MIT · 6.036 | Introduction to Machine Learning (2020)

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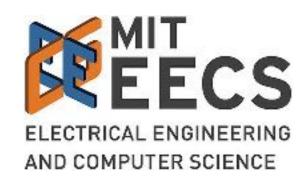
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6.036/6.862: Introduction to Machine Learning

Lecture: starts Tuesdays 9:35am (Boston time zone)

Course website: introml.odl.mit.edu

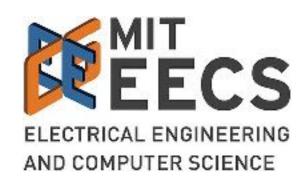
Who's talking? Prof. Tamara Broderick

Questions? Ask on Discourse: discourse.odl.mit.edu

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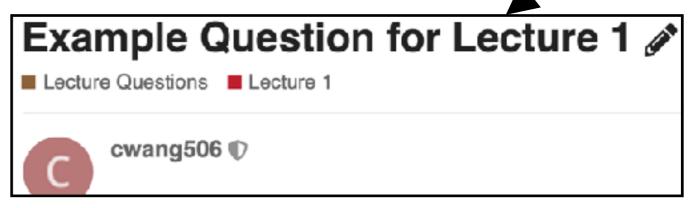
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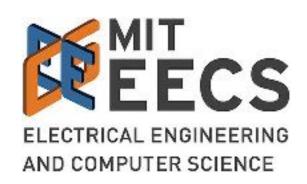
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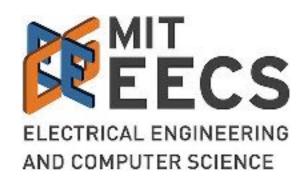
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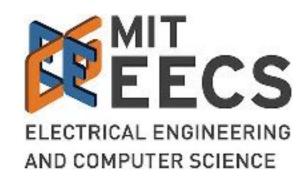


(set "Lecture 1" category)



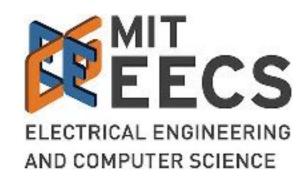


Computer Science Prerequisites



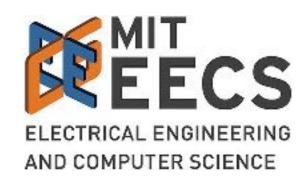
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Python programming



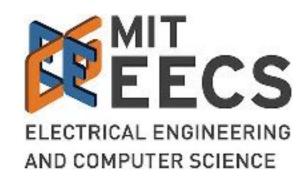
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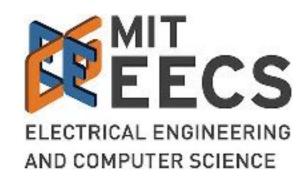


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Math Prerequisites

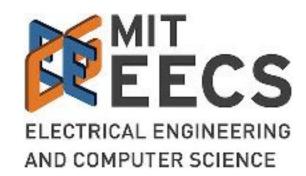
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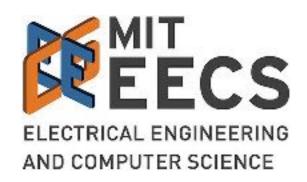
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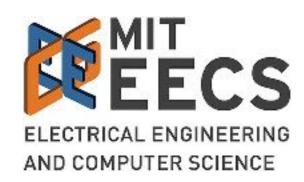
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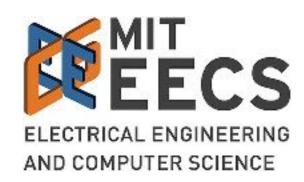


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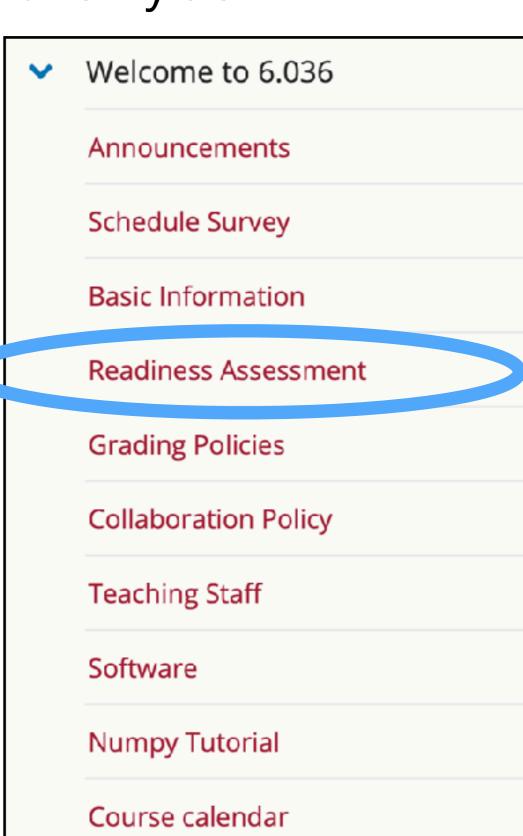
~	Welcome to 6.036
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	Schedule Survey
	Basic Information
	Readiness Assessment
	Grading Policies
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	Course calendar

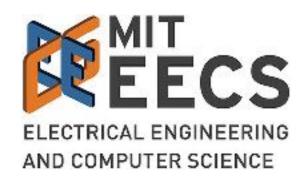


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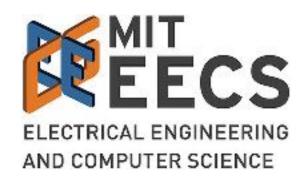
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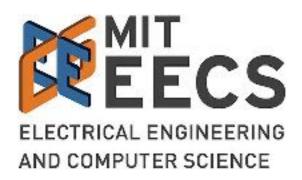




6.036/6.862: Introduction to Machine Learning



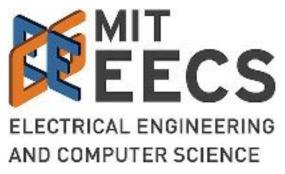
6.036/6.862: Introduction to Machine Learning, Staff



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Instructors:



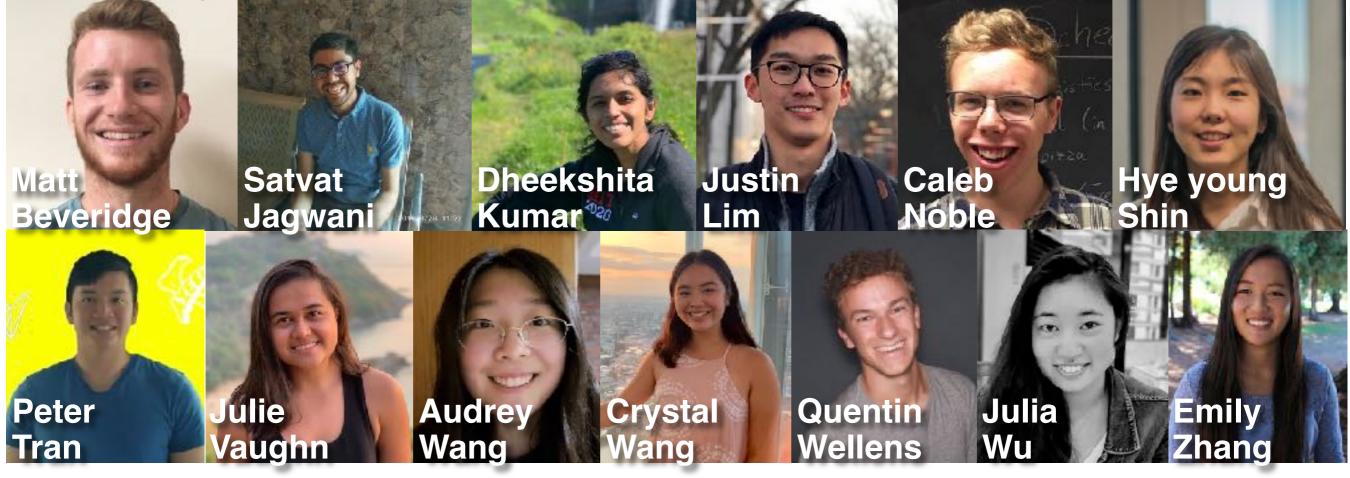


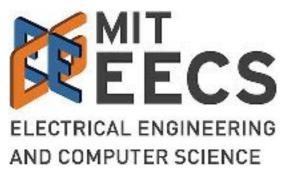
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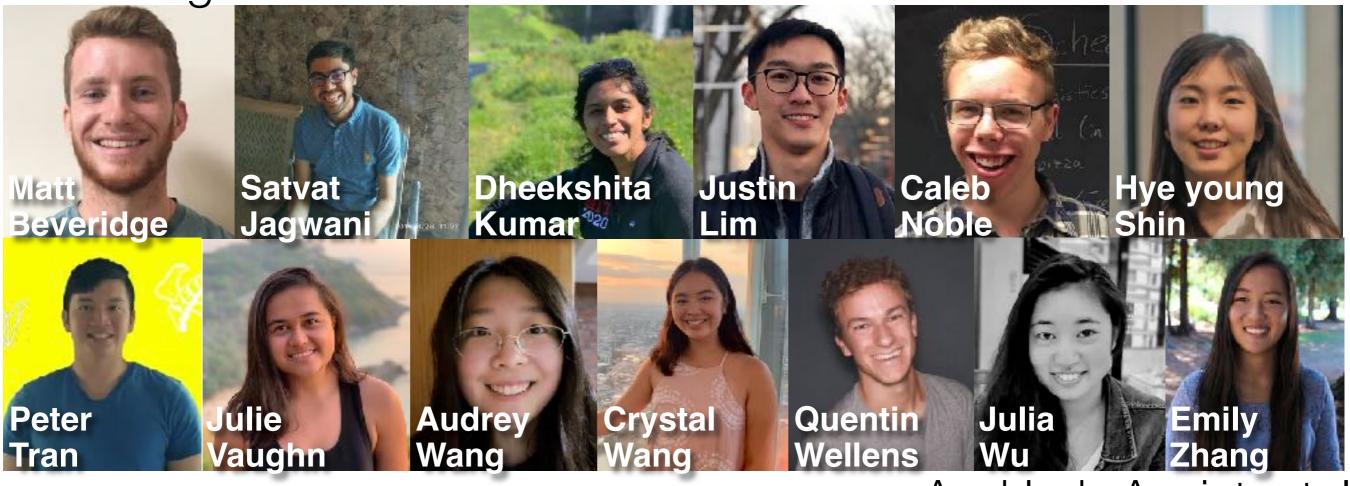


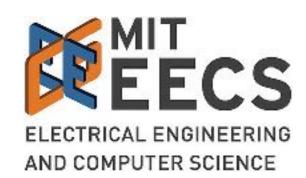
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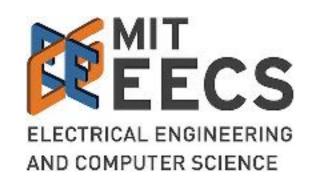


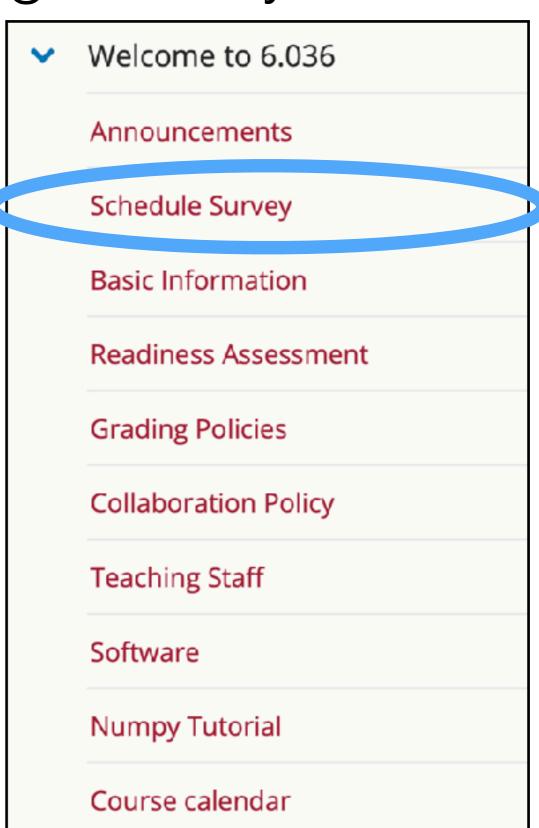
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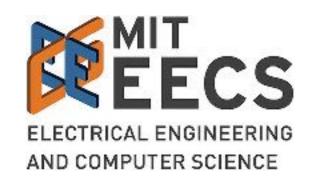


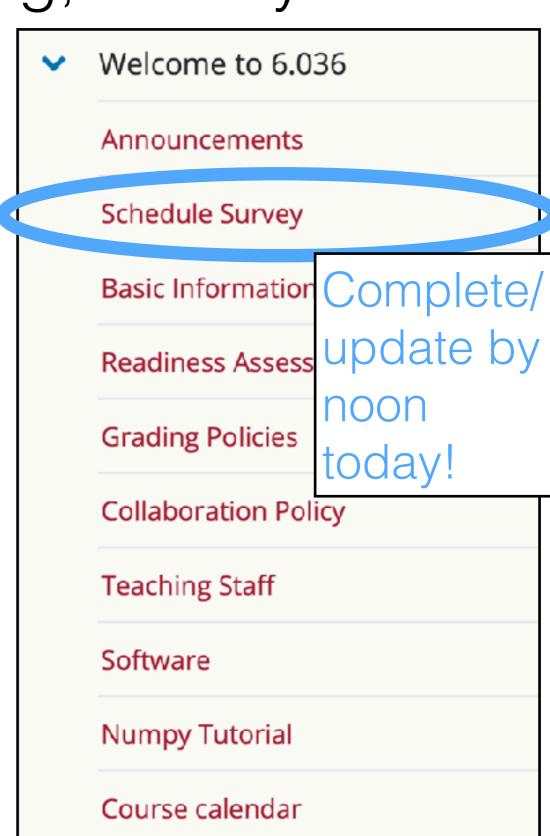


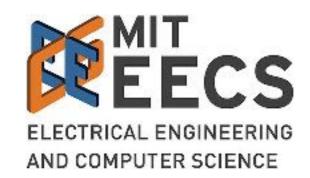
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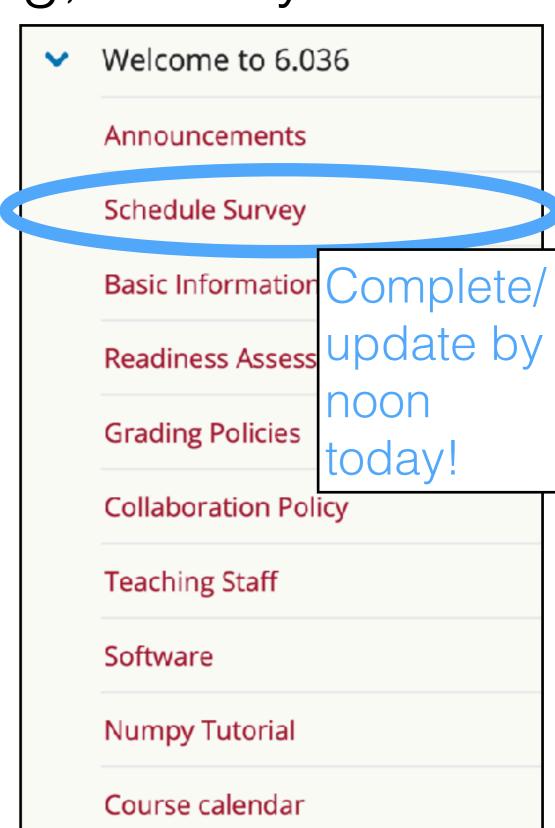


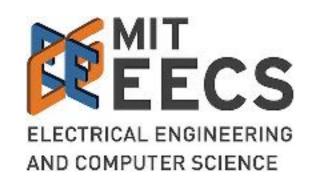




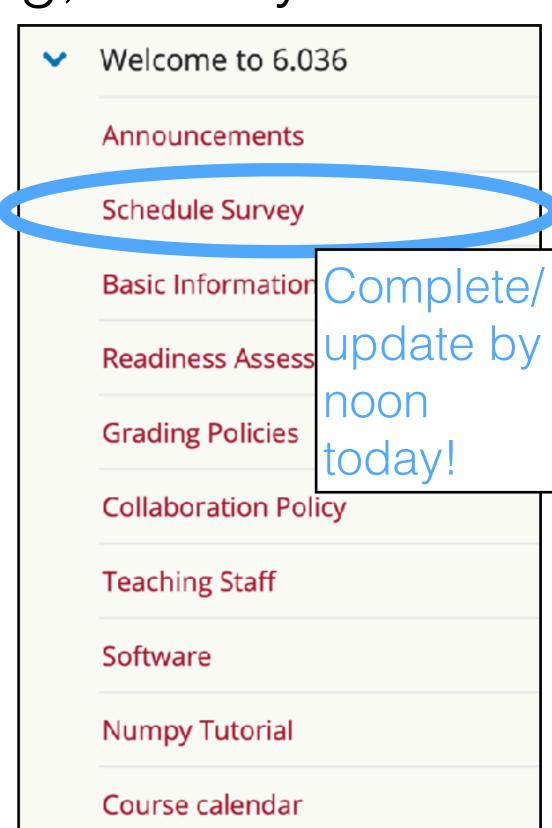


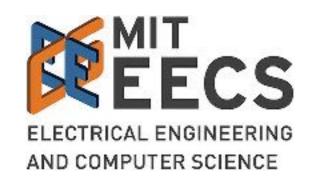
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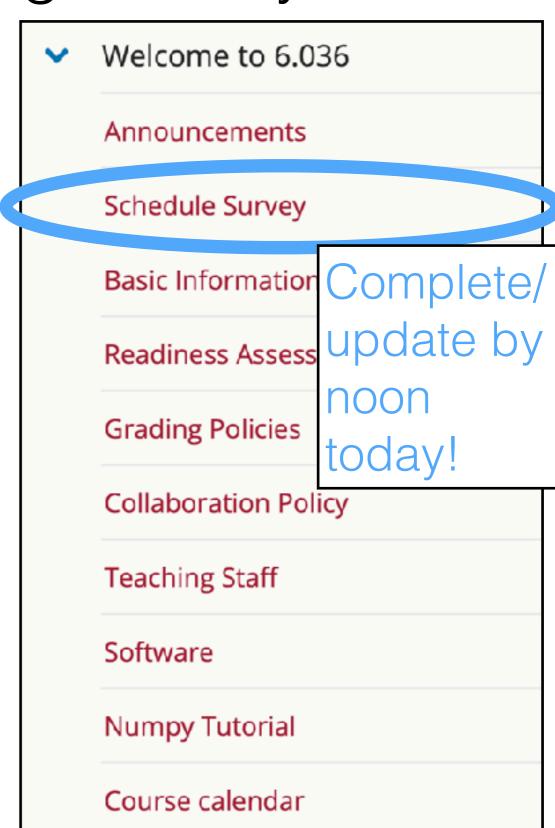


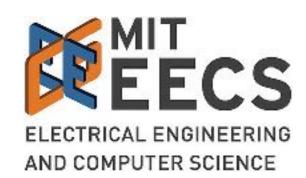
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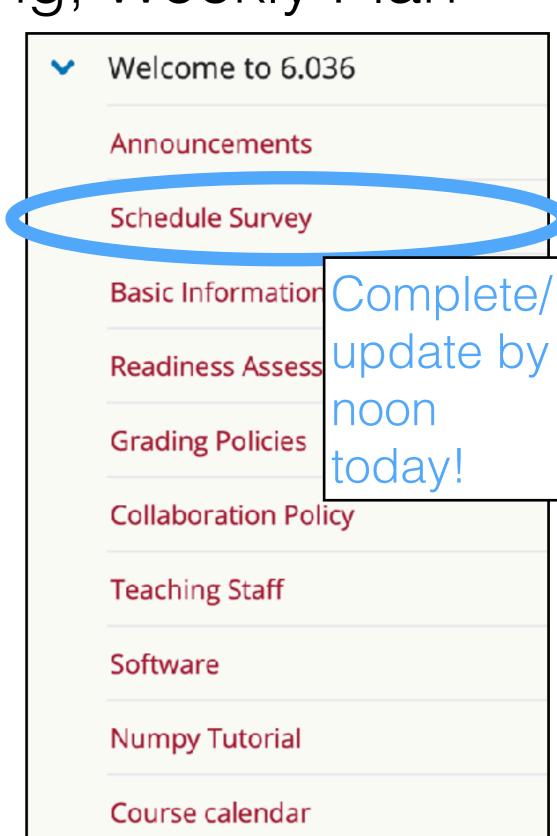


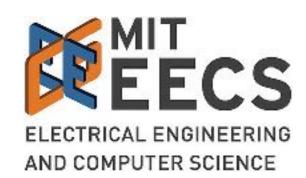
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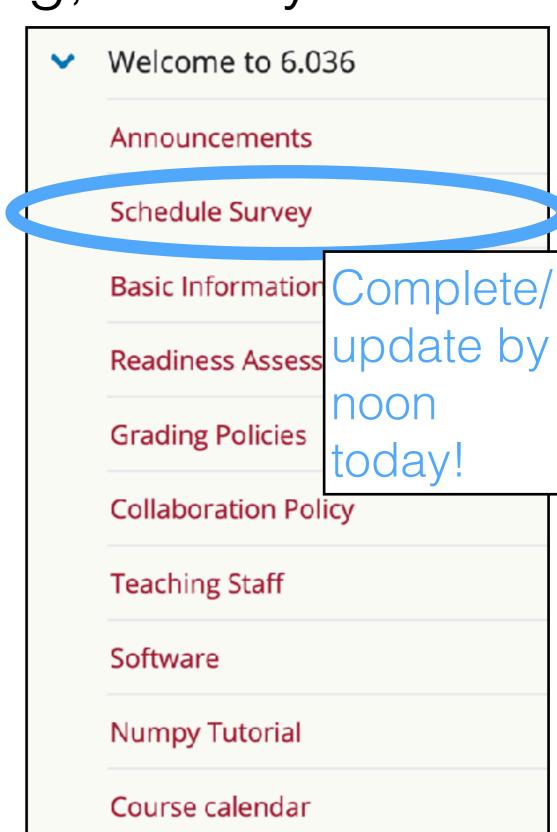


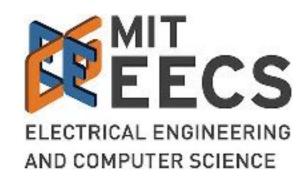
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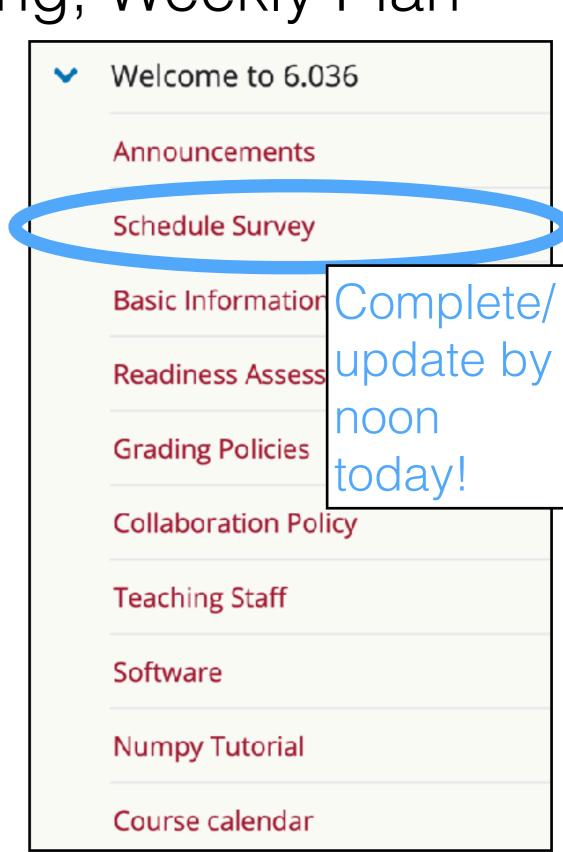


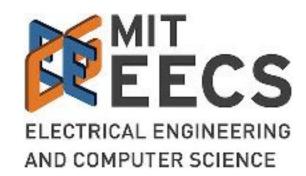
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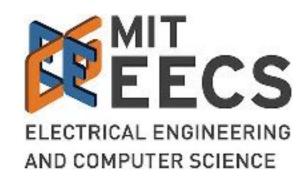


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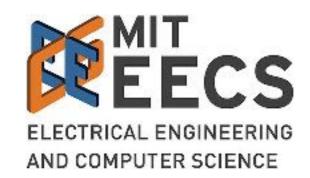
Week 1 Live Lecture

Introduction to ML

Linear classifiers

Week 1 Nanoquiz
NQ due Sep 4, 2020 16:00 EDT

Week 1 Lab
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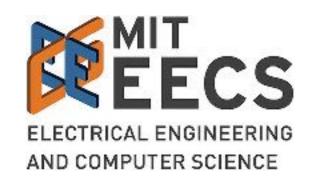
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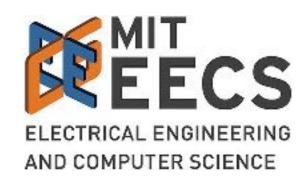
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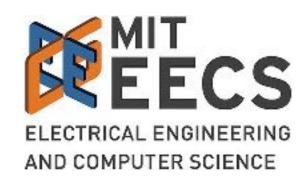
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- 6.862: project (canvas.mit.edu)



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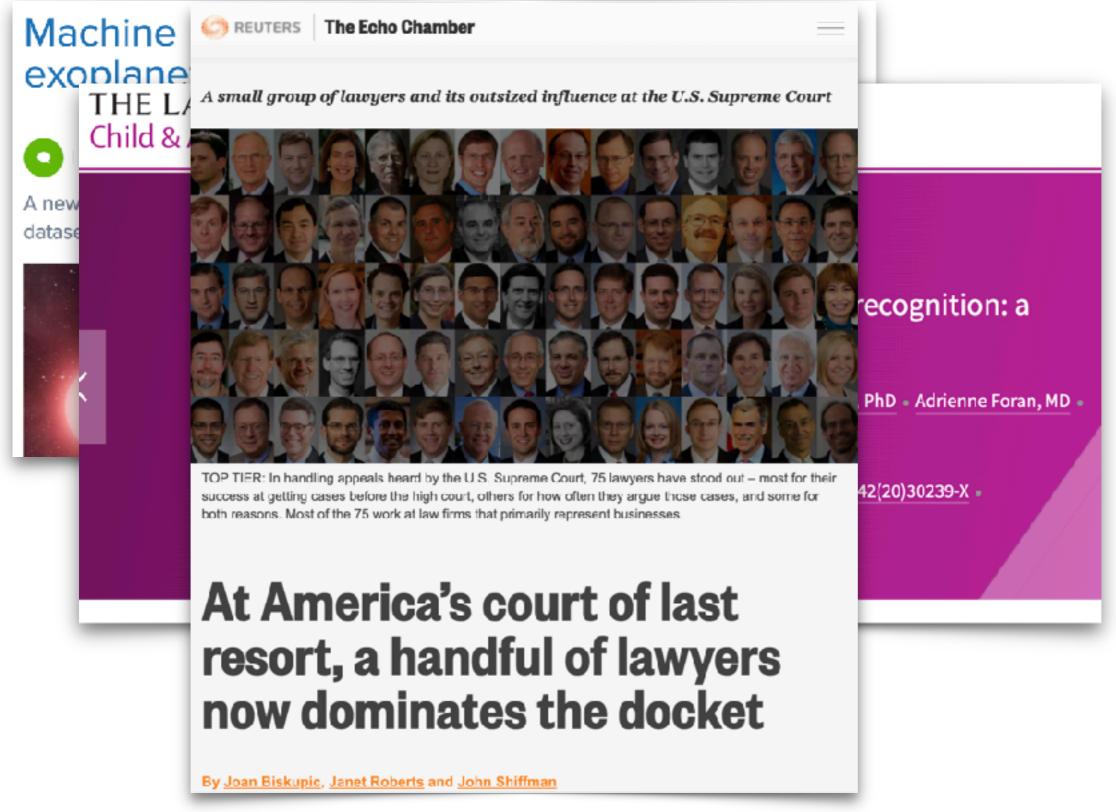
Homework 1

