

#### Linked List ADT

#### **ADT**

#### **Linked List**

- Series of connected nodes
- Each node is a data structure
- Can grow or shrink in size as the program runs

### **List ADT**

Objects/data

```
-\mathbf{A}_0, \mathbf{A}_1, \mathbf{A}_2, ... \mathbf{A}_{N-1}
```

Size of the List is N

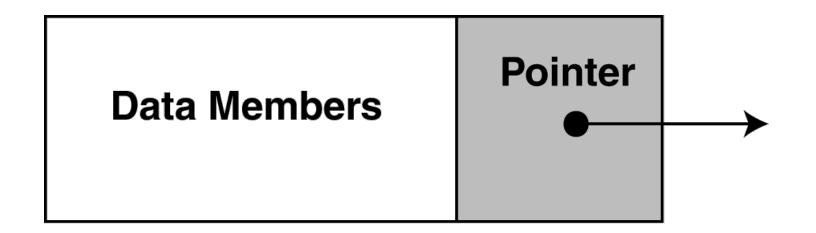
#### Operations

- Up to the designer of a List, for example,
- printList()
- makeEmpty()
- Find()
- Insert()
- Remove()
- findKth()
- etc

### **Linked List**

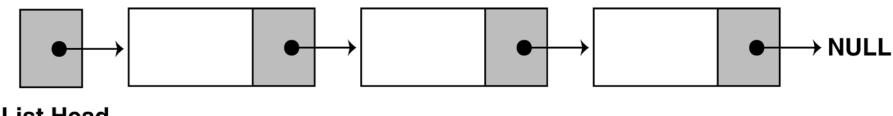
#### **Nodes**

- Data
- Pointer

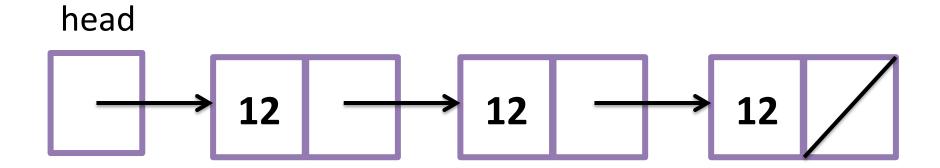


#### Linked List

 Called "linked" because each node in the series has a pointer that points to the next node in the list.



### **Linked List**

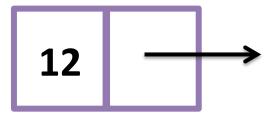


#### Declarations

 Declare a data structure that will be used for the nodes.

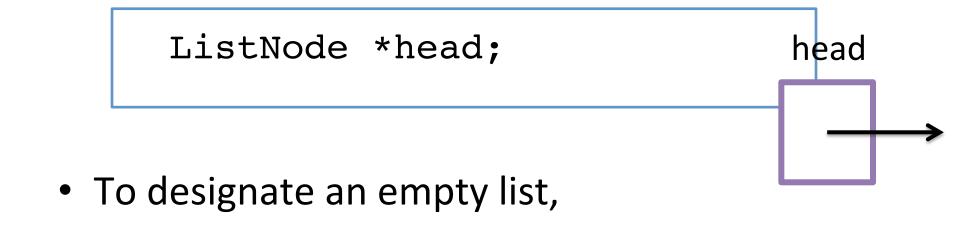
```
struct ListNode
{
    float value;
    struct ListNode *next;
};
```

