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Model-Based Reinforcement Learning

CS 285

Instructor: Sergey Levine
UC Berkeley



Today's Lecture

1. Basics of model-based RL: learn a model, use model for control
 - Why does naïve approach not work?
 - The effect of distributional shift in model-based RL
 2. Uncertainty in model-based RL
 3. Model-based RL with complex observations
 4. Next time: **policy learning** with model-based RL
- Goals:
 - Understand how to build model-based RL algorithms
 - Understand the important considerations for model-based RL
 - Understand the tradeoffs between different model class choices

Why learn the model?

If we knew $f(\mathbf{s}_t, \mathbf{a}_t) = \mathbf{s}_{t+1}$, we could use the tools from last week.

(or $p(\mathbf{s}_{t+1}|\mathbf{s}_t, \mathbf{a}_t)$ in the stochastic case)

So let's learn $f(\mathbf{s}_t, \mathbf{a}_t)$ from data, and *then* plan through it!

model-based reinforcement learning version 0.5:

1. run base policy $\pi_0(\mathbf{a}_t|\mathbf{s}_t)$ (e.g., random policy) to collect $\mathcal{D} = \{(\mathbf{s}, \mathbf{a}, \mathbf{s}')_i\}$
2. learn dynamics model $f(\mathbf{s}, \mathbf{a})$ to minimize $\sum_i \|f(\mathbf{s}_i, \mathbf{a}_i) - \mathbf{s}'_i\|^2$
3. plan through $f(\mathbf{s}, \mathbf{a})$ to choose actions

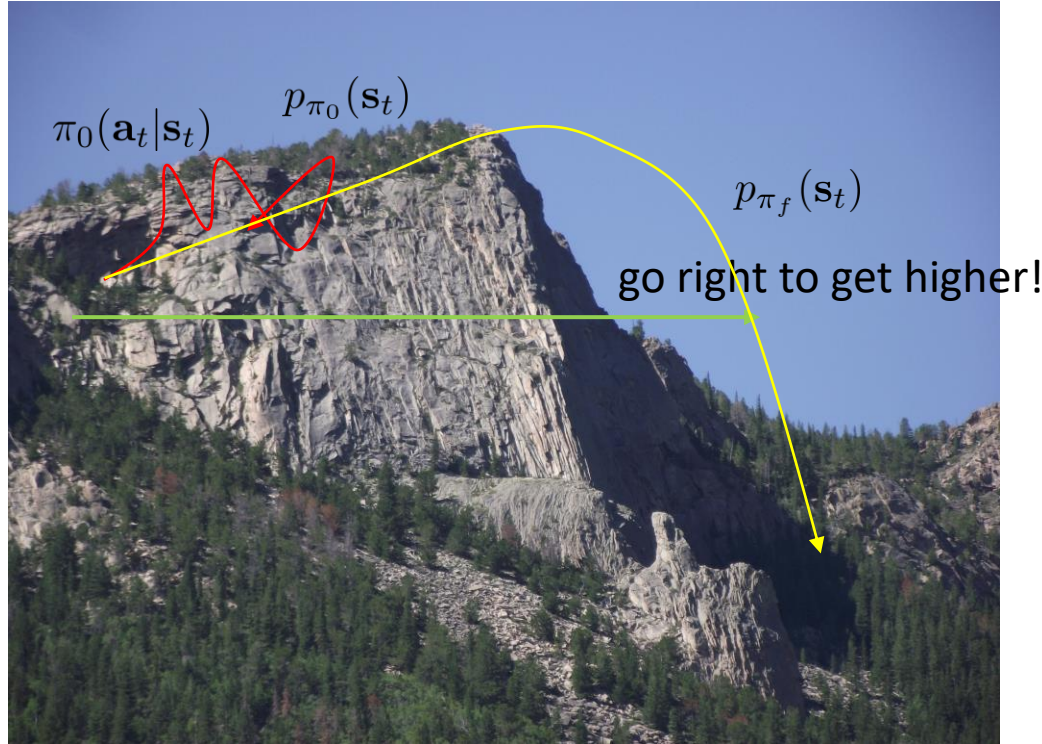
Does it work?

Yes!

- Essentially how system identification works in classical robotics
- Some care should be taken to design a good base policy
- Particularly effective if we can hand-engineer a dynamics representation using our knowledge of physics, and fit just a few parameters

Does it work?

No!



1. run base policy $\pi_0(\mathbf{a}_t|\mathbf{s}_t)$ (e.g., random policy) to collect $\mathcal{D} = \{(\mathbf{s}, \mathbf{a}, \mathbf{s}')_i\}$
2. learn dynamics model $f(\mathbf{s}, \mathbf{a})$ to minimize $\sum_i \|f(\mathbf{s}_i, \mathbf{a}_i) - \mathbf{s}'_i\|^2$
3. plan through $f(\mathbf{s}, \mathbf{a})$ to choose actions

$$p_{\pi_f}(\mathbf{s}_t) \neq p_{\pi_0}(\mathbf{s}_t)$$

- Distribution mismatch problem becomes exacerbated as we use more expressive model classes

Can we do better?

can we make $p_{\pi_0}(\mathbf{s}_t) = p_{\pi_f}(\mathbf{s}_t)$?

where have we seen that before? need to collect data from $p_{\pi_f}(\mathbf{s}_t)$

model-based reinforcement learning version 1.0:

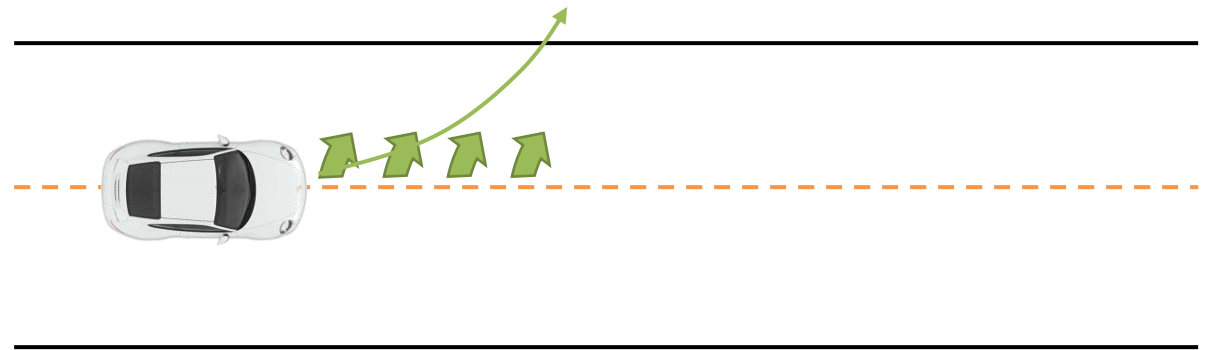
1. run base policy $\pi_0(\mathbf{a}_t|\mathbf{s}_t)$ (e.g., random policy) to collect $\mathcal{D} = \{(\mathbf{s}, \mathbf{a}, \mathbf{s}')_i\}$

2. learn dynamics model $f(\mathbf{s}, \mathbf{a})$ to minimize $\sum_i \|f(\mathbf{s}_i, \mathbf{a}_i) - \mathbf{s}'_i\|^2$

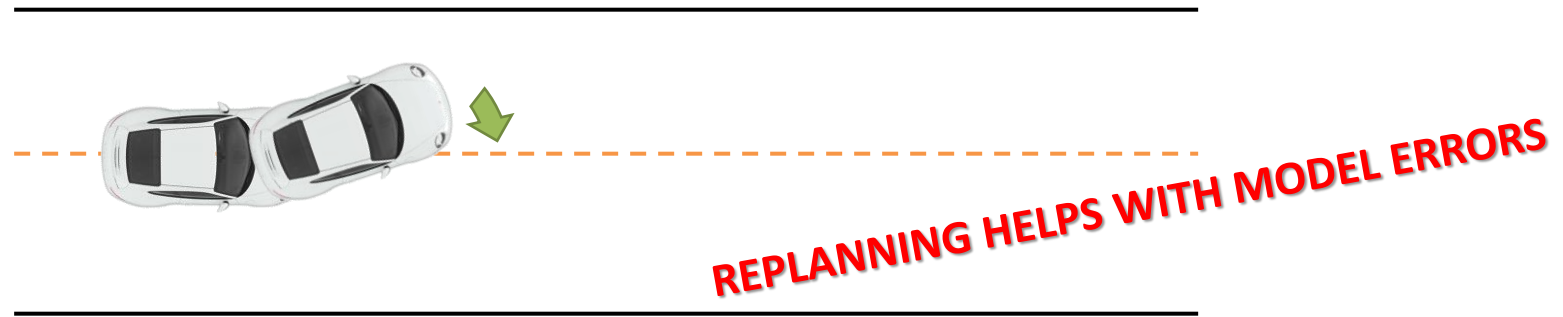
3. plan through $f(\mathbf{s}, \mathbf{a})$ to choose actions

4. execute those actions and add the resulting data $\{(\mathbf{s}, \mathbf{a}, \mathbf{s}')_j\}$ to \mathcal{D}

What if we make a mistake?



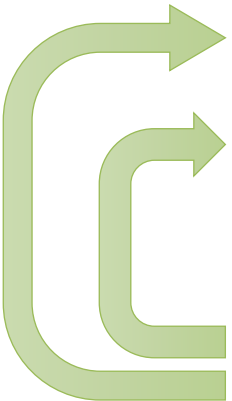
Can we do better?



model-based reinforcement learning version 1.5:

1. run base policy $\pi_0(\mathbf{a}_t|\mathbf{s}_t)$ (e.g., random policy) to collect $\mathcal{D} = \{(\mathbf{s}, \mathbf{a}, \mathbf{s}')_i\}$
2. learn dynamics model $f(\mathbf{s}, \mathbf{a})$ to minimize $\sum_i \|f(\mathbf{s}_i, \mathbf{a}_i) - \mathbf{s}'_i\|^2$
3. plan through $f(\mathbf{s}, \mathbf{a})$ to choose actions
4. execute the first planned action, observe resulting state \mathbf{s}' (MPC)
5. append $(\mathbf{s}, \mathbf{a}, \mathbf{s}')$ to dataset \mathcal{D}

every N steps



This will be on HW4!

