

# CC Lecture 19

Prepared for: 7th Sem, CE, DDU

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# Semantic Analysis

# What is Semantic Analysis?

- Source program → Lexical Analyzer → Token stream → Syntax Analyzer → Syntax tree → Semantic Analyzer → Annotated syntax tree → Intermediate Code Generator
- Semantic consistency that cannot be handled at the parsing stage is handled in this phase.
- Parsers cannot handle context-sensitive features of the programming languages.

# Static vs. Dynamic Semantics

- There are some **static semantics** of the programming languages that are checked by the semantic analyzer:
  - If variables are declared before use.
  - If types match on both sides of the assignment.
  - If parameter types and number match in the declaration and use.
- Compilers can generate the code to check **dynamic semantics** of the programming languages only at runtime:
  - Whether an overflow will occur during an arithmetic operation
  - Whether the array limits will be crossed during the execution
  - Whether recursion will cross the stack limits
  - Whether the heap memory will be insufficient

# Static Semantics

```
int dot_prod(int x[], int y[]){
    int d, i; d = 0;
    for (i=0; i<10; i++)
        d += x[i] * y[i];
    return d;
}
main(){
    int p;
    int a[10], b[10];
    p = dot_prod(a,b);
}
```

- Samples of static semantic checks in **main**
  - Types of p and return type of dot\_prod match
  - Number and type of the parameters of dot\_prod are the same in both its declaration and use
  - p is declared before use, same for a and b

# Static Semantics

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int dot_prod(int x[], int y[]){
    int d, i; d = 0;
    for (i=0; i<10; i++)
        d += x[i] * y[i];
    return d;
}

main(){
    int p;
    int a[10], b[10];
    p = dot_prod(a,b);
}
```

- Samples of static semantic checks in **dot\_prod**
  - d and i are declared before use
  - Type of d matches the return type of dot\_prod
  - Type of d matches the result type of “\*”
  - Elements of arrays x and y are compatible with “+”

# Static Semantics: Errors given by gcc Compiler?

```
1. #include<stdio.h>
2. int dot_product(int a[], int b[])
   {return 1;}
3. int main(){
4.     int a[10]={1,2,3,4,5,6,7,8,9,10};
5.     int b[10]={1,2,3,4,5,6,7,8,9,10};
6.     printf("%d", dot_product(b));
7.     printf("%d", dot_product(a,b,a));
8.     int p[10];
9.     p=dot_product(a,b);
10.    printf("%d",p);
11. }
```

# Static Semantics: Errors given by gcc Compiler

```
1. #include<stdio.h>
2. int dot_product(int a[], int b[])
   {return 1;}
3. int main(){
4.     int a[10]={1,2,3,4,5,6,7,8,9,10};
5.     int b[10]={1,2,3,4,5,6,7,8,9,10};
6.     printf("%d", dot_product(b));
7.     printf("%d", dot_product(a,b,a));
8.     int p[10];
9.     p=dot_product(a,b);
10.    printf("%d",p);
11. }
```

6: error: too few arguments to function 'dot\_product'

7: error: too many arguments to function 'dot\_product'

9: error: assignment to expression with array type



# Dynamic Semantics

```
int dot_prod(int x[], int y[]){
    int d, i; d = 0;
    for (i=0; i<10; i++)
        d += x[i]*y[i];
    return d;
}
main(){
    int p;
    int a[10], b[10];
    p = dot_prod(a,b);
}
```

- Samples of dynamic semantic checks in **dot\_prod**
  - Value of i does not exceed the declared range of arrays x and y (both lower and upper)
  - There are no overflows during the operations of “\*” and “+” in  $d += x[i] * y[i]$

# Dynamic Semantics