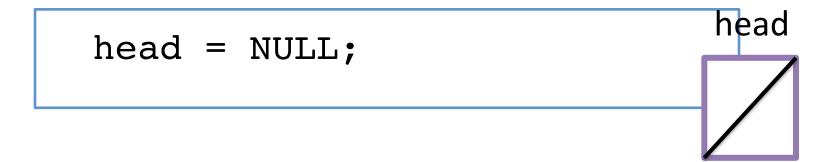
data next pointer



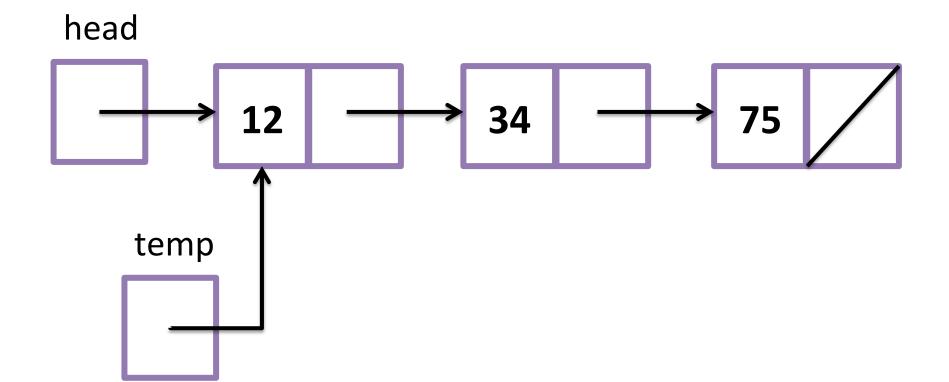
#### Declarations

Declare a pointer to serve as the list head



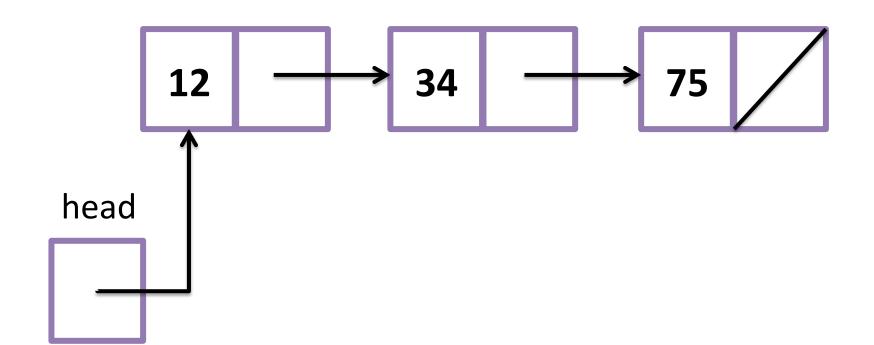


 Whenever you traverse a linked list, you need a temporary pointer.



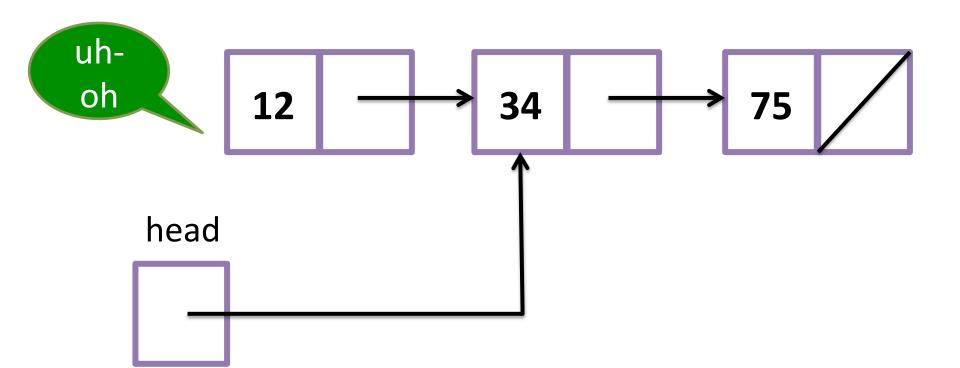
 Whenever you traverse a linked list, you need a temporary pointer.

Never use the head pointer or you will lose access to your nodes!



