MIT · 6.036 | Introduction to Machine Learning (2020)

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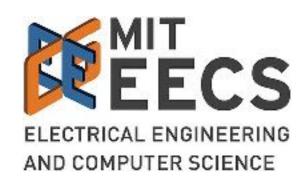
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6.036/6.862: Introduction to Machine Learning

Lecture: starts Tuesdays 9:35am (Boston time zone)

Course website: introml.odl.mit.edu

Who's talking? Prof. Tamara Broderick

Questions? discourse.odl.mit.edu ("Lecture 8" category)

Materials: Will all be available at course website

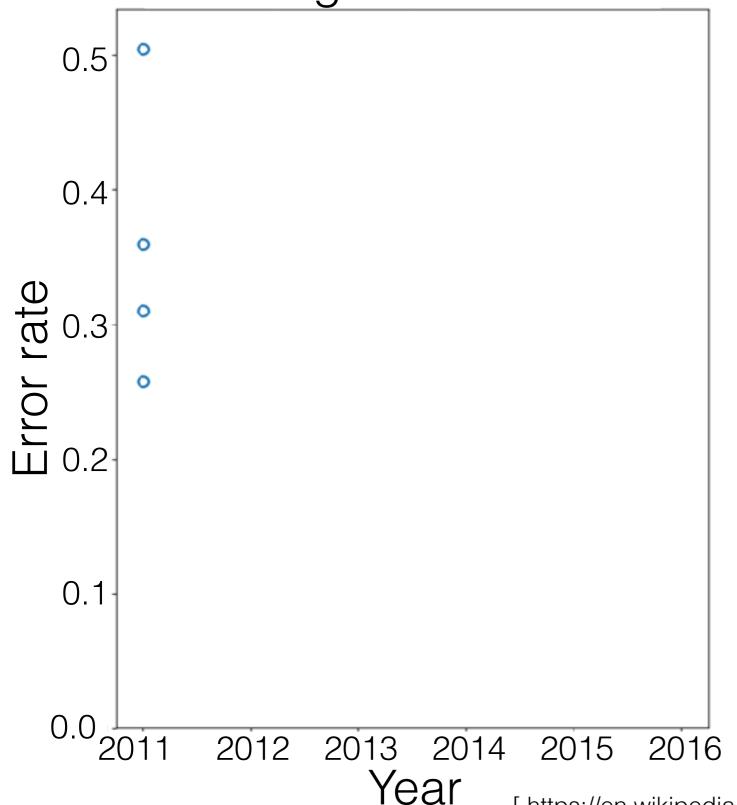
Last Time

- I. Neural networks
 - 2 layers
 - Fully connected
 - Learning

Today's Plan

- I. CNNs/ConvNets: hypothesis class
- II. Filters & max pooling
- III. Learning

ImageNet results



 Since 2010: large-scale image classification challenge

[https://en.wikipedia.org/wiki/ImageNet#History_of_the_ImageNet_Challenge] [Russakovsky et al, "ImageNet Large Scale Visual Recognition Challenge", IJCV, 2015]

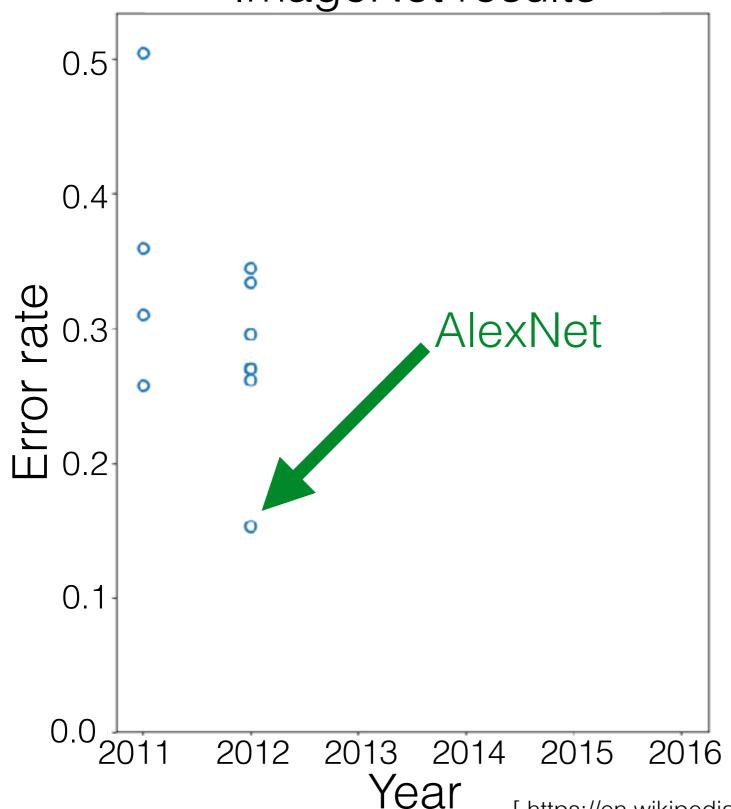
ImageNet results



 Since 2010: large-scale image classification challenge

[https://en.wikipedia.org/wiki/ImageNet#History_of_the_ImageNet_Challenge] [Russakovsky et al, "ImageNet Large Scale Visual Recognition Challenge", IJCV, 2015]

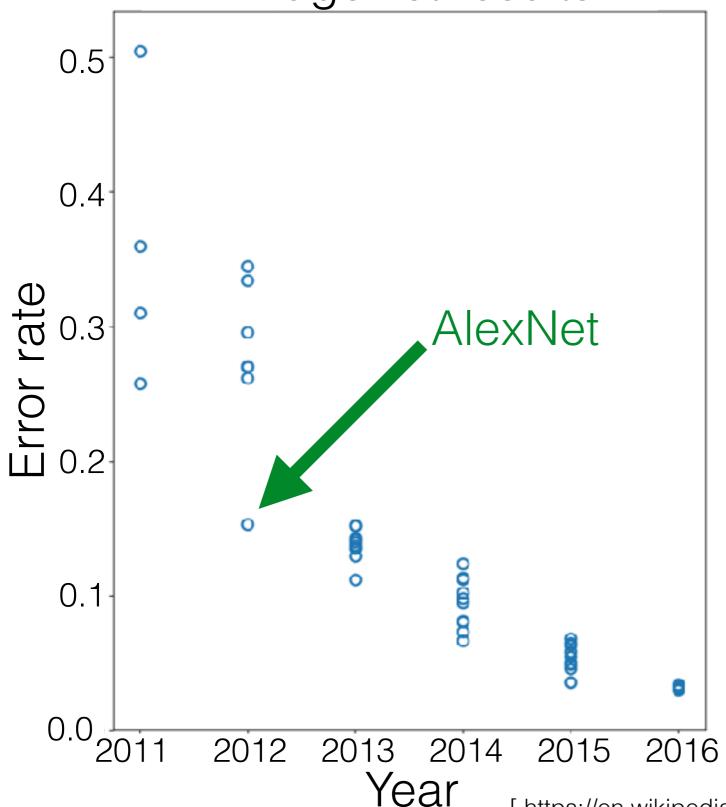
ImageNet results



 Since 2010: large-scale image classification challenge

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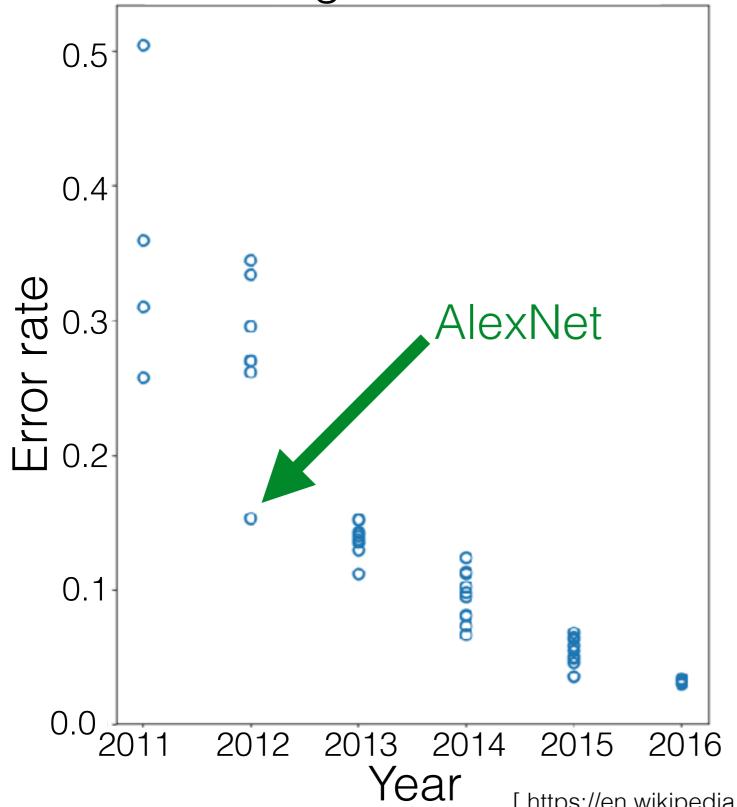
ImageNet results



 Since 2010: large-scale image classification challenge

[https://en.wikipedia.org/wiki/ImageNet#History_of_the_ImageNet_Challenge] Russakovsky et al, "ImageNet Large Scale Visual Recognition Challenge", IJCV, 2015]

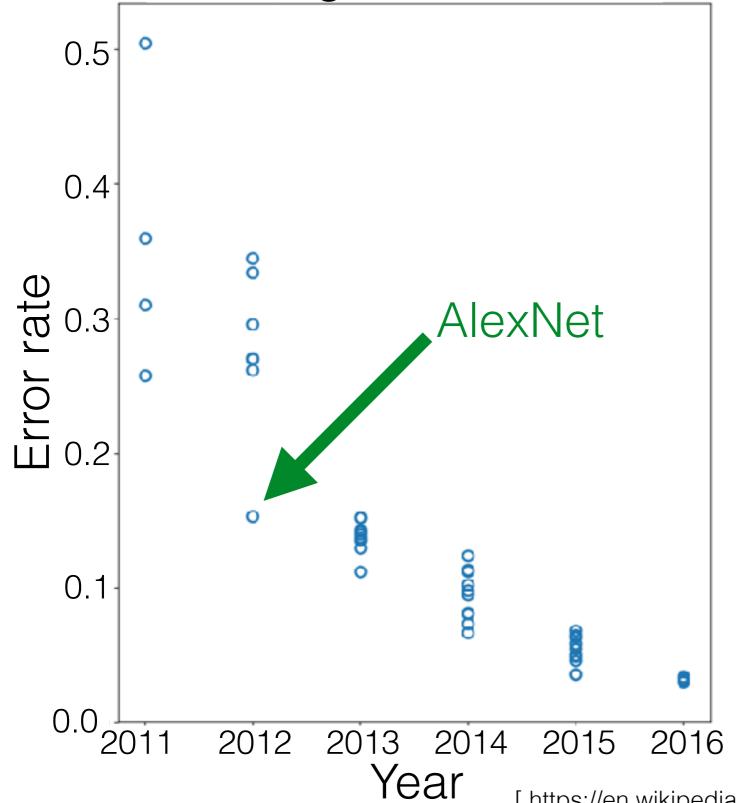
ImageNet results



- Since 2010: large-scale image classification challenge
- Recent Al boom

[https://en.wikipedia.org/wiki/ImageNet#History_of_the_ImageNet_Challenge] Russakovsky et al, "ImageNet Large Scale Visual Recognition Challenge", IJCV, 2015]

ImageNet results

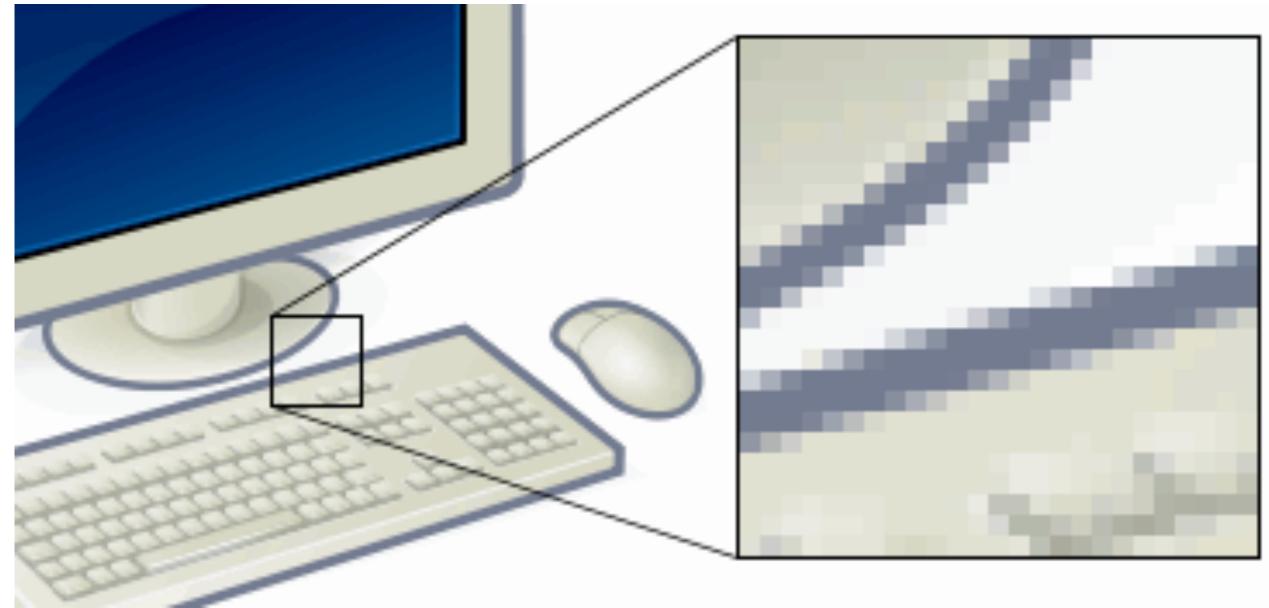


- Since 2010: large-scale image classification challenge
- Recent Al boom
- 1960s, 1980s, today: neural networks
- Since 1980s: CNNs

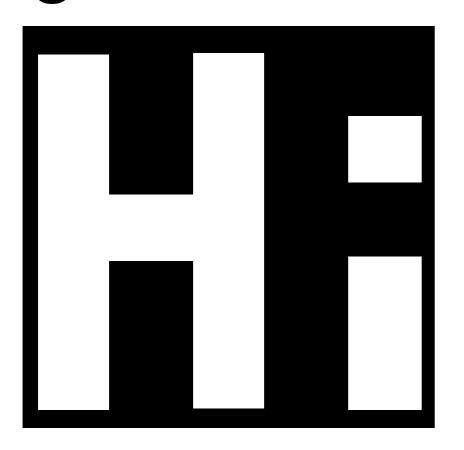
[https://en.wikipedia.org/wiki/ImageNet#History_of_the_ImageNet_Challenge] Russakovsky et al, "ImageNet Large Scale Visual Recognition Challenge", IJCV, 2015]

 Potential uses of image classification: Detect tumor (type) from medical scans, image search online, autonomous driving

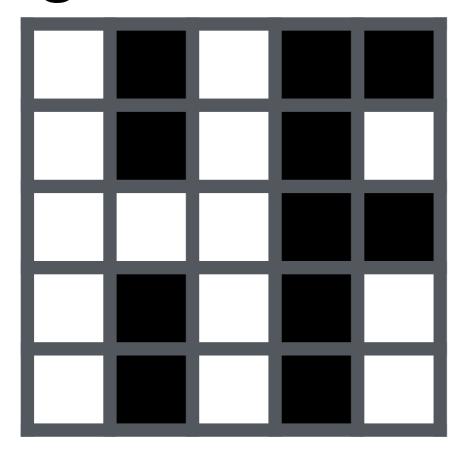
 Potential uses of image classification: Detect tumor (type) from medical scans, image search online, autonomous driving



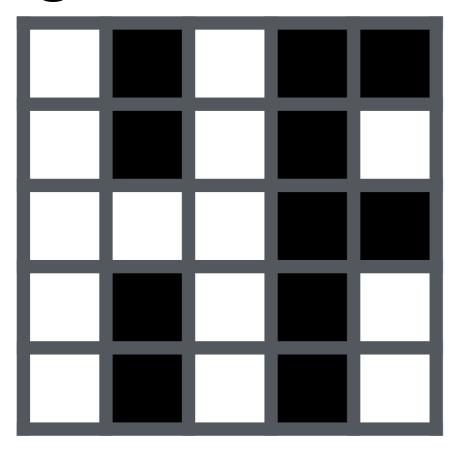
Recall: images are made of pixels



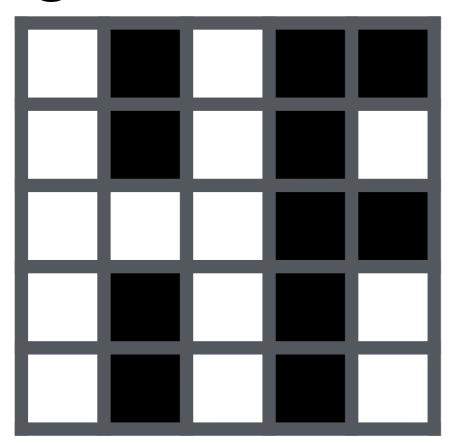
 We'll focus on grayscale images



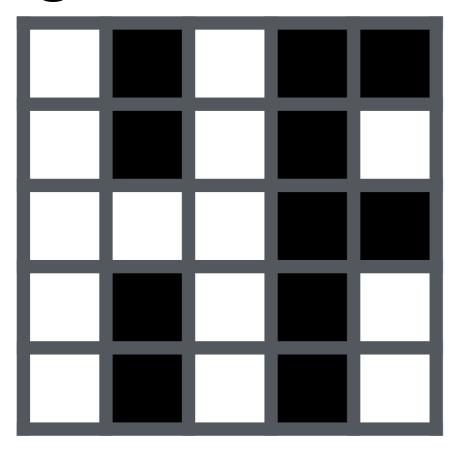
 We'll focus on grayscale images



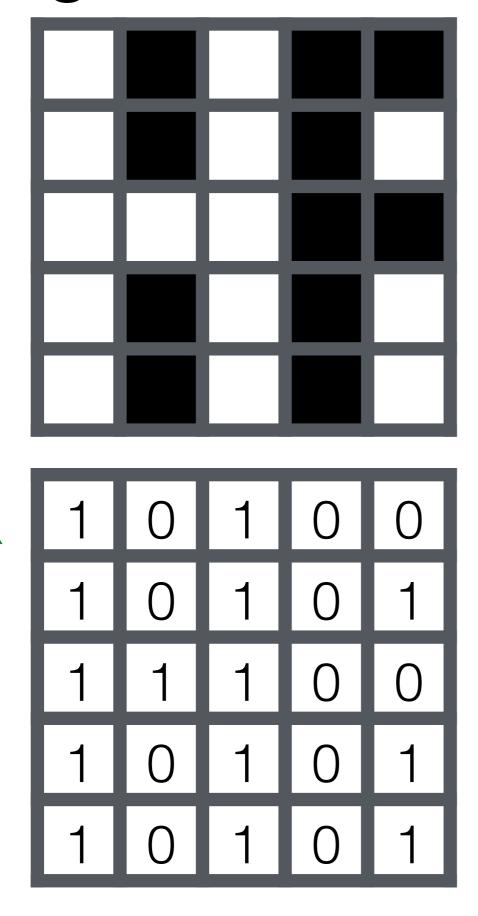
- We'll focus on grayscale images
 - Each pixel takes a value between 0 and P



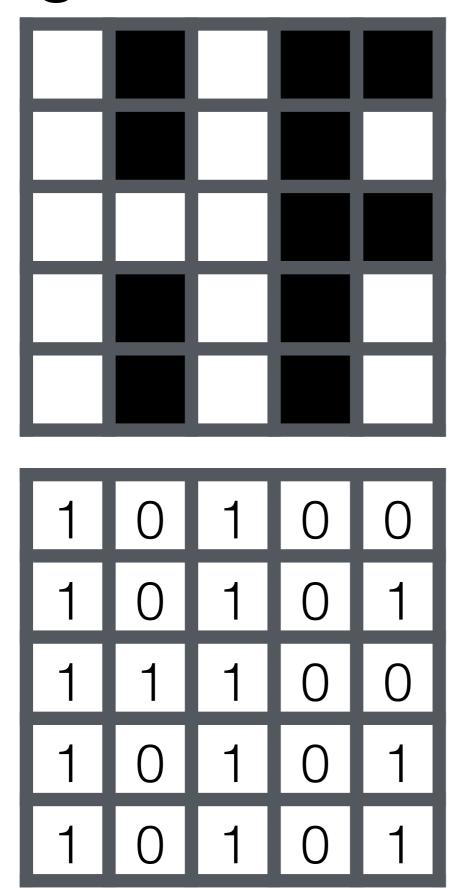
- We'll focus on grayscale images
 - Each pixel takes a value between 0 and P
 - Here, 0: black, 1: white



- We'll focus on grayscale images
 - Each pixel takes a value between 0 and P
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 - Larger P in Lab Week 08

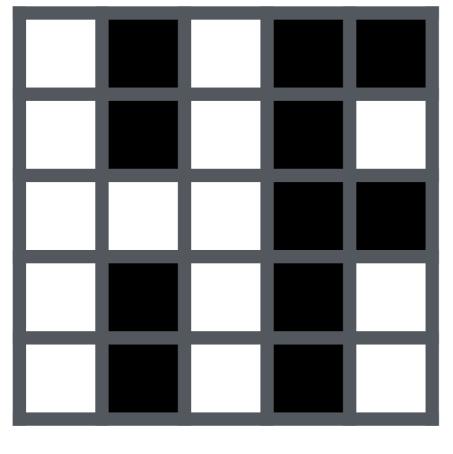


- We'll focus on grayscale images
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 - Here, 0: black, 1: white
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- We'll focus on grayscale images
 - Each pixel takes a value between 0 and P
 - Here, 0: black, 1: white
 - Larger P in Lab Week 08

 How do we use an image as an input for a neural net?



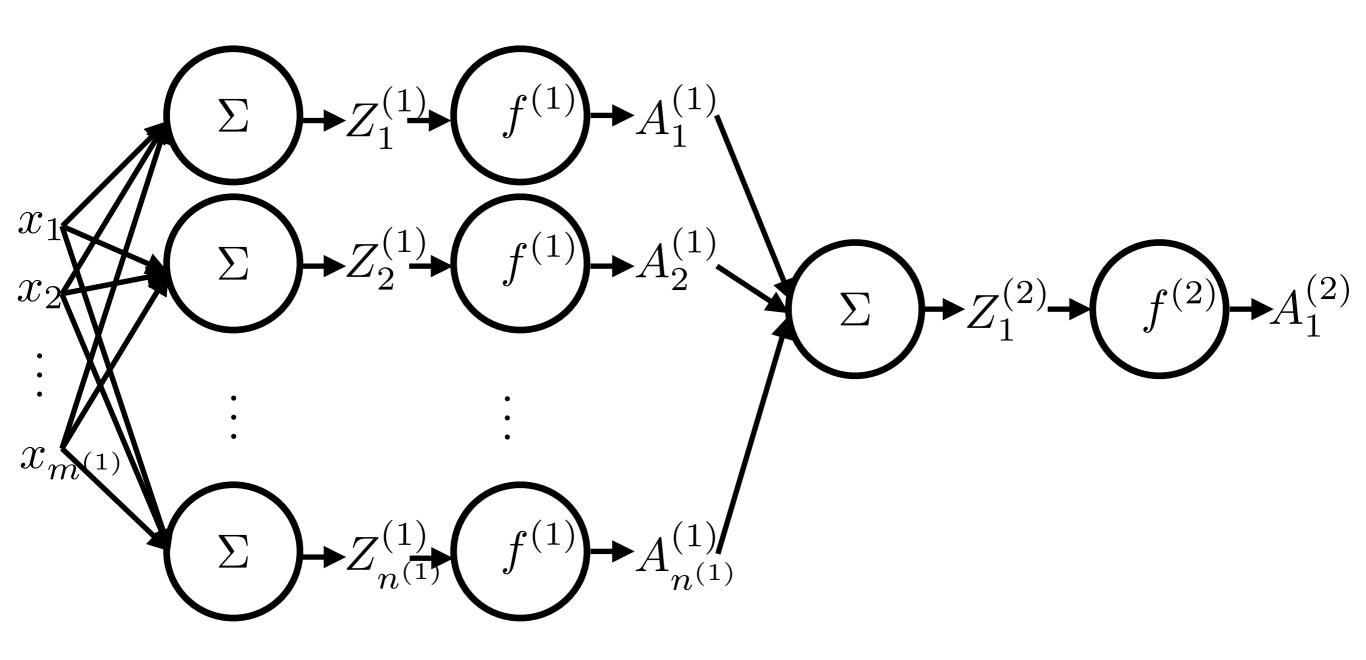
$ x_1 $	x_2	x_3	x_4	x_5
x_6	x_7	x_8	x_9	x_{10}
x_{11}	x_{12}	x_{13}	x_{14}	x_{15}
x_{16}	x_{17}	x_{18}	x_{19}	x_{20}
x_{21}	x_{22}	x_{23}	x_{24}	x_{25}

- We'll focus on grayscale images
 - Each pixel takes a value between 0 and P
 - Here, 0: black, 1: white
 - Larger P in Lab Week 08

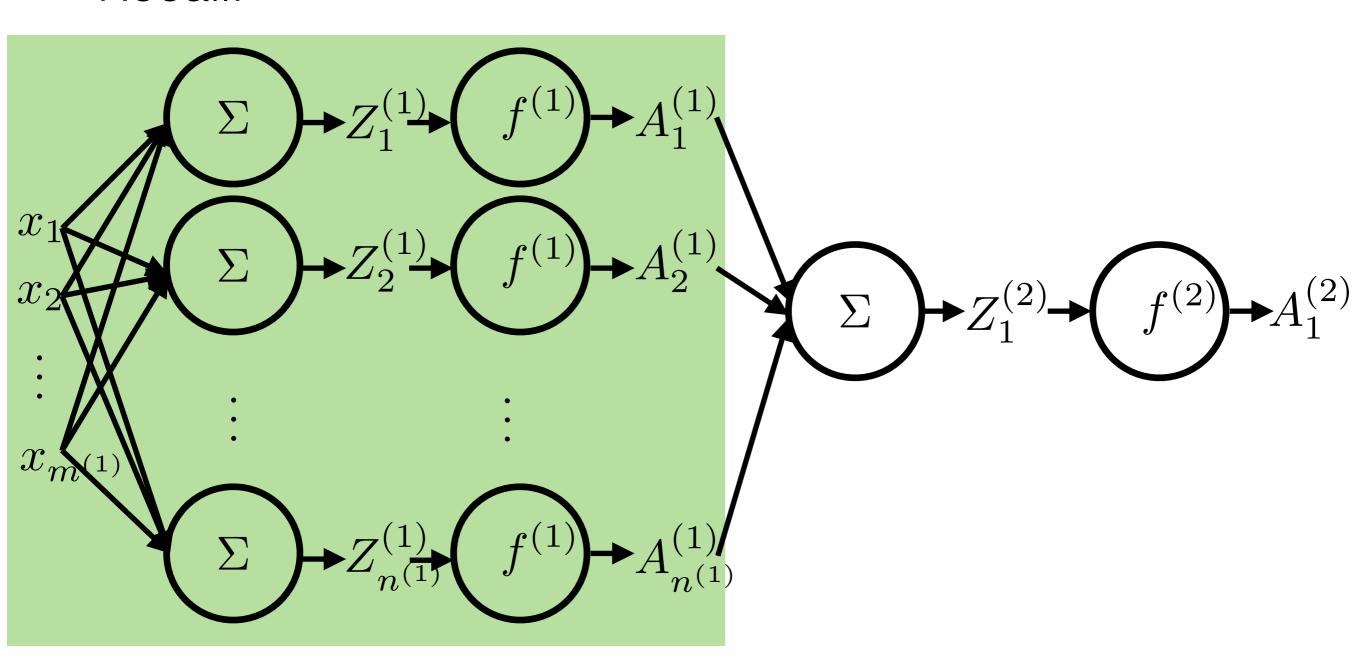
 How do we use an image as an input for a neural net?

Recall:

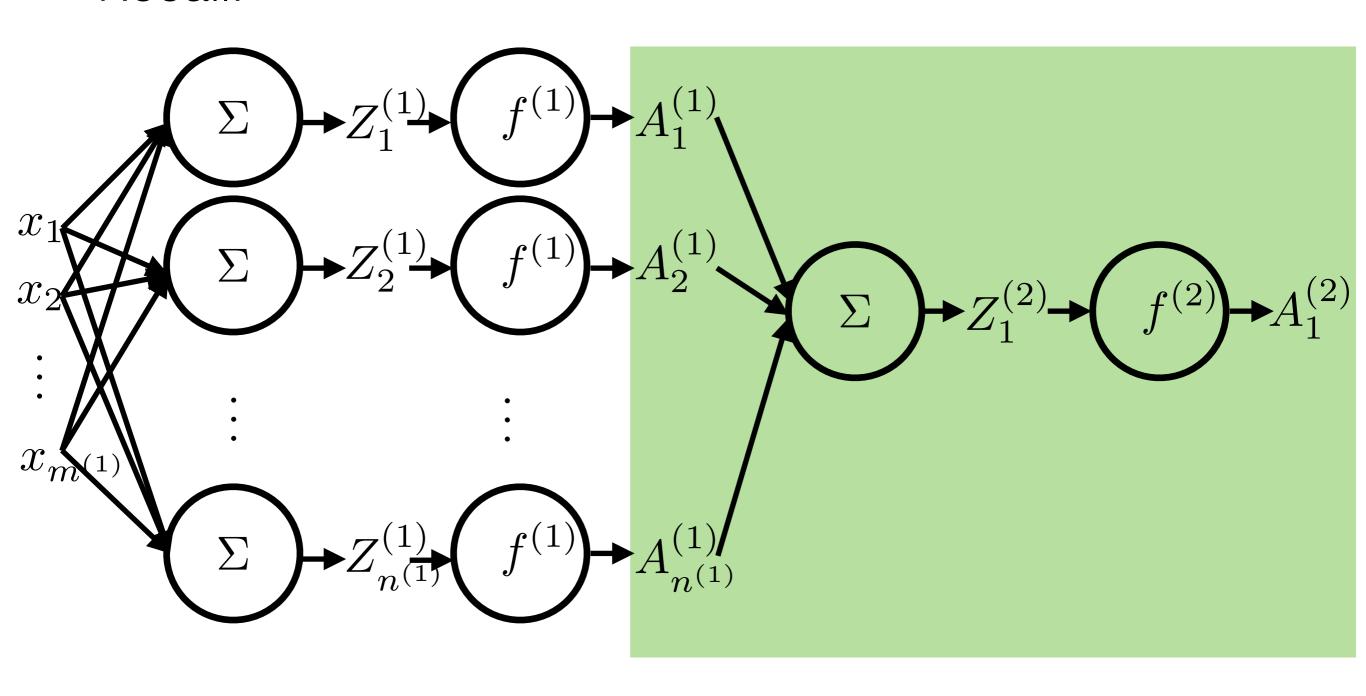
• Recall:



• Recall:

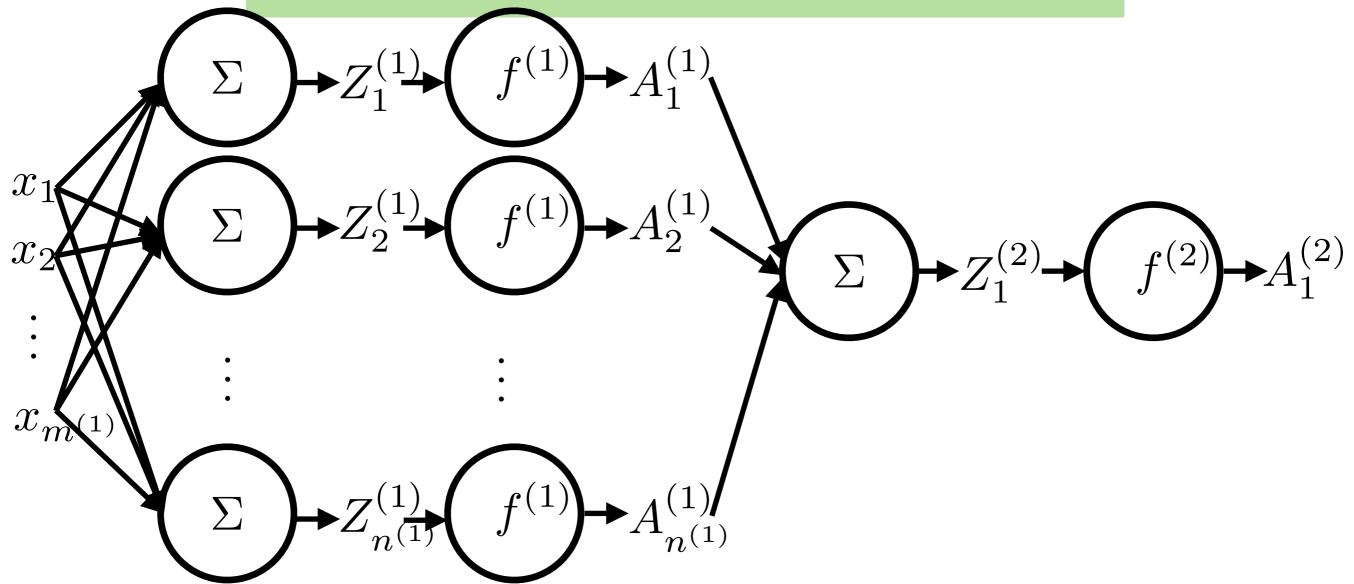


• Recall:

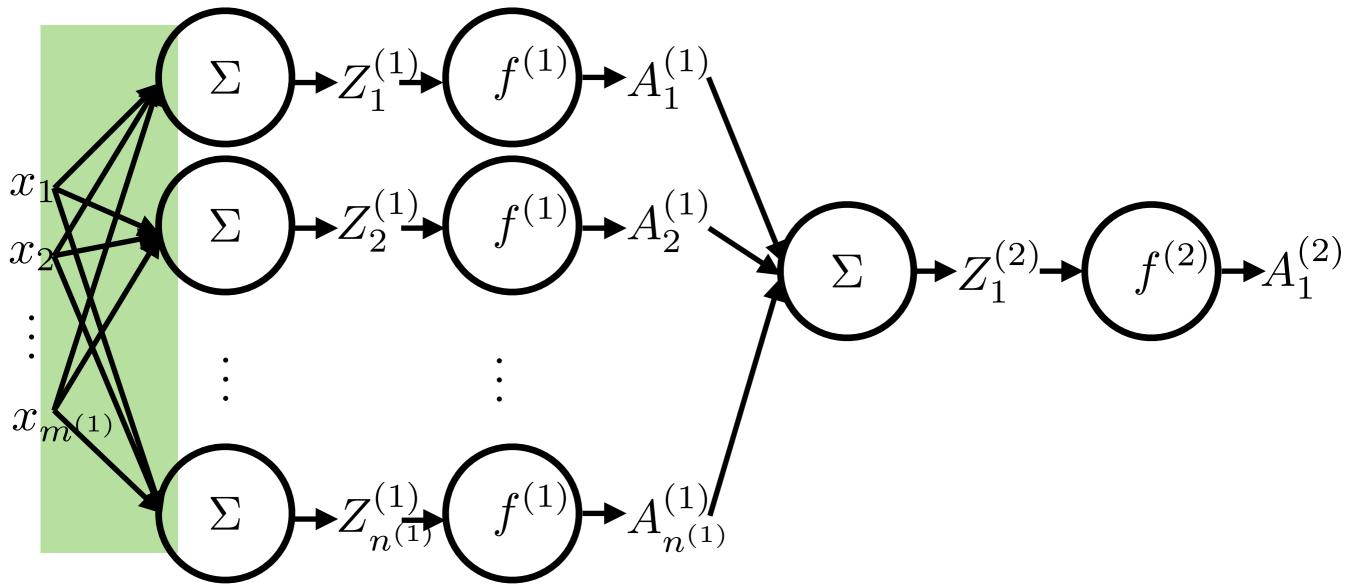


• Recall:

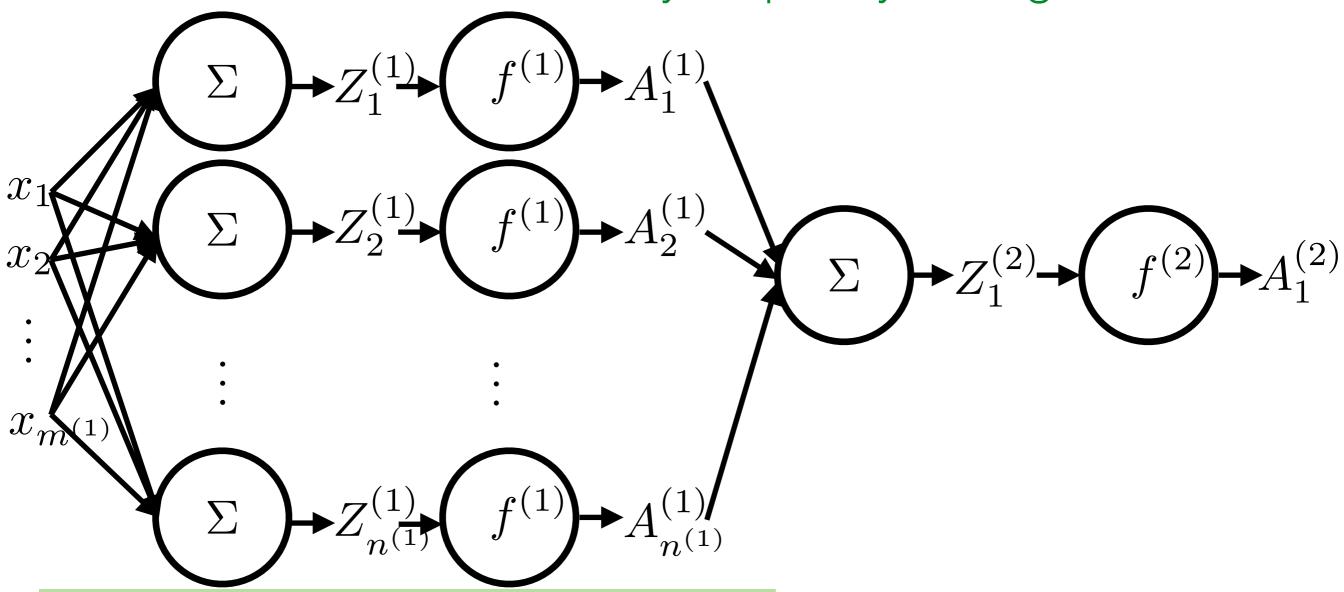
Fully connected layer: every input is connected to every output by a weight



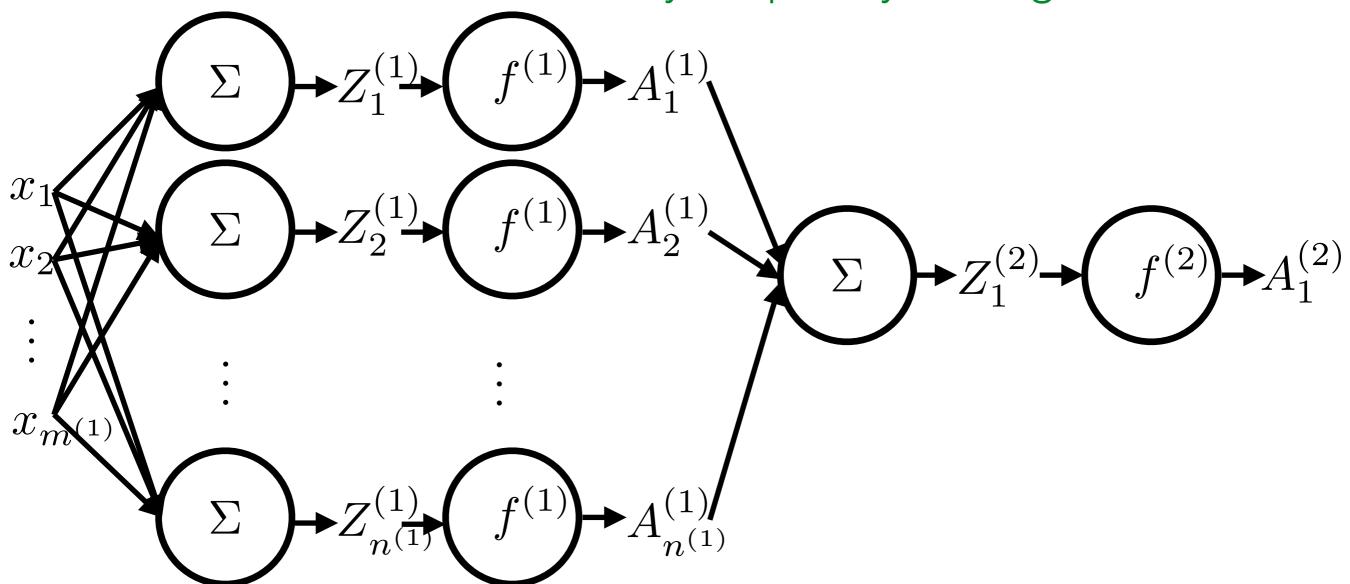
• Recall: Fully connected layer: every input is connected to every output by a weight



• Recall: Fully connected layer: every input is connected to every output by a weight