```
int fact(int n){
    if (n==0)
        return 1;
    else
        return (n*fact(n-1));
}
main(){
    int p;
    p = fact(10);
}
```

- Samples of dynamic semantic checks in **fact**
  - Program stack does not overflow due to recursion
  - There is no overflow due to “\*” in  $n * \text{fact}(n-1)$

# Semantic Analysis

- **Type information** is stored in the symbol table or the syntax tree.
  - Types of variables, function parameters, array dimensions, etc.
  - Used not only for semantic validation but also for the subsequent phases of compilation.
- If the declarations need not appear before the use, then the semantic analysis needs more than **one pass**.
- Static semantics of PL can be specified using **attribute grammars**.
- Semantic analyzers can be generated **semi-automatically** from attribute grammars.
- Attribute grammars are **extensions** of context-free grammars.

# Attribute Grammars

- Let  $\mathbf{G} = (\mathbf{N}, \mathbf{T}, \mathbf{P}, \mathbf{S})$  be a context-free grammar (**CFG**) consisting of a finite set of grammar rules where
  - $\mathbf{N}$  is a set of non-terminal symbols.
  - $\mathbf{T}$  is a set of terminals where  $\mathbf{N} \cap \mathbf{T} = \mathbf{NULL}$ .
  - $\mathbf{P}$  is a set of rules,  $\mathbf{P}: \mathbf{N} \rightarrow (\mathbf{N} \cup \mathbf{T})^*$
  - $\mathbf{S}$  is the start symbol.
- and let  $\mathbf{V} = \mathbf{N} \cup \mathbf{T}$ .