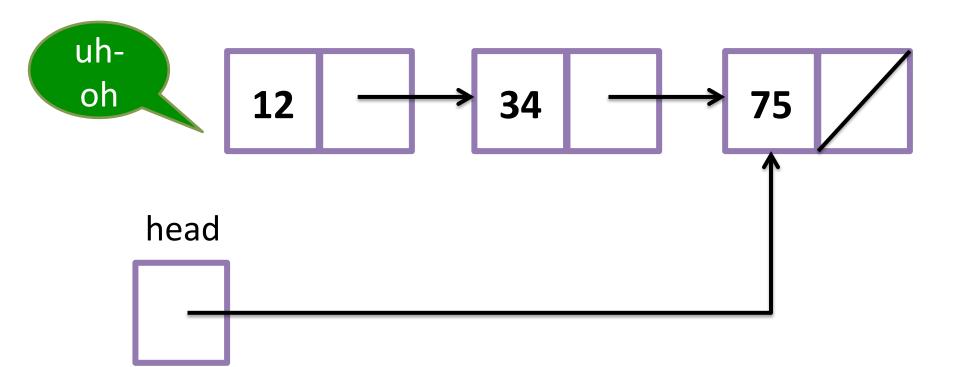
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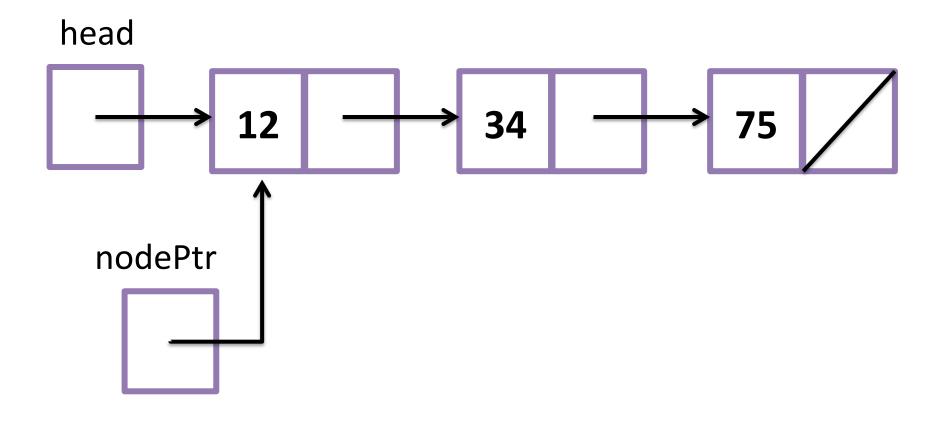


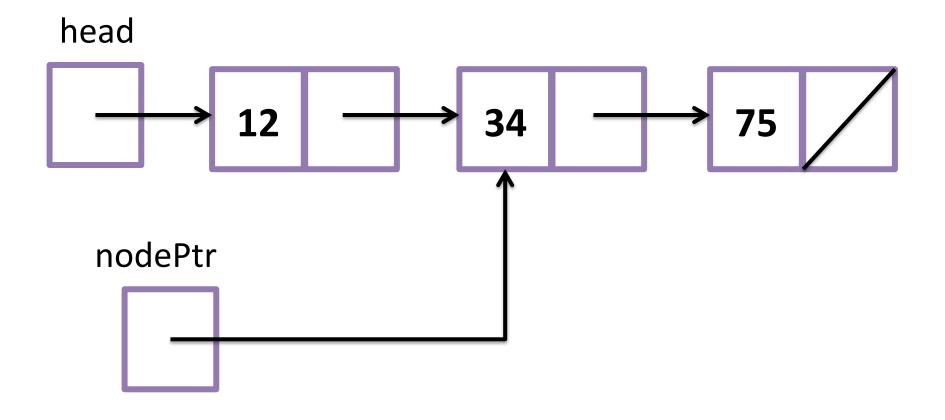
Assign node pointer to the list head

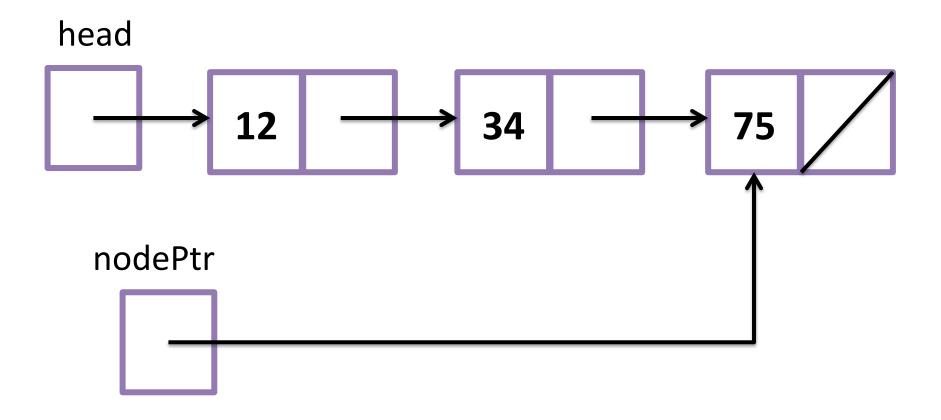
While node pointer is not NULL

Display the value member of the node pointed to by node pointer.

