

Simulation # 4

## **Effect of R on Q factor**



**Electrical and Electronic circuit simulation  
laboratory (EE2701)**  
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## Aim of the Expt.:

1. Determine the effect of value of 'R' on the selectivity/Q-factor of the circuit

## Theory:

### Quality Factor:

The **quality factor or Q factor** is a dimensionless parameter that describes how under-damped an oscillator or resonator is, as well as characterizes a resonator's bandwidth relative to its centre frequency. Higher  $Q$  indicates a lower rate of energy loss relative to the stored energy of the resonator; the oscillations die out more slowly. For a series RLC circuit it can be given as

$$Q = \frac{1}{R} \sqrt{\frac{L}{C}}$$

*Table 1 Defining the nature of the system based on the value of Q-factor*

Value of Quality factor	Condition	Nature of circuit
low	$Q < 0.5$	Over-damped
High	$Q > 0.5$	Under-damped
Intermediate	$Q = 0.5$	Critically

Sinusoidally driven resonators having higher  $Q$  factors resonate with greater amplitudes (at the resonant frequency) but have a smaller range of frequencies around that frequency for which they resonate; the range of frequencies for which the oscillator resonates is called the **bandwidth**.

Thus, a high- $Q$  tuned circuit in a radio receiver would be more difficult to tune, but would have more **selectivity**; it would do a better job of filtering out signals from other stations that lie nearby on the spectrum. High- $Q$  oscillators oscillate with a smaller range of frequencies and are more stable.  $Q$  can alternatively be defined as the ratio of the energy stored in the oscillating resonator to the energy dissipated per cycle by damping processes.

## Comparison of series and parallel resonance circuit:

item	series circuit (R-L-C)	parallel circuit (R-L and C)
Impedance at resonance	Minimum	Maximum
Current at resonance	Maximum = $V/R$	Minimum = $V/(L/CR)$
Effective impedance	$R$	$L/CR$
Power factor at resonance	Unity	Unity
Resonant frequency	$1/2\pi\sqrt{LC}$	$\frac{1}{2\pi}\sqrt{\left(\frac{1}{LC} - \frac{R^2}{L^2}\right)}$
It magnifies	Voltage	Current
Magnification is	$\omega L/R$	$\omega L/R$

Figure 1 Comparison of series and parallel resonance circuit

## Simulation:

1. Simulate circuit 'A' to find the how the circuit behaves for various values of Q by changing the values of R.
2. Method called as parametric sweep is used to simulate such cases, the procedure is as follows:
3. Go to Simulate -> Analyses -> Parametric Sweep
4. Adjust the parameters for parameter sweep as shown in Figure 2, Figure 3, and Figure 4.