How to replan?

model-based reinforcement learning version 1.5:

1. run base policy $\pi_0(\mathbf{a}_t|\mathbf{s}_t)$ (e.g., random policy) to collect $\mathcal{D} = \{(\mathbf{s}, \mathbf{a}, \mathbf{s}')_i\}$

2. learn dynamics model $f(\mathbf{s}, \mathbf{a})$ to minimize $\sum_i \|f(\mathbf{s}_i, \mathbf{a}_i) - \mathbf{s}'_i\|^2$

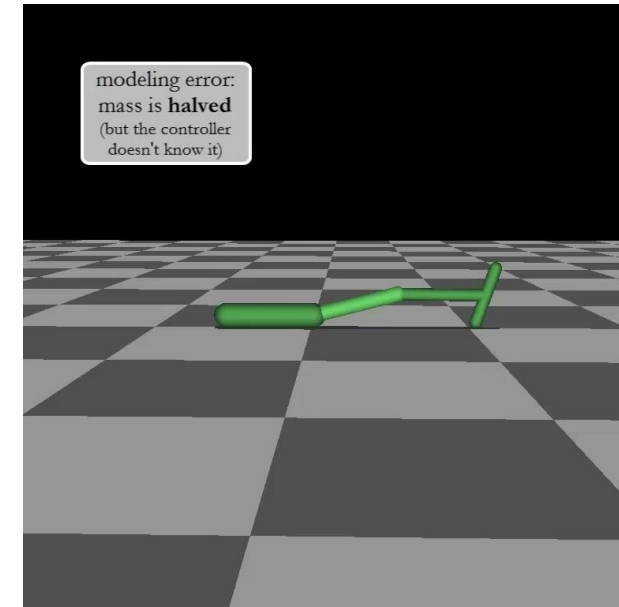
3. plan through $f(\mathbf{s}, \mathbf{a})$ to choose actions

4. execute the first planned action, observe resulting state \mathbf{s}' (MPC)

5. append $(\mathbf{s}, \mathbf{a}, \mathbf{s}')$ to dataset \mathcal{D}

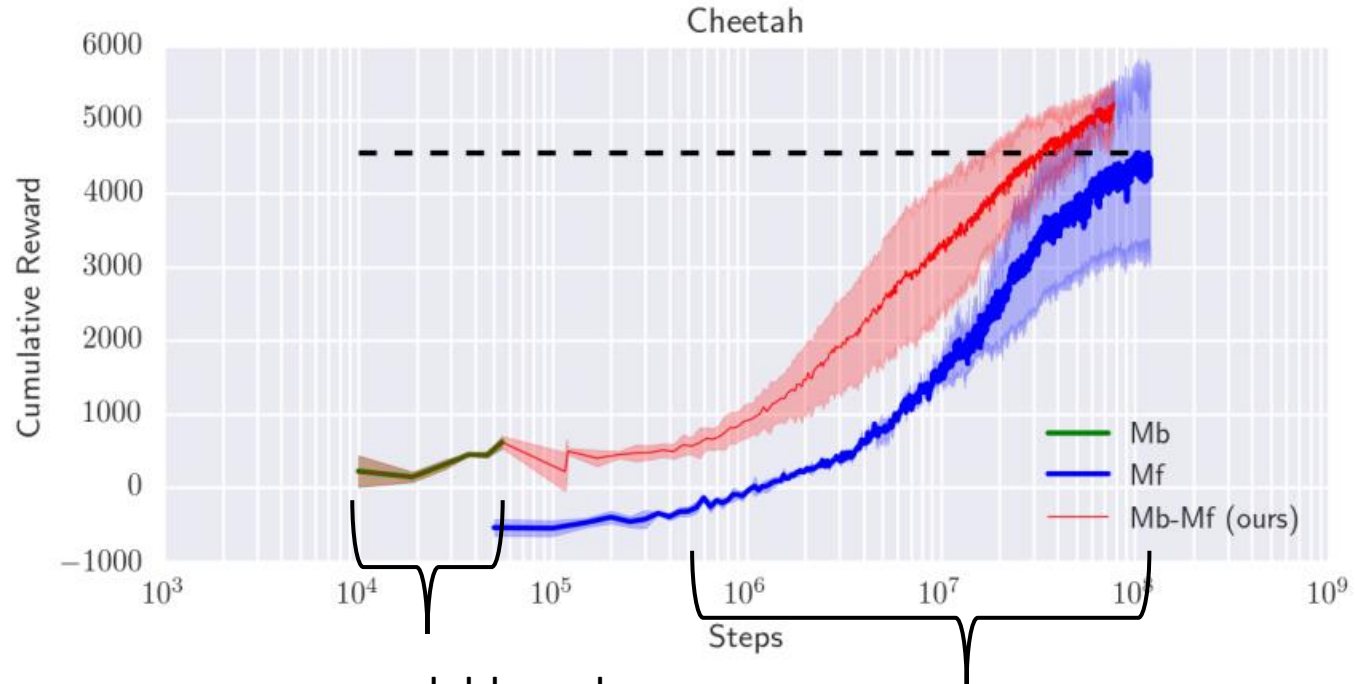


- The more you replan, the less perfect each individual plan needs to be
- Can use shorter horizons
- Even random sampling can often work well here!



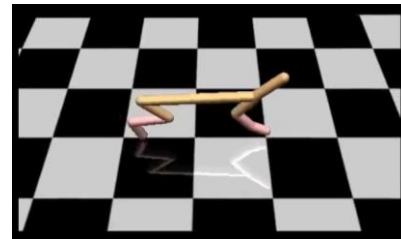
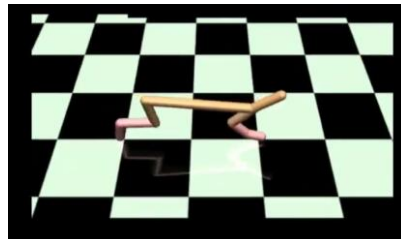
Uncertainty in Model-Based RL

A performance gap in model-based RL

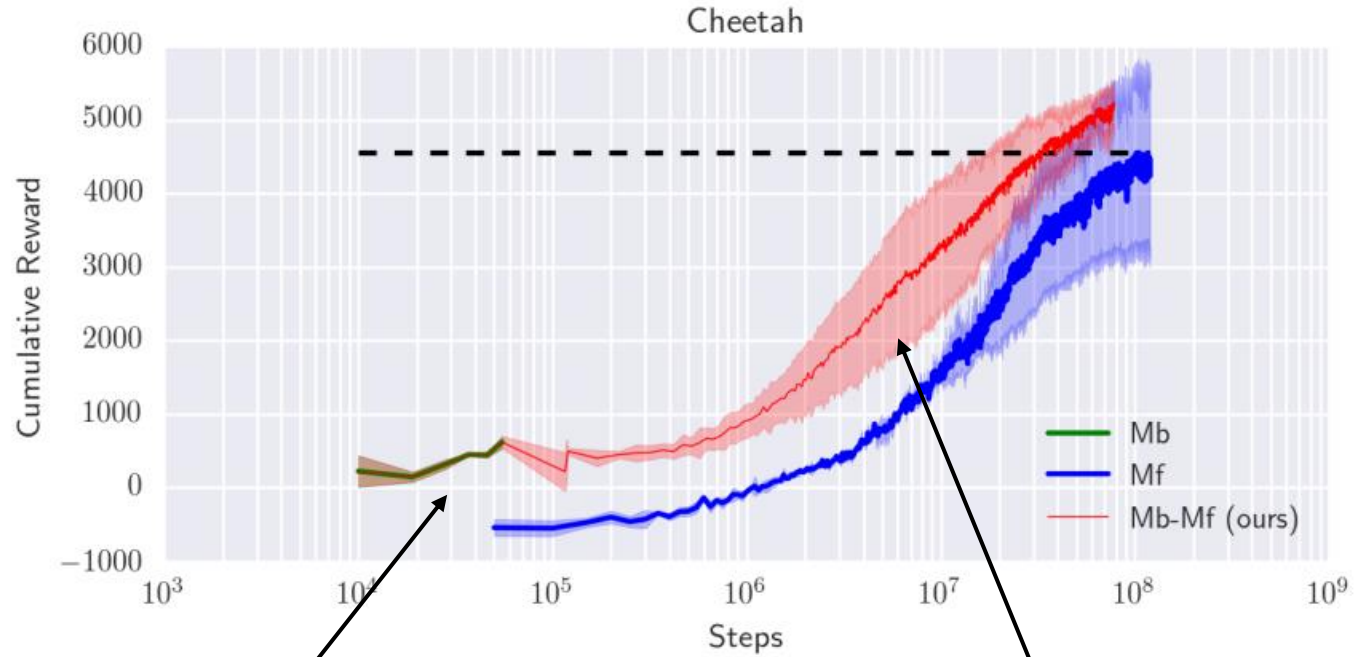


pure model-based
(about 10 minutes real time)

model-free training
(about 10 days...)



Why the performance gap?



