#### Computerlinguistik II

Vorlesung im SoSe 2019 (M-GSW-10)

Prof. Dr. Udo Hahn

Lehrstuhl für Computerlinguistik Institut für Germanistische Sprachwissenschaft Friedrich-Schiller-Universität Jena

http://www.julielab.de

### **Two Paradigms for NLP**

- Symbolic Specification Paradigm
  - Manual acquisition procedures
  - Lab-internal activities
  - Intuition and (few!) subjectively generated examples drive progress based on individual (competence) judgments
    - "I have a system that parses all of my nine-teen sentences!"

### Symbolic Specification Paradigm

- Manual rule specification
  - Source: linguist's intuition
- Manual lexicon specification
  - Source: linguist's intuition
- Each lab has its own (home-grown) set of NLP software
  - Hampers reusability
  - Limits scientific progress
  - Waste of human and monetary resources (we "burnt" thousands of Ph.D. student all over the world ☺)

# Shortcomings of the "Classical" Linguistic Approach

- Huge amounts of background knowledge req.
  - Lexicons (approx. 100,000 150,000 entries)
  - Grammars (>> 15,000 20,000 rules)
  - Semantics (>> 15,000 20,000 rules)
- As the linguistic and conceptual coverage of classical linguistic systems increases (slowly), it still remains insufficient; systems also reveal 'spurious' ambiguity, and, hence, tend to become overly "brittle" and unmaintainable
- More fail-soft behavior is required at the expense of ... ? (e.g., full-depth understanding)

### **Two Paradigms for NLP**

#### Symbolic Openineation Faradigm

- Manual acquisition procedures
- Lab-internal activities
- Intuition and (few!) subjectively generated examples drive progress based on individual (competence) judgments
  - "I have a system that parses all of my nine-teen sentences!"

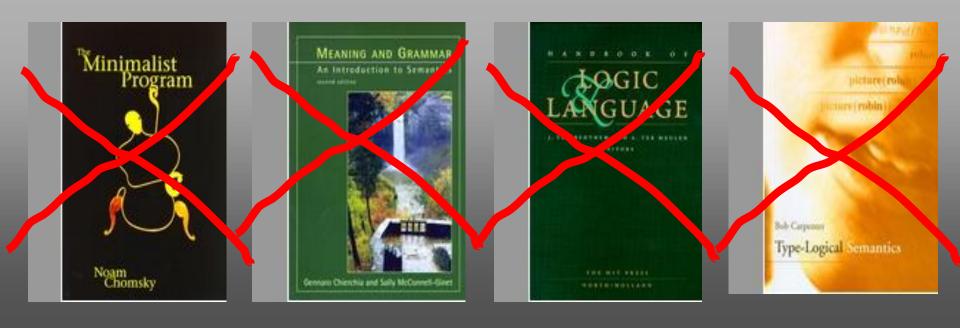
#### Empirical (Learning) Paradigm

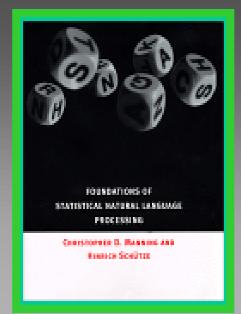
- Automatic acquisition procedures
- Community-wide sharing of common knowledge and resources
- Large and ,representative data sets drive progress according to experimental standards
  - "The system was tested on 1,7 million words taken from the WSJ segment of the MUC-7 data set and produced 4.9% parsing errors, thus yielding a statistically significant 1.6% improvement over the best result by parser X on the same data set & a 40.3% improvement over the baseline system!"