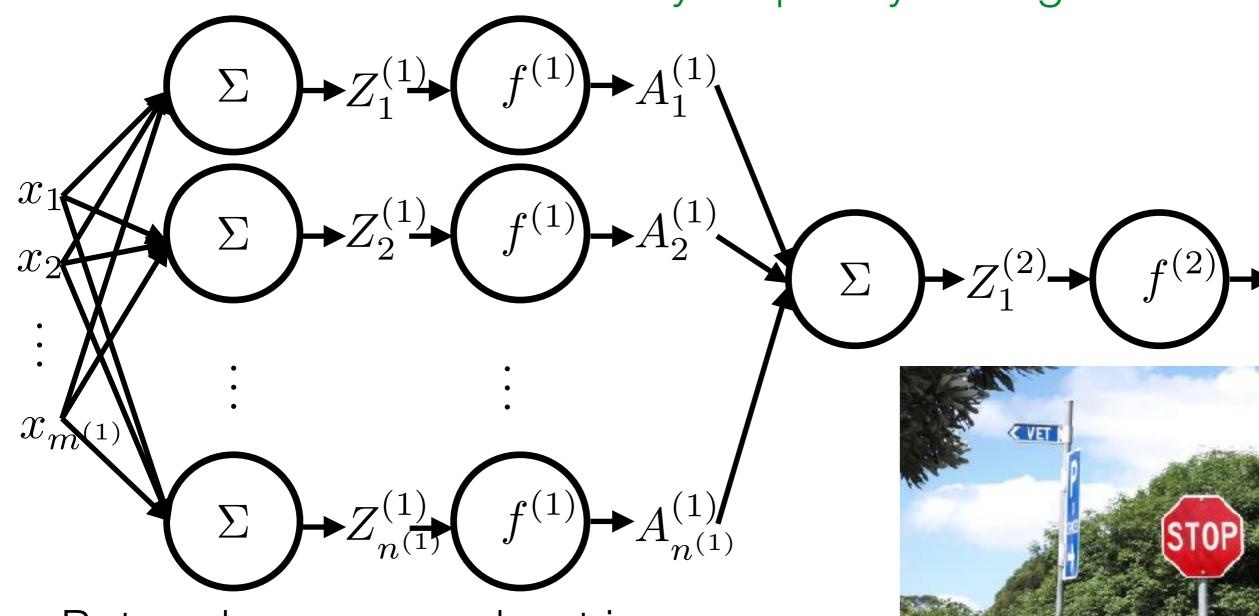
• Recall: Fully connected layer: every input is connected to every output by a weight



But we know more about images:

Spatial locality

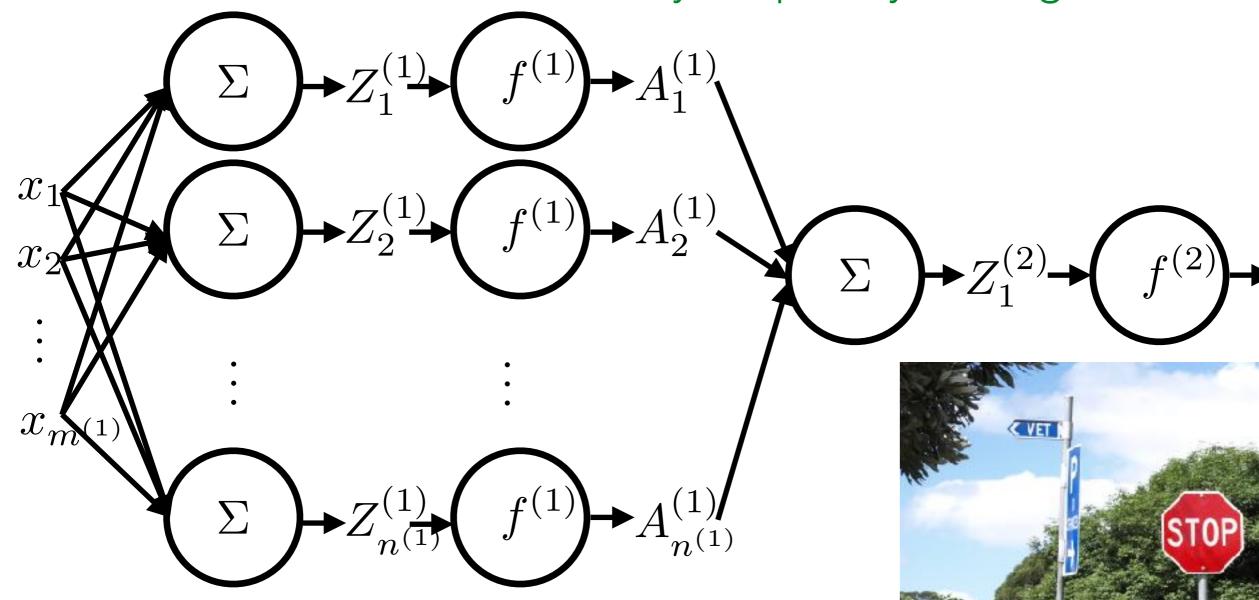
• Recall: Fully connected layer: every input is connected to every output by a weight



But we know more about images:

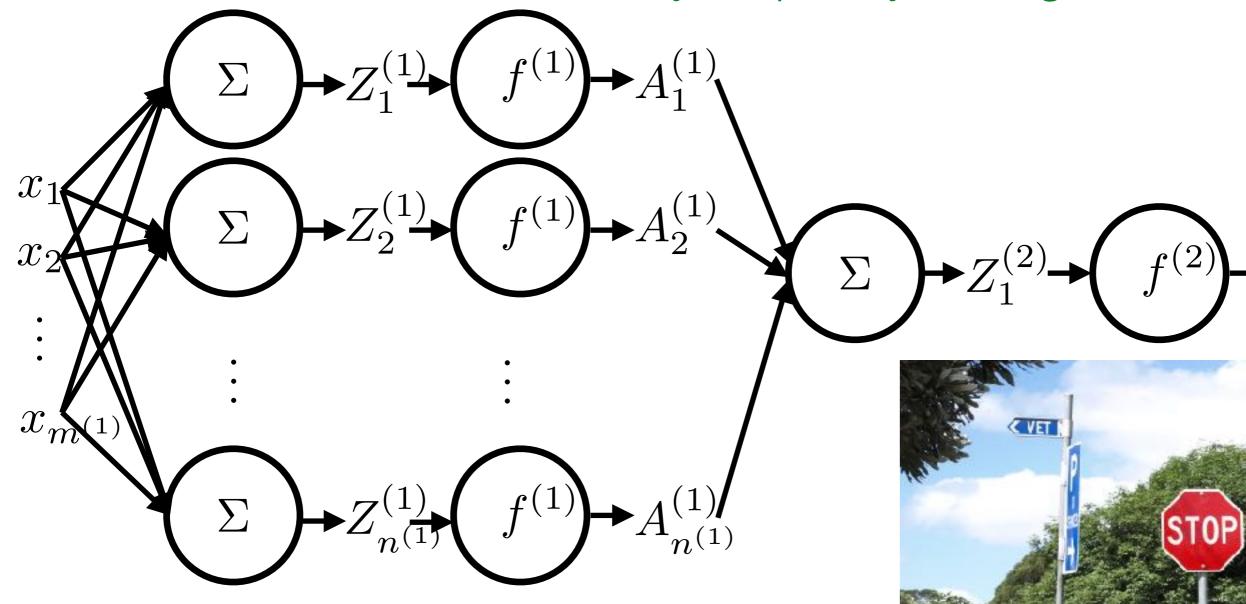
Spatial locality

• Recall: Fully connected layer: every input is connected to every output by a weight



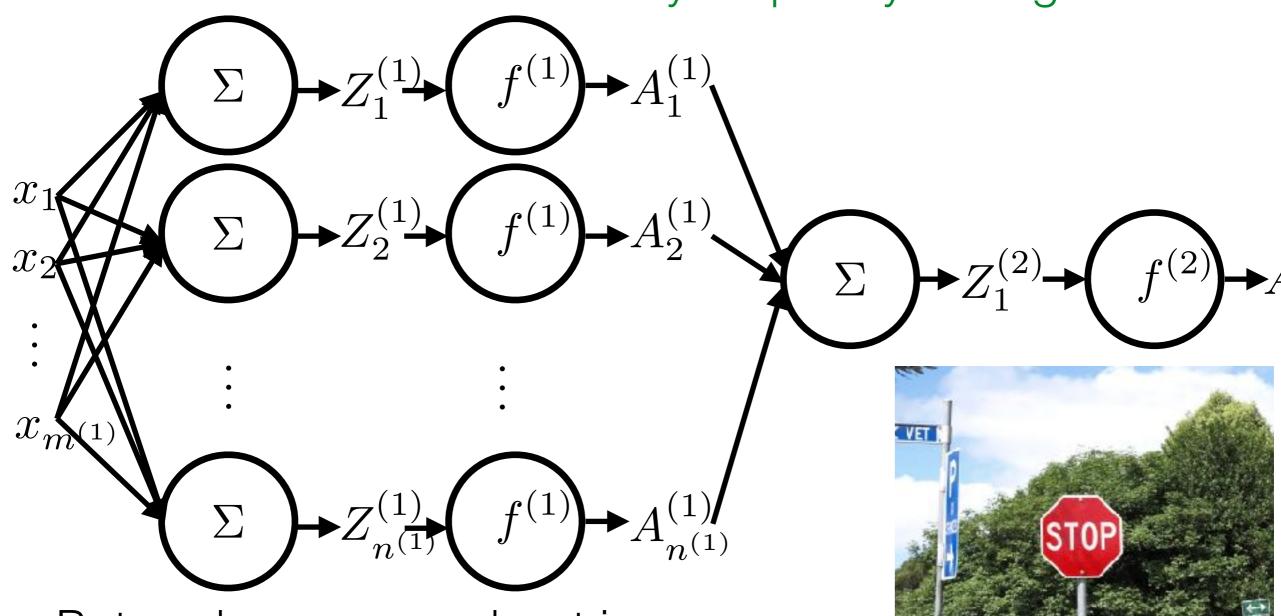
- Spatial locality
- Translation invariance

• Recall: Fully connected layer: every input is connected to every output by a weight



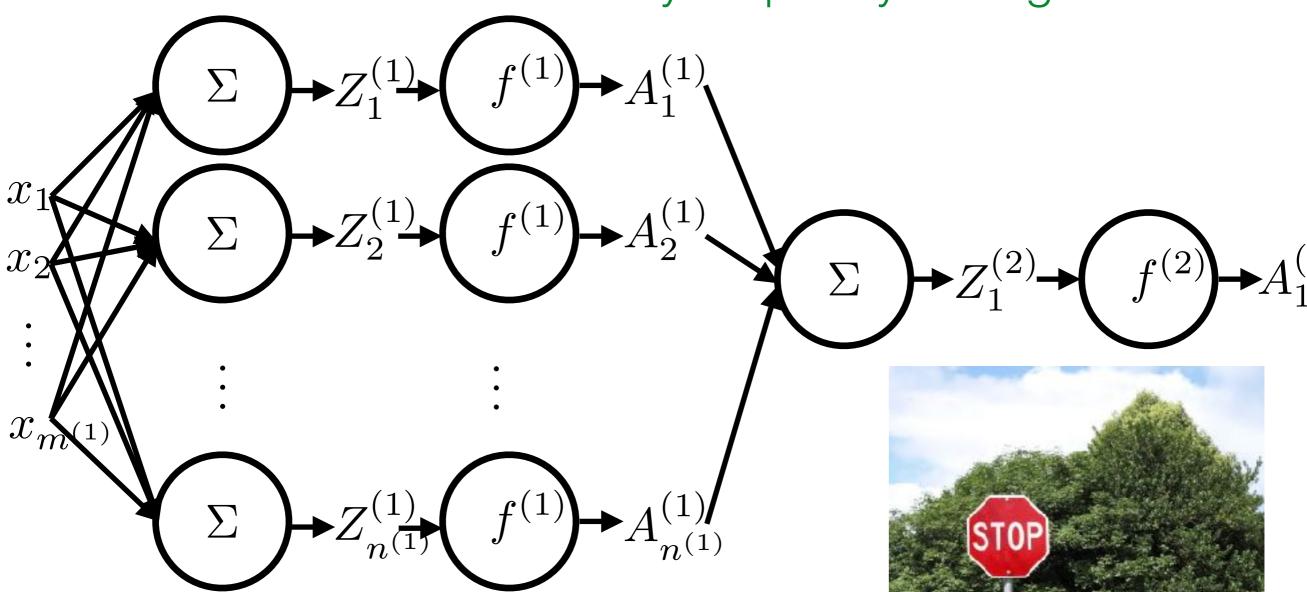
- Spatial locality
- Translation invariance

• Recall: Fully connected layer: every input is connected to every output by a weight



- Spatial locality
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- Spatial locality
- Translation invariance

A 1D image:



A 1D image:



Letter | Published: 07 January 2019

Cardiologist-level arrhythmia detection and classification in ambulatory electrocardiograms using a deep neural network

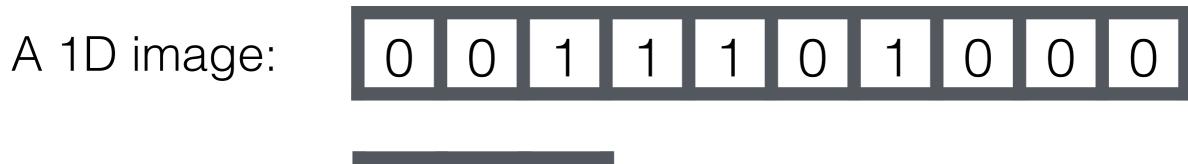
Awni Y. Hannun ⊡, Pranav Rajpurkar, Masoumeh Haghpanahi, Geoffrey H. Tison, Codie Bourn, Mintu P. Turakhia & Andrew Y. Ng

A 1D image:



A 1D image: 0 0 1 1 1 0 1 0 0 0

A filter: -1 1 -1



A filter: -1 1 -1

A 1D image:

0 0 1 1 1 0 1 0 0

A filter:

A 1D image: A filter: After

convolution*:

A 1D image: A filter: After

convolution*:

A 1D image: A filter: After convolution*:

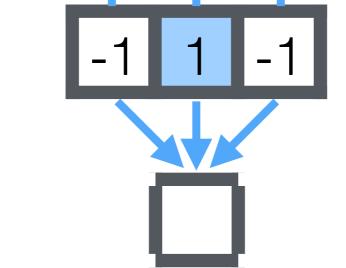
A 1D image: A filter: After

convolution*:

A 1D image:

0 0 1 1 1 0 1 0 0

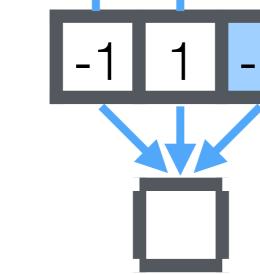
A filter:



A 1D image:

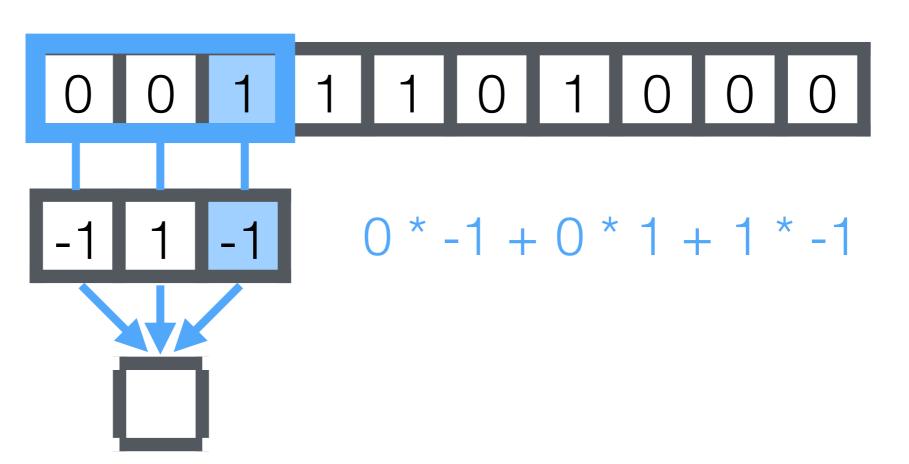
0 0 1 1 1 0 1 0 0 0

A filter:



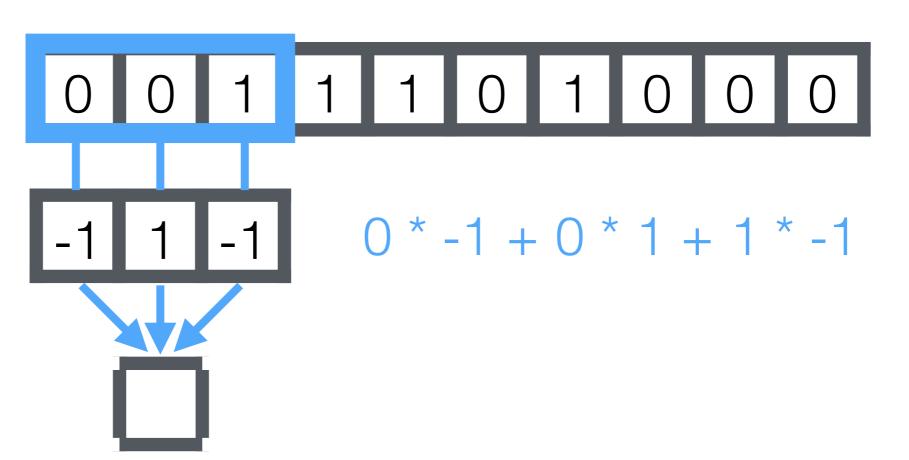
A 1D image:

A filter:



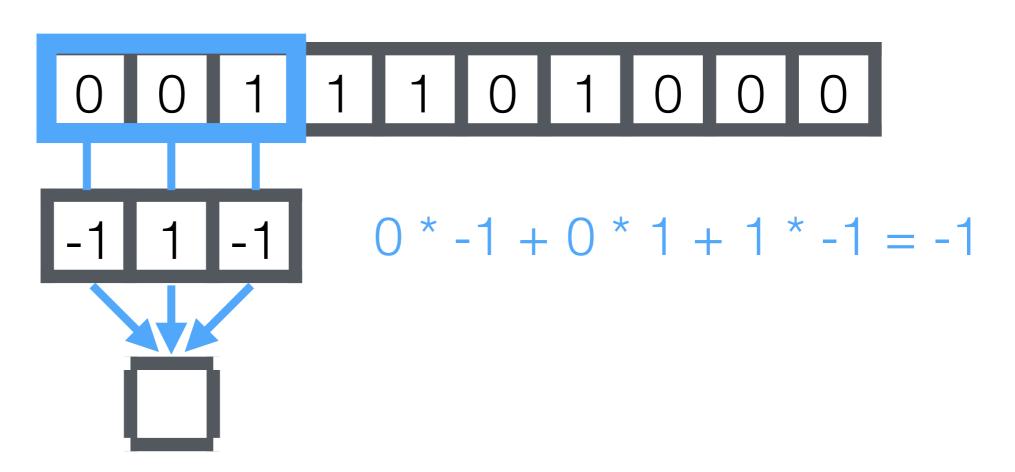
A 1D image:

A filter:



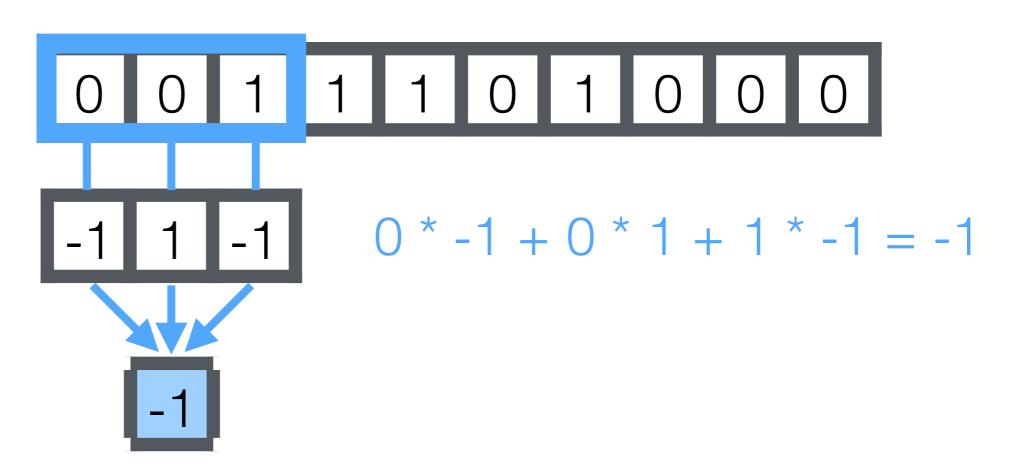
A 1D image:

A filter:



A 1D image:

A filter:

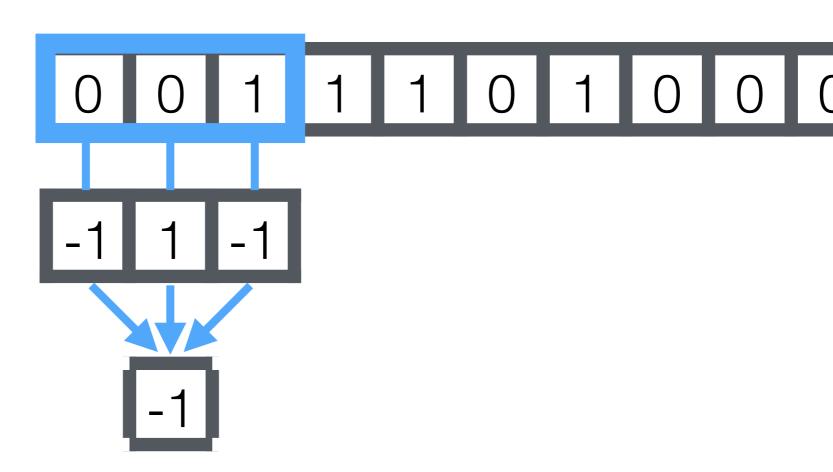


A 1D image: A filter: After

convolution*:

A 1D image:

A filter:



A 1D image: 0 0 1 1 1 0 1 0 0 0

A filter: -1 1 -1

After convolution*: -1

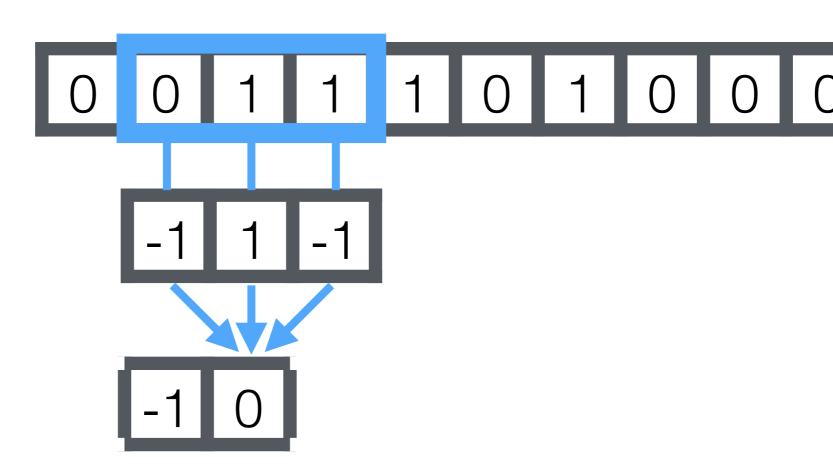
*correlation

6

A 1D image:

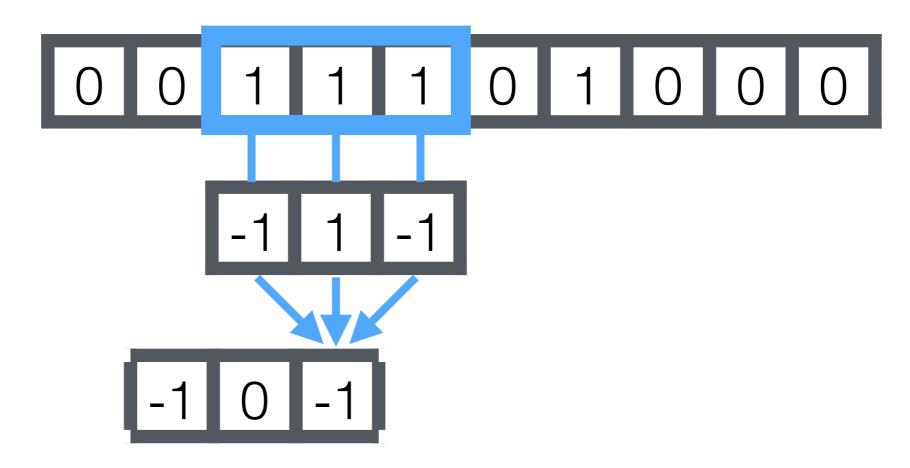
A filter:

After convolution*:



A 1D image:

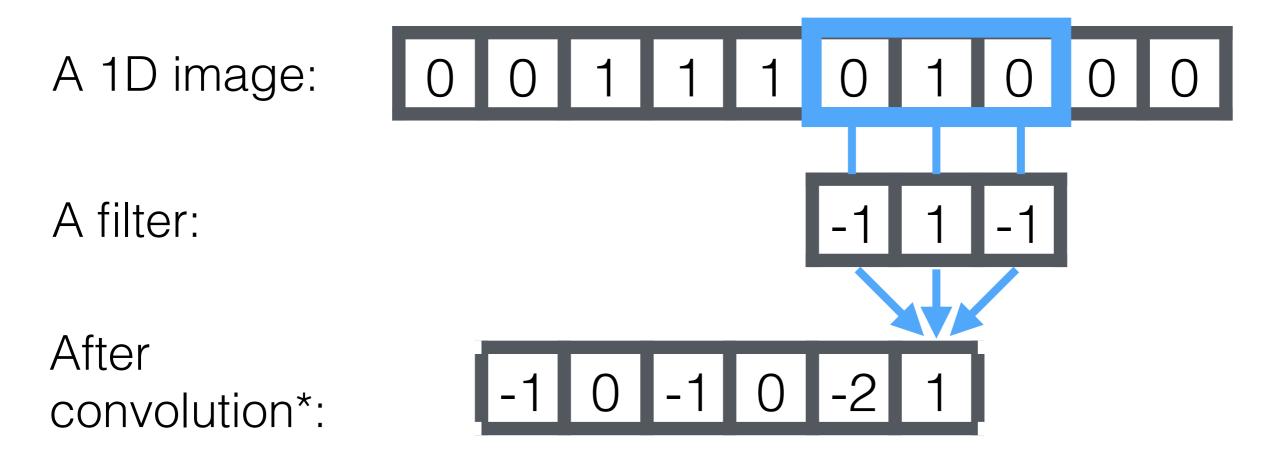
A filter:

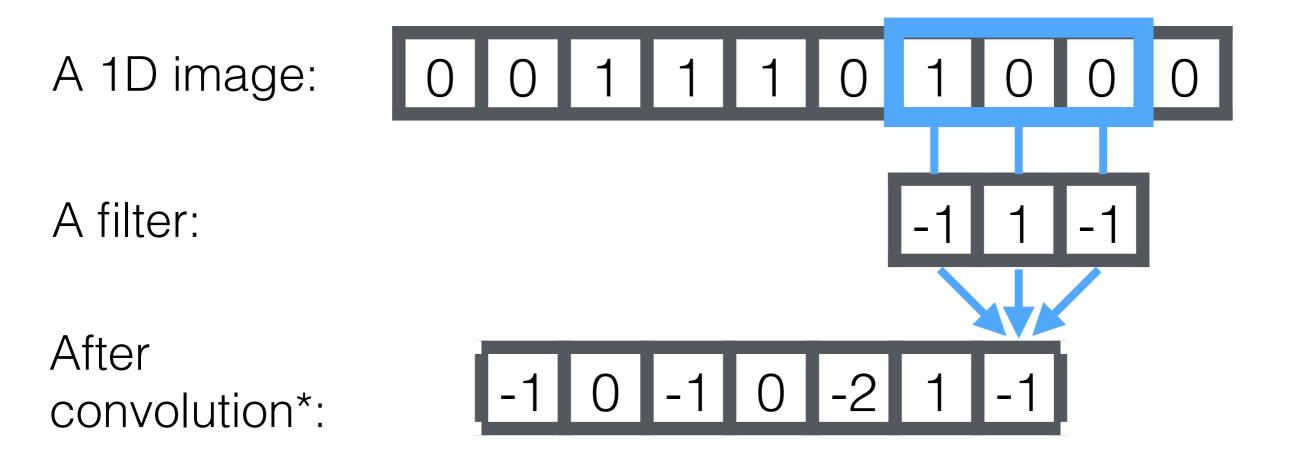


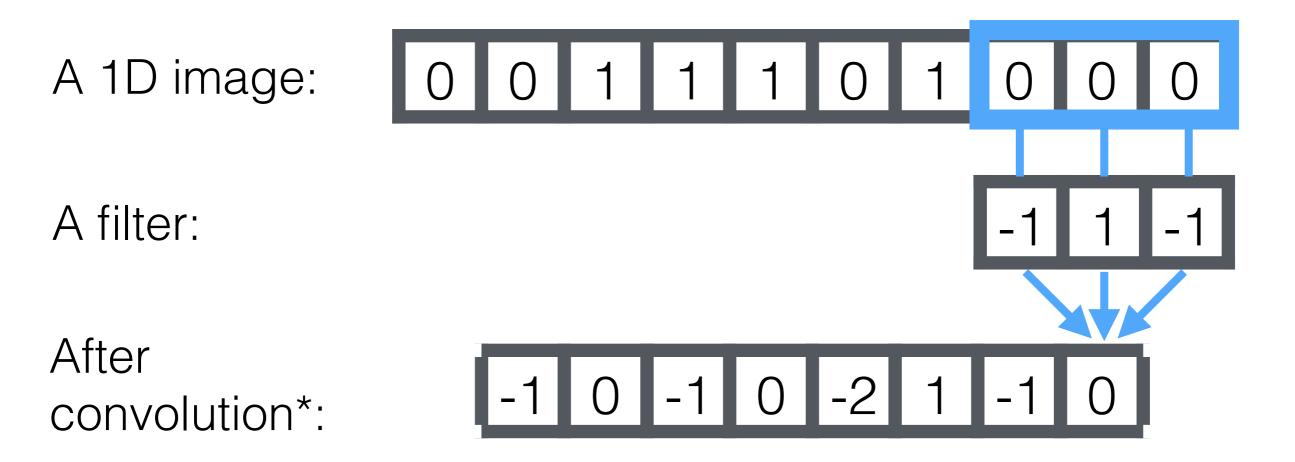
A 1D image: 0 0 1 1 1 0 1 0 0 0

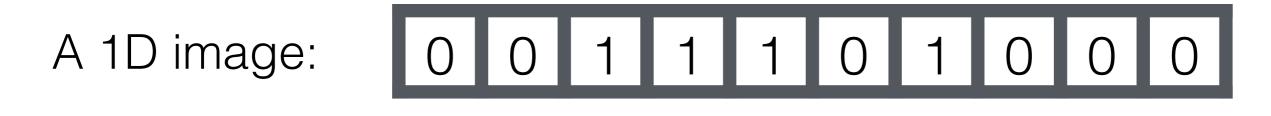
A filter: -1 1 -1

A 1D image: A filter: After convolution*:



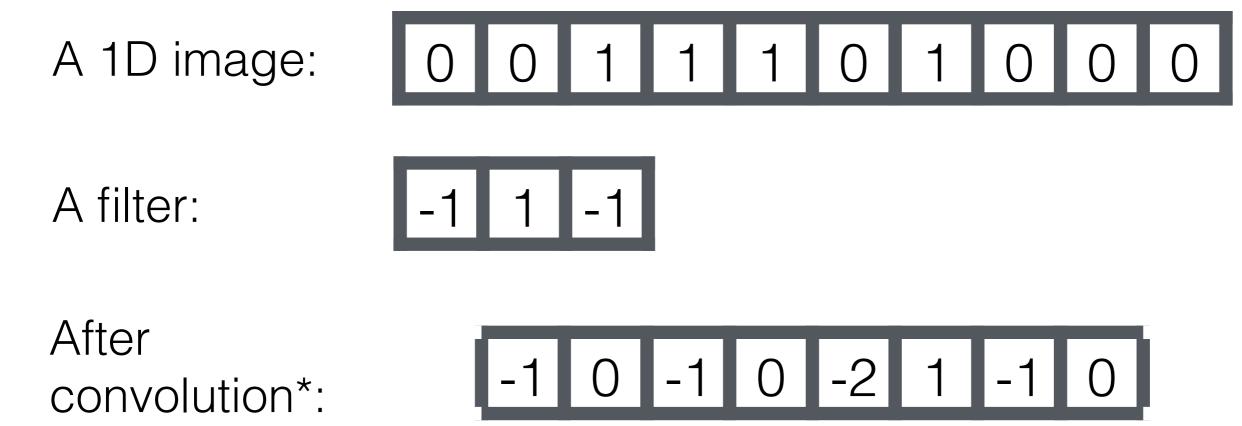












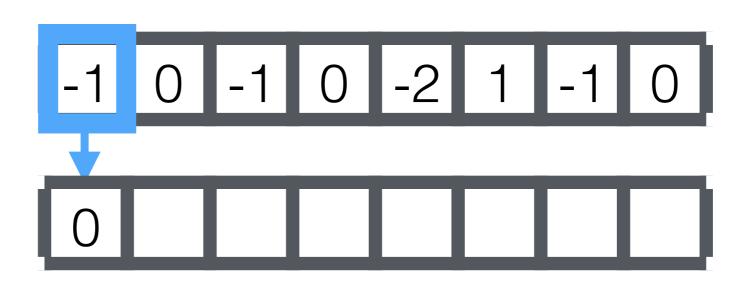
After ReLU:



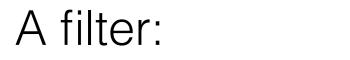




After ReLU:



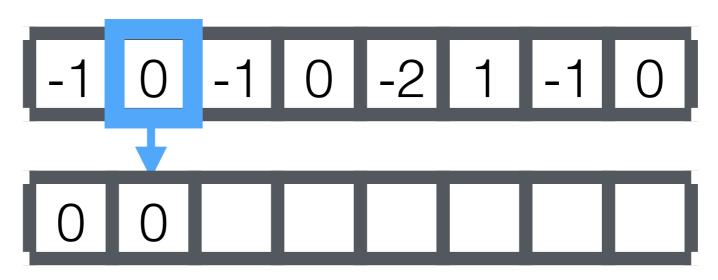


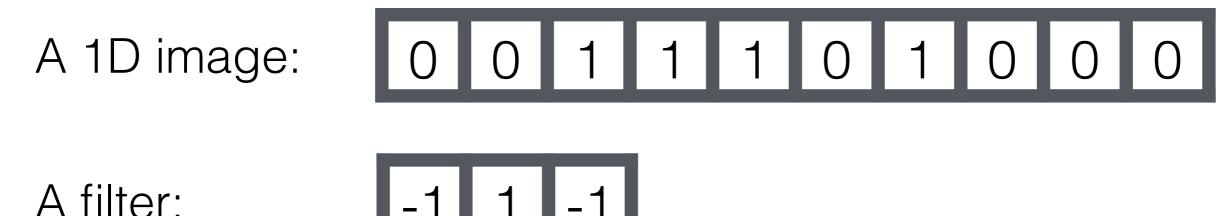






After ReLU:

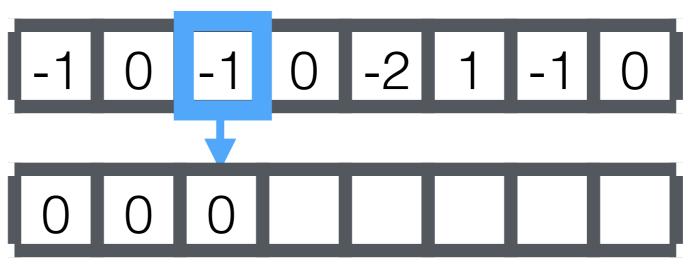










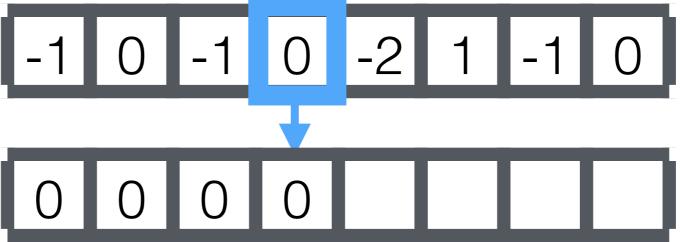


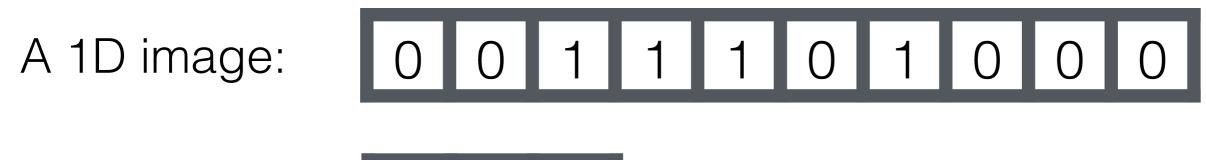






After ReLU:

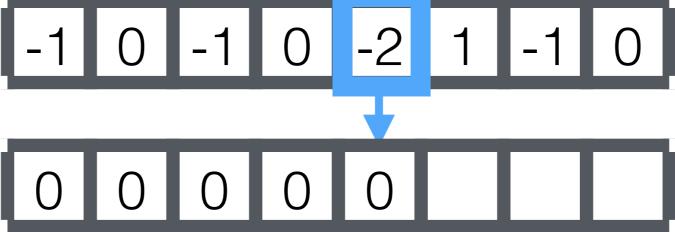


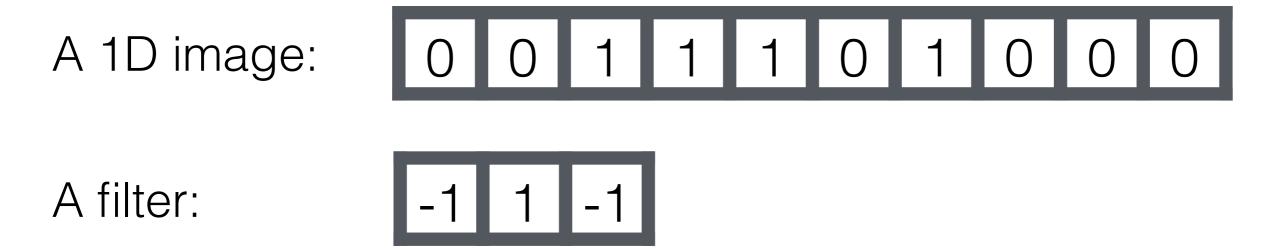


A filter: -1 1 -1

After convolution*: -1 0 -1 0 -2

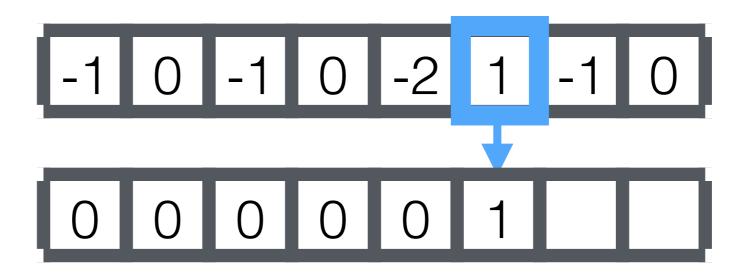
After ReLU:

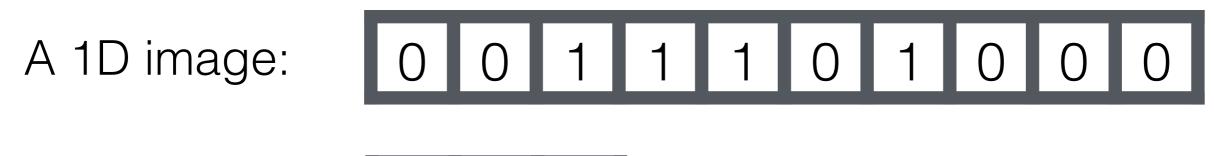






After ReLU:

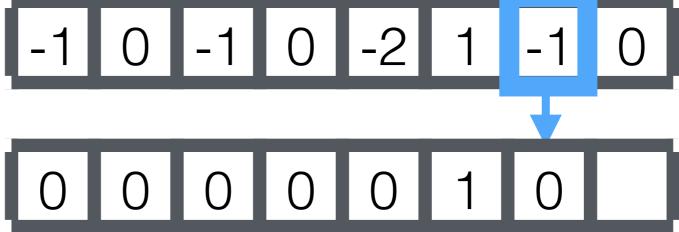




A filter: -1 1 -1

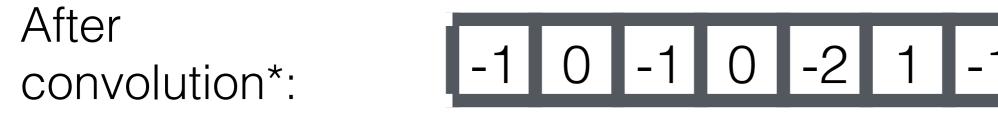


After ReLU:



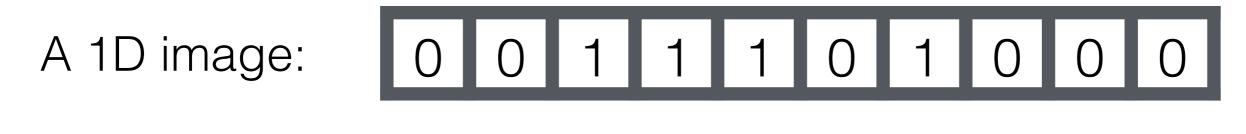




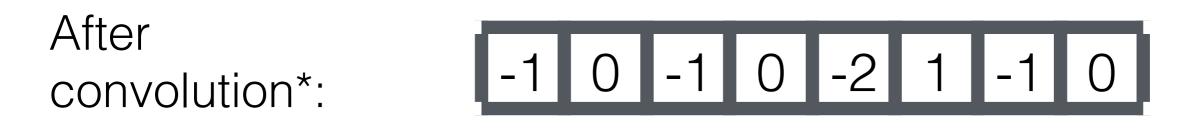


After ReLU:



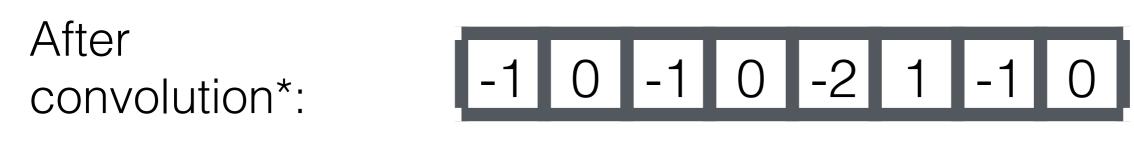




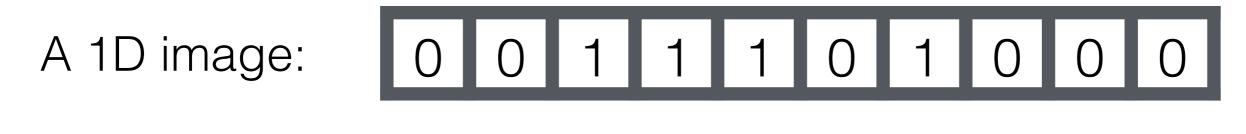




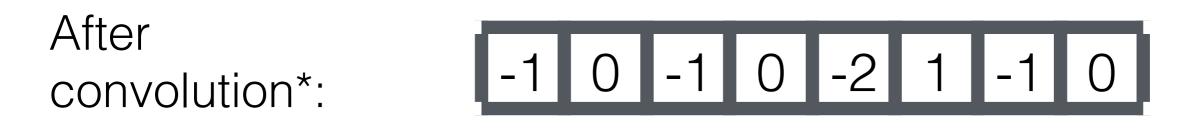


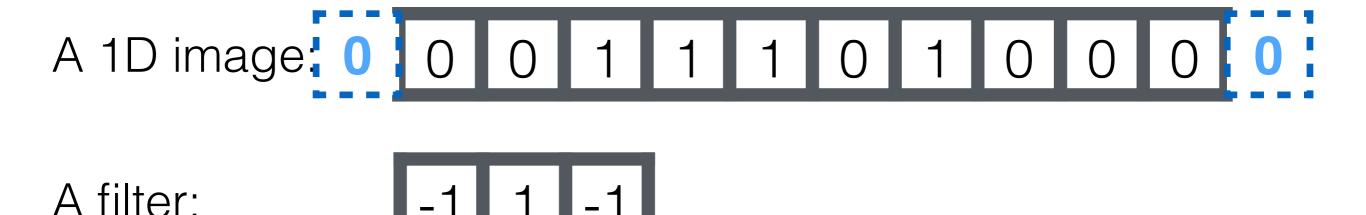


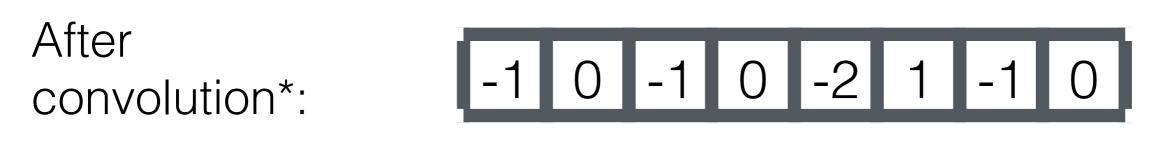
What does the filter do?