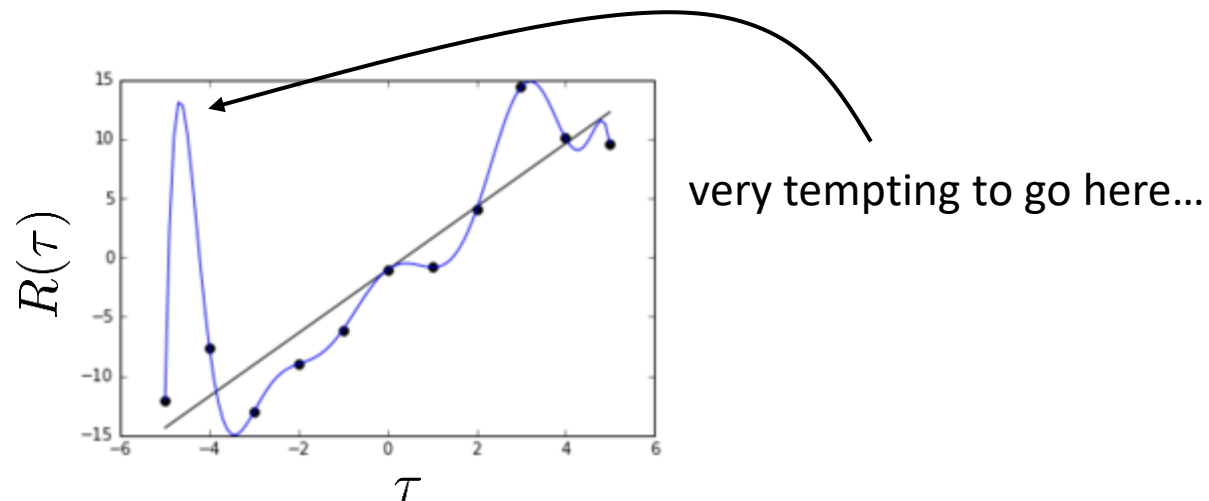
need to not overfit here...

...but still have high capacity over here

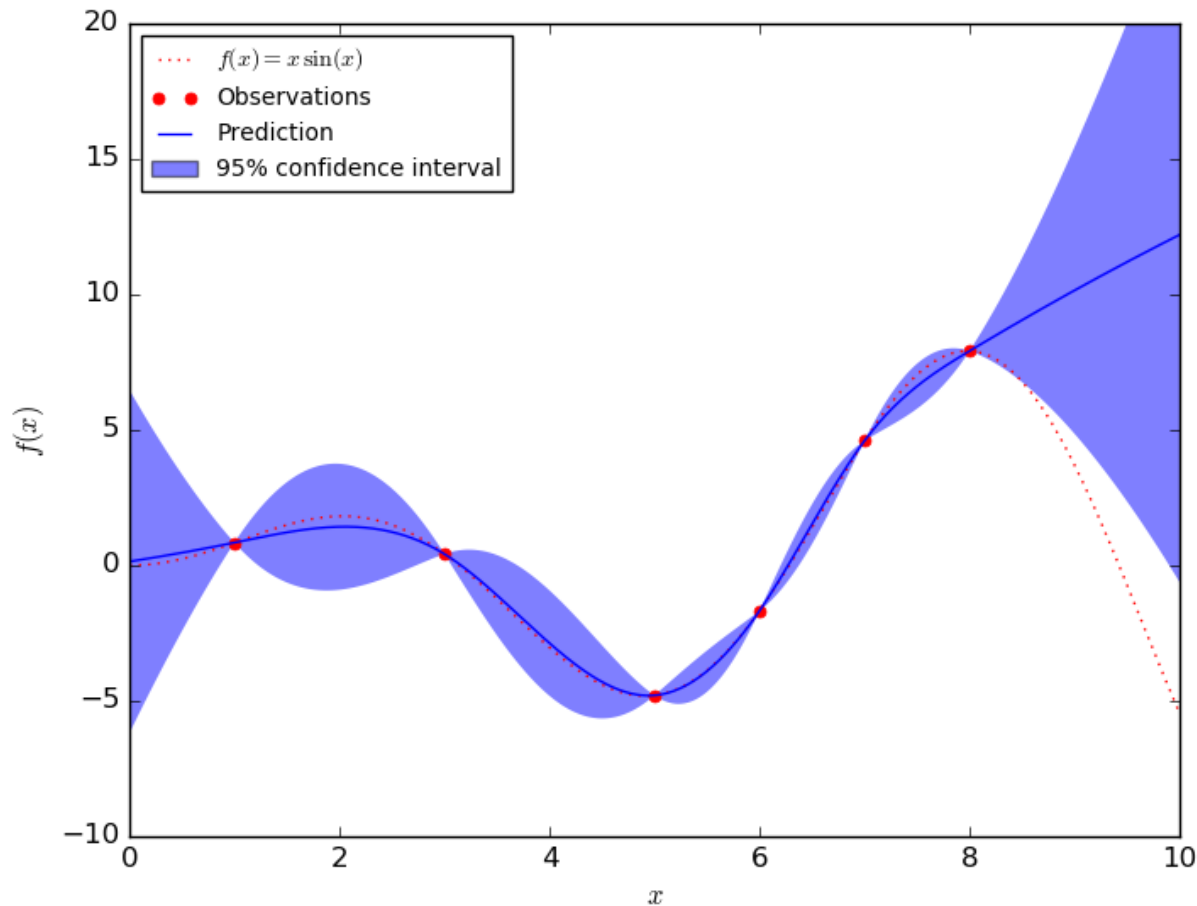
Why the performance gap?

model-based reinforcement learning version 1.5:

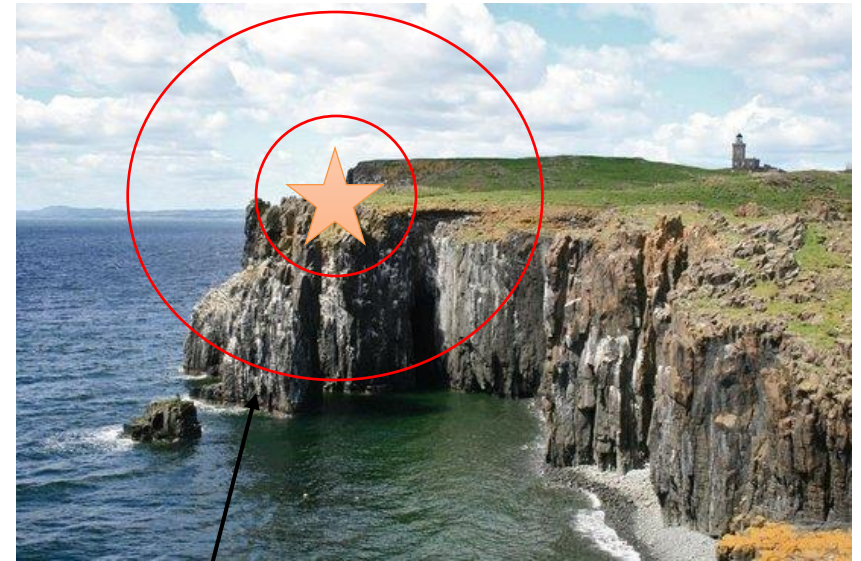
1. run base policy $\pi_0(\mathbf{a}_t|\mathbf{s}_t)$ (e.g., random policy) to collect $\mathcal{D} = \{(\mathbf{s}, \mathbf{a}, \mathbf{s}')_i\}$
2. learn dynamics model $f(\mathbf{s}, \mathbf{a})$ to minimize $\sum_i \|f(\mathbf{s}_i, \mathbf{a}_i) - \mathbf{s}'_i\|^2$
3. plan through $f(\mathbf{s}, \mathbf{a})$ to choose actions
4. execute the first planned action, observe resulting state \mathbf{s}' (MPC)
5. append $(\mathbf{s}, \mathbf{a}, \mathbf{s}')$ to dataset \mathcal{D}



How can uncertainty estimation help?



$$p_{\pi_f}(\mathbf{s}_t) \neq p_{\pi_0}(\mathbf{s}_t)$$



expected reward under high-variance prediction
is **very** low, even though mean is the same!

Intuition behind uncertainty-aware RL

model-based reinforcement learning version 1.5:

1. run base policy $\pi_0(\mathbf{a}_t|\mathbf{s}_t)$ (e.g., random policy) to collect $\mathcal{D} = \{(\mathbf{s}, \mathbf{a}, \mathbf{s}')_i\}$
2. learn dynamics model $f(\mathbf{s}, \mathbf{a})$ to minimize $\sum_i \|f(\mathbf{s}_i, \mathbf{a}_i) - \mathbf{s}'_i\|^2$
3. plan through $f(\mathbf{s}, \mathbf{a})$ to choose actions
4. execute the first planned action, observe resulting state \mathbf{s}' (MPC)
5. append $(\mathbf{s}, \mathbf{a}, \mathbf{s}')$ to dataset \mathcal{D}



only take actions for which we think we'll get high reward in expectation (w.r.t. uncertain dynamics)

This avoids “exploiting” the model

The model will then adapt and get better

There are a few caveats...



Need to explore to get better

Expected value is not the same as pessimistic value

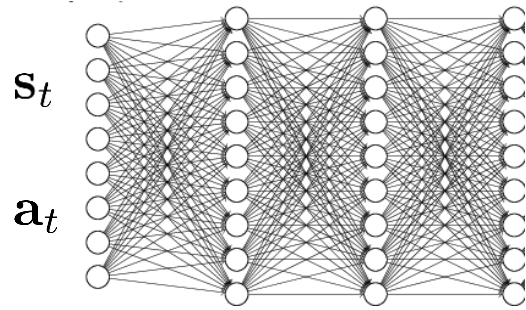
Expected value is not the same as optimistic value

...but expected value is often a good start

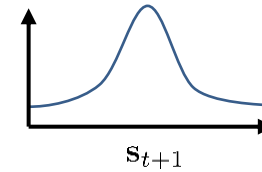
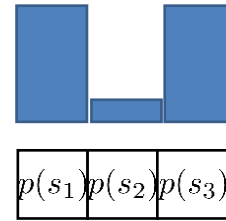
Uncertainty-Aware Neural Net Models

How can we have uncertainty-aware models?