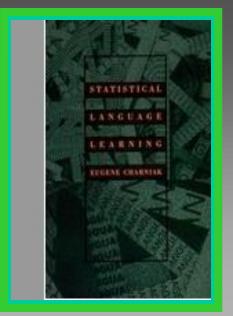
#### **Empirical Paradigm**

- Large repositories of language data
  - Corpora (plain or annotated, i.e., enriched by meta-data)
- Large, community-wide shared repositories of language processing modules
  - Tokenizers, POS taggers, chunkers, NE recognizers, ...
- Shared repositories of machine learning algos
- Automatic acquisition of linguistic knowledge
  - Applying ML algos to train linguistic processors by using large corpora with valid linguistic metadata (linguist as educated data supplier, "language expert") rather than manual intuition (linguist as creative rule inventor)
- Shallow analysis rather than deep understanding
- Large, community-wide self-managed, task-oriented competitions, comparative evaluation rounds
- Change of mathematics:
  - Statistics rather than algebra and logics

#### Paradigm Shift – We Exchanged our Textbooks...



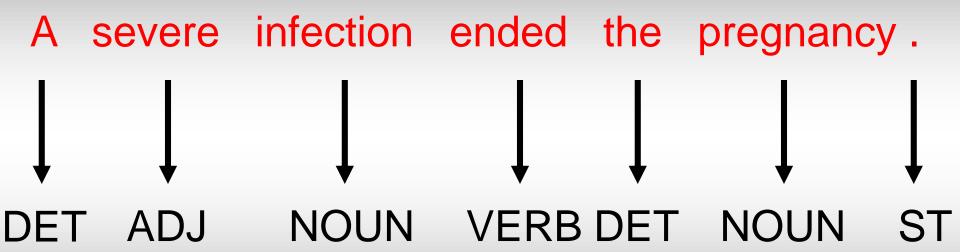








### **POS Tagging**



### Penn Treebank Tag Set

Tag	Description	Examples	In total,
			45 tags
	sentence terminator	.!?	
DT	determiner	all an many such that the them these this	
JJ	adjective, numeral	first oiled separable battery-pow	vered
NN	common noun	cabbage thermostat investment	
PRP	personal pronoun	herself him it me one oneself theirs they	
IN	preposition	among out within behind into next	
VB	verb (base form)	ask assess assign begin break bring	
VBD	verb (past tense)	asked assessed assigned began broke	
WP	WH-pronoun	that what which who whom	

## Transformation Rules for Tagging [Brill, 1995]

- Initial State: Based on a number of features, guess the most likely POS tag for a given word:
  - die/DET Frau/NOUN ,/COMMA die/DET singt/VFIN
- Learn transformation rules to reduce errors:
  - Change DET to PREL whenever the preceding word is tagged as COMMA
- Apply learned transformation rules:
  - die/DET Frau/NOUN,/COMMA die/PREL singt/VFIN

#### First 20 Transformation Rules

	Change Tag		
#	From	То	Condition
1	NN	VB	Previous tag is TO
2	VBP	VB	One of the previous three tags is MD
3	NN	VB	One of the previous two tags is MD
4	VB	NN	One of the previous two tags is $DT$
5	VBD	VBN	One of the previous three tags is $VBZ$
6	VBN	VBD	Previous tag is PRP
7	VBN	VBD	Previous tag is NNP
8	VBD	VBN	Previous tag is VBD
9	VBP	VB	Previous tag is TO
10	POS	VBZ	Previous tag is PRP
11	VB	VBP	Previous tag is NNS
12	VBD	VBN	One of previous three tags is $VBP$
13	IN	WDT	One of next two tags is VB
14	VBD	VBN	One of previous two tags is $VB$
15	VB	VBP	Previous tag is PRP
16	IN	WDT	Next tag is VBZ
17	IN	DT	Next tag is NN
18	JJ	NNP	Next tag is NNP
19	IN	WDT	Next tag is VBD
20	JJR	RBR	Next tag is $JJ$

Taken from: Brill (1995), Transformation-Based Error-Driven Learning

## Towards Statistical Models of Natural Language Processing ...

- Shannon's Game
- Guess the next letter:

- Shannon's Game
- Guess the next letter:
- W

- Shannon's Game
- Guess the next letter:
- Wh

- Shannon's Game
- Guess the next letter:
- Wha

- Shannon's Game
- Guess the next letter:
- What

- Shannon's Game
- Guess the next letter:
- What d

- Shannon's Game
- Guess the next letter:
- What do

- Shannon's Game
- Guess the next letter:
- What do you think the next letter is?

