,y in parametric form');  
I=input('Enter the limits of integration for t in the form [a,b]');  
a=I(1);b=I(2);  
dr=diff(r,t);  
F=subs(f,{x,y},r);  
Fdr=sum(F.*dr);  
I=int(Fdr,t,a,b)  
P(x,y)=f(1);Q(x,y)=f(2);  
x1=linspace(-2*pi,2*pi,10); y1=x1;  
[X,Y] = meshgrid(x1,y1);  
U=P(X,Y); V=Q(X,Y);  
quiver(X,Y,U,V,1.5)  
hold on  
t1=linspace(0,2*pi);  
x=subs(r(1),t1);y=subs(r(2),t1);  
plot(x,y,'r')
```

Output (via Command Window):

```
Enter the components of 2D vector function [u,v]  
[x*y^2 x^2*y]
```

```
Enter x,y in parametric form  
[t=sin((pi*t)/2) t=cos((pi*t)/2)]  
[t=sin((pi*t)/2) t=cos((pi*t)/2)]
```

↑

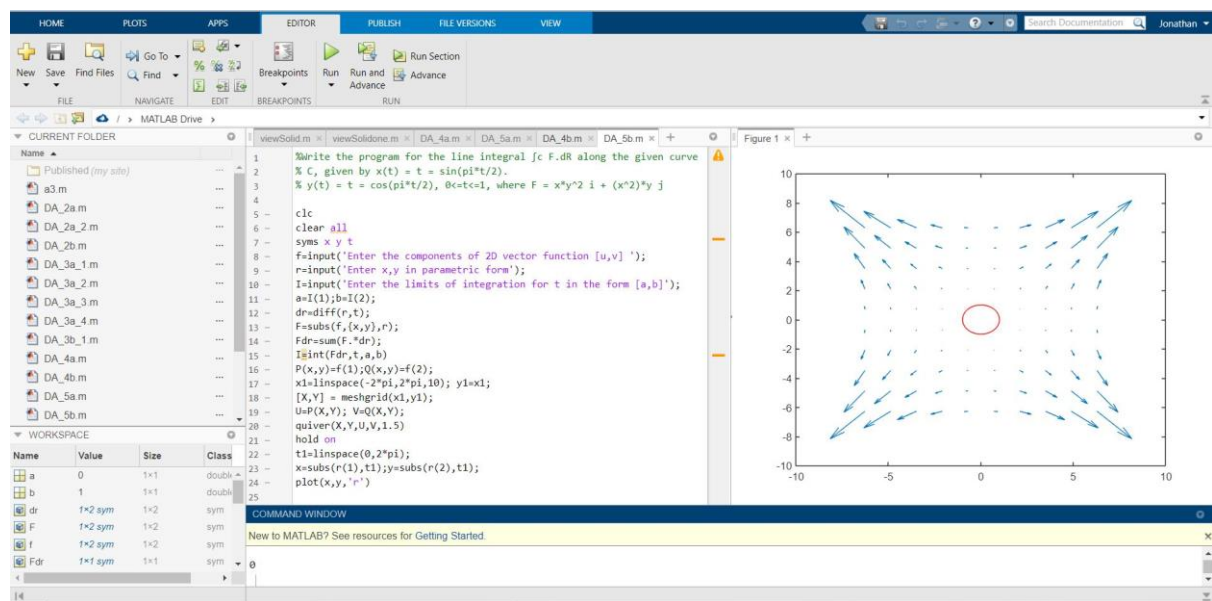
Error: Incorrect use of '=' operator. To assign a value to a variable, use '='. To compare values for equality, use '=='.

Enter x,y in parametric form
 $[\sin((\pi*t)/2) \cos((\pi*t)/2)]$

Enter the limits of integration for t in the form [a,b]
 $[0,1]$

I =

0



Q1.1) Write the program for the line integral $\int_C F \cdot d\mathbf{r}$ along the given curve C , given by $\mathbf{x}(t) = t + \sin(\pi t/2)$, $\mathbf{y}(t) = t + \cos(\pi t/2)$, $0 \leq t \leq 1$, where $F = x^2y^2 \mathbf{i} + (x^2)y \mathbf{j}$. (HERE $\mathbf{x}(t) = t + \sin(\pi t/2)$ AND $\mathbf{y}(t) = t + \cos(\pi t/2)$, AS MENTIONED IN THE LAB MANUAL)

A: Code is as follows:

```
%Write the program for the line integral  $\int_C F \cdot d\mathbf{r}$  along the given curve
% C, given by  $\mathbf{x}(t) = t + \sin(\pi t/2)$ .
%  $\mathbf{y}(t) = t + \cos(\pi t/2)$ ,  $0 \leq t \leq 1$ , where  $F = x^2y^2 \mathbf{i} + (x^2)y \mathbf{j}$ 
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clc
clear all
syms x y t
f=input('Enter the components of 2D vector function [u,v] ');
r=input('Enter x,y in parametric form');
I=input('Enter the limits of integration for t in the form [a,b]');
a=I(1);b=I(2);
dr=diff(r,t);
F=subs(f,{x,y},r);
Fdr=sum(F.*dr);
```

```

I=int(Fdr,t,a,b)
P(x,y)=f(1);Q(x,y)=f(2);
x1=linspace(-2*pi,2*pi,10); y1=x1;
[X,Y] = meshgrid(x1,y1);
U=P(X,Y); V=Q(X,Y);
quiver(X,Y,U,V,1.5)
hold on
t1=linspace(0,2*pi);
x=subs(r(1),t1);y=subs(r(2),t1);
plot(x,y,'r')

```

Output (via Command Window):

Enter the components of 2D vector function [u,v]
 $[x^2y^2 \ x^2y]$
 Enter x,y in parametric form
 $[t+\sin((\pi*t)/2) \ t+\cos((\pi*t)/2)]$
 Enter the limits of integration for t in the form [a,b]
 $[0,1]$

I =

2