Assign node pointer to its own next node member End While



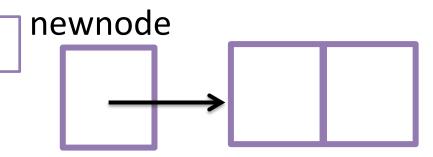




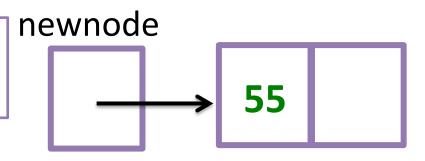
Append = add the node to the end of the list

```
Create a new node.
Store data in the new node.
Set next pointer in new node to NULL
If there are no nodes in the list
   Make the new node the first node.
Else
   Traverse the List to Find the last node.
   Add the new node to the end of the list.
End If
```

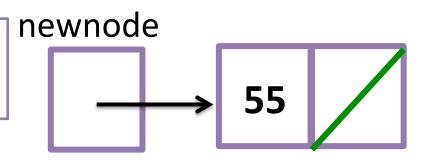
Create a new node.



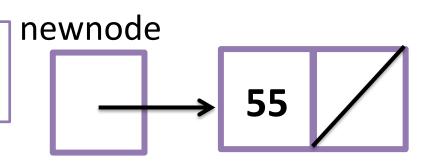
Store data in the new node.



Set next pointer in new node to NULL

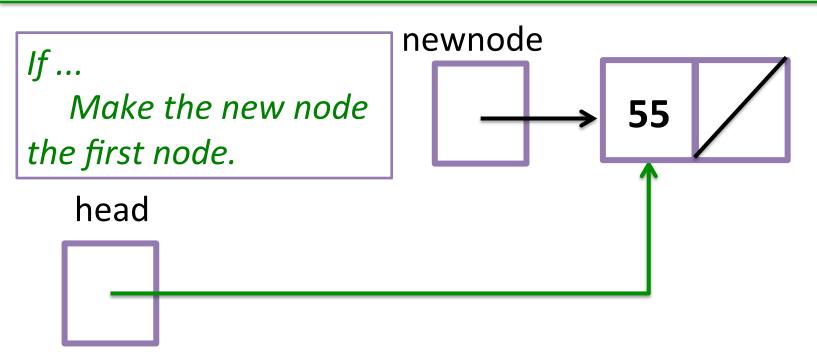


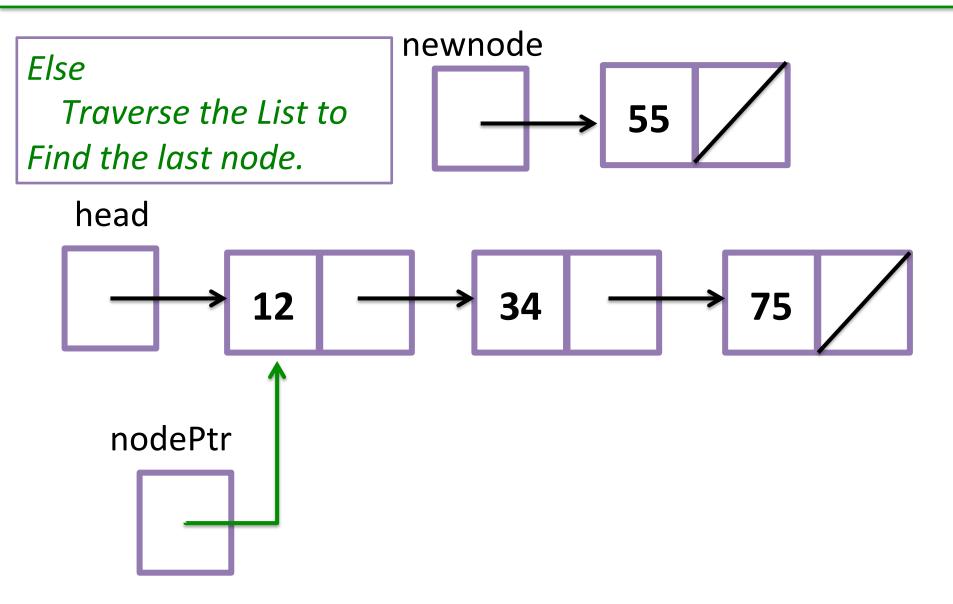
If there are no nodes in the list...

