## ECE 311 Lab 4

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```
function [ X ] = myFFT( x )
   N = length(x); \% get length
   if(N >= 2)
       if(mod(N,2)) % base case
           X = myDFT(x);
           Xe = myFFT(x(1:2:N-1));
           Xo = myFFT(x(2:2:N));
           X = [Xe, Xe] + exp(-1i*2*pi*(0:N-1)/N).*[Xo,Xo];
       end
   else
       X = myDFT(x);
13
   end
15 end
  function [ K ] = myDFT( n )
      K = \overset{\cdot}{zeros}(1, \overset{\cdot}{size}(n, 2)); % default K to size of n initialized to
17
       for f = 0:(size(n,2) -1) \% k loop)
           for j = 0:(size(n,2)-1) \% n loop
19
               K(f+1) = K(f+1) + (n(j+1) * exp((-1i*2*pi*f*j)/size(
      n, 2)));
           end
21
       end
23 end
```

myFFT.m

Above is the recursive Fast Fourier Transform that runs in O(nlog(n)) rather than the original DFT which ran in  $O(n^2)$