

Testing-for-Coverage Review

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Problem Statement

Jane has implemented a binary search tree (BST), and she'd like your help to write testcases to test this implementation. Specifically, she wants the tests to test for correctness and achieve 100% line coverage of the implementation.

For this purpose, she has provided you with her BST implementation in `impl.py` Preview the documentView in a new window.

Since Jane is not sure if her implementation is correct, she plans to modify it. So, she wants your tests to catch bugs that she may accidentally introduce into the implementation while tweaking it.

However, she is fine if the tests do not achieve 100% line coverage of the implementation after she has modified it. In terms of modifications, she will not modify the name of the classes, the signature of class members whose name does not start with underscores, and the signature of `__init__` methods.

Your task is to write tests to help Jane test her BST implementation.

Properties to Test*

1. If `bst.insert(x)` is True, then `bst.search(x)` should be True
 - If `bst.insert(x)` is True, then a following `bst.search(x)` should be True if there is no intervening `bst.delete(x)`
2. If `bst.delete(x)` is True, then `bst.search(x)` should be False
 - If `bst.delete(x)` is True, then a following `bst.insert(x)` should be False if there is no intervening `bst.insert(x)`
3. If `x` is in `bst`, then `bst.insert(x)` should be False
 - If `bst.search(x)` is True, then a following `bst.insert(x)` should be False if there is no intervening `bst.delete(x)`
4. If `x` is in `bst`, then `bst.delete(x)` should be True
 - If `bst.search(x)` is True, then a following `bst.delete(x)` should be True if there is no intervening `bst.delete(x)`

Properties to Test*

5. If `x` is not in `bst`, then `bst.delete(x)` should be `False`
 - If `bst.search(x)` is `False`, then following `bst.delete(x)` should be `False` if there is no intervening `bst.insert(x)`
6. If `x` is not in `bst`, then `bst.insert(x)` should be `True`
 - If `bst.search(x)` is `False`, then `bst.insert(x)` should be `True` if there is no intervening `bst.insert(x)`
7. If we insert `S` distinct values into a new BST `bst` and delete the same `S` distinct values, then `bst.root` should be `None`
8. Upon creation, `bst.root` should be `None`

Properties to Test*

9. If `bst` is not empty and $x < \text{bst.root.key}$, then x should be inserted into the left child tree of `bst.root`
(implementation specific?)
10. If `bst` is not empty and $x > \text{bst.root.key}$, then x should be inserted into the right child tree of `bst.root`
(implementation specific?)
11. If x is inserted to an empty BST, then `bst.root.key` should be x and both `bst.root.right` and `bst.root.left` should be `None`
12. If `bst` is not empty, then `bst.root` should return root
 - We can test this if restated as *if `bst` is not empty, then `bst.root` should not be `None`.*

Properties to Test*

- 13. If we delete the key at node n with a left child but no right child, then $n'.key$ should be equal to $n.left.key$ (where n' is n after deletion)
(implementation specific?)
- 14. If we delete the key at node n with a right child but no left child, then $n'.key$ should be equal to $n.right.key$ (where n' is n after deletion)
(implementation specific?)
- 15. If starting from a new BST bst , inserting S values, inserting k (not in S), deleting S values, then $bst.search(k)$ should be True

Properties to Test*

16. For each node n in the tree, $n.\text{left}.\text{key} < n.\text{key} < n.\text{right}.\text{key}$ (subsumed by 17.5)

17. A BST is a BST

1. Each node should have at most two children
2. Each non-root node should have only one parent
3. Root node should have no parent
4. There should be no cycles in the tree
5. For each node n in the tree, all keys of left descendants of n should be less than $n.\text{key}$ and $n.\text{key}$ should be less than all keys of right descendants of n