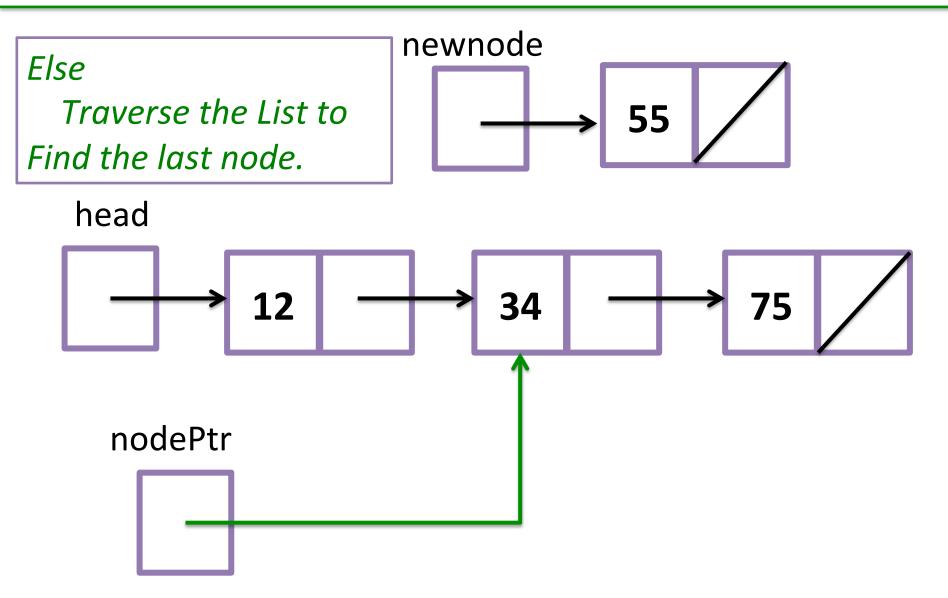


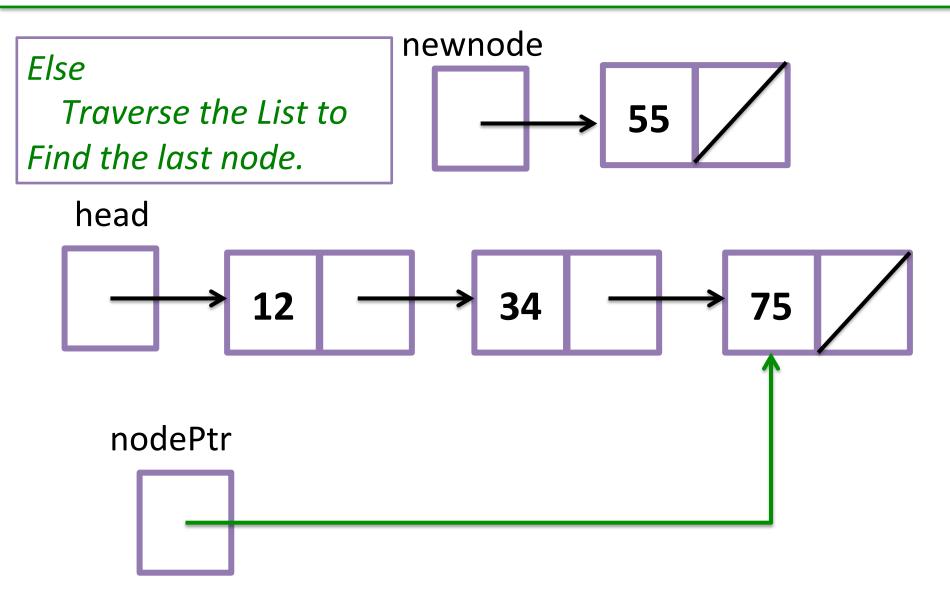
head

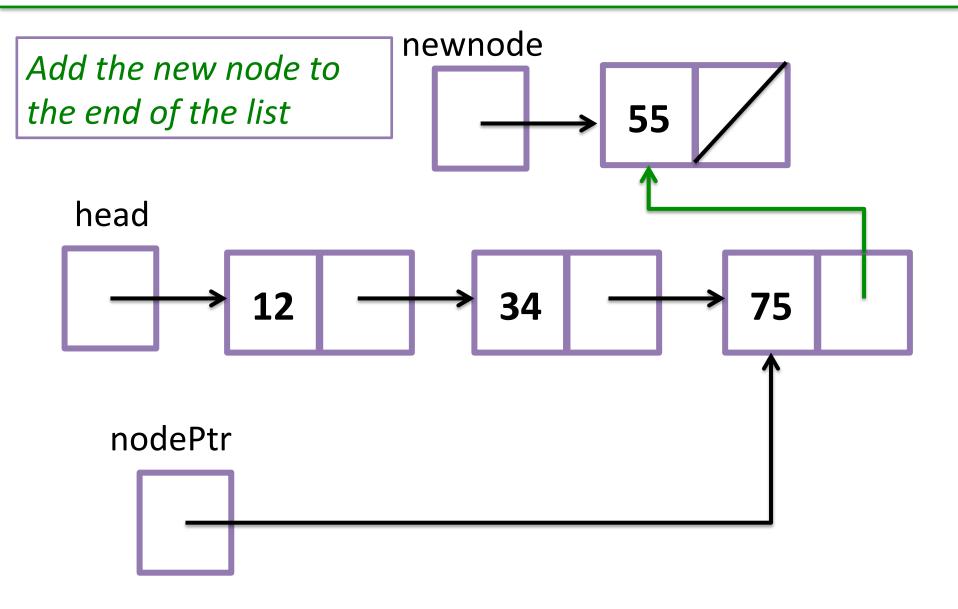












# Inserting a Node to the List

#### Insert a Node to the List

Insert = add the node in a particular position of the list

Create a new node.

Store data in the new node

If there are no nodes in the list

Make the new node the first node

#### Else

Find the first node whose value is greater than or equal the new value, or the end of the list (whichever is first). Insert the new node before the found node, or at the end of the list if no node was found.

End If

# Deleting a Node in the List

### Deleting a Node

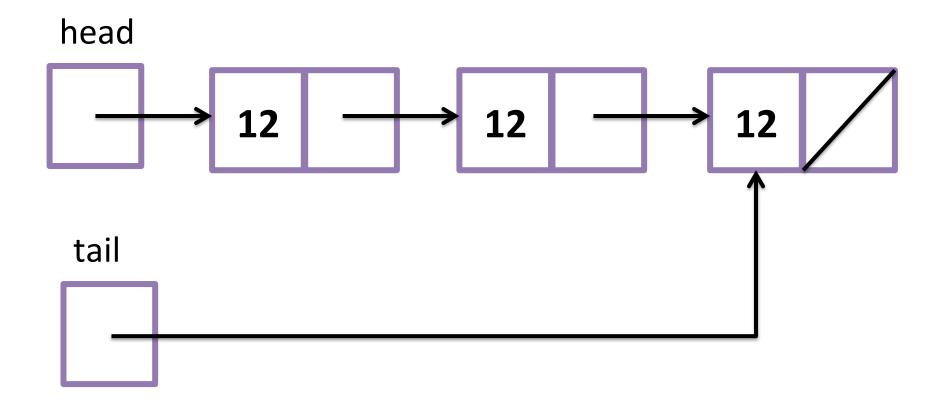
#### Delete node

- Remove the node from the list without breaking the links created by the next pointers