Machine learning (ML): why & what

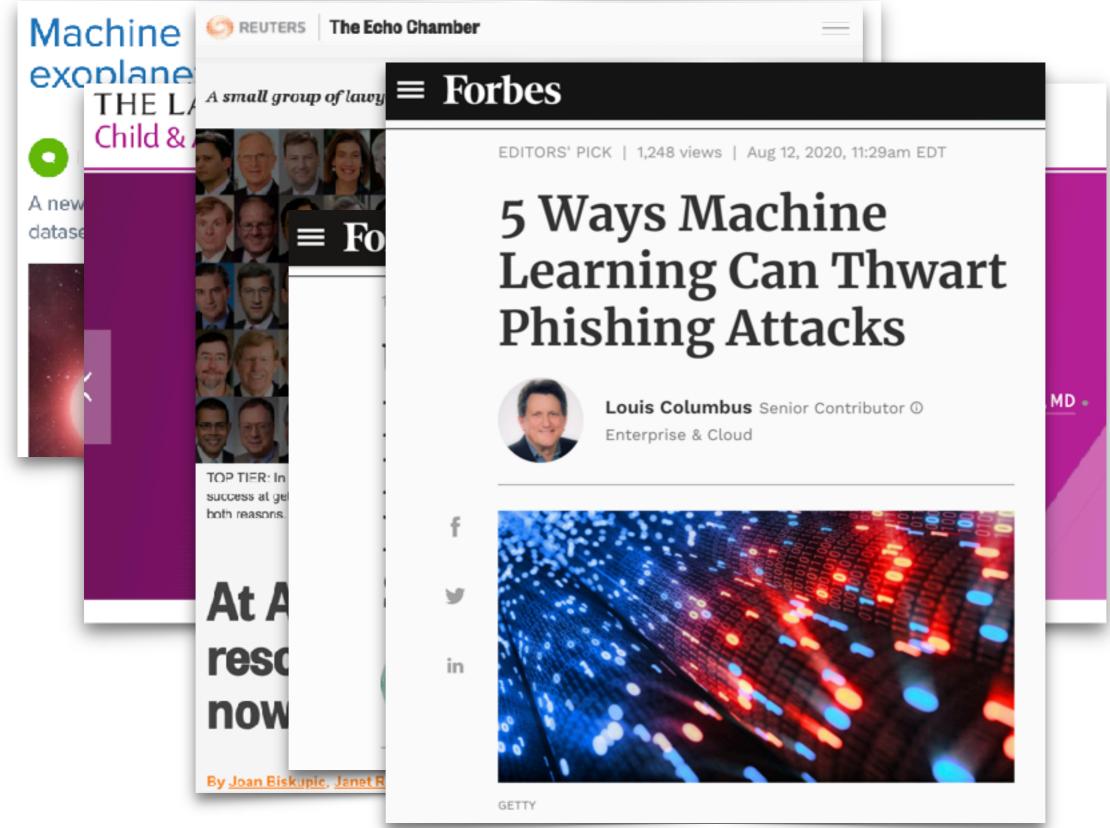
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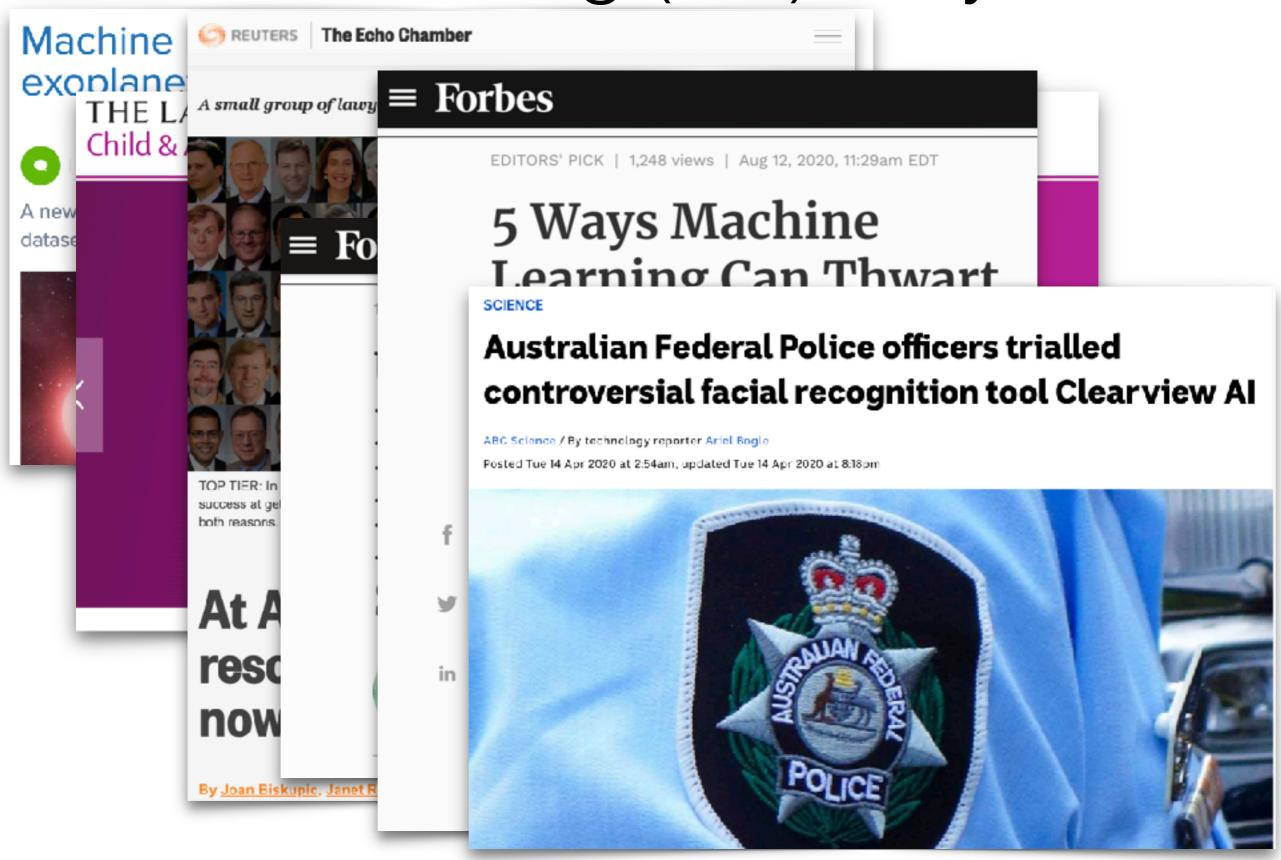


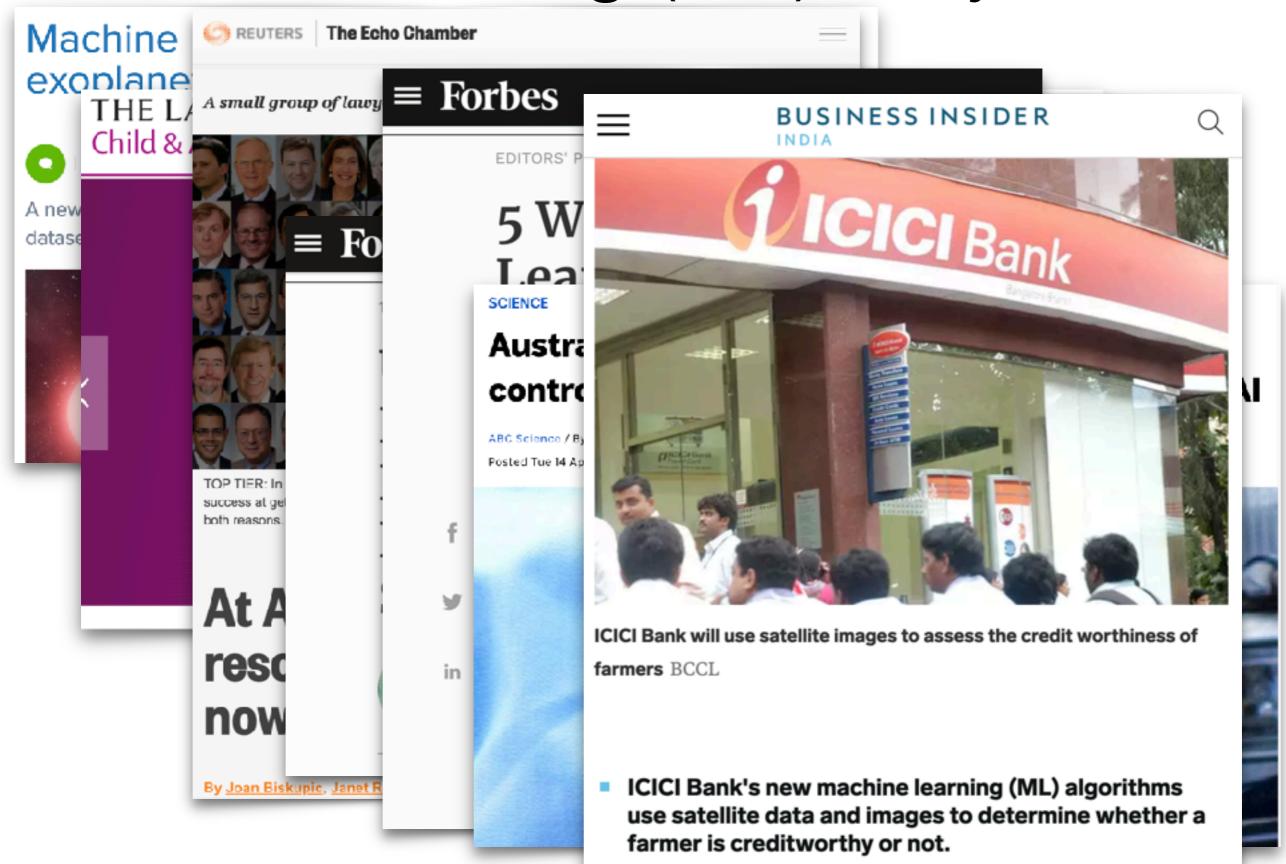
Machine learning algorithm confirms 50 new exoplanets in historic first THE LANCET Child & Adolescent Health A new datase ARTICLES | ONLINE FIRST A machine-learning algorithm for neonatal seizure recognition: a multicentre, randomised, controlled trial Andreea M Pavel, MD • Janet M Rennie, MD • Linda S de Vries, PhD • Mats Blennow, PhD • Adrienne Foran, MD • Divyen K Shah, MD • et al. Show all authors Open Access • Published: August 27, 2020 • DOI: https://doi.org/10.1016/S2352-4642(20)30239-X • Check for updates



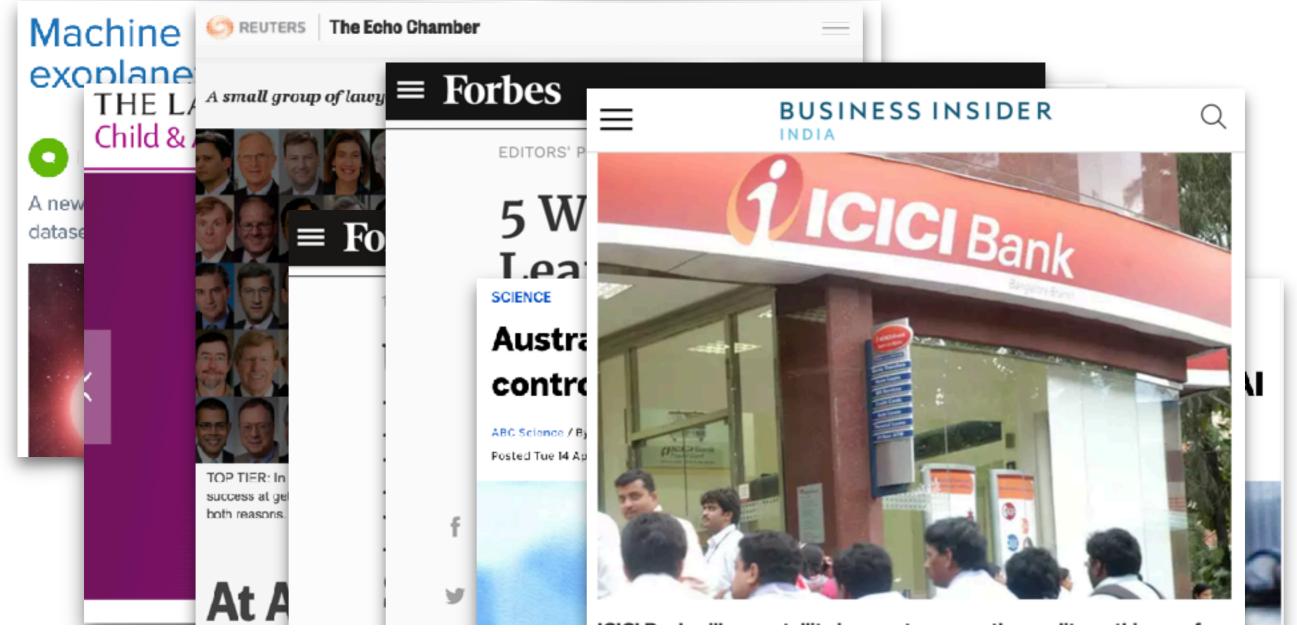








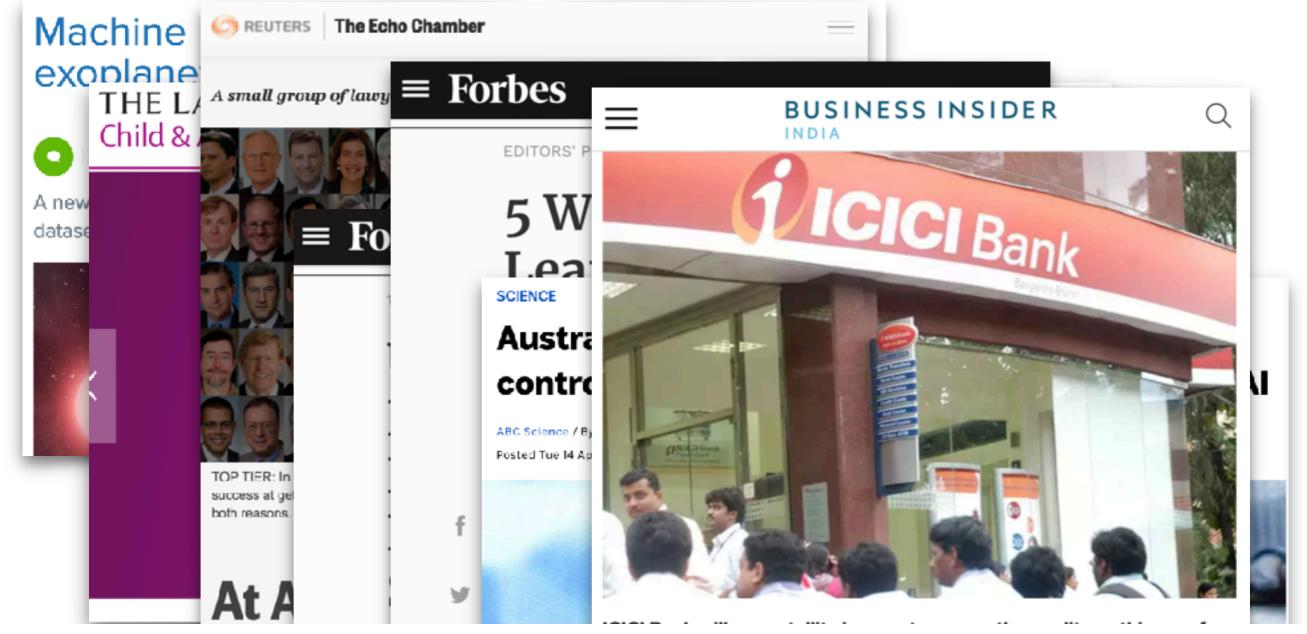




What is ML?



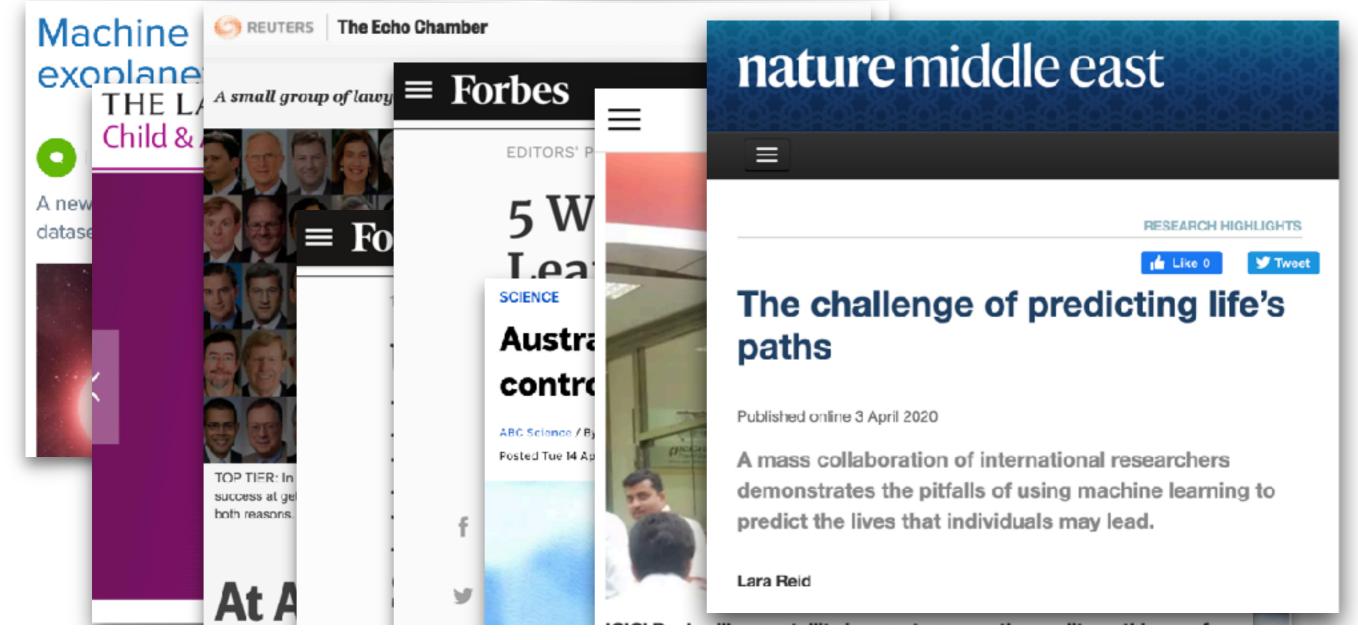
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What do we have?

What do we have? (Training) data

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- For data point $i \in \{1, \ldots, n\}$

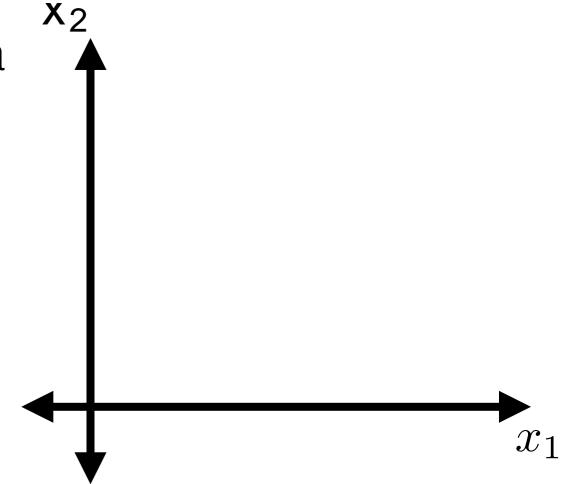
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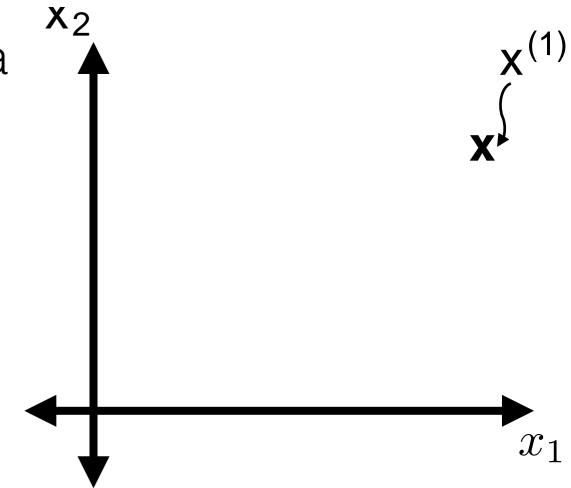
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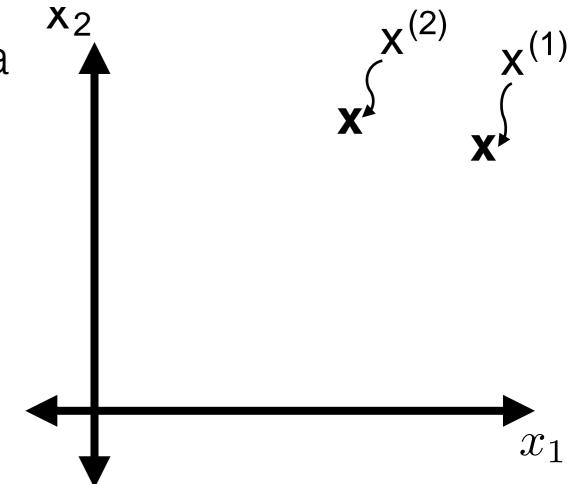
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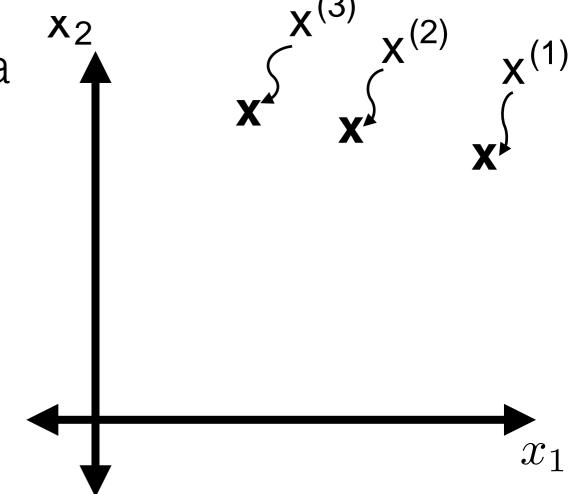
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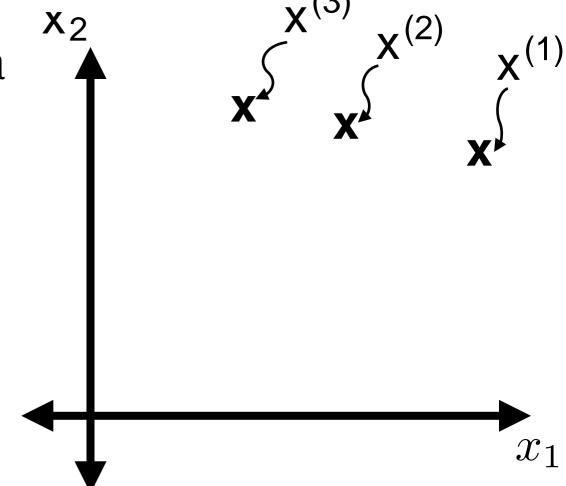


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Label y⁽ⁱ⁾! {"1,+1}

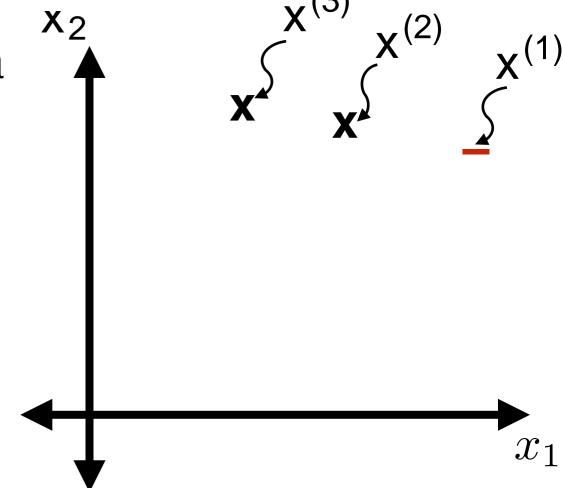


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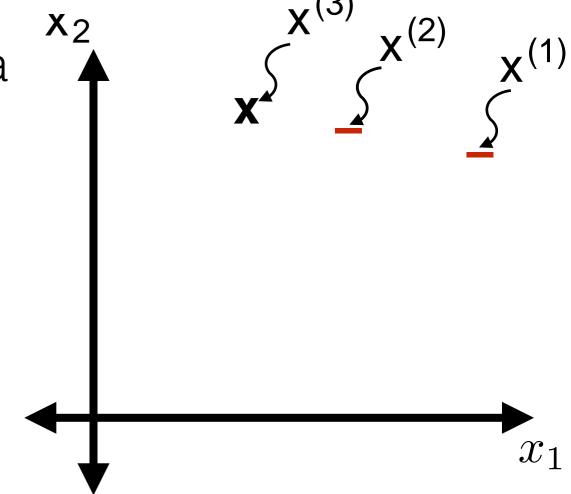


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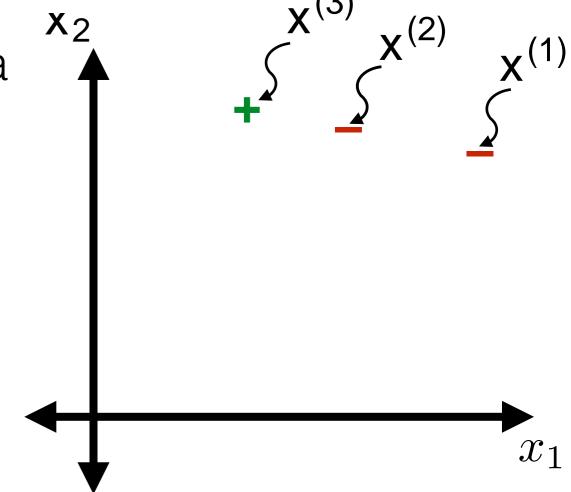


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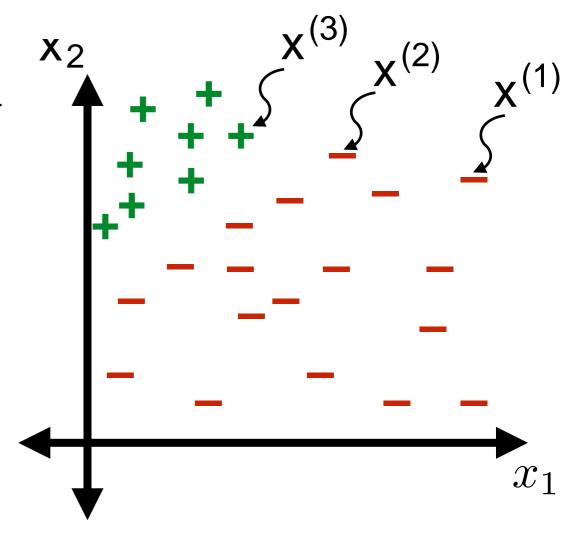


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$$x^{(i)} = (x_1^{(i)}, \dots, x_d^{(i)})^! ! R^d$$

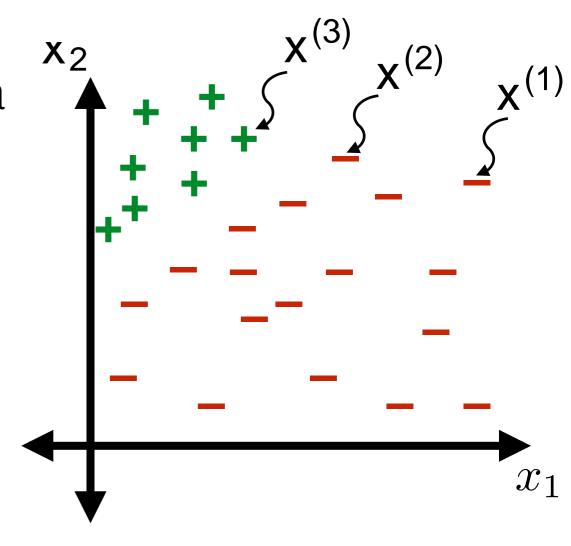
Label y⁽ⁱ⁾! {" 1,+1}



- *n* training data points
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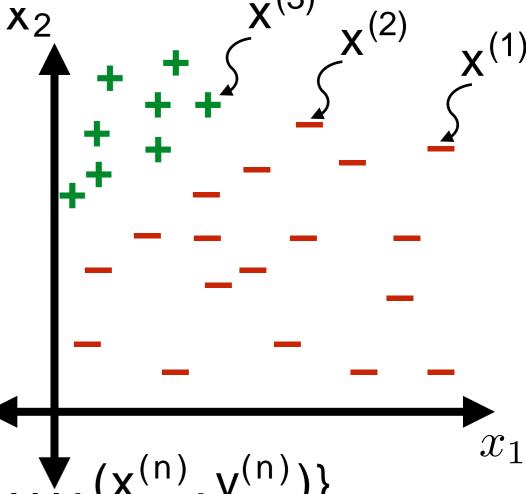
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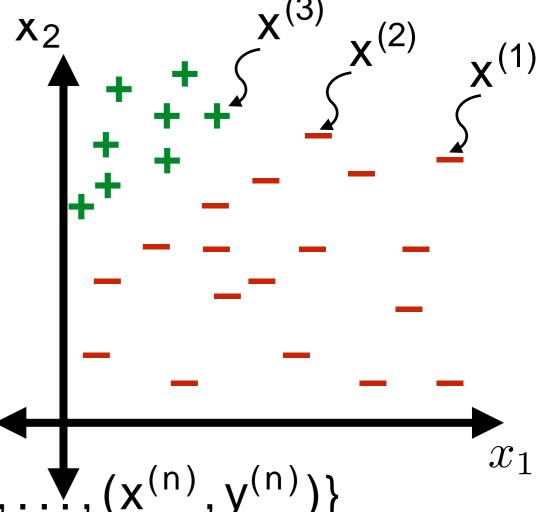
What do we have? (Training) data

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What do we want?

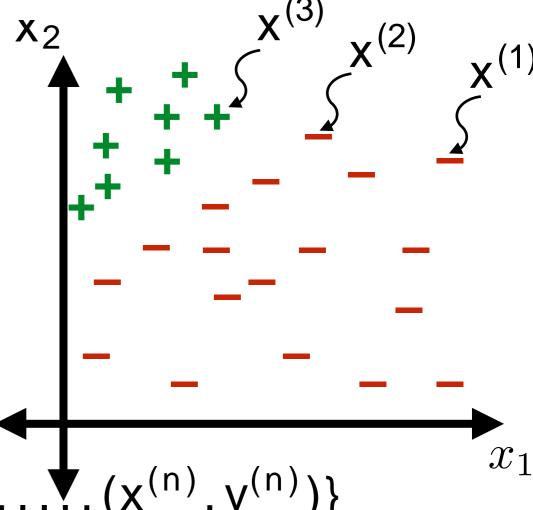


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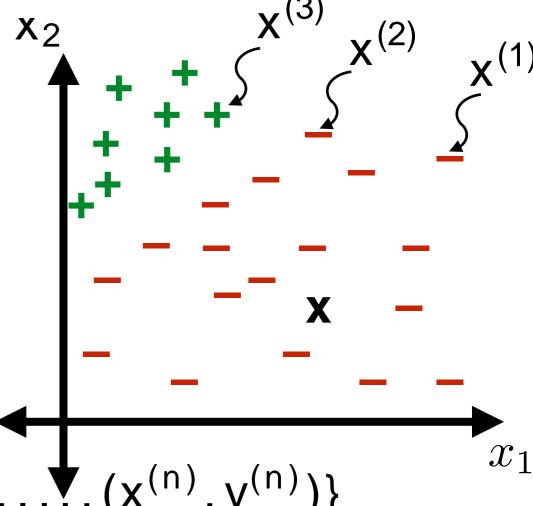


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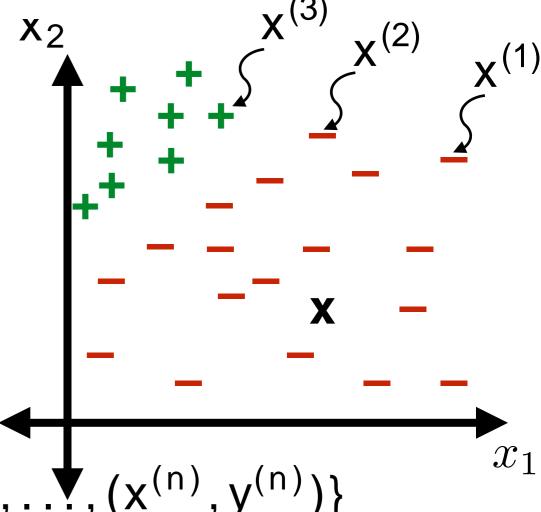


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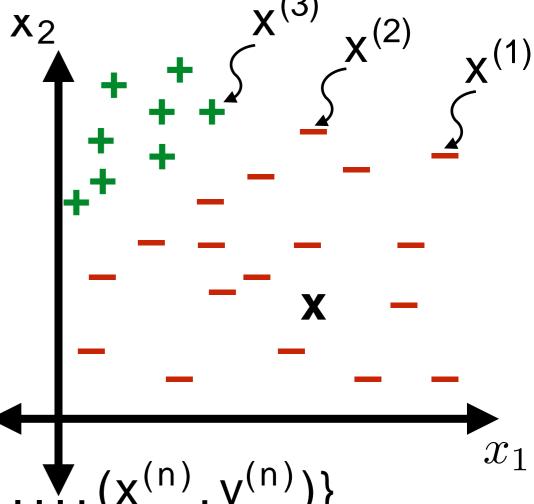


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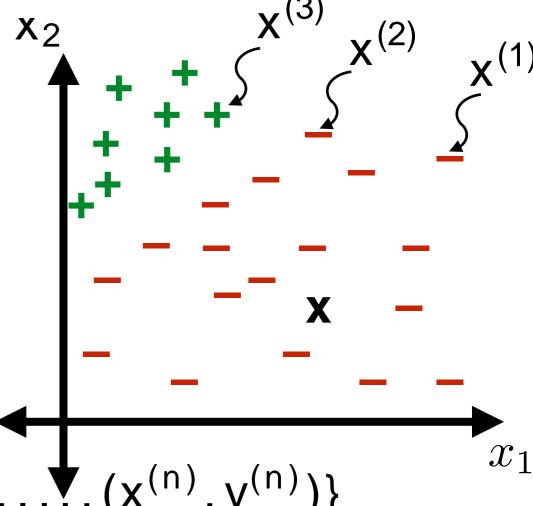


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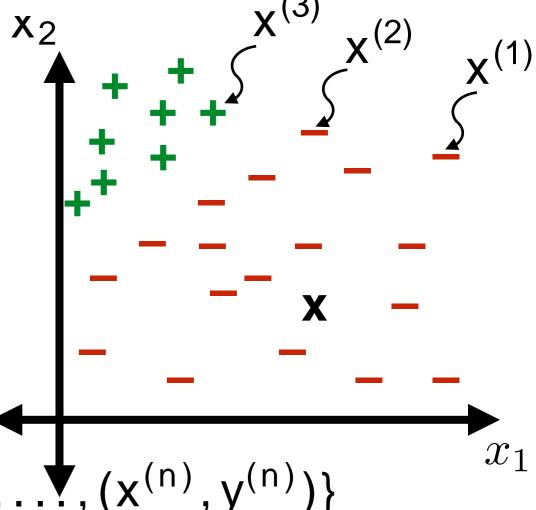
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What do we want? A good way to label new points

How to label?