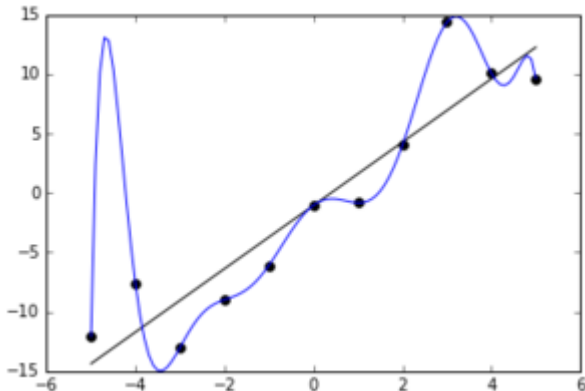
Idea 1: use output entropy



$$p(s_{t+1} | s_t, a_t)$$



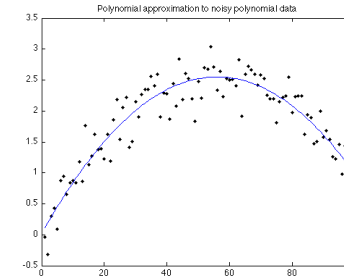
why is this not enough?



Two types of uncertainty:

aleatoric or *statistical* uncertainty →

← *epistemic* or *model* uncertainty



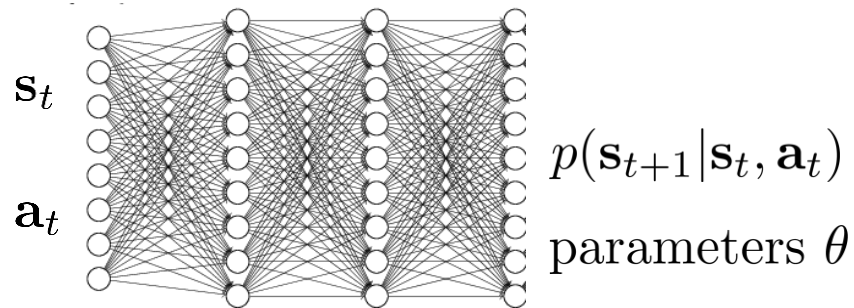
"the model is certain about the data, but we are not certain about the model"

what is the variance here?

How can we have uncertainty-aware models?

Idea 2: estimate model uncertainty

“the model is certain about the data, but we are not certain about the model”



usually, we estimate

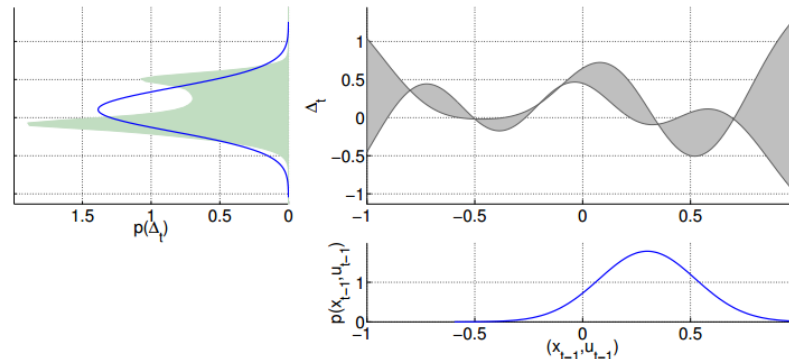
$$\arg \max_{\theta} \log p(\theta | \mathcal{D}) = \arg \max_{\theta} \log p(\mathcal{D} | \theta)$$

can we instead estimate $p(\theta | \mathcal{D})$?

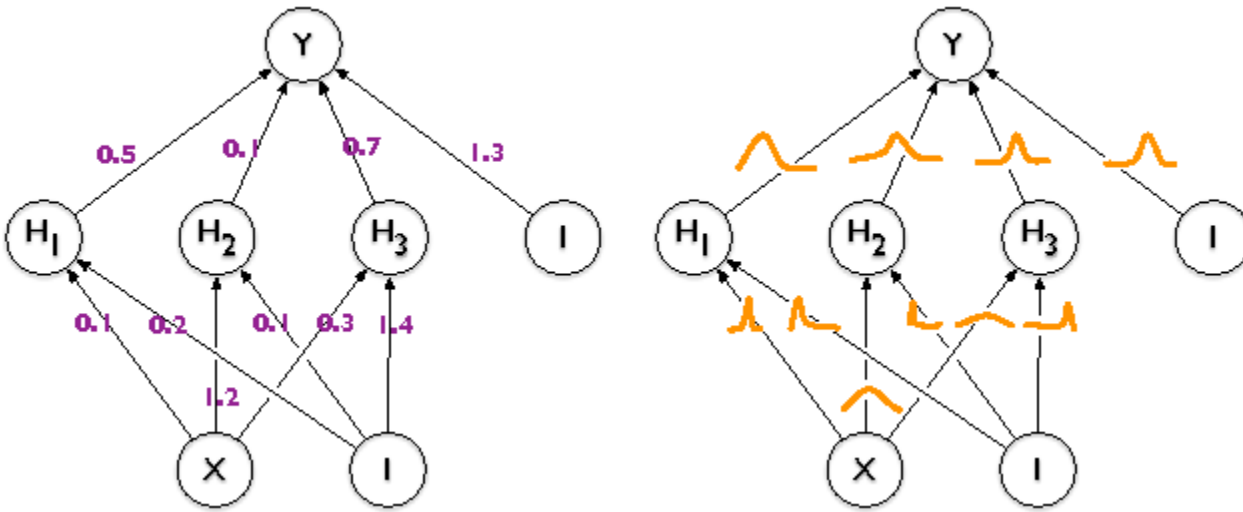
the entropy of this tells us
the model uncertainty!

predict according to:

$$\int p(\mathbf{s}_{t+1} | \mathbf{s}_t, \mathbf{a}_t, \theta) p(\theta | \mathcal{D}) d\theta$$



Quick overview of Bayesian neural networks



common approximation:

$$p(\theta|\mathcal{D}) = \prod_i p(\theta_i|\mathcal{D})$$

$$p(\theta_i|\mathcal{D}) = \mathcal{N}(\mu_i, \sigma_i)$$

expected weight

uncertainty
about the weight

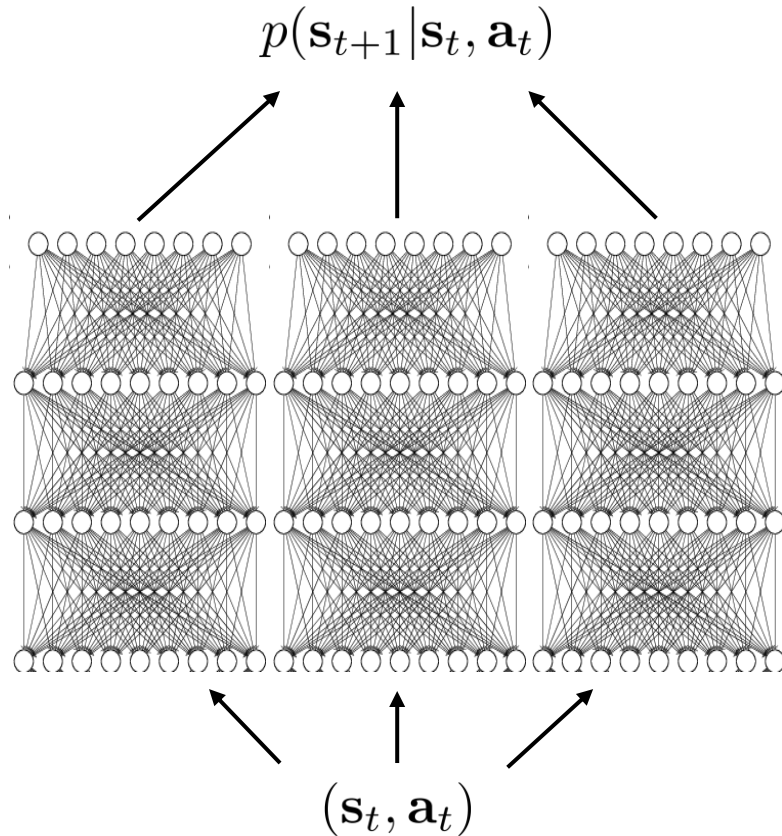
For more, see:

Blundell et al., Weight Uncertainty in Neural Networks

Gal et al., Concrete Dropout

We'll learn more about variational inference later!