- Delete the node from memory

## Destroying the List

- Step through the list
- Delete each node one-by-one

# Head and Tail pointers



#### Advantages of Linked Lists over Arrays and vectors

- A linked list can easily grow or shrink in size.
- Insertion and deletion of nodes is quicker with linked lists than with vectors.
  - Big O of getting k<sup>th</sup> element in array? LL?

# Singly linked list

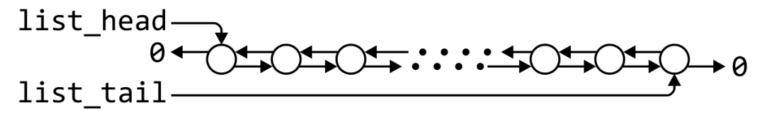
	Front/1st node	$k^{\text{th}}$ node	Back/nth node
Find	$\Theta(1)$	O(n)	$\Theta(1)$
Insert Before	$\Theta(1)$	O(n)	$\Theta(n)$
Insert After	$\Theta(1)$	$\Theta(1)^*$	$\Theta(1)$
Replace	$\Theta(1)$	$\Theta(1)^*$	$\Theta(1)$
Erase	$\Theta(1)$	O(n)	$\Theta(n)$
Next	$\Theta(1)$	$\Theta(1)^*$	n/a
Previous	n/a	O(n)	$\Theta(n)$

