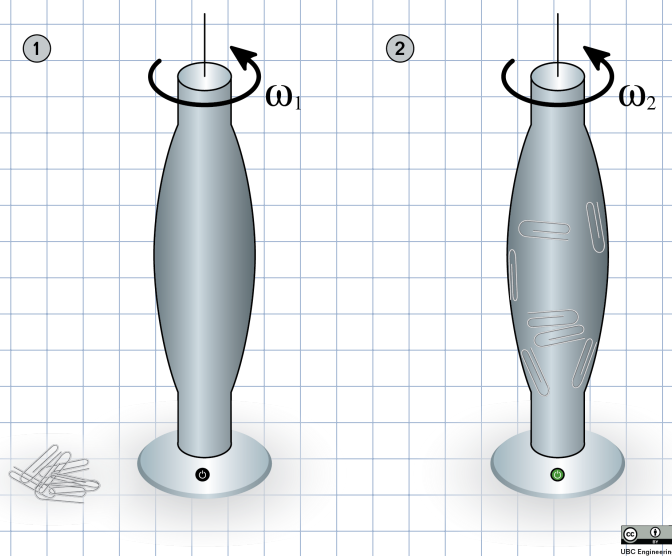


Your new rotating magnetic decoration has arrived, and you turn it on to see how it looks. The decoration accelerates to an angular velocity of 5 rad/s, has a radius of gyration about long axis of $k = 12$ cm and a mass $m = 400$ g. You decide it looks good and turn it off, letting it spin freely at the same angular velocity. After leaving for a short while, you come back to find your box of paperclips knocked over and empty. All the paperclips are now stuck to the magnetic decoration. If each paperclip has a mass of $m_{\text{paperclip}} = 2$ g and increases the decoration's average radius of gyration by 0.3 mm, how many paperclips are there if the angular velocity decreases to 2.1 rad/s?

Assume the decoration continues to spin freely and the paperclips are uniformly distributed around the decoration.



• $I_{G1} \omega_1 = I_{G2} \omega_2$ (Conservation of Angular Momentum)

↳ $I = m k^2$

$I_{G1} = m_1 k_1^2$

$I_{G2} = m_2 k_2^2$

↳ $m_2 = m_1 + (0.002 \text{ kg})n$

↳ $k_2 = k_1 + (0.0003 \text{ m})n$

$m_1 k_1^2 \omega_1 = (m_1 + 0.002 \text{ kg } n) (k_1 + 0.0003 \text{ m } n)^2 \omega_2$

$$(0.4\text{ kg})(0.12\text{ m})^2(5\text{ rad/s}) = (0.4\text{ kg} + 0.002\text{ g h})(0.12\text{ m} + 0.0003\text{ m h})^2(2.1\text{ rad/s})$$

↳ solve \Rightarrow $n = 102$