

Controlled Comparisons and Controlled Relationships

POSC 3410 - Quantitative Methods in Political Science

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Goal for Today

Introduce students to making controlled comparisons and understanding controlled relationships.

A Brief Review

What we have done to this point:

- We have an interest in a relationship between an independent variable and a dependent variable.
- We already know our types of relationships.

A Brief Review

Experimental design with **random assignment** can lead to proper inference about relationship between x and y .

- However, we often deal with observational or event data.
- We must deal with the problem of **selection** all the same.

It could be some third process (z) that is responsible for the relationship between x and y .

- We account for this by making **controlled comparisons**.

Types of Controlled Relationships

There are three types of controlled relationships among x , y , and z .

1. Spurious relationship
2. Additive relationship
3. Interactive relationship

Partisanship, Gender, and Gun Control

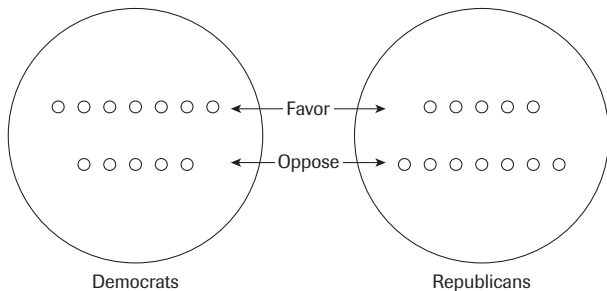
We will use the partisanship, gender, gun control example from your book.

- We already discussed the theory linking partisanship and gun control.
- However, Democrats tend to have more women than men.
 - This is an essential **compositional difference**.

There is good reason to expect gender confounds our partisanship-gun control inference.

Partisanship and Gun Control

Figure 4-1 Relationship between Partisanship and Gun Control Opinions (diagram)



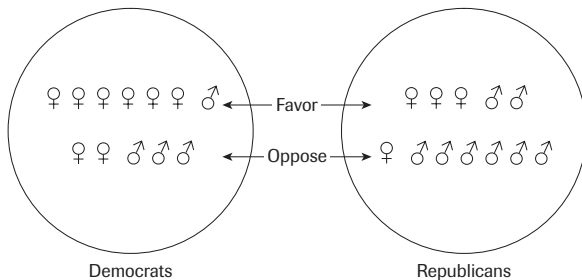
Partisanship, Gender, and Gun Control

What if we believe gender is responsible for this relationship?

- Figure 4.1 would not let us know.
- Figure 4.2 would let us know in an obvious way.

Partisanship, Gender, and Gun Control

Figure 4-2 Spurious Relationship between Partisanship and Gun Control Opinions (diagram)



Partisanship, Gender, and Gun Control

What is the effect of partisanship on gun control opinions, *controlling* for gender?

- Nine of 12 women favored gun control.
- Six of eight female Dems favored gun control (i.e. 75%)
- Three of four female Republicans favored gun control (i.e. 75%).

Of the men:

- One male Dem favored while three opposed (i.e. 25%).
- Two GOP men favored while six opposed (25%).

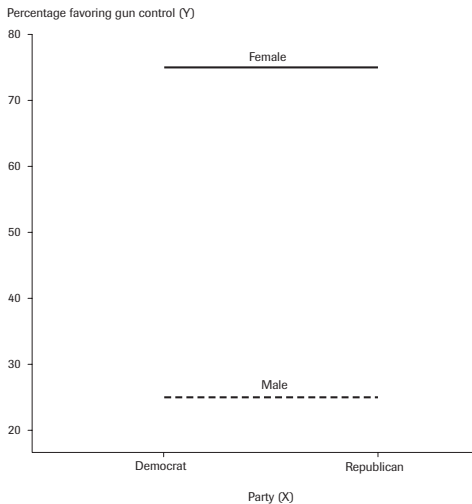
Partisanship, Gender, and Gun Control

Gender explains everything in this example.

- Formally: the effect of x on y is **spurious** to z .