- Every symbol  $\mathbf{X}$  of  $\mathbf{V}$  has associated with it, a set of attributes (denoted by  $\mathbf{X}:\mathbf{a}$ ;  $\mathbf{X}:\mathbf{b}$ , etc.)
- Hence, the name is **attribute grammar**.

# Attribute Types

- **Inherited attributes**
  - denoted by **AI(X)**
- **Synthesized attributes**
  - denoted by **AS(X)**
- An attribute cannot be both synthesized and inherited, but a symbol can have both types of attributes.
- Attributes of symbols are evaluated over a parse tree by making passes over the parse tree.

# Attribute Grammar

- Each attribute takes the values from a specified domain (finite or infinite) [domain is its type]
  - Typical domains of attributes are, integers, reals, characters, strings, booleans, structures, etc.
  - New domains can be constructed from the given domains by mathematical operations like cross product, map, etc.
- **Example: array**
  - a map,  $N \rightarrow D$ , where,  $N$  and  $D$  are domains of natural numbers and the given objects, respectively
- **Example :structure**
  - a cross-product,  $A1 \times A2 \times \dots \times A_n$ , where  $n$  is the number of fields in the structure, and  $A_i$  is the domain of the  $i$ th field

# Attribute Computation Rules

- A production  $p \in P$  has a set of attribute computation rules.
- Rules are provided for the computation of
  - Synthesized attributes of the LHS non-terminal of  $p$
  - Inherited attributes of the RHS non-terminals of  $p$