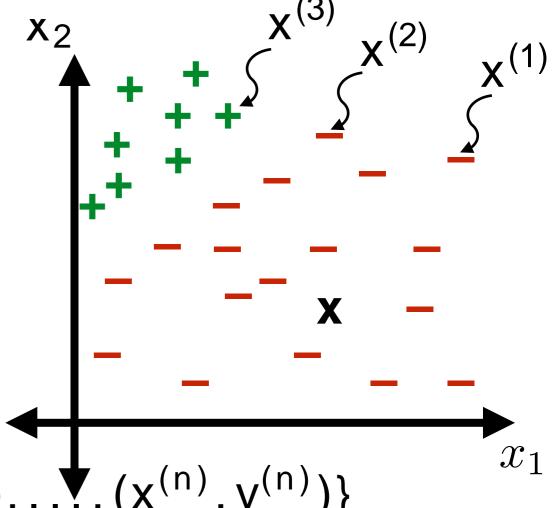
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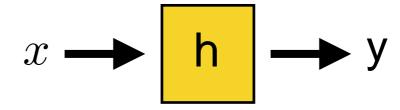
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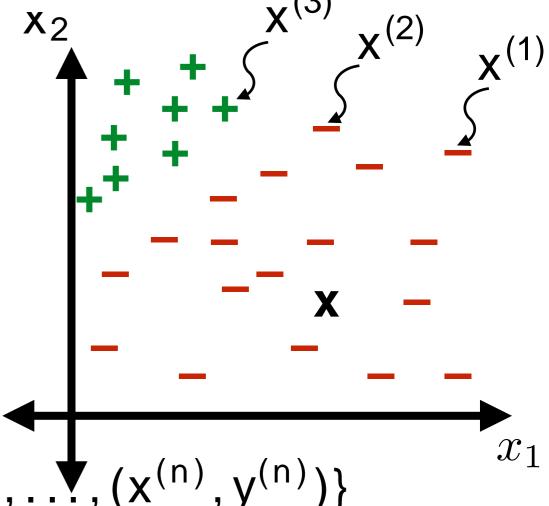
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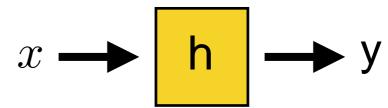
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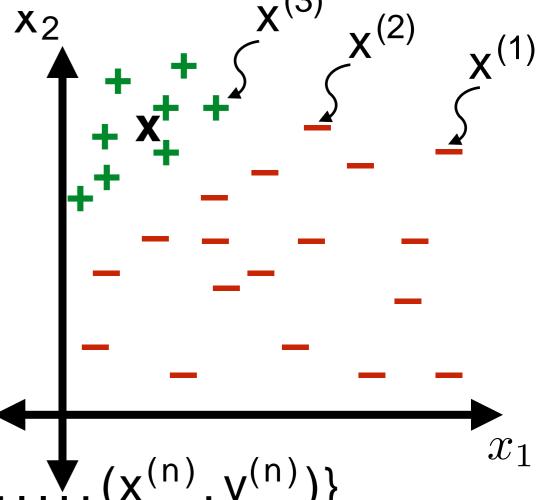
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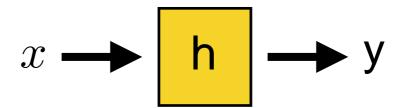
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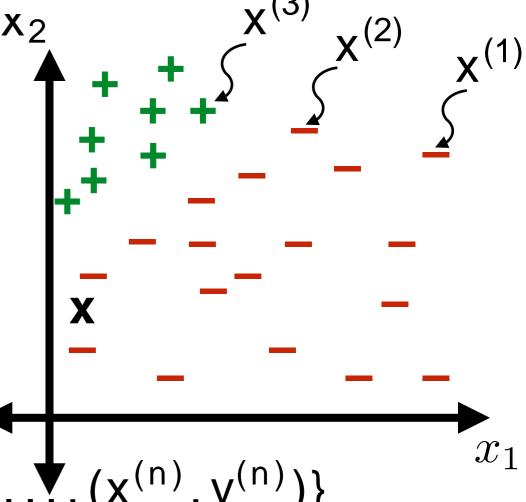
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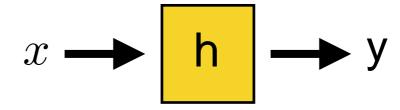
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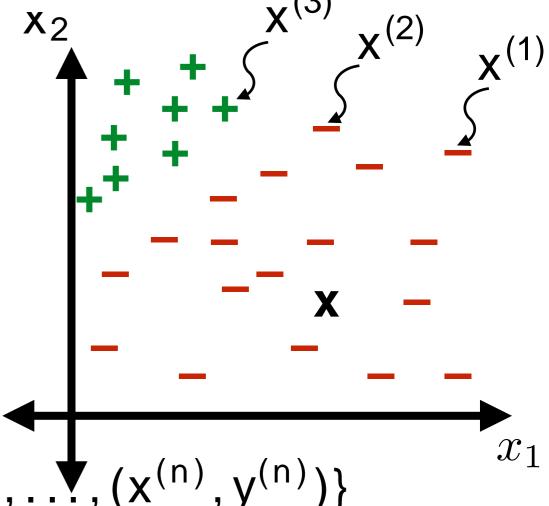
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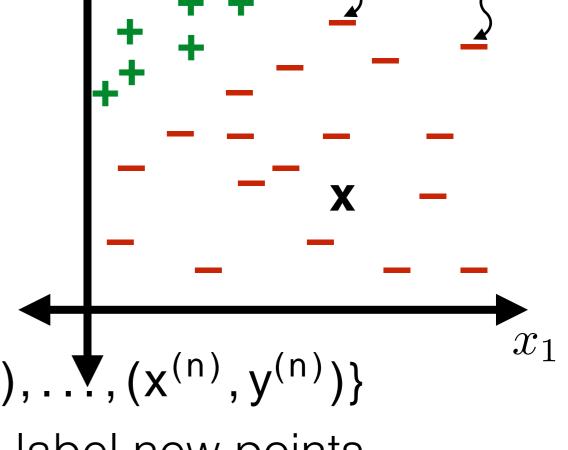
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What do we want? A good way to label new points

How to label? Hypothesis h: R^d! {"1,+1}

$$x \longrightarrow h \longrightarrow y$$

• Example h: For any x, h(x) = +1

What do we have? (Training) data

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$$x \longrightarrow h \longrightarrow y$$

- Example h: For any x, h(x) = +1
 - Is this a hypothesis?

What do we have? (Training) data

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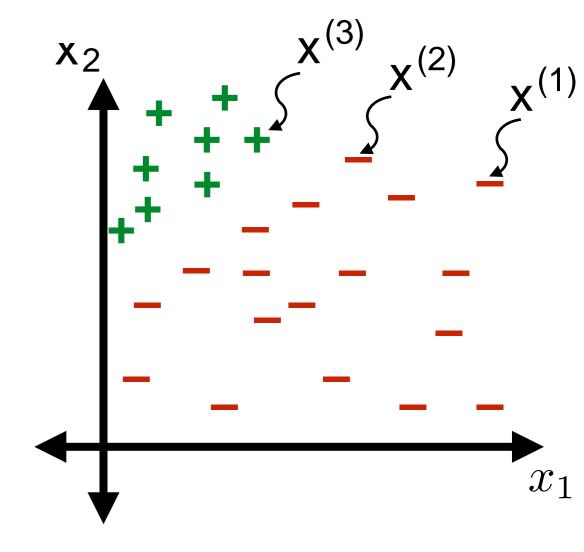
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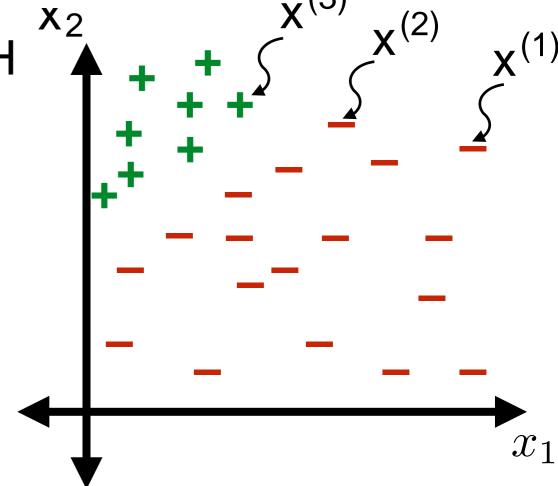
What do we want? A good way to label new points

$$x \longrightarrow \boxed{h} \longrightarrow y$$

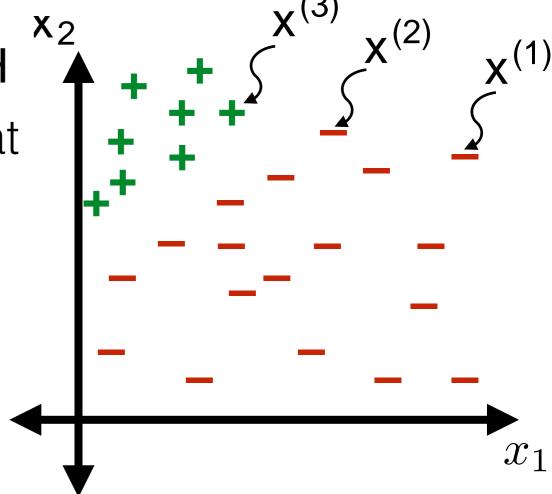
- Example h: For any x, h(x) = +1
 - Is this a good hypothesis?



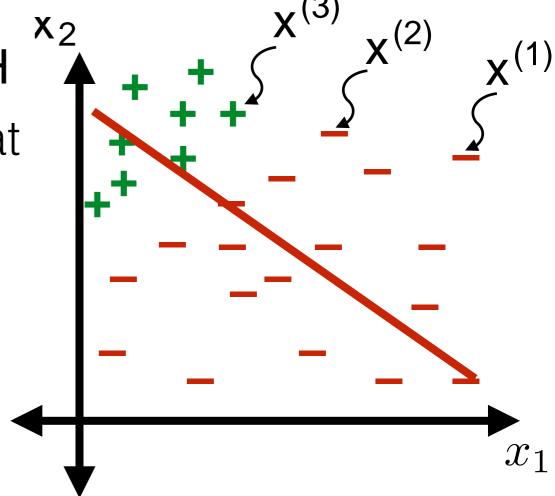
• Hypothesis class \mathcal{H} : set of \mathbf{h} ! H



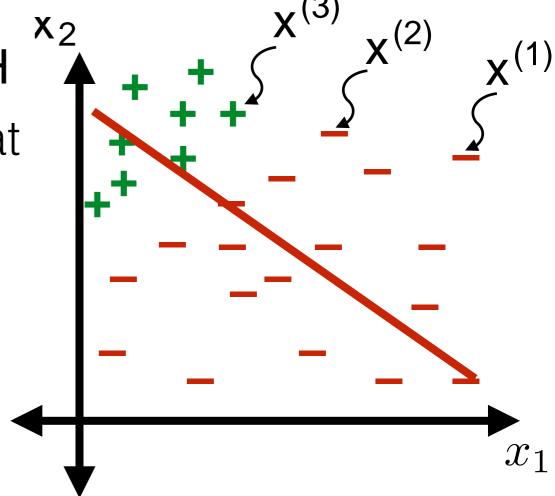
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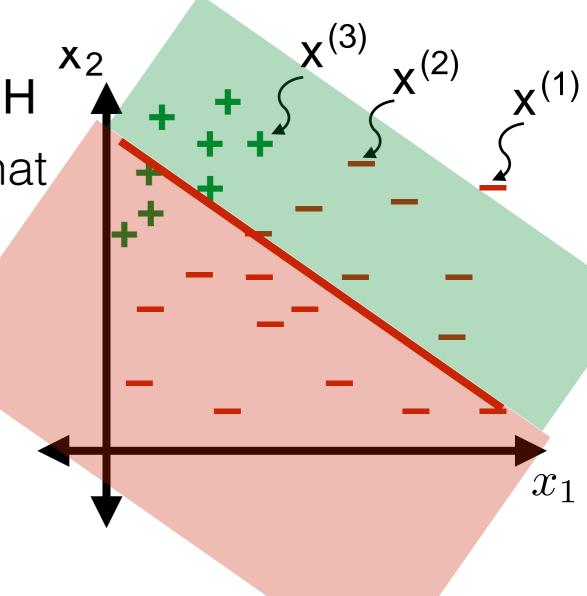
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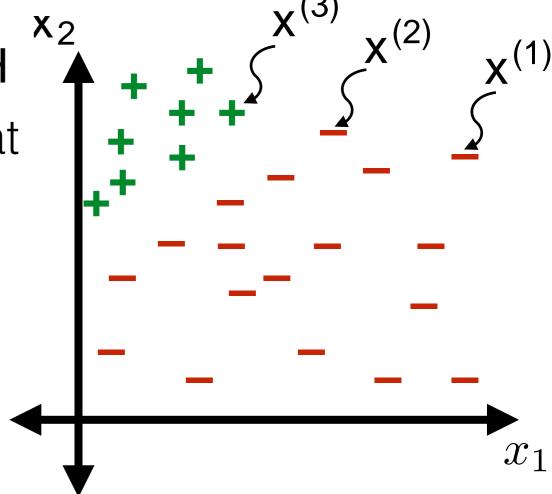
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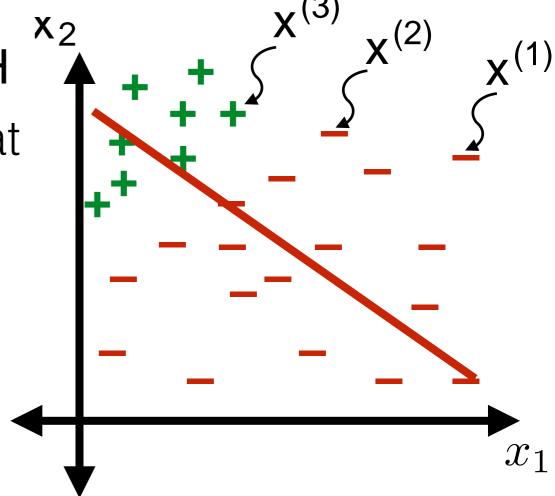
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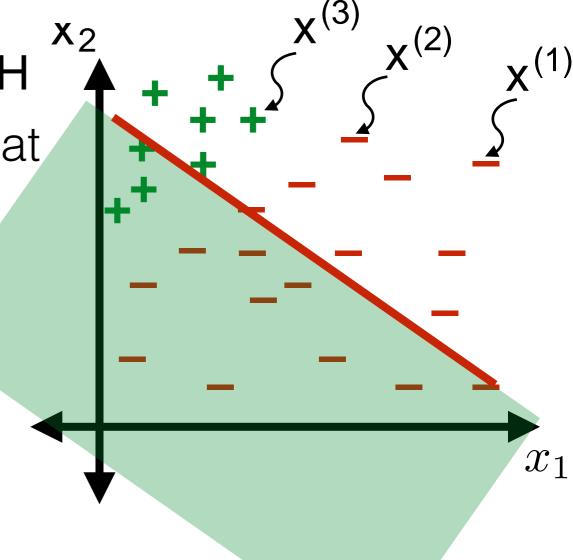
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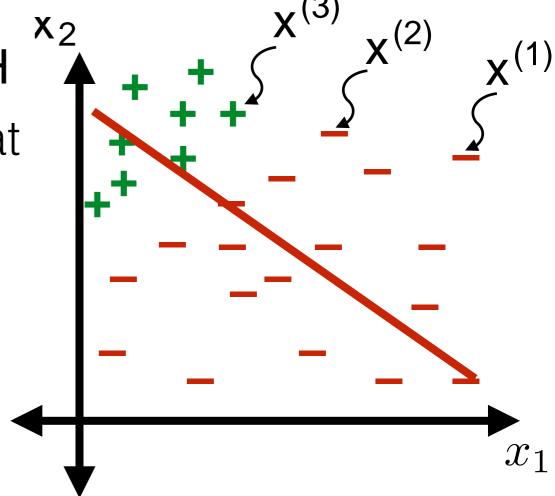
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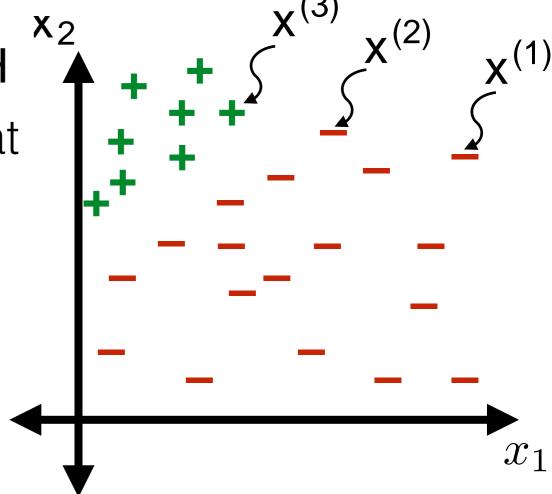
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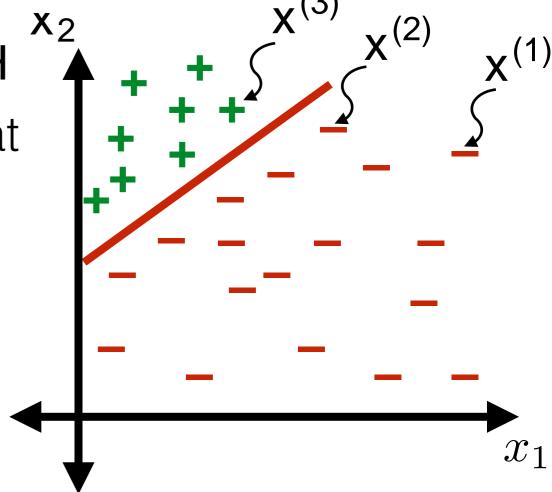
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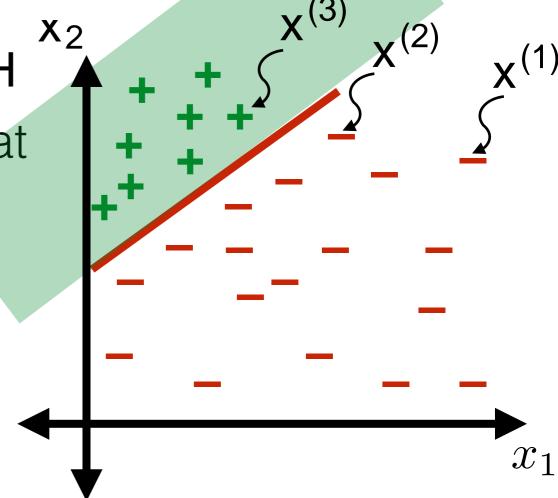
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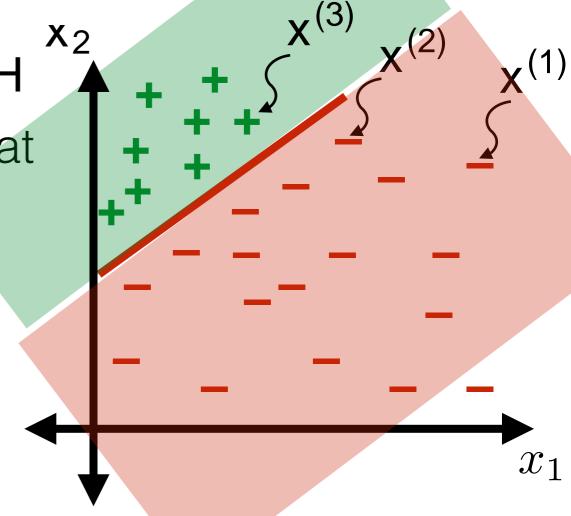
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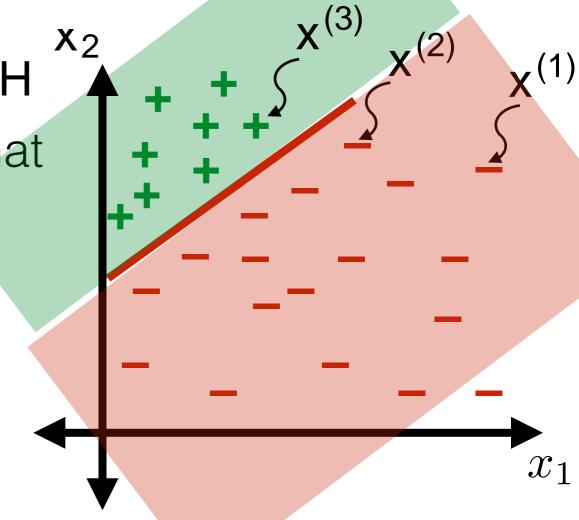
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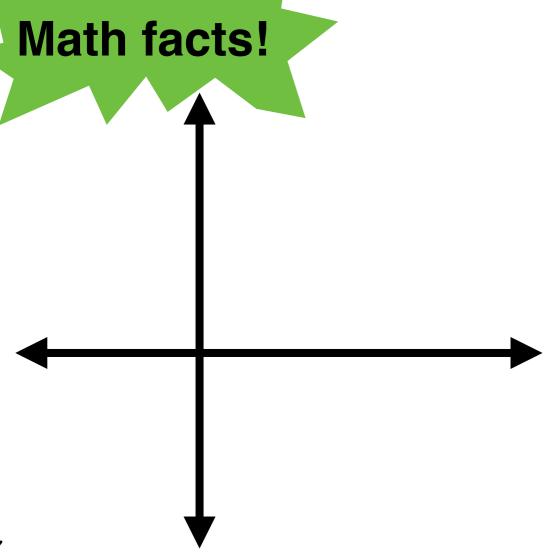
Hypothesis class H: set of h! H

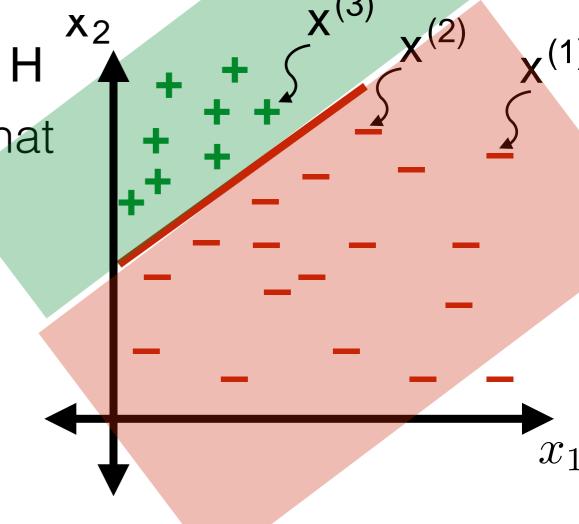
 Example H: All hypotheses that label +1 on one side of a line and -1 on the other side

Math facts!

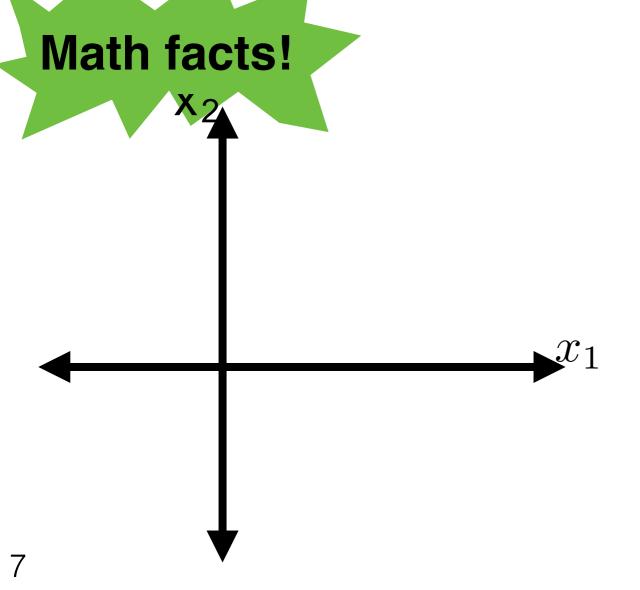


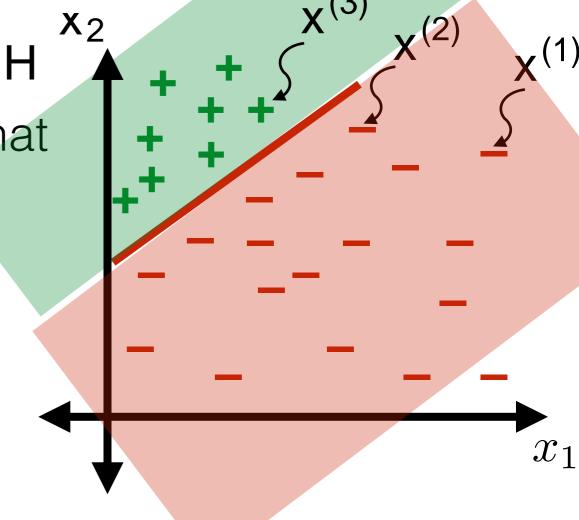
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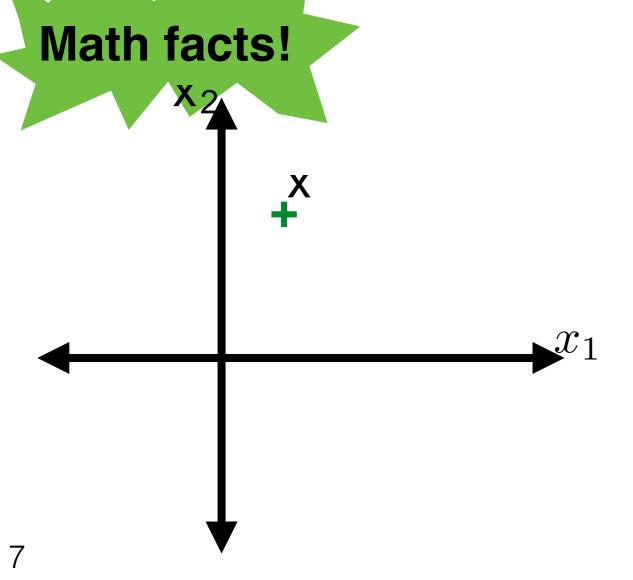


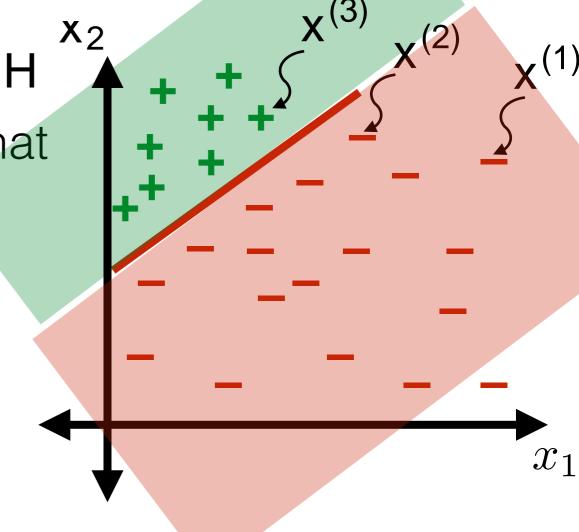
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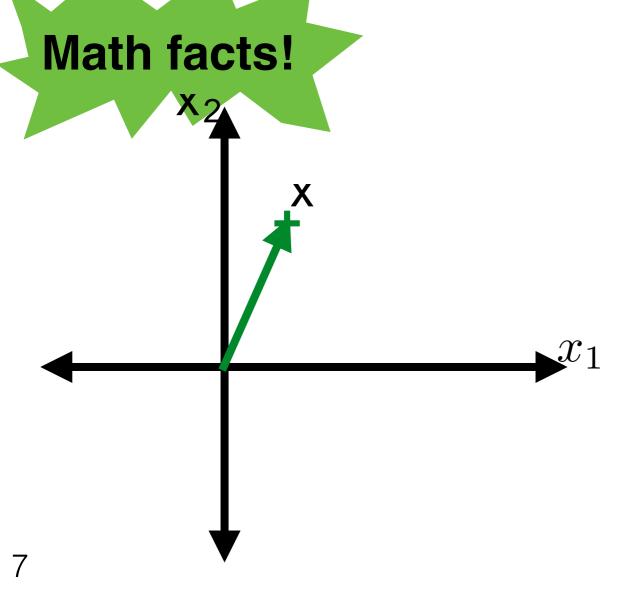


