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**Algorithm 1:** Feasibility Check

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**Input:**  $M_{(i,p)}$ : The number of modules in panel  $p$  at current  $i$ ;  
 $P$ : Number of panels;  $S$ : Number of strings;  
 $Q_M$ : The minimum number of modules for each string;  
**Output:** Feasibility Result;  
Conf: Configuration Result;

```
1 for  $k = 1$  to  $S-1$ , each panel  $p$  do
2   |  $Loss[p,k] = M_{(i_{S-k},p)} - M_{(i_{S-k+1},p)}$ 
3 end
4 PSet =  $\{p_1, p_2, \dots, p_P\}$ ;
5 for  $j = S$  to  $1$  do
6   |  $n = 1$ ;
7   | for each  $p \in PSet$  do
8     |  $Loss^*[p] = (Loss[p, S-j+1], Loss[p, S-j+2], \dots, Loss[p, S])$ 
9   | end
10  | Let  $\alpha_1, \alpha_2, \dots, \alpha_{|PSet|}$  be indices such that  $Loss^*[p_{\alpha_i}] \leq Loss^*[p_{\alpha_j}]$ 
    | holds for any  $i \leq j$ 
    | /* Sort Panels in lexicographical permutation by Loss */
11  | while  $SUM = \sum_{k=1}^n M_{(i_j, \alpha_k)} < Q_M$  do
12    | if  $n == PSet$  then
13      | | return: Feasibility = NO
14    | end
15    |  $n++$ ;
16  | end
17  | TempConf =  $\{p_{\alpha_1}, p_{\alpha_2}, p_{\alpha_3}, \dots, p_{\alpha_n}\}$ ;
18  | for  $m = 1$  to  $n$  do
19    | if  $M_{(j, \alpha_m)} == 0$  then
20      | | TempConf = TempConf -  $\{p_{\alpha_m}\}$ ;
21    | end
22  | end
23  | if  $SUM == Q_M$  or  $j == 1$  then
24    | Conf[j] = TempConf
25  | else
26    | Do Panel Swap
27  | end
28  | PSet = PSet - Conf[j]
29 end
30 return: Feasibility = YES
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**Algorithm 2:** Panel Swap

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**Input:**  $M_{(j,\alpha)}$ ,  $Q_M$ , SUM, TempConf  
**Output:** Conf [j]

```
1 Over = SUM -  $Q_M$  ;
2 for  $p_{\alpha_x}$  in {TempConf} do
3   if  $M_{(j,\alpha_x)} == Over$  then
4     TempConf = TempConf -  $\{p_{\alpha_x}\}$ 
5     return: Conf [j] = TempConf;
6   else if  $\sum_x^{x+2} M_{(i_j,\alpha_x)} == 3 == M_{(j,\alpha_y)}$  and  $M_{(j,\alpha_x)} == M_{(j,\alpha_{x+1})}$ 
        $== M_{(j,\alpha_{x+2})}$ ,  $y > n$  then
7     TempConf = TempConf -  $\{p_{\alpha_x}, p_{\alpha_{x+1}}, p_{\alpha_{x+2}}\} + \{p_{\alpha_y}\}$  ;
8   else if  $\sum_x^{x+2} M_{(i_j,\alpha_x)} == 3 == M_{(j,\alpha_y)}$   $y > n$  then
9     TempConf = TempConf -  $\{p_{\alpha_x}, p_{\alpha_{x+1}}, p_{\alpha_{x+2}}\} + \{p_{\alpha_y}\}$  ;
10  else if  $\sum_x^{x+2} M_{(i_j,\alpha_x)} == 2 == M_{(j,\alpha_y)}$   $y > n$  then
11    TempConf = TempConf -  $\{p_{\alpha_x}, p_{\alpha_{x+1}}\} + \{p_{\alpha_y}\}$  ;
12  else
13    Conf [j] = TempConf ;
14  end
15 end
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**Algorithm 3:** find extra modules

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**Input:**  
**Output:**

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