

and b and the cycle size reduces by 2, then it would mean that a and b form a cycle amongst themselves! This can only happen when there are 2 elements left.)

- The number of swaps required to put a cycle of size M back in place is M-1

Here is the code for finding the number of swaps required to put a permutation back in place (*number of inversions*) through *cycle decomposition*.

```
1 int no_of_swaps = 0;
2 vector <int> visited(n + 1, false);
3 for(int i = 1; i <= n; i++)</pre>
5
       if(!visited[i])
6
7
           int cycle_size = 0;
8
           for(int current = i; !visited[current]; current = permutation[cu
9
10
                visited[current] = true;
11
                cycle_size++;
           }
12
13
14
           no_of_swaps += cycle_size - 1;
       }
15
16 }
```

To summarise -

- Find the parity of the permutation.
- Match parity of permutations with parity of swaps.

Here is my code.

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