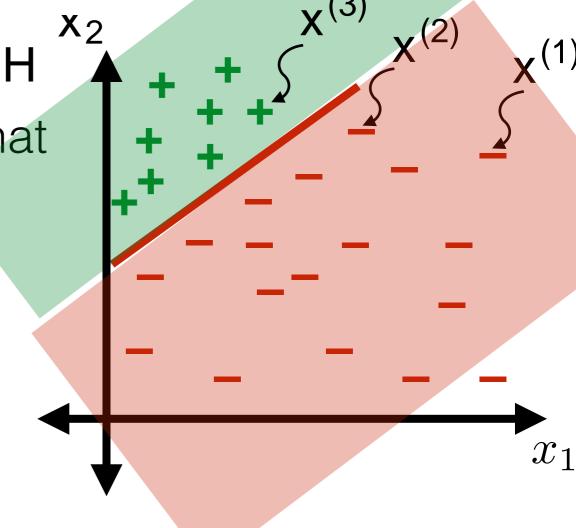
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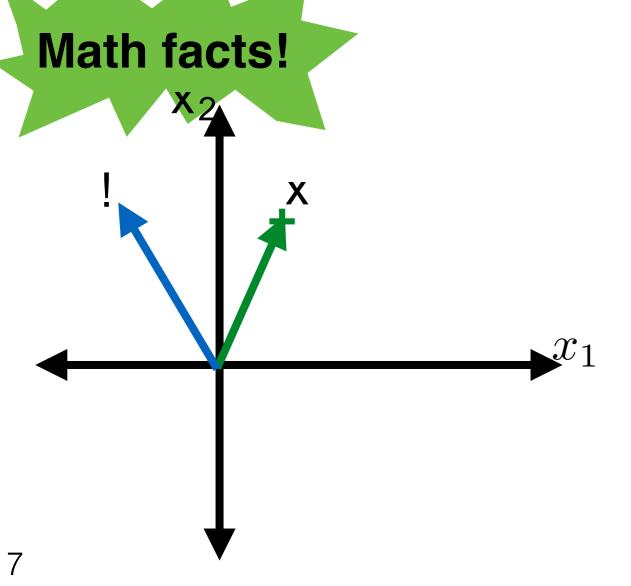


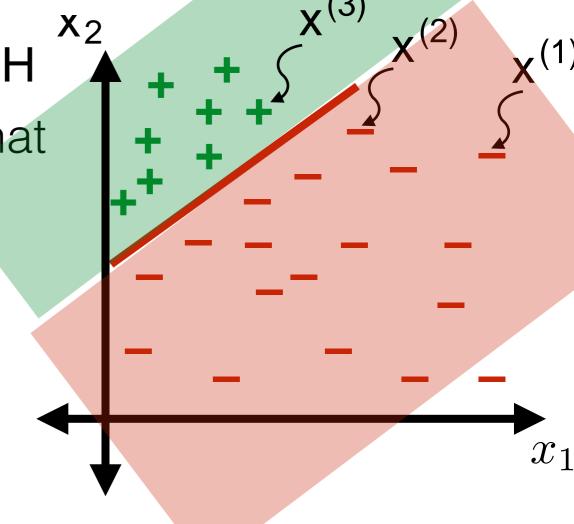
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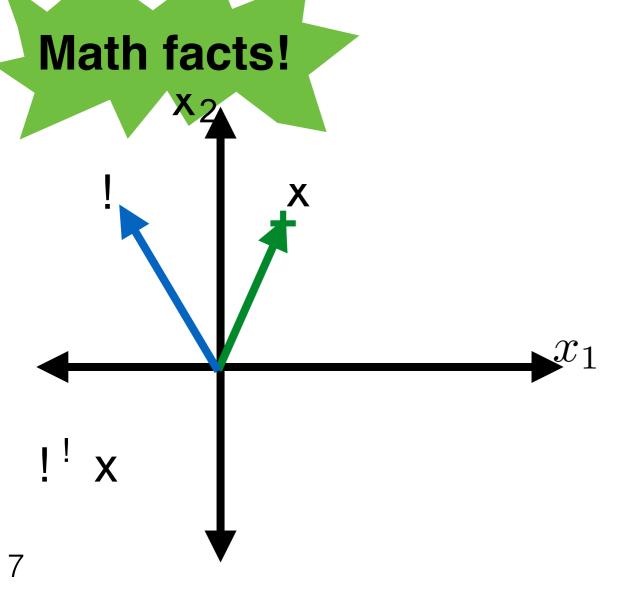


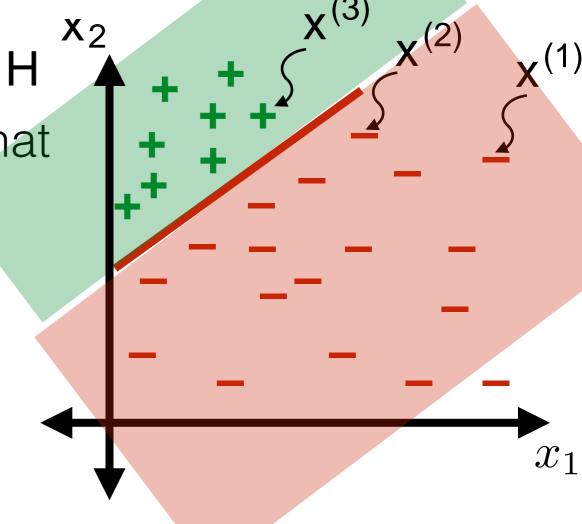
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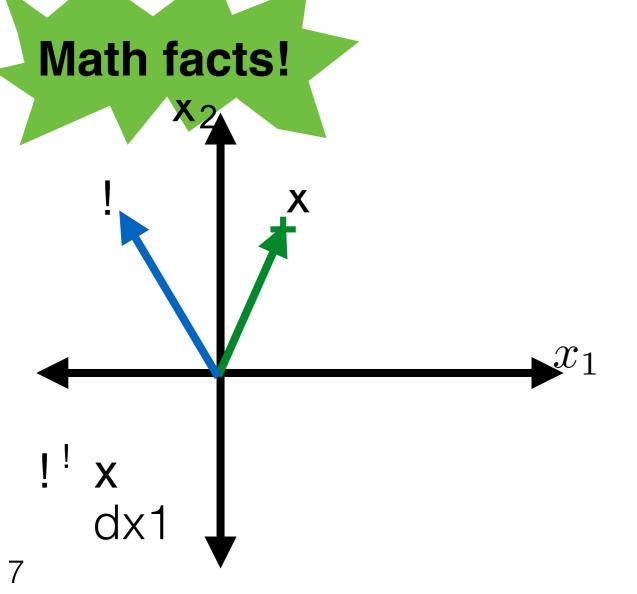


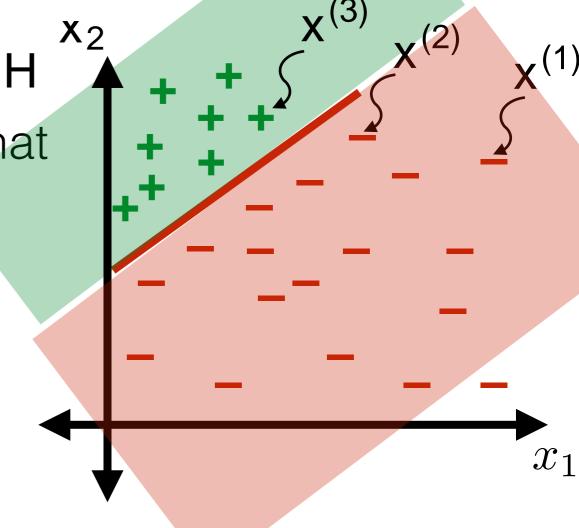
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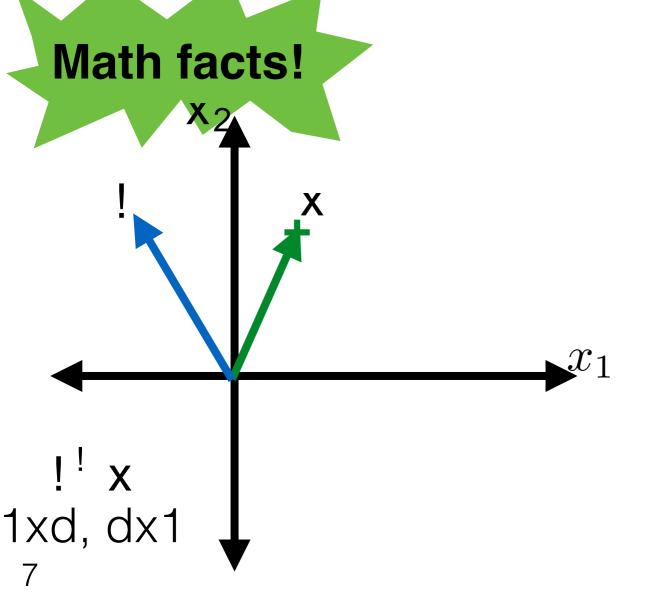


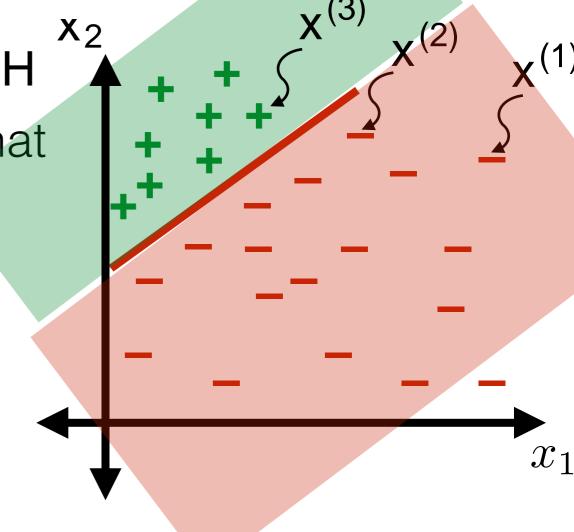
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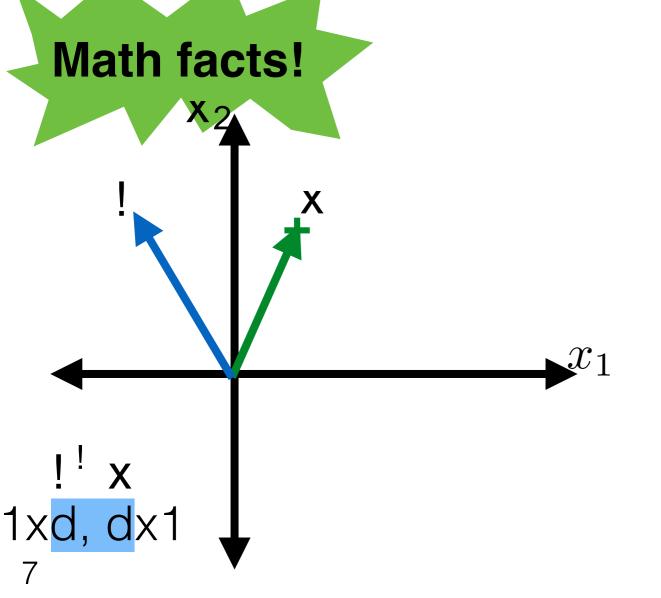


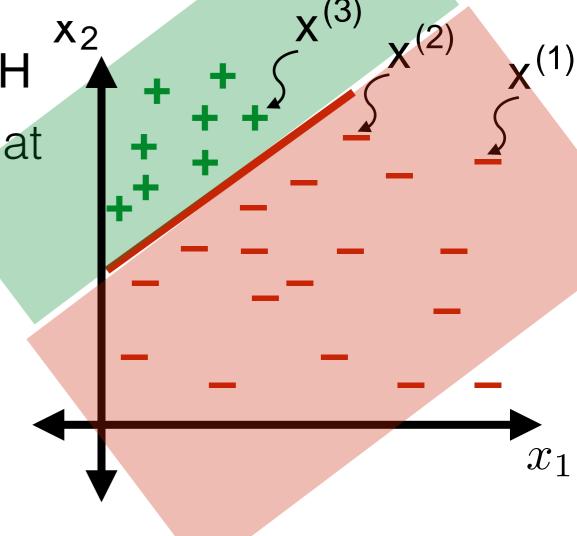
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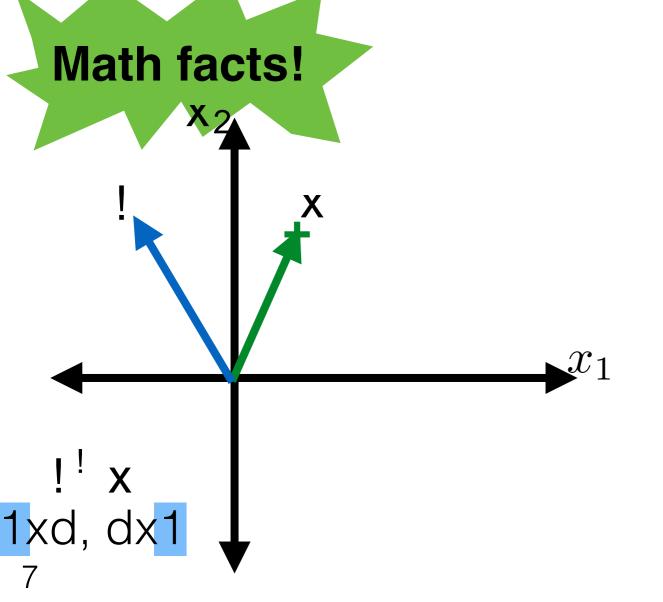


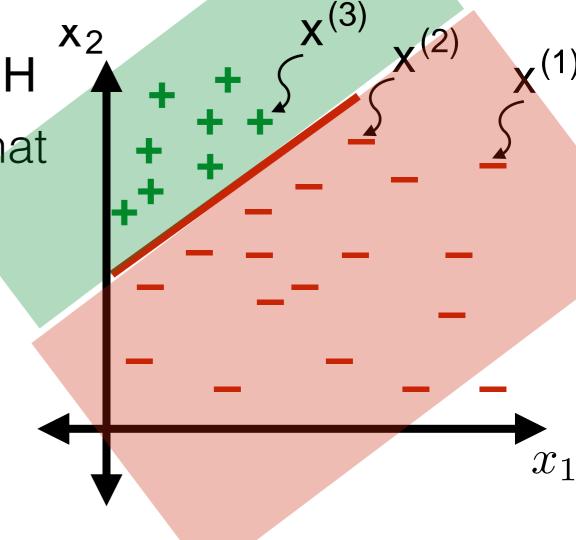
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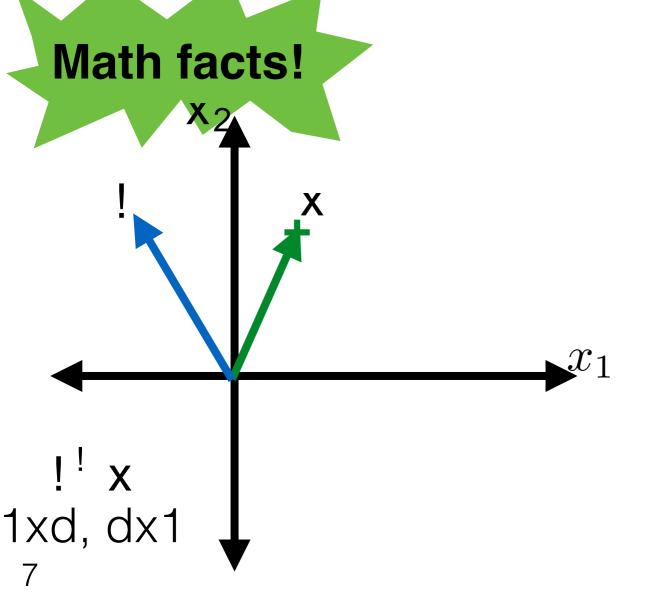


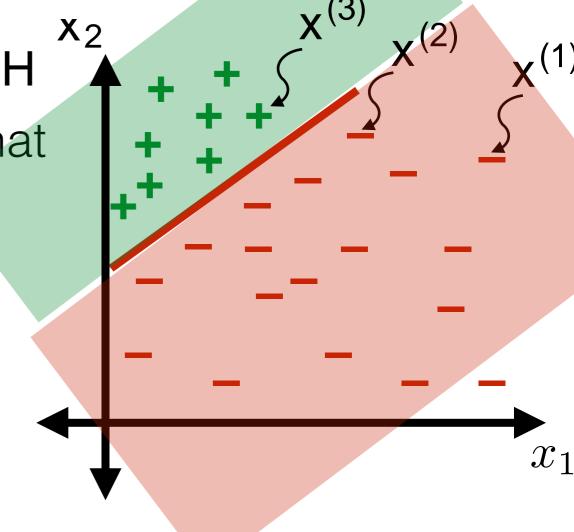
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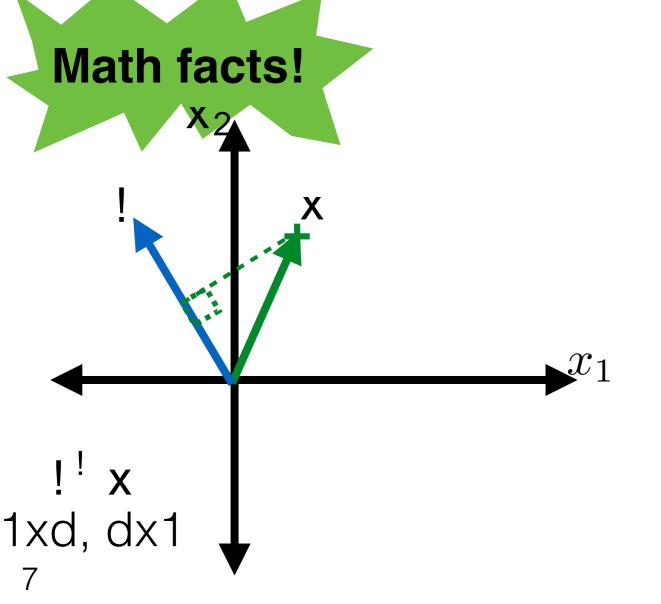


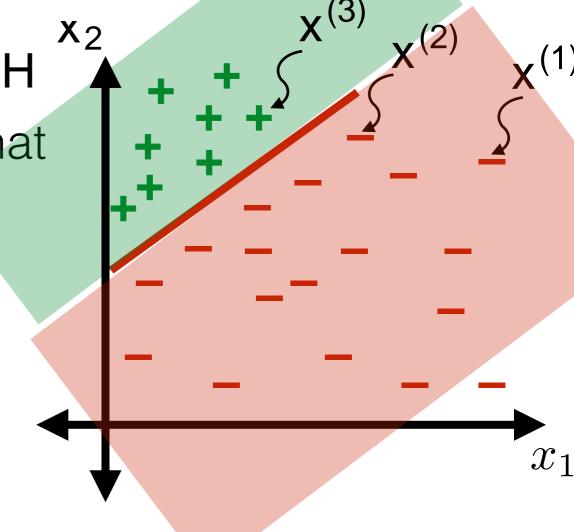
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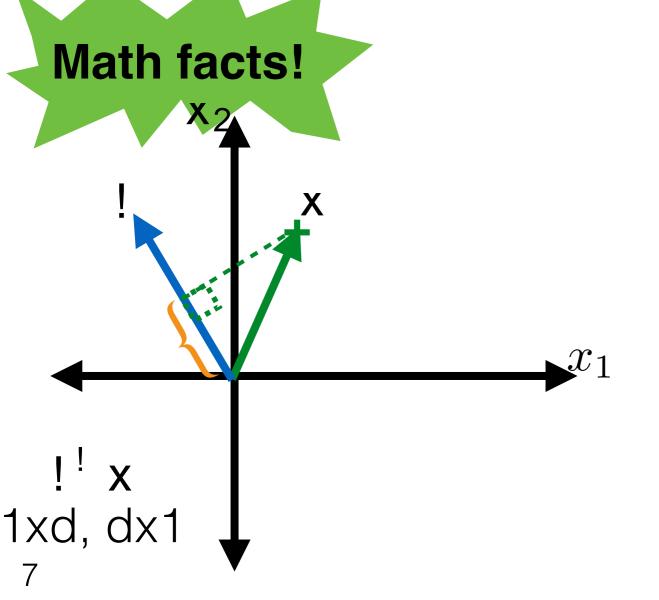


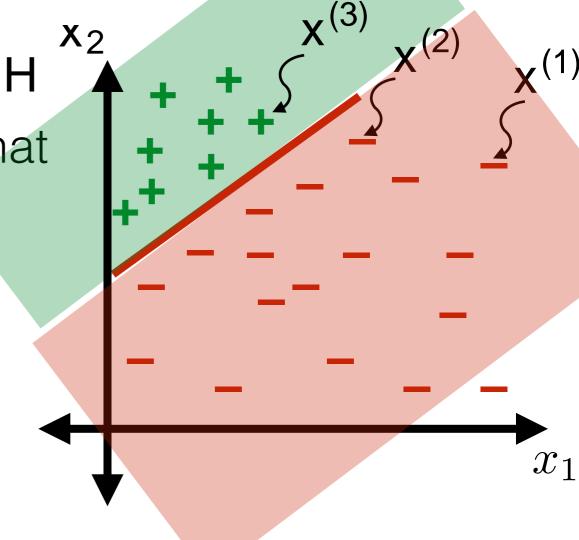
Hypothesis class H: set of h! H



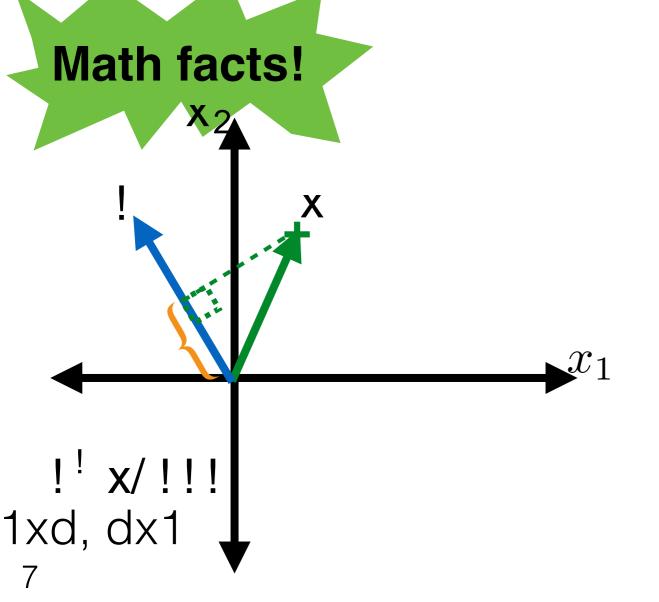


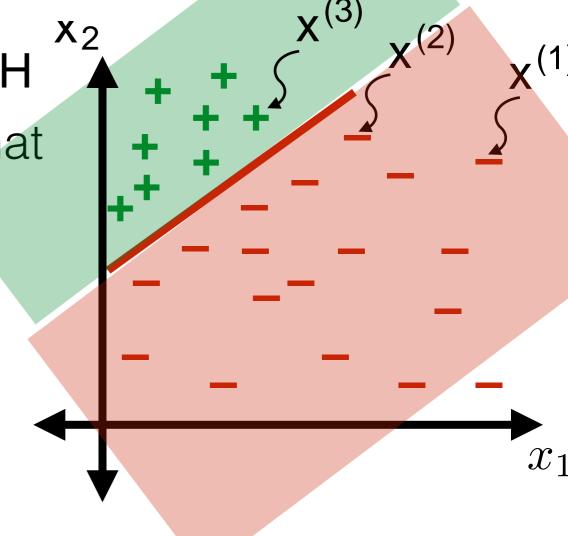
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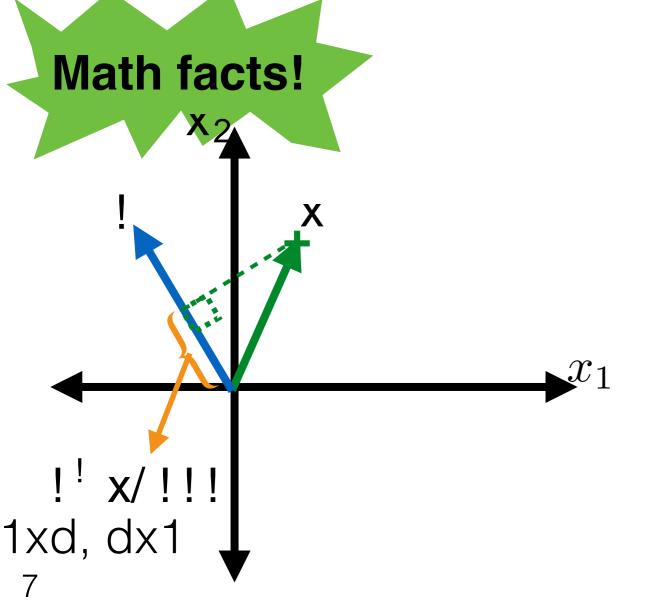


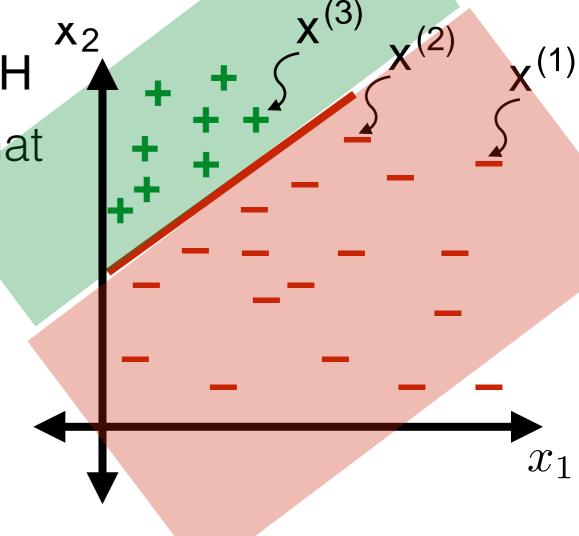
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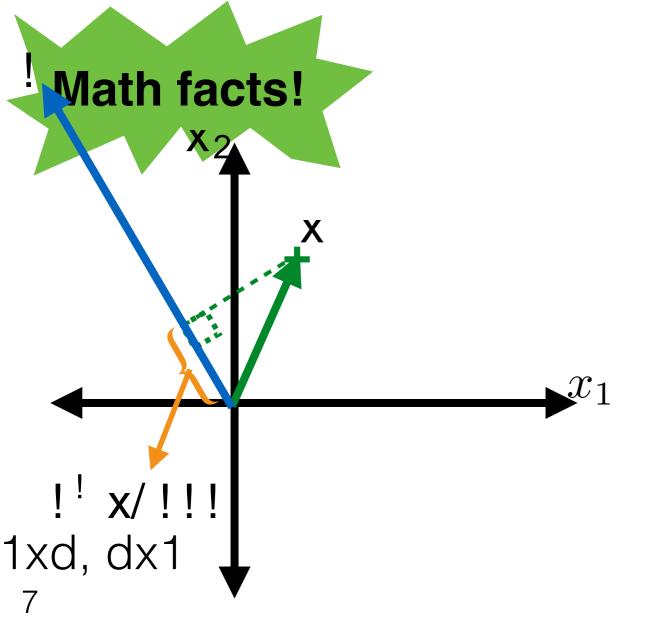


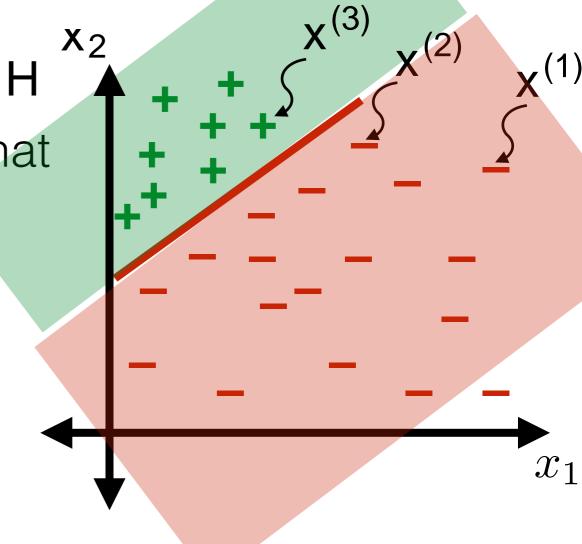
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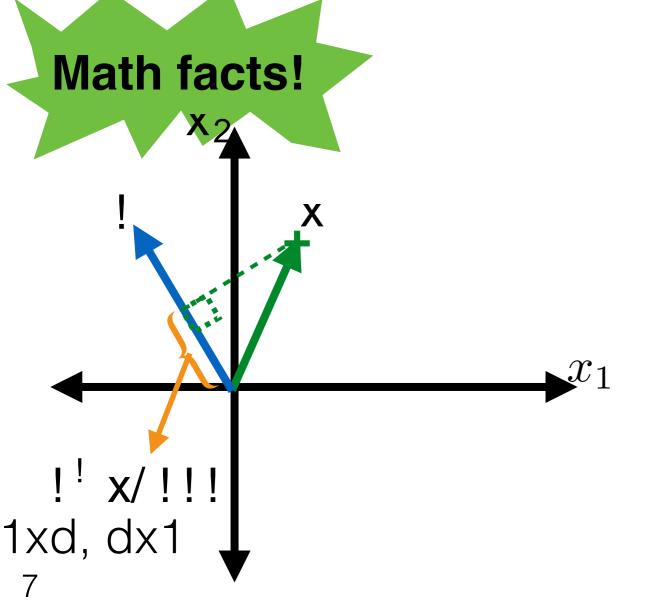