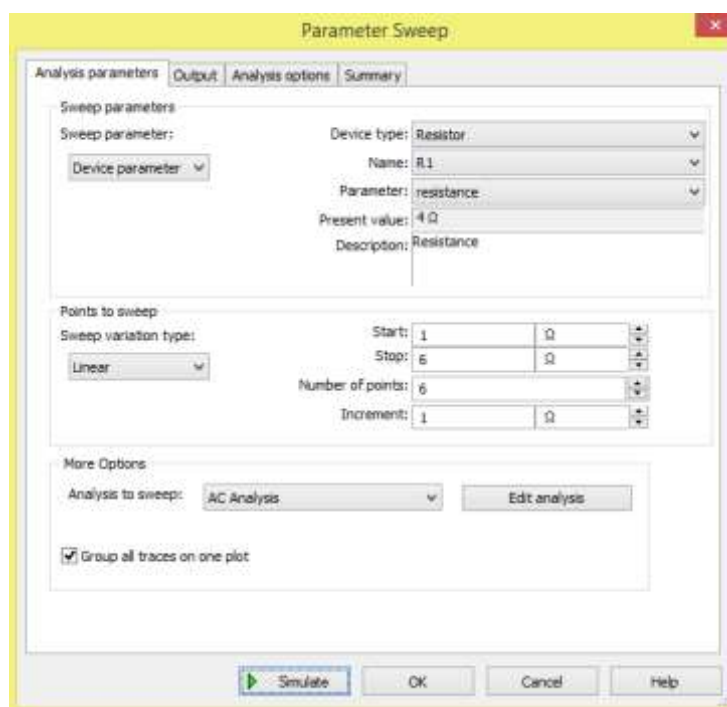


Figure 2 Parameter Sweep for Part II

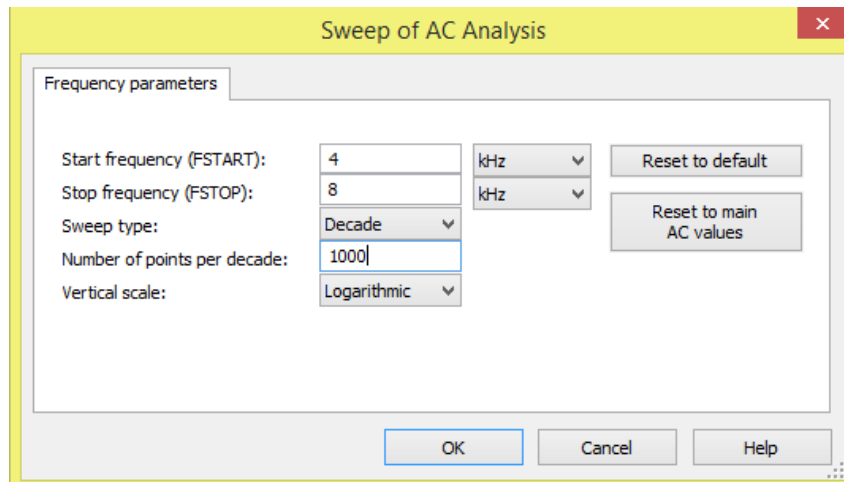


Figure 3 AC analysis for parameter sweep of part II

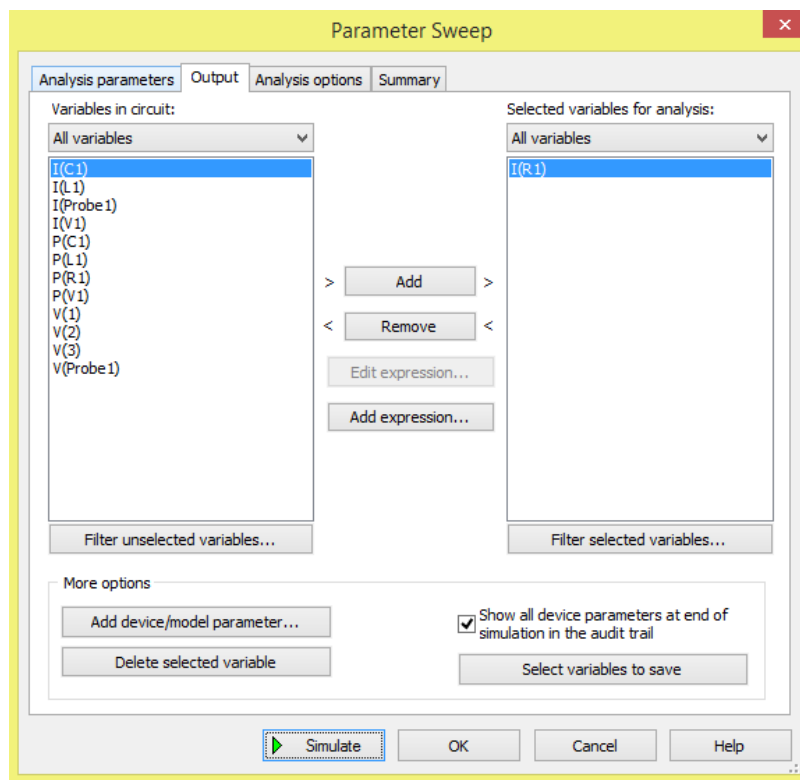


Figure 4 Probable output values for the graph of part II

5. Plot the graph, sample is shown by Figure 5.
6. Repeat the exercise for circuit B.

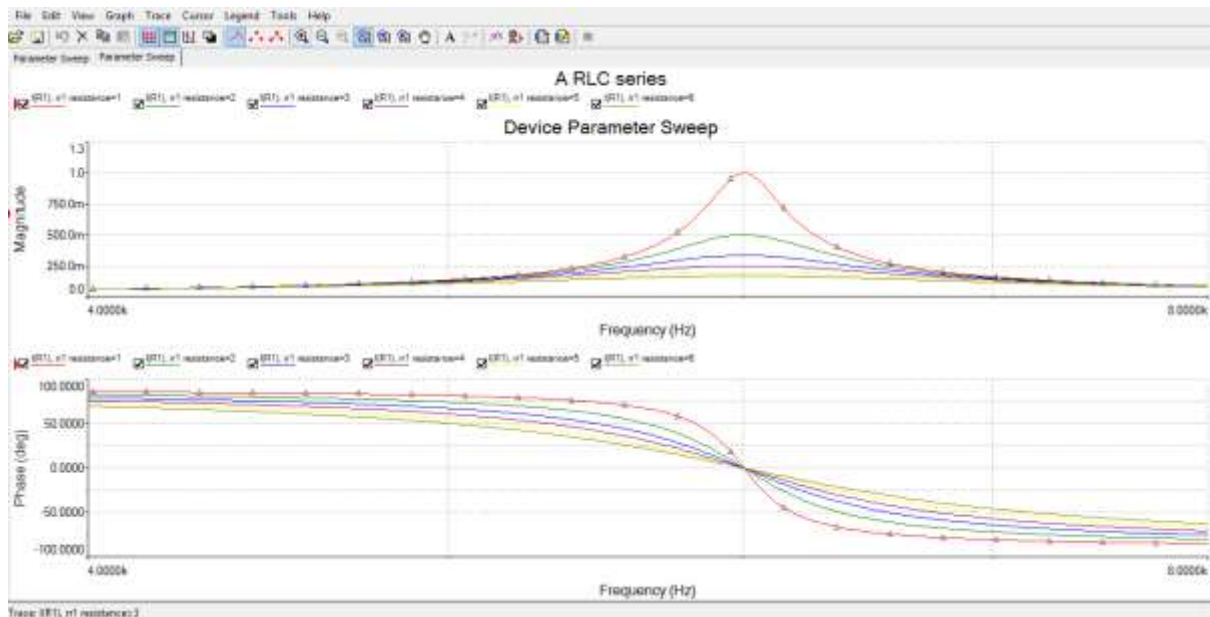


Figure 5 Parameter sweep analysis for part for a series RLC circuit

## Questions:

1. What is the impact of R on the Bandwidth, quality factor and selectivity?
2. Is it possible to use an RLC circuit as a filter? Illustrate with reason.