

$\text{assign} : (sd : \text{SD}) \rightarrow (sd' : \text{SD}) \rightarrow (\text{S} \Rightarrow_s \text{Compl}) \text{ } sd$

$\rightarrow sd \leq_s sd' \rightarrow \text{R } sd' \rightarrow \text{I } sd'$

$\text{assign } \langle f, d \rangle \langle f', d' \rangle \beta \text{ } sd \leq_s sd' \text{ } r \text{ with } (\leq\text{-compare } \{\text{suc } d\} \{d'\})$

$\dots \mid \text{leq } \delta_1 \leq \delta_2$

$= \text{assign-dec}$

$((d' - (\text{suc } d)) \delta_1 \leq \delta_2) (-\rightarrow \leq \delta_1 \leq \delta_2)$

$(\text{l-var } \langle f, d \rangle$

$(sd \leq_s sd' \rightarrow sd \leq_s sd' -_s [d' - [\text{suc } d]]) \text{ } sd \leq_s sd' \delta_1 \leq \delta_2))$

$r$

$(\beta ((sd \leq_s sd' \rightarrow sd \leq_s sd' -_s [d' - [\text{suc } d]]) \text{ } sd \leq_s sd' \delta_1 \leq \delta_2))$

$(\text{s-l } (\text{l-var } \langle f, d \rangle$

$((sd \leq_s sd' \rightarrow sd \leq_s sd' -_s [d' - [\text{suc } d]]) \text{ } sd \leq_s sd' \delta_1 \leq \delta_2))))$

$\dots \mid \text{geq } \delta_2 \leq \delta_1 = \text{assign-inc } (((\text{suc } d) - d') \delta_2 \leq \delta_1)$

$(\text{l-var } \langle f, d \rangle (\leq_s\text{-trans } sd \leq_s sd' +_s \rightarrow \leq_s)) \text{ } r$

$(\beta ((\leq_s\text{-trans } sd \leq_s sd' +_s \rightarrow \leq_s))$

$(\text{s-l } (\text{l-var } \langle f, d \rangle ((\leq_s\text{-trans } sd \leq_s sd' +_s \rightarrow \leq_s))))$