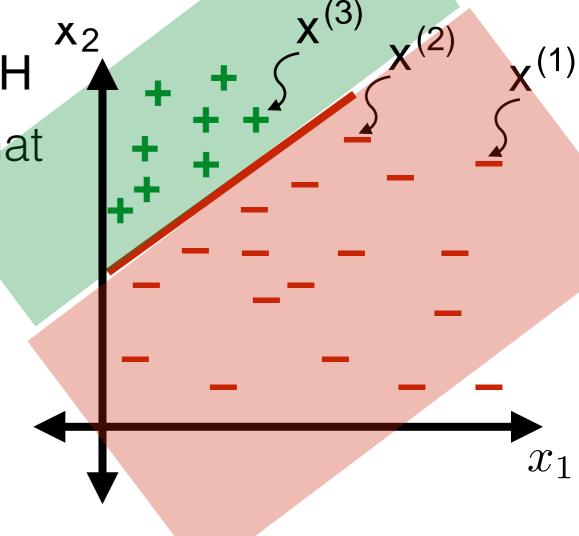
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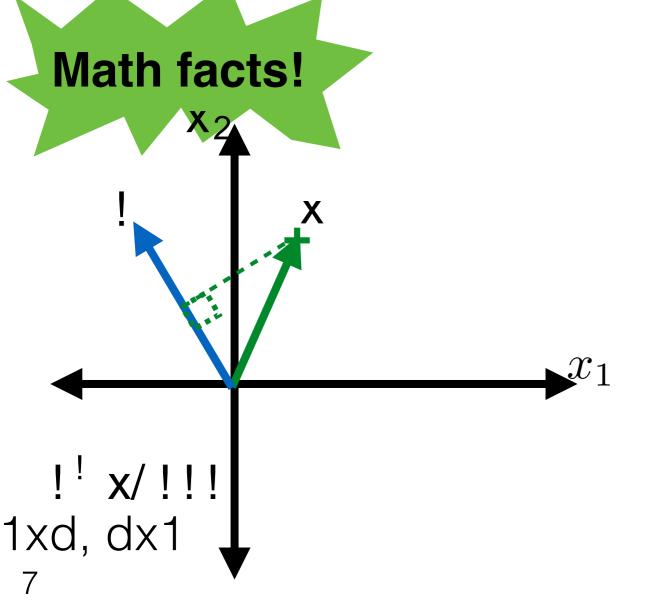


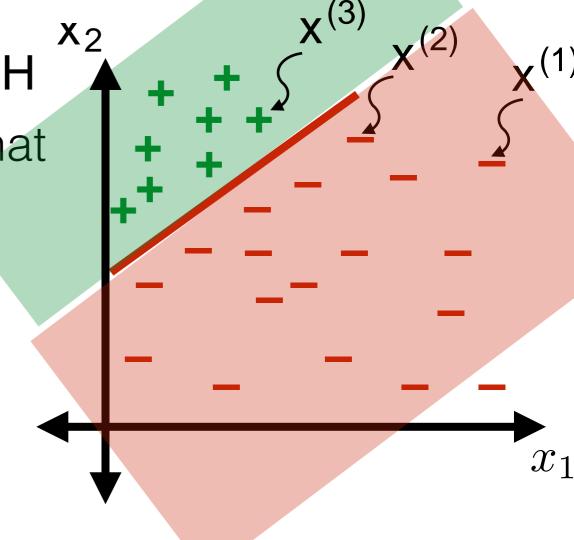
Hypothesis class H: set of h! H



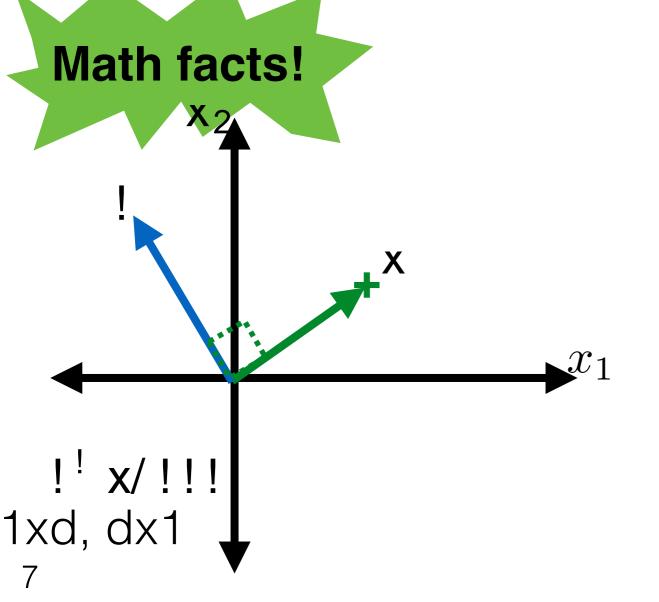


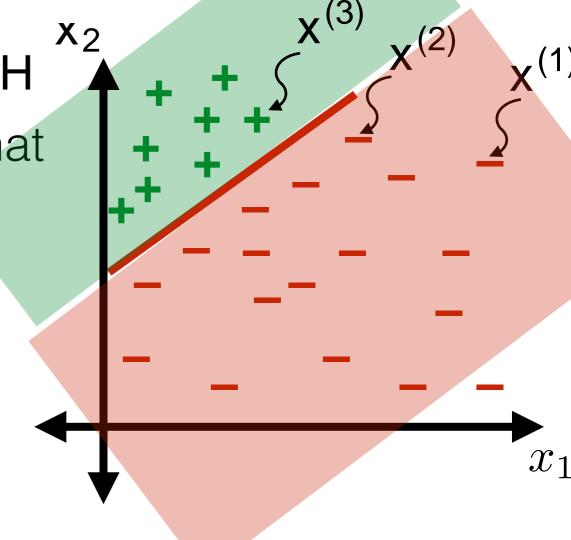
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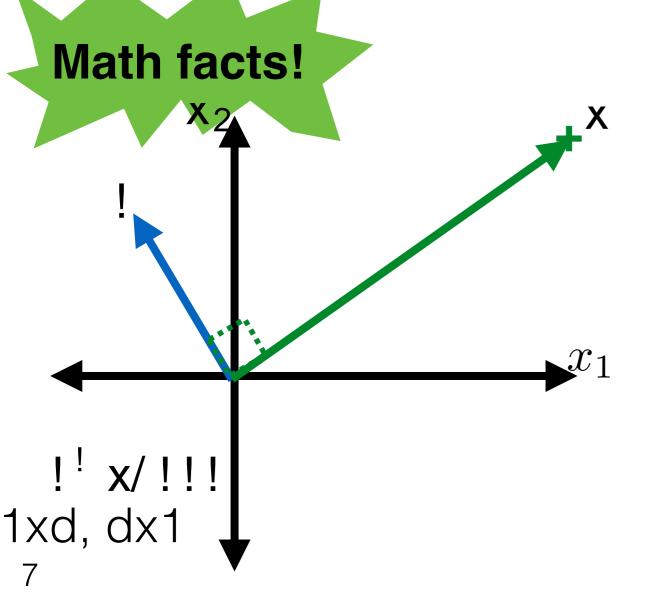


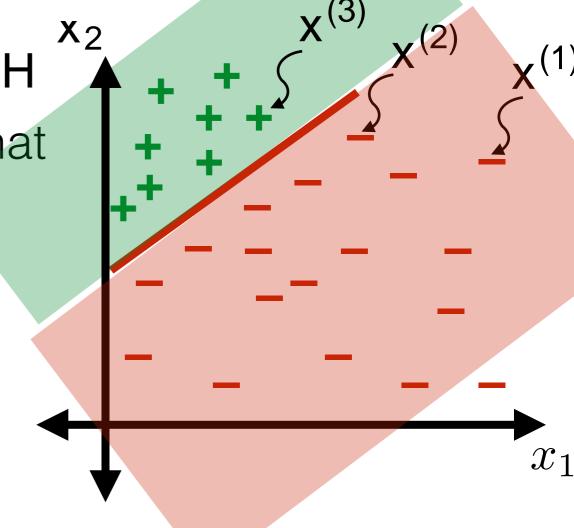
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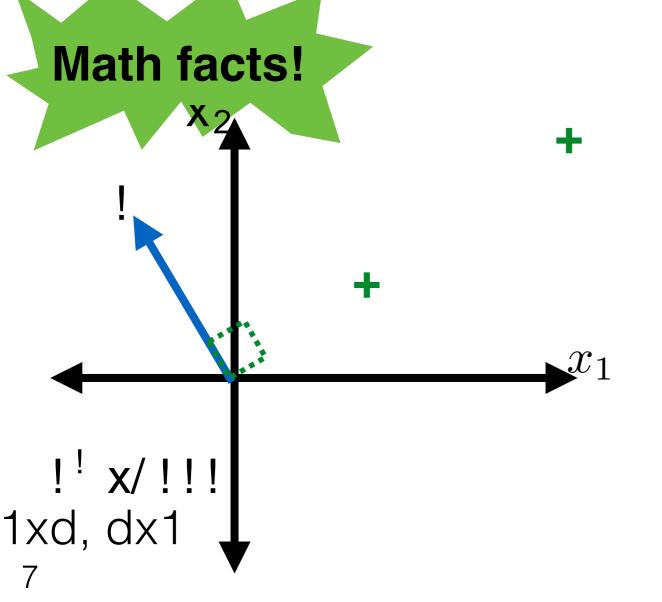


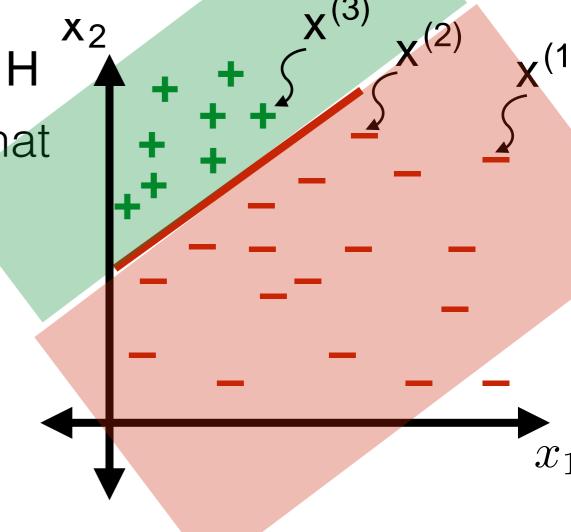
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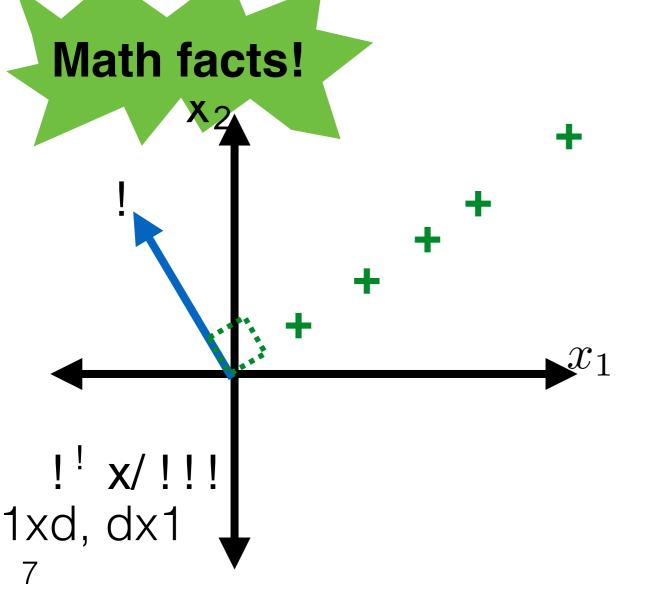


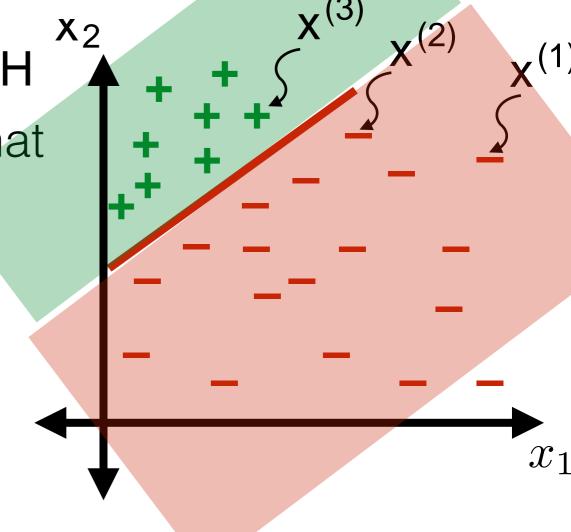
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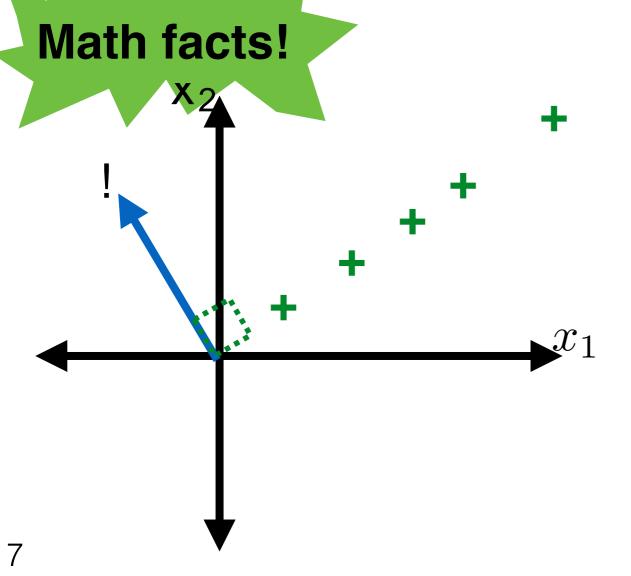


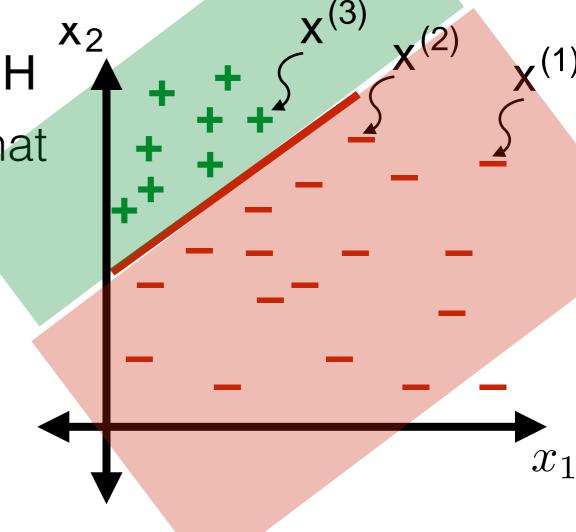
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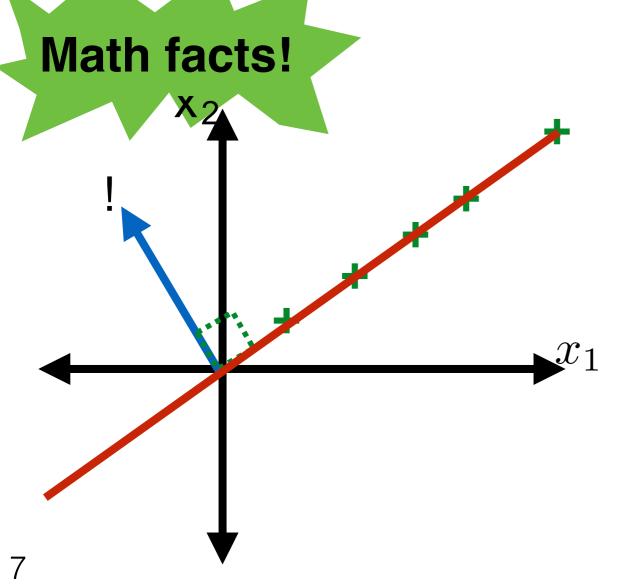


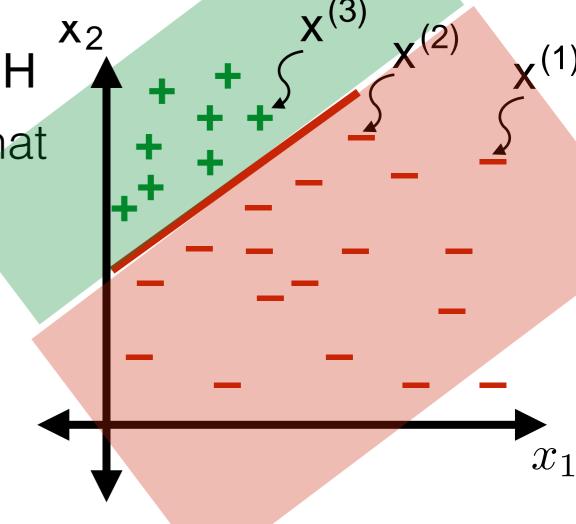
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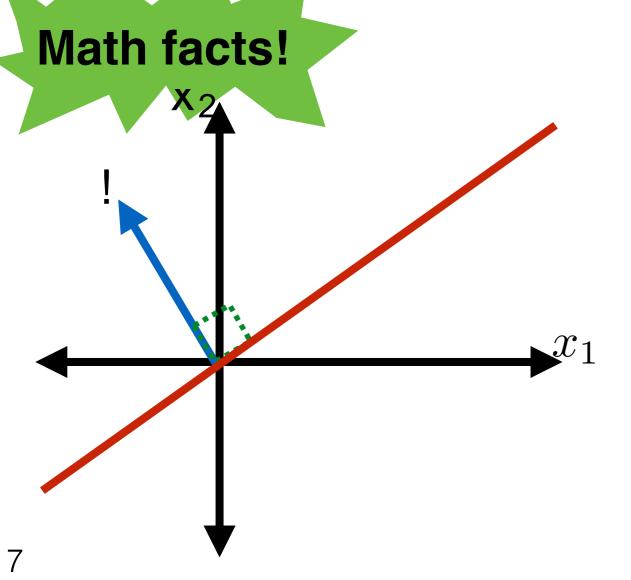


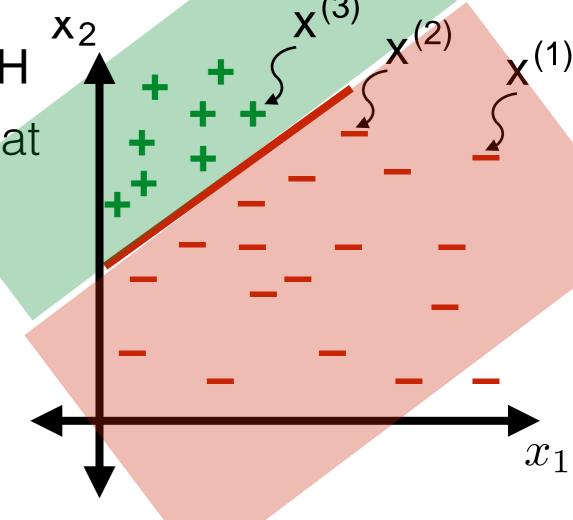
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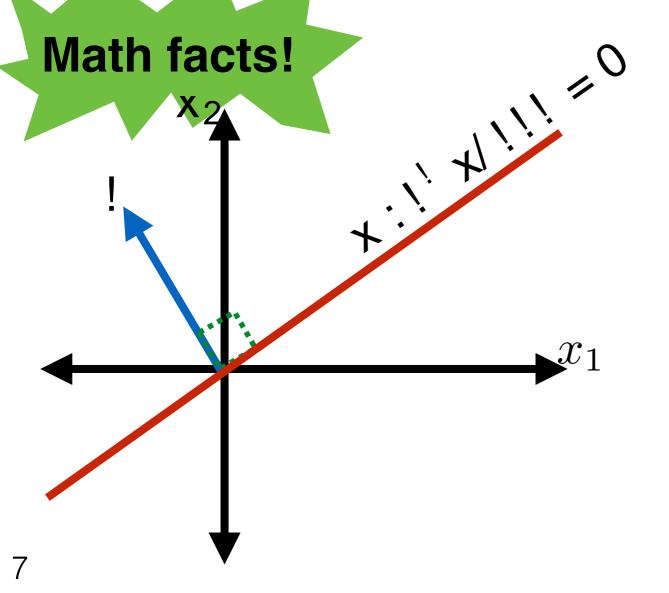


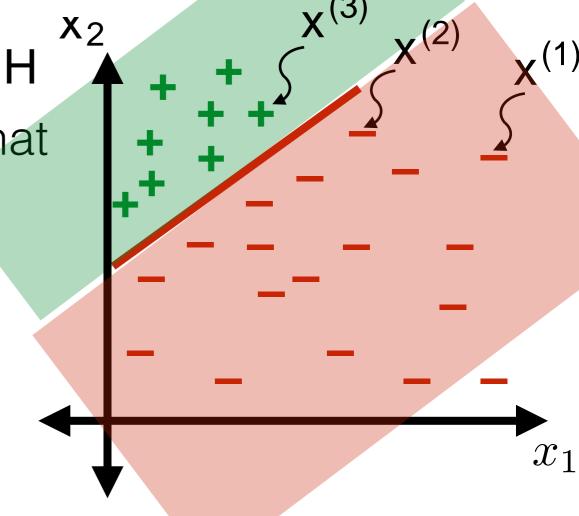
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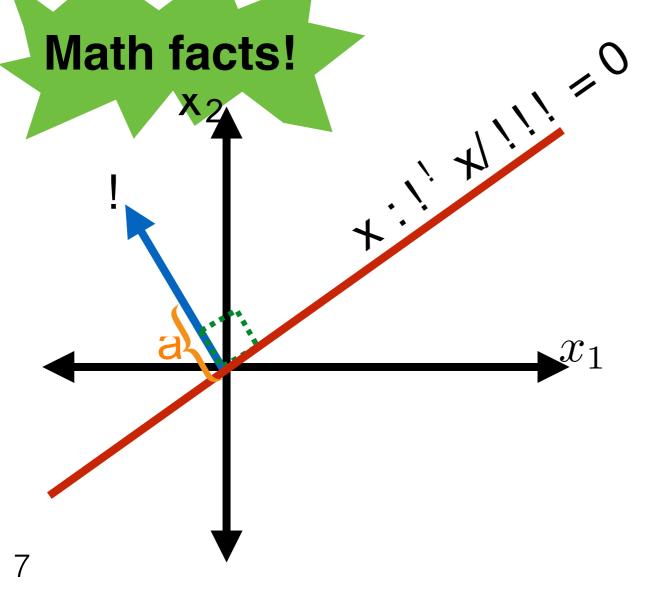


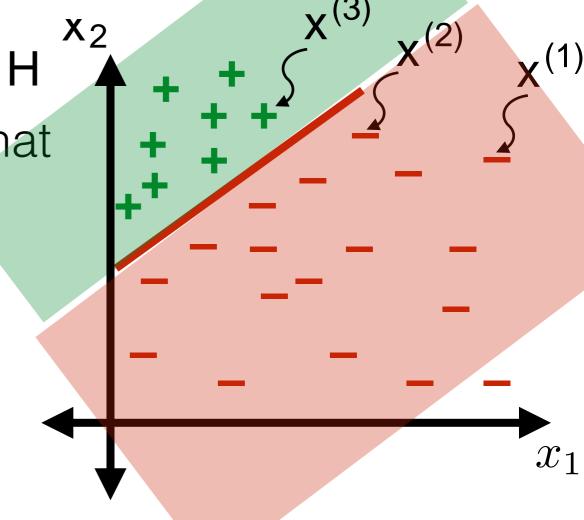
• Hypothesis class \mathcal{H} : set of \mathbf{h} ! H



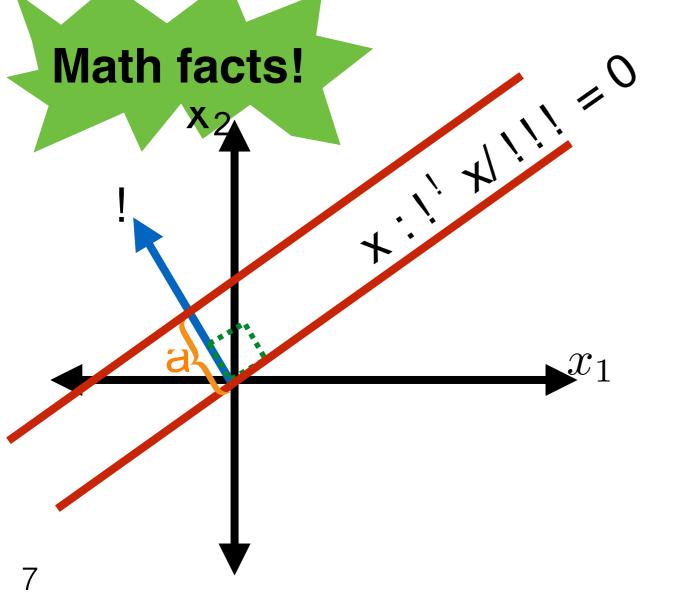


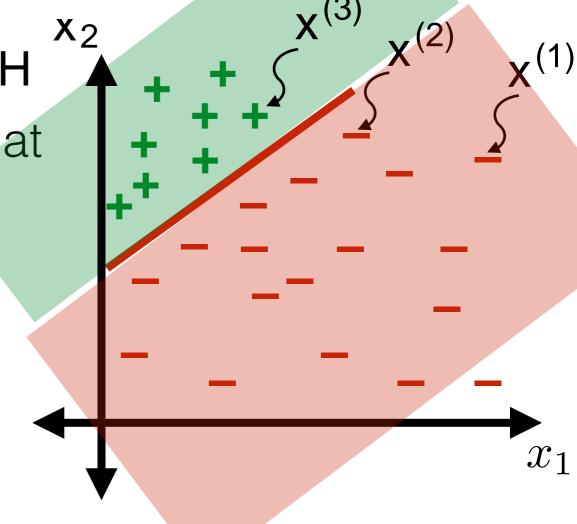
• Hypothesis class \mathcal{H} : set of \mathbf{h} ! H



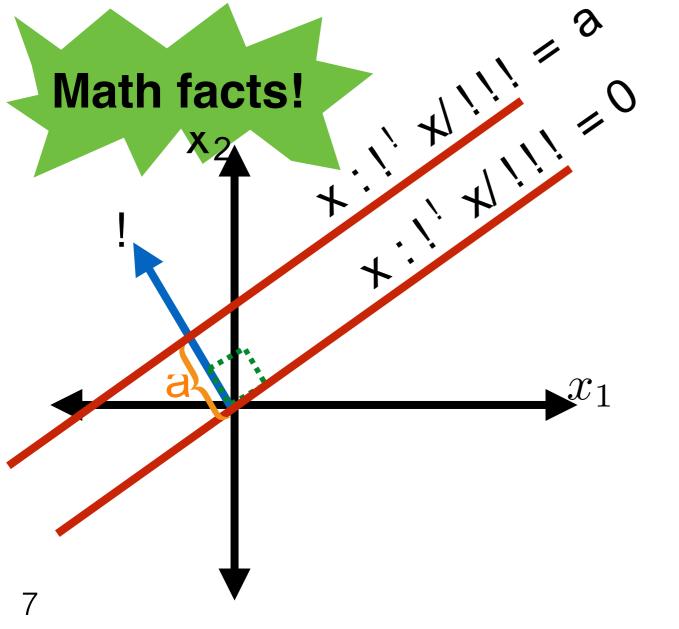


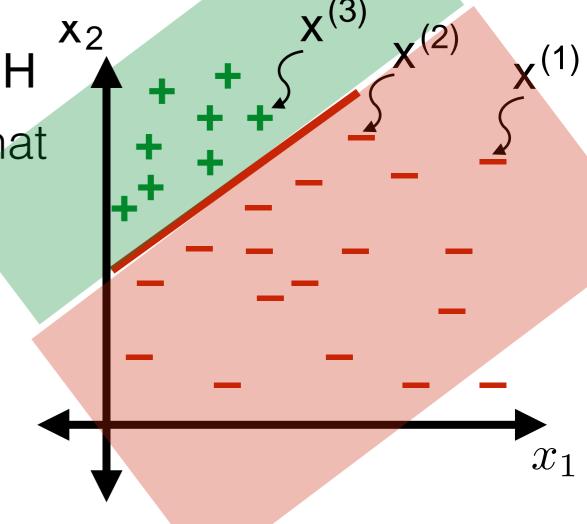
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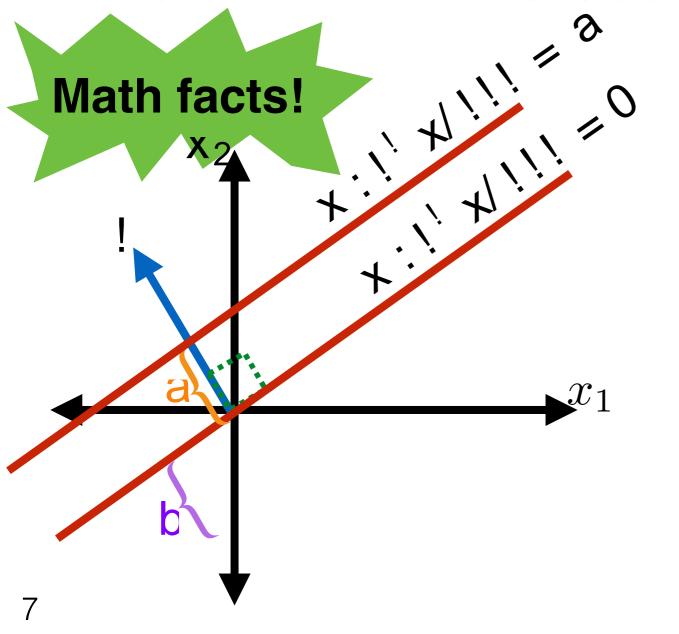


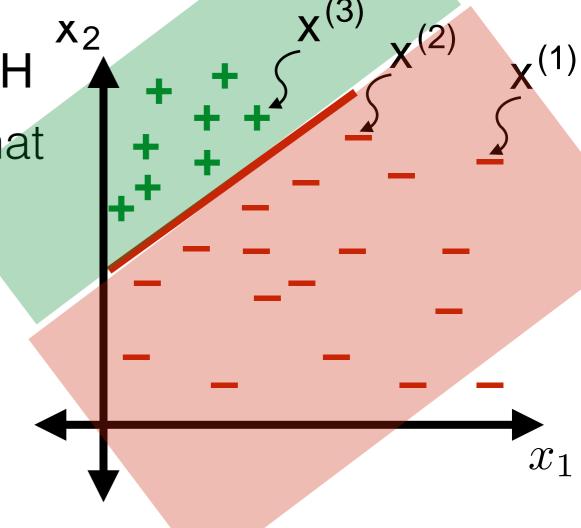
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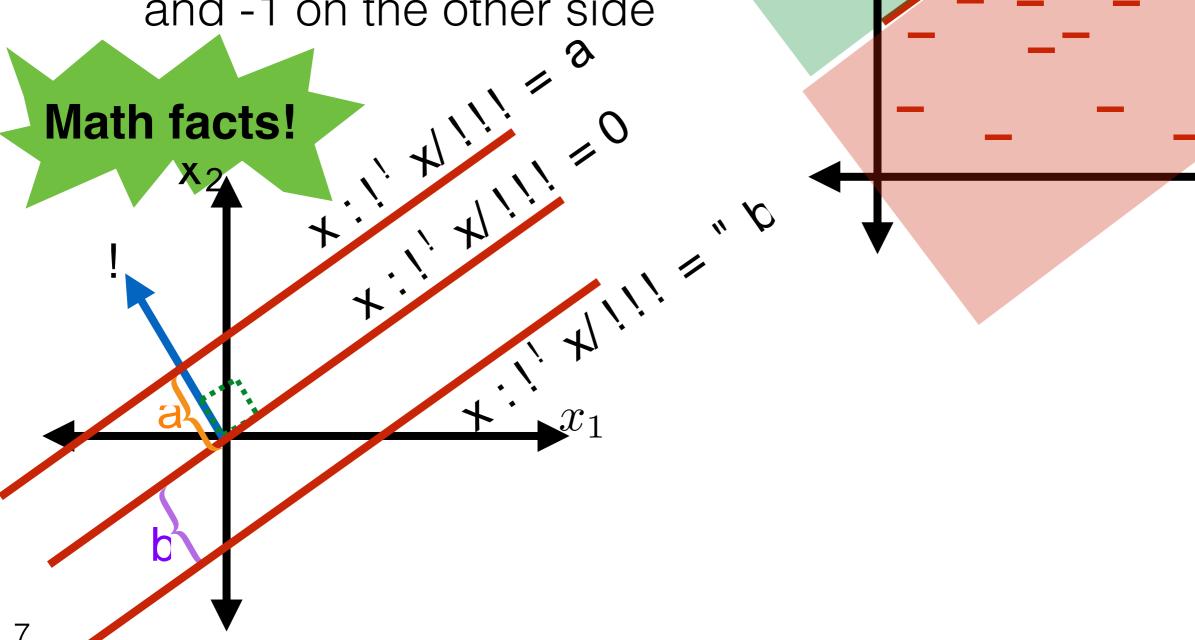


