

ECE2049 Homework #1

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Question	Grade
1-- 25	
2 -- 15	
3 -- 10	
4 -- 10	
5 -- 25	
6 -- 15	
Total: 100	

YOU MUST ATTACH THIS COVER SHEET TO YOUR HW!!

Problem 1:**Part A:**

I. The loop iterated through 10,922 times. The loop will be exited when kk exceeds the 32767 int range limit and goes back to 0 thus exiting with the while loop logic.

First Loop:

- Kk Value:
 - Start: 1
 - End: 4
- Mm Value:
 - Start: 32767
 - End: 16383
- In-Val Value:
 - Start: 0
 - End: 1

Final Loop:

- Kk Value:
 - Start: 32766
 - End: 0
- Mm Value:
 - Start: 15
 - End: 15
- In-Val Value:
 - Start: 1
 - End: 1

II. The last 3 loops are going to have the values: 252, 254, 0 because char hits its overflow at 255.

Problem 1 (Continued):

Part B:

```
unsigned char trial, tP_history[175];
while(trial<175){
    unsigned char tP=alphaTouchPad();
    tP_history[trial]=tP;

    if(tP=='A'){
        led_on(0);
    }
    if(trial=='B'){
        led_on(1);
    }
    if(trial=='C'){
        led_on(2);
    }
    if(trial=='D'){
        led_on(3);
    }
    if(trial=='E'){
        led_on(4);
    }
    else{
        led_all_off();
    }
    trial++;
}
```

Problem 1 (Continued):**Part C:**

```
int main(){
    //Declare arrays and needed variables
    int sizeCnst = 500;
    int alphaCnst = 0.9;
    int rawArray[500];
    int expoArray[500];

    //Give values to both arrays
    for (int i = 0; i < sizeCnst; i++){
        rawArray[i] = (rand()%2001)-2000
    }
    for (int j = 0; j <sizeCnst; j++){
        if(j=0){
            expoArray[j] = rawArray[j]
        }
        else{
            expoArray [j] = (1-alphaCnst) * rawArray[j] + alphaCnst * expoArray[j-1];
        }
    }

    //Print out the array values
    for (int k = 0; k < sizeCnst(); k++){
        printf("Raw Data: ", rawArray[k], "\n");
    }
    for (int g = 0; g < sizeCnst(); g++){
        printf("Exponential Average: ", expoArray[g], "\n");
    }
    return 0;
}
```

Problem 2:

a) Express the following numbers as 16 bit unsigned integers 1652, 11000, 256. Show all your work.

1652:

- $1652/2 = 826 - 0$
- $826/2 = 413 - 0$
- $413/2 = 206 \text{ R}1 - 1$
- $206/2 = 103 - 0$
- $103/2 = 51 \text{ R}1 - 1$
- $51/2 = 25 \text{ R}1 - 1$
- $25/2 = 12 \text{ R}1 - 1$
- $12/2 = 6 - 0$
- $6/2 = 3 - 0$
- $3/2 = 1 \text{ R}1 - 1$
- $1/2 = 0 \text{ R}1 - 1$

0000 0110 0111 0100b

11000:

- $11000/2 = 5500 - 0$
- $5500/2 = 2750 - 0$
- $2750/2 = 1375 - 0$
- $1375/2 = 687 \text{ R}1 - 1$
- $687/2 = 343 \text{ R}1 - 1$
- $343/2 = 171 \text{ R}1 - 1$
- $171/2 = 85 \text{ R}1 - 1$
- $85/2 = 42 \text{ R}1 - 1$
- $42/2 = 21 - 0$
- $21/2 = 10 \text{ R}1 - 1$
- $10/2 = 5 - 0$
- $5/2 = 2 \text{ R}1 - 1$
- $2/2 = 1 - 0$
- $1/2 = 0 \text{ R}1 - 1$

0001 0101 0111 1000b

Problem 2 (Continued):

256:

- $256/2 = 128 - 0$
- $128/2 = 64 - 0$
- $64/2 = 32 - 0$
- $32/2 = 16 - 0$
- $16/2 = 8 - 0$
- $8/2 = 4 - 0$
- $4/2 = 2 - 0$
- $2/2 = 1 - 0$
- $\frac{1}{2} = 1 \text{ R}1 - 1$

0000 0001 0000 0000b

b) Express the following number as 16 bit signed (two's complement) integers -7, 6200, -32750. Show all your work.

-7 = 1000 0000 0000 0111b

0111 1111 1111 1000 +1

= 0111 1111 1111 1001

6200 = 0001 1000 0011 1000b

- Because the most significant number is positive the 2's complement is the same as the original 16 bit representation: 0001 1000 0011 1000.

-32750 = 1111 1111 1110 1110b

0000 0000 0001 0001 + 1

= 0000 0000 0001 0010

You are given the following 16-bit numbers 2A56h, 0C45h, and E25Ah. Each of these values could be interpreted as.

c) An unsigned number.

1. 2A56h \rightarrow 10838
2. 0C45h \rightarrow 3141
3. E25Ah \rightarrow 57946

d) Sign-magnitude numbers.

1. 10838d \rightarrow 0010 1010 0101 0110
2. 3141d \rightarrow 0000 1100 0100 0101
3. 57946d \rightarrow 1110 0010 0101 1010

e) A two's-complement number.