- Shannon's Game
- Guess the next letter:
- What do you think the next letter is?
- Guess the next word:

- Shannon's Game
- Guess the next letter:
- What do you think the next letter is?
- Guess the next word:
- We

- Shannon's Game
- Guess the next letter:
- What do you think the next letter is?
- Guess the next word:
- We are

- Shannon's Game
- Guess the next letter:
- What do you think the next letter is?
- Guess the next word:
- We are now

- Shannon's Game
- Guess the next letter:
- What do you think the next letter is?
- Guess the next word:
- We are now entering

- Shannon's Game
- Guess the next letter:
- What do you think the next letter is?
- Guess the next word:
- We are now entering statistical

- Shannon's Game
- Guess the next letter:
- What do you think the next letter is?
- Guess the next word:
- We are now entering statistical territory

- zero-order approximation: letter sequences are independent of each other and all equally probable:
  - xfoml rxkhrjffjuj zlpwcwkcy ffjeyvkcqsghyd

- first-order approximation: letters are independent, but occur with the frequencies of English text:
  - ocro hli rgwr nmielwis eu ll nbnesebya th eei alhenhtppa oobttva nah

- second-order approximation: the probability that a letter appears depends on the previous letter
  - on ie antsoutinys are t inctore st bes deamy achin d ilonasive tucoowe at teasonare fuzo tizin andy tobe seace ctisbe

- third-order approximation: the probability that a certain letter appears depends on the two previous letters
  - in no ist lat whey cratict froure birs grocid pondenome of demonstures of the reptagin is regoactiona of cre

 Higher frequency trigrams for different languages:

- English: THE, ING, ENT, ION

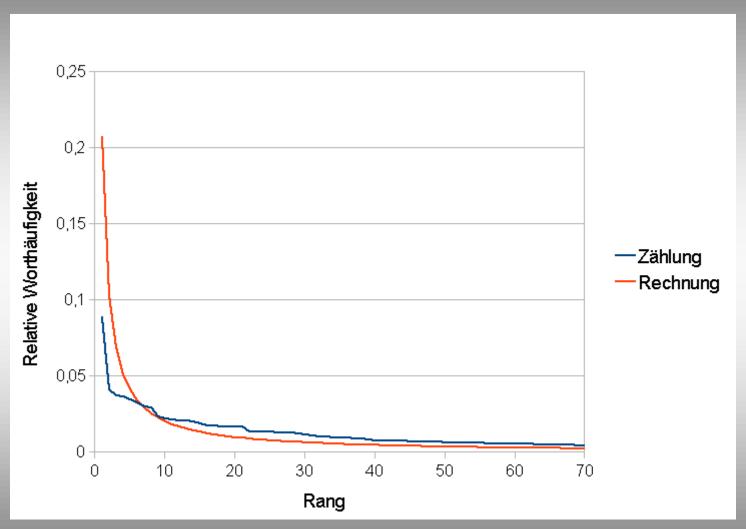
- German: EIN, ICH, DEN, DER

- French: ENT, QUE, LES, ION

- Italian: CHE, ERE, ZIO, DEL

- Spanish: QUE, EST, ARA, ADO

#### Zipfsches Gesetz



#### **Terminology**

- Sentence: unit of written language
- Utterance: unit of spoken language
- Word Form: the inflected form that appears literally in the corpus
- Lemma: lexical forms having the same stem, part of speech, and word sense
- Types (V): number of distinct words that might appear in a corpus (vocabulary size)
- Tokens (N<sub>T</sub>): total number of words in a corpus (note: V << N<sub>T</sub>)
- Types seen so far (T): number of distinct words seen so far in corpus (note: T < V << NT)</li>

