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Correction to "The Image of J in the EHP Sequence"

Author(s): Mark Mahowald

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## Correction to "The image of J in the EHP sequence" 116 (1982), 65-112

## By Mark Mahowald

There are several misprints and one error which make the latter part of my paper [M1] very difficult to read. It is my intention here to list them with the corrections. In addition there was an error in my paper [M2]. This affects the statements of Theorems 2.5c and 2.6c which were results proved in [M2]. This is discussed in the correction to that paper.

In Theorem 7.7 on page 96 every occurrence of  $|j|_2$  should be replaced by  $|2j|_2$ . This gives a theorem which is in fact proved by the argument which follows. The corrected theorem is:

THEOREM 7.7. In the spectral sequence  $\{E_r(\mathfrak{X}(P))\}$ , the class  $1_{4j-1}$  in  $E^{0,4j-1}$  is a cycle in  $E_{|2j|_2}$  and  $\delta_{|2j|_2}1_{4j-1}\neq 0$  if  $E_1^{|2j|_2,4j-2+|2j|_2}\neq 0$ . This formula implies all the differentials.

A similar error occurs in the statement of Theorem 7.9 and so we just state the corrected theorem.

THEOREM 7.9. Each class a in  $E_1^{s,t}(\mathfrak{X}(P^{2n}))$  for t-s=4j-1 projects to a cycle in  $E_{|2j|_2}$  and  $\delta_{|2j|_2}a\neq 0$  if  $E_{|2j|_2}^{s+|2j|_2,t+|2j|_2+4j-2}\neq 0$ . This formula implies all the differentials.

In the tables which follow there are several misprints also. In particular, in the last two lines on page 98, "j = 8k + i" should read "j = 8k - i". In the second line on page 99, the group  $\mathbb{Z}/2^{|4n|_2}$  should be  $\mathbb{Z}/2^{|4(n+1)|_2}$ .

An error of a more serious nature occurs in the proof of Theorem 7.11. On page 101, a homotopy class  $\beta$  is produced which is stable and, as a stable class, has Adams filtration  $\geq 4$ . It is not clear why, as an unstable class with the properties given in the proof on that page, this filtration should be preserved. A correct proof of Theorem 7.11 has been found and is given in [BJM]. The error was also observed by Davis [D].

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Finally the statement of Theorem 8.4 was completely garbled. The correct theorem is:

THEOREM 8.4. If  $j \ge 15$  then the origin of the generator of the image of the J homomorphism in the j-stem is: 3 if  $j \equiv 0(8)$ , 2 if  $j \equiv 1(8)$ , and 5 if  $j \equiv 3(8)$ . If j = 8k - 1 and  $j \ge 15$  then the element in the image of J of order  $2^a$  in the j-stem has sphere of origin given by:

sphere of origin = 
$$5 + 8b$$
 for  $a = 1 + 4b$   
=  $6 + 8b$  =  $2 + 4b$   
=  $7 + 8b$  =  $3 + 4b$   
=  $1 + 8b$  =  $4b$ .

There are several other misprints which do not seem to make the paper unreadable.

NORTHWESTERN UNIVERSITY, EVANSTON, ILLINOIS

## REFERENCES

- [BJM] M. G. Barratt, J. D. S. Jones and M. E. Mahowald, The Hopf invariant and the Kervaire invariant, to appear.
- [D] D. S. Davis, Review of ref. [M1], Math Reviews, 83i (1983), 3785.
- [M1] M. E. Mahowald, The image of J in the EHP sequence, Ann. of Math. 116 (1982), 65-112.
- [M2] \_\_\_\_\_, bo resolutions, Pac. J. of Math. 92 (1981), 365-383. Correction, 111 (1984), 117-123.

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