1. 10838d \rightarrow 0010 1010 0101 0110 = 10838d
2. 3141d \rightarrow 0000 1100 0100 0101 = 3141d
3. 57946d \rightarrow 1110 0010 0101 1010
0001 1101 1010 0110 +1 = -7590d

Problem 3:

a) Express the base 10 integer $Y = 32141169$ in BCD?

- $32141169/2 = 16,070,584 \text{ R } - 1$
- $16,070,584/2 = 8,035,292 - 0$
- $8,035,292/2 = 4,017,646 - 0$
- $4,017,646/2 = 2008823 - 0$
- $2008823/2 = 1,004,411 \text{ R } - 1$
- $1,004,411/2 = 502,205 \text{ R } - 1$
- $502,205/2 = 251,102 \text{ R } - 1$
- $251,102/2 = 125,551 - 0$
- $125,551 = 62,775 \text{ R } - 1$
- $62,775/2 = 31,387 \text{ R } - 1$
- $31,387/2 = 15,693 \text{ R } - 1$
- $15693/2 = 7,846 \text{ R } - 1$
- $7,846/2 = 3,923 - 0$
- $3,923/2 = 1961 \text{ R } - 1$
- $1961/2 = 980 \text{ R } - 1$
- $980/2 = 490 - 0$
- $490/2 = 245 - 0$
- $245/2 = 122 \text{ R } - 1$
- $122/2 = 61 - 0$
- $61/2 = 30 \text{ R } - 1$
- $30/2 = 15 - 0$
- $15/2 = 7 \text{ R } - 1$
- $7/2 = 3 \text{ R } - 1$
- $3/2 = 1 \text{ R } - 1$
- $1/2 = 1 \text{ R } - 1$
- 0001 1110 1010 0110 1111 0111 0001b

b) Assume that the variable X is encoded in BCD. What is the decimal equivalent value of X if $X = 0011\ 1001\ 0111\ 0110$ b?

$$2^0 + 2^4 + 2^5 + 2^6 + 2^8 + 2^9 + 2^{10} + 2^{11} + 2^{13} + 2^{14} + 2^{17} + 2^{19} + 2^{21} + 2^{22} + 2^{23} + 2^{24} = 14710$$

Problem 4:

a) What are the ASCII codes (in hex) for the characters '0', '1', '2', '3''9'?

- 0 = 0x30
- 1 = 0x31
- 2 = 0x32
- 3 = 0x33
- 4 = 0x34
- 5 = 0x35
- 6 = 0x36
- 7 = 0x37
- 8 = 0x38
- 9 = 0x39

b) In the lab you will regularly need to display numbers on the LCD screen. Therefore you will need to convert between integer digits and their ASCII representation and the reverse. What C code (variable declarations and 1 line of code) would you use to convert a single decimal digit to its ASCII code?

- char decimalVal;
- char asciiVal = decimalVal + 30;

c) Assume the integer value D = 56987 has been converted for display into an array of ASCII values, declared as char D_asc[8];

What value (in hex) should be stored in each array location so that the number would display properly (i.e. right justified with digits in left to right order) if printed on our Sharp LCD screen?

Explain your reasoning. Hint: Check the Lab 0 demo code.

- D = 56987:
 - 5d → +48 (to properly set up hex conversion) → 53d → 35h
 - 6d → +48 (to properly set up hex conversion) → 54d → 36h
 - 9d → +48 (to properly set up hex conversion) → 57d → 39h
 - 8d → +48 (to properly set up hex conversion) → 56d → 38h
 - 7d → +48 (to properly set up hex conversion) → 55d → 37h

D_asc[7] = 0x20

D_asc[6] = 0x20

D_asc[5] = 0x20

D_asc[4] = 0x35

D_asc[3] = 0x36

D_asc[2] = 0x39

D_asc[1] = 0x38

D_asc[0] = 0x37

Problem 5:

Convert the following numbers from decimal to IEEE 32-BIT floating point format.

- a) $5.5d = 101.1b$
- $S = 0$
 - $E = 127 + 2 = 129$
 - 10000001
 - $F = 1000$
 - $SEF = 01000000101100000000000000000000$
 - $0x40b00000h$
- b) $-8.75d = 1000.11b$
- $S = 1$
 - $E = 127 + 3 = 130$
 - 10000010
 - $F = 1100$
 - $SEF = 11000001000011000000000000000000$
 - $0xc10c0000h$

The following numbers are encoded using 32-bit IEEE floating point format. Find the decimal values that they represent.

- c) $C0E40000h = 11000000111001000000000000000000$
- $-7.125d$
- d) $42C82000h = 10000101100100000100000000000000$
- $100.0625d$

Problem 6:

The MSP430 is little endian so the least significant byte is stored first.

Value	Address	Little Endian	Big Endian
"Tst"	02000h	74h	54h
	02001h	73h	73h
	02002h	54h	74h
-17.75	02003h	C1h	00h
	02004h	8Eh	00h
	02005h	00h	8Eh
	02006h	00h	C1h
ser_num	02007h	A9h	59h
	02008h	11h	68h
	02009h	97h	ABh
	0200Ah	5Ah	89h
	0200Bh	89h	5Ah
	0200Ch	ABh	97h
	0200Dh	68hh	11h
	0200Eh	59h	A9h
-3	0200Fh	FDh	FFh
	02010h	FFh	FDh
32766	02011h	FEh	7Fh
	02012h	7Fh	FEh
5	02013h	05h	05h
A95E13C4	02014h	C4h	A9h
	02015h	13h	5Eh

	02016h	5Eh	13h
	02017h	A9h	C4h