- A model that enables one to compute the probability, or likelihood, of a sentence S, P(S).
- Simple: Every word follows every other word with equal probability (0-gram)
  - Assume |V| is the size of the vocabulary V
  - Likelihood of sentence S of length n is1/|V| × 1/|V| ... × 1/|V|
  - If English has 100,000 words, the probability of each next word is 1/100000 = .00001

## Relative Frequency vs. Conditional Probability

- Smarter: Relative Frequency
   Probability of each next word is related to word frequency within a corpus (unigram)
  - Likelihood of sentence  $S = P(w_1) \times P(w_2) \times ... \times P(w_n)$
  - Assumes probability of each word is independent of probabilities of other words

### Relative Frequency vs. Conditional Probability

- Smarter: Relative Frequency
   Probability of each next word is related to word frequency within a corpus (unigram)
  - Likelihood of sentence  $S = P(w_1) \times P(w_2) \times ... \times P(w_n)$
  - Assumes probability of each word is independent of probabilities of other words
- Even smarter: Conditional Probability
   Look at probability given previous words (n-gram)
  - Likelihood of sentence  $S = P(w_1) \times P(w_2|w_1) \times ... \times P(w_n|w_{n-1})$
  - Assumes probability of each word is dependent on probabilities of previous words

## Generalization of Conditional Probability via Chain Rule

- Conditional Probability for Two Events, A<sub>1</sub> and A<sub>2</sub>
  - $P(A_1,A_2) = P(A_1) \cdot P(A_2|A_1)$
- Chain Rule generalizes to multiple (n) events
  - $P(A_1, ..., A_n) =$

$$P(A_1) \times P(A_2|A_1) \times P(A_3|A_1,A_2) \times ... \times P(A_n|A_1...A_{n-1})$$

- Examples:
  - $P(the dog) = P(the) \times P(dog | the)$
  - P(the dog bites) = P(the) × P(dog | the) × P(bites| the dog)

### Relative Frequencies and Conditional Probabilities

- Relative word frequencies are better than equal probabilities for all words
  - In a corpus with 10K word types, each word would have P(w) = 1/10K
  - Does not match our intuitions that different words are more likely to occur
    - (e.g. "the" vs. "shop" vs. "aardvark")
- Conditional probability is more useful than individual relative word frequencies
  - dog may be relatively rare in a corpus
  - but if we see barking, P(dog|barking) may be lärge

#### **Probability for a Word String**

• In general, the probability of a complete string of words  $w_1^n = w_1...w_n$  is

$$P(w_{1}^{n})$$

$$=P(w_{1})P(w_{2}/w_{1})P(w_{3}/w_{1} w_{2})...P(w_{n}/w_{1}...w_{n-1})$$

$$=\prod_{k=1}^{n}P(w_{k}|w_{1}^{k-1})$$

 But this approach to determining the probability of a word sequence gets to be computationally very expensive <u>and</u>
 suffers from sparse data

#### Markov Assumption (basic idea)

- How do we (efficiently) compute P(w<sub>n</sub>|w<sub>1</sub><sup>n-1</sup>)?
- Trick (!): Instead of P(rabbit|I saw <u>a</u>), we use P(rabbit|<u>a</u>).
  - This lets us collect statistics in practice via a bigram model: P(the barking dog) = P(the|<start>) × P(barking|the) × P(dog|barking)

### Markov Assumption (the very idea)

- Markov models are the class of probabilistic language models that assume that we can predict the probability of some future unit without looking too far into the past
  - Specifically, for N=2 (bigram):
  - $P(w_1^n) \approx \prod_{k=1}^n P(w_k|w_{k-1}); w_0 := < start >$
- Order of a Markov model: length of prior context
  - bigram is first order, trigram is second
    order, ...