

Part 1

1. $\Pi_{name}(\sigma_{cid='c1'}(Price) \bowtie Customer)$
 2. $\Pi_{sid}(\sigma_{title='milk'}(Commodity) \bowtie Price)$
 3. It cannot be expressed as standard algebra since we do not have 'count' operator
 4. $\Pi_{sid}(\sigma_{title='milk'}(Commodity) \bowtie Price) \cap \Pi_{sid}(\sigma_{title='bread'}(Commodity) \bowtie Price)$
 5. $\Pi_{sid}(\sigma_{(title='milk') \vee (title='hamburger')}(Commodity) \bowtie Price)$
 6. $\Pi_{sid,name}(Customer) - \Pi_{sid,name}(Customer) \bowtie \Pi_{sid}(\sigma_{title='milk'}(commodity) \bowtie Price)$
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Part 2

1. It cannot be expressed as standard algebra since we do not have 'sum' operator
 2.
$$\frac{\rho(A(predator \rightarrow food), \Pi_{predator}(\sigma_{food='frog'}(FoodChain)))}{\Pi_{predator}(FoodChain \bowtie A)}$$
 3.
$$\frac{\rho(A(predator \rightarrow food), \Pi_{predator}(\sigma_{food='bird'}(FoodChain)))}{\Pi_{predator, food}(FoodChain)/A}$$
 4.
$$\begin{aligned} &\rho(A, FoodChain) \\ &\rho(B, FoodChain) \\ &\rho(C, FoodChain) \\ &\rho(D, FoodChain) \\ &\rho(E, \sigma_{A.food=B.food=C.food \wedge A.predator \neq B.predator \neq C.predator}(A \times B \times C)) \\ &\rho(F, \sigma_{(A.food=B.food=C.food=D.food) \wedge (A.predator \neq B.predator \neq C.predator \neq D.predator)}(A \times B \times C \times D)) \\ &\Pi_{A.food} E - \Pi_{A.food} F \end{aligned}$$
 5.
$$\begin{aligned} &\rho(A(name \rightarrow predator), \Pi_{name}(Creature)) \\ &\rho(B(name \rightarrow food), \Pi_{name}(Creature)) \\ &\rho(C, \sigma_{predator=food}(A \times B)) \\ &\rho(D, (C \cup \Pi_{predator, food}(FoodChain))/B) \\ &D - \Pi_{predator}(\sigma_{predator=food}(FoodChain)) \end{aligned}$$
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