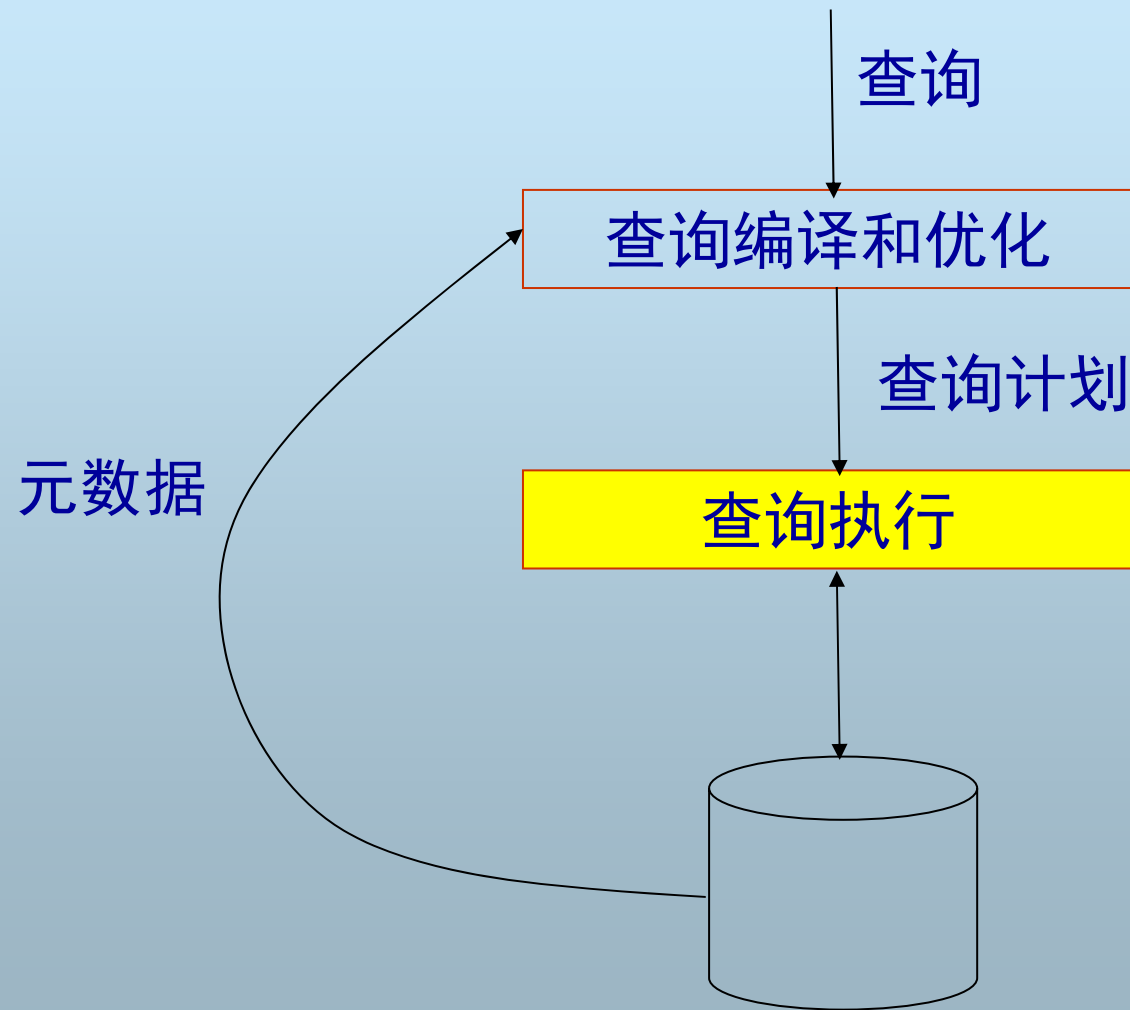


Query Execution



Chp.15 in textbook

查询处理概述



主要内容

- 物理查询计划操作符
- 连接操作的实现算法 大多数的优化是针对连接操作的
 - 嵌套循环连接
 - 归并连接
 - 索引连接
 - 散列连接
- 连接算法的I/O代价估计

