

Notes for ECE 30500 - Semiconductor Devices

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These are lecture notes for Fall 2025 ECE 30500 by professor Haitong Li at Purdue. Modify, use, and distribute as you please.

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Properties of Silicon

The core of semiconductors lies in the silicon transistor. But, why silicon (Si)?

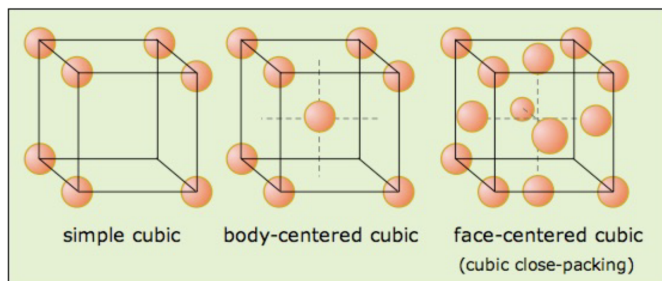
- Si is the second most common element on Earth.
- It is easily purified, and grown defect free, with less than 1 impurity in 10^9 atoms.
- Reasonably good electronic properties
- Resilient to harsh environments
- Excellent mechanical properties
- There are three forms of Si:
 - In a Si crystal, atoms are arranged in an orderly array, allowing arrangements to be easily reproduced.
 - In poly-crystalline Si, many crystalline subsections exist.
 - In amorphous Si, there are no long range patterns or arrangements.

The unit cell is a portion of any crystal that could be used to reproduce the crystal.

The primitive cell is the smallest possible unit cell.

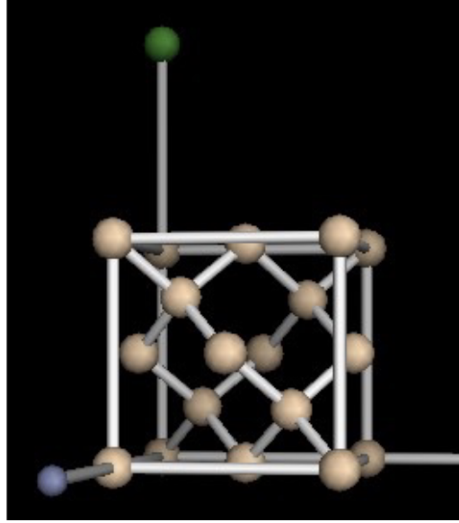
In essence, a unit cell is a subset of a lattice that can be moved in the x, y, z axis, and cover the entire lattice. (*Note the absence of rotation movements.*)

Some examples of cells are the following:



Note: the image is missing a corner atom.

Another important cubic unit cell is the diamond cubic unit cell with 8 silicon atoms in the cell:



Density (diamond cube cell)

Lattice constant: $a = 5.3407 \text{ \AA}$

Atomic mass: 28.055 amu

Density: $\rho = \frac{8 \times 28.055 \times 1.6605 \times 10^{-23}}{(5.3407 \times 10^{-10})^3} \text{ kg/m}^3 = 2.3296 \text{ g/cm}^3$

Miller Indices

Let us consider a plane that intercepts the axes at $x_{int}, y_{int}, z_{int}$. The equation of the plane is:

$$\frac{x}{x_{int}} + \frac{y}{y_{int}} + \frac{z}{z_{int}} = 1$$

The vector that is perpendicular to this plane will have the same components as the Miller indices.

The Miller indices are defined as $LCM * (\frac{1}{x_{int}}, \frac{1}{y_{int}}, \frac{1}{z_{int}})$.