<sup>\*</sup> These assume we have already accessed the  $k^{\text{th}}$  entry—an O(n) operation

# Doubly linked lists

	Front/1st node	$k^{ m th}$ node	Back/nth node
Find	$\Theta(1)$	O(n)	$\Theta(1)$
<b>Insert Before</b>	$\Theta(1)$	$\mathbf{\Theta}(1)^*$	$\Theta(1)$
Insert After	$\Theta(1)$	$\Theta(1)^*$	$\Theta(1)$
Replace	$\Theta(1)$	$\Theta(1)^*$	$\Theta(1)$
Erase	$\Theta(1)$	$\Theta(1)^*$	$\Theta(1)$
Next	$\Theta(1)$	$\Theta(1)^*$	n/a
Previous	n/a	$\Theta(1)^*$	$\Theta(1)$

<sup>\*</sup>These assume we have already accessed the  $k^{th}$  entry—an O(n) operation



### STL

#### The STL list Container

- The list container, found in the Standard Template Library (STL), is a template version of a doubly linked list.
- STL lists can insert elements, or add elements to their front quicker than vectors can, because lists do not have to shift the other elements.
- lists are also efficient at adding elements at their back because they have a built-in pointer to the last element in the list (no traversal required).

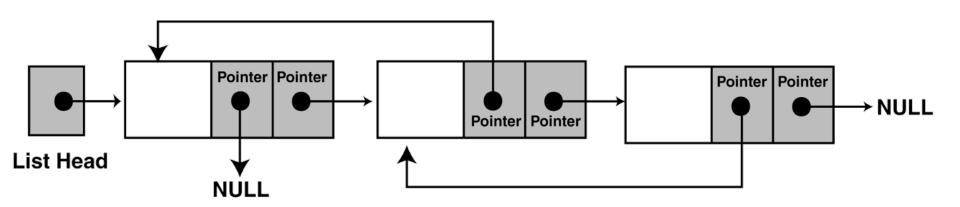
## A Linked List Template

```
#ifndef LINKEDLIST H
#define LINKEDLIST H
template <class T>
class LinkedList
private:
   // Declare a structure for the list
   struct ListNode
      T value;
      struct ListNode *next;
   };
   ListNode *head; // List head pointer
```

#### **VARIATIONS**

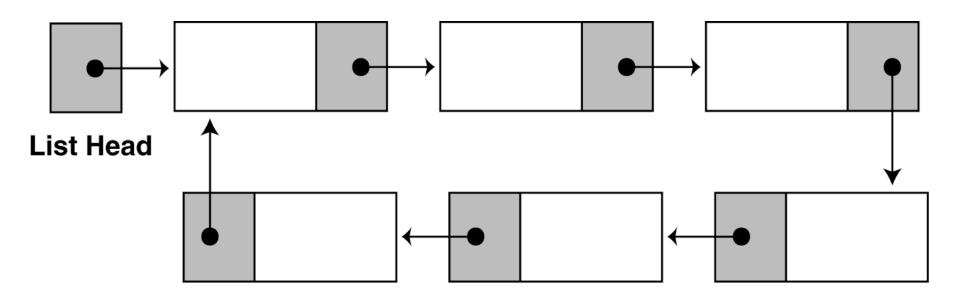
#### Variations of the Linked List

#### The Doubly-Linked List



#### Variations of the Linked List

#### The Circular Linked List



### **QUESTIONS TO PONDER**

#### Questions

- 1. What is ⊖ for inserting an element at the kth entry in an array? a LL?
- 2. What is  $\Theta$  for de-allocating the memory of a singly-linked list?
- 3. What is Θ for concatenating 2 singly-linked lists? How does it change if you have a tail pointer? What if it is a doubly-linked list?

#### Questions

- 1. How does the algorithm differ for deleting a node in the list if there is a tail pointer?
- 2. How does the implementation of arrays and linked-lists differ?
- 3. Implement a linked-list. What changes are required if using a tail pointer to make it more efficient in some operations? By making it a doubly-linked list, what changes are required? Which operations are now easier to implement?