Partisanship, Gender, and Gun Control

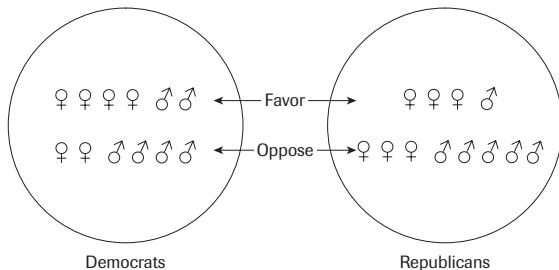
Figure 4-3 Spurious Relationship between Partisanship and Gun Control Opinions (line chart)



Partisanship, Gender, and Gun Control

Consider this arrangement.

Figure 4-4 Additive Relationships between Partisanship and Gun Control Opinions (diagram)



Partisanship, Gender, and Gun Control

Among the women:

- Four of six Democrats favor gun control (66.6%).
- Three of six Republicans favor gun control (50%).

Among the men:

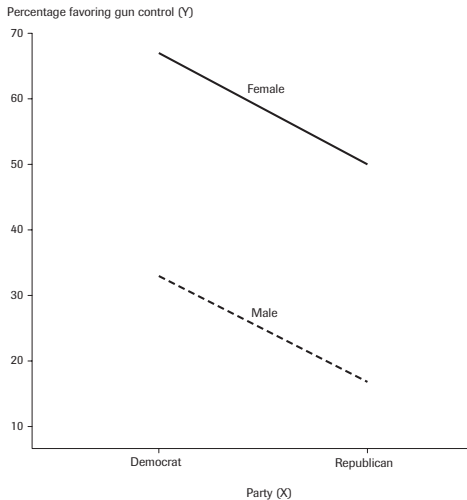
- Two of six Democrats favor gun control (33.3%)
- One in six GOP men favor gun control (16.6%).

This is an **additive relationship**.

- x and z affect y independently.

Partisanship, Gender, and Gun Control

Figure 4-5 Additive Relationships between Partisanship, Gender, and Gun Control Opinions (line chart)



Interactive Relationships

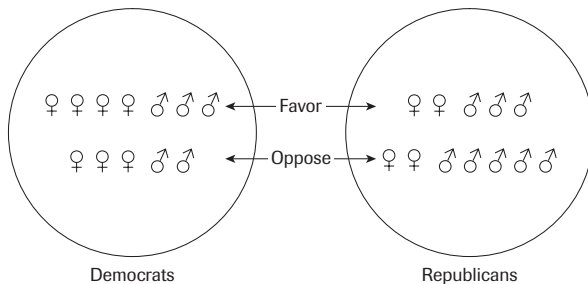
Interactive relationships are more difficult to fully describe.

- Simply: x and z act in concert to affect y
- Put another way: the effect of x on y depends on the value of z .

Partisanship, Gender, and Gun Control

Consider this arrangement.

Figure 4-7 Interaction Relationships between Partisanship, Gun Control Opinions, and Gender (diagram)



Partisanship, Gender, and Gun Control

Among the women:

- Four of seven Democrats favor gun control (57.1%)
- Two of four Republicans favor gun control (50%).

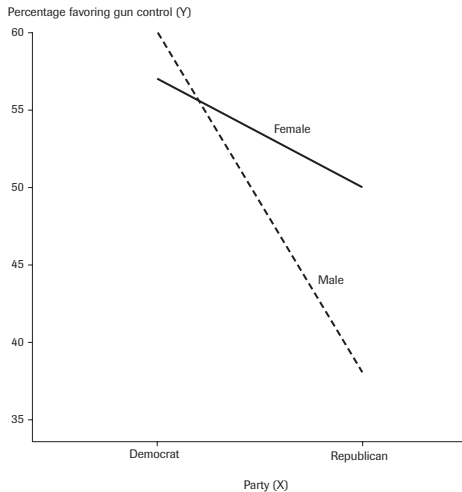
Among the men:

- Three of five Democrats favor gun control (60%).
- Three of eight Republicans favor gun control (37.8%).