一、物理查询计划操作符

■ 逻辑操作符的物理操作符

- 逻辑操作符的特定实现

■ 其它物理操作符

- 表扫描: TableScan
- 排序扫描: SortScan
- 索引扫描: IndexScan

一、物理查询计划操作符

■ 物理操作符的执行算法

- 一趟算法
 - 两趟算法
 - 多趟算法
- 按数据的读取方式
- 基于排序的算法
 - 基于散列的算法
 - 基于索引的算法
- 按所基于的底层算法

二、连接操作 (Join) 的实现算法

■ $R1(A,C) \bowtie R2(C,D)$

- 嵌套循环连接
(Nested loops join or Iteration join)
- 归并连接 (Merge join)
- 索引连接 (Join with index)
- 散列连接 (Hash join)

1、嵌套循环连接

For each $r \in R1$ Do

For each $s \in R2$ do

If $r.C = s.C$ Then output r, s pair

R1

Matching?

R2

2、归并连接

(1) if R1 and R2 not sorted, sort them

(2) $i \leftarrow 1; j \leftarrow 1;$

While $(i \leq T(R1)) \wedge (j \leq T(R2))$ do {

 if $R1[i].C = R2[j].C$ then OutputTuples

 else if $R1[i].C > R2[j].C$ then $j \leftarrow j+1$

 else if $R1[i].C < R2[j].C$ then $i \leftarrow i+1$

}

2、归并连接

Procedure OutputTuples

```
While (R1[ i ].C = R2[ j ].C)  $\wedge$  (i  $\leq$  T(R1)) do {  
    jj  $\leftarrow$  j;  
    while (R1[ i ].C = R2[ jj ].C)  $\wedge$  (jj  $\leq$  T(R2)) do {  
        output pair R1[ i ], R2[ jj ];  
        jj  $\leftarrow$  jj+1;  
    }  
    i  $\leftarrow$  i+1;  
}
```

2、归并连接

Example

i	R1[i].C	R2[j].C	j
1	10	5	1
2	20	20	2
3	20	20	3
4	30	30	4
5	40	30	5
		50	6
		52	7

3、索引连接

```
For each  $r \in R1$  do {  
     $X \leftarrow \text{index}(R2, C, r.C)$   
    For each  $s \in X$  do  
        Output  $r,s$  pair  
}
```

Assume $R2.C$ index

$$T(R) / V(R, C) + k$$

Note: $X \leftarrow \text{index}(\text{rel}, \text{attr}, \text{value})$
then X = set of rel tuples with attr = value