- These rules can use attributes of symbols from the production  $p$  only.
- Rules are strictly local to the production  $p$ .
- Restrictions on the rules define different types of attribute grammars:
  - L-attribute grammars, S-attribute grammars, ordered attribute grammars, absolutely non-circular attribute grammars, circular attribute grammars, etc.

# Synthesized and Inherited Attributes

- **Synthesized attributes** are computed in a bottom-up fashion from the leaves upwards
  - Always synthesized from the attribute values of the children of the node
  - Leaf nodes (terminals) have synthesized attributes initialized by the lexical analyzer and cannot be modified
  - An AG with only synthesized attributes is an **S-attributed grammar (SAG)**
  - YACC permits only SAGs
- **Inherited attributes** flow down from the parent or siblings to the node under consideration.



# Attribute Grammar - Example 1

- The following CFG(context free grammar)

**$S \rightarrow ABC, A \rightarrow aA|a, B \rightarrow bB|b, C \rightarrow cC|c$**

generates:  **$L(G) = \{a^m b^n c^p \mid m, n, p \geq 1\}$**

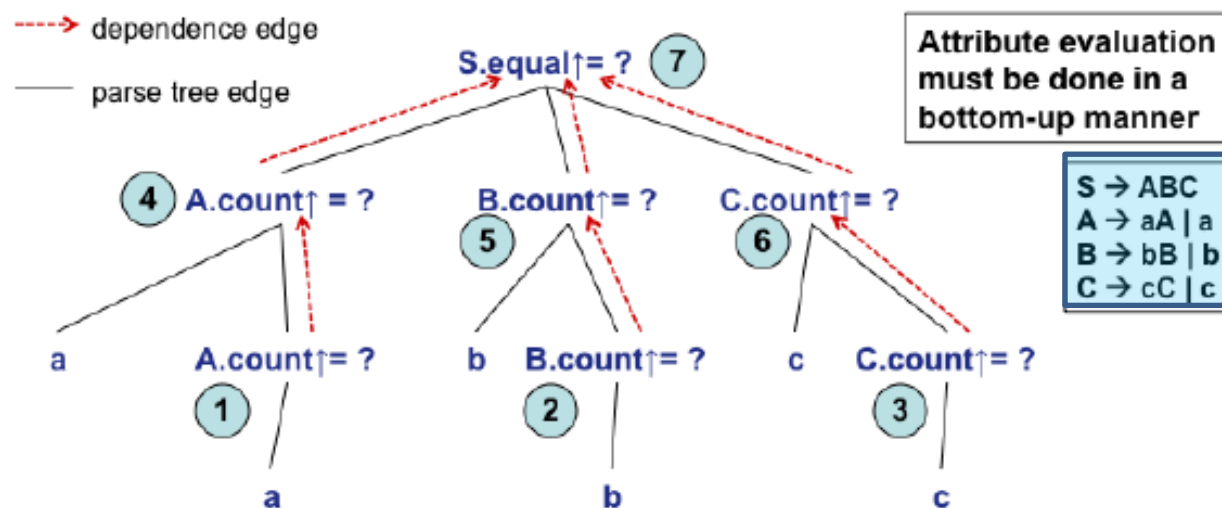
- We define an AG (attribute grammar) based on this CFG to generate  **$L = \{a^n b^n c^n \mid n \geq 1\}$**
- All the non-terminals will have only synthesized attributes

**$AS(S) = \{\text{equal} \uparrow: \{T, F\}\}$**

**$AS(A) = AS(B) = AS(C) = \{\text{count} \uparrow: \text{integer}\}$**

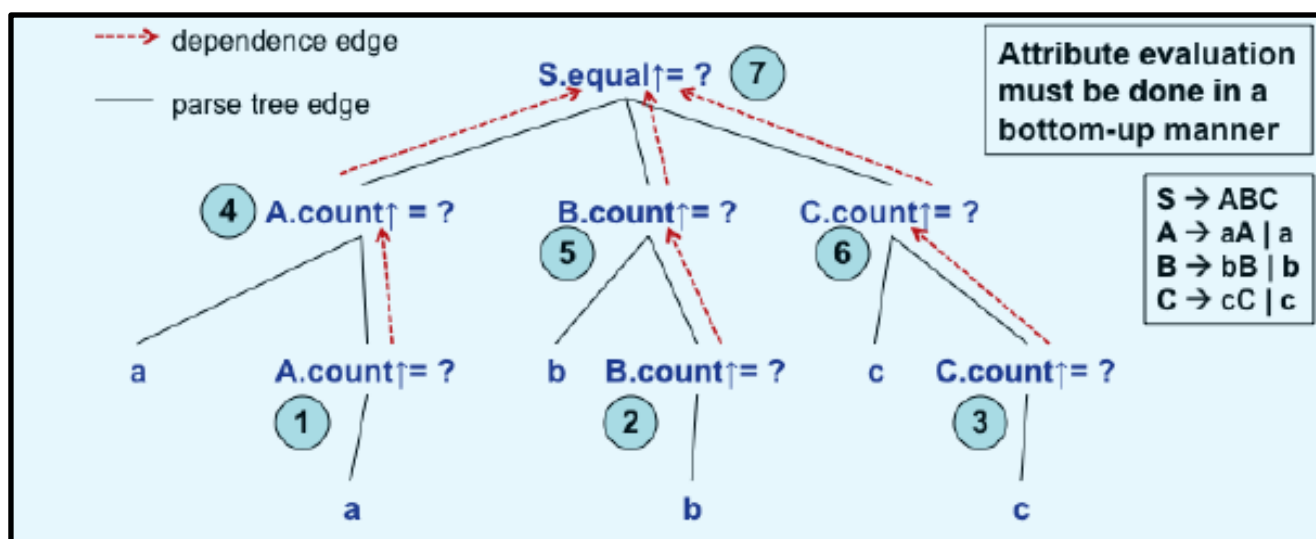
