ECON 2080, part 1

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# **Quiz 2: Labor Supply**

#### **Question A**

The same Cobb-Douglas matching function gives the flow of new worker-firm matches created when they are  ${\cal U}$  unemployment workers and  ${\cal V}$  vacancies:

 $m=\omega\times U^\eta\times V^{1-\eta}.$  What is the expression for the rate f at which a worker finds a job?

1. 
$$f(\theta) = \omega \times \theta^{\eta}$$

2. 
$$f(\theta) = \omega \times \theta^{1-\eta}$$

3. 
$$f(\theta) = \omega \times \theta^{-\eta}$$

4. 
$$f(\theta) = \omega \times \eta^{\theta}$$

5. 
$$f(\theta) = \omega \times \theta^{1+\eta}$$

#### **Question B**

What is a realistic specification for a matching function?

1. 
$$m(U, V) = \omega \times U^{0.2} \times V^{0.8}$$

2. 
$$m(U, V) = \omega \times U^{0.5} \times V^{0.5}$$

3. 
$$m(U, V) = \omega \times U^{0.5} \times V^{0.8}$$

4. 
$$m(U, V) = \omega \times U^{0.3} \times V^{0.4}$$

5. 
$$m(U, V) = 0.5 \times U + 0.5 \times V$$

#### **Question C**

In the United States, the average amount of time people keep a given job is approximately

- 1. Less than one month
- 2. Between two and four months
- 3. About one year
- 4. Between two and four years
- 5. More than five years

#### **Question D**

For any matching function, what is a key relationship between the job-finding rate f, vacancy-filling rate q, and labor market tightness  $\theta$ ?

- 1.  $f + q = \theta$
- 2.  $f \times q = \theta$
- 3.  $f/q = \theta$
- 4.  $f q = \theta$
- 5.  $q/f = \theta$

#### **Question E**

Over the US business cycle, how do the unemployment rate and vacancy rate comove?

- 1. The unemployment and vacancy rates are acyclical.
- 2. Both unemployment and vacancy rates are procyclical.
- 3. Both unemployment and vacancy rates are countercyclical.
- 4. The vacancy rate is countercyclical while the unemployment rate is procyclical.
- 5. The vacancy rate is procyclical while the unemployment rate is countercyclical.

#### **Question F**

In the US since the 1980s, it seems that unemployment goes up in recessions because

- 1. Unemployed workers take a longer time to find a job.
- 2. Employed workers lose their jobs at a faster rate.
- 3. Unemployed workers are discouraged and drop out of the labor force.
- 4. New workers enter the labor force to increase their household's income.
- 5. Firms take a longer time to fill vacant jobs.

## **Question G**

In the matching model, when we derive the labor supply, we assume that

- 1. Inflows into unemployment equal outflows from unemployment.
- 2. Inflows into unemployment are larger than outflows from unemployment.
- 3. Inflows into unemployment are smaller than outflows from unemployment.
- 4. Inflows into unemployment equal inflows into the labor force.
- 5. Inflows into employment equal inflows into the labor force.

# **Question H**

Consider a matching model of the labor market with labor force of size H, a recruiting cost of r>0 recruiters per vacancy, a job-separation rate s>0, and a Cobb-Douglas matching function:  $m=\omega\times U^\eta\times V^{1-\eta}$ . We define the labor market tightness as  $\theta=V/U$ . Compute labor supply  $L^s$ .

1. 
$$L^{s}(\theta) = \frac{f(\theta)}{s \times f(\theta)} \times H$$
 where  $f(\theta) = \omega \times \theta^{1-\eta}$ 

2. 
$$L^{s}(\theta) = \frac{f(\theta)}{s + f(\theta)} \times H \text{ where } f(\theta) = \omega \times \theta^{-\eta}$$

3. 
$$L^{s}(\theta) = \frac{f(\theta)}{s + f(\theta)} \times H \text{ where } f(\theta) = \omega \times \theta^{1-\eta}$$

4. 
$$L^{s}(\theta) = f(\theta) \times H$$
 where  $f(\theta) = \omega \times \theta^{1-\eta}$ 

5. 
$$L^{s}(\theta) = \frac{s}{s+f(\theta)} \times H \text{ where } f(\theta) = \omega \times \theta^{1-\eta}$$

## **Question I**

The labor supply  $L^s(\theta)$  from Question H has the following properties:

- 1. It is increasing and concave in  $\theta$  with  $L^s(0) = 0$  and  $L^s(\infty) = H$ .
- 2. It is increasing and convex in  $\theta$  with  $L^s(0) = 0$  and  $L^s(\infty) = H$ .
- 3. It is decreasing and concave in  $\theta$  with  $L^s(0) = H$  and  $L^s(\infty) = 0$ .
- 4. It is decreasing and convex in  $\theta$  with  $L^s(0) = H$  and  $L^s(\infty) = 0$ .
- 5. It is increasing and concave in  $\theta$  with  $L^s(0) = 0$  and  $L^s(\infty) = \infty$ .
- 6. It is increasing and convex in  $\theta$  with  $L^s(0) = 0$  and  $L^s(\infty) = \infty$ .