Put another way: the effect of partisanship is strong for men, less for women.

Partisanship, Gender, and Gun Control

Figure 4-8 Interaction Relationships between Partisanship, Gun Control Opinions, and Gender (line chart)



Applied Controlled Comparisons

We can summarize these controlled relationships with:

1. Cross-tabulation
2. Mean comparison analysis

We will also use actual data.

Partisanship and Gun Control

Table 5-1 Relationship between Partisanship and Gun Control Opinions

Opinion on gun permits	Partisanship		Total
	<i>Democrat</i>	<i>Republican</i>	
Favor	87.0% (407)	68.8% (243)	79.2% (650)
Oppose	13.0% (61)	31.2% (110)	20.8% (171)
Total	100.0% (468)	100.0% (353)	100.0% (821)

Source: 2008 General Social Survey.

Note: Question: "Would you favor or oppose a law which would require a person to obtain a police permit before he or she could buy a gun?"

Zero-order Relationship

Table 5.1 illustrates a **zero-order relationship**.

- This is the effect of x on y **not** controlling for z .

The zero-order effect of partisanship on attitudes toward gun control is 18.

Partisanship, Gender, and Gun Control

Consider this arrangement.

Table 5-2 Relationship between Partisanship and Gun Control Opinions, Controlling for Gender

Opinion on gun permits	Gender					
	<i>Female</i>			<i>Male</i>		
	Partisanship			Partisanship		
	<i>Democrat</i>	<i>Republican</i>	Total	<i>Democrat</i>	<i>Republican</i>	Total
Favor	91.5%	74.9%	84.6%	80.8%	61.1%	71.9%
	(247)	(143)	(390)	(160)	(99)	(259)
Oppose	8.5%	25.1%	15.4%	19.2%	38.9%	28.1%
	(23)	(48)	(71)	(38)	(63)	(101)
Total	100.0%	100.0%	100.0%	100.0%	100.0%	100.0%
	(270)	(191)	(461)	(198)	(162)	(360)

Source: 2008 General Social Survey.

Controlled Comparison Table

Table 5.2 is a **controlled comparison table**.

- It shows the relationship between x and y for each value of z .

These tables reveal two types of relationships.

1. Controlled effect
2. Partial effect

Controlled Effect

A **controlled effect** is a relationship between x and y within one value of z .

- It could also be between z and y within one value of x .

We obtain the controlled effect of partisanship for both women and men.

- 91.5% of female Dems favor permits to 74.9% of female Republicans.
 - The controlled effect is 16.6 percentage points.
- 80.8% of male Dems favor permits to 61.1% of male Republicans.
 - The controlled effect is 19.7 percentage points.

Partial Effect

We summarize controlled effects as **partial effect**.

- Summarizes a relationship between two variables taking into account rival variables.

It's tempting, but *don't average the two controlled effects*.

- Doing so assumes the samples are equal.

Instead: weight the controlled effect by percentage of the sample.

- In our case: $16.6 * (.562) + 19.7 * (.438) = 17.96$

The partial effect of partisanship on gun control opinions is 17.96.

Partial Effect

What is the partial effect of *gender* on gun control attitudes?

- Sounds weird to ask. No one “increases” in gender.

Follow the **rule of direction for nominal relationships**.

- Treat the left-most column as the base category (here: women).

Partial Effect of Gender on Gun Control

Controlled effects:

- 91.5% of female Dems favor permits to 80.8% of male Dems (10.7%).
- 74.9% of female Republicans favor permits to 61.1% of male Republicans (13.8).

Weight the controlled effects to get a partial effect.

- $10.7(.570) + 13.8(.430) = 12.03$

The partial effect of gender on gun control opinions is 12.03.

Identifying the Pattern

Ask the following three questions for relationships among x , y , and z .

1. Does a relationship exist between x and y in at least one value of z ?
2. Is the tendency (i.e. positive or negative) the same at all values of z ?
3. Is the magnitude effect the same or close to it in all values of z ?

