

05 Augmented Assignments and Type Casts

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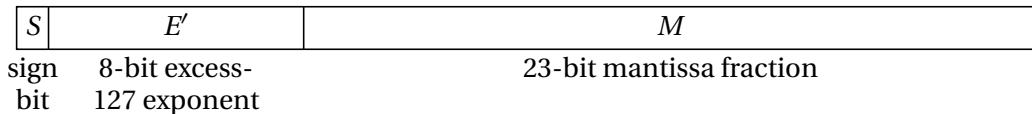
Floating-Point Numbers

- Just like writing very large or very small numbers on paper with limited space, we divide a number into two parts: *significant digits* and *scale factors*, such as

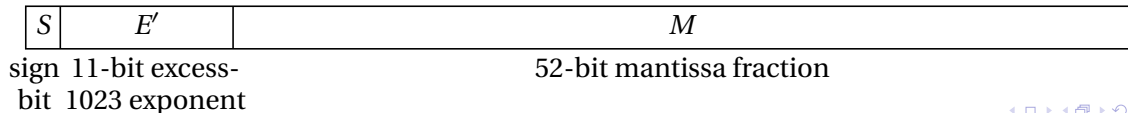
$$1.1023 \times 10^{120} \quad -7.3000 \times 10^{-302}.$$

- We use a fixed number of bits to represent real numbers of very large range with a fixed precision.

IEEE 754 32-bit single precision (float) $\pm 1.M \times 2^{E'-127}$



IEEE 754 64-bit double precision (double) $\pm 1.M \times 2^{E'-1023}$



Floating-Point numbers Are Not Accurate

- Calculations involving floating-point numbers are approximated because these numbers are not stored with complete accuracy.

- For example,

```
System.out.println(1.0 - 0.1 - 0.1 - 0.1 - 0.1 - 0.1);
```

displays 0.5000000000000001, not 0.5, and

```
System.out.println(1.0 - 0.9);
```

displays 0.09999999999999998, not 0.1.

- Integers are stored precisely. Therefore, calculations with integers yield precise integer results.

Exponent Operation

There is no exponent operator in Java language. However, we can call the *Math.pow*(*x*, *y*) method provided by the built-in *Math* class to compute x^y on two floating-point numbers.

```
System.out.println(Math.pow(2, 3));      // displays 8.0
System.out.println(Math.pow(4, 0.5));    // displays 2.0
System.out.println(Math.pow(2.5, 2));    // displays 6.25
System.out.println(Math.pow(2.5, -2));   // displays 0.16

double x = 4.0, y = 8.0;
System.out.println(Math.pow(x, y));      // displays 65536.0
```

Integer Literals

- A literal is a constant value that appears directly in the program. For example, 34, 1000000 and 5.0 are literals in the following statements:

```
int i = 34;    long x = 1000000;    double d = 5.0;
```

- An integer literal can be assigned to an integer variable as long as it can fit into the variable. A compilation error would occur if the literal were too large for the variable to hold. For example, the statement

```
byte b = 1000;
```

would cause a compilation error, because 1000 cannot be stored in a variable of the byte type.

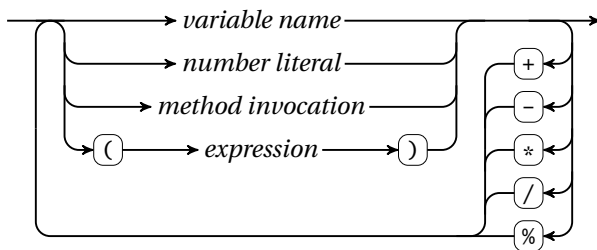
- An integer literal is assumed to be of the `int` type, whose value is between -2^{31} (-2147483648) to $2^{31} - 1$ (2147483647). To denote an integer literal of the long type, append it with the letter L or l. L is preferred because l (lowercase L) can easily be confused with 1 (the digit one).

Floating-Point Literals

- Floating-point literals are written with a decimal point.
- By default, a floating-point literal is treated as a **double** type value. For example, 5.0 is considered a **double** value, not a **float** value.
- You can make a number a **float** by appending the letter f or F, and make a number a double by appending the letter d or D. For example, you can use 100.2f or 100.2F for a **float** number, and 100.2d or 100.2D for a **double** number.
- **Scientific notation.** Floating-point literals can also be specified in scientific notation, for example, 1.23456e+2, same as 1.23456e2, is equivalent to 123.456, and 1.23456e-2 is equivalent to 0.0123456. E (or e) represents an exponent and it can be either in lowercase or uppercase.

Java Arithmetic Expressions

A Java arithmetic expression can be a variable name, a number literal, a method call (invocation), or sub-expressions connected by arithmetic operators and grouped by parentheses.