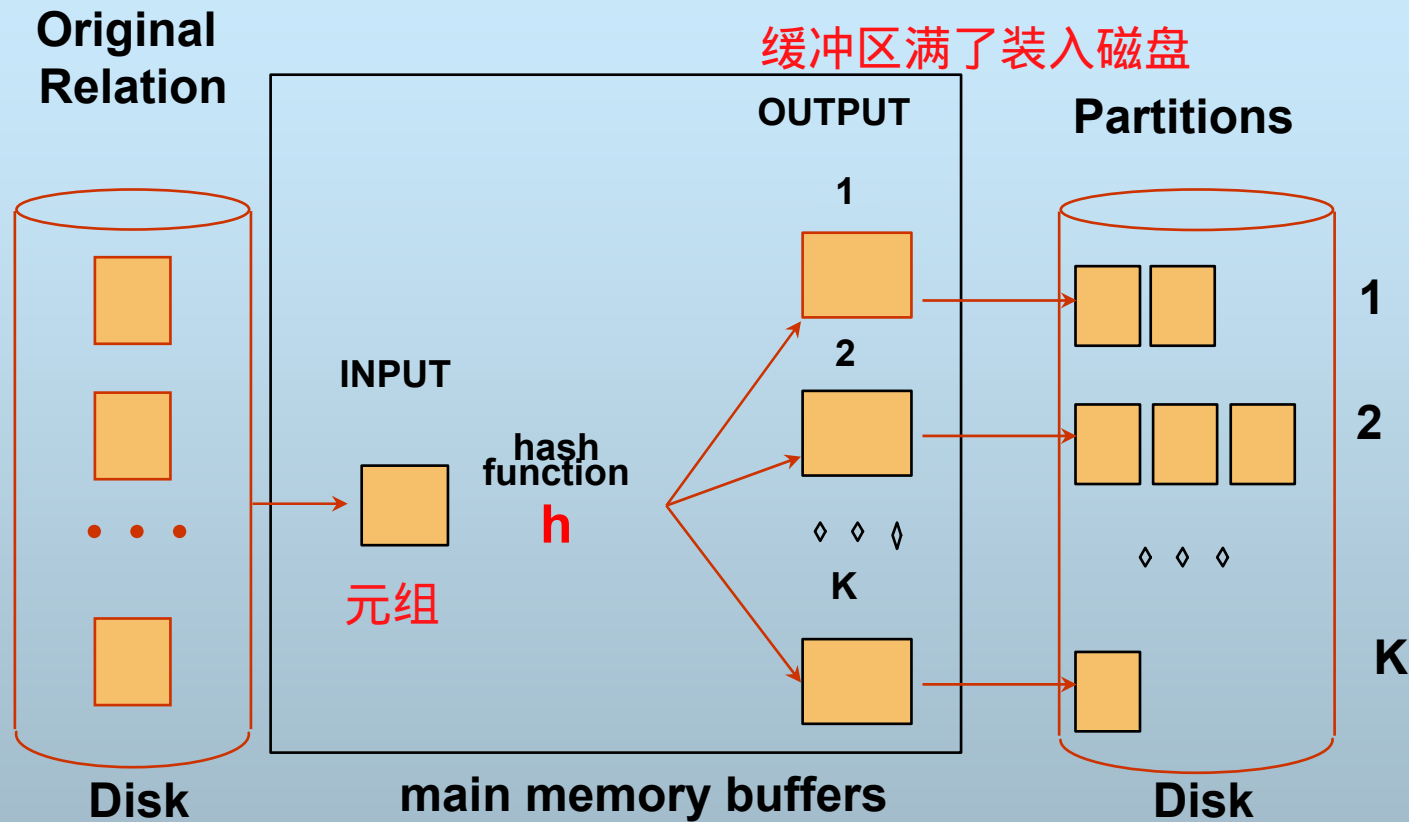
4、散列连接

- C上的散列函数 h , range $0 \rightarrow k$
- Buckets for R1: G_0, G_1, \dots, G_k
- Buckets for R2: H_0, H_1, \dots, H_k

Algorithm

- (1) Hash R1 tuples into G buckets
- (2) Hash R2 tuples into H buckets
- (3) For $i = 0$ to k do
 match tuples in G_i, H_i buckets

4、散列连接



4、散列连接

Simple example

hash: even/odd

R1	R2
2	5
4	4
3	12
5	3
8	13
9	8
	11
	14

	Buckets	
Even	2 4 8 R1	4 12 8 14 R2
Odd:	3 5 9	5 3 13 11

$T(R) / k$

三、连接算法的代价分析

- 影响连接算法代价(I/O)的因素
 - 关系的元组是否在磁盘块中连续存放? (contiguous?)
 - 关系是否按连接属性有序? (ordered?)
 - 连接属性上是否存在索引? (indexed?)

1、嵌套循环连接代价分析

- **Case1: not contiguous**
- **Case2: contiguous**

1、嵌套循环连接代价分析

Example 1: not contiguous

设 $T(R1) = 10,000$ $T(R2) = 5,000$

$S(R1) = S(R2) = 1/10$ block --元组大小

MEM=101 blocks

元组在块中不连续，每读取1个元组需要读取1个块，1次IO

Cost: For each R1 tuple:

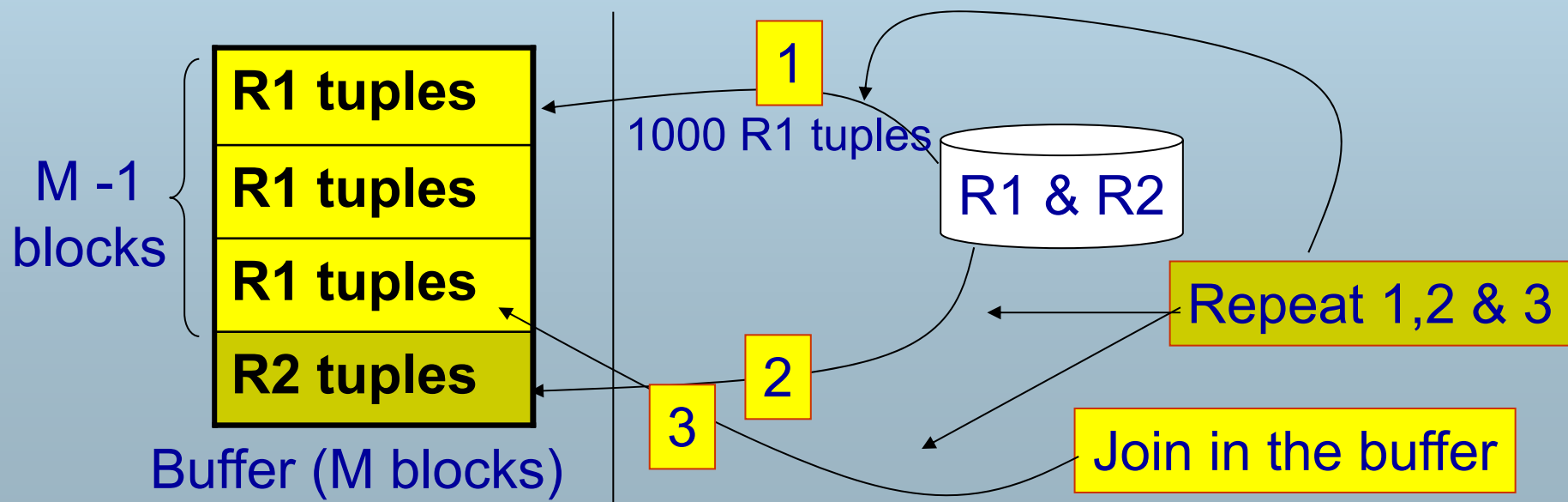
[Read tuple + Read R2]

Total = $10,000 [1 + 5000] = 50,010,000$ IOs

1、嵌套循环连接代价分析

改进的执行策略

- (1) Read 100 blocks of R1 1个buffer块可装10个元组，100个buffer块可装1000个元组，需要1000次IO
- (2) Read all of R2 (using 1 block) + join
- (3) Repeat until done



1、嵌套循环连接代价分析

改进的执行策略

Cost: For each loop:

Read R1: 1000 IOs (1000 tuples)

Read R2: 5000 IOs (5000 tuples)

Total: 6000 IOs

$$\text{Total} = \frac{10,000}{1,000} \times 6000 = 60,000 \text{ IOs}$$

Better than previous one!

1、嵌套循环连接代价分析

■ Can we further improve it?

Reverse Join order! Since $R1 \bowtie R2 \Leftrightarrow R2 \bowtie R1$

- (1) Read 100 blocks of R2
- (2) Read all of R1 (using 1 block) + join
- (3) Repeat until done

$$\begin{aligned}\text{Total} &= \frac{5000}{1000} \times (1000 + 10,000) \\ &= 5 \times 11,000 = 55,000 \text{ IOs}\end{aligned}$$

much better!

1、嵌套循环连接代价分析

Example 2: **contiguous**

R2 \bowtie R1

Cost

For each loop:

Read R2: 100 IOs

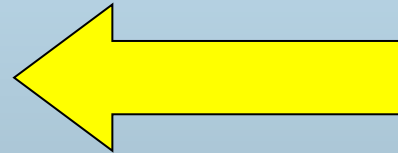
Read R1: 1000 IOs

1,100

Total= 5 loops x 1,100 = 5,500 IOs

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 - 索引连接代价分析
 - 散列连接代价分析



2、归并连接代价分析

- 沿用前面的例子

$$T(R1) = 10,000 \quad T(R2) = 5,000$$

$$S(R1) = S(R2) = 1/10 \text{ block} \quad \text{--元组大小}$$

$$\text{MEM} = 101 \text{ blocks}$$

2、归并连接代价分析

- **Still need to consider**

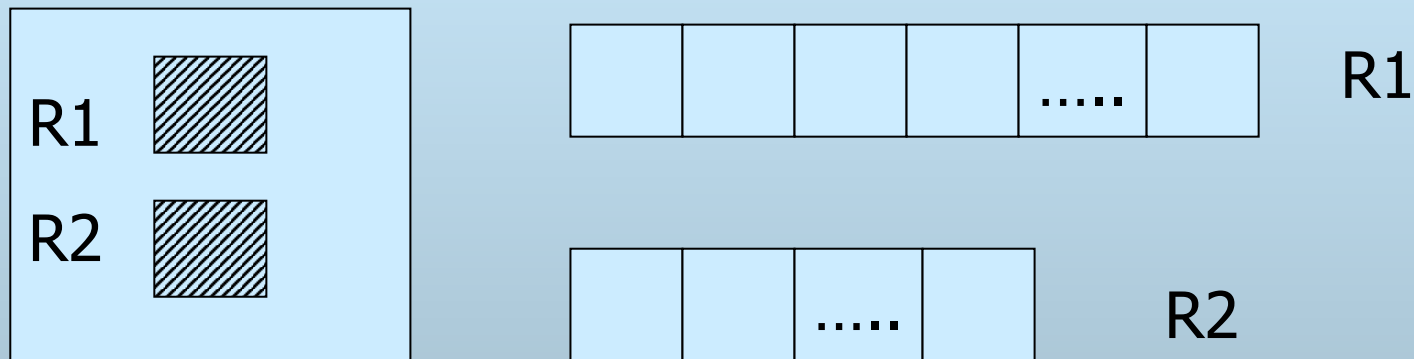
- **Contiguous?**

- **Ordered?**

2、归并连接代价分析

