## Untitled

## 2024-11-25

```
#setwd("C:/Users/jake pc/Desktop/Personal_save/Stat_405_Module_14")
setwd("~/Desktop/Personal_save/Stat_405_Module_14")
test <- read.csv(file="hypothesis.csv",header=TRUE)</pre>
```

The following table shows the time for subjects to feel relief from headache pain:

a.) Perform a t-test. Is either product significantly faster than the other at the 0.05 level?

The data is the same as Lab 6.1 question 1 where the samples were independent so the following independent 2 sample t-test is performed.

Two sample, two tailed, independent t-test.

```
test$id <- seq(1:nrow(test))</pre>
test
##
     Aspirin Tylenol id
## 1
          40
                  35 1
## 2
          42
                  37 2
## 3
          48
                  42 3
## 4
          35
                  22 4
## 5
          62
                  38 5
## 6
          35
                  29 6
library(reshape2)
long_data <- melt(data = test, id.vars = c("id"),</pre>
                   measured.vars = c("Aspirin", "Tylenol"),
                    variable.name = "Brand", value.name = "Time")
long_data
##
           Brand Time
      id
## 1
       1 Aspirin
## 2
       2 Aspirin
                   42
## 3
       3 Aspirin
                   48
## 4
       4 Aspirin
                   35
## 5
       5 Aspirin
                   62
## 6
       6 Aspirin
                   35
       1 Tylenol
                   35
       2 Tylenol
                   37
## 8
## 9
       3 Tylenol
                   42
## 10 4 Tylenol
                   22
## 11 5 Tylenol
                    38
## 12 6 Tylenol
                    29
t.test(long_data$Time ~ long_data$Brand)
##
##
   Welch Two Sample t-test
##
```

```
## data: long_data$Time by long_data$Brand
## t = 1.9283, df = 8.983, p-value = 0.08597
## alternative hypothesis: true difference in means between group Aspirin and group Tylenol is not equa
## 95 percent confidence interval:
## -1.706005 21.372671
## sample estimates:
## mean in group Aspirin mean in group Tylenol
## 43.66667 33.83333
```

The p-value resulting from the test is greater than 0.05, fail to reject the null hypothesis that the true difference in means between the groups is zero.

b.) Perform a Wilcoxon rank-sum test.

```
wilcox.test(long_data$Time ~ long_data$Brand)

## Warning in wilcox.test.default(x = DATA[[1L]], y = DATA[[2L]], ...): cannot

## compute exact p-value with ties

##

## Wilcoxon rank sum test with continuity correction

##

## data: long_data$Time by long_data$Brand

## W = 27.5, p-value = 0.146

## alternative hypothesis: true location shift is not equal to 0
```

The p-value resulting from the test is greater than 0.05, fail to reject the null hypothesis that the true location shift is equal to zero.