For example, $\frac{3+4x}{5} - \frac{10(y-5)\sqrt{a+b+c}}{x} + 9\left(\frac{4}{x} + \frac{9+x}{y}\right)$ is translated to Java expression:


$(3+4*x)/5 - 10*(y-5)*Math.sqrt(a+b+c)/x + 9*(4/x+(9+x)/y)$

How to Evaluate an Expression

- Though Java has its own way to evaluate an expression behind the scene, the result of a Java expression and its corresponding arithmetic expression are the same.
- Therefore, you can safely apply the arithmetic rule for evaluating a Java expression.
- Particularly, method invocations are evaluated first.

$$\begin{aligned}
 & 3 + 4 * \text{Math.pow}(2, 2) + 5 * (4 + 3) - 1 \\
 \Rightarrow & 3 + 4 * 4 + 5 * (4 + 3) - 1 \\
 \Rightarrow & 3 + 4 * 4 + 5 * 7 - 1 \\
 \Rightarrow & 3 + 16 + 5 * 7 - 1 \\
 \Rightarrow & 3 + 16 + 35 - 1 \Rightarrow 19 + 35 - 1 \Rightarrow 54 - 1 \Rightarrow 53.
 \end{aligned}$$

Problem: Converting Temperatures

 Write a program *FahrenheitToCelsius* that converts a Fahrenheit degree to Celsius using the formula:

$$celsius = \frac{5}{9}(fahrenheit - 32).$$

Note: you must write (why?)

$$celsius = (5.0 / 9) * (fahrenheit - 32)$$

Augmented Assignment Operators and Self-Increment/Decrement

- Augmented assignment operators.

Operator	Example	Equivalent to
<code>+=</code>	<code>i += 8</code>	<code>i = i + 8</code>
<code>-=</code>	<code>f -= 8.0</code>	<code>f = f - 8.0</code>

Operator	Example	Equivalent to
<code>*=</code>	<code>i *= 8</code>	<code>i = i * 8</code>
<code>/=</code>	<code>i /= 8</code>	<code>i = i / 8</code>
<code>%=</code>	<code>i %= 8</code>	<code>i = i % 8</code>

- Increment and Decrement Operators.

Operator	Name	Description
<code>++var</code>	preincrement	The expression (<code>++var</code>) increments <code>var</code> by 1 and evaluates to the new value in <code>var</code> after the increment.
<code>var++</code>	postincrement	The expression (<code>var++</code>) evaluates to the original value in <code>var</code> and increments <code>var</code> by 1.
<code>--var</code>	predecrement	The expression (<code>--var</code>) decrements <code>var</code> by 1 and evaluates to the new value in <code>var</code> after the decrement.
<code>var--</code>	postdecrement	The expression (<code>var--</code>) evaluates to the original value in <code>var</code> and decrements <code>var</code> by 1.

Increment and Decrement Operators Explained

- Given the variable declaration below:

```
int i = 10;
```

`int newNum = 10 * i++;` has the same effect as `int newNum = 10*i; i = i+1;`

`int newNum = 10 * (++i);` has the same effect as `i = i+1; int newNum = 10*i;`

- Using increment and decrement operators makes expressions short, but it also makes them complex and difficult to read.
- Avoid using these operators in expressions that modify a variable *multiple* times, or use a variable multiple times while modifying it, such as:

```
k = ++i + i;
i = ++i + i--;
```



Numeric Type Conversion

- Consider the following statements:

```
byte i = 100;  
long k = i * 3 + 4;  
double d = i * 3.1 + k / 2;
```

- Conversion Rules.** When performing a binary operation involving two operands of different types, Java automatically converts the operand based on the following rules:
 - 1 If one of the operands is **double**, the other is converted into **double**.
 - 2 Otherwise, if one of the operands is **float**, the other is converted into **float**.
 - 3 Otherwise, if one of the operands is **long**, the other is converted into **long**.
 - 4 Otherwise, both operands are converted into **int**.

Type Casting

- Implicit casting:

```
double d = 3; // type widening
```

- Explicit casting:

```
int i = (int)3.0; // type narrowing
```

```
int i = (int)3.9; // fraction part is truncated
```

🔍 What is wrong? `int x = 5 / 2.0;`

- The range of a data type increases in the following order:

byte, short, int, long, float, double.

- **Casting in an augmented assignment.** In Java, an augmented assignment of the form $x \oplus = y$ is implemented as $x = (T)(x \oplus y)$, where T is the type for x , and \oplus stands for an arithmetic operator. Therefore, the following code is correct:

```
int sum = 0;
```

```
sum += 4.5; // sum becomes 4 after this statement.
```

equivalent to:

```
sum = (int)(sum + 4.5)
```

Reading Homework

Textbook

- Section 2.10 – 2.15.
- Check Point 2.12 – 2.31.

Internet

- Floating point
(http://en.wikipedia.org/wiki/Floating_point).

Self-test

- 2.31 – 2.55 (<http://tiger.armstrong.edu/selftest/selftest9e?chapter=2>).