Bootstrap ensembles



Train multiple models and see if they agree!

formally: $p(\theta | \mathcal{D}) \approx \frac{1}{N} \sum_i \delta(\theta_i)$

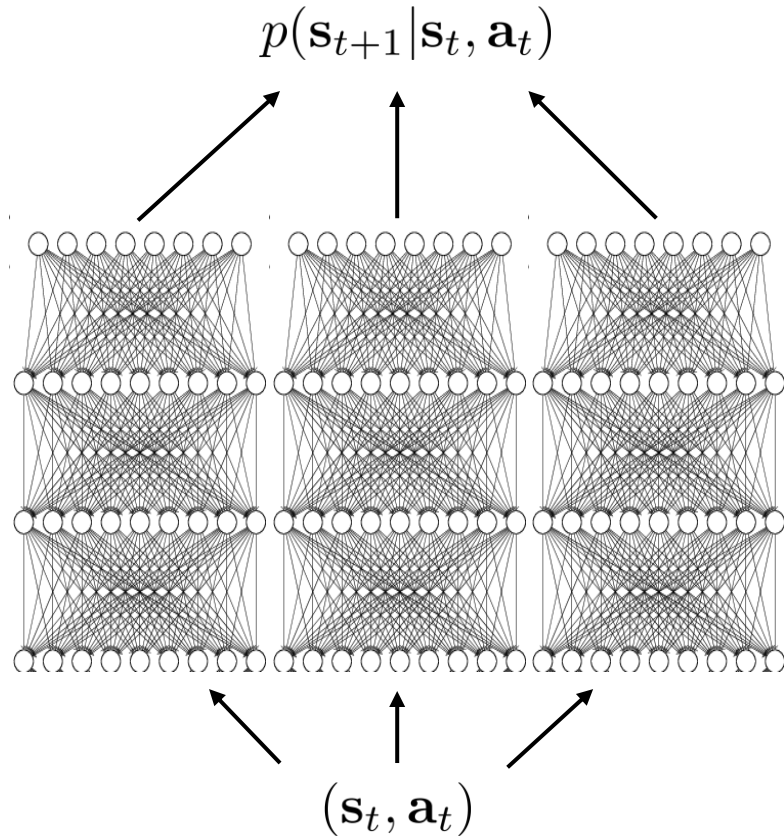
$$\int p(s_{t+1} | s_t, \mathbf{a}_t, \theta) p(\theta | \mathcal{D}) d\theta \approx \frac{1}{N} \sum_i p(s_{t+1} | s_t, \mathbf{a}_t, \theta_i)$$

How to train?

Main idea: need to generate
“independent” datasets to get
“independent” models

θ_i is trained on \mathcal{D}_i , sampled *with replacement* from \mathcal{D}

Bootstrap ensembles in deep learning



This basically works

Very crude approximation, because the number of models is usually small (< 10)

Resampling with replacement is usually unnecessary, because SGD and random initialization usually makes the models sufficiently independent

Planning with Uncertainty, Examples

How to plan with uncertainty

Before: $J(\mathbf{a}_1, \dots, \mathbf{a}_H) = \sum_{t=1}^H r(\mathbf{s}_t, \mathbf{a}_t)$, where $\mathbf{s}_{t+1} = f(\mathbf{s}_t, \mathbf{a}_t)$

Now: $J(\mathbf{a}_1, \dots, \mathbf{a}_H) = \frac{1}{N} \sum_{i=1}^N \sum_{t=1}^H r(\mathbf{s}_{t,i}, \mathbf{a}_t)$, where $\mathbf{s}_{t+1,i} = f_i(\mathbf{s}_{t,i}, \mathbf{a}_t)$

↖
distribution over
deterministic models

In general, for candidate action sequence $\mathbf{a}_1, \dots, \mathbf{a}_H$:

Step 1: sample $\theta \sim p(\theta|\mathcal{D})$

Step 2: at each time step t , sample $\mathbf{s}_{t+1} \sim p(\mathbf{s}_{t+1}|\mathbf{s}_t, \mathbf{a}_t, \theta)$

Step 3: calculate $R = \sum_t r(\mathbf{s}_t, \mathbf{a}_t)$

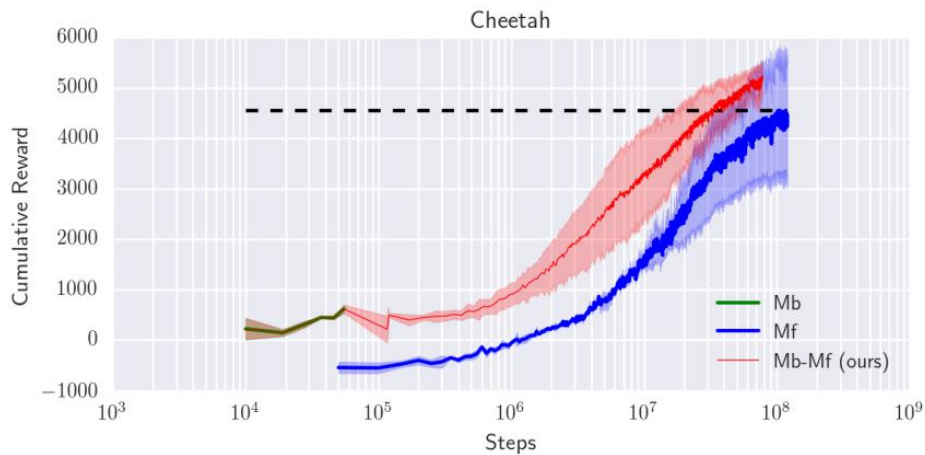
Step 4: repeat steps 1 to 3 and accumulate the average reward

Other options: moment matching, more complex posterior estimation with BNNs, etc.

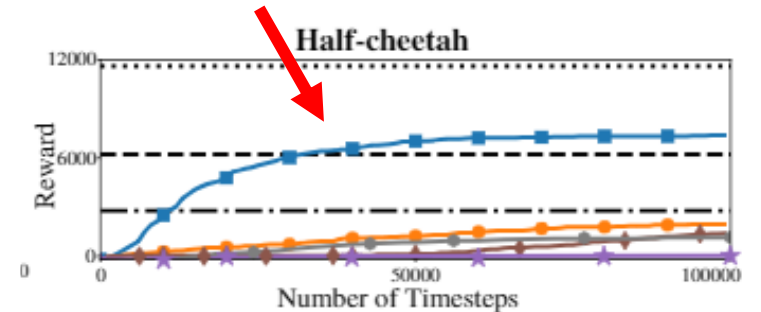
Example: model-based RL with ensembles

Deep Reinforcement Learning in a Handful of Trials using Probabilistic Dynamics Models

exceeds performance of model-free after 40k steps
(about 10 minutes of real time)



before



after

More recent example: PDDM



Further readings

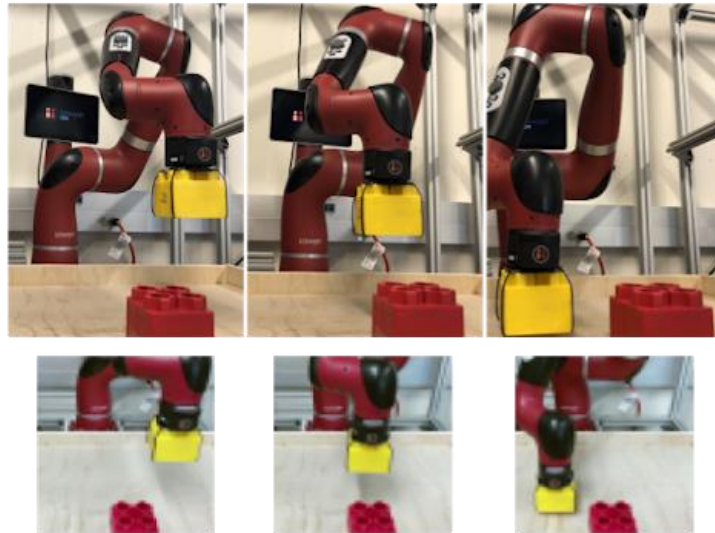
- Deisenroth et al. PILCO: A Model-Based and Data-Efficient Approach to Policy Search.

Recent papers:

- Nagabandi et al. Neural Network Dynamics for Model-Based Deep Reinforcement Learning with Model-Free Fine-Tuning.
- Chua et al. Deep Reinforcement Learning in a Handful of Trials using Probabilistic Dynamics Models.
- Feinberg et al. Model-Based Value Expansion for Efficient Model-Free Reinforcement Learning.
- Buckman et al. Sample-Efficient Reinforcement Learning with Stochastic Ensemble Value Expansion.

Model-Based RL with Images

What about complex observations?



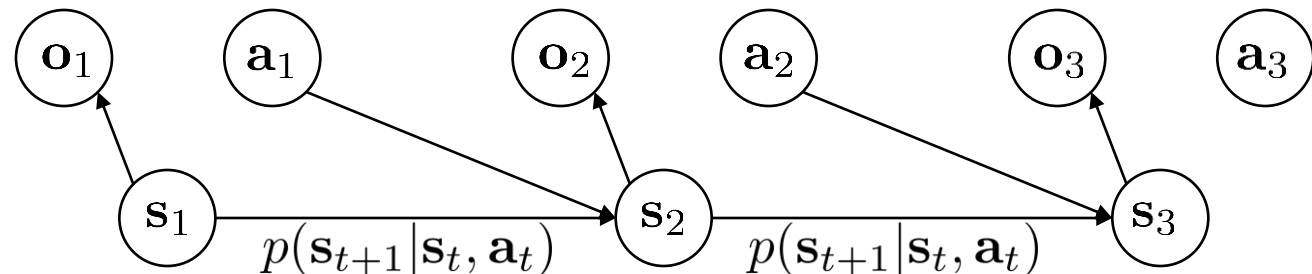
$$f(\mathbf{s}_t, \mathbf{a}_t) = \mathbf{s}_{t+1}$$

What is hard about this?