Example 3: contiguous and ordered

Memory



Total cost: Read R1 cost + read R2 cost
 $= 1000 + 500 = 1,500 \text{ IOs}$

2、归并连接代价分析

Example 4: **contiguous but not ordered**

- **Need to sort R1 and R2 first**

2、归并连接代价分析

Example 4: **contiguous but not ordered**

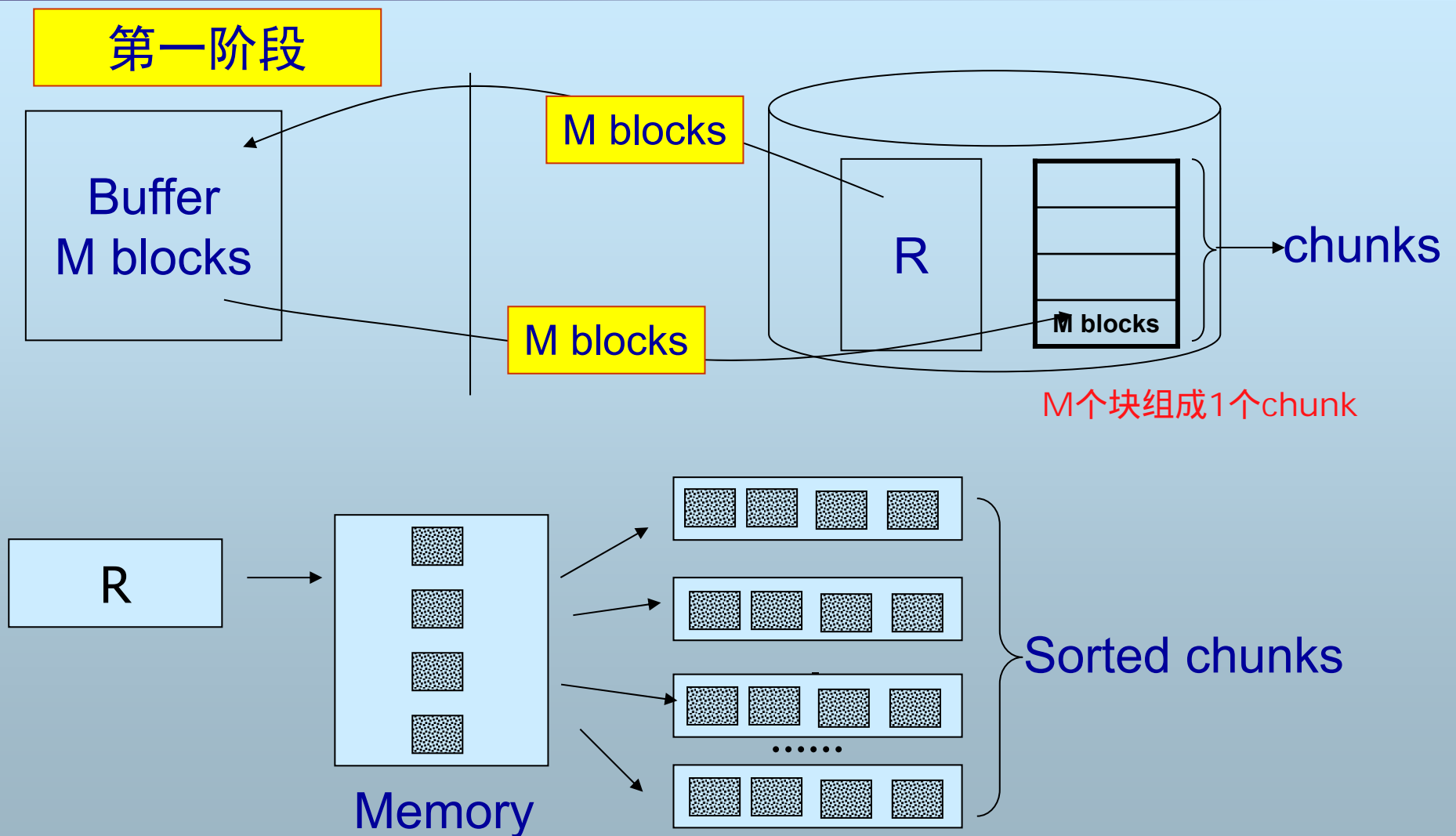
一种排序方法：两阶段多路归并排序

(i) For each 100 blocks of R:

- Read into memory
- Sort in memory
- Write to disk as a chunk

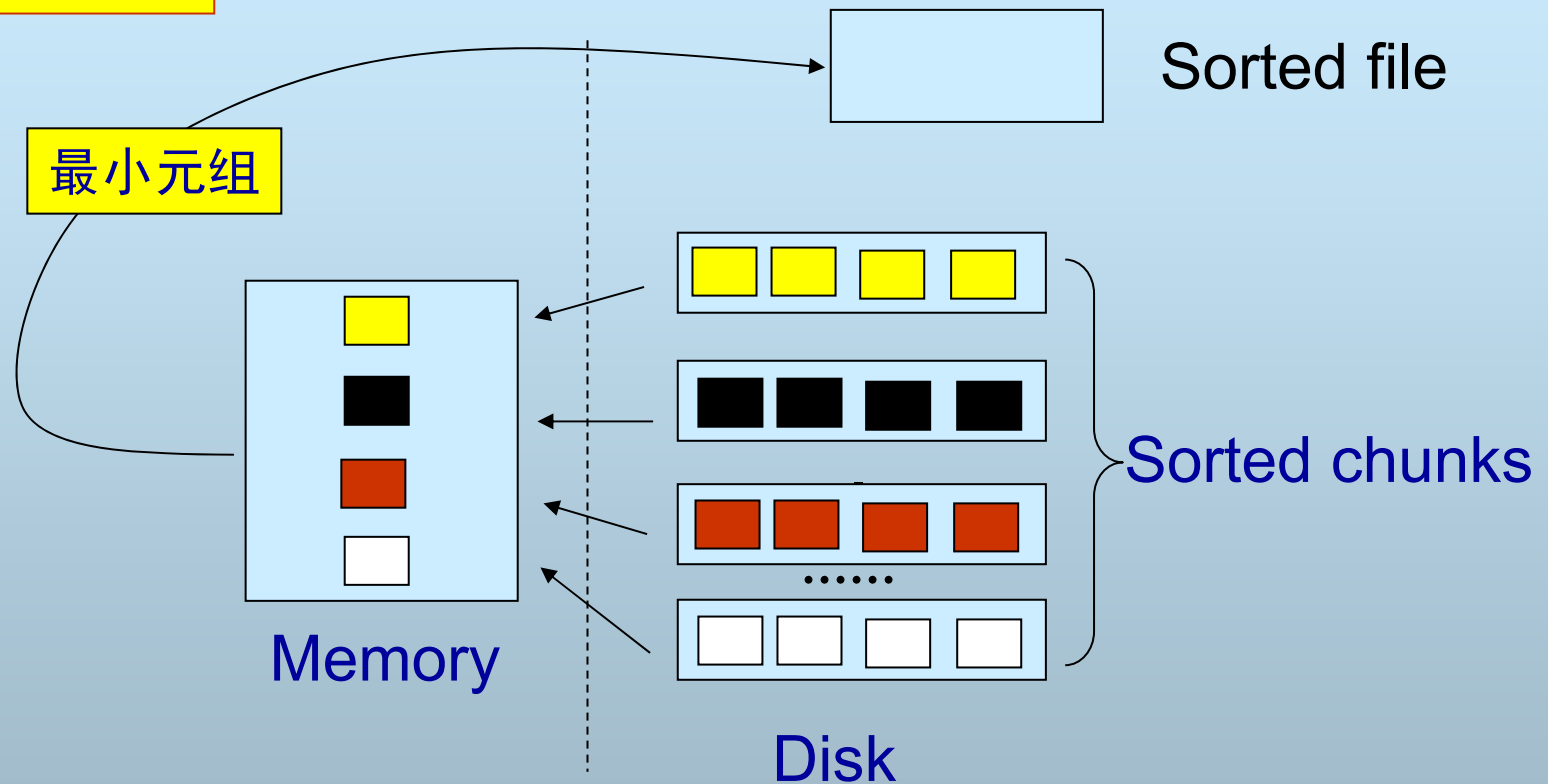
(ii) Read all chunks + merge + write out