Hypothesis class H: set of h! H

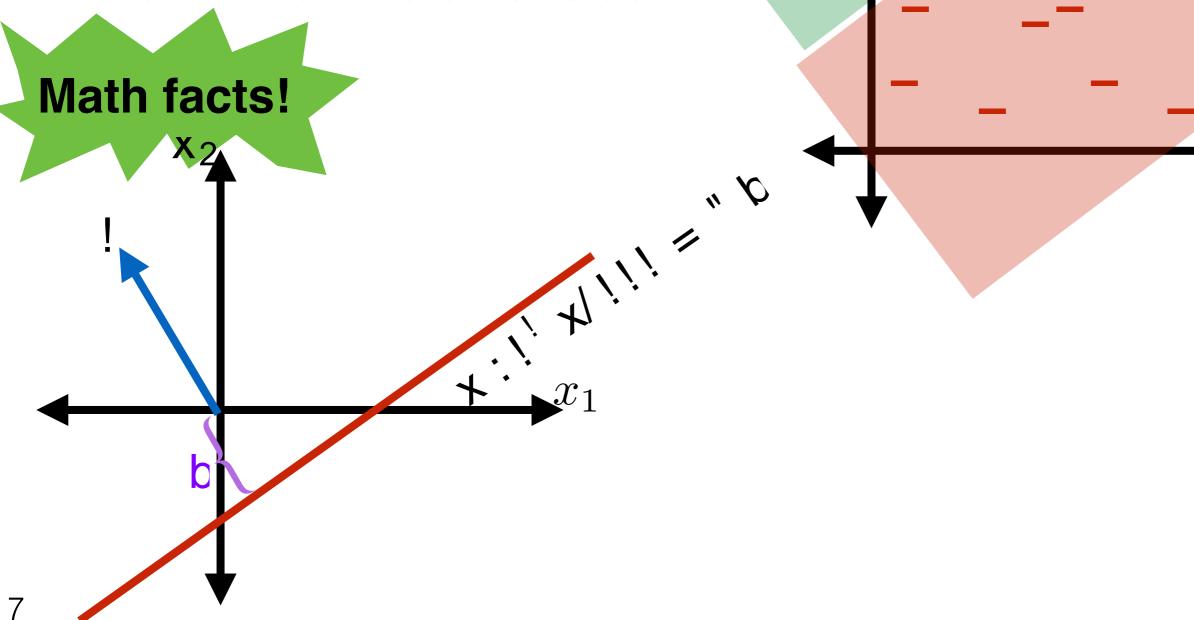




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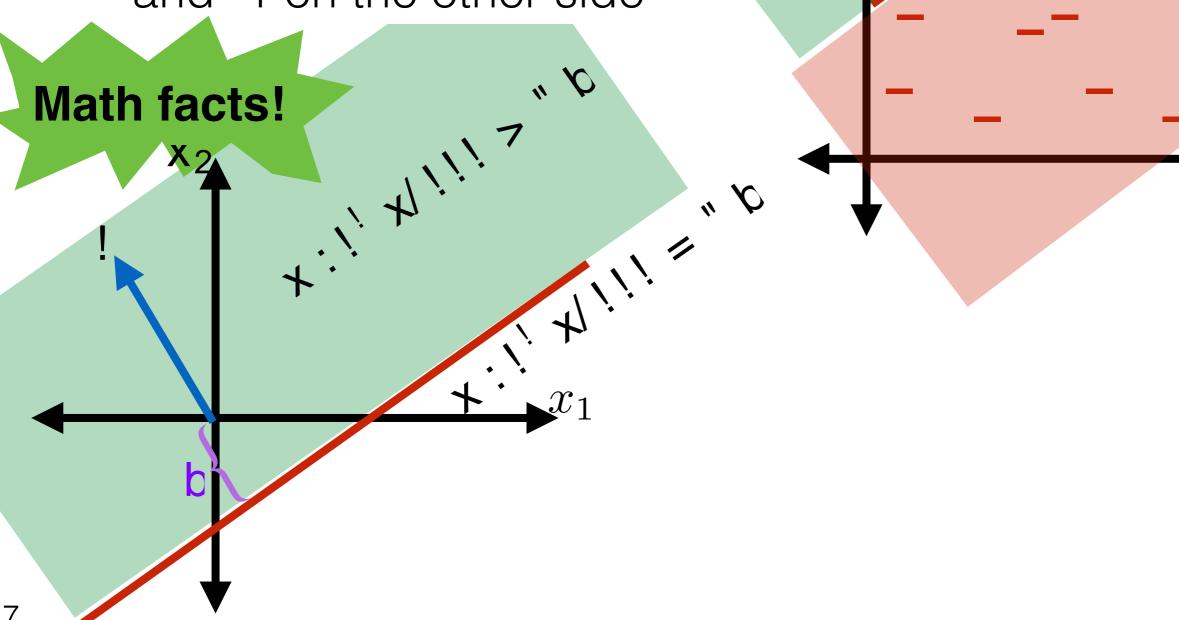


• Hypothesis class \mathcal{H} : set of \mathbf{h} ! H



• Hypothesis class \mathcal{H} : set of \mathbf{h} ! \mathbf{H} • Example \mathcal{H} : All hypotheses that label +1 on one side of a line and -1 on the other side Math facts!

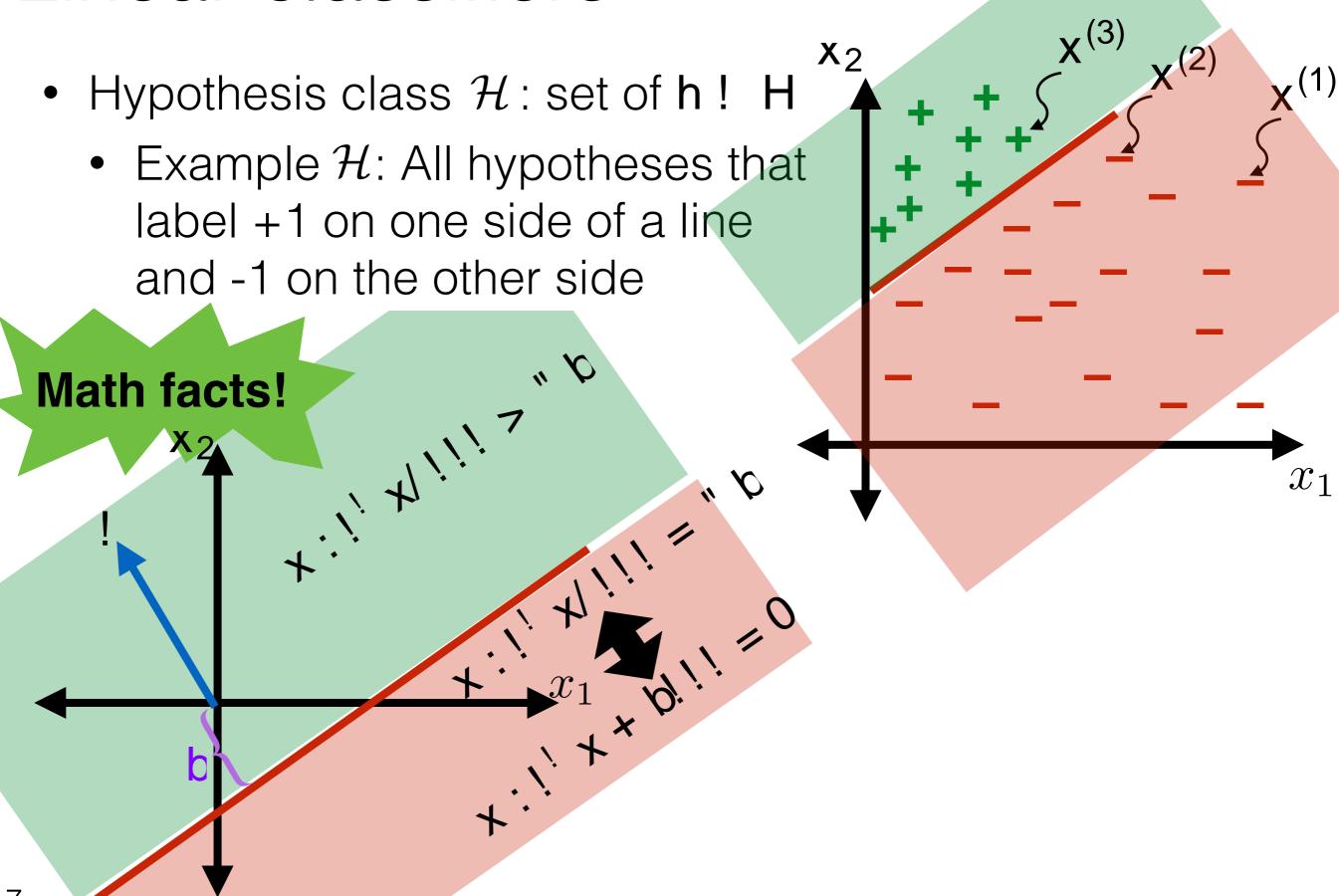
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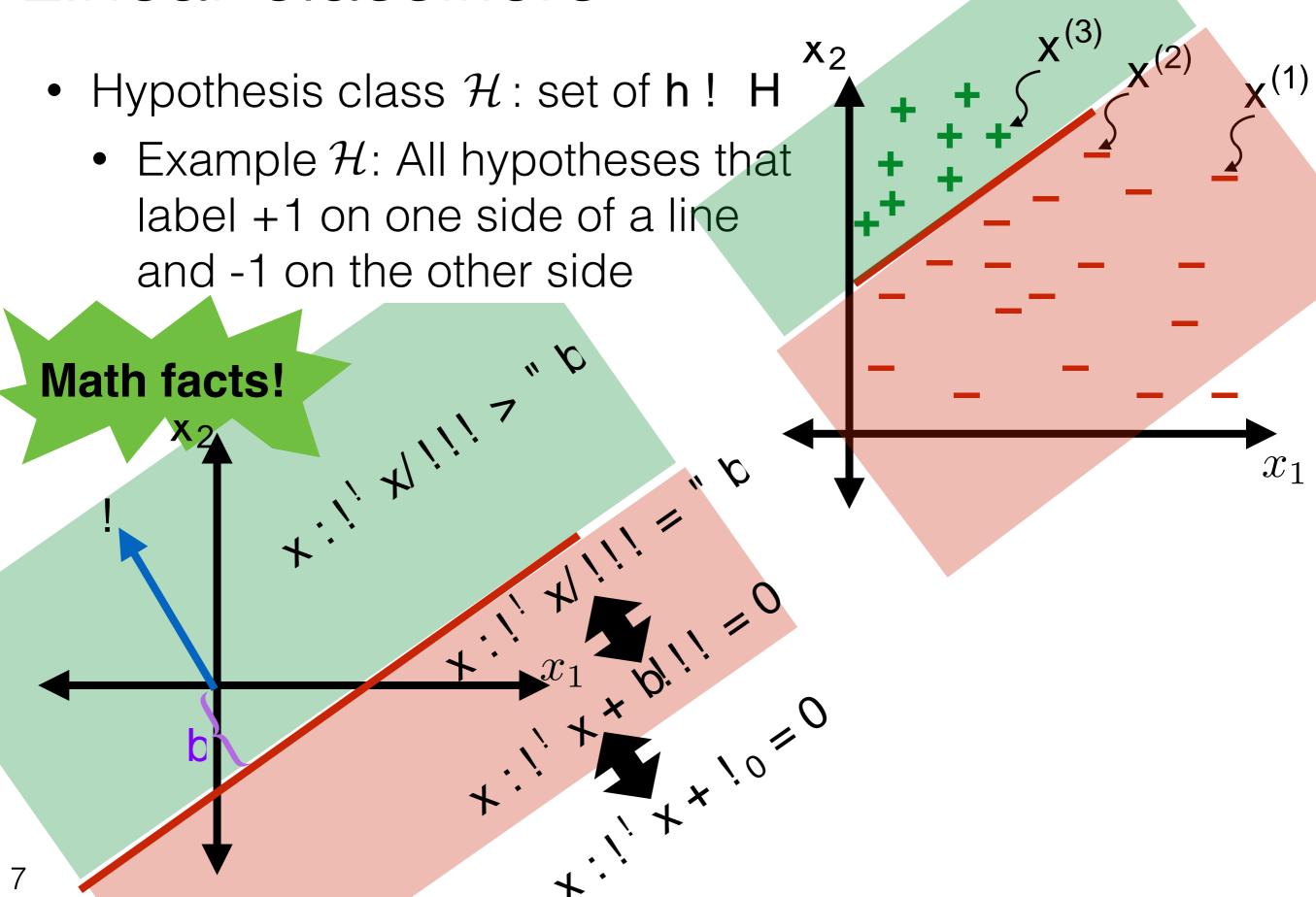


• Hypothesis class \mathcal{H} : set of \mathbf{h} ! H • Example \mathcal{H} : All hypotheses that label +1 on one side of a line and -1 on the other side **Math facts!**

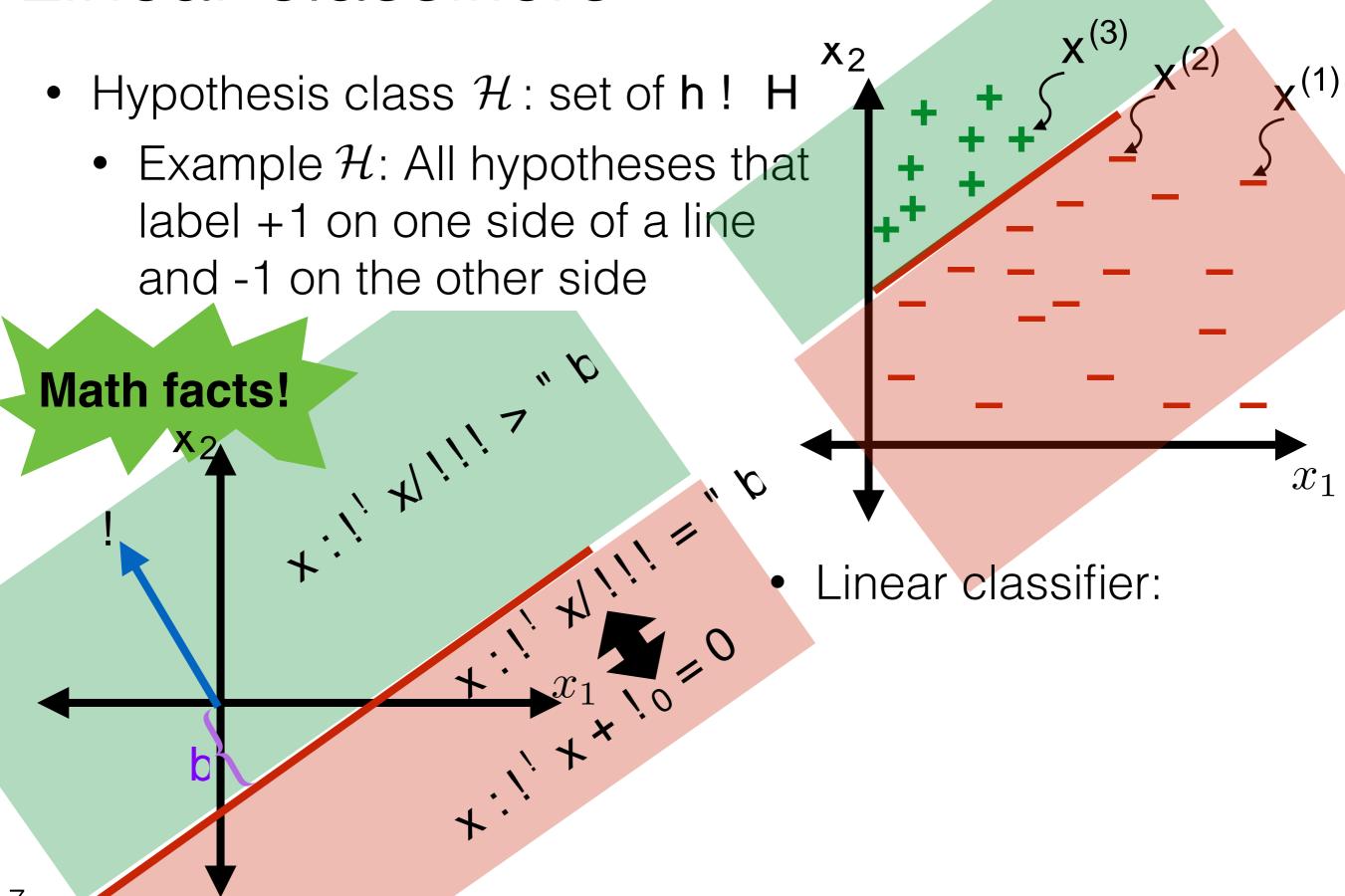
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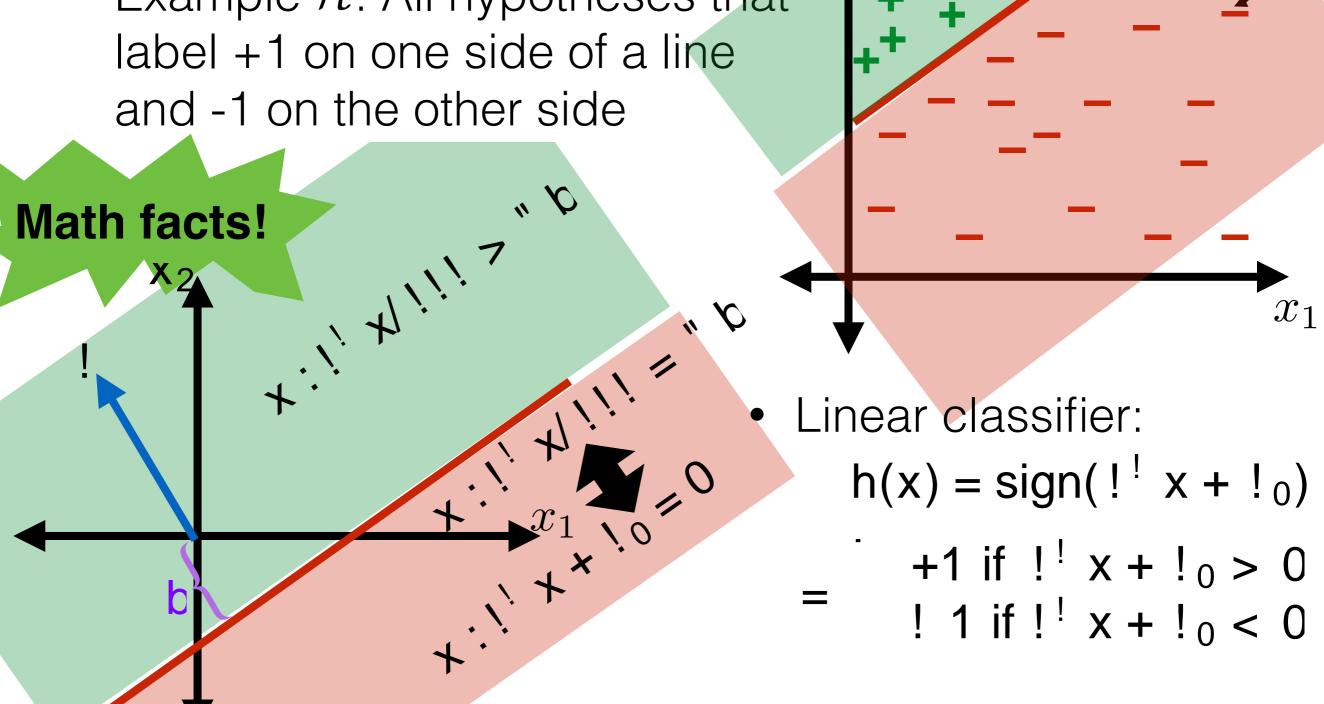


• Hypothesis class \mathcal{H} : set of \mathbf{h} ! H • Example \mathcal{H} : All hypotheses that label +1 on one side of a line and -1 on the other side **Math facts!** 1 10

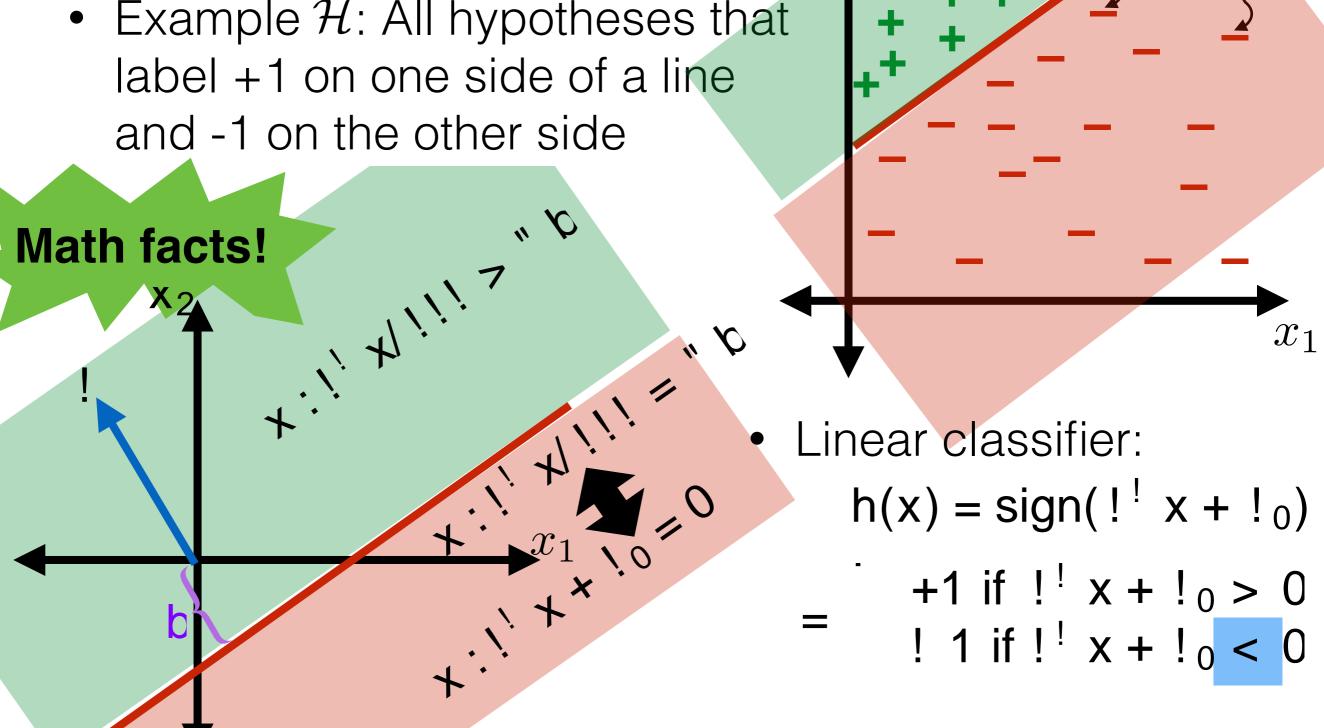


 Hypothesis class H: set of h! H • Example \mathcal{H} : All hypotheses that label +1 on one side of a line and -1 on the other side **Math facts!** Linear classifier: $h(x) = sign(!! x + !_0)$ 1 10