- High dimensionality
- Redundancy
- Partial observability

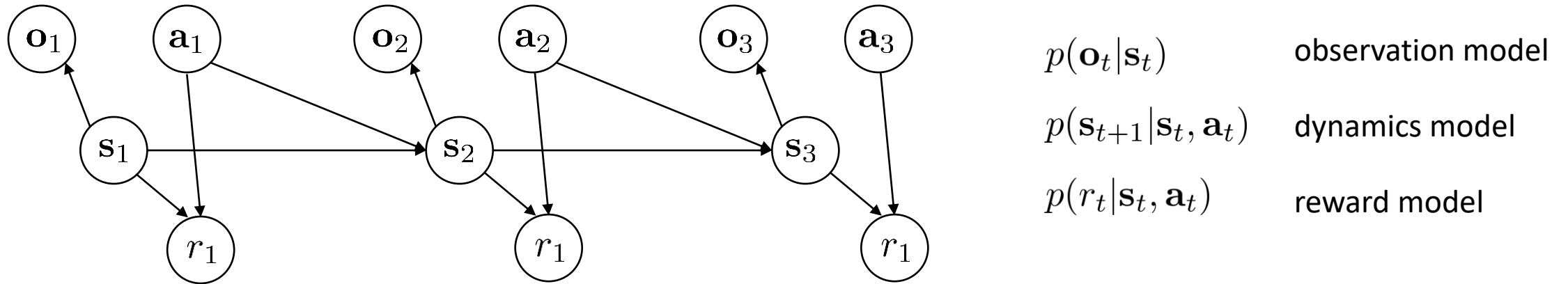
high-dimensional
but not dynamic

low-dimension
but dynamic



separately learn $p(\mathbf{o}_t|\mathbf{s}_t)$ and $p(\mathbf{s}_{t+1}|\mathbf{s}_t, \mathbf{a}_t)$?

State space (latent space) models



How to train?

standard (fully observed) model: $\max_{\phi} \frac{1}{N} \sum_{i=1}^N \sum_{t=1}^T \log p_{\phi}(s_{t+1,i} | s_{t,i}, a_{t,i})$

latent space model: $\max_{\phi} \frac{1}{N} \sum_{i=1}^N \sum_{t=1}^T E [\log p_{\phi}(s_{t+1,i} | s_{t,i}, a_{t,i}) + \log p_{\phi}(o_{t,i} | s_{t,i})]$

expectation w.r.t. $(s_t, s_{t+1}) \sim p(s_t, s_{t+1} | o_{1:T}, a_{1:T})$

Model-based RL with latent space models

$$\max_{\phi} \frac{1}{N} \sum_{i=1}^N \sum_{t=1}^T E [\log p_{\phi}(\mathbf{s}_{t+1,i} | \mathbf{s}_{t,i}, \mathbf{a}_{t,i}) + \log p_{\phi}(\mathbf{o}_{t,i} | \mathbf{s}_{t,i})]$$

↑
expectation w.r.t. $(\mathbf{s}_t, \mathbf{s}_{t+1}) \sim p(\mathbf{s}_t, \mathbf{s}_{t+1} | \mathbf{o}_{1:T}, \mathbf{a}_{1:T})$

learn *approximate* posterior $q_{\psi}(\mathbf{s}_t | \mathbf{o}_{1:t}, \mathbf{a}_{1:t})$ “encoder”

many other choices for approximate posterior:

$q_{\psi}(\mathbf{s}_t, \mathbf{s}_{t+1} | \mathbf{o}_{1:T}, \mathbf{a}_{1:T})$ full smoothing posterior + most accurate
- most complicated

$q_{\psi}(\mathbf{s}_t | \mathbf{o}_t)$ single-step encoder + simplest
- least accurate

we'll talk about this one for now

We will discuss variational inference in more detail
next week!

Model-based RL with latent space models

$$\max_{\phi} \frac{1}{N} \sum_{i=1}^N \sum_{t=1}^T E [\log p_{\phi}(\mathbf{s}_{t+1,i} | \mathbf{s}_{t,i}, \mathbf{a}_{t,i}) + \log p_{\phi}(\mathbf{o}_{t,i} | \mathbf{s}_{t,i})]$$

↖ expectation w.r.t. $\mathbf{s}_t \sim q_{\psi}(\mathbf{s}_t | \mathbf{o}_t), \mathbf{s}_{t+1} \sim q_{\psi}(\mathbf{s}_{t+1} | \mathbf{o}_{t+1})$

$$q_{\psi}(\mathbf{s}_t | \mathbf{o}_t)$$

simple special case: $q(\mathbf{s}_t | \mathbf{o}_t)$ is *deterministic*

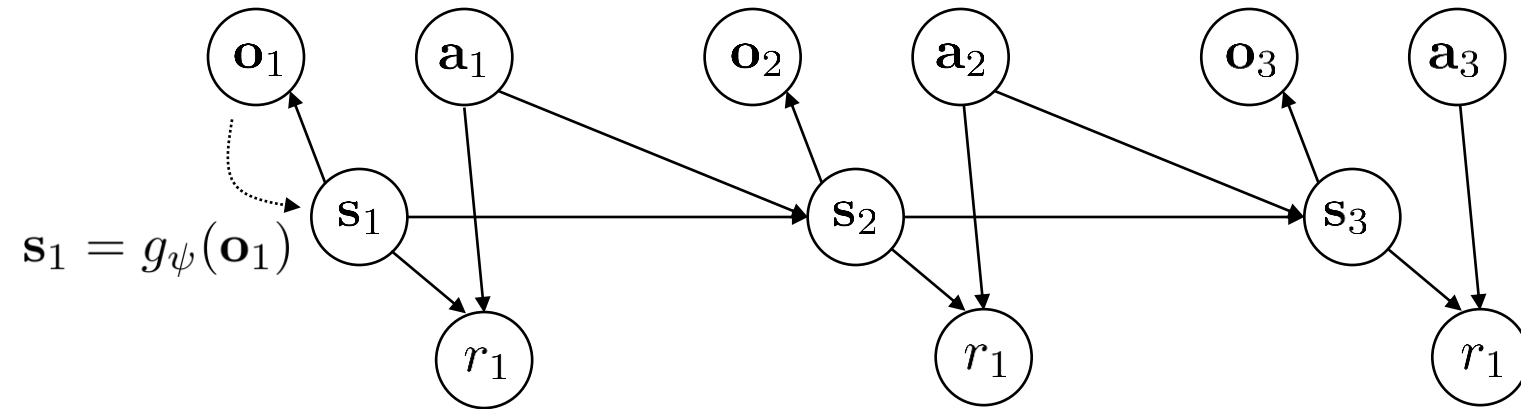
stochastic case requires variational inference (next week)

$$q_{\psi}(\mathbf{s}_t | \mathbf{o}_t) = \delta(\mathbf{s}_t = g_{\psi}(\mathbf{o}_t)) \Rightarrow \mathbf{s}_t = g_{\psi}(\mathbf{o}_t) \quad \text{deterministic encoder}$$

$$\max_{\phi, \psi} \frac{1}{N} \sum_{i=1}^N \sum_{t=1}^T \log p_{\phi}(g_{\psi}(\mathbf{o}_{t+1,i}) | g_{\psi}(\mathbf{o}_{t,i}), \mathbf{a}_{t,i}) + \log p_{\phi}(\mathbf{o}_{t,i} | g_{\psi}(\mathbf{o}_{t,i}))$$

Everything is differentiable, can train with backprop

Model-based RL with latent space models

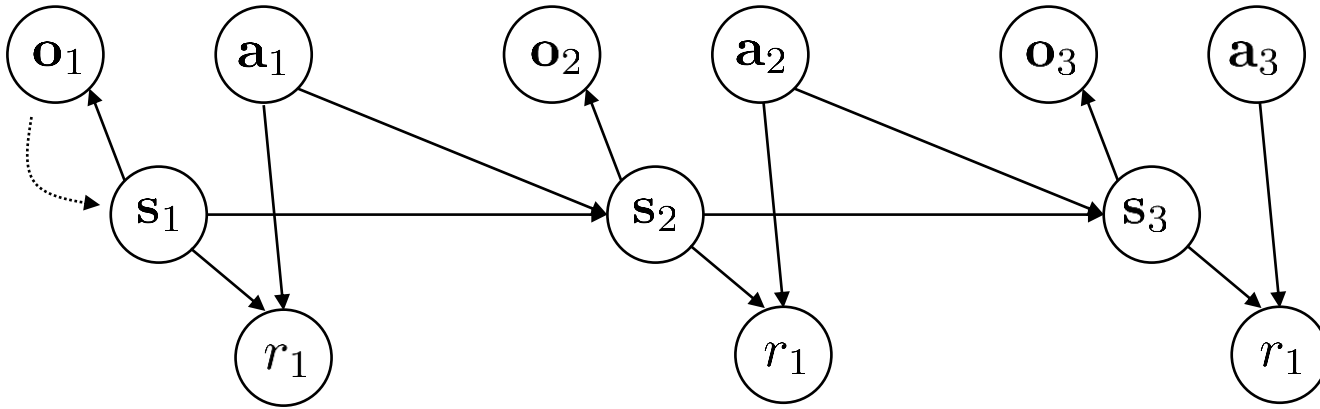


$$\max_{\phi, \psi} \frac{1}{N} \sum_{i=1}^N \sum_{t=1}^T \log p_\phi(g_\psi(o_{t+1,i}) | g_\psi(o_{t,i}), a_{t,i}) + \log p_\phi(o_{t,i} | g_\psi(o_{t,i})) + \log p_\phi(r_{t,i} | g_\psi(o_{t,i}))$$

latent space dynamics image reconstruction reward model

Many practical methods use a stochastic encoder to model uncertainty

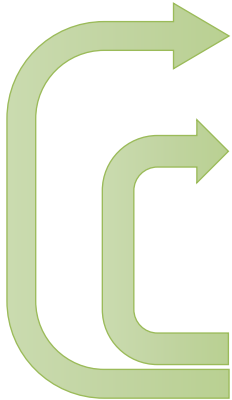
Model-based RL with latent space models



model-based reinforcement learning with latent state:

1. run base policy $\pi_0(\mathbf{a}_t|\mathbf{o}_t)$ (e.g., random policy) to collect $\mathcal{D} = \{(\mathbf{o}, \mathbf{a}, \mathbf{o}')_i\}$
2. learn $p_\phi(\mathbf{s}_{t+1}|\mathbf{s}_t, \mathbf{a}_t)$, $p_\phi(r_t|\mathbf{s}_t)$, $p(\mathbf{o}_t|\mathbf{s}_t)$, $g_\psi(\mathbf{o}_t)$
3. plan through the model to choose actions
4. execute the first planned action, observe resulting \mathbf{o}' (MPC)
5. append $(\mathbf{o}, \mathbf{a}, \mathbf{o}')$ to dataset \mathcal{D}

every N steps



Embed to Control: A Locally Linear Latent Dynamics Model for Control from Raw Images

Manuel Watter*

Jost Tobias Springenberg*

Martin Riedmiller

Joschka Boedecker

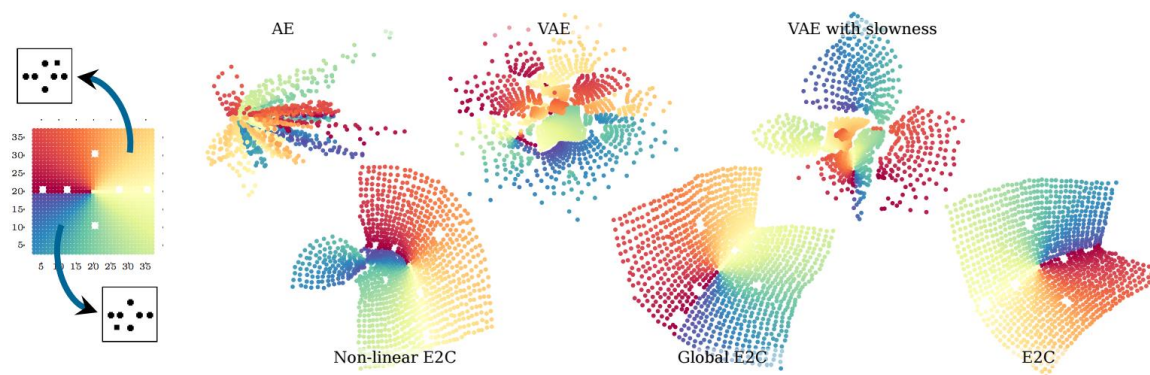
Google DeepMind

University of Freiburg, Germany

London, UK

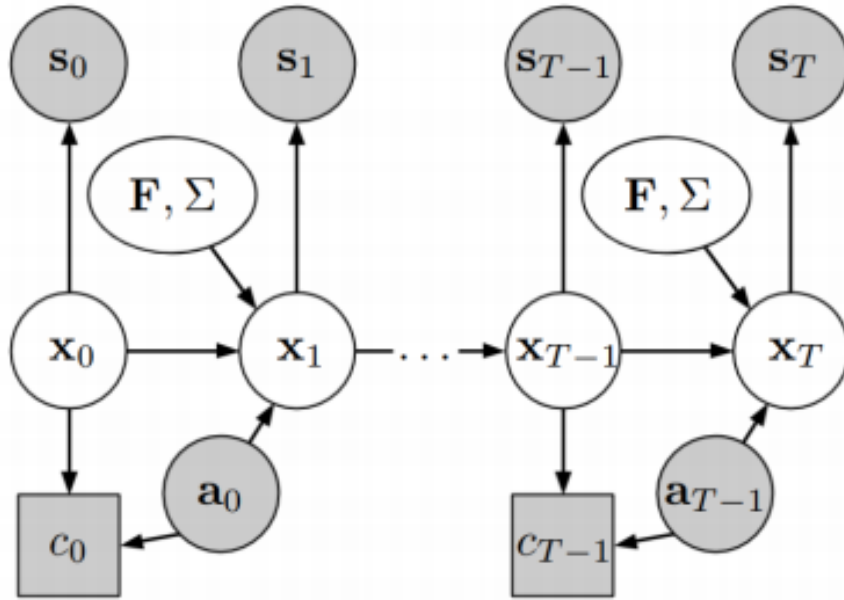
{watterm, springj, jboedeck}@cs.uni-freiburg.de

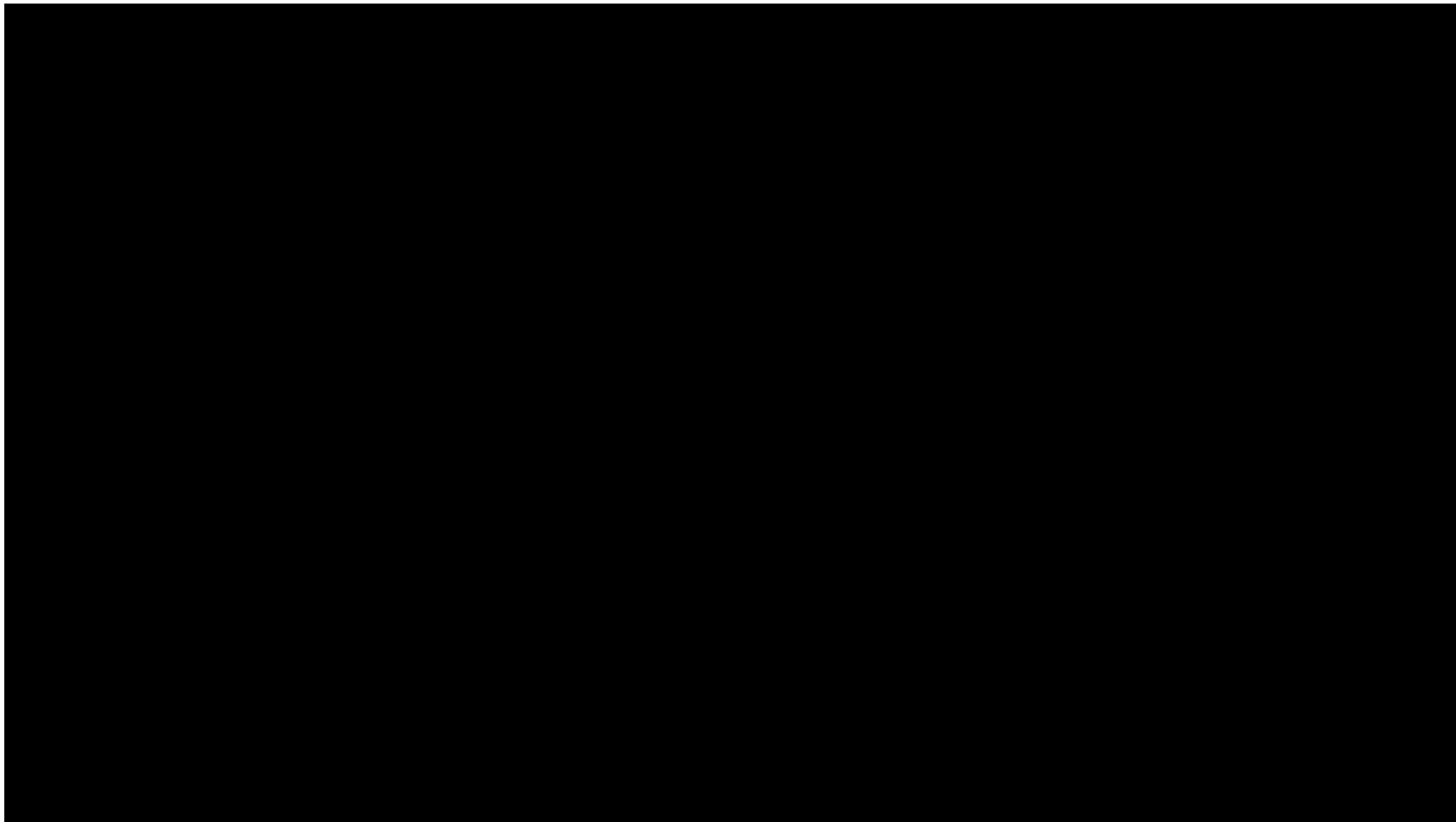
riedmiller@google.com



Swing-up with the E2C algorithm

SOLAR: Deep Structured Latent Representations for Model-Based Reinforcement Learning