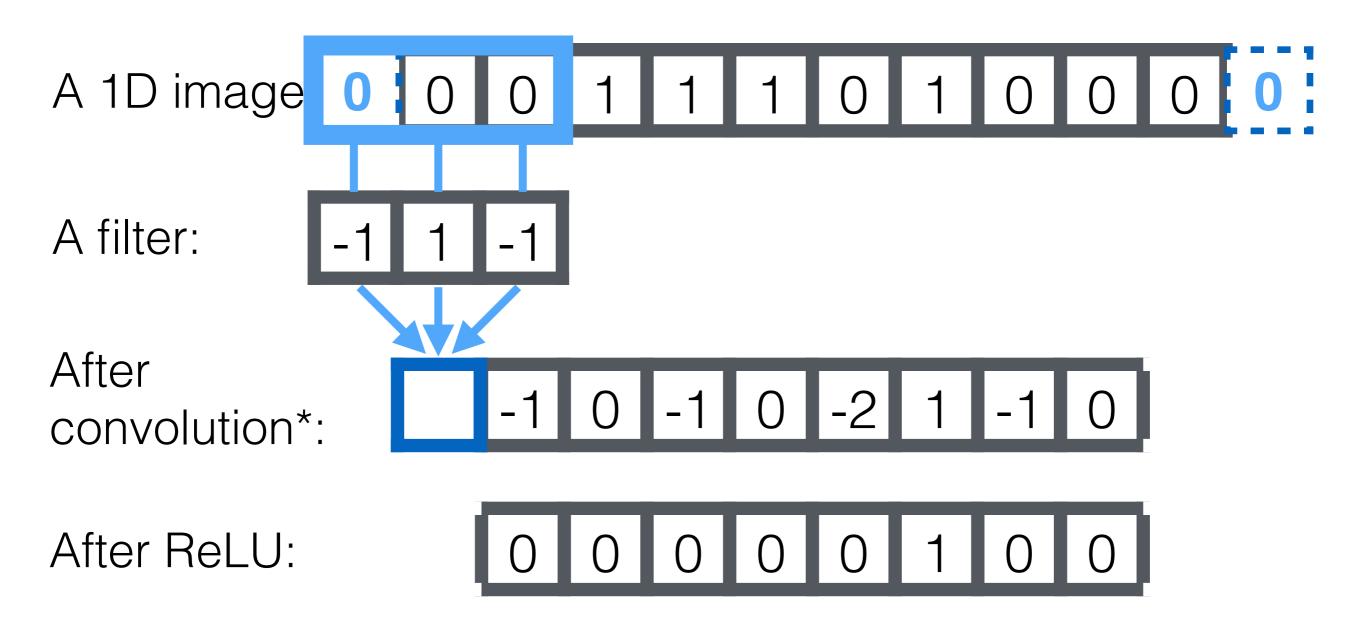


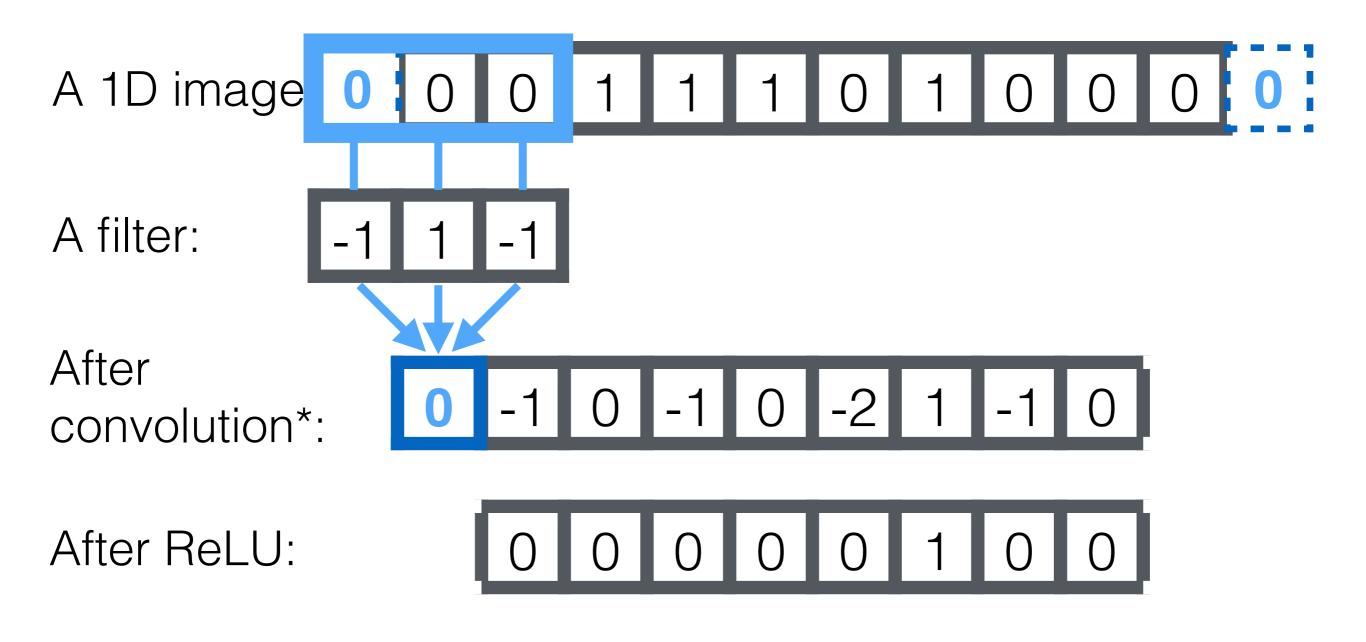


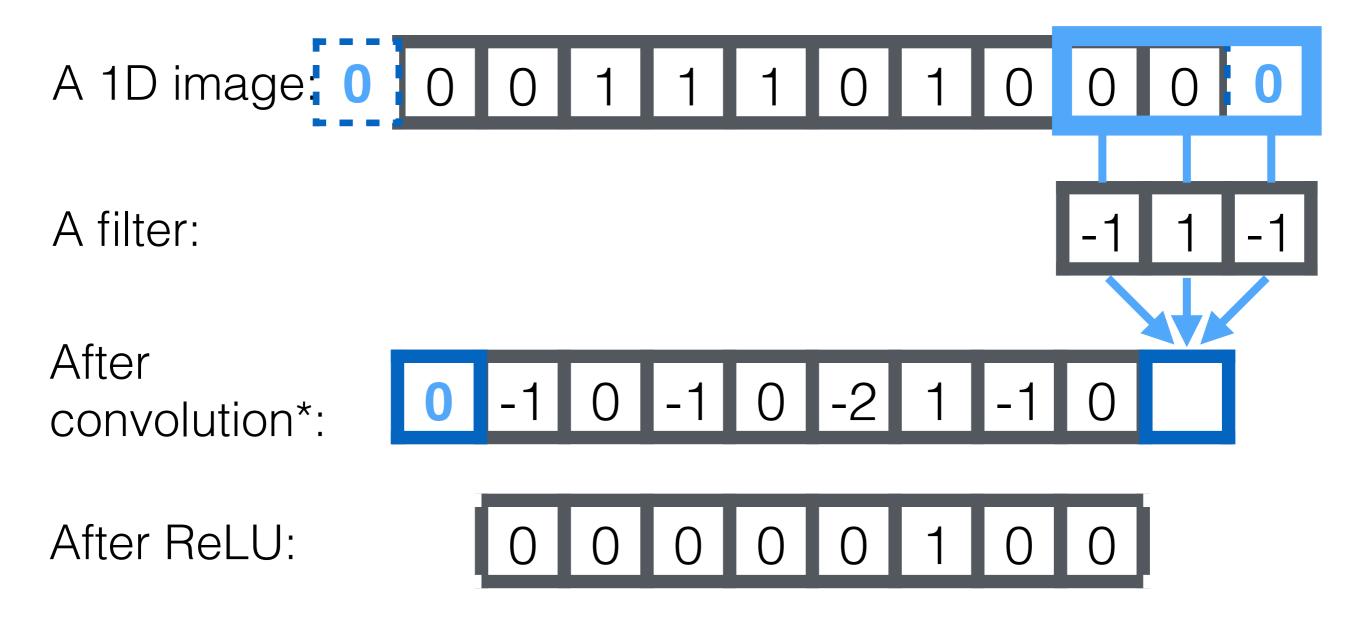


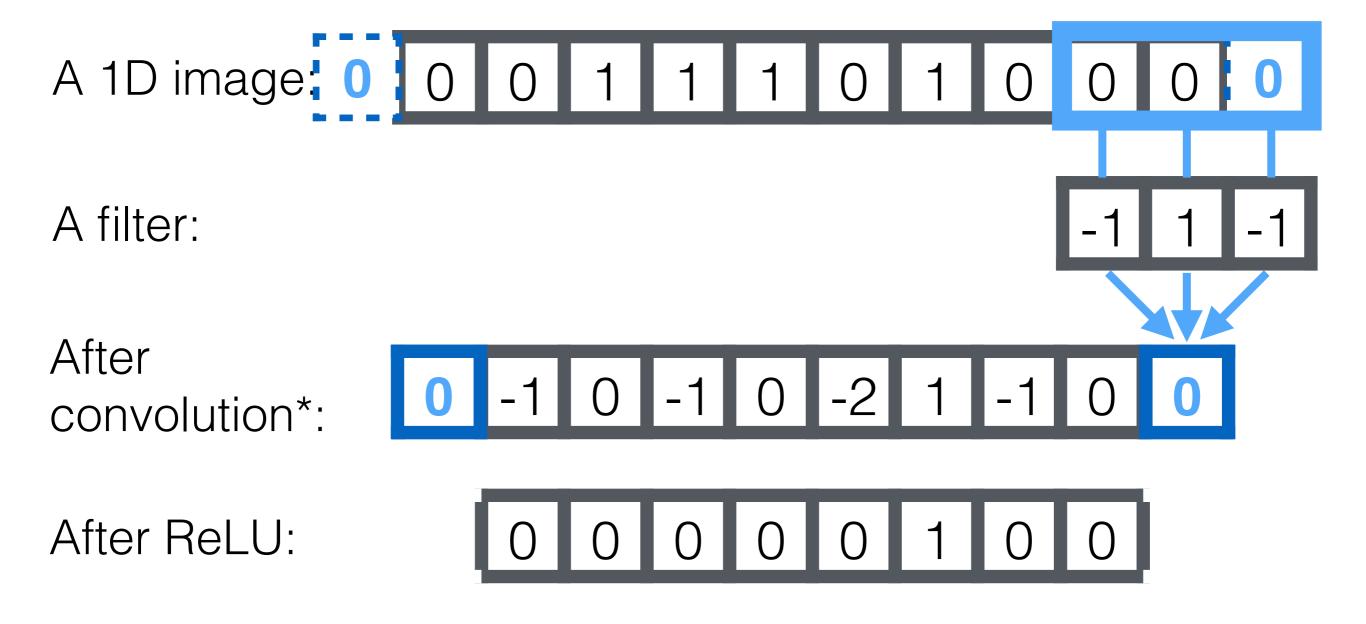


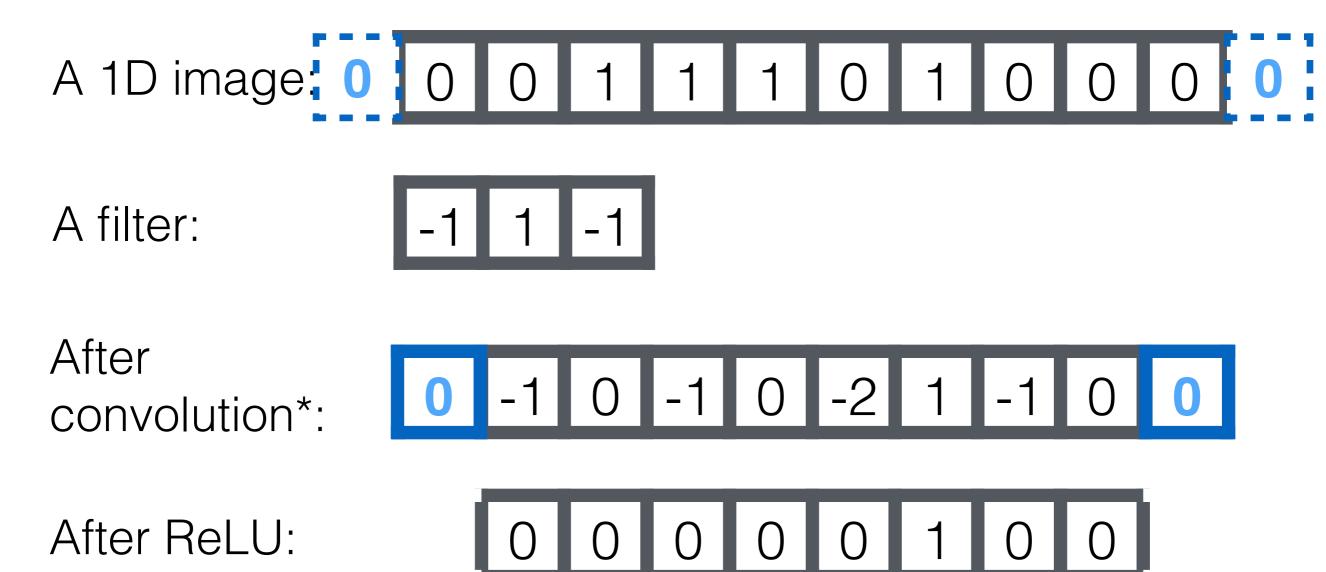
After ReLU: 0 0 0 0 1 0 0

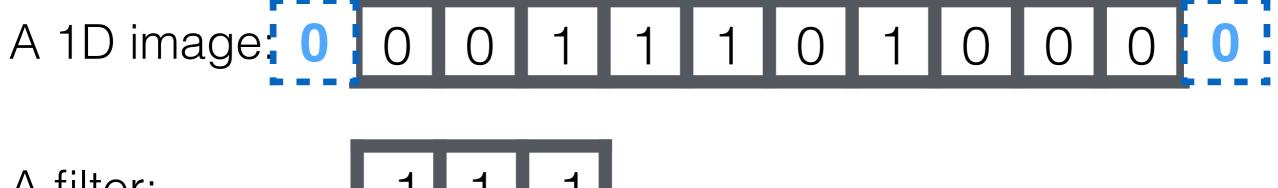








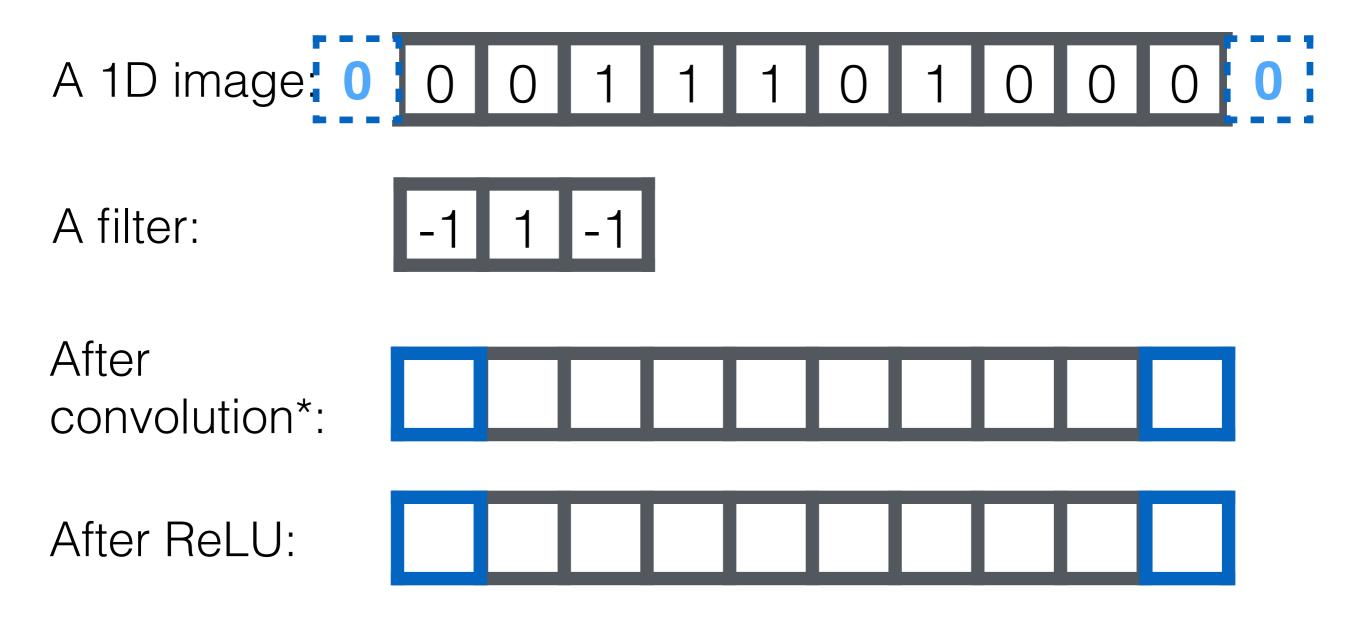


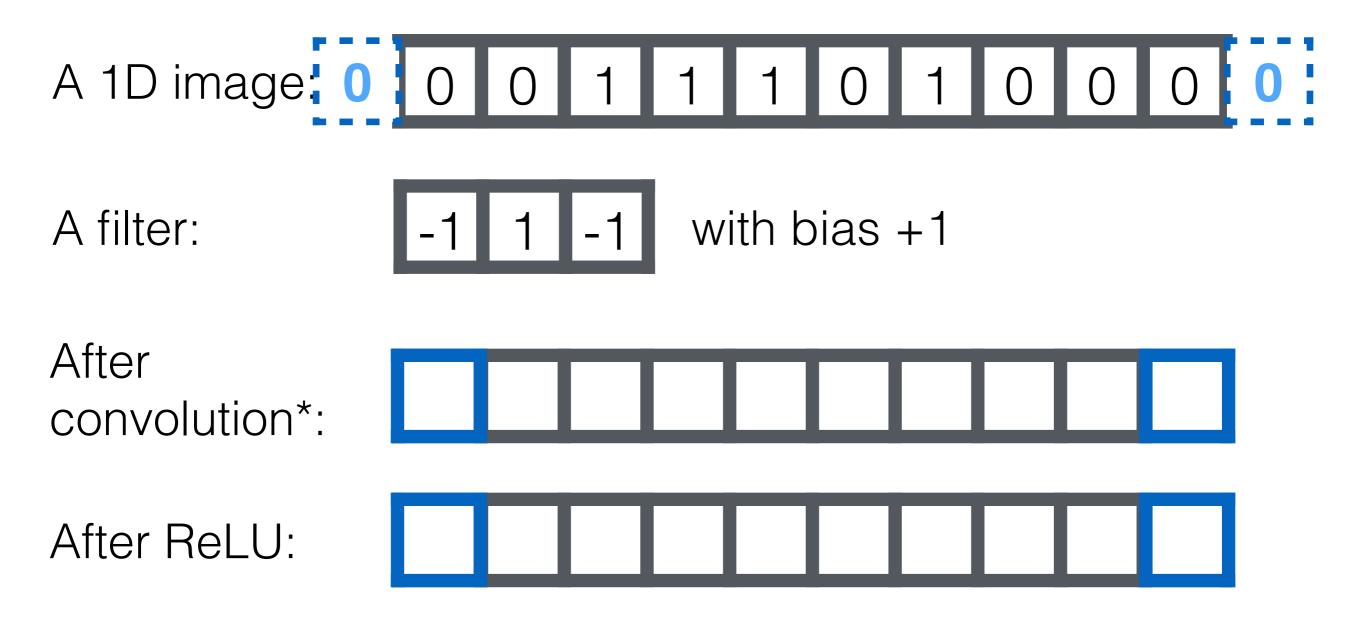


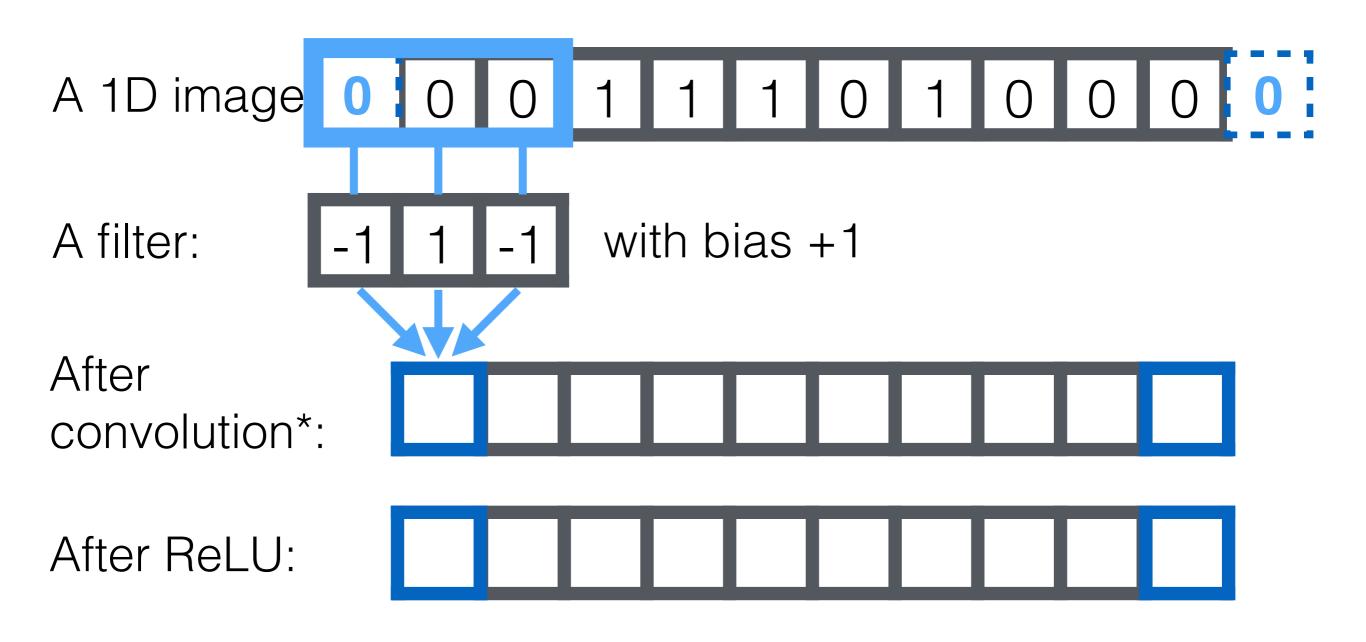


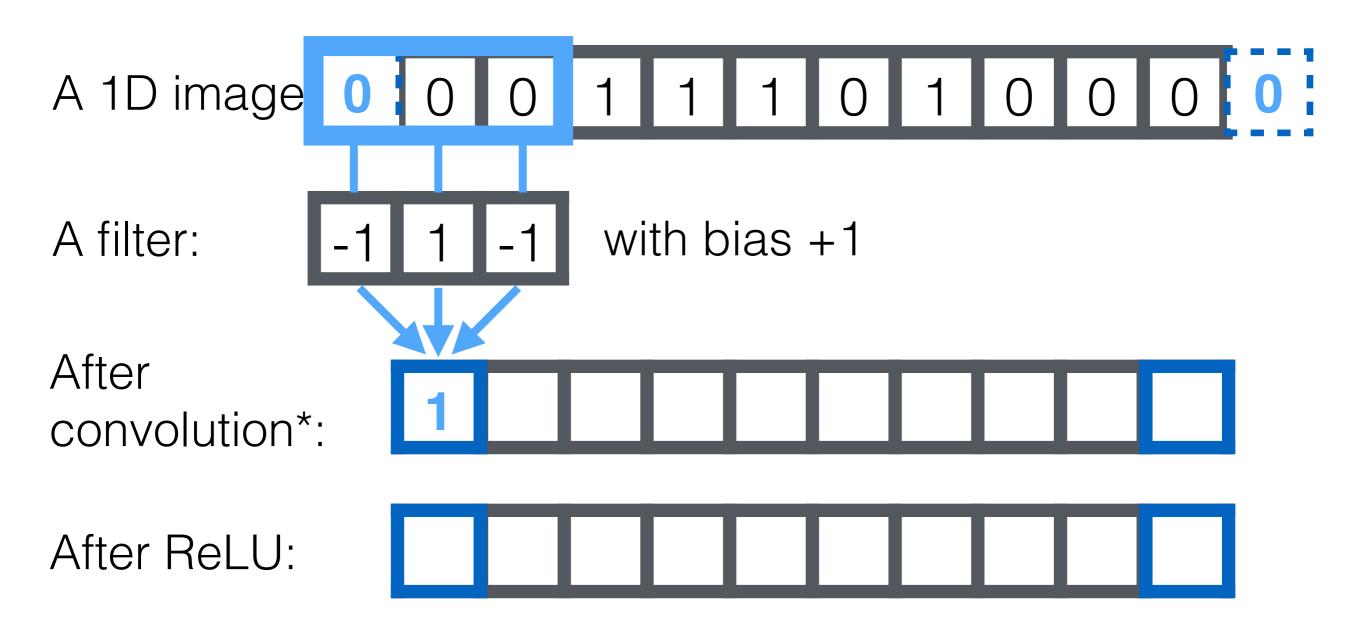


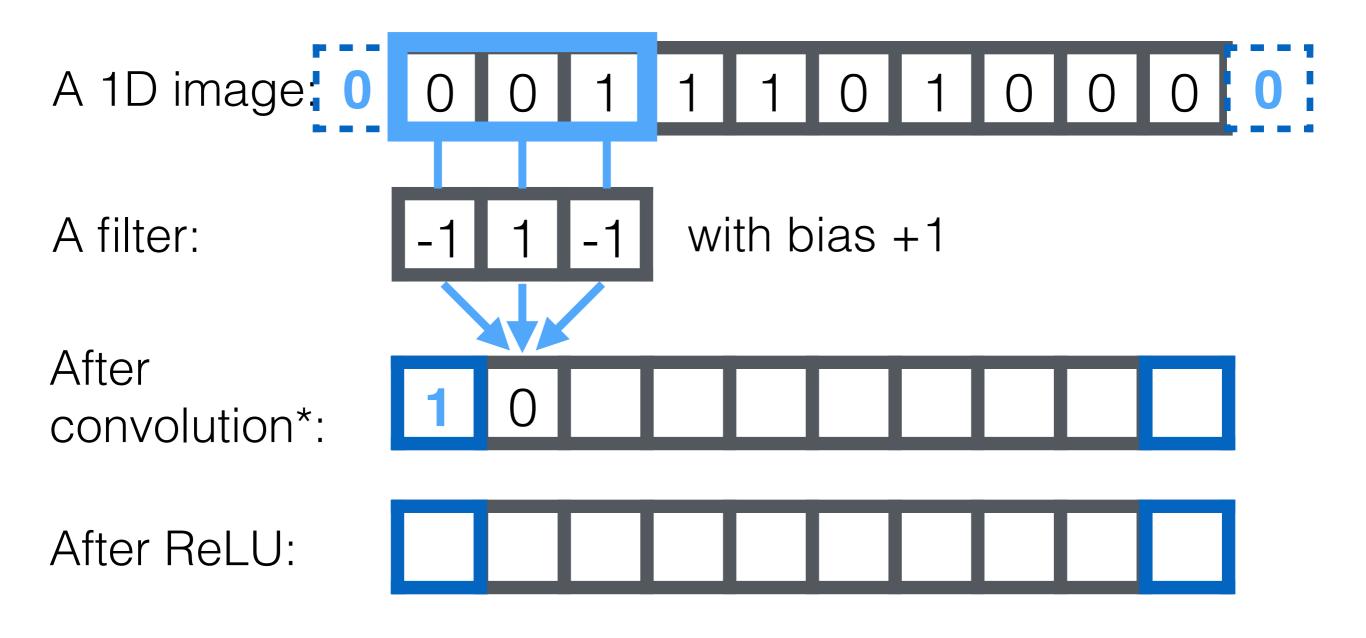
After ReLU: 0 0 0 0 0 1 0 0 0

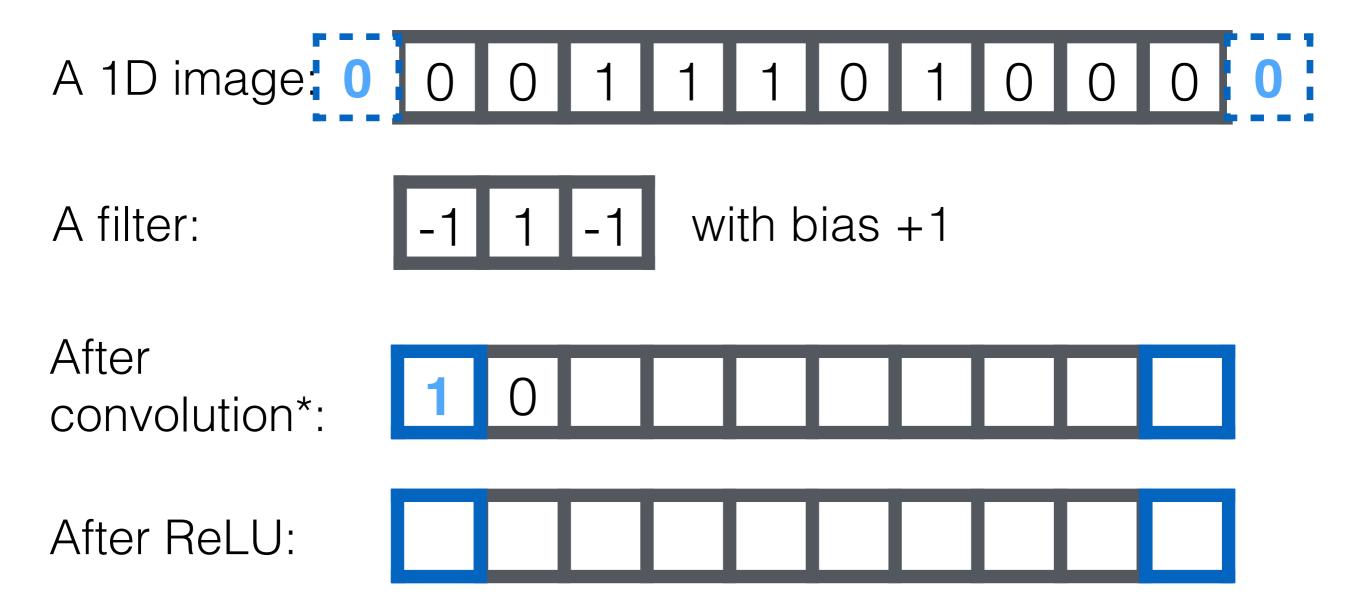


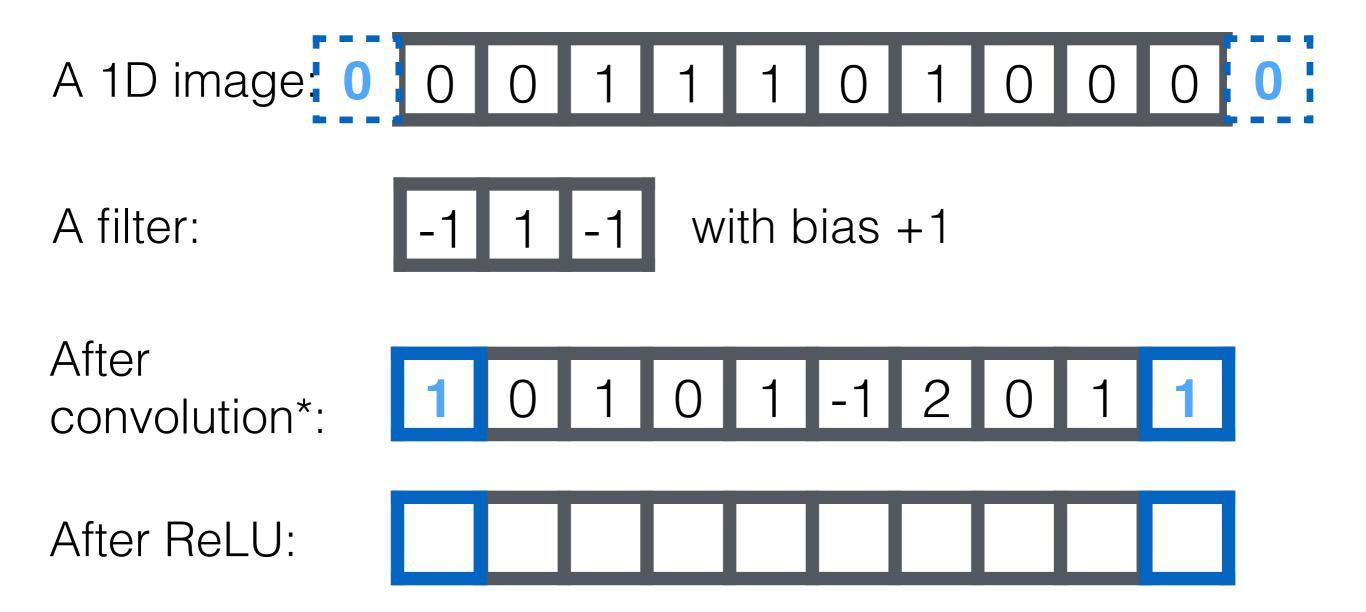


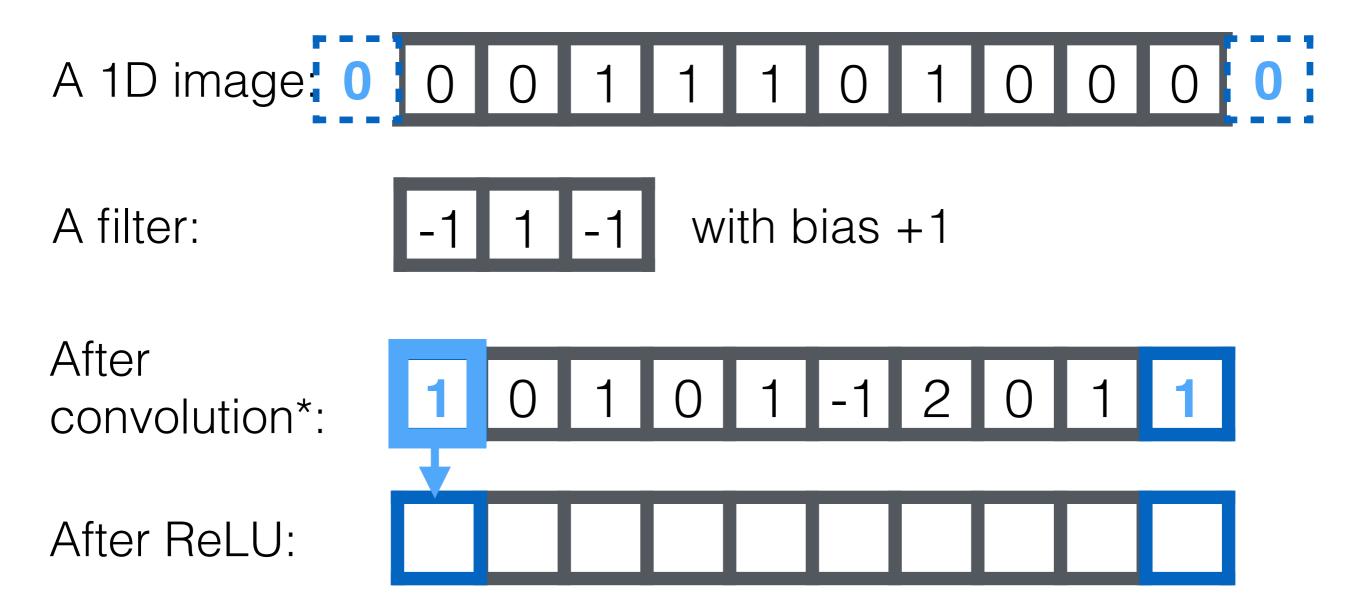


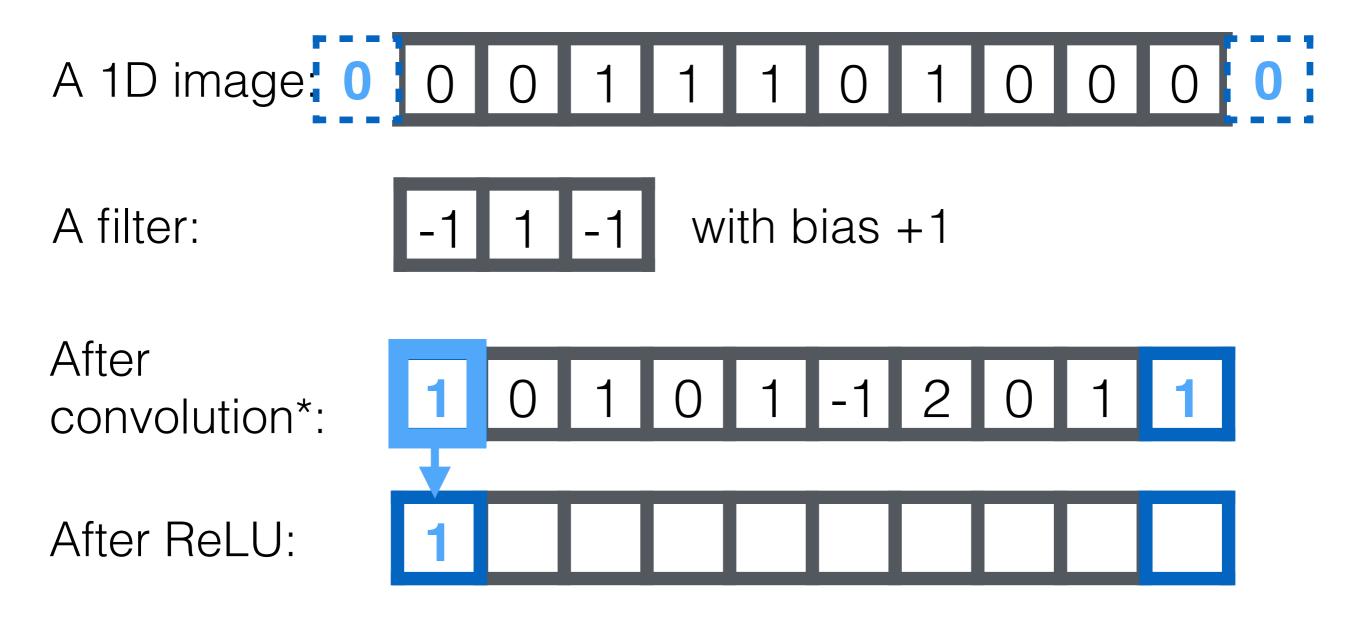


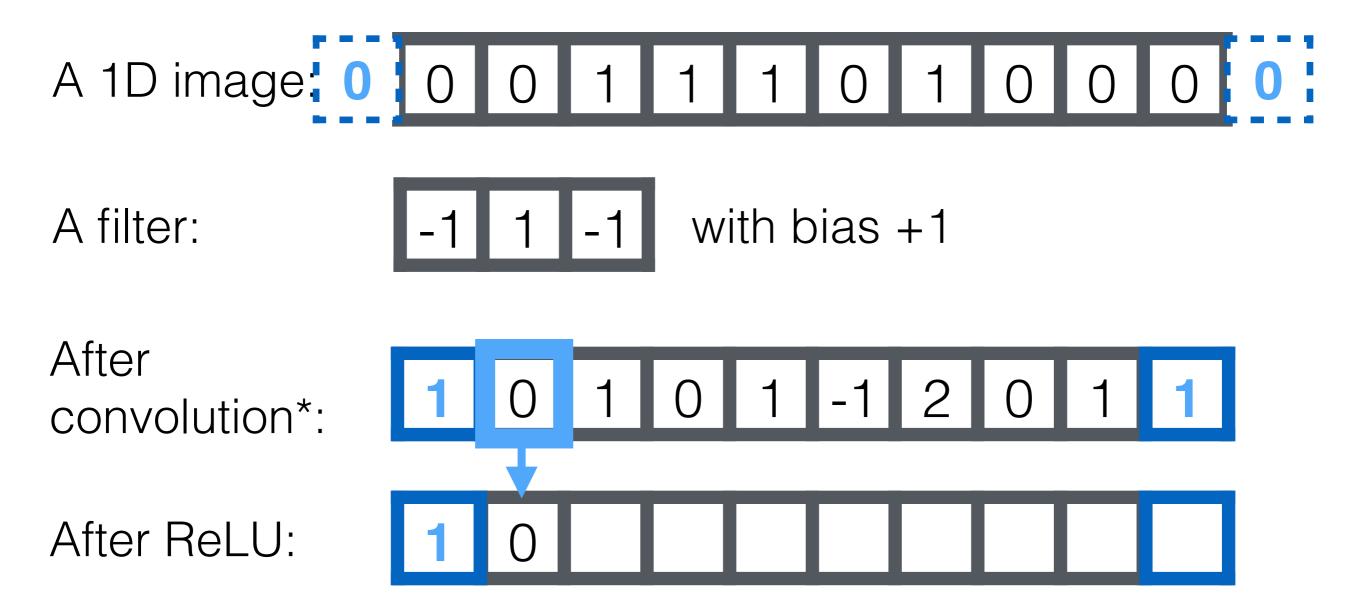


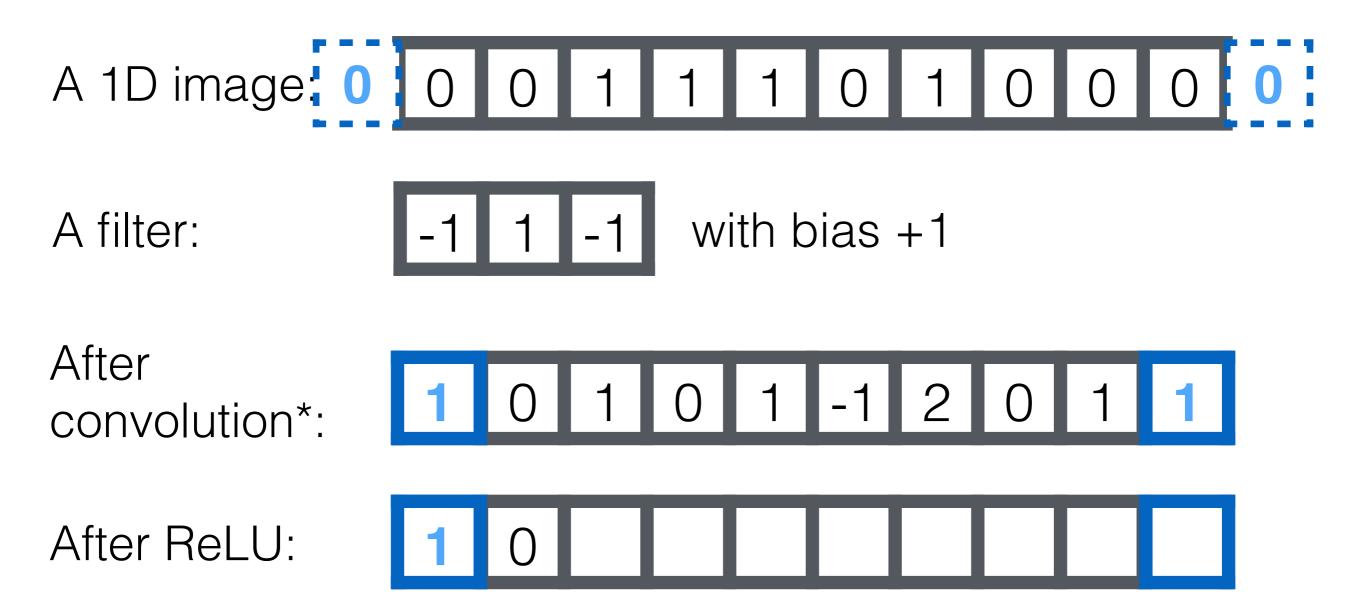


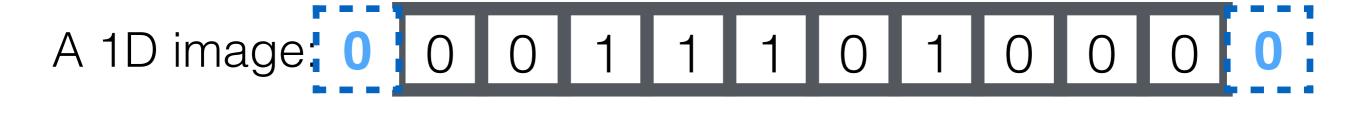












A filter:

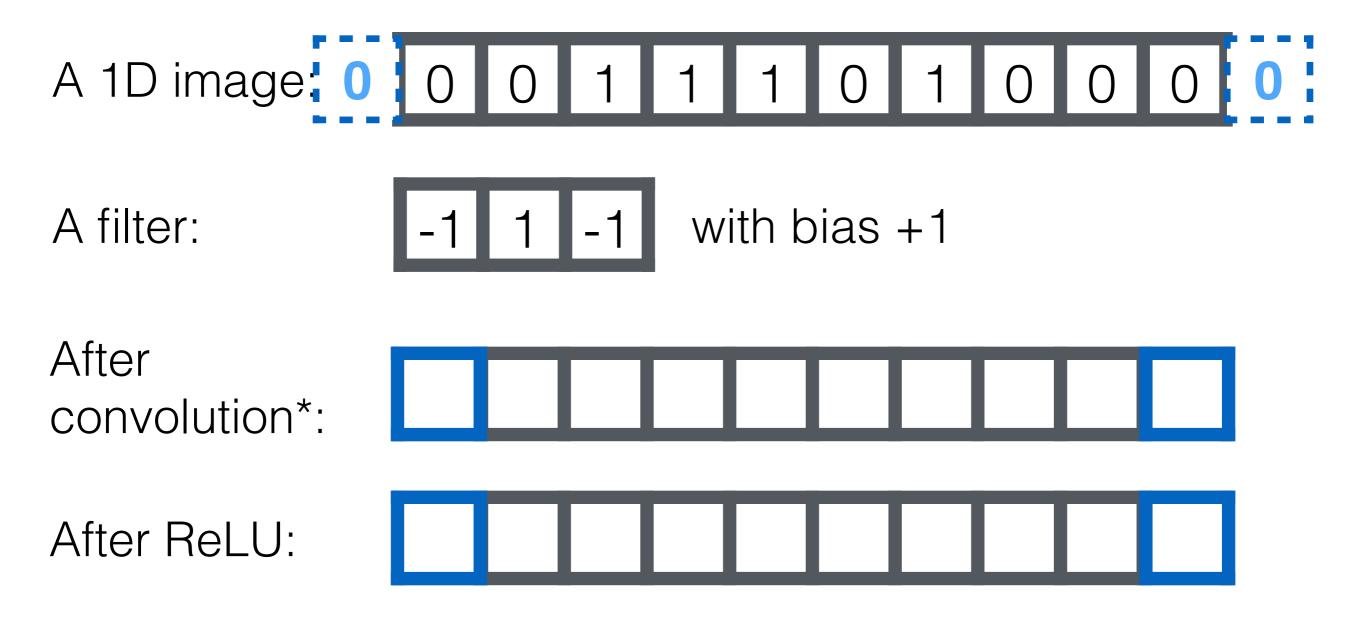


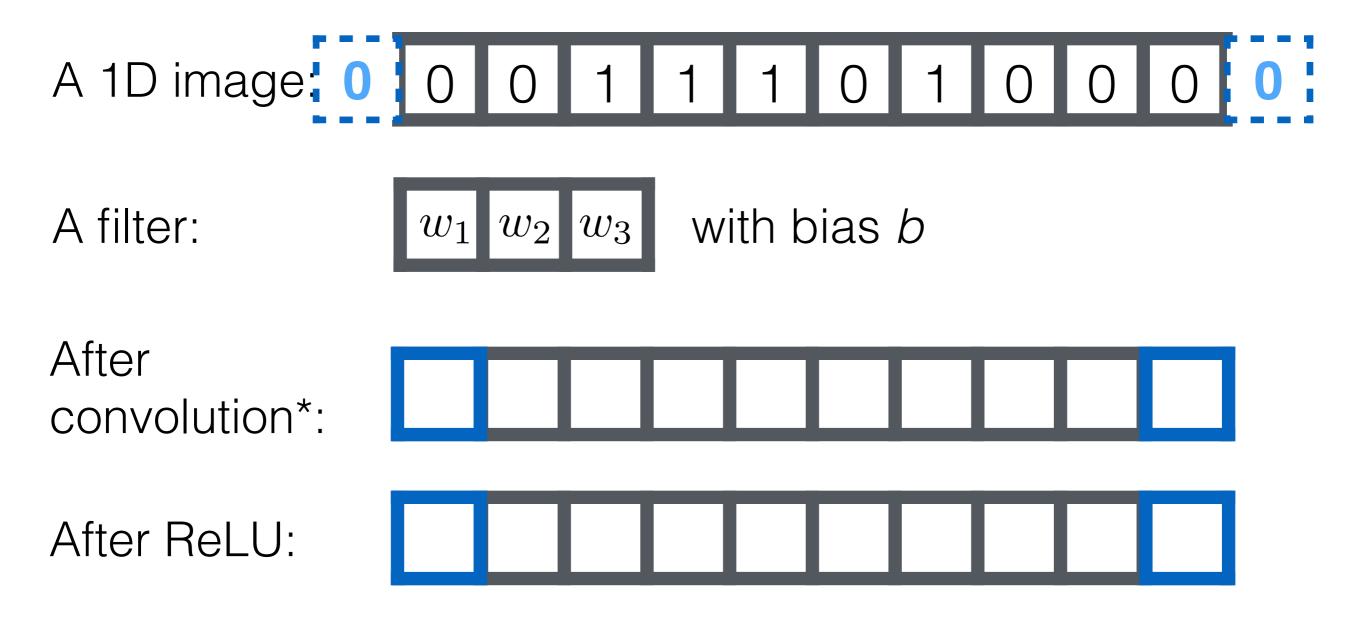
After

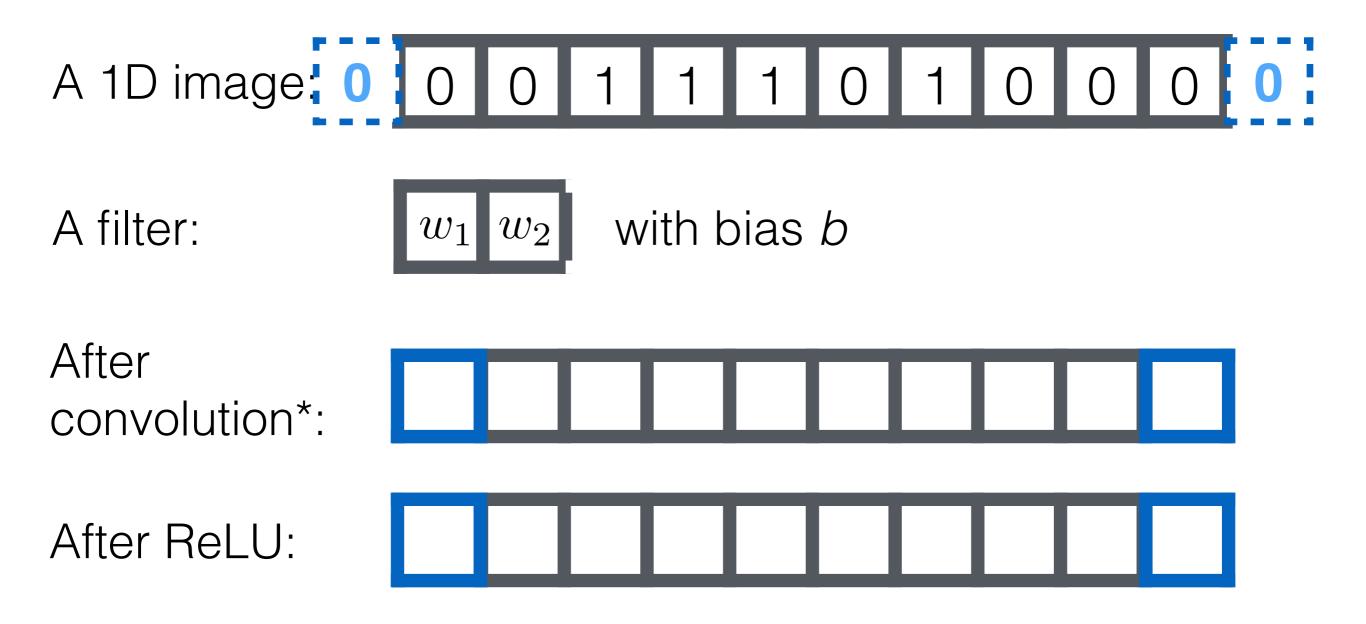
convolution*:

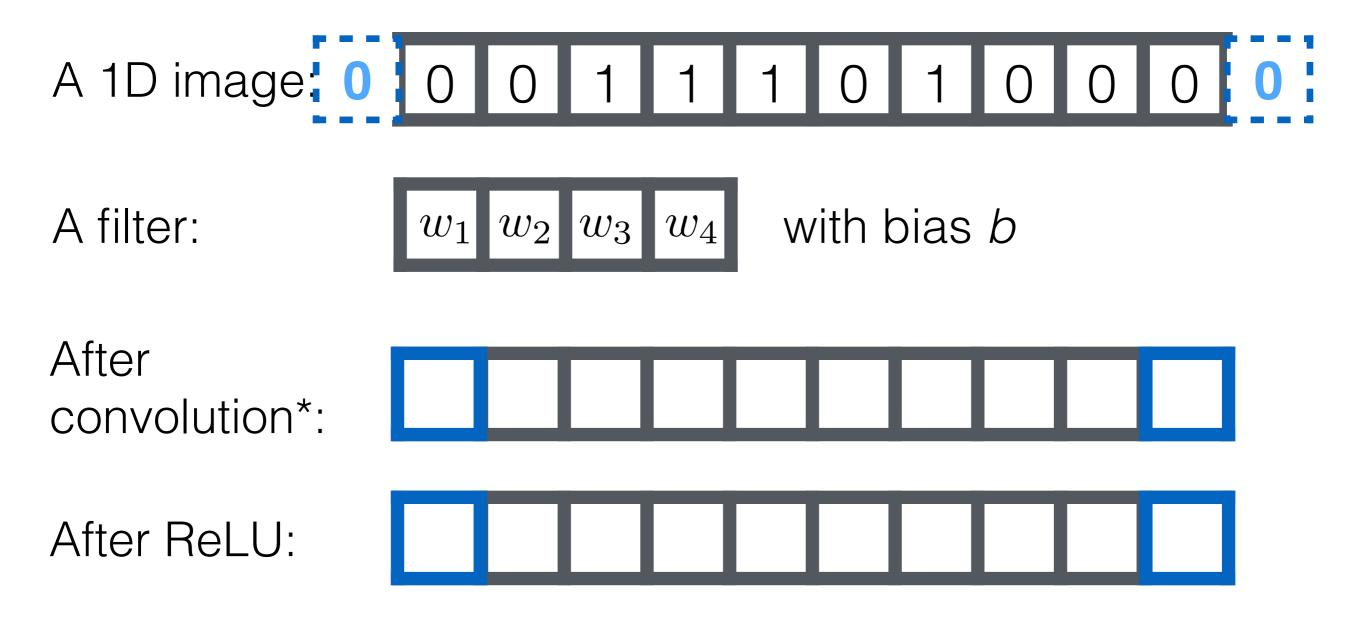


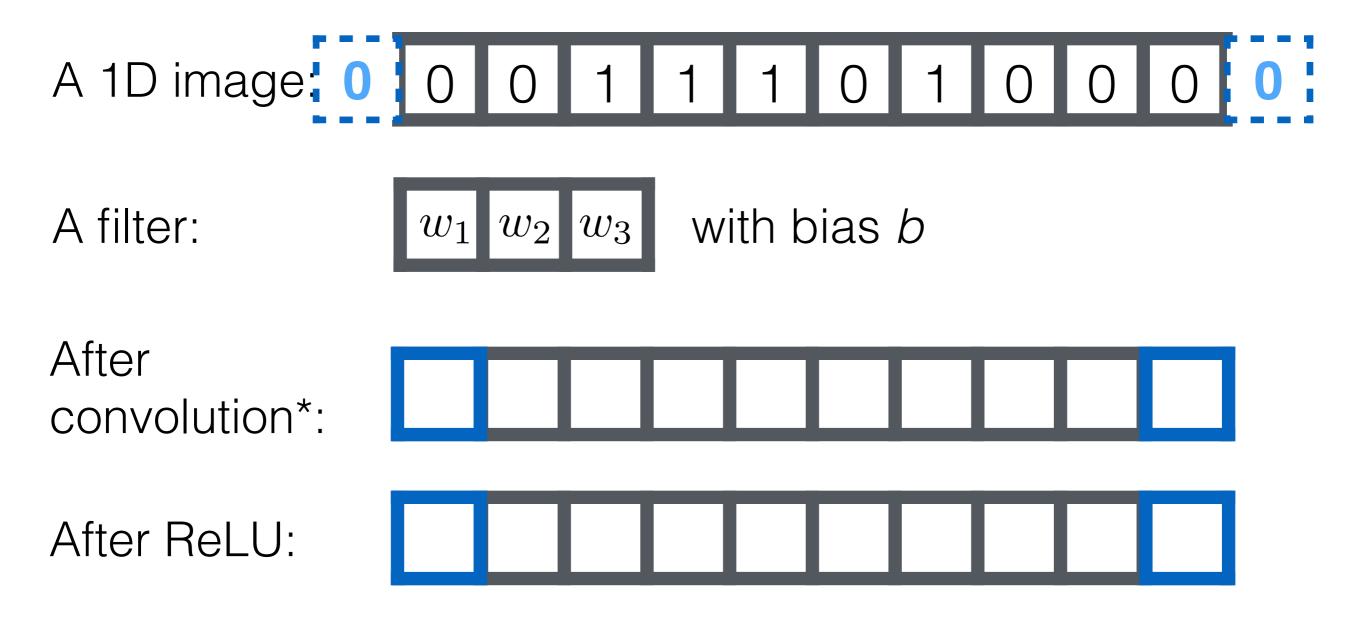
After ReLU:

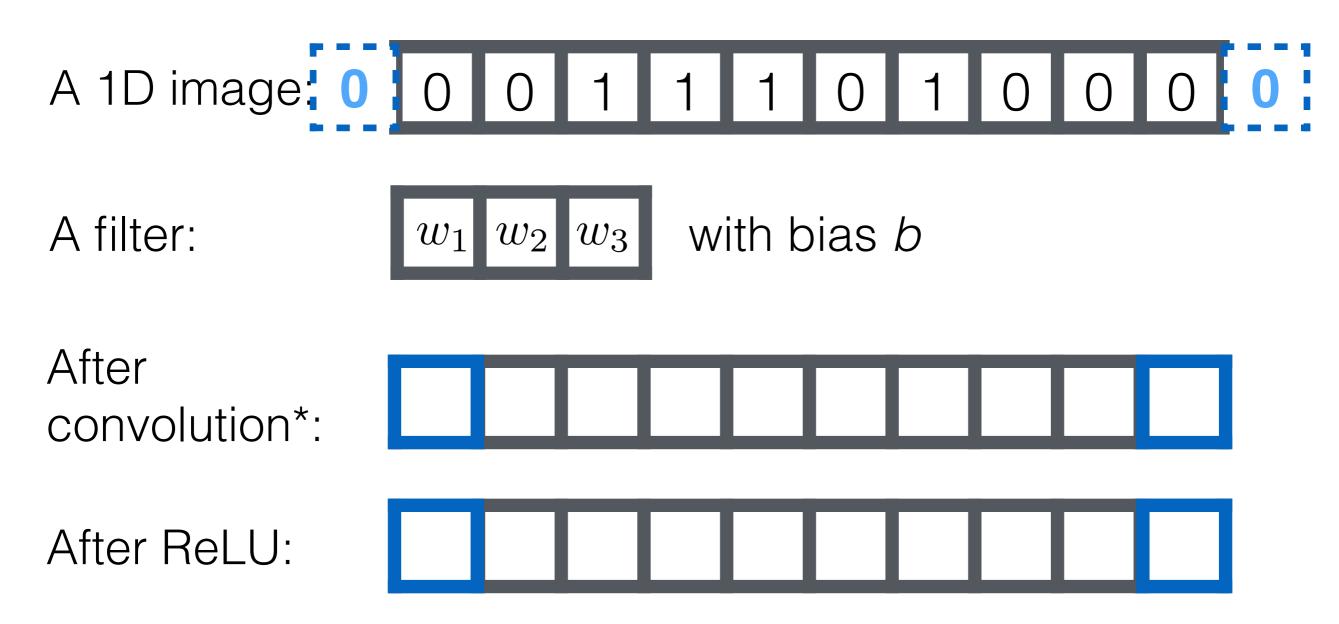




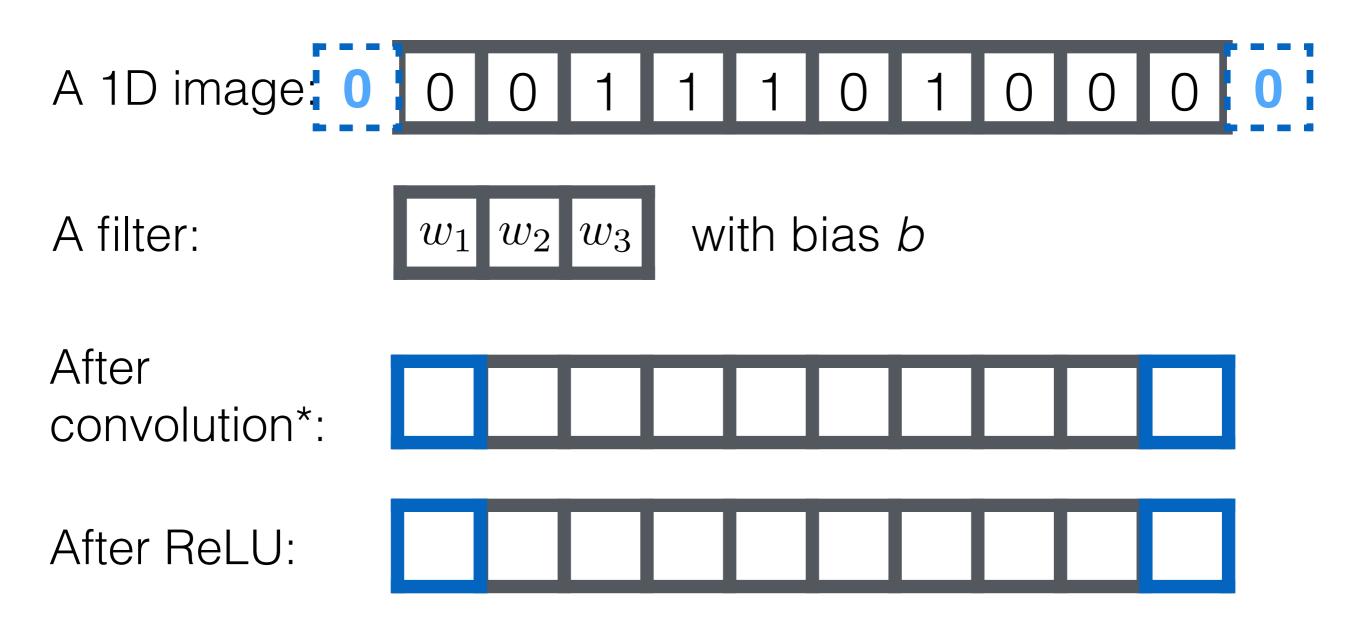




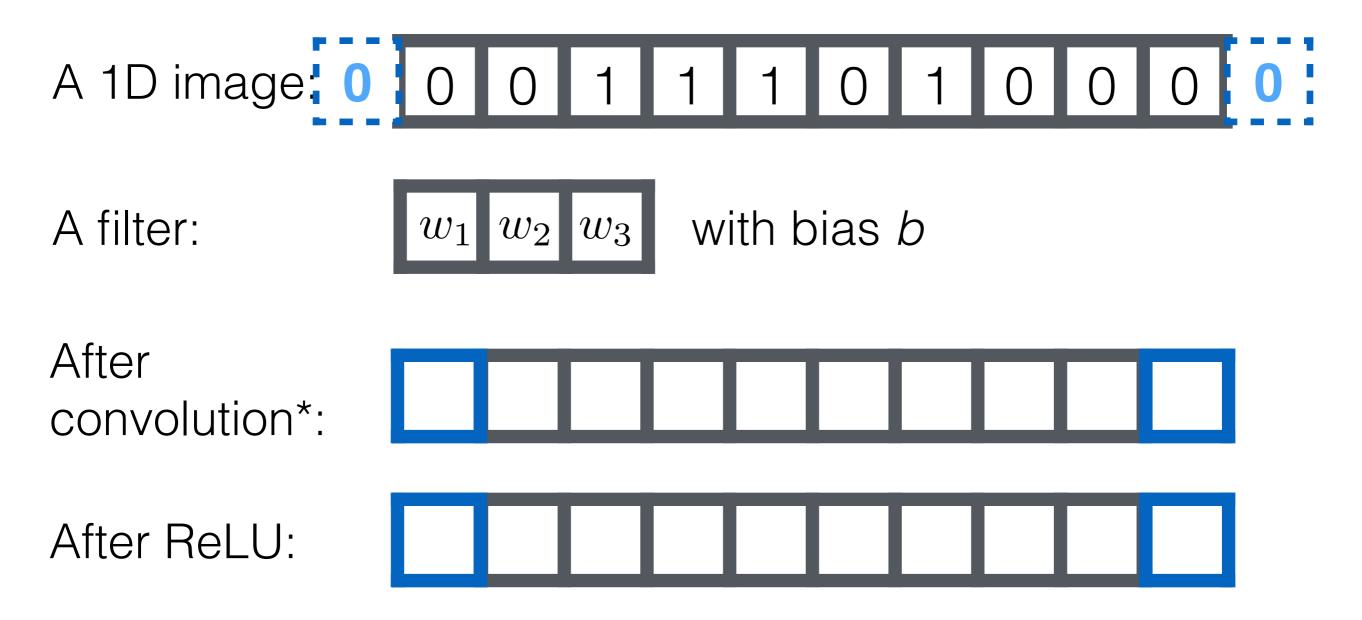




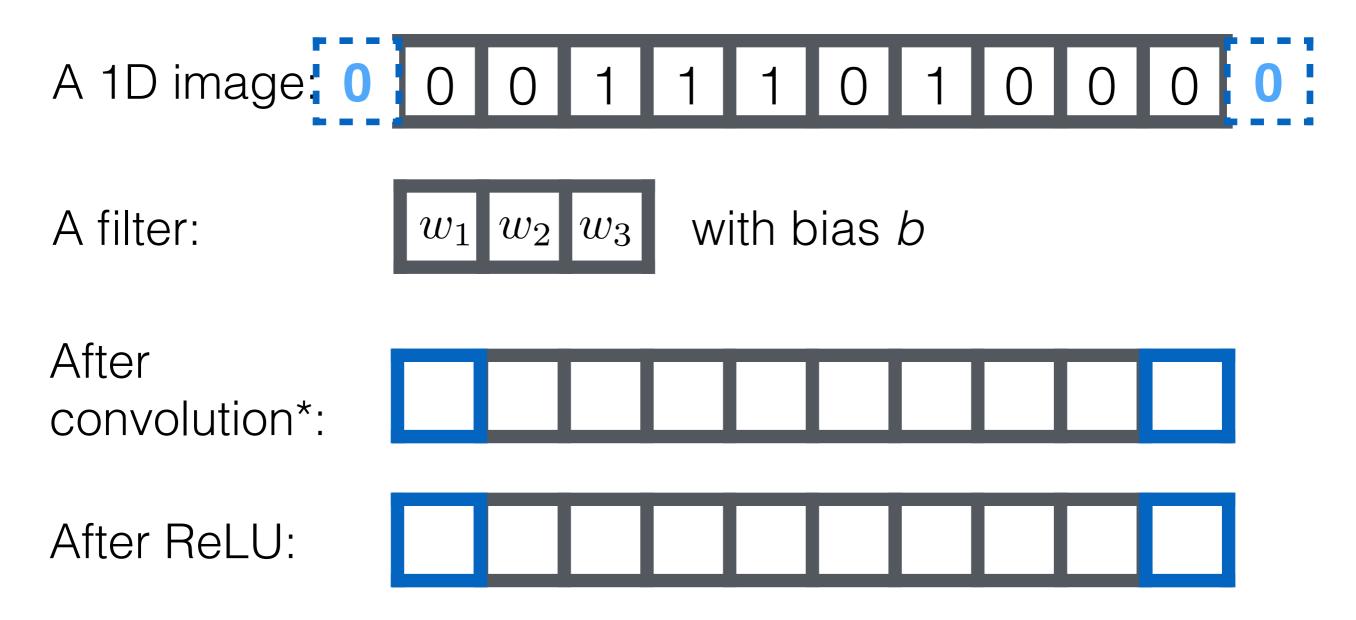
• How many weights (including bias)?



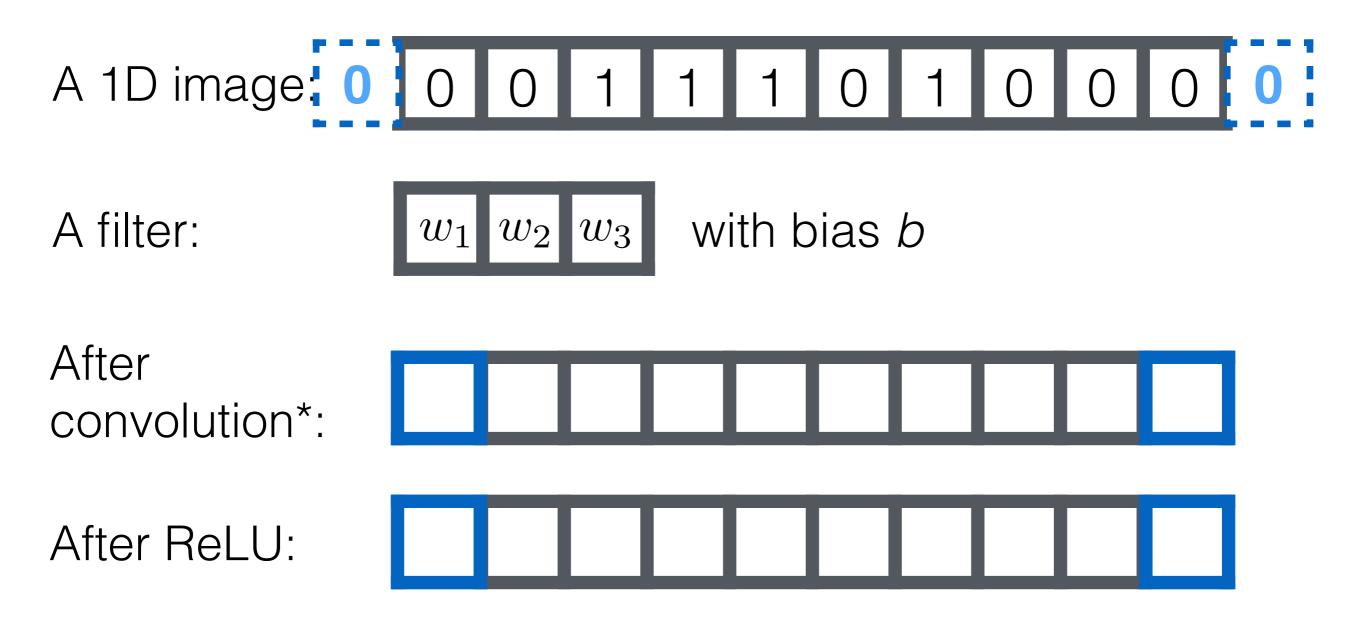
• How many weights (including bias)? 4



- How many weights (including bias)? 4
- How many weights (including biases) for fully connected layer with 10 inputs & 10 outputs?

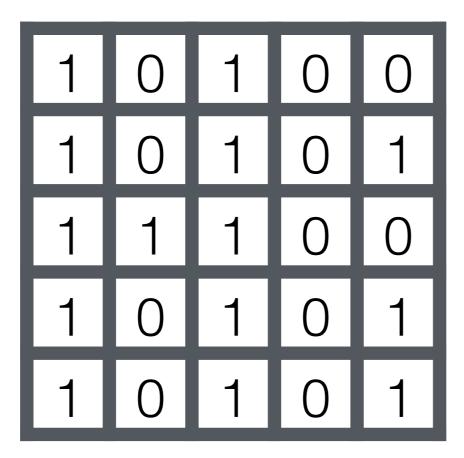


- How many weights (including bias)? 4
- How many weights (including biases) for fully connected layer with 10 inputs & 10 outputs? 10 x 11 =

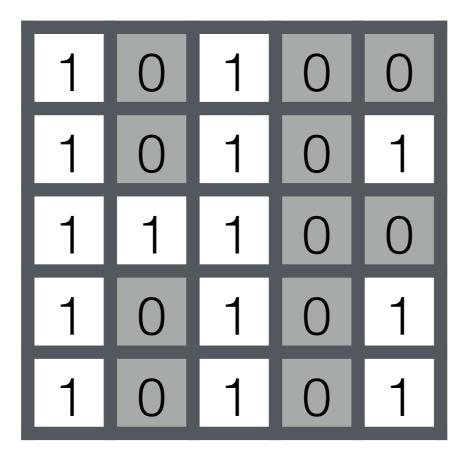


- How many weights (including bias)? 4
- How many weights (including biases) for fully connected layer with 10 inputs & 10 outputs? 10 x 11 = 110

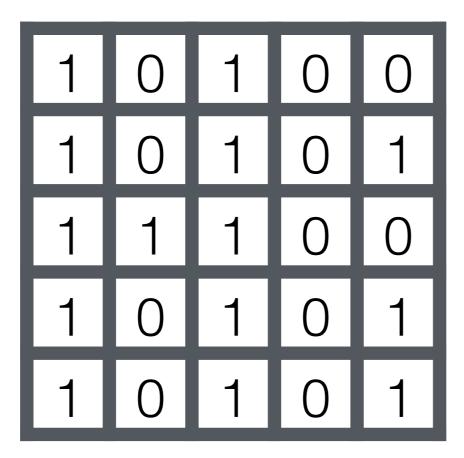
A 2D image:



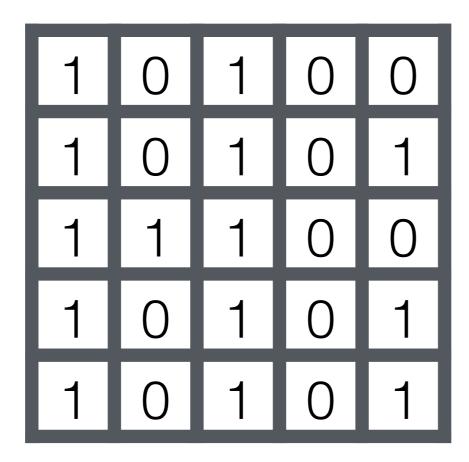
A 2D image:



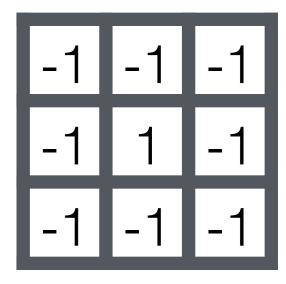
A 2D image:



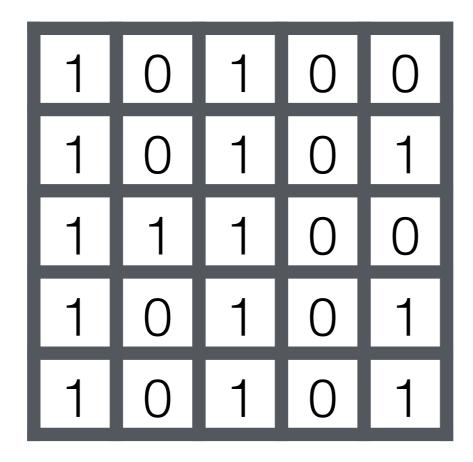
A 2D image:



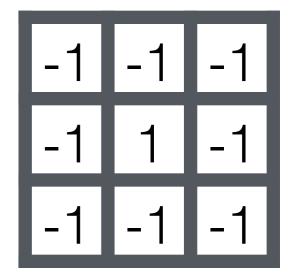
A filter:



A 2D image:

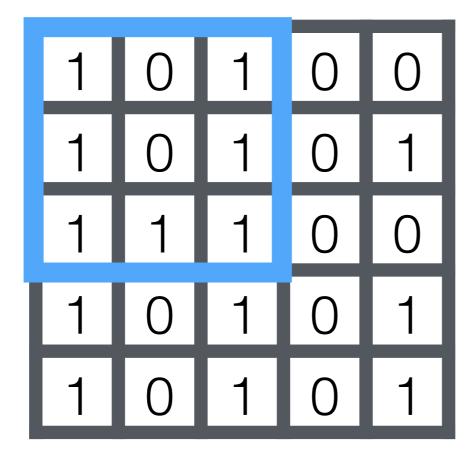


A filter:

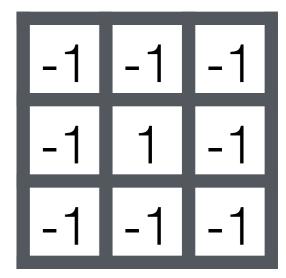


After convolution:

A 2D image:

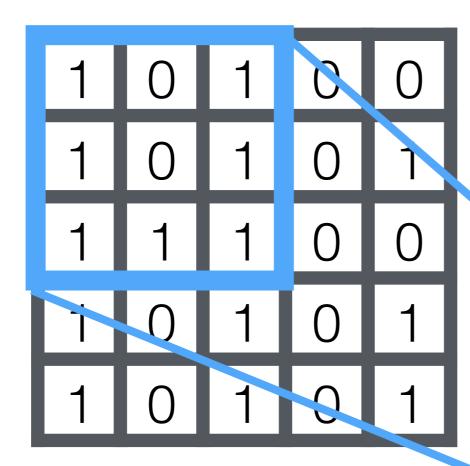


A filter:

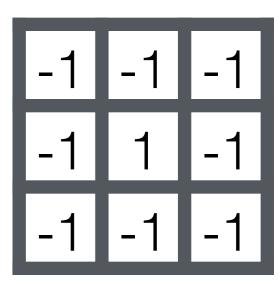


After convolution:

A 2D image:

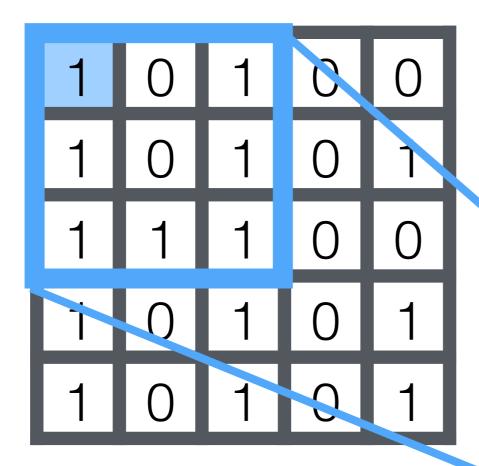


A filter:

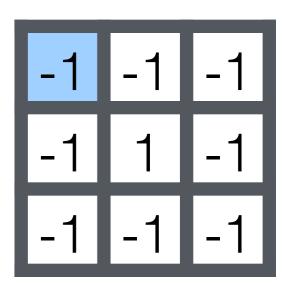


After convolution:

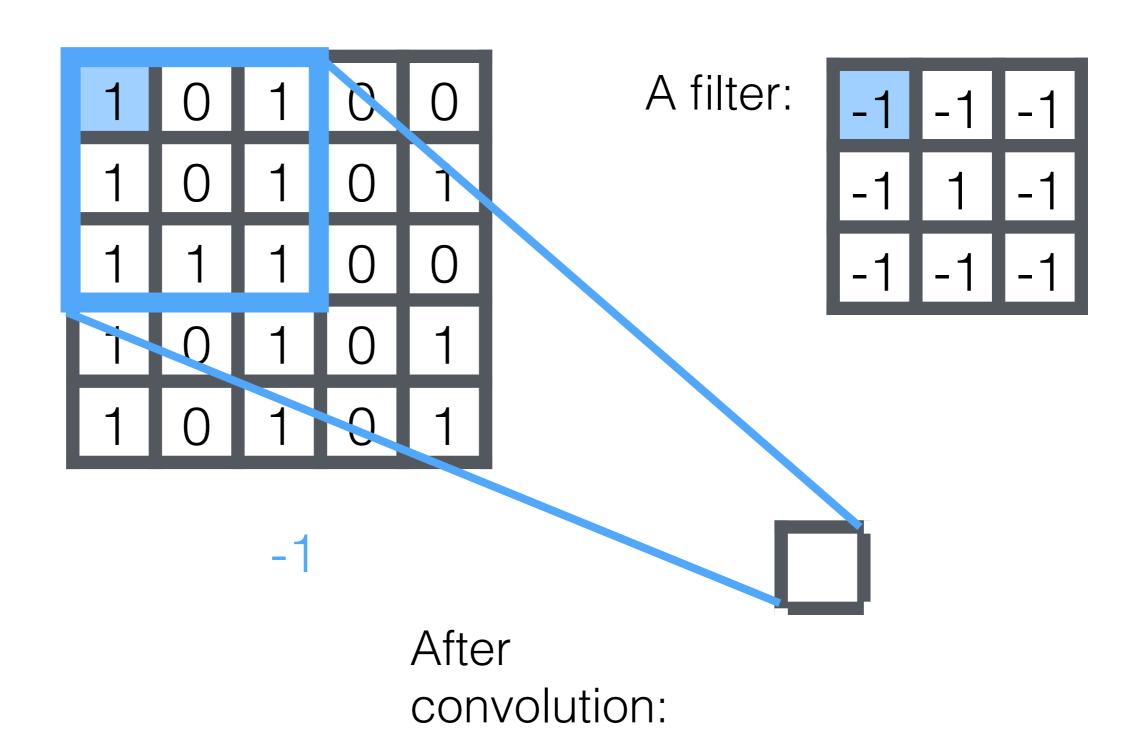
A 2D image:



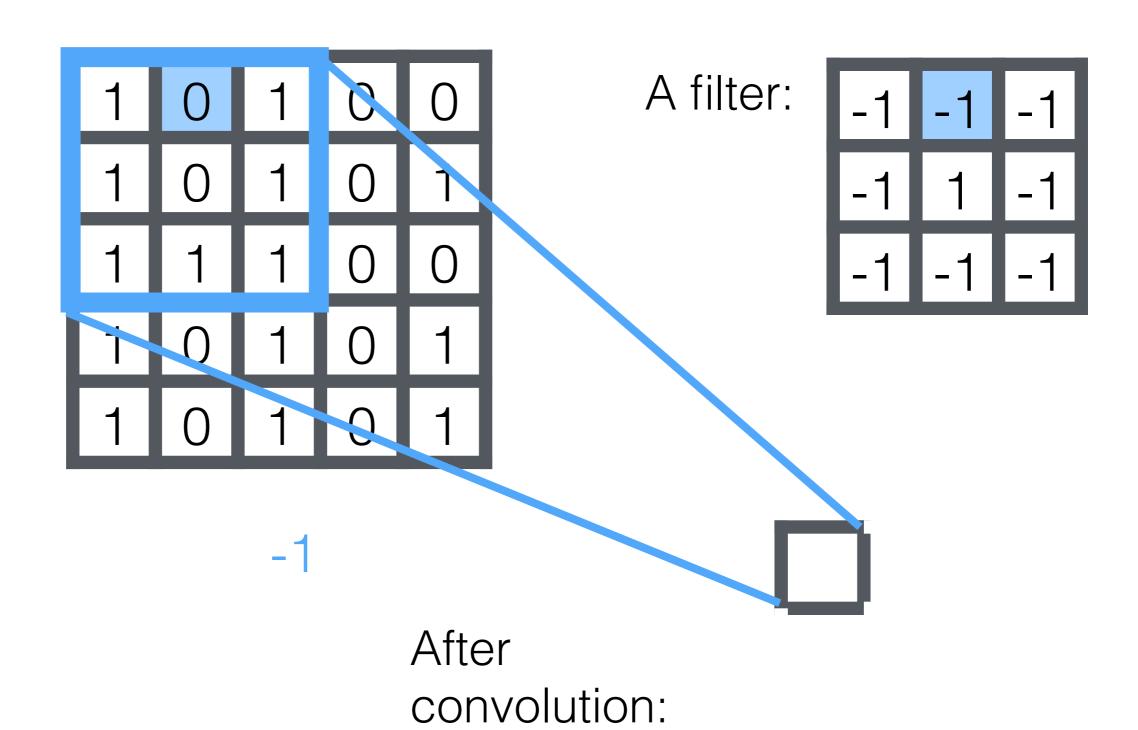
A filter:



A 2D image:

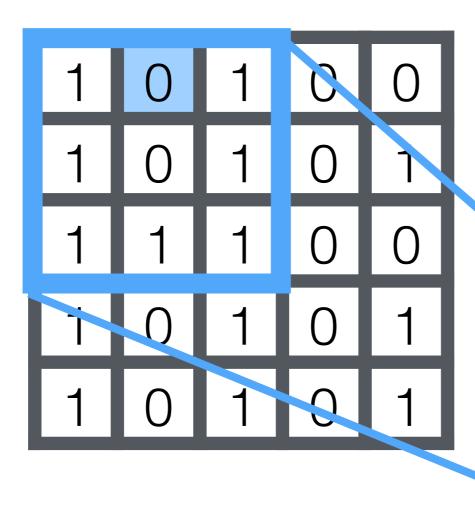


A 2D image:

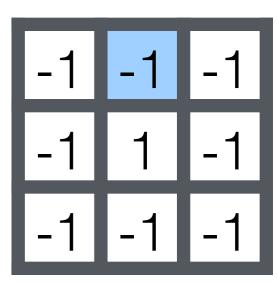


10

A 2D image:



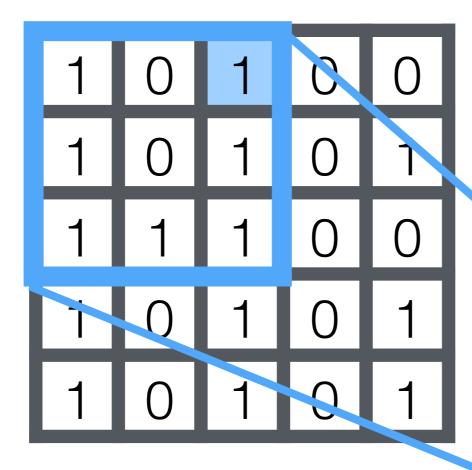
A filter:



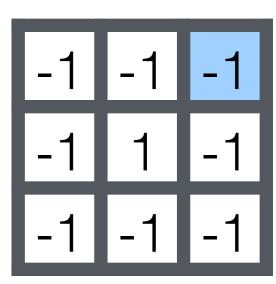
$$-1 + 0$$



A 2D image:



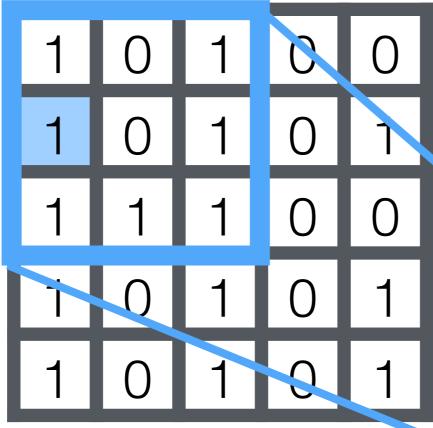
A filter:



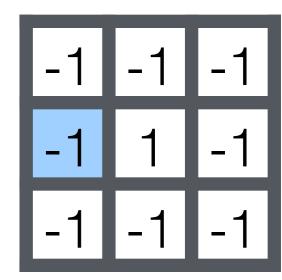
$$-1 + 0 + -1$$



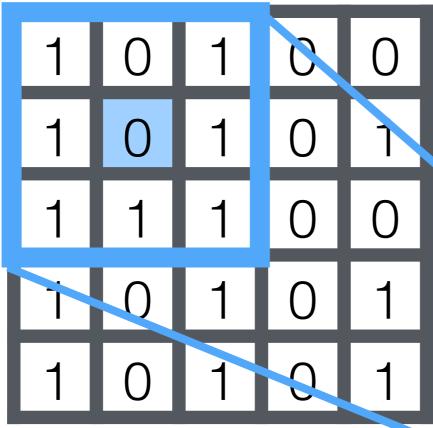
A 2D image:



A filter:

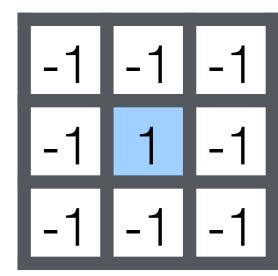


A_{2D} image:

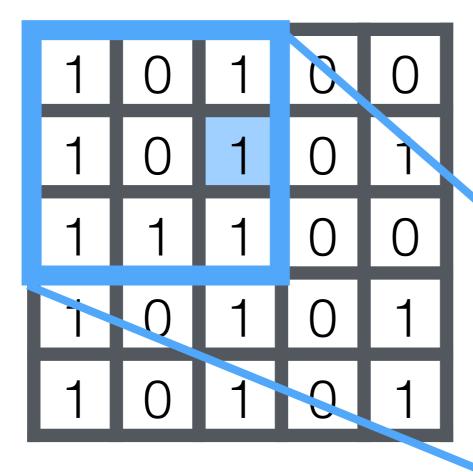


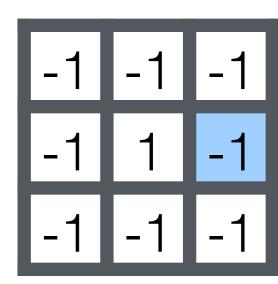
$$-1 + 0 + -1 + 0$$

A filter:



A 2D image:

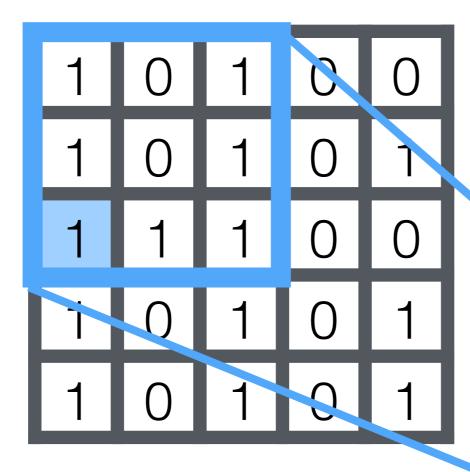


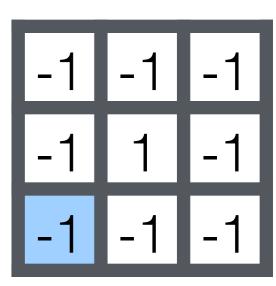


$$-1 + 0 + -1$$

 $+ -1 + 0 + -1$

A 2D image:

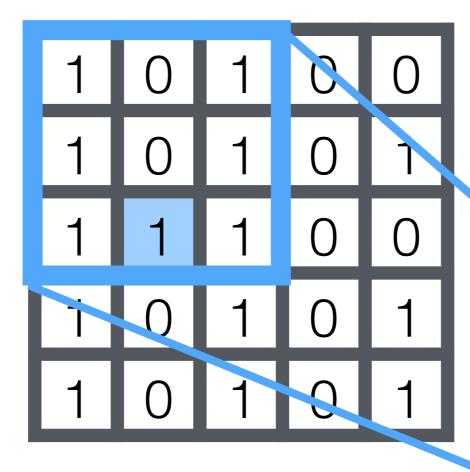


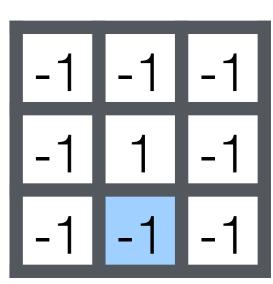


$$-1 + 0 + -1$$

+ $-1 + 0 + -1$
+ -1

A 2D image:





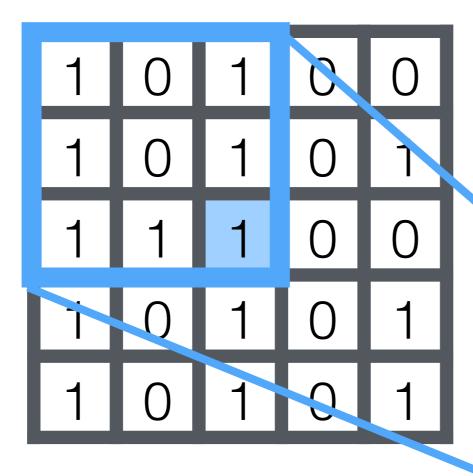
$$-1 + 0 + -1$$

 $+ -1 + 0 + -1$
 $+ -1 + -1$

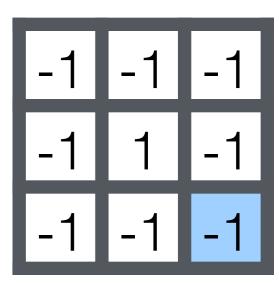
After

convolution:

A 2D image:



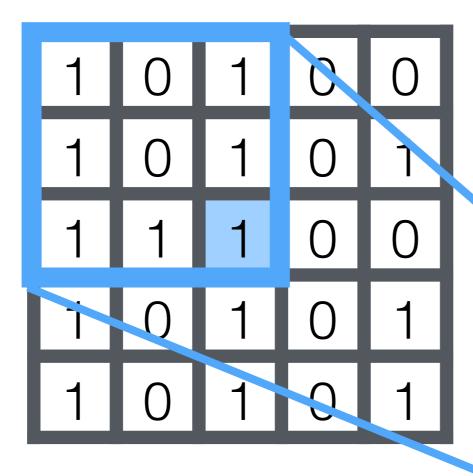
A filter:



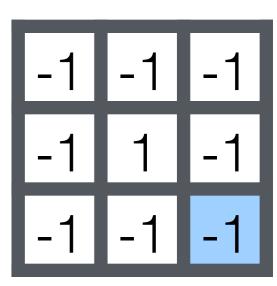
$$-1 + 0 + -1$$

 $+ -1 + 0 + -1$
 $+ -1 + -1 + -1$

A 2D image:



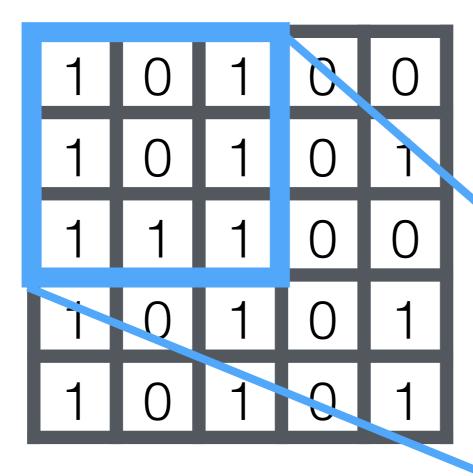
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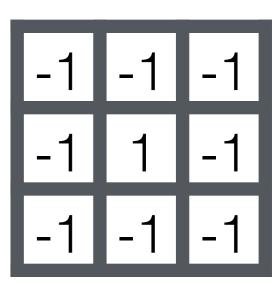
$$-1 + 0 + -1$$

 $+ -1 + 0 + -1$
 $+ -1 + -1 + -1$
 $= -7$

A 2D image:



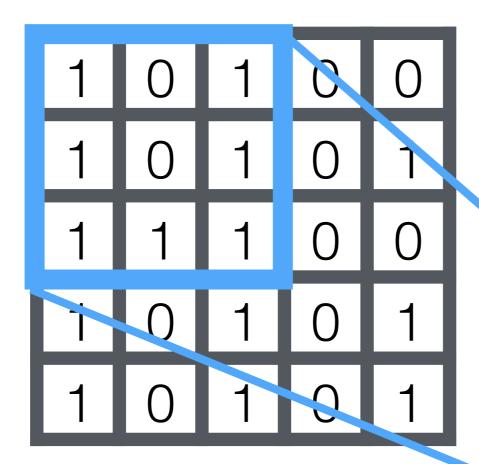
A filter:



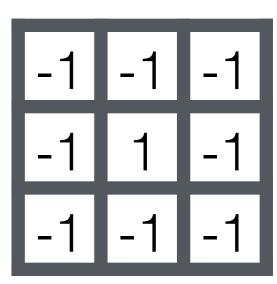
$$-1 + 0 + -1$$

 $+ -1 + 0 + -1$
 $+ -1 + -1 + -1$
 $= -7$

A 2D image:

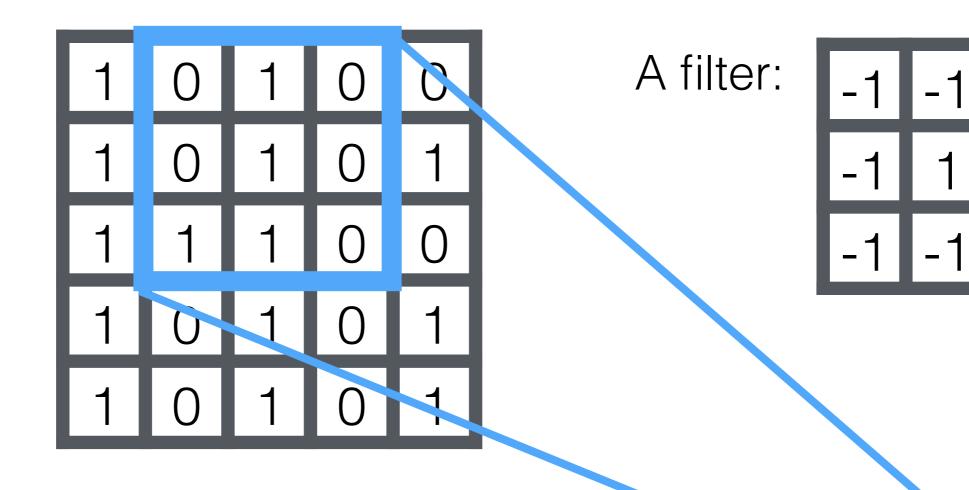


A filter:

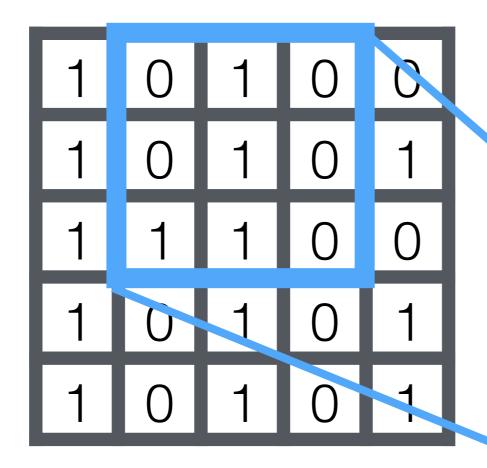


-7

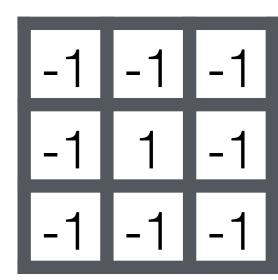
A 2D image:



A 2D image:

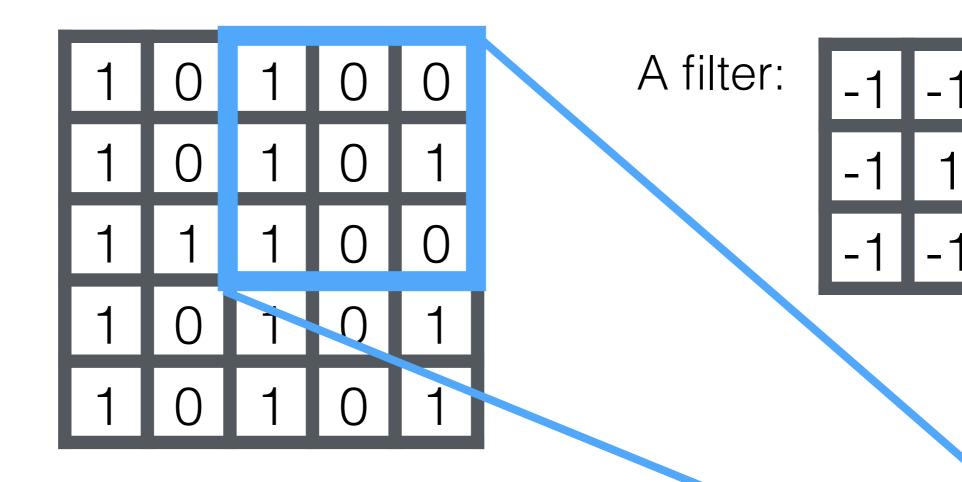


A filter:

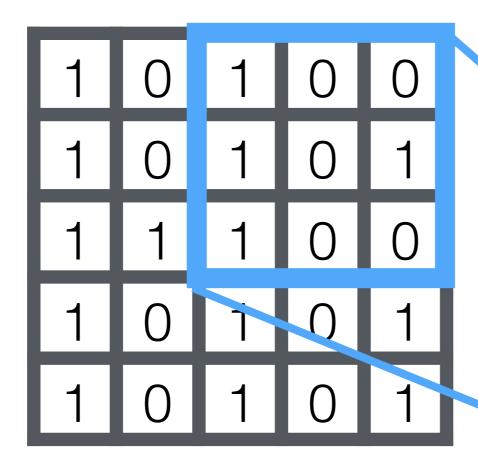


7 -2

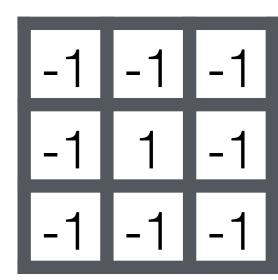
A 2D image:



A 2D image:

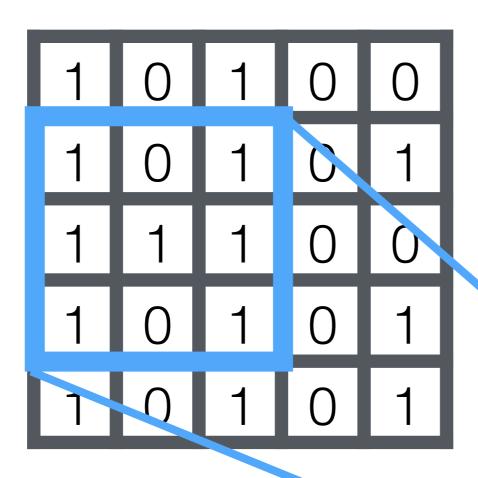


A filter:

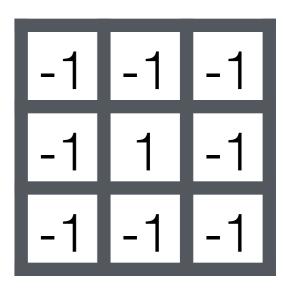


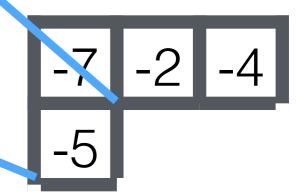
-7 -2 -4

A 2D image:

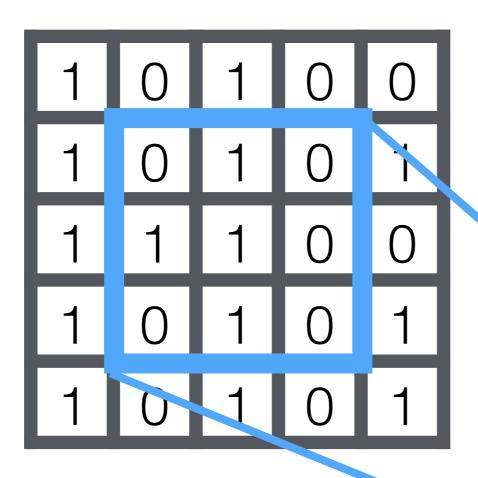


A filter:

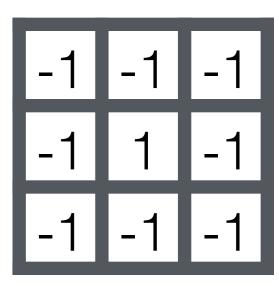


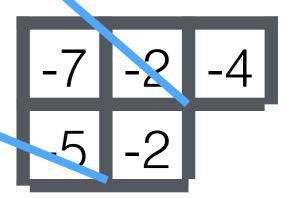


A 2D image:

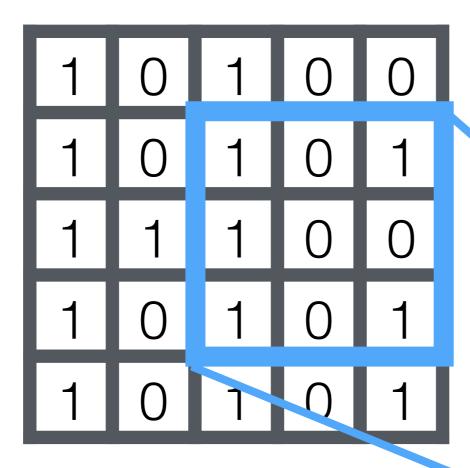


A filter:

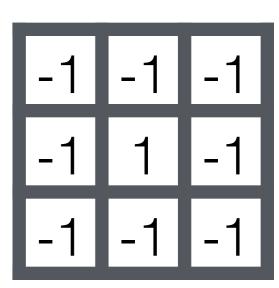


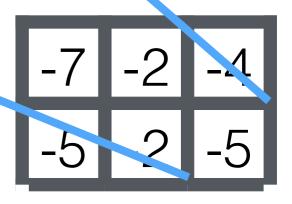


A 2D image:

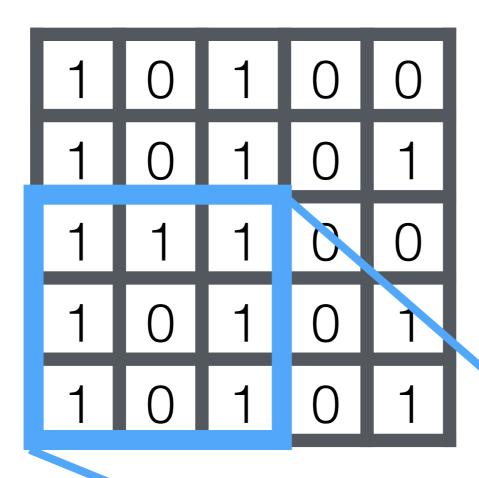


A filter:

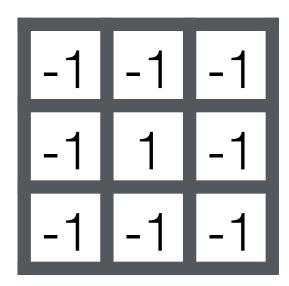


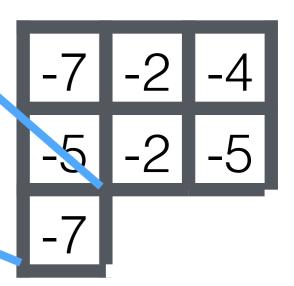


A 2D image:

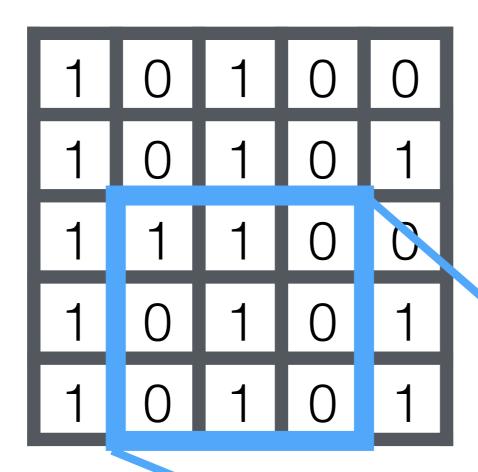


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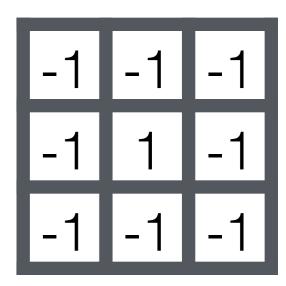


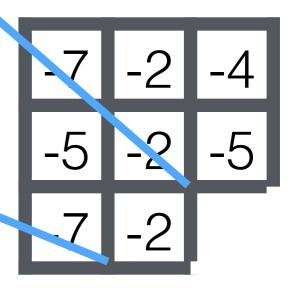


A 2D image:

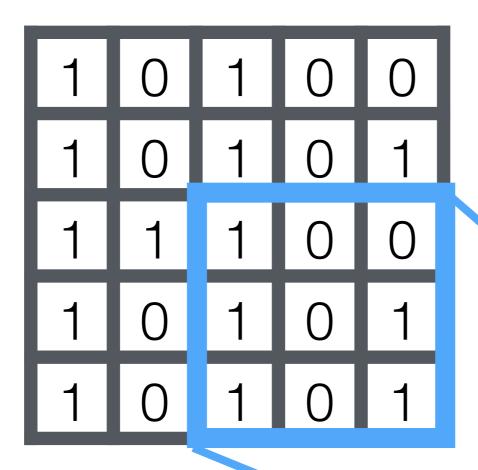


A filter:

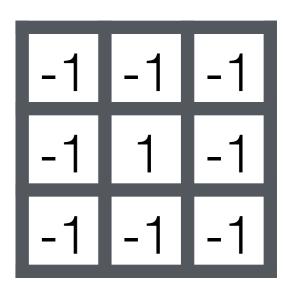


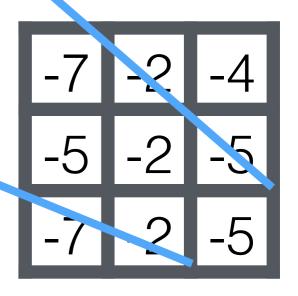


A 2D image:

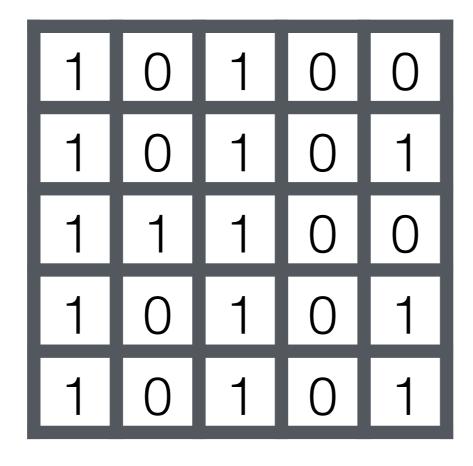


A filter:

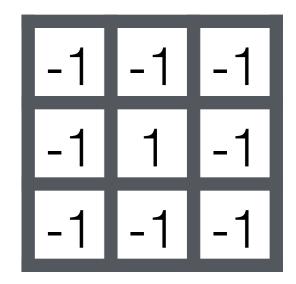


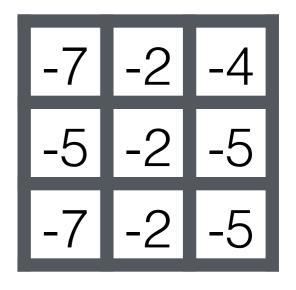


A 2D image:

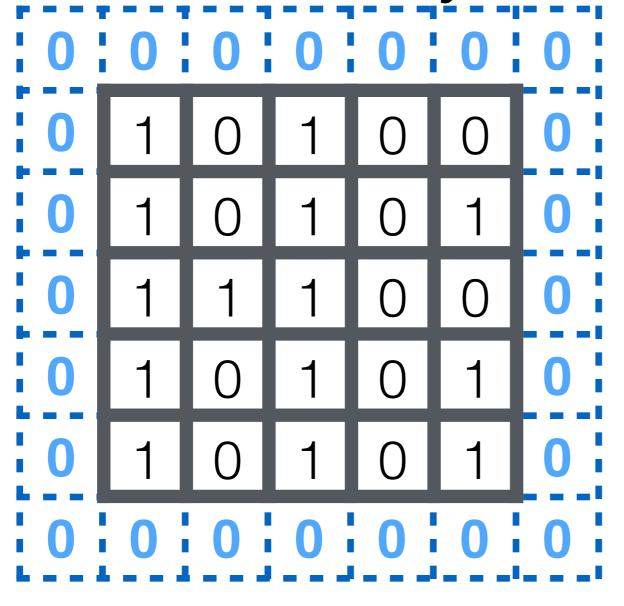


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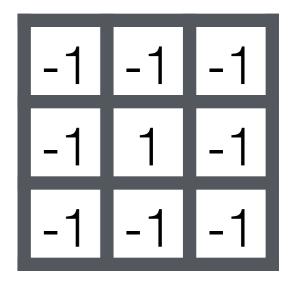


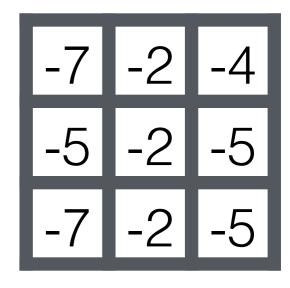




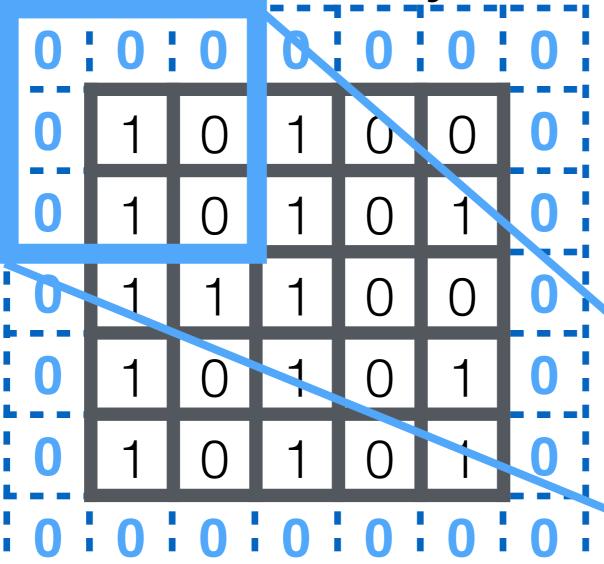


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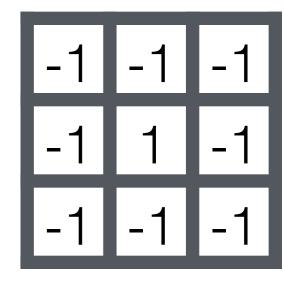




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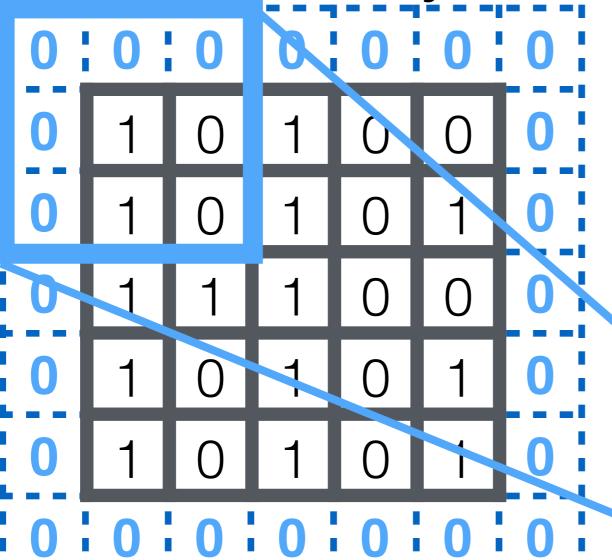


A filter:

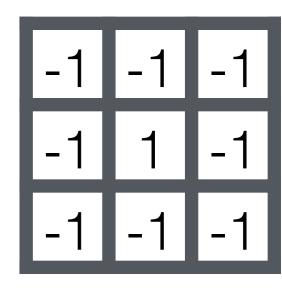




A 2D image:



A filter:

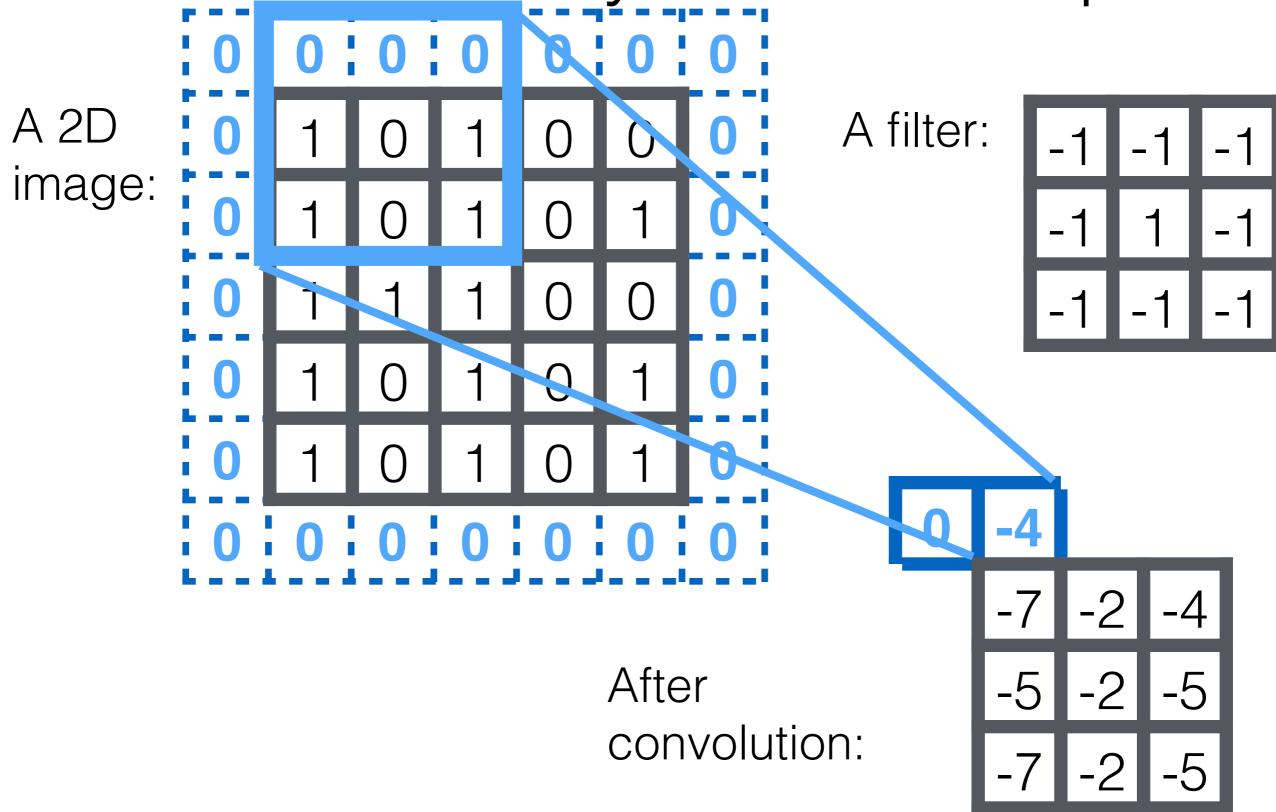


After convolution:

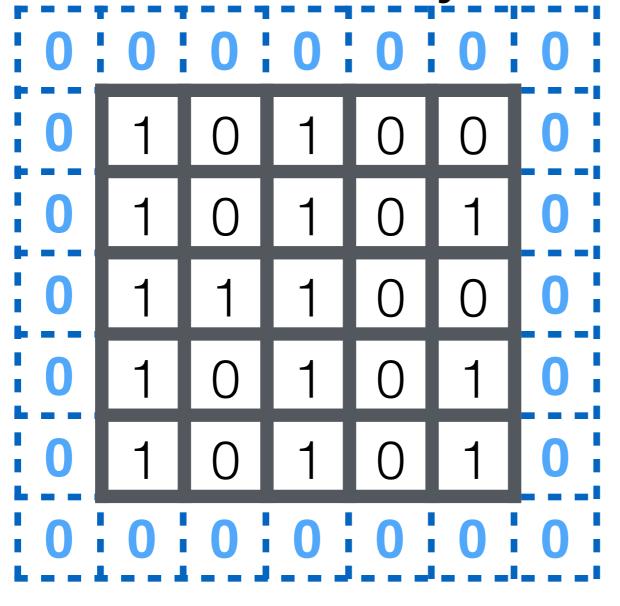
 -7
 -2
 -4

 -5
 -2
 -5

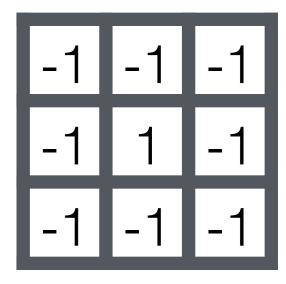
 -7
 -2
 -5

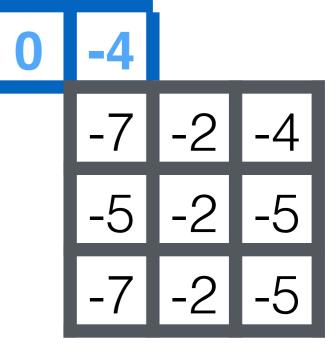




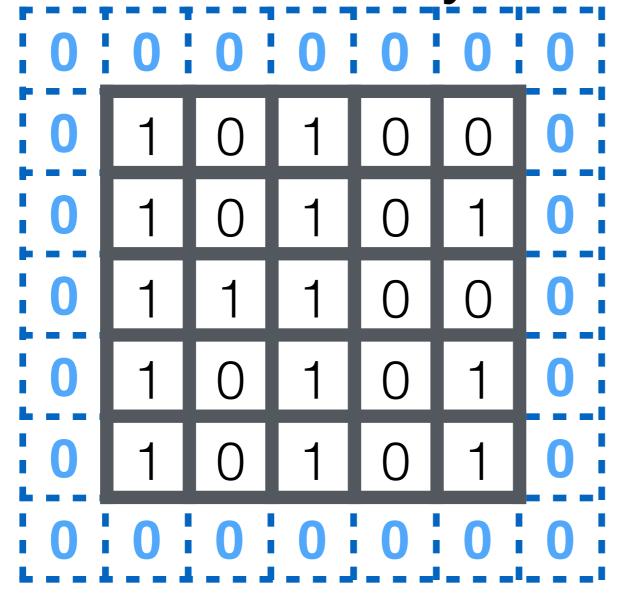


A filter:

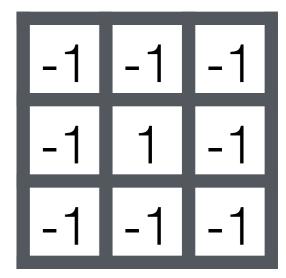


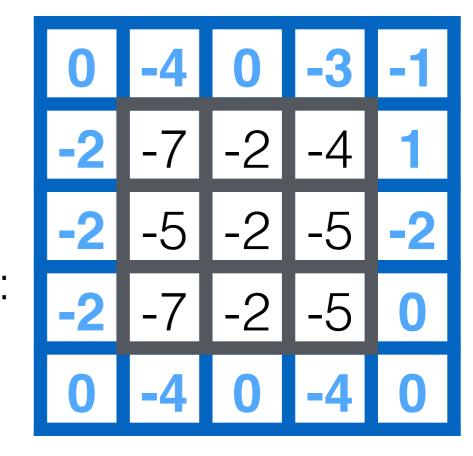


A 2D image:

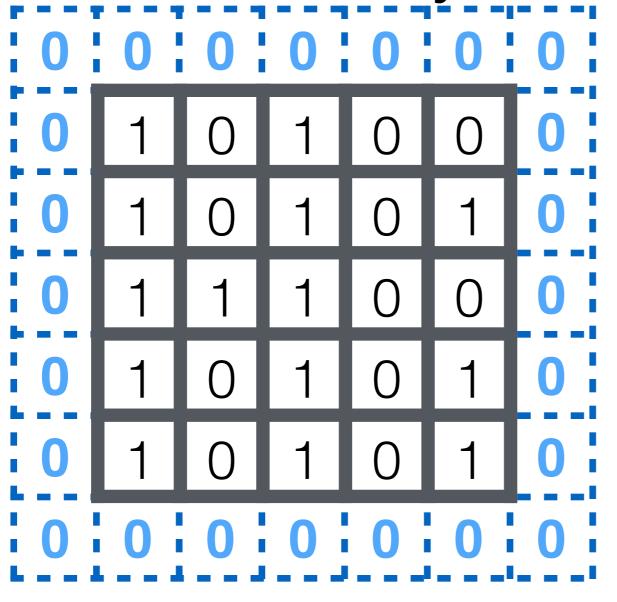


A filter:

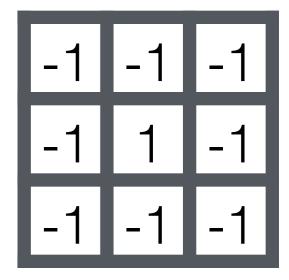




A 2D image:

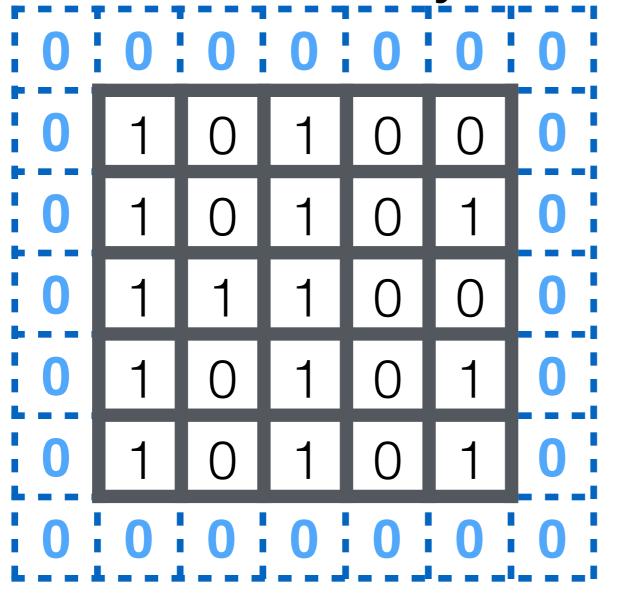


A filter:

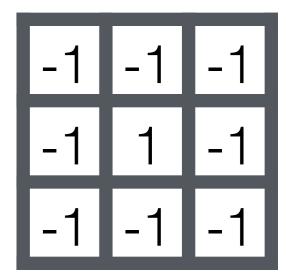


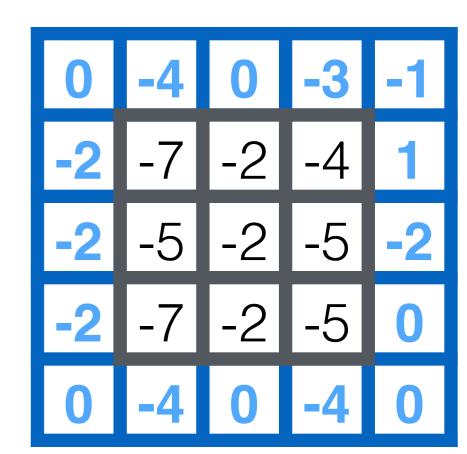
0	-4	0	-3	-1
-2	-7	-2	-4	1
-2	-5	-2	-5	-2
-2	-7	-2	-5	0
0	-4	0	-4	0

A 2D image:

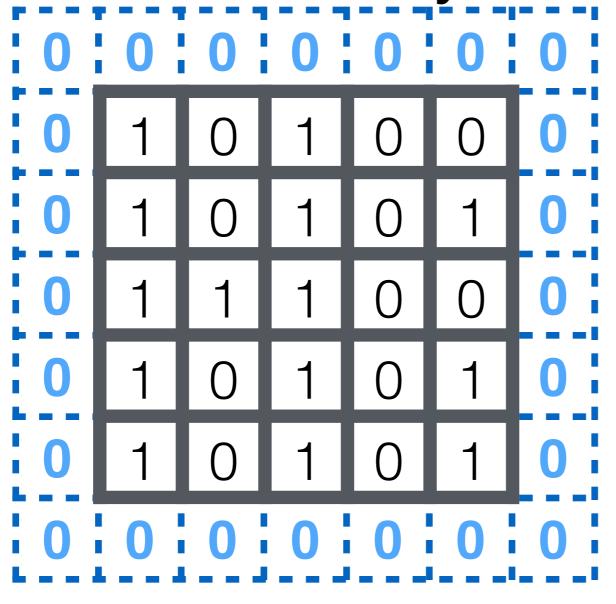


A filter:

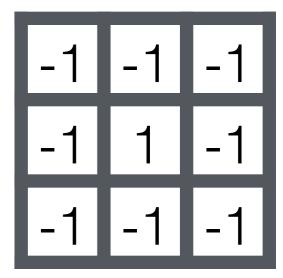


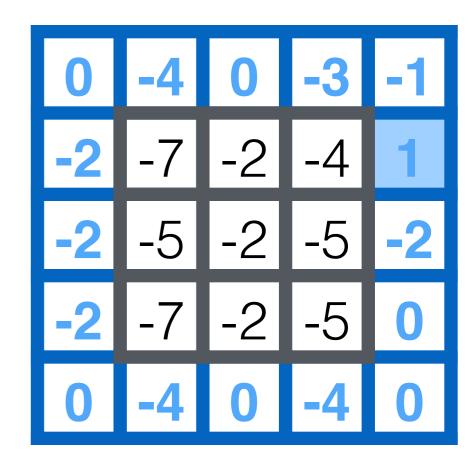


A 2D image:

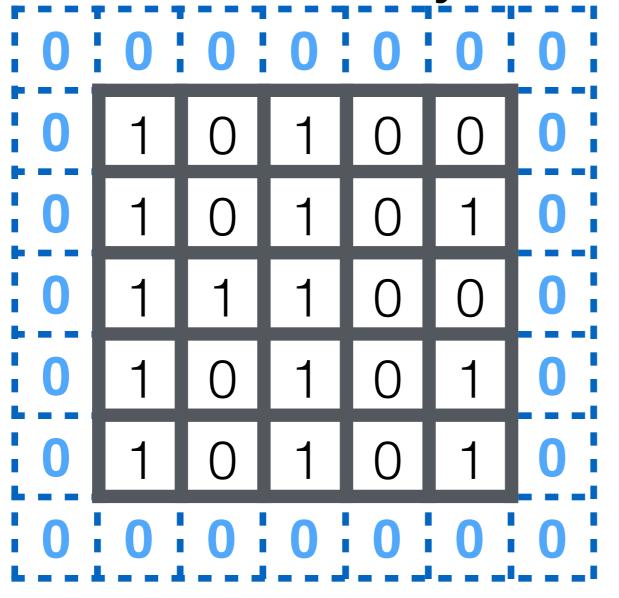


A filter:

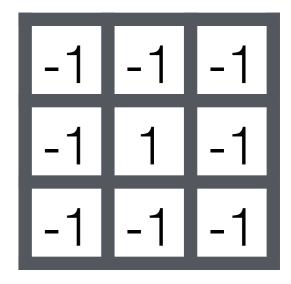


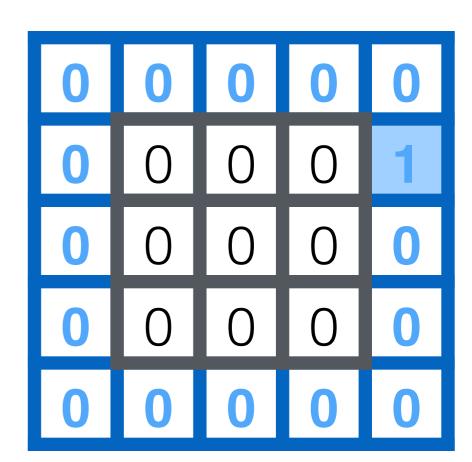


A 2D image:

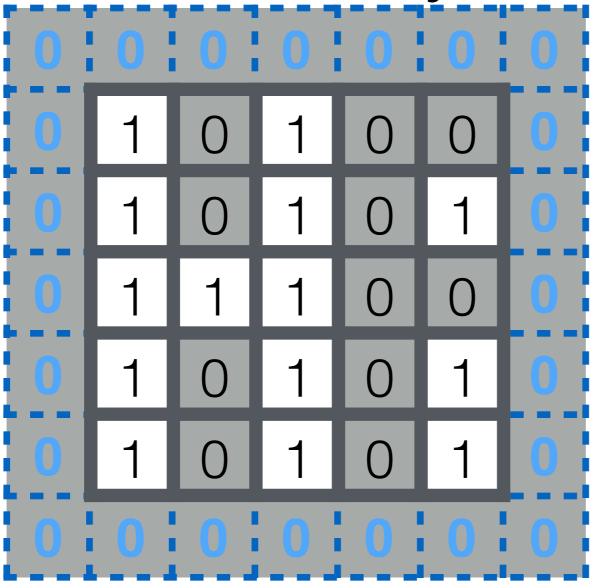


A filter:

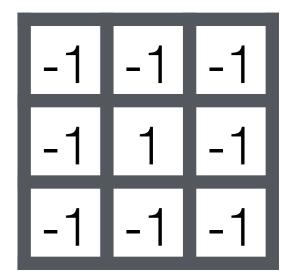


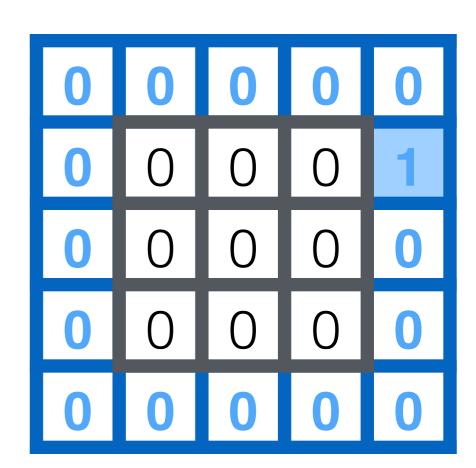


A 2D image:

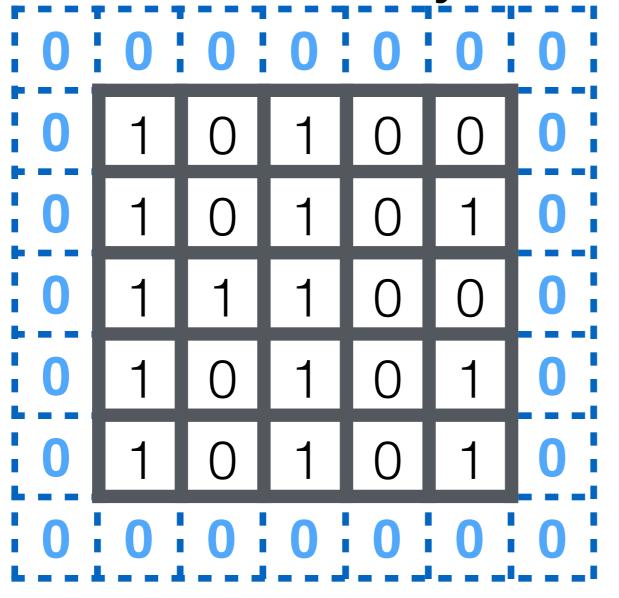


A filter:

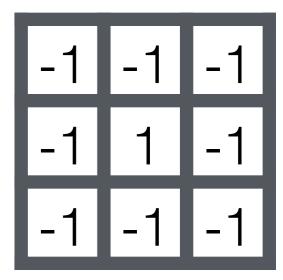


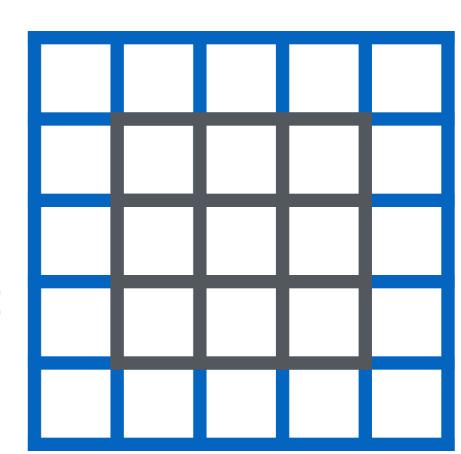


A 2D image:

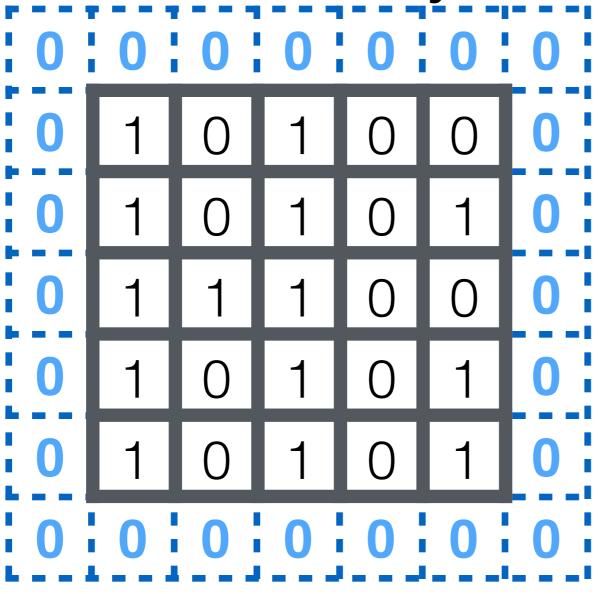


A filter:

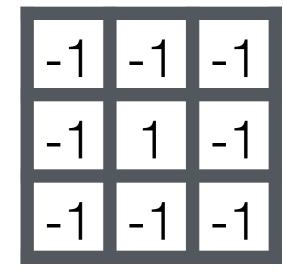




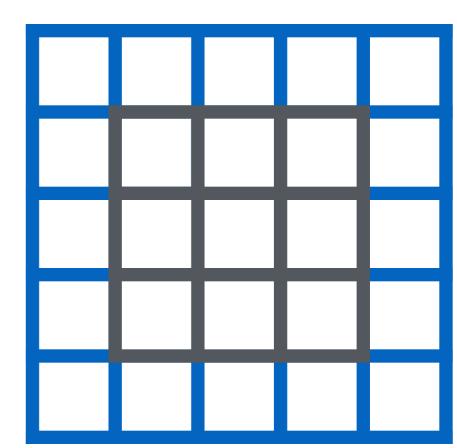
A 2D image:



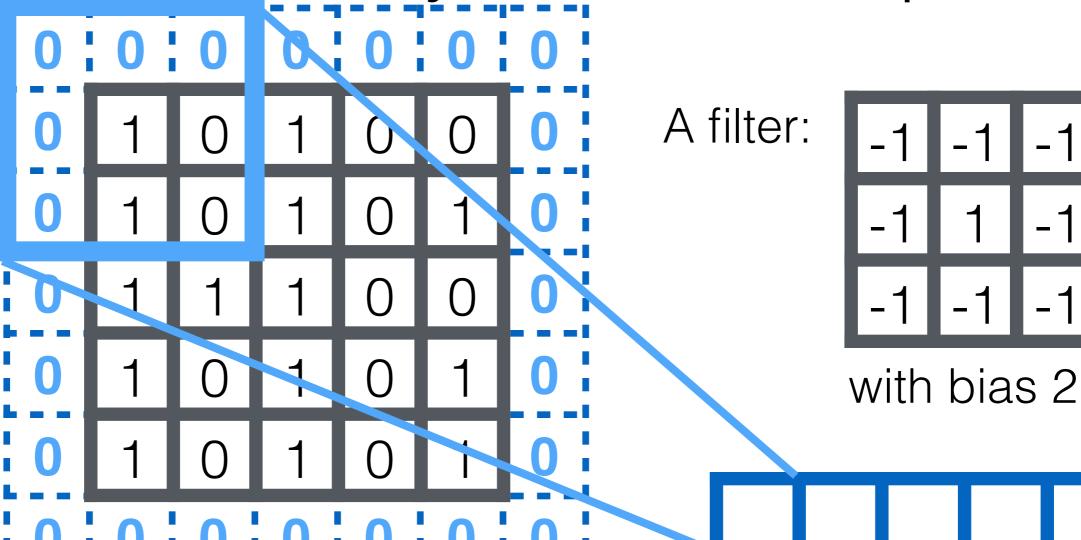
A filter:

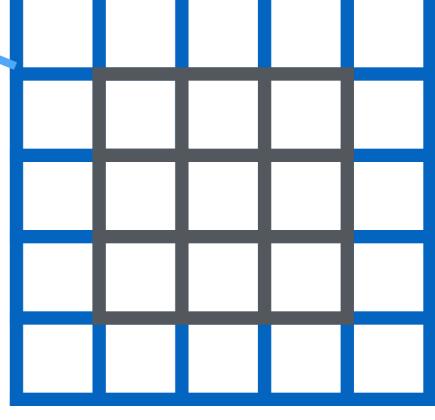


with bias 2

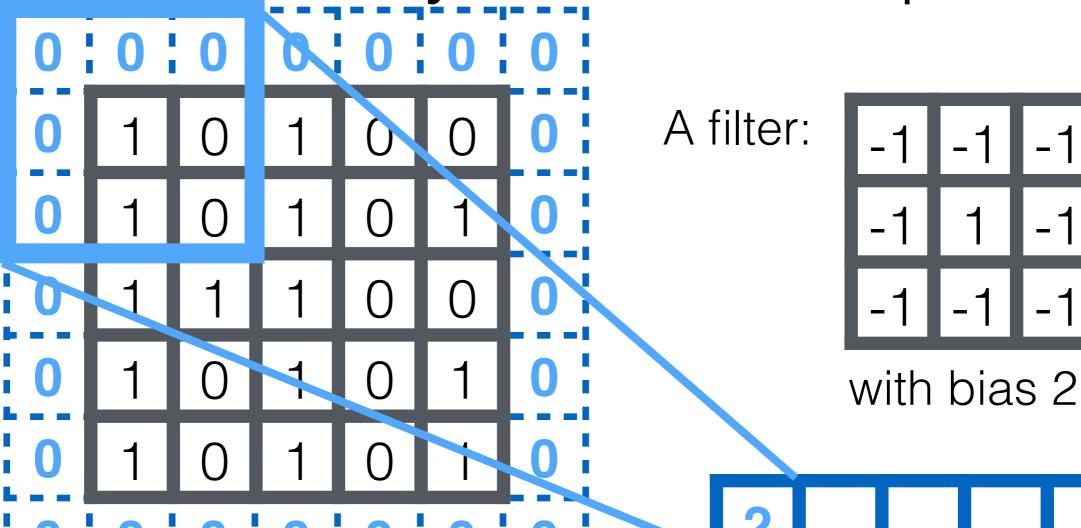


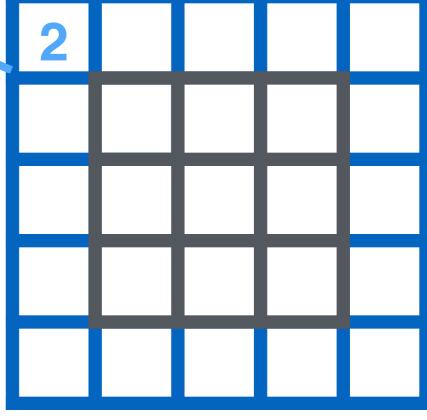
A 2D image:

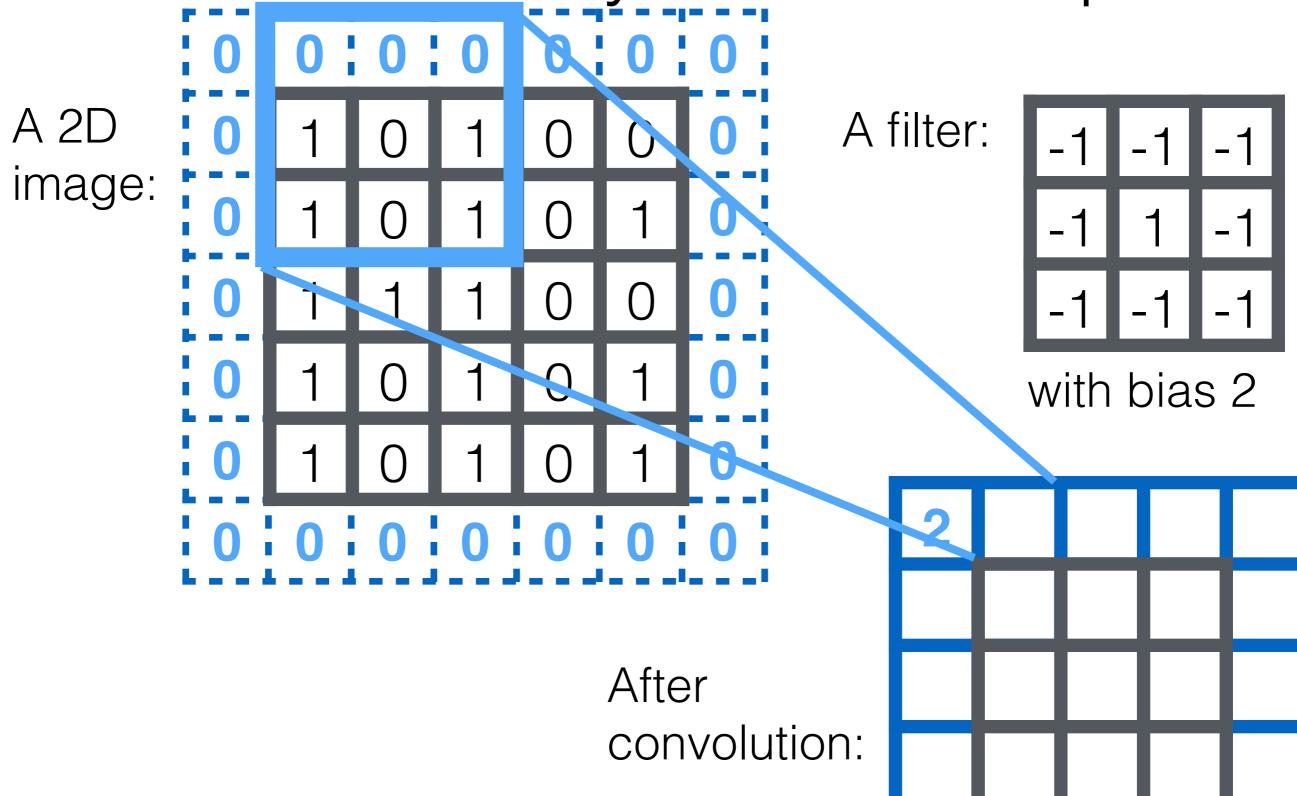


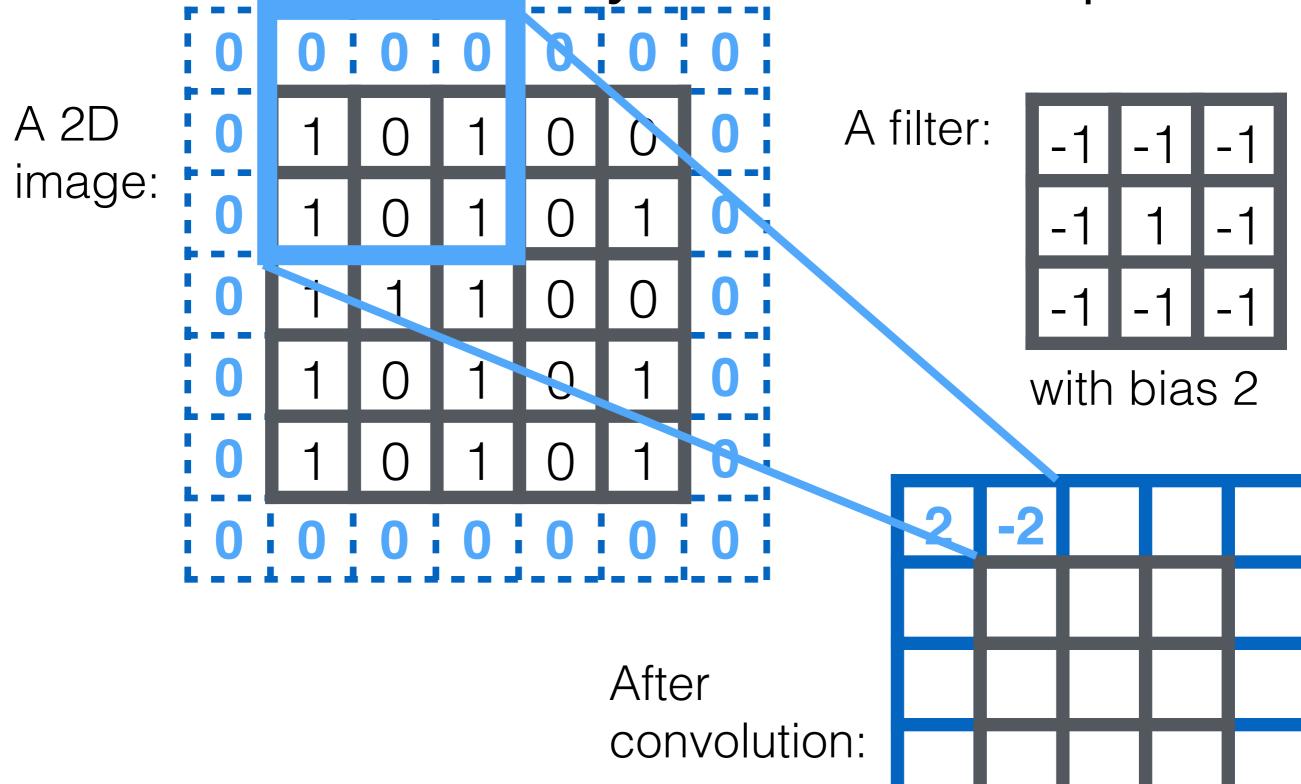


A 2D image:

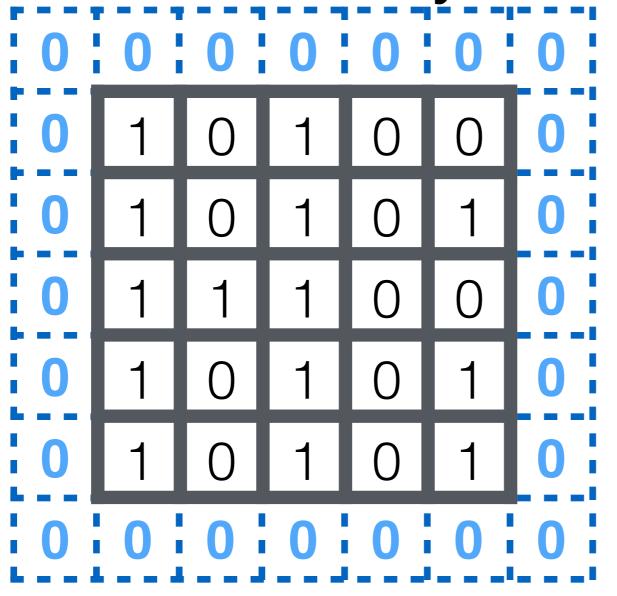




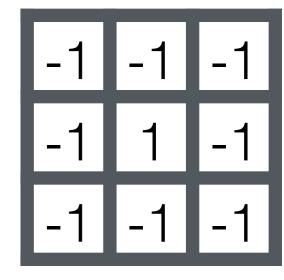




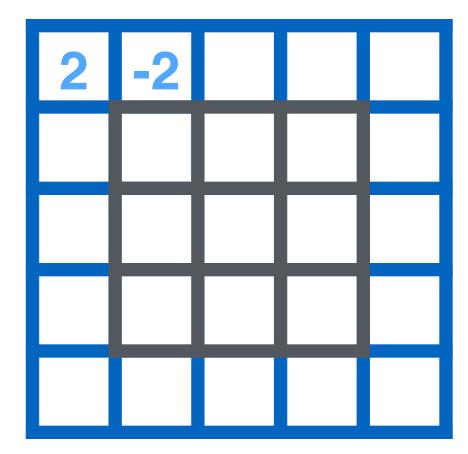
A 2D image:



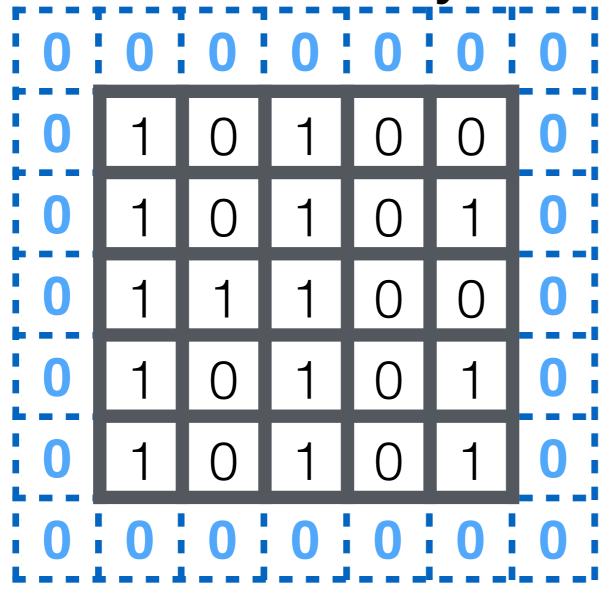
A filter:



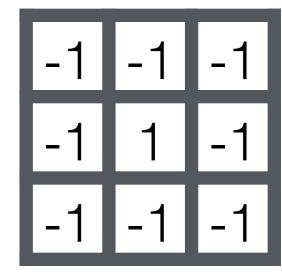
with bias 2



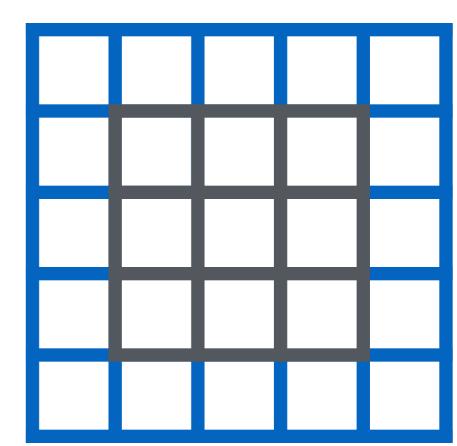
A 2D image:



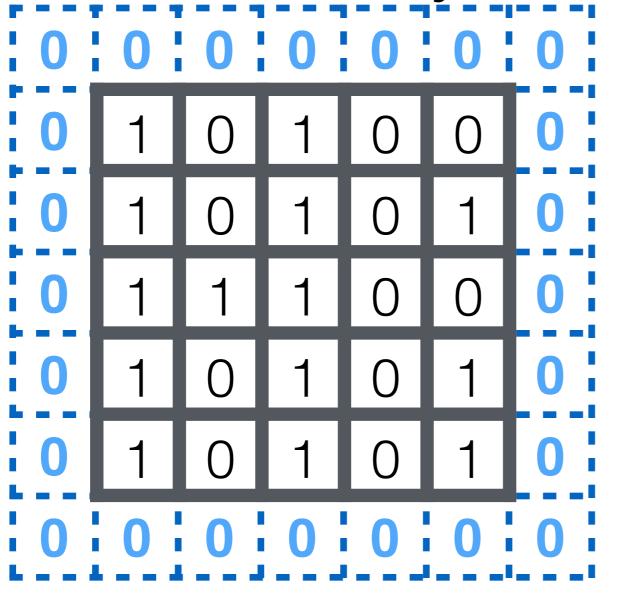
A filter:



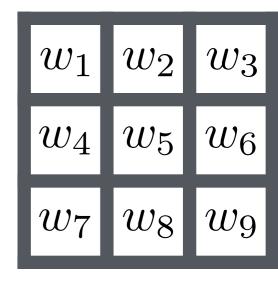
with bias 2



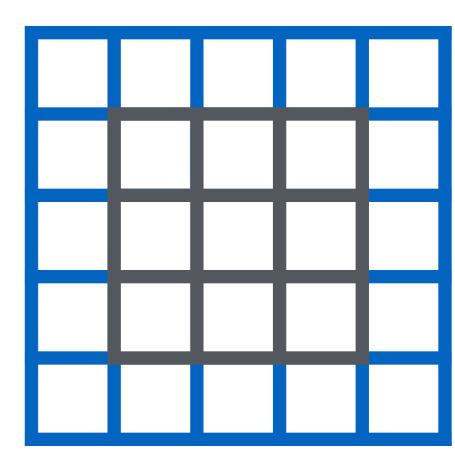
A 2D image:



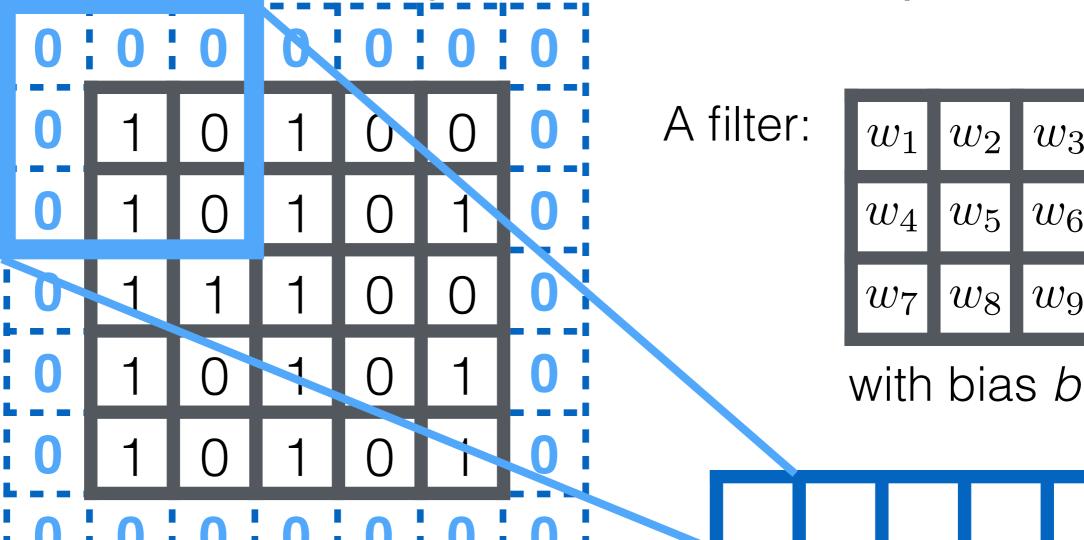
A filter:



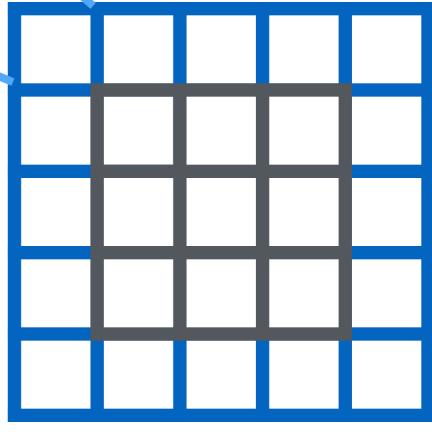
with bias b



A_{2D} image:



After convolution:

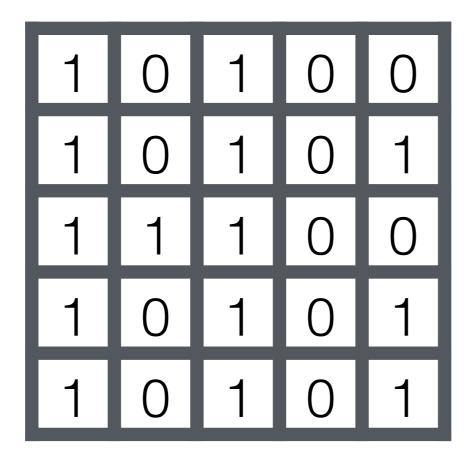


 w_3

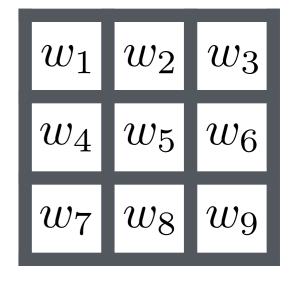
 w_6

 w_9

A 2D image:

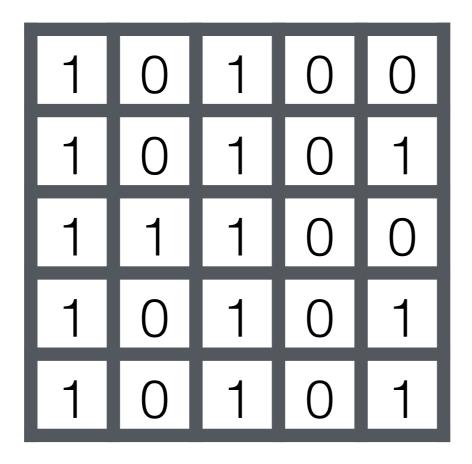


A filter:

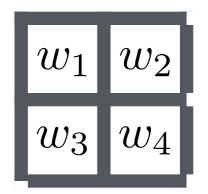


with bias b

A 2D image:



A filter:



with bias b

A 3D image:

A_{3D} image: height





- Tensor: generalization of a matrix
 - E.g. 1D: vector, 2D: matrix

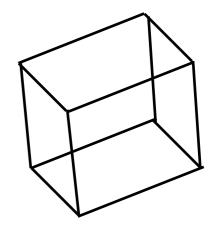


- Tensor: generalization of a matrix
 - E.g. 1D: vector, 2D: matrix



A3D image: height

A filter:

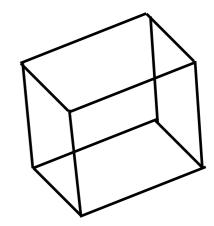


- Tensor: generalization of a matrix
 - E.g. 1D: vector, 2D: matrix



A3D image: height

A filter:

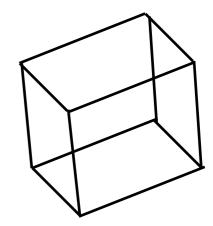


- Tensor: generalization of a matrix
 - E.g. 1D: vector, 2D: matrix



A3D image: height

A filter:

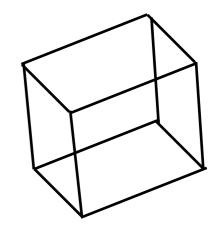


- Tensor: generalization of a matrix
 - E.g. 1D: vector, 2D: matrix



A3D image: height

A filter:

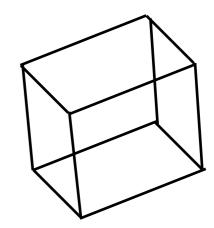


- Tensor: generalization of a matrix
 - E.g. 1D: vector, 2D: matrix



A3D image: height

A filter:

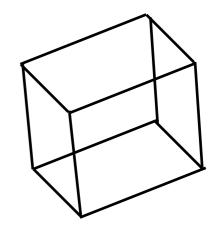


- Tensor: generalization of a matrix
 - E.g. 1D: vector, 2D: matrix



A3D image: height

A filter:



- Tensor: generalization of a matrix
 - E.g. 1D: vector, 2D: matrix



An



An image:

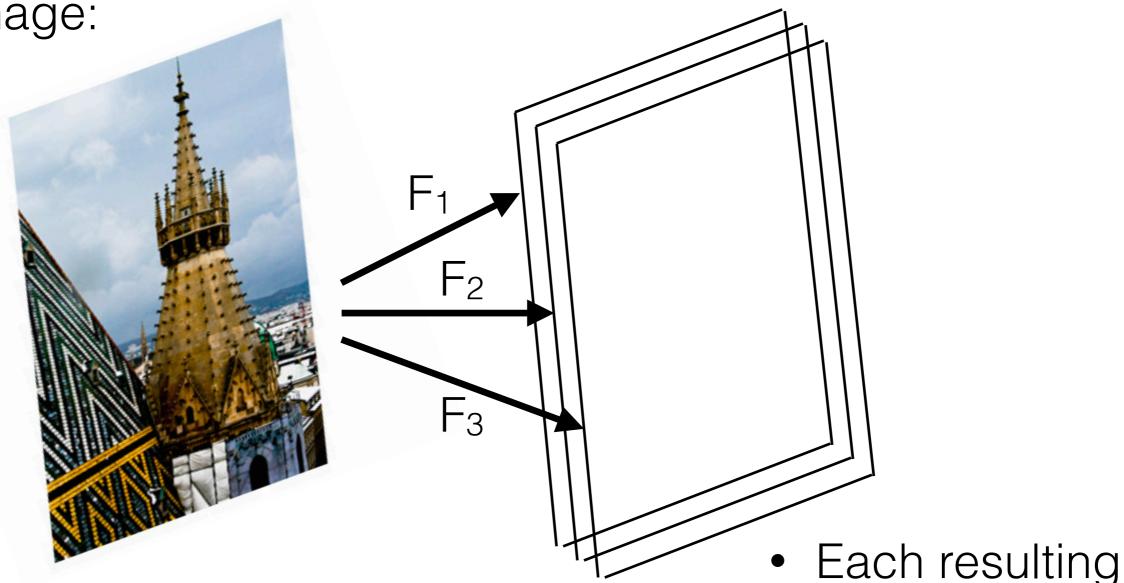
An image:

An image: F_3

An image: F_3

> Collection of filters in the layer: filter bank

An image:



 Collection of filters in the layer: filter bank

image is a channel

Output from the convolutional layer & ReLU:

0	0	0	0	0	0
0	0	0	0	1	0
0	0	0	0	0	0
0	1	0	0	0	0
0	0	0	0	0	0
0	0	0	0	0	0

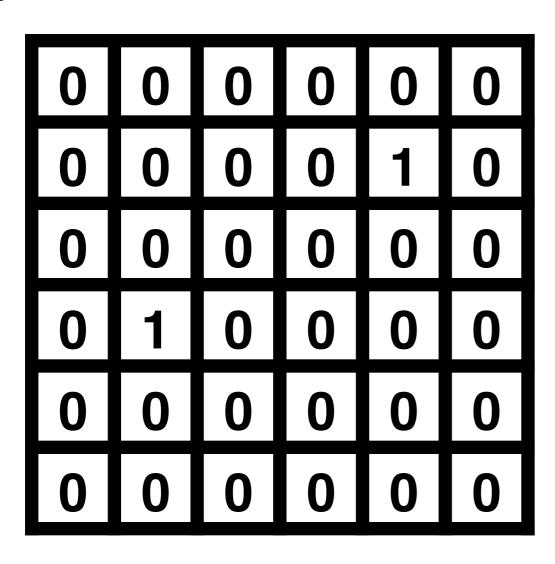
Output from the convolutional layer & ReLU:

0	0	0	0	0	0
0	0	0	0	1	0
0	0	0	0	0	0
0	1	0	0	0	0
0	0	0	0	0	0
0	0	0	0	0	0

Output from the convolutional layer & ReLU:

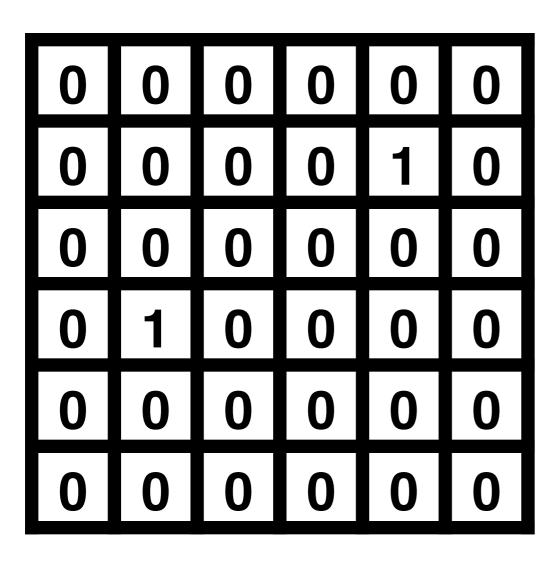
0	0	0	0	0	0
0	0	0	0	1	0
0	0	0	0	0	0
0	1	0	0	0	0
0	0	0	0	0	0
0	0	0	0	0	0

Output from the convolutional layer & ReLU:



Max pooling: returns max of its arguments

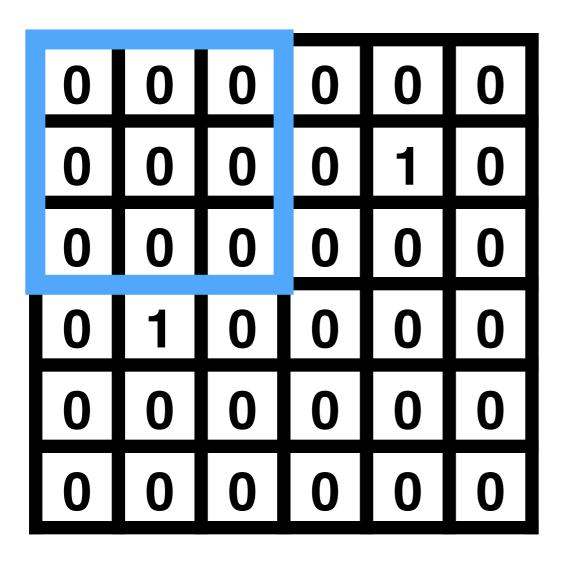
Output from the convolutional layer & ReLU:



Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")

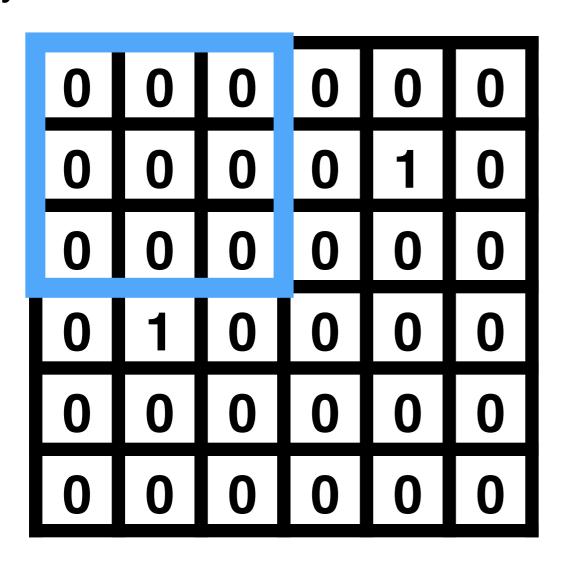
Output from the convolutional layer & ReLU:



Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")

Output from the convolutional layer & ReLU:

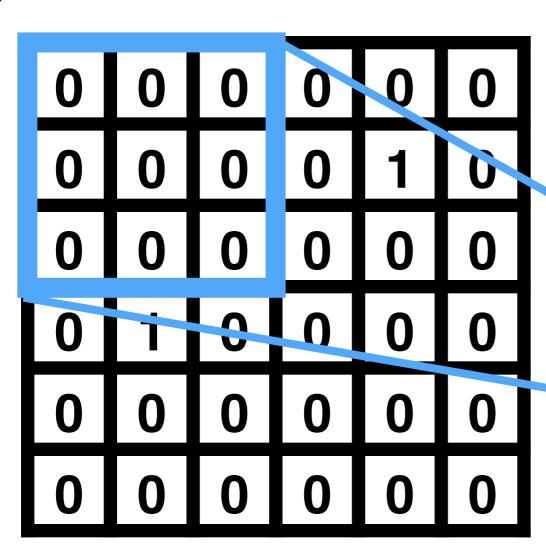


Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")

After max pooling:

Output from the convolutional layer & ReLU:

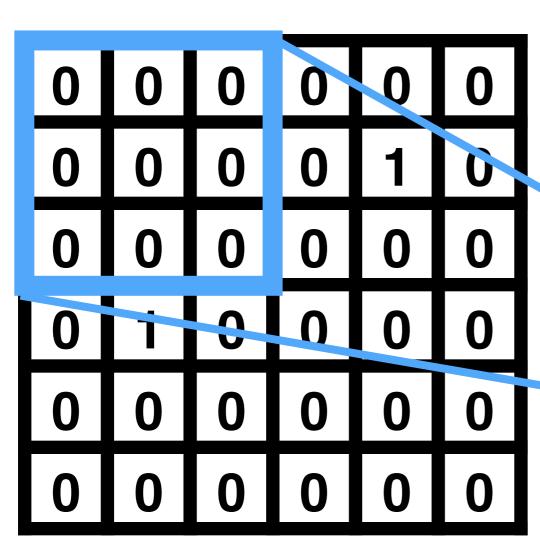


Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")



Output from the convolutional layer & ReLU:

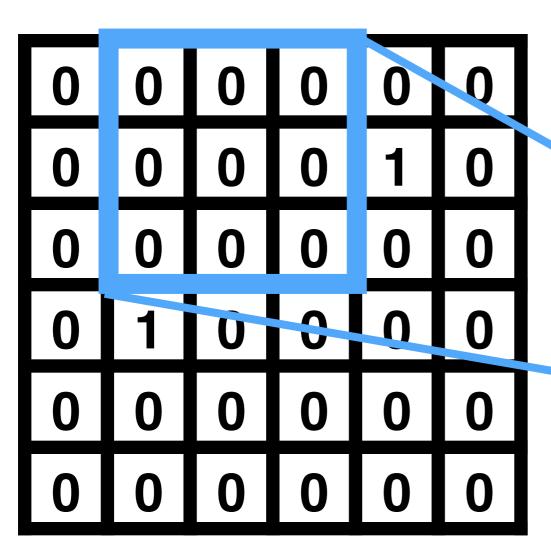


Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")



Output from the convolutional layer & ReLU:

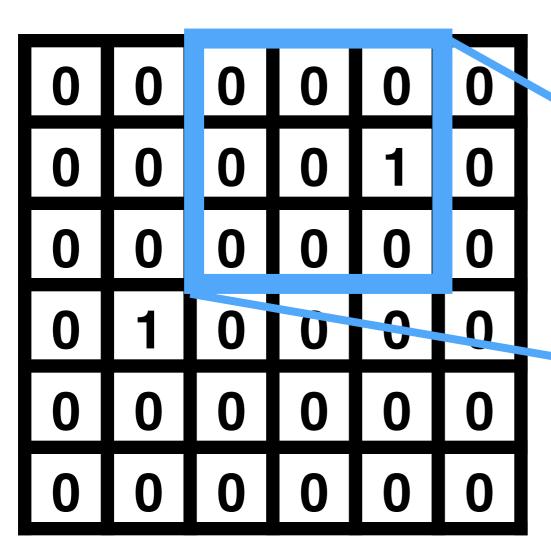


Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")

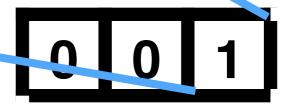


Output from the convolutional layer & ReLU:

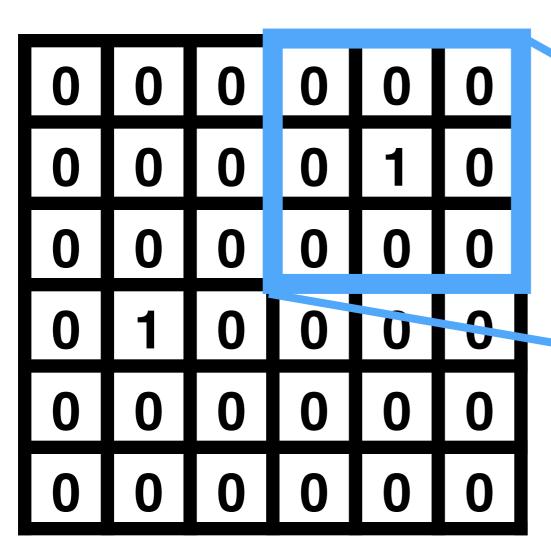


Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")



Output from the convolutional layer & ReLU:

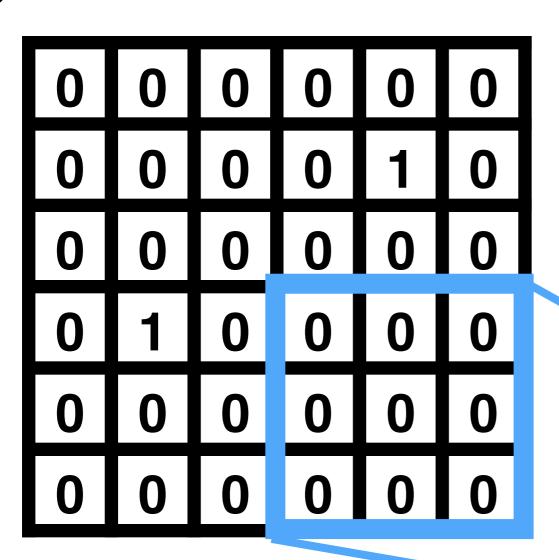


Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")

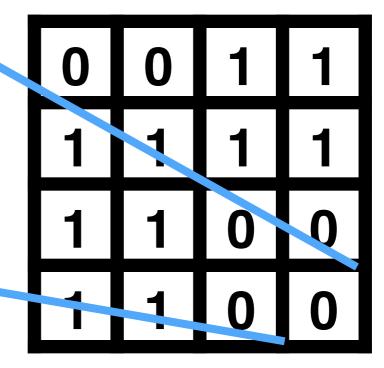


Output from the convolutional layer & ReLU:

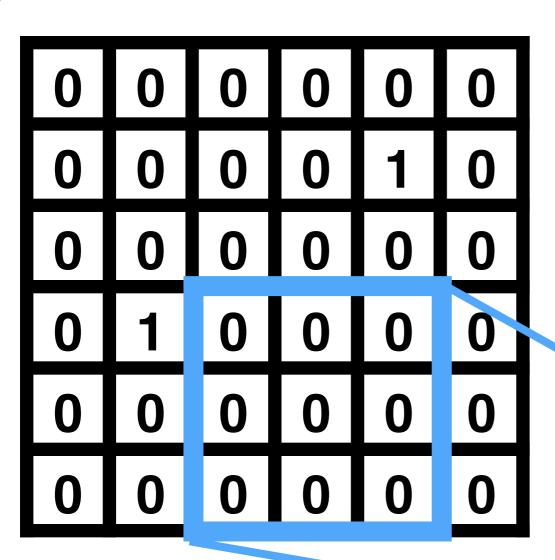


Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")

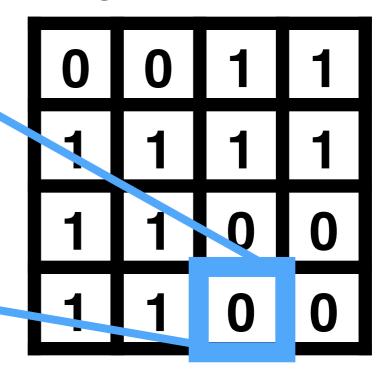


Output from the convolutional layer & ReLU:

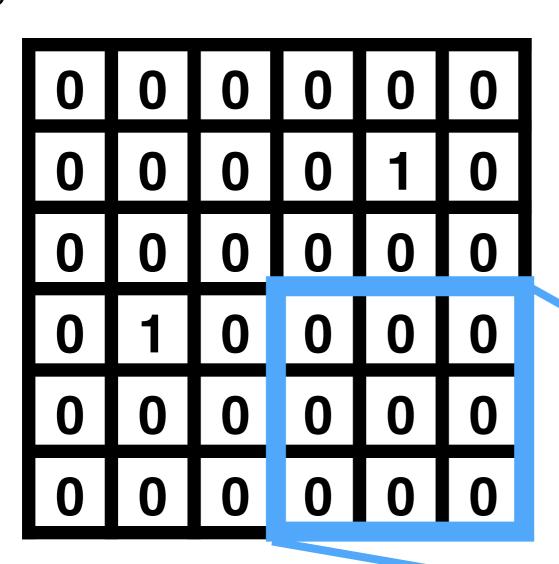


Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")

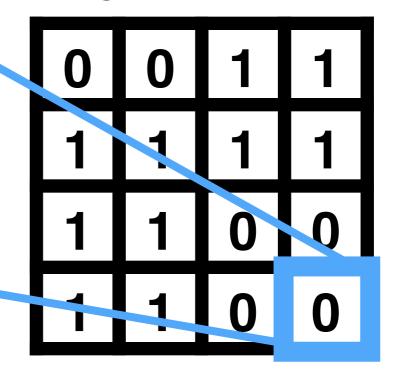


Output from the convolutional layer & ReLU:

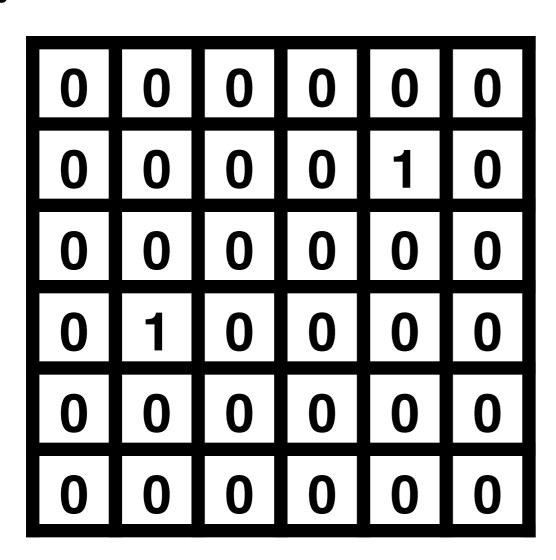


Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")

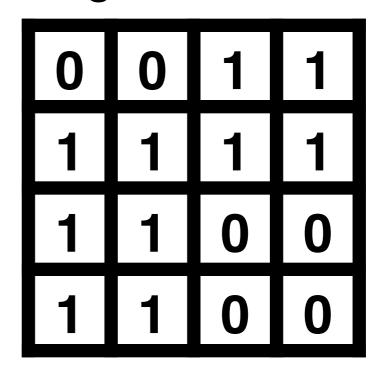


Output from the convolutional layer & ReLU:

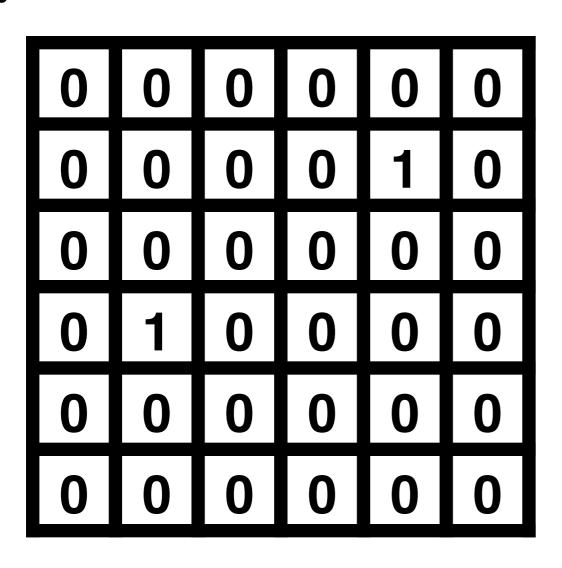


Max pooling: returns max of its arguments

• E.g. size 3x3 ("size 3")

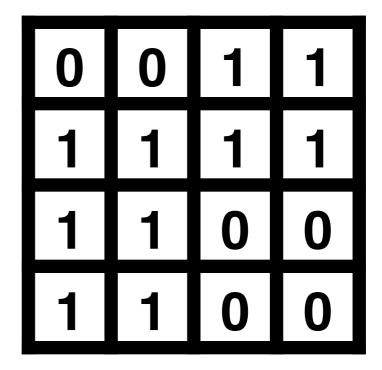


Output from the convolutional layer & ReLU:

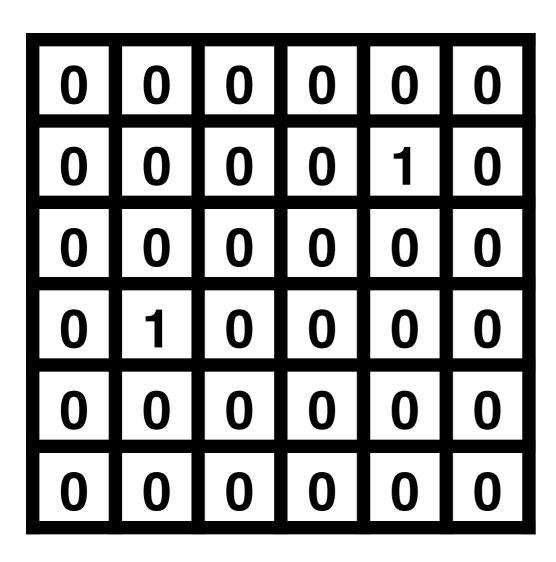


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 1



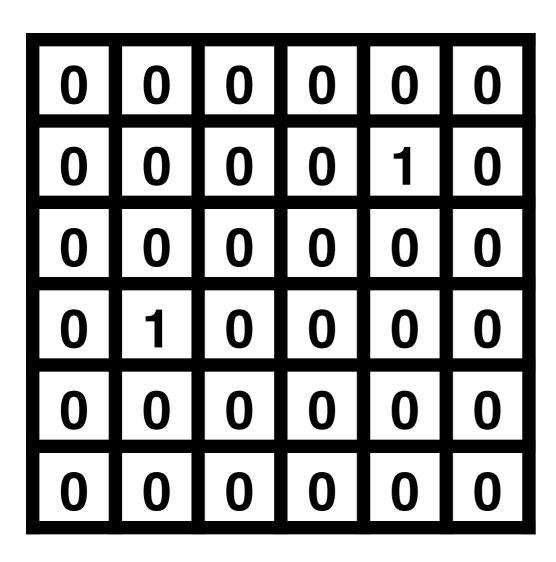
Output from the convolutional layer & ReLU:



Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 1

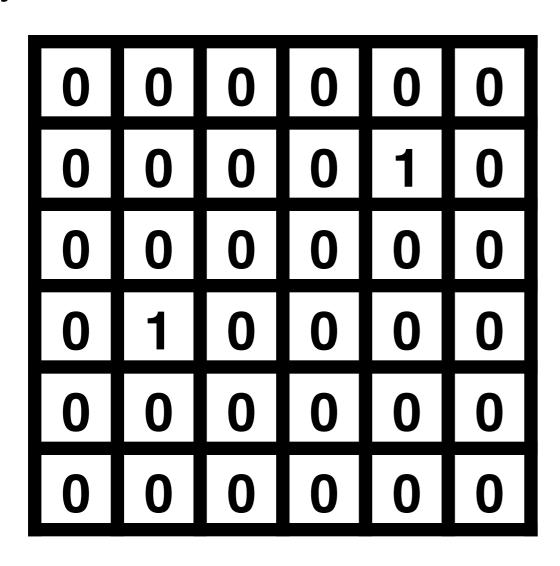
Output from the convolutional layer & ReLU:



Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 1

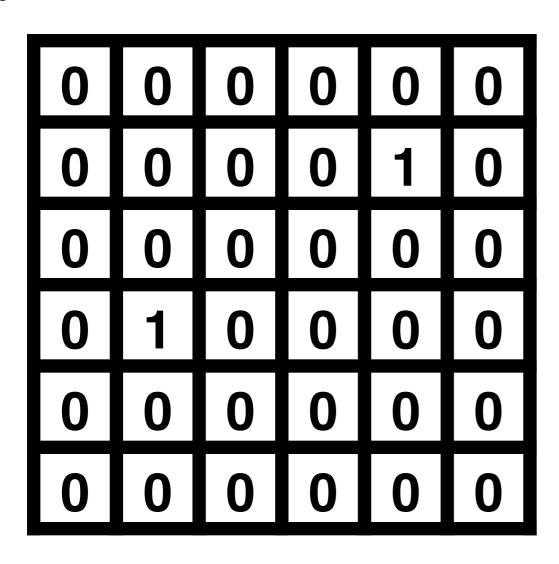
Output from the convolutional layer & ReLU:



Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

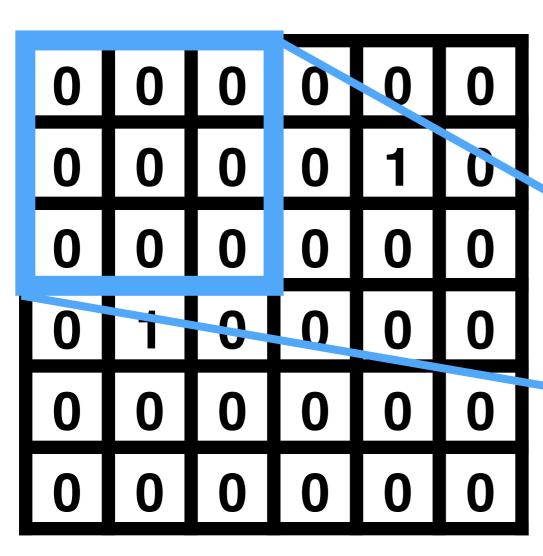
Output from the convolutional layer & ReLU:



Max pooling: returns max of its arguments

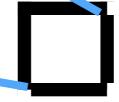
- E.g. size 3x3 ("size 3")
- E.g. stride 3

Output from the convolutional layer & ReLU:

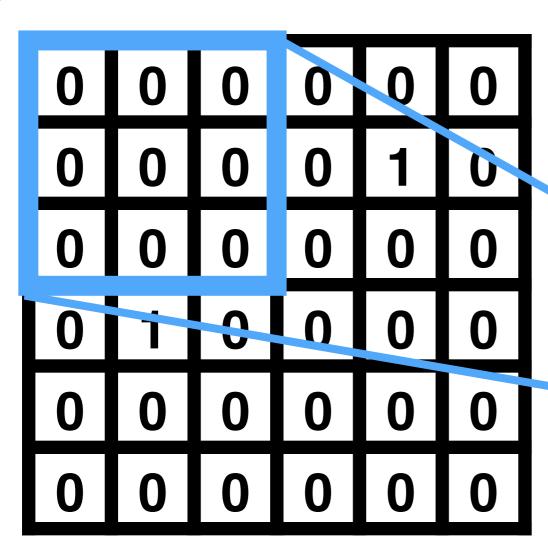


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3



Output from the convolutional layer & ReLU:

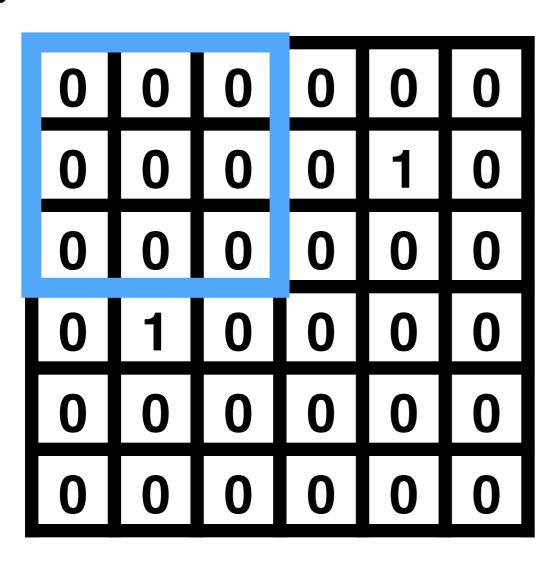


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

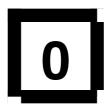


Output from the convolutional layer & ReLU:

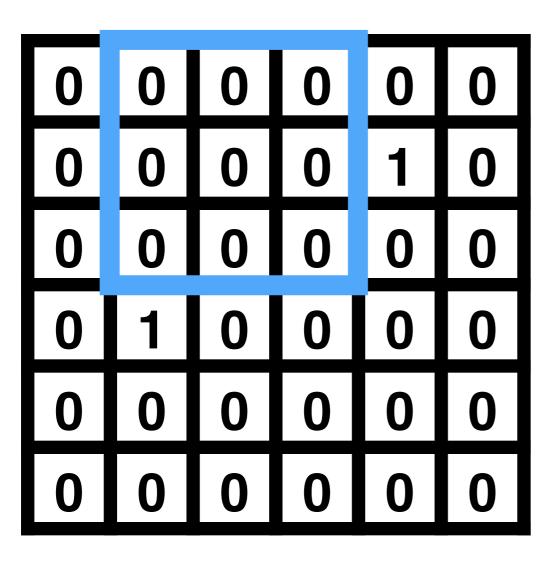


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3



Output from the convolutional layer & ReLU:

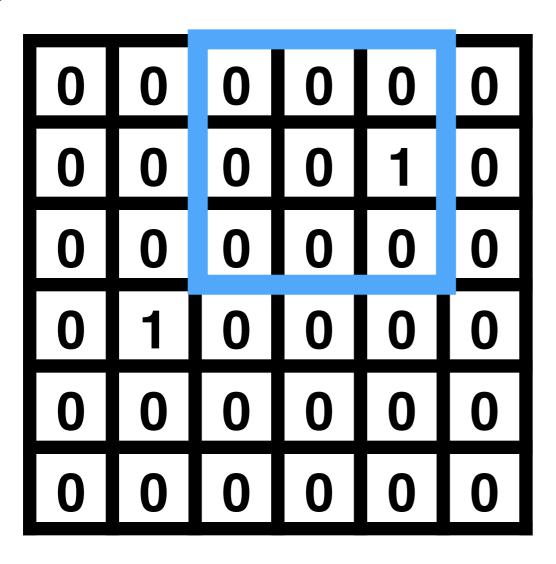


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3



Output from the convolutional layer & ReLU:

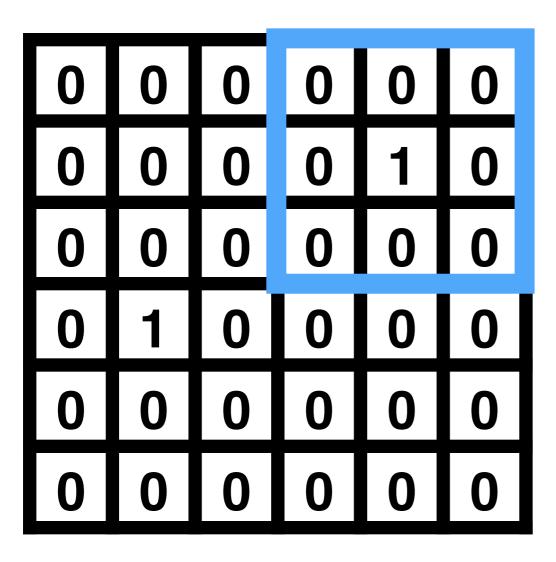


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

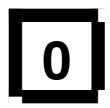


Output from the convolutional layer & ReLU:

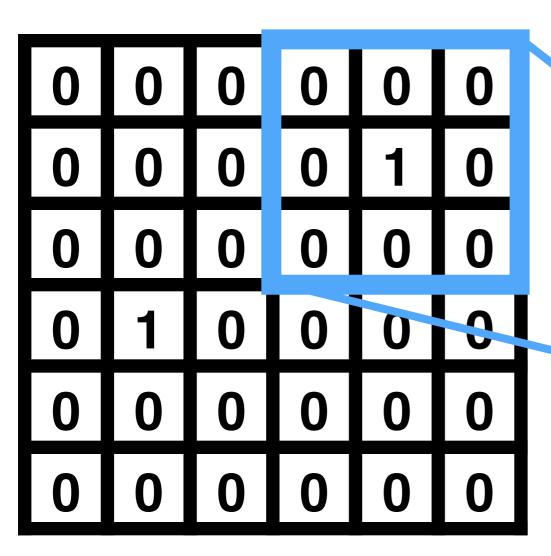


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

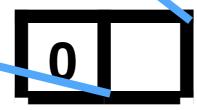


Output from the convolutional layer & ReLU:

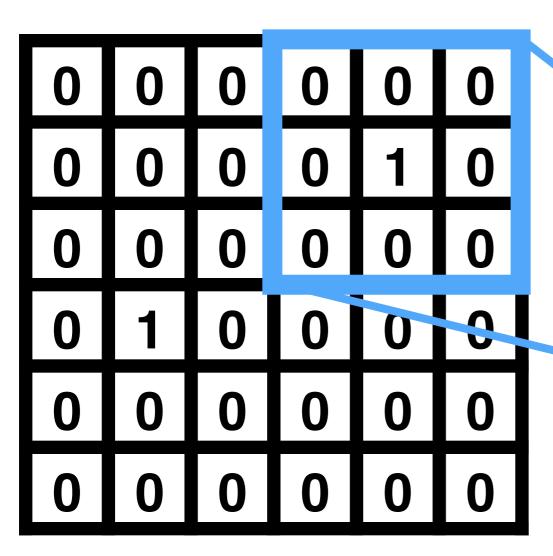


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

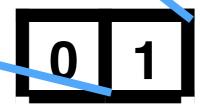


Output from the convolutional layer & ReLU:

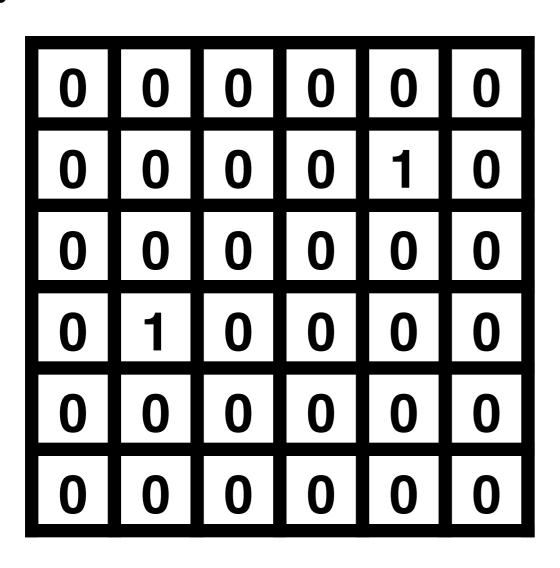


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3



Output from the convolutional layer & ReLU:

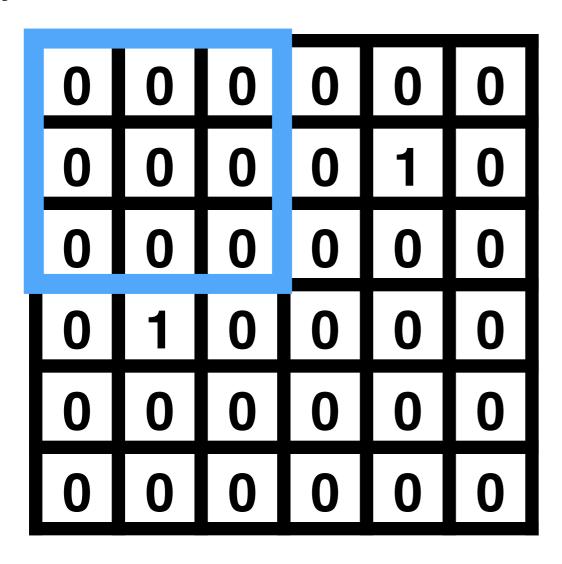


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3



Output from the convolutional layer & ReLU:

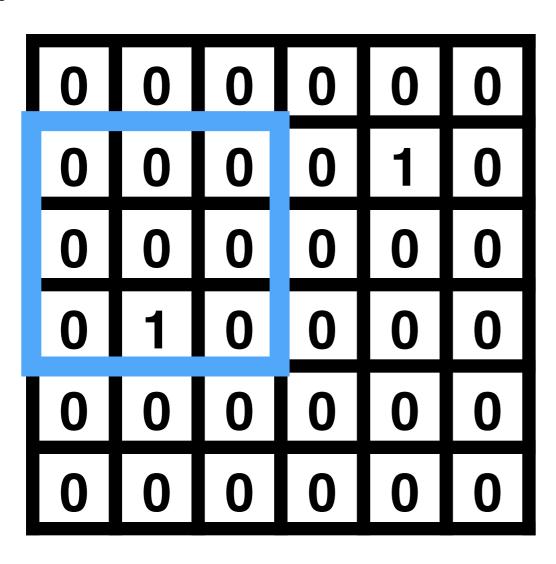


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

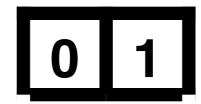


Output from the convolutional layer & ReLU:

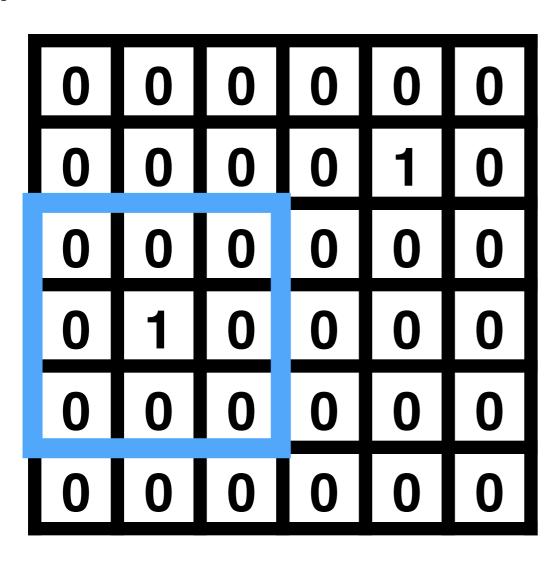


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

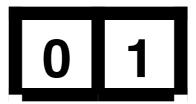


Output from the convolutional layer & ReLU:

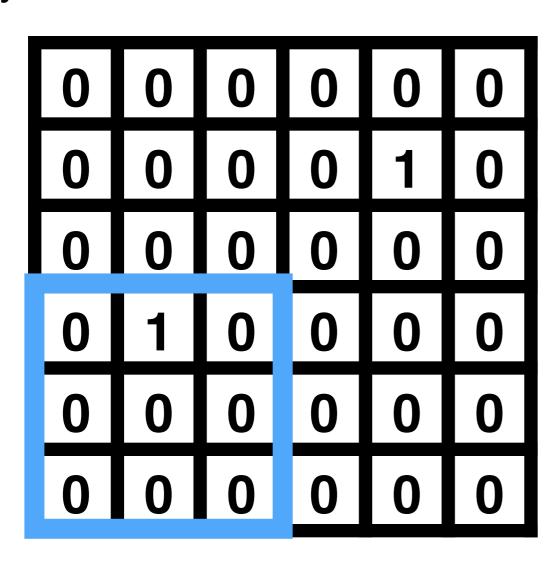


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

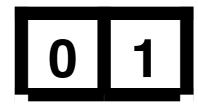


Output from the convolutional layer & ReLU:

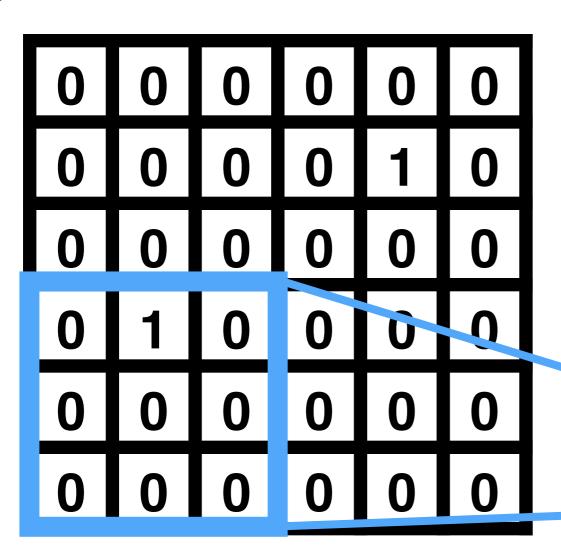


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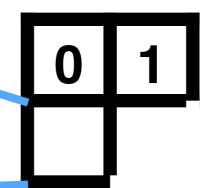


Output from the convolutional layer & ReLU:

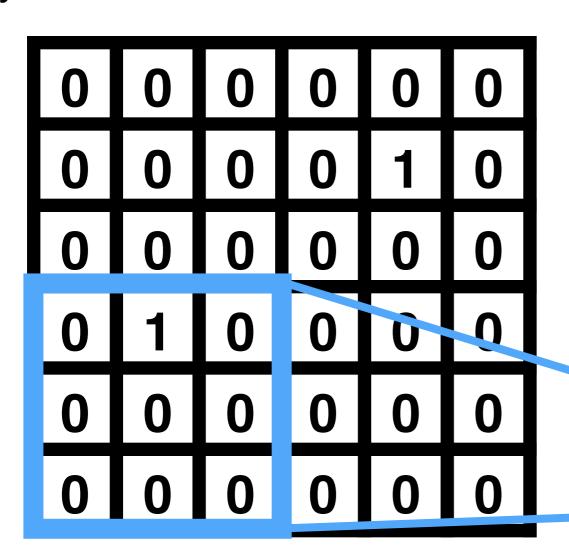


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- E.g. size 3x3 ("size 3")
- E.g. stride 3

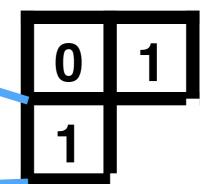


Output from the convolutional layer & ReLU:

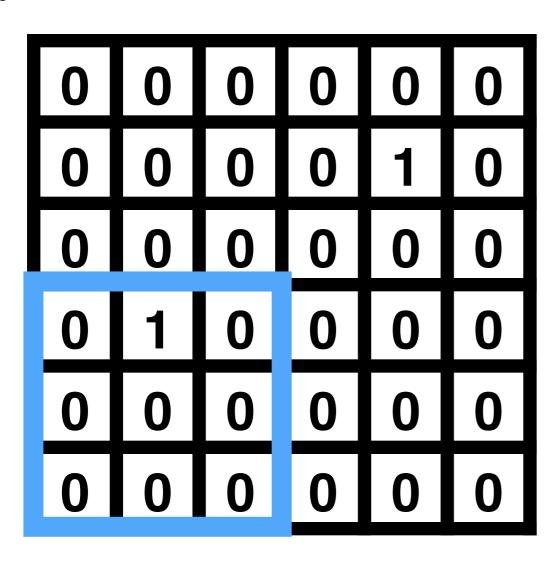


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

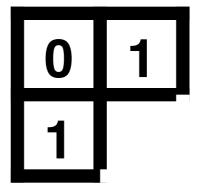


Output from the convolutional layer & ReLU:

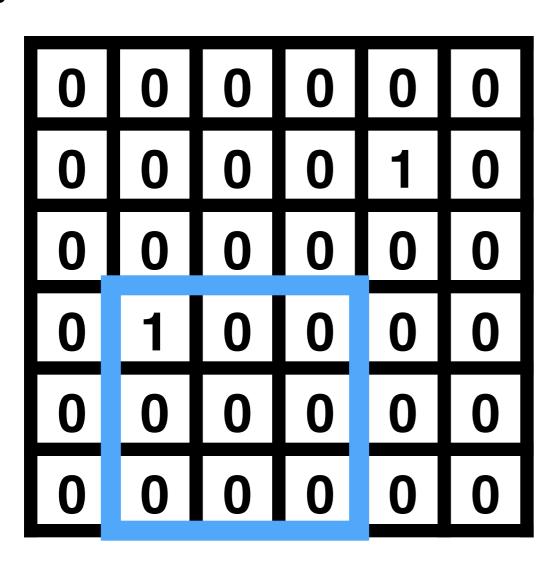


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- E.g. stride 3

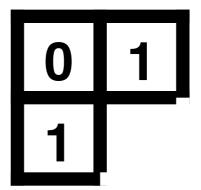


Output from the convolutional layer & ReLU:

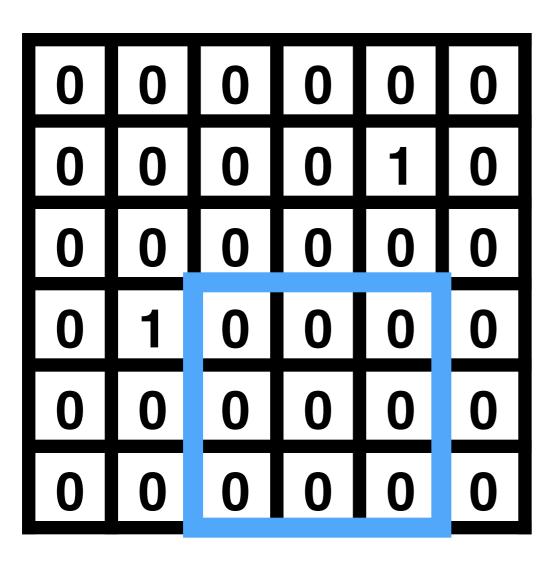


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- E.g. stride 3

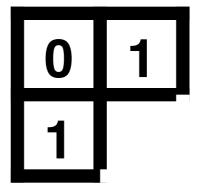


Output from the convolutional layer & ReLU:

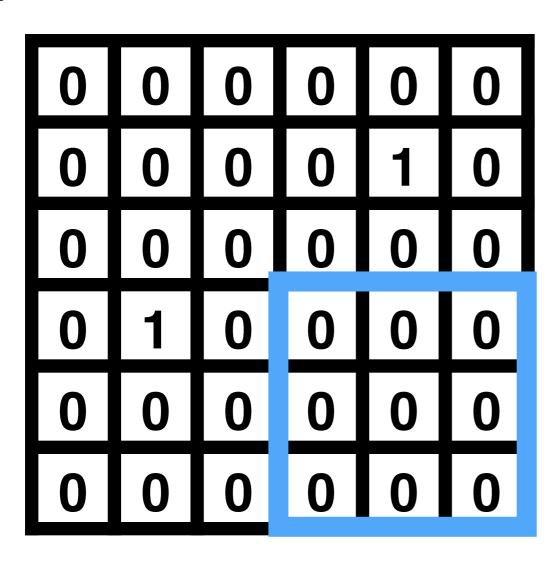


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

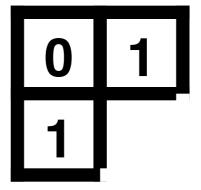


Output from the convolutional layer & ReLU:

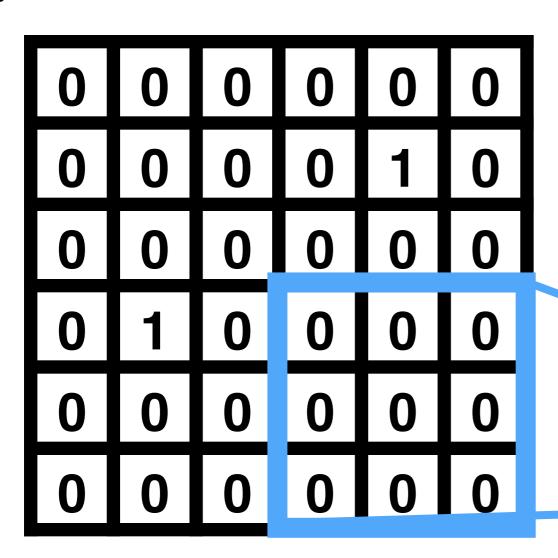


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

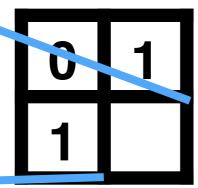


Output from the convolutional layer & ReLU:

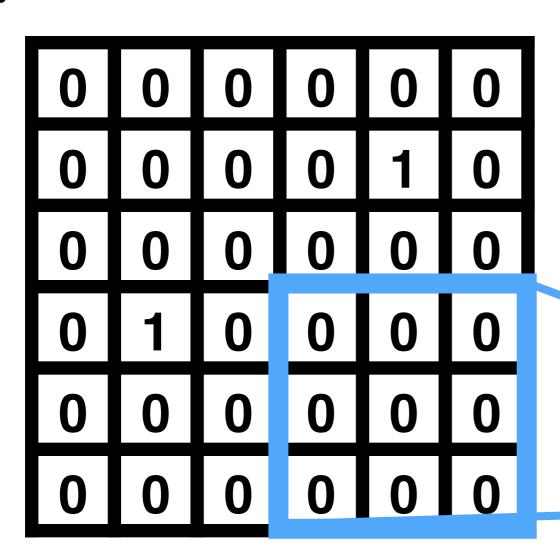


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

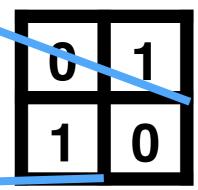


Output from the convolutional layer & ReLU:

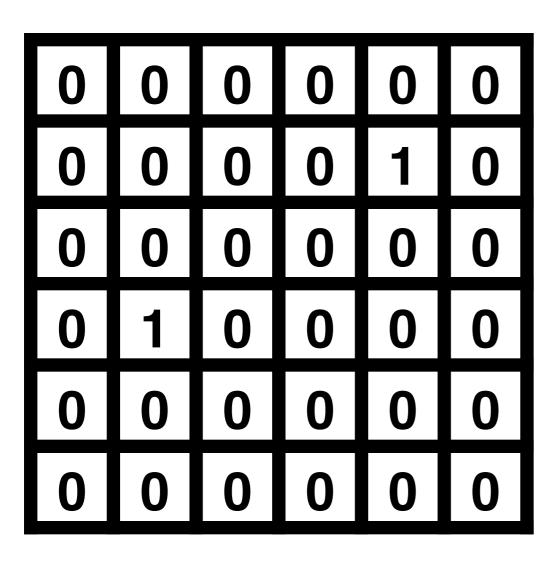


Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

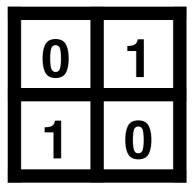


Output from the convolutional layer & ReLU:



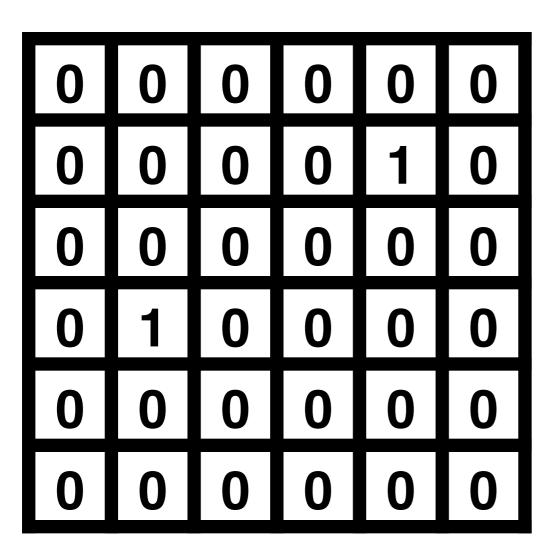
Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3



Max pooling layer: 2D example

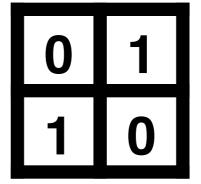
Output from the convolutional layer & ReLU:



Max pooling: returns max of its arguments

- E.g. size 3x3 ("size 3")
- E.g. stride 3

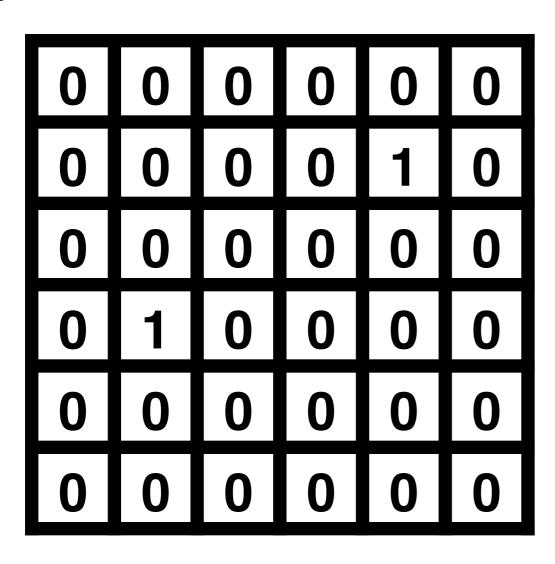
After max pooling:



Can use stride with filters too

Max pooling layer: 2D example

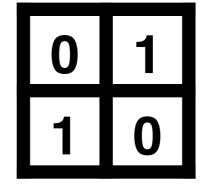
Output from the convolutional layer & ReLU:



Max pooling: returns max of its arguments

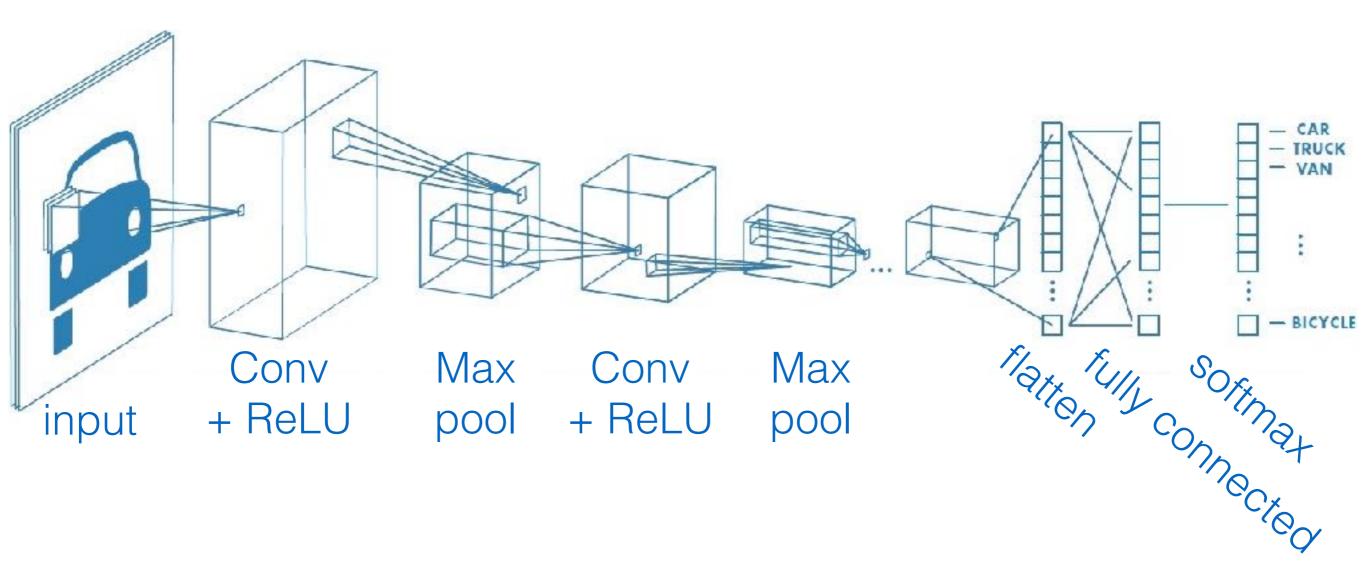
- E.g. size 3x3 ("size 3")
- E.g. stride 3

After max pooling:

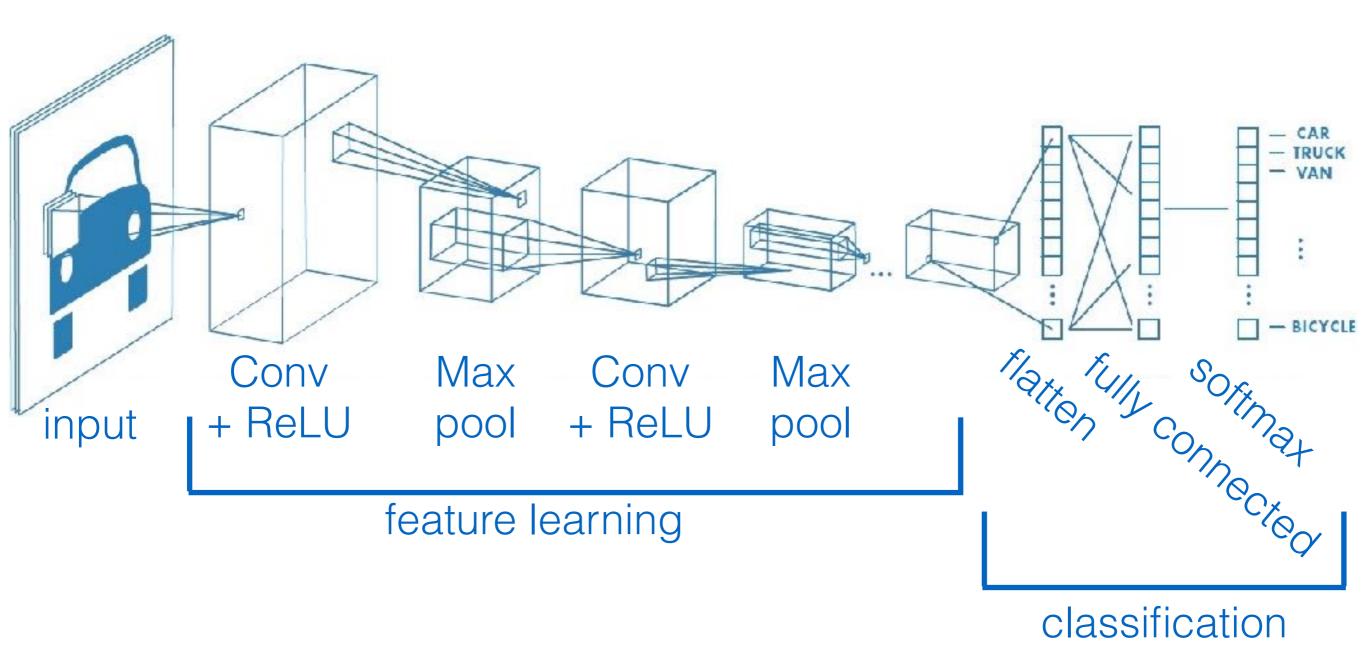


- Can use stride with filters too
- No weights in max pooling

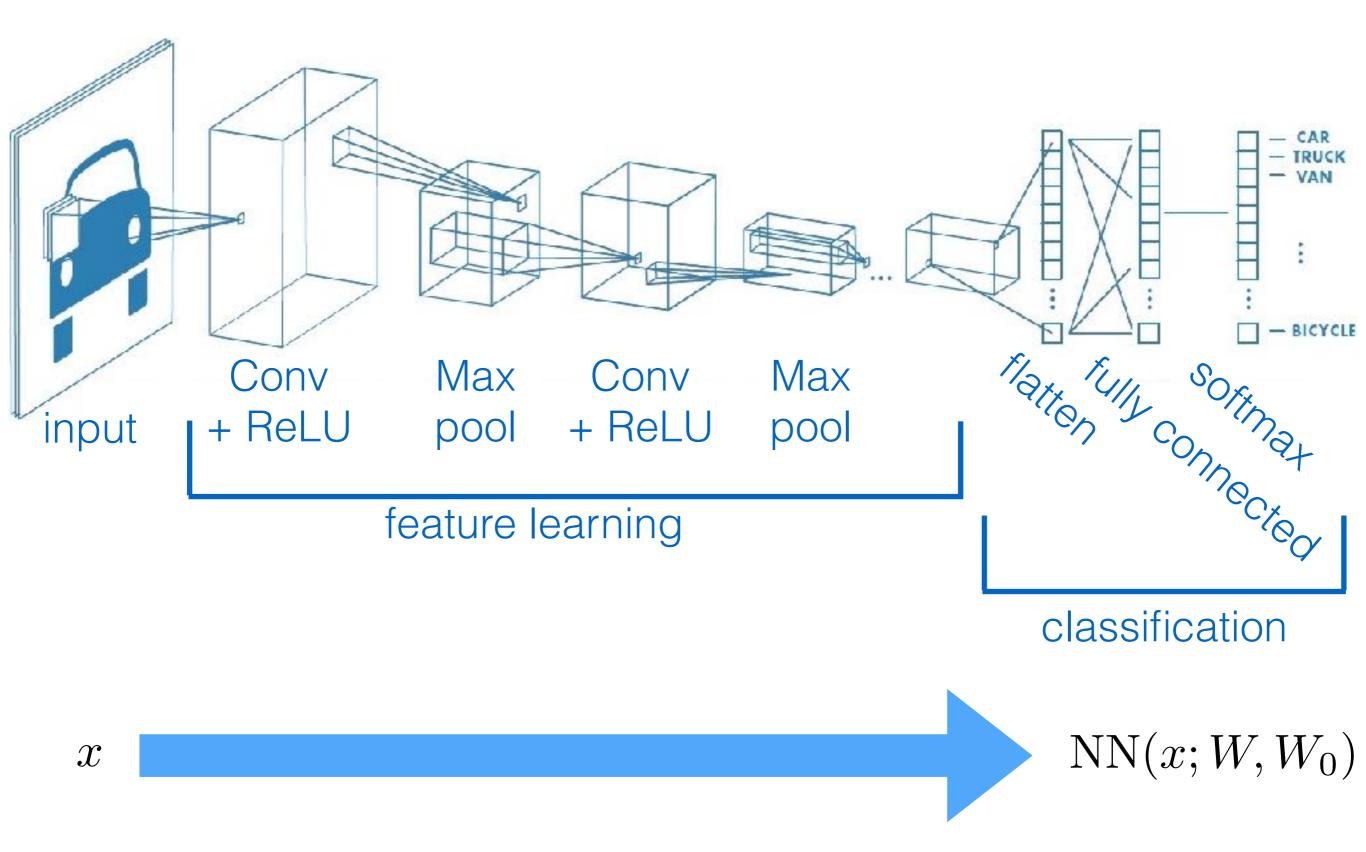
CNNs: typical architecture



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CNNs: typical architecture



1. Choose how to predict label (given features & parameters)

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*i*th data point

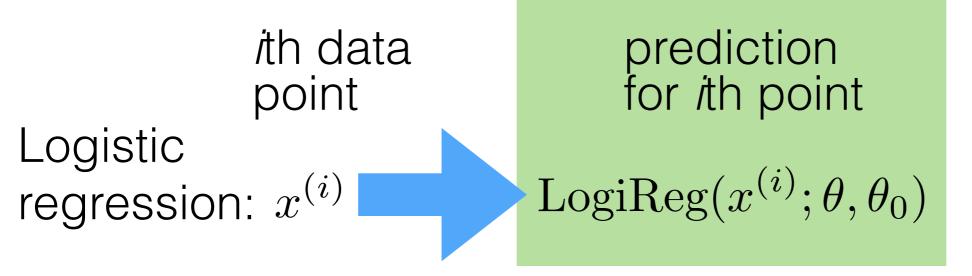
 $x^{(i)}$

1. Choose how to predict label (given features & parameters)

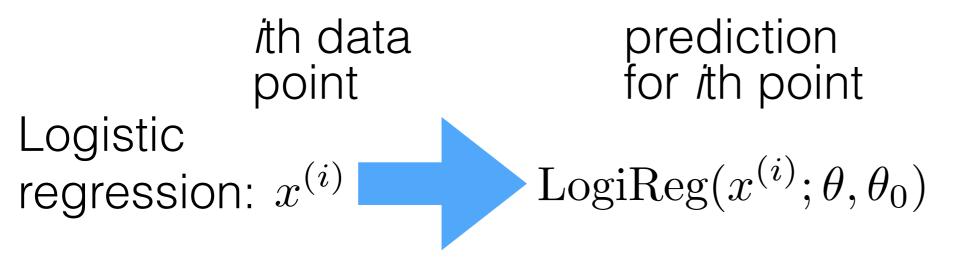
ith data point

Logistic regression: $x^{(i)}$

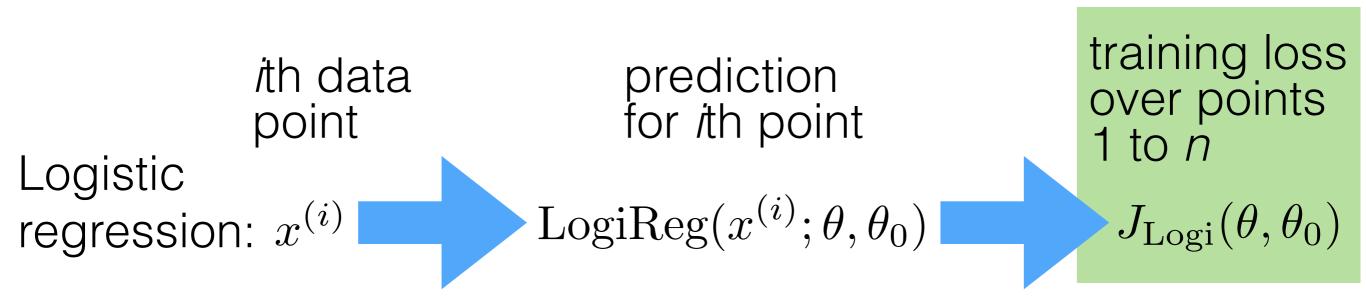
1. Choose how to predict label (given features & parameters)



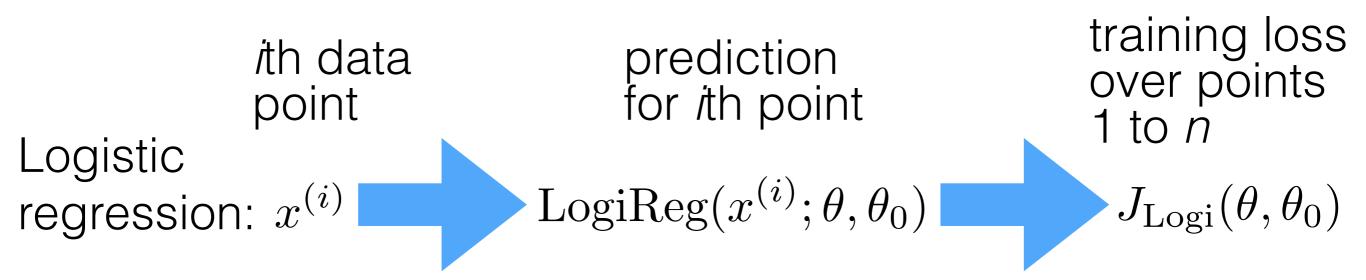
- 1. Choose how to predict label (given features & parameters)
- 2. Choose a loss (between guessed label & actual label)



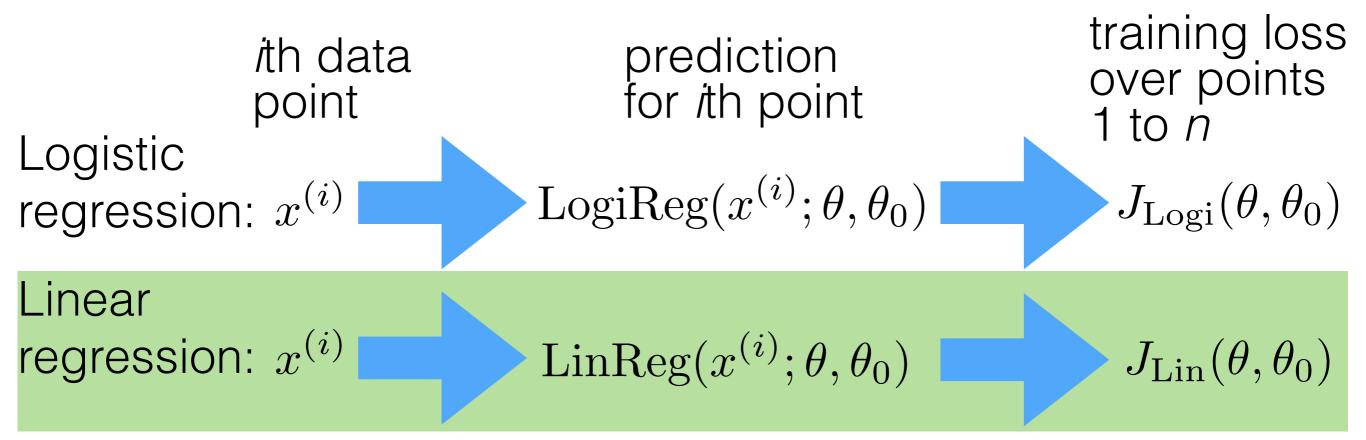
- 1. Choose how to predict label (given features & parameters)
- 2. Choose a loss (between guessed label & actual label)



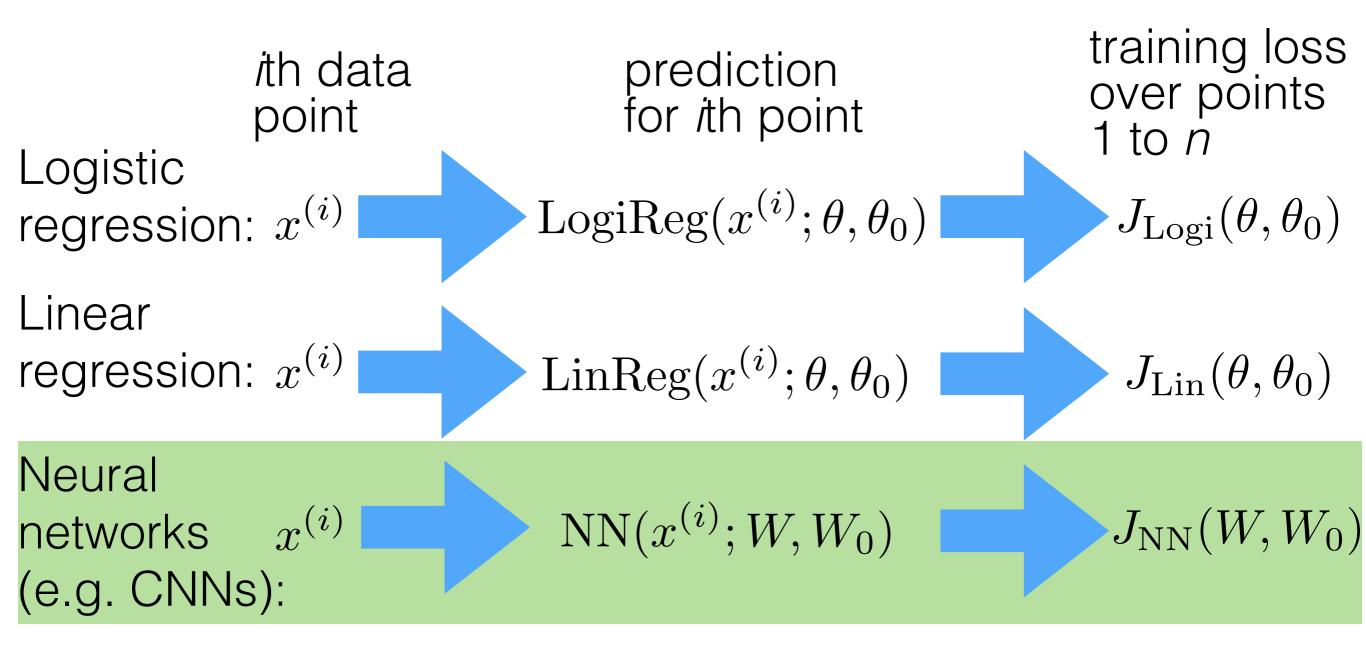
- 1. Choose how to predict label (given features & parameters)
- 2. Choose a loss (between guessed label & actual label)
- 3. Choose parameters by trying to minimize the training loss



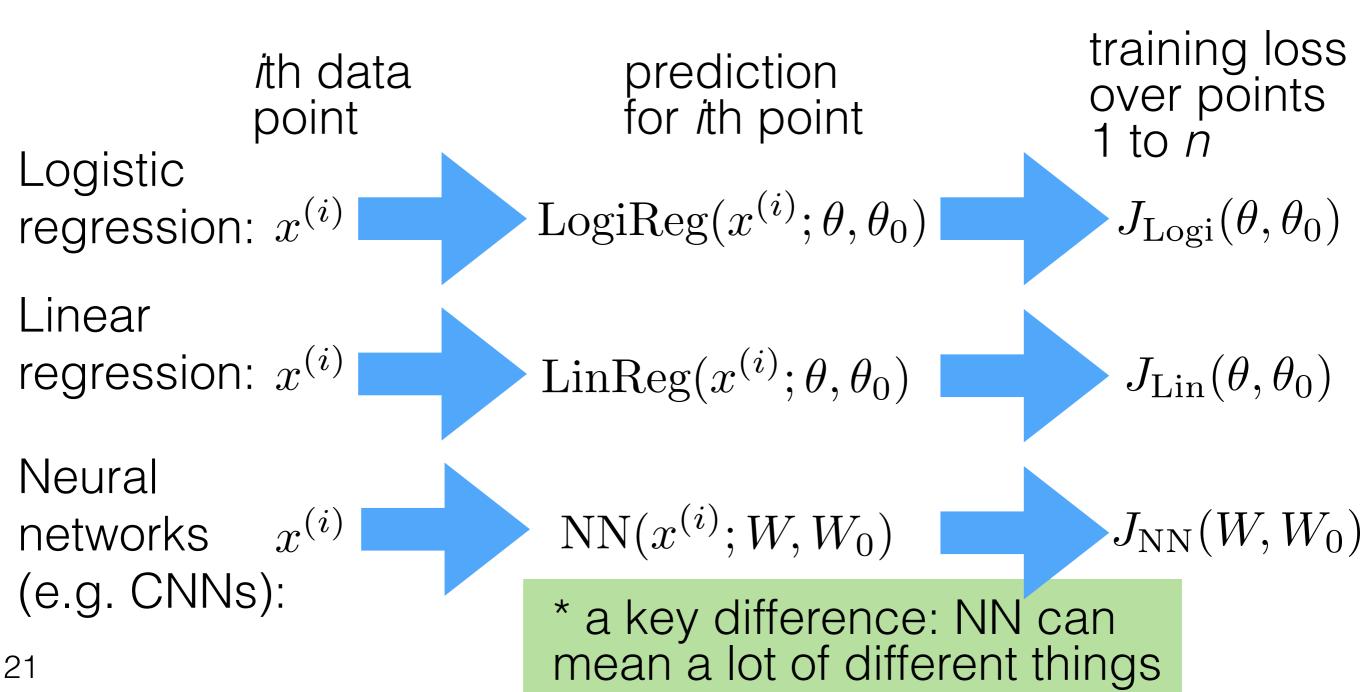
- 1. Choose how to predict label (given features & parameters)
- 2. Choose a loss (between guessed label & actual label)
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Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

Forward pass:

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^\top X_{[i-1,i,i+1]}$ pass:

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1=(W^1)^{ op}X_{[i-1,i,i+1]}$ pass: $A_i^1=\mathrm{ReLU}(Z_i^1)$ $A^2=(W^2)^{ op}A^1$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1=(W^1)^{ op}X_{[i-1,i,i+1]}$ pass: $A_i^1=\mathrm{ReLU}(Z_i^1)$ $A^2=(W^2)^{ op}A^1$ $L(A^2,y)=(A^2-y)^2$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1=(W^1)^{ op}X_{[i-1,i,i+1]}$ Z1:5x1 pass: $A_i^1=\mathrm{ReLU}(Z_i^1)$ $A^2=(W^2)^{ op}A^1$ $L(A^2,y)=(A^2-y)^2$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z1: 5x1 pass: $A_i^1 = \mathrm{ReLU}(Z_i^1)$ A1: 5x1 $A^2 = (W^2)^{ op} A^1$ $L(A^2,y) = (A^2-y)^2$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \mathrm{ReLU}(Z_i^1)$ A^1 : 5x1 $A^2 = (W^2)^{ op} A^1$ A^2 : 1x1 $L(A^2,y) = (A^2-y)^2$

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Part of the derivative for SGD:

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$ A^1 : 5x1 $A^2 = (W^2)^{ op} A^1$ A^2 : 1x1 $L(A^2,y) = (A^2-y)^2$ Loss: 1x1

• Part of the derivative for SGD: $\frac{\partial \mathrm{loss}}{\partial W^1} =$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$ A^1 : 5x1 $A^2 = (W^2)^{ op} A^1$ A^2 : 1x1 $L(A^2,y) = (A^2-y)^2$ Loss: 1x1

• Part of the derivative for SGD: $\frac{\partial loss}{\partial W^1} = \frac{\partial loss}{\partial A^1}$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$ A^1 : 5x1 $A^2 = (W^2)^{ op} A^1$ A^2 : 1x1 $L(A^2,y) = (A^2-y)^2$ Loss: 1x1

• Part of the derivative for SGD: $\frac{\partial loss}{\partial W^1} = \frac{\partial A^1}{\partial Z^1} \cdot \frac{\partial loss}{\partial A^1}$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \mathrm{ReLU}(Z_i^1)$ A^1 : 5x1 $A^2 = (W^2)^{ op} A^1$ A^2 : 1x1 $L(A^2,y) = (A^2-y)^2$ Loss: 1x1

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• Part of the derivative for SGD:

$$\frac{\partial loss}{\partial W^1} = \frac{\partial Z^1}{\partial W^1} \cdot \frac{\partial A^1}{\partial Z^1} \cdot \frac{\partial loss}{\partial A^1}$$
3x1 3x5 5x5 5x1

 $\frac{\partial Z^1}{\partial W^1}$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$ A^1 : 5x1 $A^2 = (W^2)^{ op} A^1$ A^2 : 1x1

 $L(A^2, y) = (A^2 - y)^2$ Loss: 1x1

• Part of the derivative for SGD: $\frac{\partial loss}{\partial W^1} = \frac{\partial Z^1}{\partial W^1} \cdot \frac{\partial A^1}{\partial Z^1} \cdot \frac{\partial loss}{\partial A^1}$

 $\frac{\partial W^{\perp}}{\partial x_1}$ $\frac{\partial W^{\perp}}{\partial x_2}$ $\frac{\partial Z^{\perp}}{\partial x_3}$

5x1

$$\frac{Z_1^1}{\partial W^1} = \begin{bmatrix} Z_1^1 & Z_2^1 & Z_3^1 & Z_4^1 & Z_5^1 \\ & & & & \\ & & & \\ & & & \\ & & & & \\ & & & \\ & & & & \\ & & & \\ & & & \\ & & & \\ & & &$$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$ A^1 : 5x1 $A^2 = (W^2)^{ op} A^1$ A^2 : 1x1 $L(A^2,y) = (A^2-y)^2$ Loss: 1x1

$$rac{Z_1^1}{\partial W^1} = egin{bmatrix} Z_1^1 & Z_2^1 & Z_3^1 & Z_4^1 & Z_5^1 & & & & \\ & & & & & & & & \\ W_1^1 & & & & & & \\ W_2^1 & & & & & \\ W_2^1 & & & & \\ W_2^1 & & & & \\ \end{array}$$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$ A^1 : 5x1 $A^2 = (W^2)^{ op} A^1$ A^2 : 1x1 $L(A^2,y) = (A^2-y)^2$ Loss: 1x1

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{\top} X_{[i-1,i,i+1]}$ $Z^1: 5 \times 1$ pass: $A_i^1 = \text{ReLU}(Z_i^1)$ $A^1: 5 \times 1$ $A^2 = (W^2)^{\top} A^1$ $A^2: 1 \times 1$

$$L(A^2, y) = (A^2 - y)^2$$
 Loss: 1x1

• Part of the derivative for SGD:

$$\frac{\partial loss}{\partial W^{1}} = \frac{\partial Z^{1}}{\partial W^{1}} \cdot \frac{\partial A^{1}}{\partial Z^{1}} \cdot \frac{\partial loss}{\partial A^{1}}$$
3x1 3x5 5x5 5x1

$$Z_2^1 = W_1^1 X_1 + W_2^1 X_2 + W_3^1 X_3$$

$$rac{Z_1^1}{\partial W^1} = egin{bmatrix} Z_1^1 & Z_2^1 & Z_3^1 & Z_4^1 & Z_5^1 \ & & & & & & & \\ rac{\partial Z^1}{\partial W^1} & & & & & & \\ & & & & & & & \\ rac{\partial Z_2^1}{\partial W^1} & & & & & & \\ \end{pmatrix} rac{W_1^1}{W_2^2}$$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{\top} X_{[i-1,i,i+1]}$ $Z^1: 5 \times 1$ pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$ $A^1: 5 \times 1$ $A^2 = (W^2)^{\top} A^1$ $A^2: 1 \times 1$

 $L(A^2,y) = (A^2-y)^2 \qquad \text{Loss: 1x1}$ Part of the derivative for SCD: $\partial \log z = \partial Z^1 - \partial A^1$

• Part of the derivative for SGD:
$$\frac{\partial loss}{\partial W^1} = \frac{\partial Z^1}{\partial W^1} \cdot \frac{\partial A^1}{\partial Z^1} \cdot \frac{\partial loss}{\partial A^1}$$

$$Z_2^1 = W_1^1 X_1 + W_2^1 X_2 + W_3^1 X_3$$

$$rac{Z_1^1}{\partial W^1} = egin{bmatrix} Z_1^1 & Z_2^1 & Z_3^1 & Z_4^1 & Z_5^1 \ & & & & & & & \\ W_1^1 & & & & & & \\ W_2^1 & & & & & & \\ W_2^2 & & & & & \\ W_2^2 & & & & \\ W_3^2 & & & & \\ \end{array}$$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^T X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$ A^{1} : 5x1 $A^2 = (W^2)^\top A^1$ A^2 : 1x1 $L(A^2, y) = (A^2 - y)^2$

 $\partial Z^1 \quad \partial A^1$ $\partial loss$ $\partial loss$ • Part of the derivative for SGD: $= \frac{1}{\partial W^1} \cdot \frac{1}{\partial Z^1} \cdot \frac{1}{\partial A^1}$ 3x5 5x5

3x1

Loss: 1x1

5x1

$$Z_2^1 = W_1^1 X_1 + W_2^1 X_2 + W_3^1 X_3$$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^T X_{[i-1,i,i+1]}$ $Z^1: 5x1$ pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$ A^{1} : 5x1 $A^2 = (W^2)^\top A^1$ A^2 : 1x1 $L(A^2, y) = (A^2 - y)^2$

Loss: 1x1

Part of the derivative for SGD:

$$\frac{\partial loss}{\partial W^{1}} = \frac{\partial Z^{1}}{\partial W^{1}} \cdot \frac{\partial A^{1}}{\partial Z^{1}} \cdot \frac{\partial loss}{\partial A^{1}}$$
3x1 3x5 5x5 5x1

$$Z_2^1 = W_1^1 X_1 + W_2^1 X_2 + W_3^1 X_3$$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \text{ReLU}(Z_i^1)$ A^1 : 5x1 $A^2 = (W^2)^{ op} A^1$ A^2 : 1x1

 $L(A^2, y) = (A^2 - y)^2$ Loss: 1x1

• Part of the derivative for SGD:

$$\frac{\partial loss}{\partial W^1} = \frac{\partial Z^1}{\partial W^1} \cdot \frac{\partial A^1}{\partial Z^1} \cdot \frac{\partial loss}{\partial A^1}$$
3x1 3x5 5x5 5x1

$$Z_2^1 = W_1^1 X_1 + W_2^1 X_2 + W_3^1 X_3$$

$$\frac{Z_1^1}{\partial W^1} = \begin{bmatrix} Z_1^1 & Z_2^1 & Z_3^1 & Z_4^1 & Z_5^1 \\ & X_1 & & \\ & X_2 & & \\ & X_3 & & \end{bmatrix} \begin{bmatrix} W_1^1 & & \\ W_2^1 & & \\ & W_3^1 & & \\ \end{bmatrix}$$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ $Z^1: 5 \times 1$ pass: $A_i^1 = \operatorname{ReLU}(Z_i^1)$ $A^1: 5 \times 1$ $A^2 = (W^2)^{ op} A^1$ $A^2: 1 \times 1$

 $L(A^2, y) = (A^2 - y)^2$ Loss: 1x1

• Part of the derivative for SGD: $\frac{O}{a}$

$$\frac{\partial loss}{\partial W^1} = \frac{\partial Z^1}{\partial W^1} \cdot \frac{\partial A^1}{\partial Z^1} \cdot \frac{\partial loss}{\partial A^1}$$
3x1 3x5 5x5 5x1

$$Z_2^1 = W_1^1 X_1 + W_2^1 X_2 + W_3^1 X_3$$

$$\frac{Z_1^1}{\partial W^1} = \begin{bmatrix} X_1^1 & Z_2^1 & Z_3^1 & Z_4^1 & Z_5^1 \\ X_2 & X_1 & X_2 & X_3 & X_4 \\ X_1 & X_2 & X_3 & X_4 & X_5 \\ X_2 & X_3 & X_4 & X_5 & X_6 \end{bmatrix} \frac{W_1^1}{W_2^1}$$

Regression. 1 filter: size 3 & padding; $x^{(j)}$ dimension: 5x1

• Forward $Z_i^1 = (W^1)^{ op} X_{[i-1,i,i+1]}$ Z^1 : 5x1 pass: $A_i^1 = \text{ReLU}(Z_i^1)$ A^1 : 5x1 $A^2 = (W^2)^{ op} A^1$ A^2 : 1x1

$$L(A^2, y) = (A^2 - y)^2$$
 Loss: 1x1

• Part of the derivative for SGD: $\frac{O10}{0.00}$

$$\frac{\partial loss}{\partial W^1} = \frac{\partial Z^1}{\partial W^1} \cdot \frac{\partial A^1}{\partial Z^1} \cdot \frac{\partial loss}{\partial A^1}$$
3x1 3x5 5x5 5x1

$$Z_2^1 = W_1^1 X_1 + W_2^1 X_2 + W_3^1 X_3$$

$$\frac{\partial Z^{1}}{\partial W^{1}} = \begin{bmatrix} X_{1}^{1} & Z_{2}^{1} & Z_{3}^{1} & Z_{4}^{1} & Z_{5}^{1} \\ X_{2} & X_{1} & X_{2} & X_{3} & X_{4} \\ X_{1} & X_{2} & X_{3} & X_{4} & X_{5} \\ X_{2} & X_{3} & X_{4} & X_{5} & X_{6} \end{bmatrix} \begin{bmatrix} W_{1}^{1} \\ W_{2}^{1} \\ W_{3}^{1} \end{bmatrix}$$

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