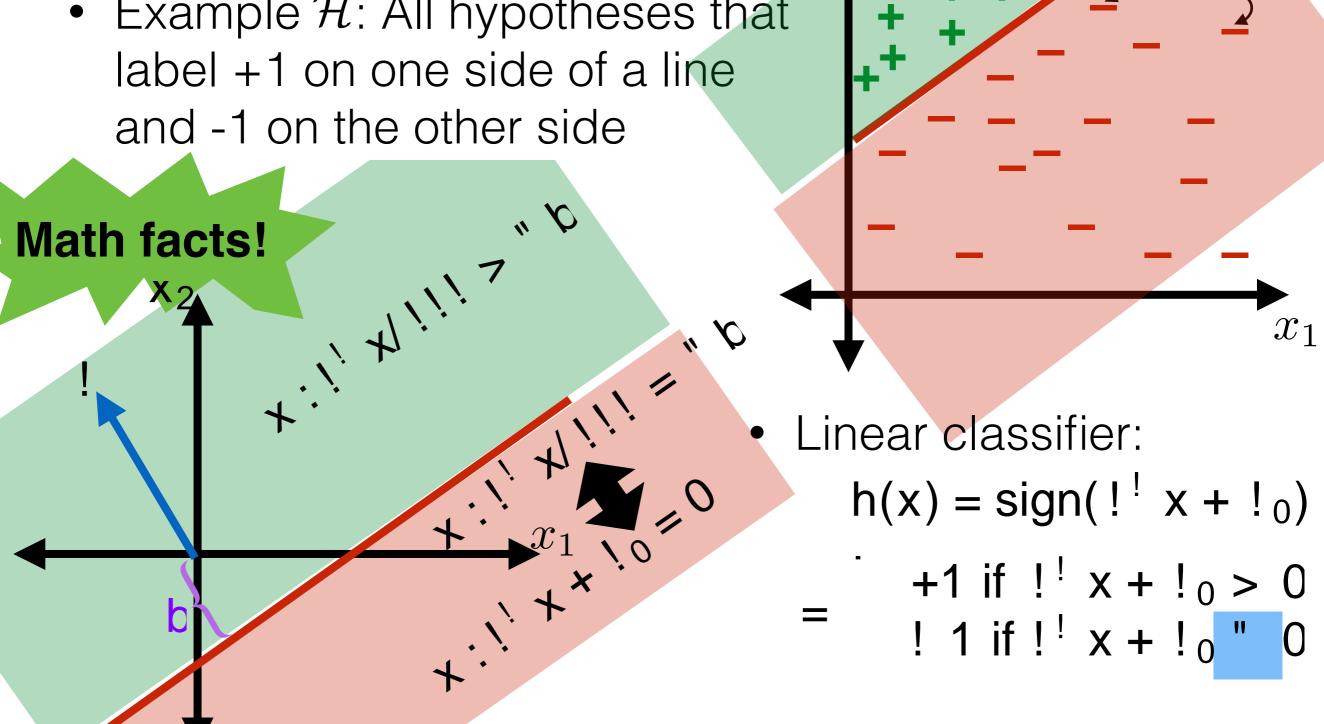
Hypothesis class H: set of h! H



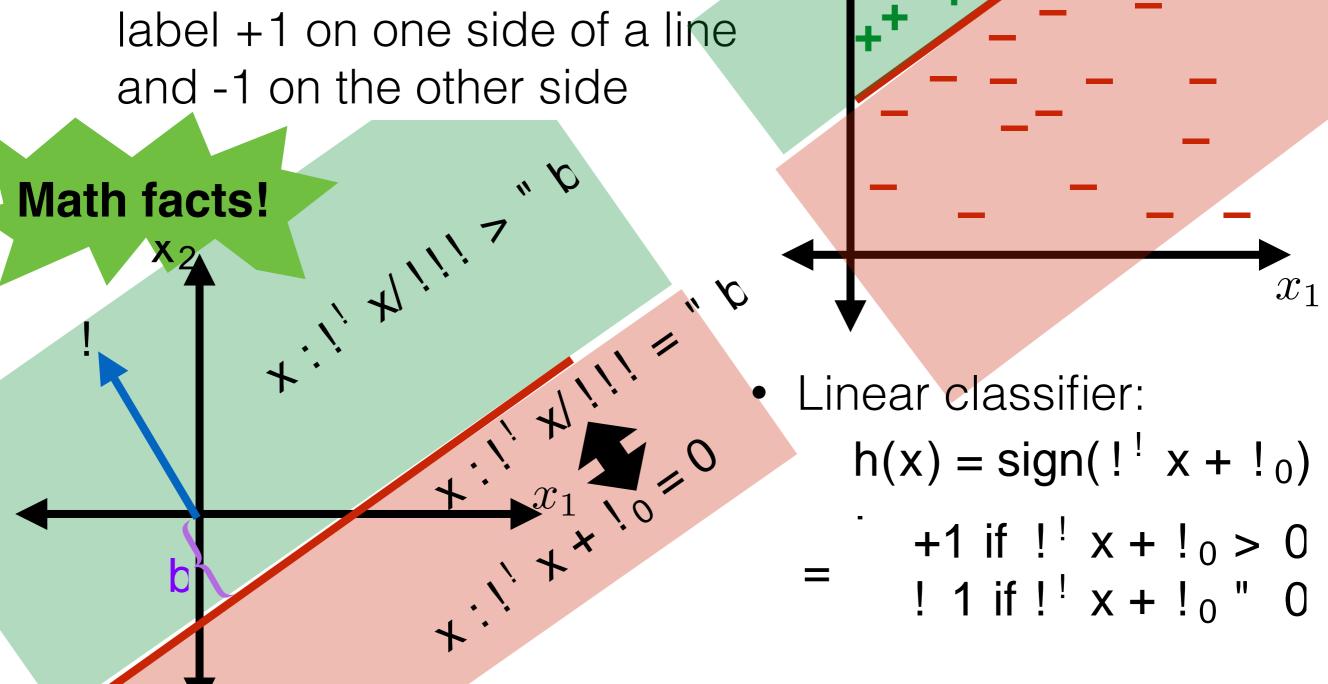
Hypothesis class H: set of h! H



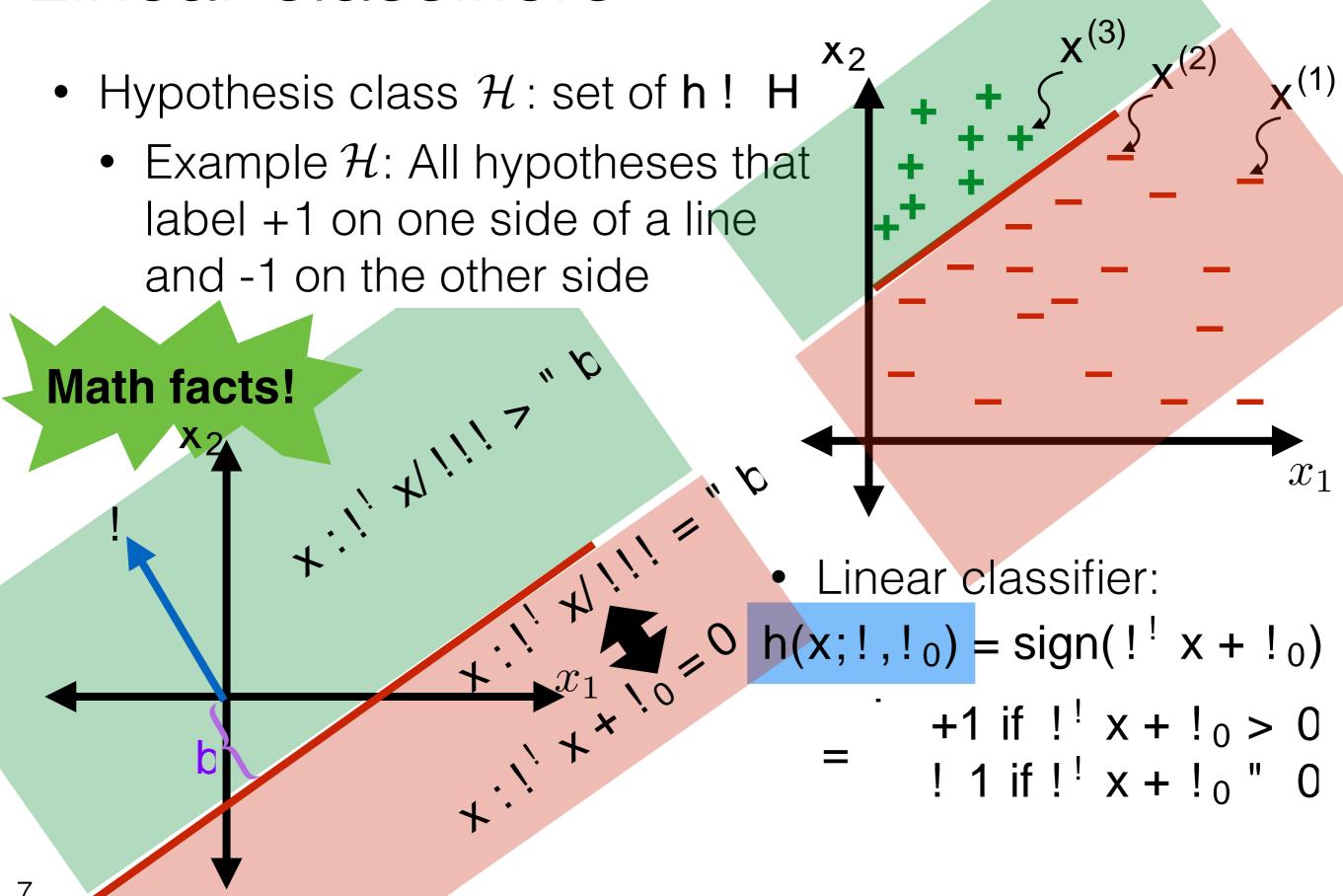
Hypothesis class H: set of h! H



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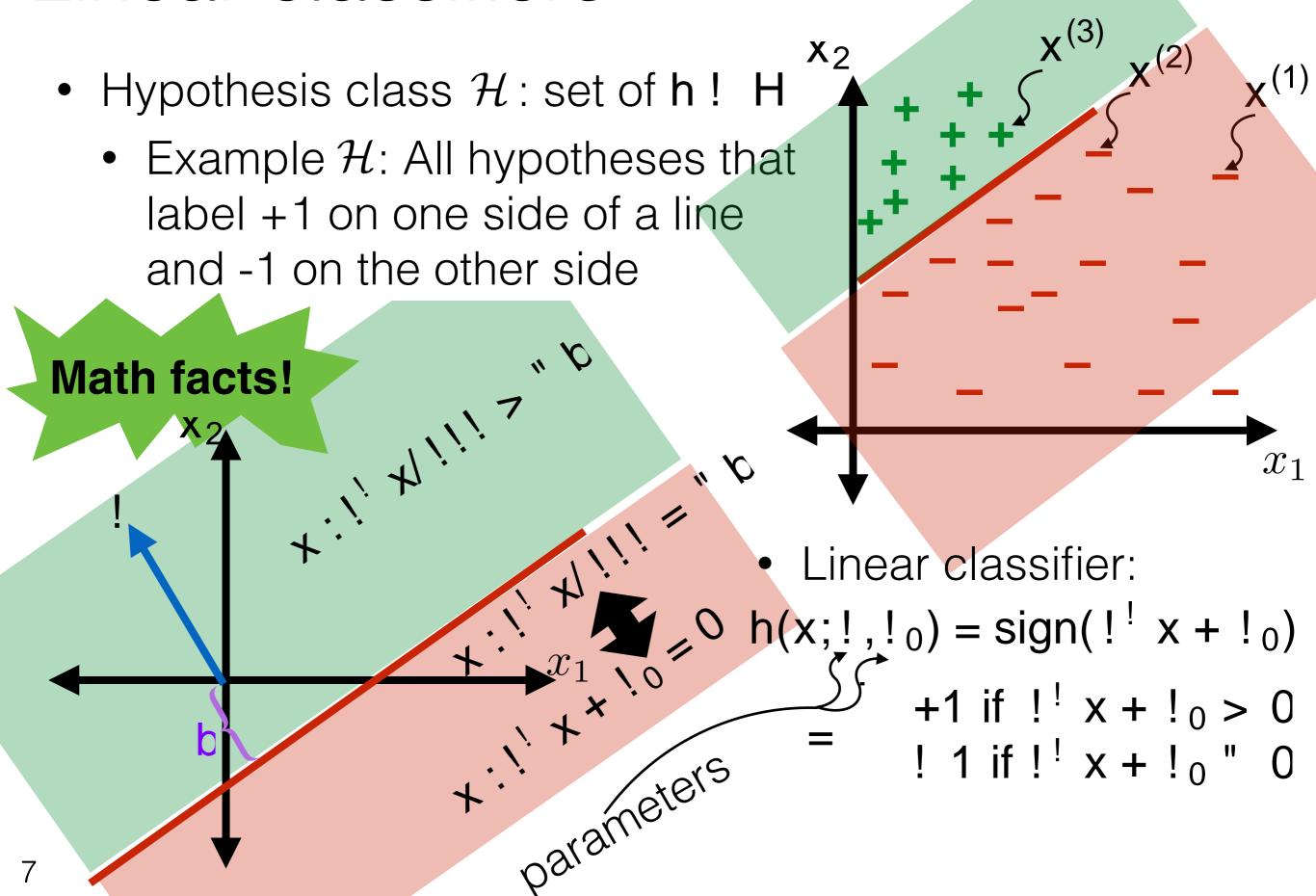
 Hypothesis class H: set of h! H • Example \mathcal{H} : All hypotheses that label +1 on one side of a line and -1 on the other side **Math facts!** Linear classifier: $h(x) = sign(!! x + !_0)$ +1 if $!! x + !_0 > 0$ $! 1 if !! x + !_0 " 0$



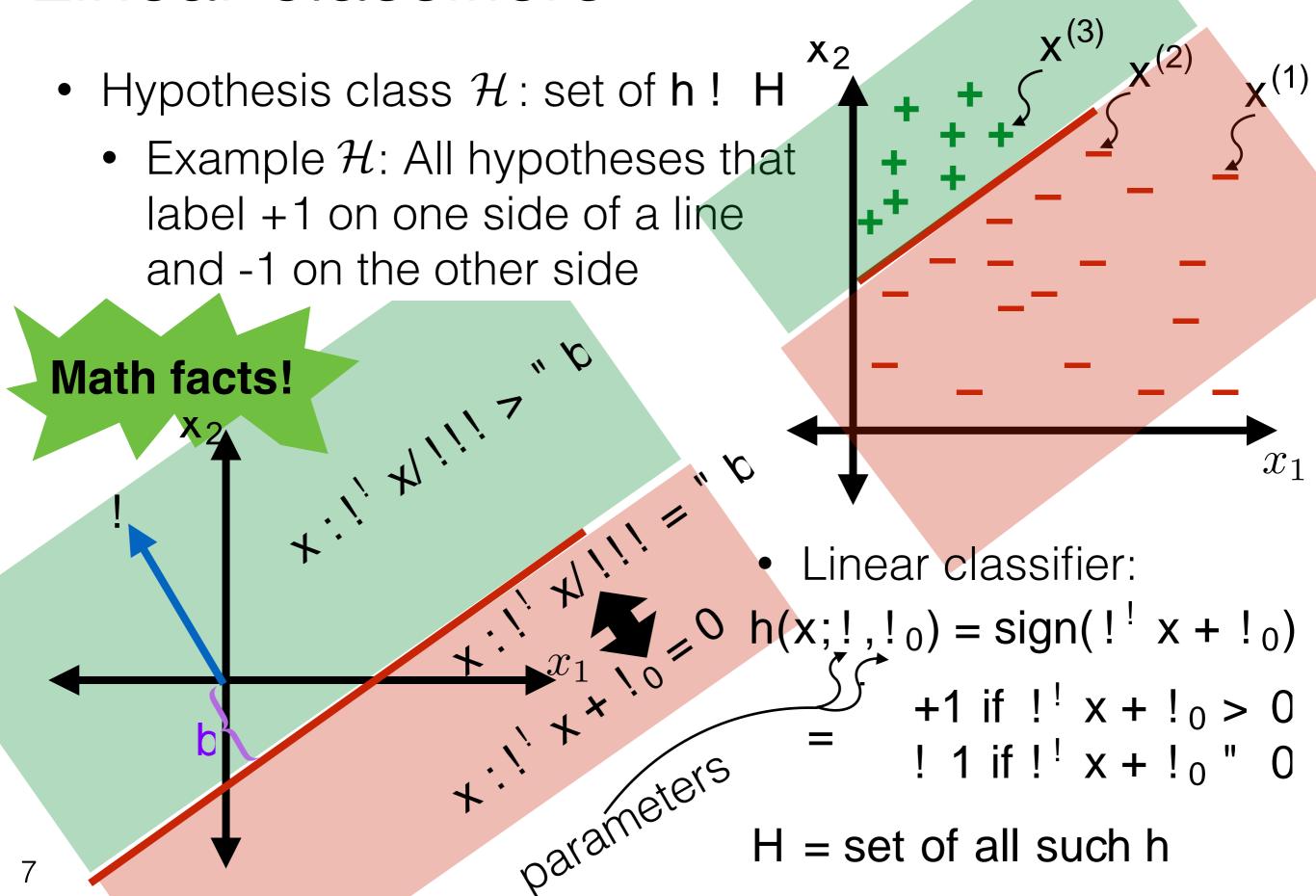
Linear classifiers

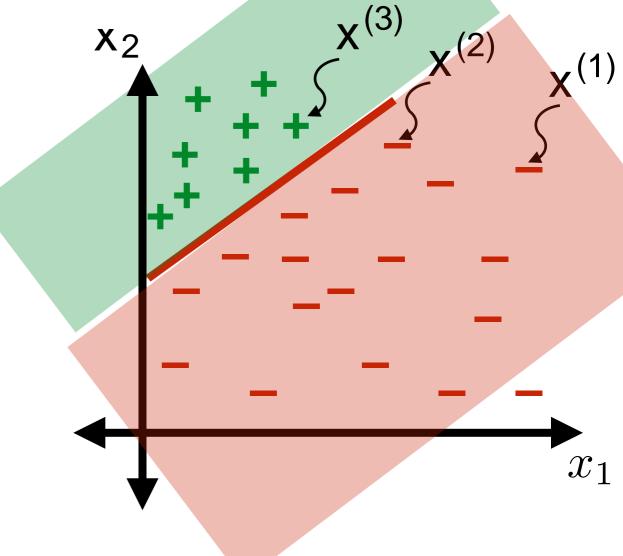
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Linear classifiers

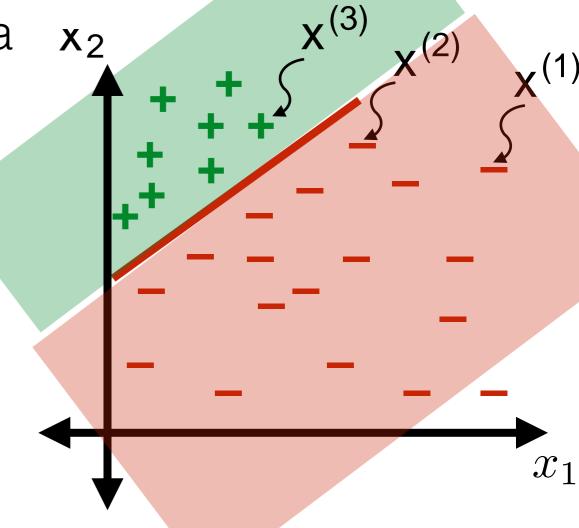


Linear classifiers



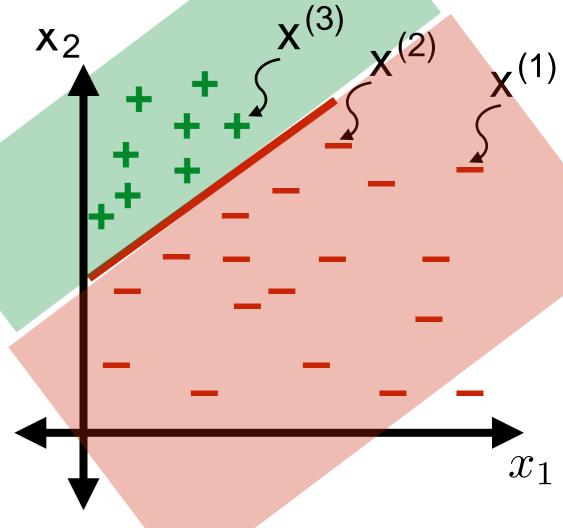


Should predict well on future data



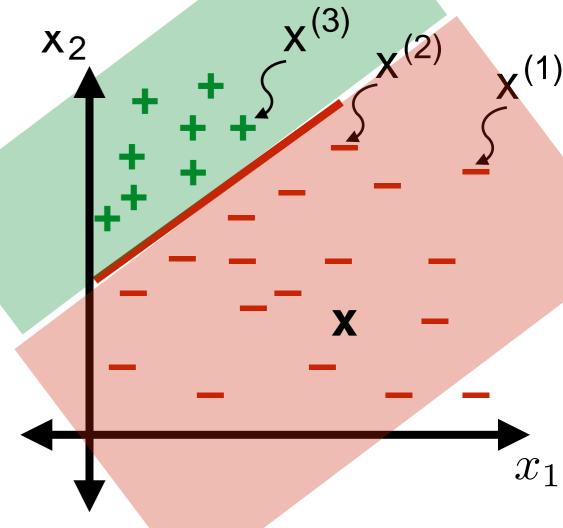
• Should predict well on future data

 How good is a classifier at a single point?



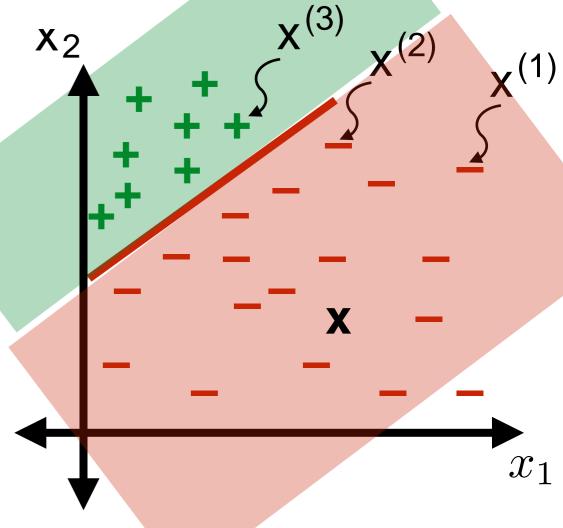
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 How good is a classifier at a single point?



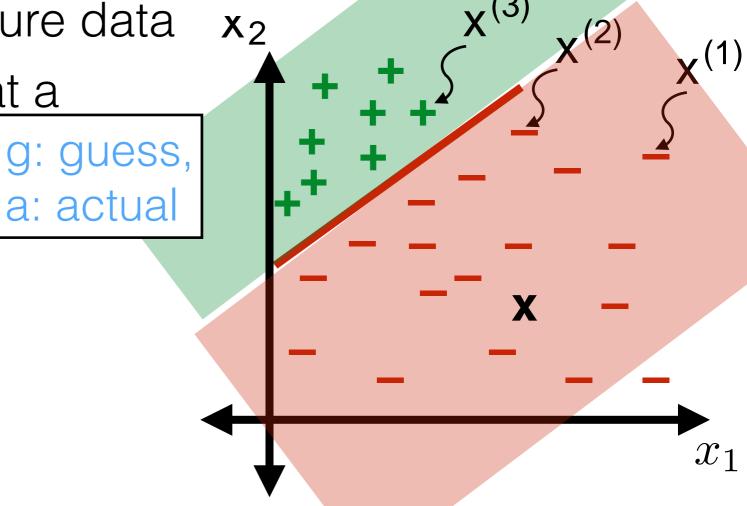
• Should predict well on future data

• How good is a classifier at a single point? Loss L(g,a)



Should predict well on future data

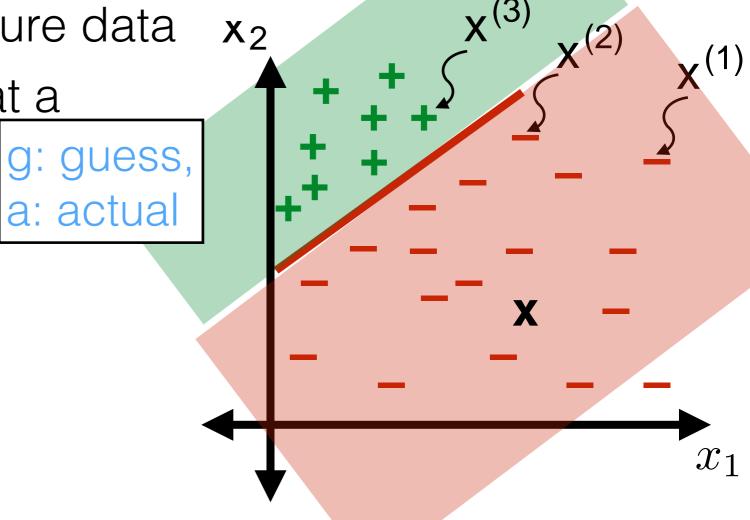
How good is a classifier at a single point? Loss L(g,a) g: guess,



Should predict well on future data

• How good is a classifier at a single point? Loss L(g,a) g: guess,

• Example: 0-1 loss

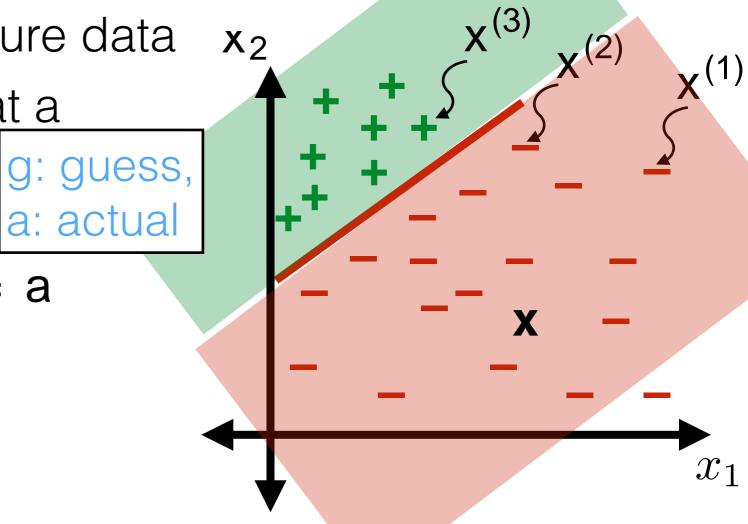


Should predict well on future data

• How good is a classifier at a single point? Loss L(g,a) g: guess,

• Example: 0-1 loss

$$L(g, a) = 0$$
 if $g = a$
1 else

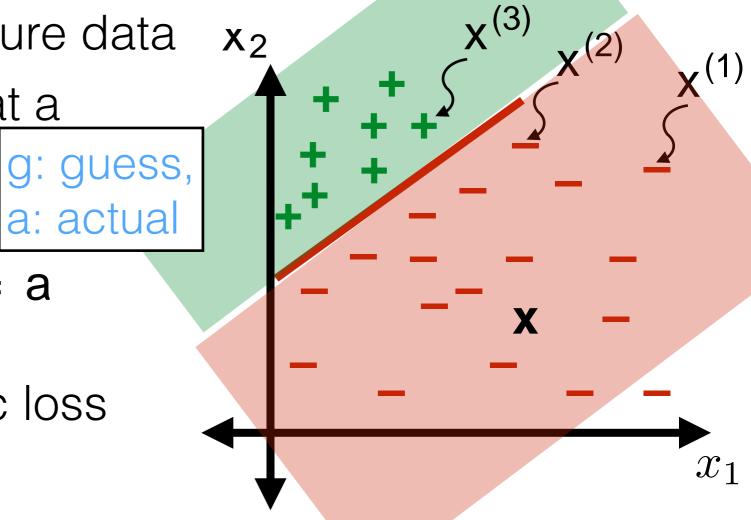


- Should predict well on future data
- How good is a classifier at a single point? Loss L(g,a) g: guess,
 - Example: 0-1 loss

$$L(g, a) = 0 \text{ if } g = a$$

1 else

• Example: asymmetric loss



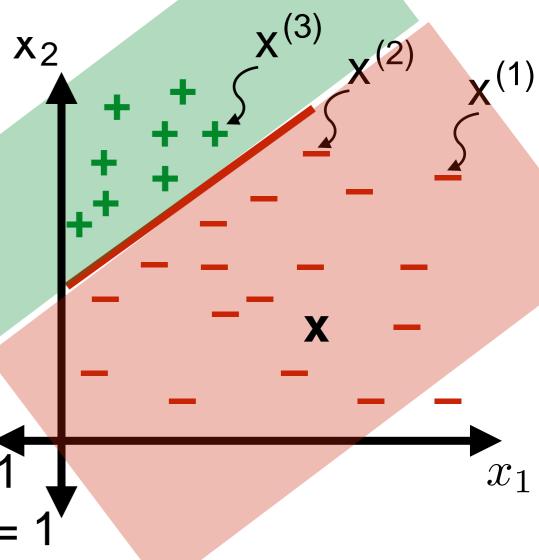
- Should predict well on future data
- How good is a classifier at a single point? Loss L(g,a) g: guess,
 - Example: 0-1 loss

$$L(g,a) = \begin{cases} 0 & \text{if } g = a \\ 1 & \text{else} \end{cases}$$

Example: asymmetric loss

" 1 if
$$g = 1, a = ! 1$$
,
L(g,a) = # 100 if $g = ! 1, a = 1$
0 else

a: actual



- Should predict well on future data
- How good is a classifier at a single point? Loss L(g, a) g: guess,
 - Example: 0-1 loss

$$L(g,a) = \begin{cases} 0 & \text{if } g = a \\ 1 & \text{else} \end{cases}$$

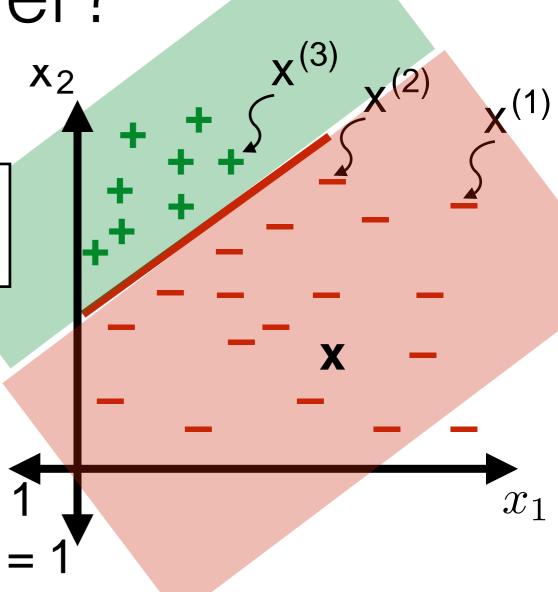
Example: asymmetric loss

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0 else

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Test error (n' new points):



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• Test error (n'new points): $E(h) = \frac{1}{n!} \sum_{i=n+1}^{n} L(h(x^{(i)}), y^{(i)})$

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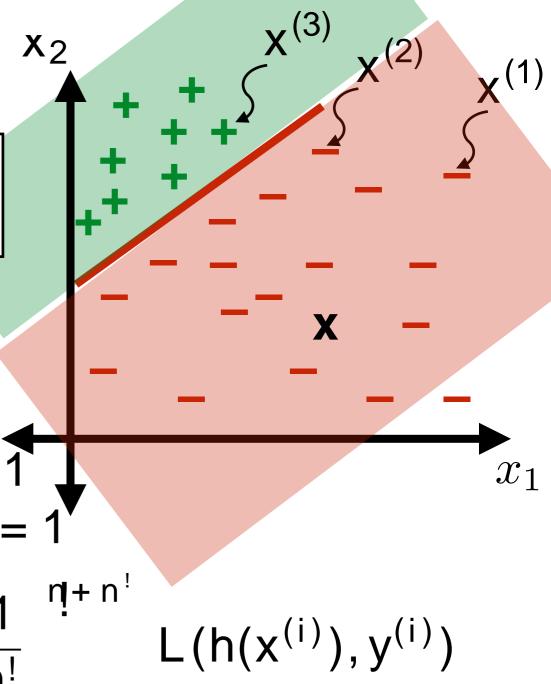
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a: actual

Training error:



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 - Example: 0-1 loss

$$L(g,a) = \begin{cases} 0 & \text{if } g = a \\ 1 & \text{else} \end{cases}$$

• Example: asymmetric loss

$$u$$
 1 if $g = 1$, $a = ! 1$, $L(g, a) = \# 100$ if $g = ! 1$, $a = 1$ 0 else

• Test error (n' new points): $E(h) = \frac{1}{n!} \sum_{i=n+1}^{n} L(h(x^{(i)}), y^{(i)})$

a: actual

• Training error: $E_n(h) = \frac{1}{n} \sum_{i=1}^{n} L(h(x^{(i)}), y^{(i)})$

- Should predict well on future data
- How good is a classifier at a single point? Loss L(g,a) g: guess,
 - Example: 0-1 loss

$$L(g,a) = \begin{cases} 0 & \text{if } g = a \\ 1 & \text{else} \end{cases}$$

Example: asymmetric loss

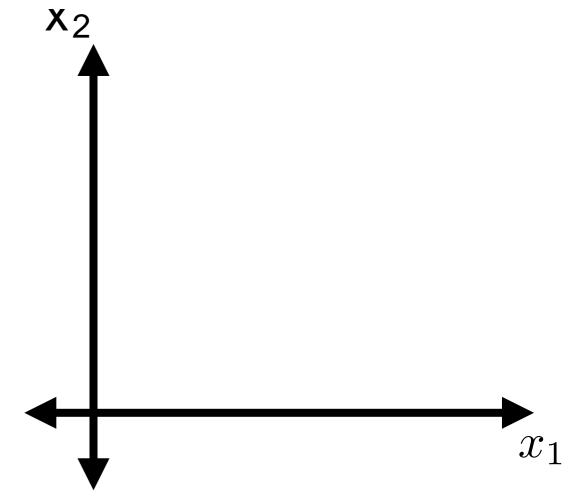
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 1 if $g = 1$, $a = ! 1$, $L(g, a) = \# 100$ if $g = ! 1$, $a = 1$ 0 else

• Test error (n' new points): $E(h) = \frac{1}{n!} \sum_{i=n+1}^{n} L(h(x^{(i)}), y^{(i)})$

a: actual

- Training error: $E_n(h) = \frac{1}{n} \prod_{i=1}^{!} L(h(x^{(i)}), y^{(i)})$
- ያ Prefer h to h if $E_n(h) < E_n(h)$

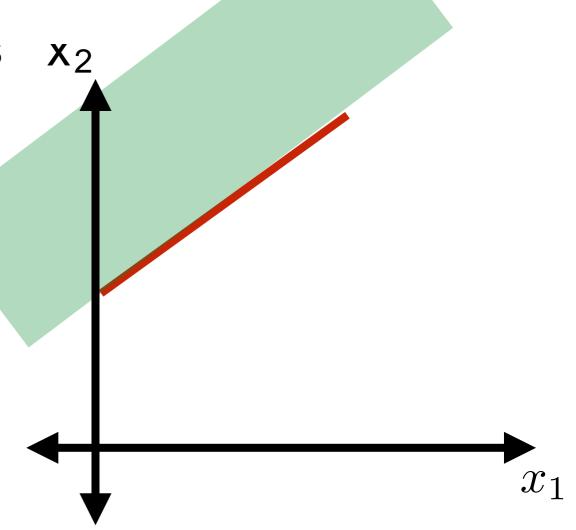
- Have data; have hypothesis class
- Want to choose a good classifier
 - Recall: $x \longrightarrow h \longrightarrow y$