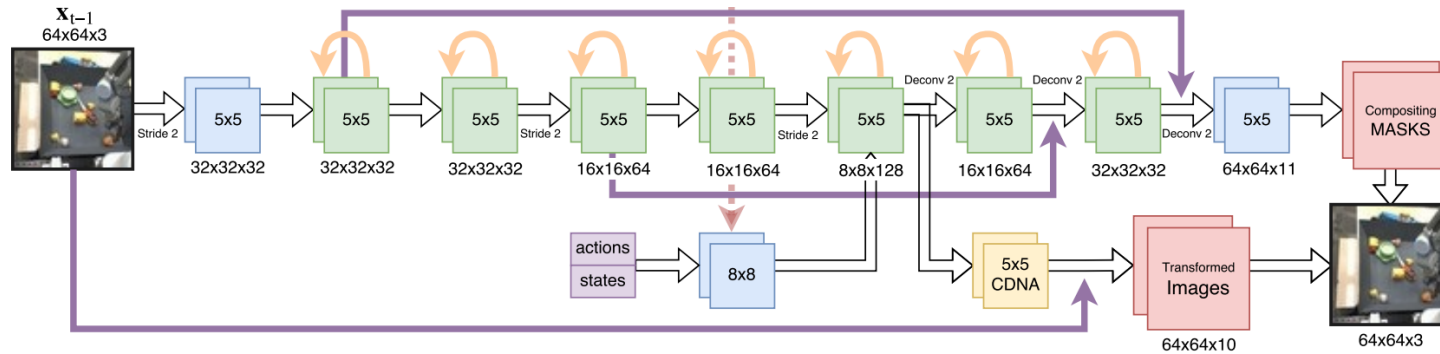




Learn directly in observation space

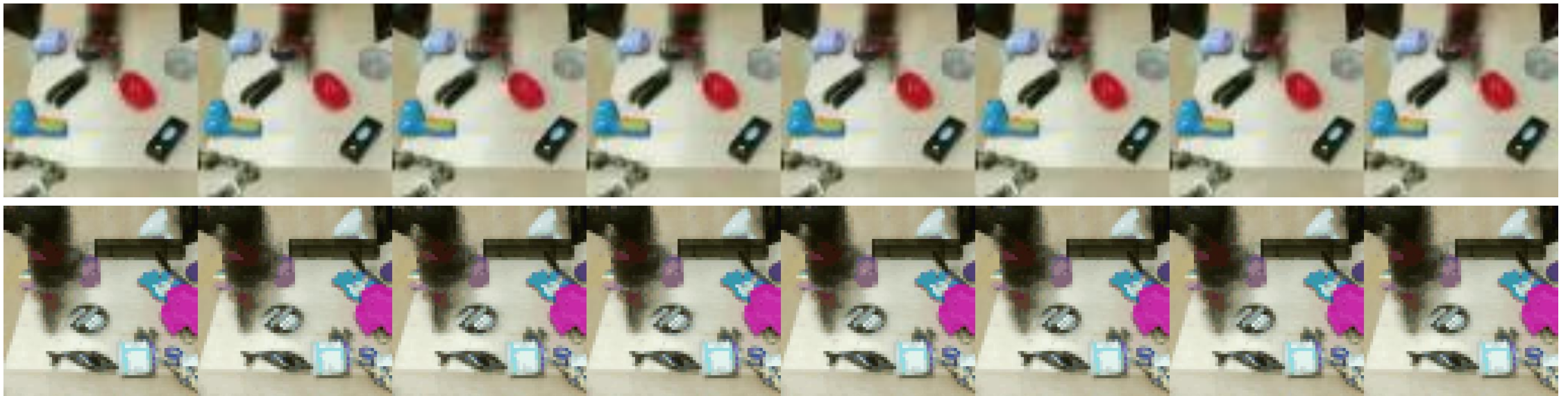
~~Key idea: learn embedding $g(\mathbf{o}_t) = \mathbf{s}_t$~~

directly learn $p(\mathbf{o}_{t+1} | \mathbf{o}_t, \mathbf{a}_t)$

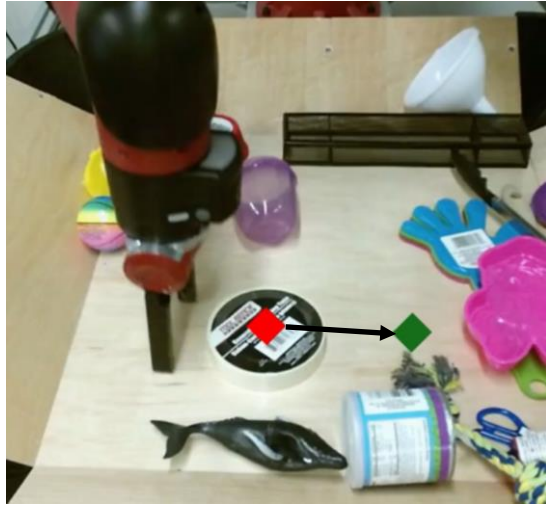


Finn, L. **Deep Visual Foresight for Planning Robot Motion**. ICRA 2017.

Ebert, Finn, Lee, L. **Self-Supervised Visual Planning with Temporal Skip Connections**. CoRL 2017.

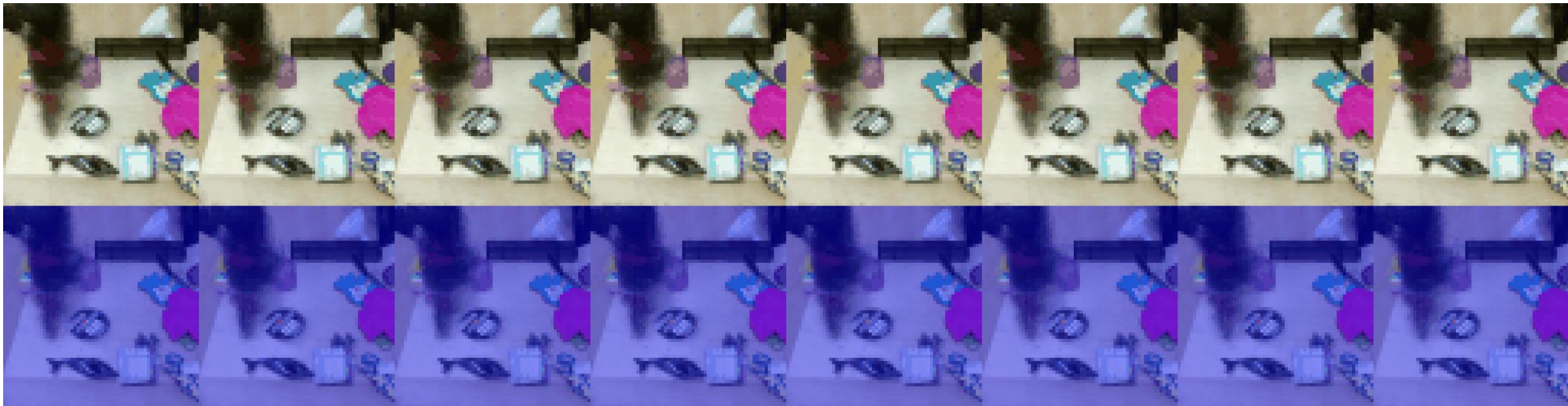


Use predictions to complete tasks

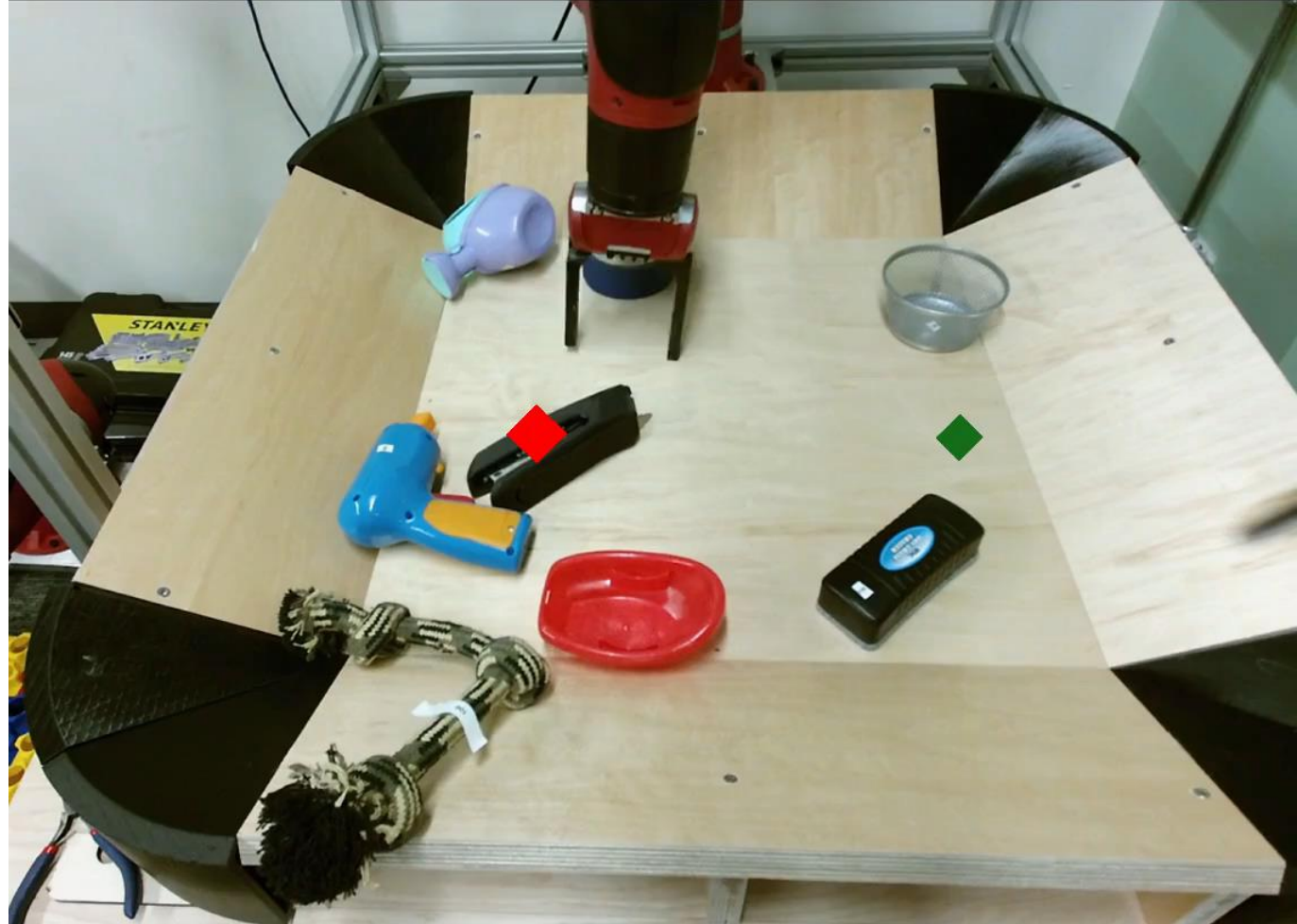


Designated Pixel ◆

Goal Pixel ◆



Task execution



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