

26 prescribed emission and averaged model output, it indicates that this VOC species is actively taking
 27 part in reactions, thus may have a larger potential influence. We quantify the potential influence
 28 by taking the absolute value of this difference in percentage, as shown in (Equ 3). x is the given
 29 VOC species, $conc(x)$ and $conc(ALL)$ is the spatial-temporal averaged model concentration for x
 30 and for all VOCs; $emiss(x)$ and $emiss(ALL)$ is the spatial-temporal averaged prescribed emissions
 31 for x and for all VOCs.

$$influence(x) = abs(\frac{conc(x)}{conc(ALL)} - \frac{emiss(x)}{emiss(ALL)}) \quad (3)$$

32 The VOC factor for a given VOC-observation pair can now be calculated simply by multiplying
 33 correlation and influence together, as shown in (Equ 4).

$$VOC\ factor(x, y) = corr(x, y) * influence(x) \quad (4)$$

34 It should be noted that a VOC species with a higher factor value can not promise a better
 35 assimilation performance. But we think it is acceptable for this study, for we are not trying to select
 36 only one best VOC, but a group of VOCs to be assimilated. By selecting VOCs with factor values
 37 up to some given threshold, it can be expected that these selected VOCs contain most species with
 38 positive assimilation effects(correlated and active in reactions), and avoid negative effects brought
 39 by small-value VOCs(not correlated and/or not active in reactions). Thus, by doing this selection,
 40 a better performance than assimilating all VOCs could be expected.