• Have data; have hypothesis class

Want to choose a good classifier

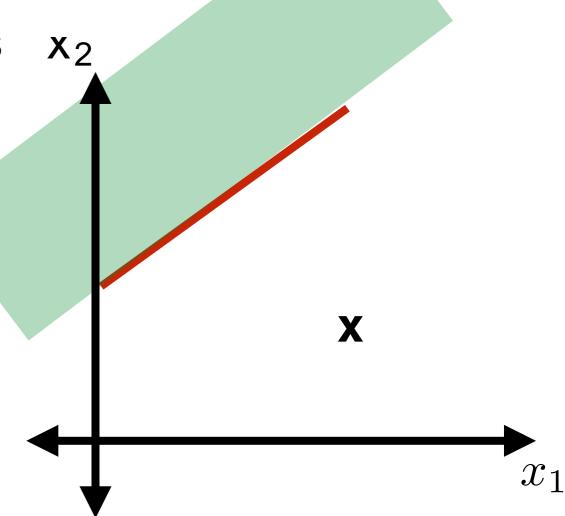
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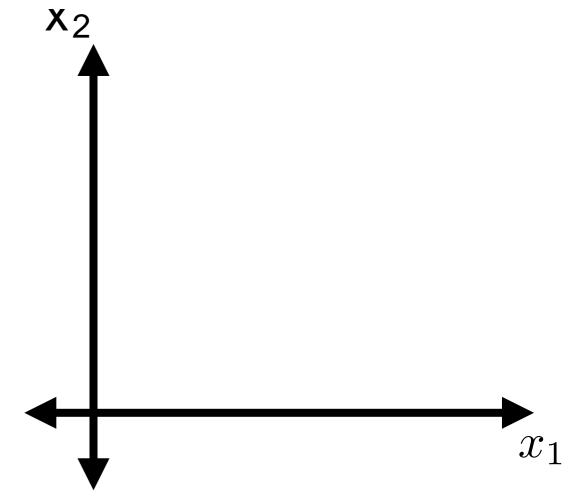
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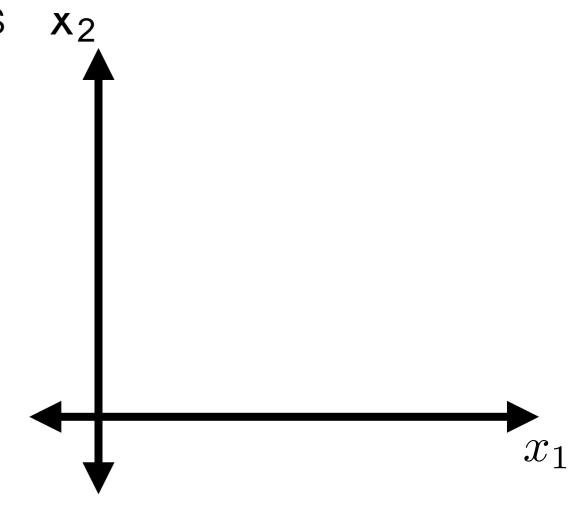
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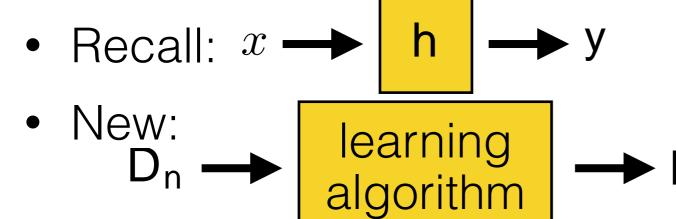
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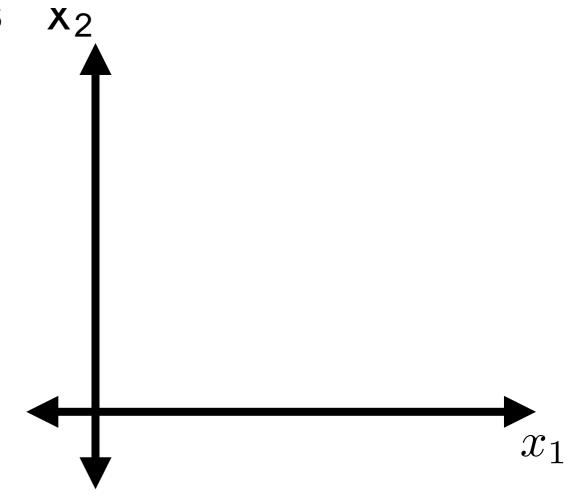


- Have data; have hypothesis class
- Want to choose a good classifier
 - Recall: $x \longrightarrow h \longrightarrow y$
 - New:

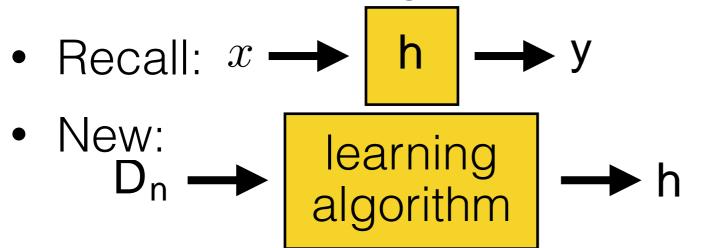


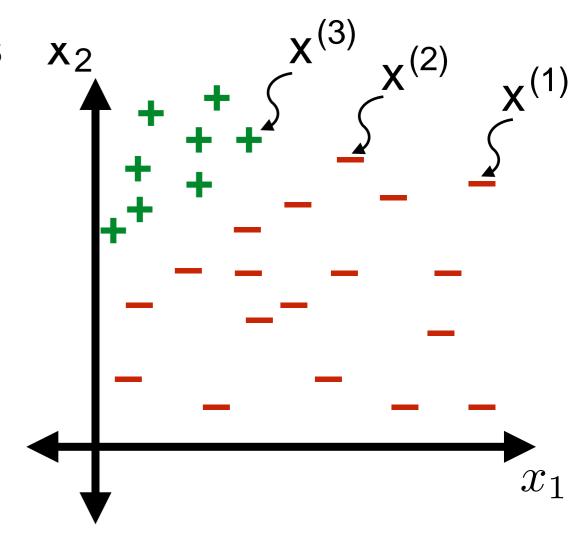
- Have data; have hypothesis class
- Want to choose a good classifier





- Have data; have hypothesis class
- Want to choose a good classifier

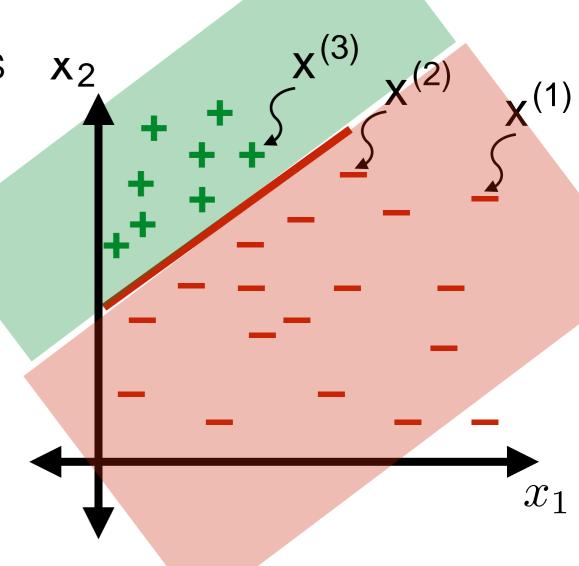




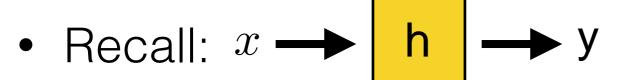
• Have data; have hypothesis class

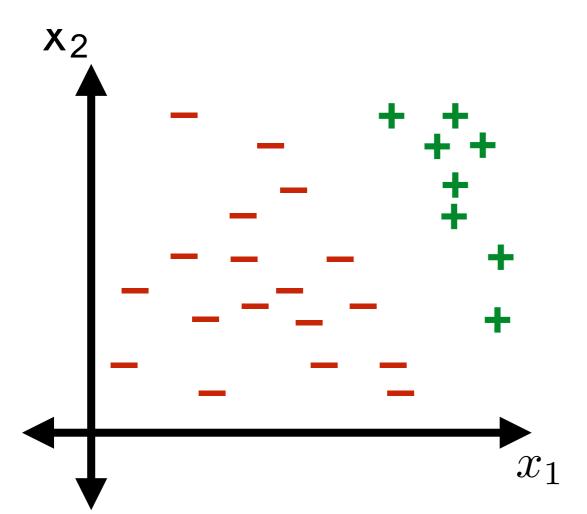
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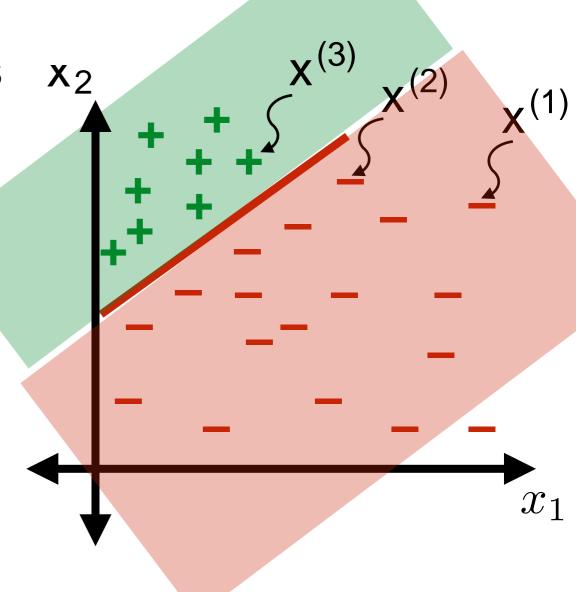
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- Have data; have hypothesis class
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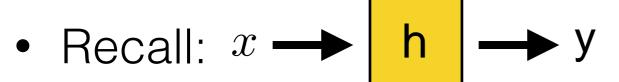


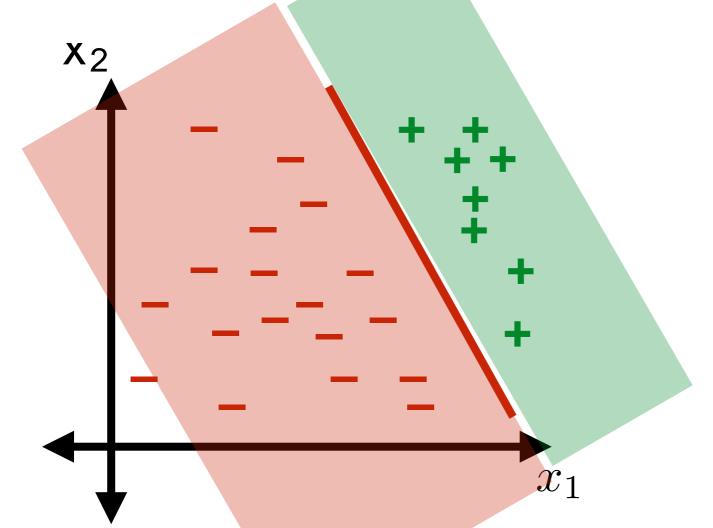


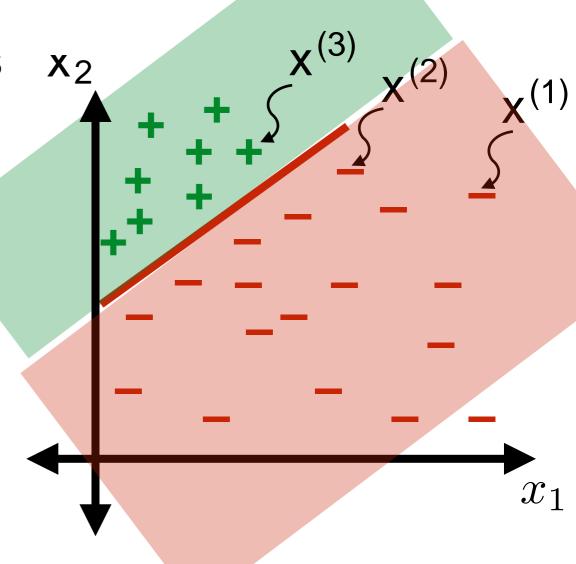


• Have data; have hypothesis class

Want to choose a good classifier

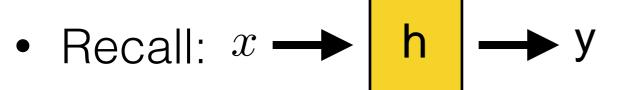


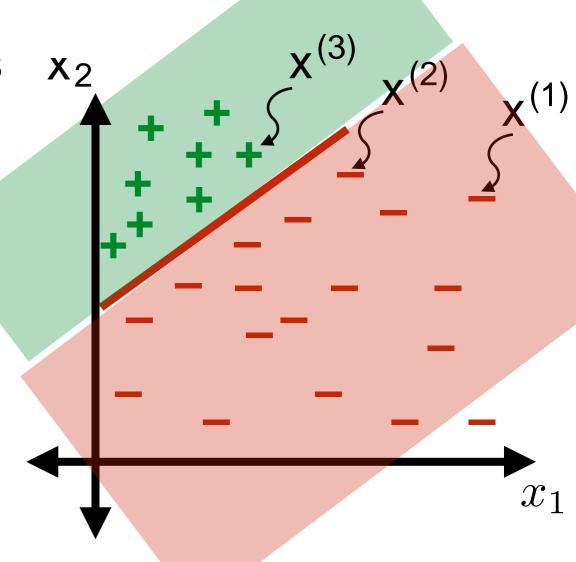




Have data; have hypothesis class

Want to choose a good classifier





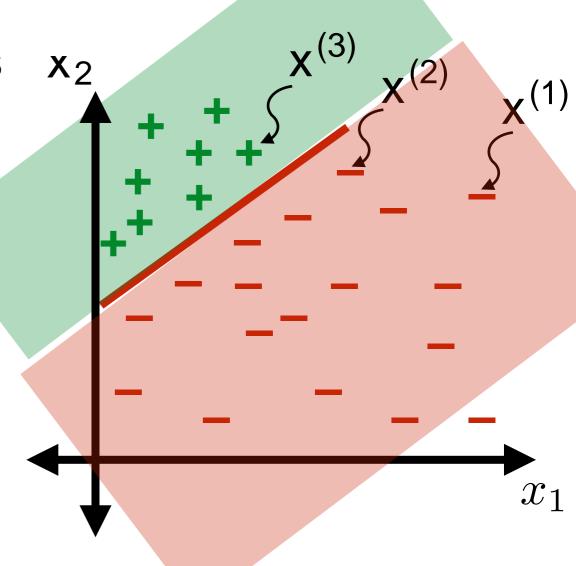
Have data; have hypothesis class

Want to choose a good classifier

• Recall: $x \longrightarrow h \longrightarrow y$

• New: D_n \longrightarrow learning algorithm \longrightarrow h

Example:



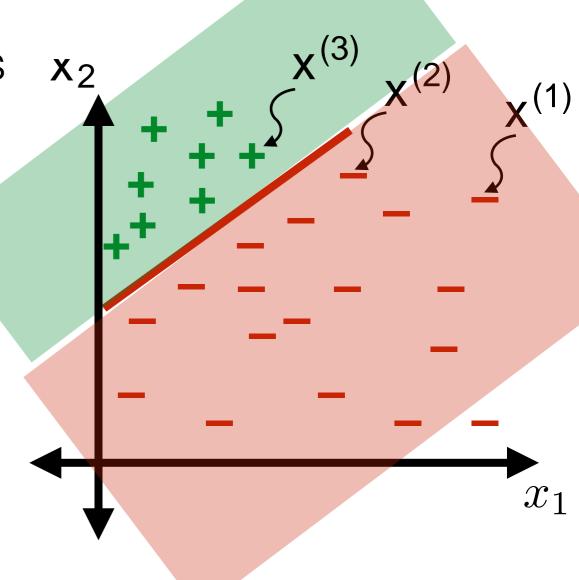
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Want to choose a good classifier

• Recall: $x \longrightarrow h \longrightarrow y$

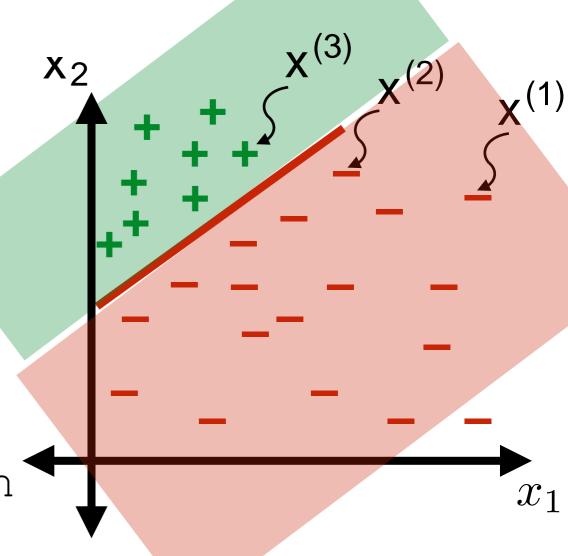
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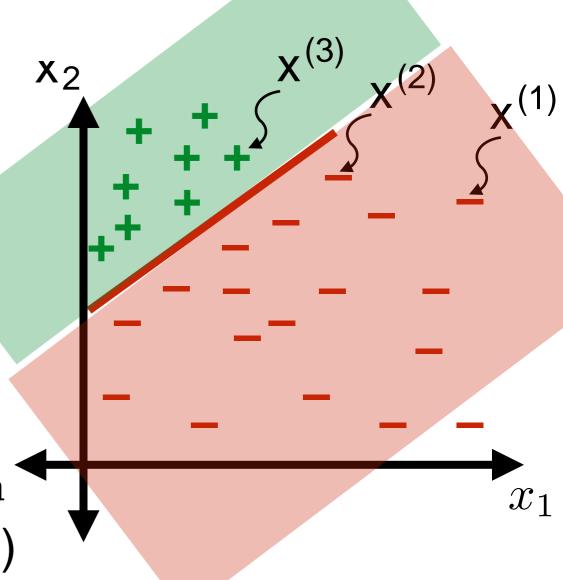
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 - Recall: $x \longrightarrow h \longrightarrow y$
 - New: D_n \longrightarrow learning algorithm \longrightarrow h
- Example:

for j = 1, ..., 1 trillion



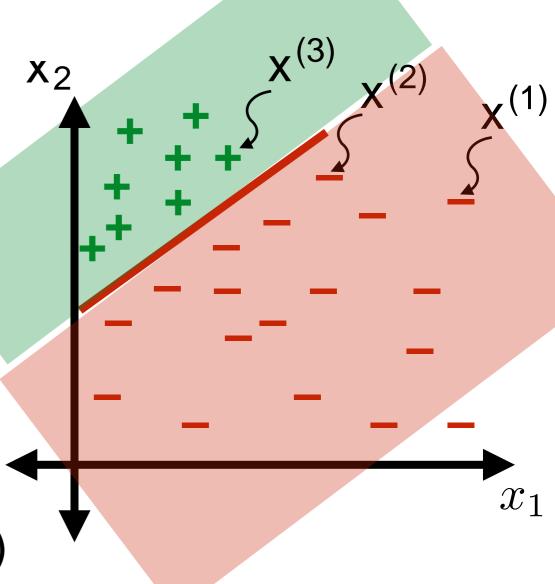
- Have data; have hypothesis class
- Want to choose a good classifier
 - Recall: $x \longrightarrow h \longrightarrow y$
 - New: D_n \longrightarrow learning algorithm \longrightarrow h
- Example:

for j=1, ..., 1 trillion Randomly sample $(!^{(j)},!_0^{(j)})$



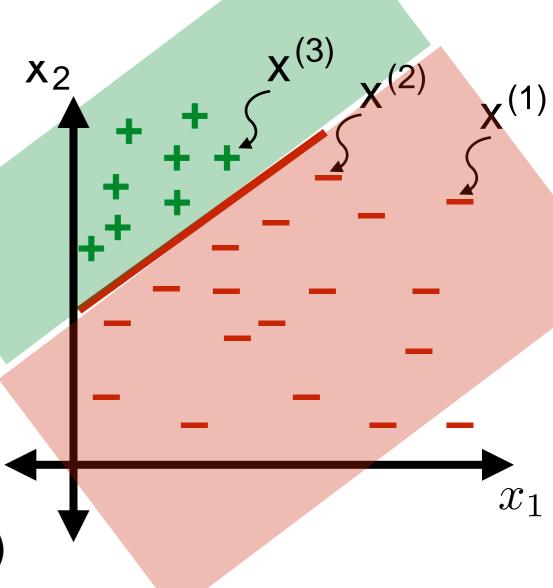
- Have data; have hypothesis class
- Want to choose a good classifier
 - Recall: $x \longrightarrow h \longrightarrow y$
 - New: D_n \longrightarrow learning algorithm \longrightarrow h
- Example:

for j = 1, ..., 1 trillion Randomly sample $(!^{(j)},!_0^{(j)})$ Set $h^{(j)}(x) = h(x;!^{(j)},!_0^{(j)})$



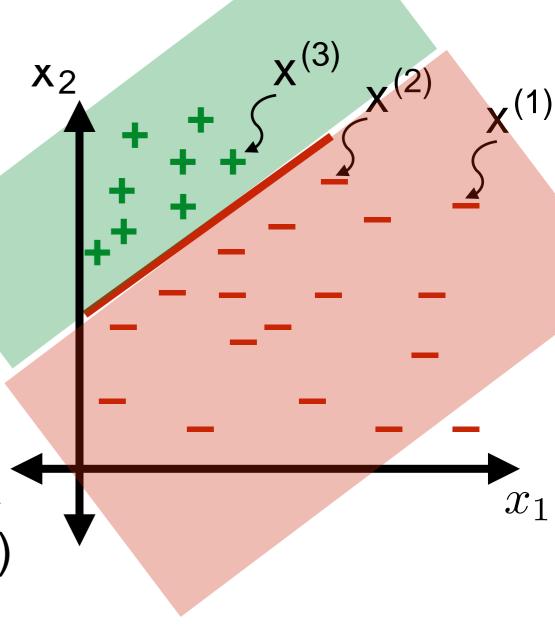
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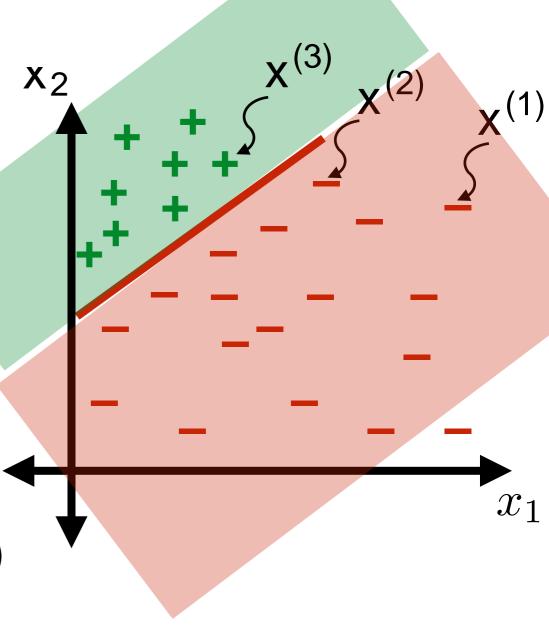
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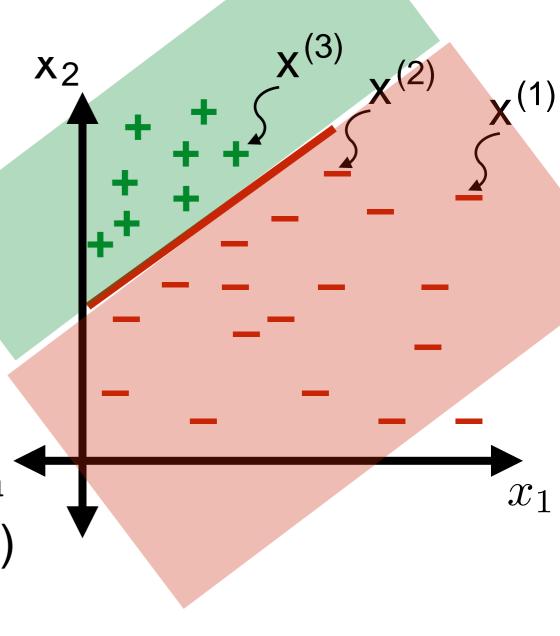
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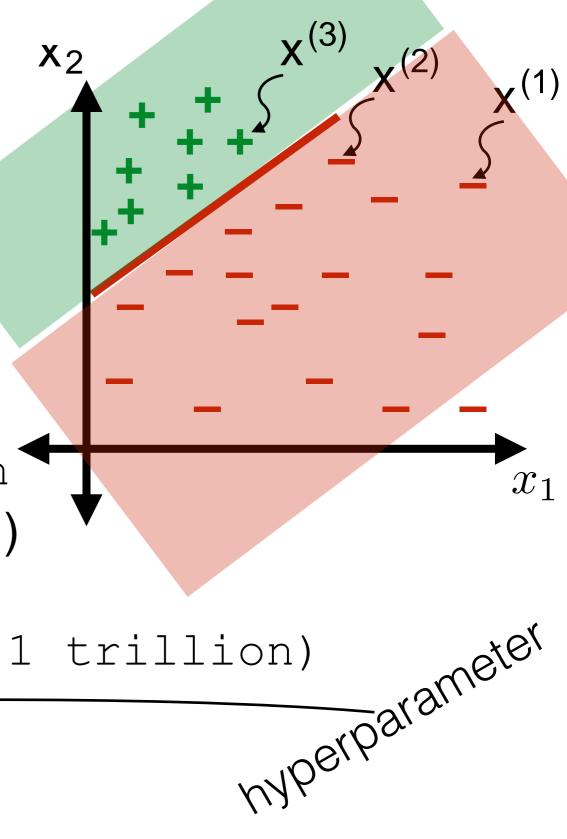
 $\texttt{Ex_learning_alg(} \ \boldsymbol{D}_{n} \ \text{; } k < \text{1 trillion)}$



- Have data; have hypothesis class
- Want to choose a good classifier
 - Recall: $x \longrightarrow h \longrightarrow y$
 - New: D_n \longrightarrow learning algorithm \longrightarrow h
- Example:

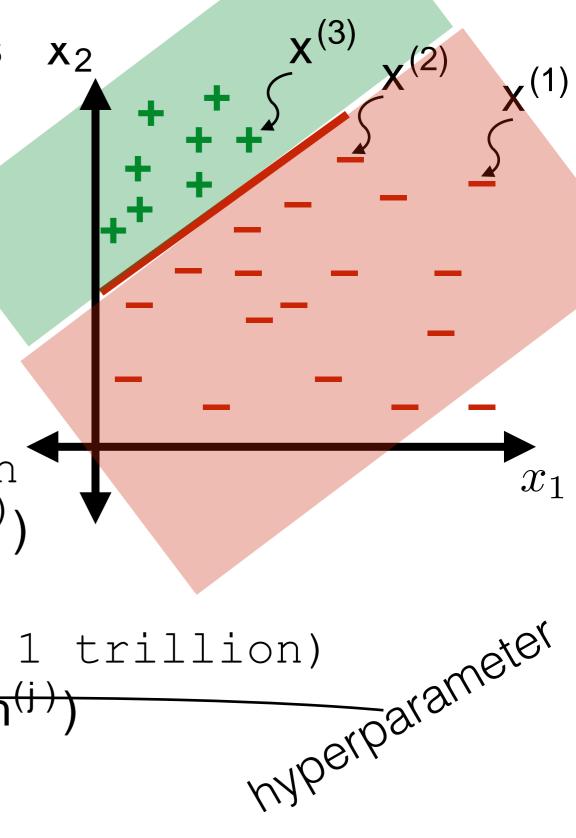
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Ex_learning_alg(D_n ; $k \le 1$ trillion)



- Have data; have hypothesis class
- Want to choose a good classifier
 - Recall: $x \longrightarrow h \longrightarrow y$
 - New: D_n \longrightarrow learning algorithm \longrightarrow h
- Example:

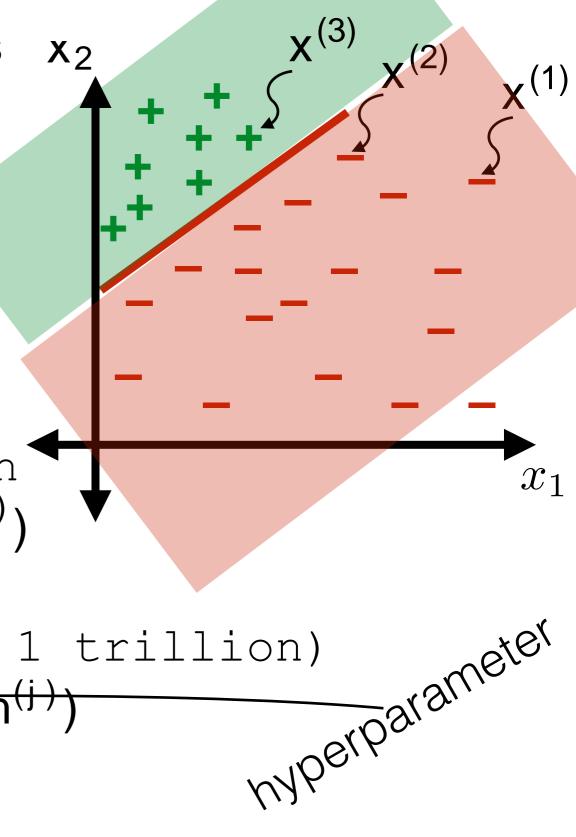
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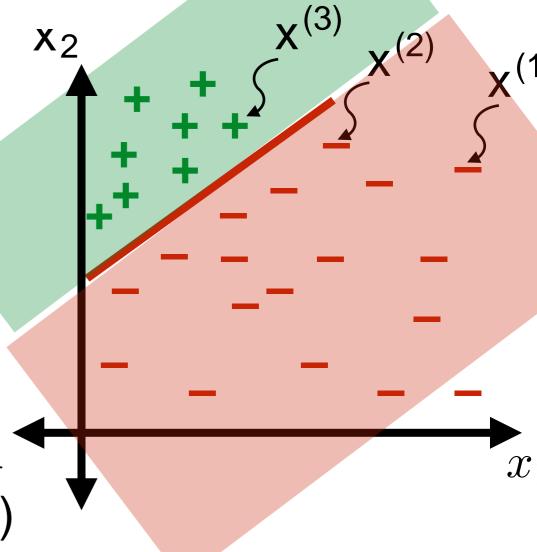
- Have data; have hypothesis class
- Want to choose a good classifier
 - Recall: $x \longrightarrow h \longrightarrow y$
 - New: D_n \longrightarrow learning algorithm \longrightarrow h
- Example:

for j = 1, ..., 1 trillion Randomly sample $(!^{(j)},!_0^{(j)})$ Set $h^{(j)}(x) = h(x;!^{(j)},!_0^{(j)})$

Ex_learning_alg(D_n ; $k \le 1$ trillion) Set $j! = argmin_{j" \{1,...,k\}} E_n(h^{(j)})$ Return $h^{(j')}$



- Have data; have hypothesis class
- Want to choose a good classifier
 - Recall: $x \longrightarrow$
 - New: learning algorithm
- Example:
 - for j = 1, ..., 1 trillion Randomly sample $(!^{(j)},!_0^{(j)})$ Set $h^{(j)}(x) = h(x;!^{(j)},!^{(j)}_0)$
 - Ex_learning_alg(D_n ; $k \le 1$ trillion) Set $j! = \operatorname{argmin}_{j'' \{1,...,k\}} E_n(h^{(j)})$ Return $\mathbf{h}^{(j')}$
- hyperparameter • How does training error of Ex learning $alg(D_n;1)$ compare to the training error of Ex learning $alg(D_n;2)$?



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