

# Homework2 Coordinate Conversion

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- Coordinate conversion: find a point A on SJTU campus, marked on the Baidu/Google Map to obtain the geodetic coordinate(l,l,h), and convert it to ECEF, and ECI (optional).
- Given a point B (121.455899°, 31.036321°, 100m), calculate the ENU of point B relative to your own Point A. Plot the skymap marked with elevation and azimuth.

## LLA to ECEF

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given latitude  $\phi$ , longitude  $\lambda$ , height  $h$ ;

$$\begin{aligned}X &= (N(\phi) + h) \cos \phi \cos \lambda \\Y &= (N(\phi) + h) \cos \phi \sin \lambda \\Z &= ((1 - e^2)N(\phi) + h) \sin \phi\end{aligned}$$

where

$$N(\phi) = \frac{a}{\sqrt{1 - e^2 \sin^2 \phi}}$$

set  $A(31.036, 121.455, 0)$ , the coordinate in `ECEF` is  
 $(-2.8437 * 10^6, 4.66613 * 10^6, 3.26931 * 10^6)$

## ENU

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- get the `ECEF` position of point A
- get the `ECEF` position of point B
- using transferring matrix

the vector in `ENU` coordinate from `r` to `p` is:

$$\begin{bmatrix} x \\ y \\ z \end{bmatrix} = \begin{bmatrix} -\sin \lambda_r & \cos \lambda_r & 0 \\ -\sin \phi_r \cos \lambda_r & -\sin \phi_r \sin \lambda_r & \cos \phi_r \\ \cos \phi_r \cos \lambda_r & \cos \phi_r \sin \lambda_r & \sin \phi_r \end{bmatrix} \begin{bmatrix} X_p - X_r \\ Y_p - Y_r \\ Z_p - Z_r \end{bmatrix}$$

so the vector  $r \rightarrow p$  will be the vector in sky map.