- Up arrow means synthesized attribute
- Down arrow means inherited attribute

# Attribute Grammar - Example 1



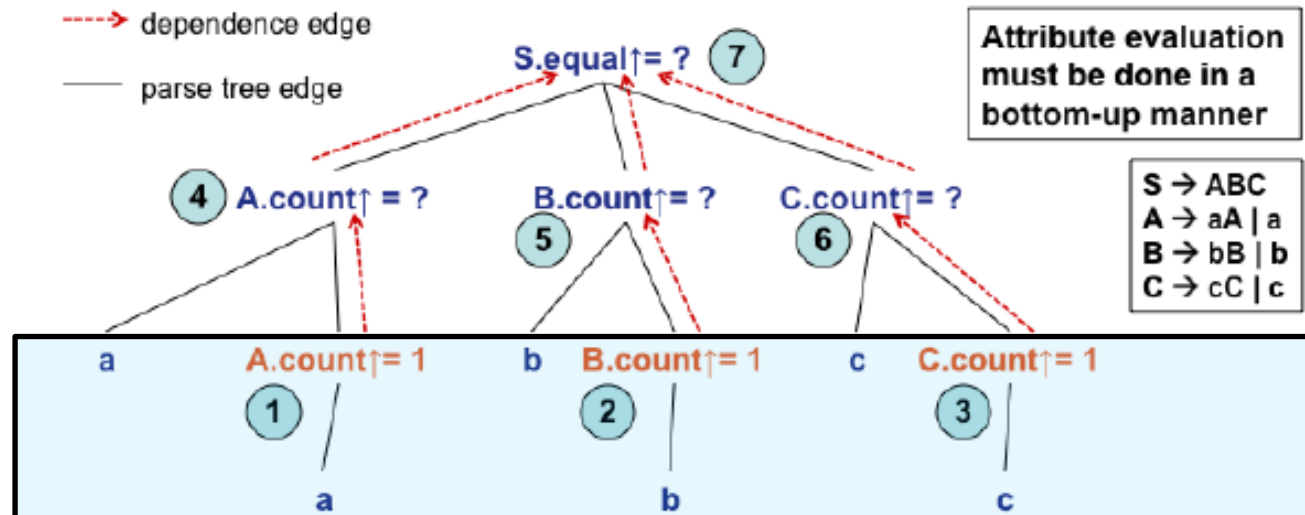
- ①  $S \rightarrow ABC \{ S.equal \uparrow := \text{if } A.count \uparrow = B.count \uparrow \ \& \ B.count \uparrow = C.count \uparrow \ \text{then } T \ \text{else } F \}$
- ②  $A_1 \rightarrow aA_2 \{ A_1.count \uparrow := A_2.count \uparrow + 1 \}$
- ③  $A \rightarrow a \{ A.count \uparrow := 1 \}$
- ④  $B_1 \rightarrow bB_2 \{ B_1.count \uparrow := B_2.count \uparrow + 1 \}$
- ⑤  $B \rightarrow b \{ B.count \uparrow := 1 \}$
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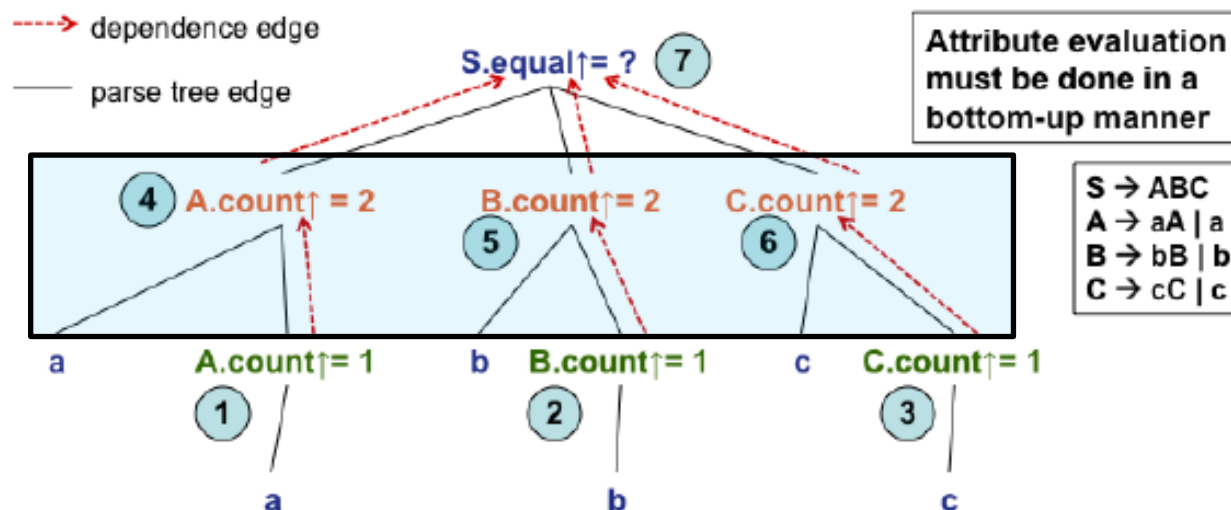
- ①  $S \rightarrow ABC$  {  $S.equal \uparrow :=$  if  $A.count \uparrow = B.count \uparrow$  &  $B.count \uparrow = C.count \uparrow$  then  $T$  else  $F$  }
- ②  $A_1 \rightarrow aA_2$  {  $A_1.count \uparrow := A_2.count \uparrow + 1$  }
- ③  $A \rightarrow a$  {  $A.count \uparrow := 1$  }
- ④  $B_1 \rightarrow bB_2$  {  $B_1.count \uparrow := B_2.count \uparrow + 1$  }
- ⑤  $B \rightarrow b$  {  $B.count \uparrow := 1$  }
- ⑥  $C_1 \rightarrow cC_2$  {  $C_1.count \uparrow := C_2.count \uparrow + 1$  }
- ⑦  $C \rightarrow c$  {  $C.count \uparrow := 1$  }

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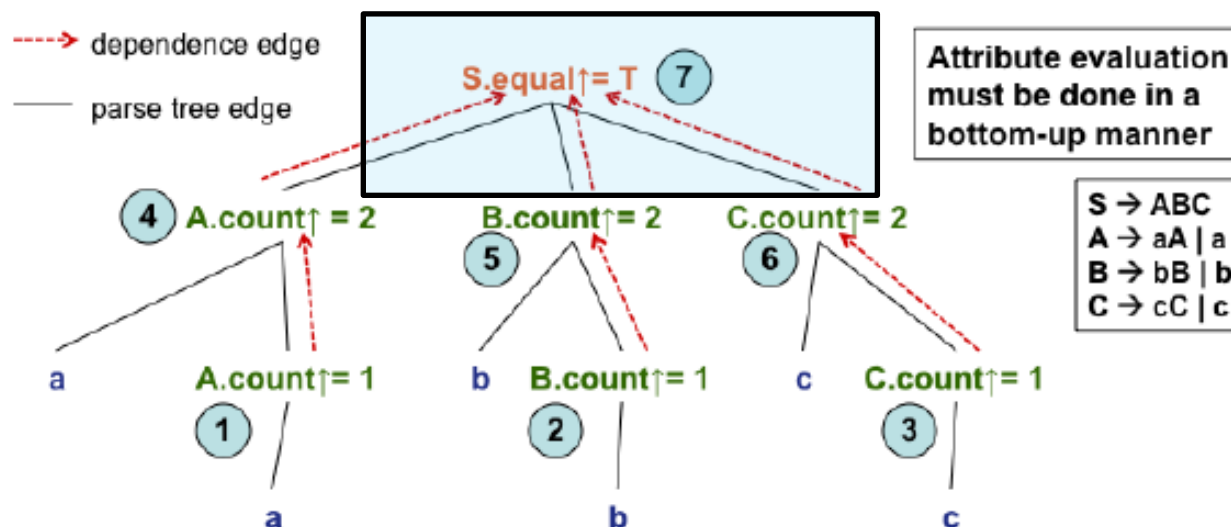
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