Identifying the Pattern

If the answer to the first question is no, you can stop there.

- It's a spurious relationship.

If the answer to the second question is no, you can stop there.

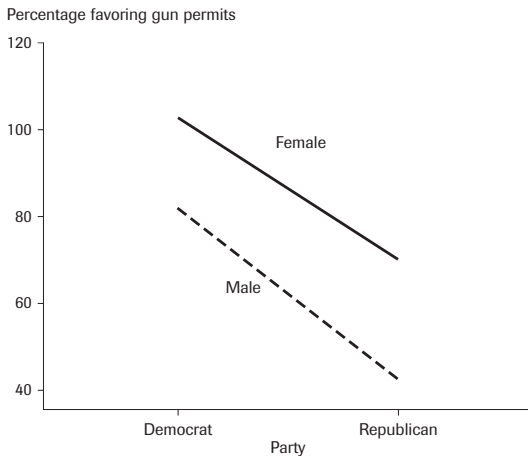
- There's an interaction effect.

If the answer to the third question is no, there's an interaction.

- If "yes", it's an additive relationship.

Partisanship, Gender, and Gun Control

Figure 5-1 Relationship between Partisanship and Gun Control Opinions, Controlling for Gender (line chart)



Abortion Opinions, Salience, and Vote Choice

Consider the following controlled comparison table.

Table 5-3 Relationship between Abortion Opinion and Vote Choice, Controlling for Issue Salience

Vote choice	Issue salience					
	<i>Low</i>			<i>High</i>		
	Abortion opinion		Total	Abortion opinion		Total
	<i>Always permit</i>	<i>Not always permit</i>		<i>Always permit</i>	<i>Not always permit</i>	
Democratic	63.2% (103)	45.9% (102)	53.2% (205)	82.0% (132)	34.9% (81)	54.2% (213)
Republican	36.8% (60)	54.1% (120)	46.8% (180)	18.0% (29)	65.1% (151)	45.8% (180)
Total	100.0% (163)	100.0% (222)	100.0% (385)	100.0% (161)	100.0% (232)	100.0% (393)

Source: 2008 American National Election Study.

Abortion Opinions, Salience, and Vote Choice

The controlled effect of abortion opinion:

- $63.2 - 45.9$ for “low” = 17.3
- $82 - 34.9$ for “high” = 47.1
- Partial effect: $17.3 * (.495) + 47.1 * (.505) = 32.3$

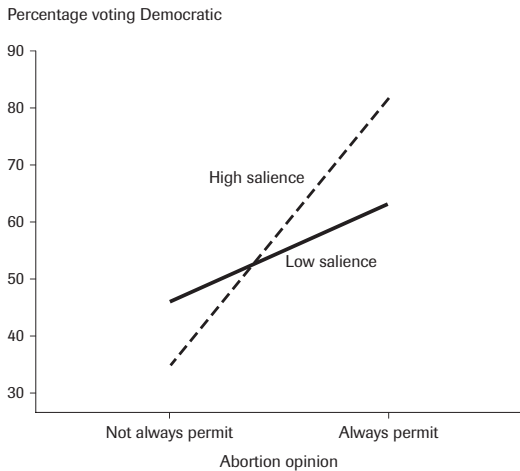
Controlled effect of salience:

- $63.2 - 82$ for “always permit” = -18.8
- $45.9 - 34.9$ for “not always permit” = 11
- Partial effect: $-18.8 * (.416) + 11 * (.584) = -1.39$

Something already looks a lot different here.

Abortion Opinions, Salience, and Vote Choice

Figure 5-2 Relationship between Abortion Opinion and Vote Choice, Controlling for Issue Salience (line chart)



Conclusion

No causal statement can be made as a zero-order relationship

- This will get more complicated in multiple regression
- Fortunately, computers do the heavy lifting for us.

Get comfortable making these types of controlled comparisons within a simple three-variable context.

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