2、归并连接代价分析



2、归并连接代价分析

第二阶段



从chunk中选第一个(最小块)载入buffer，再从buffer的块中归并连接

2、归并连接代价分析

Cost: Sort

Each tuple is read, written (first phase)
read, written (second phase)
So each tuple costs 4 IOs.

Sort cost R1: $4 \times 1,000 = 4,000$

Sort cost R2: $4 \times 500 = 2,000$

Total: 6,000 IOs

2、归并连接代价分析

Example 4: **contiguous but not ordered**

Cost: Merge join

Sort cost: 6,000

Join cost: 1,500

Total: 7,500 IOs = $5 * 1,500$ // 每个元组5次IO

But nested loop join only costs 5,500
So merge join does not pay off.

2、归并连接代价分析

Example 4: **contiguous but not ordered**

But if $R1 = 10,000$ blocks
 $R2 = 5,000$ blocks

Iterate: $\frac{5000}{100} \times (100 + 10,000) = 50 \times 10,100$
 $= 505,000$ IOs

Merge join: $5 \times (10,000 + 5,000) = 75,000$ IOs

Merge Join (with sort) WINS!

2、归并连接代价分析

Example 4: contiguous but not ordered

■ Cost : Nested loop join vs. Merge Join

● Nested loop join

$$Cost = \frac{B(R2)}{M-1} (M-1 + B(R1)) = B(R2) + \frac{B(R1)B(R2)}{M-1}$$

● Merge Join

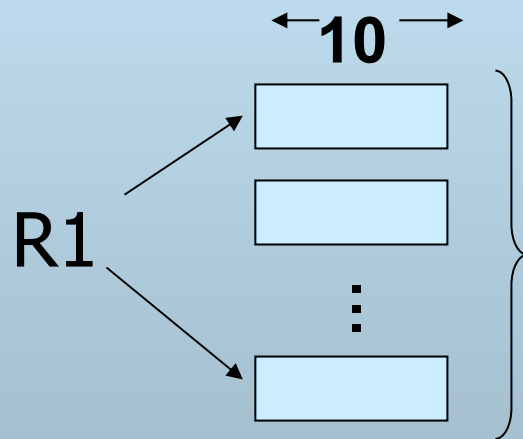
$$Cost = 5(B(R1) + B(R2))$$

嵌套循环连接是固有的二次算法，而归并连接是一次算法，当关系较小时，嵌套循环连接可能优于归并连接，但当关系较大时，归并连接更优。

2、归并连接代价分析

■ 两阶段多路归并排序对Memory的要求

E.g: $B(R1)=1000$ and $M=10$



100 chunks \Rightarrow to merge, need
100 memory blocks!

2、归并连接代价分析

■ 两阶段多路归并排序对Memory的要求

Say $M=k$, $B(R)=x$

chunks = (x/k) size of chunk = k

chunks 不能大于可用的Buffer block数

so... $(x/k) \leq k$

or $k^2 \geq x$ or $k \geq \sqrt{x}$

Buffer block数的平方必须大于等于排序关系R的块数 $B(R)$

2、归并连接代价分析

- 在前面的例子中

R1 is 1000 blocks, $k \geq 31.62$

R2 is 500 blocks, $k \geq 22.36$

- 至少需有32个Buffer blocks才能执行归并连接

2、归并连接代价分析

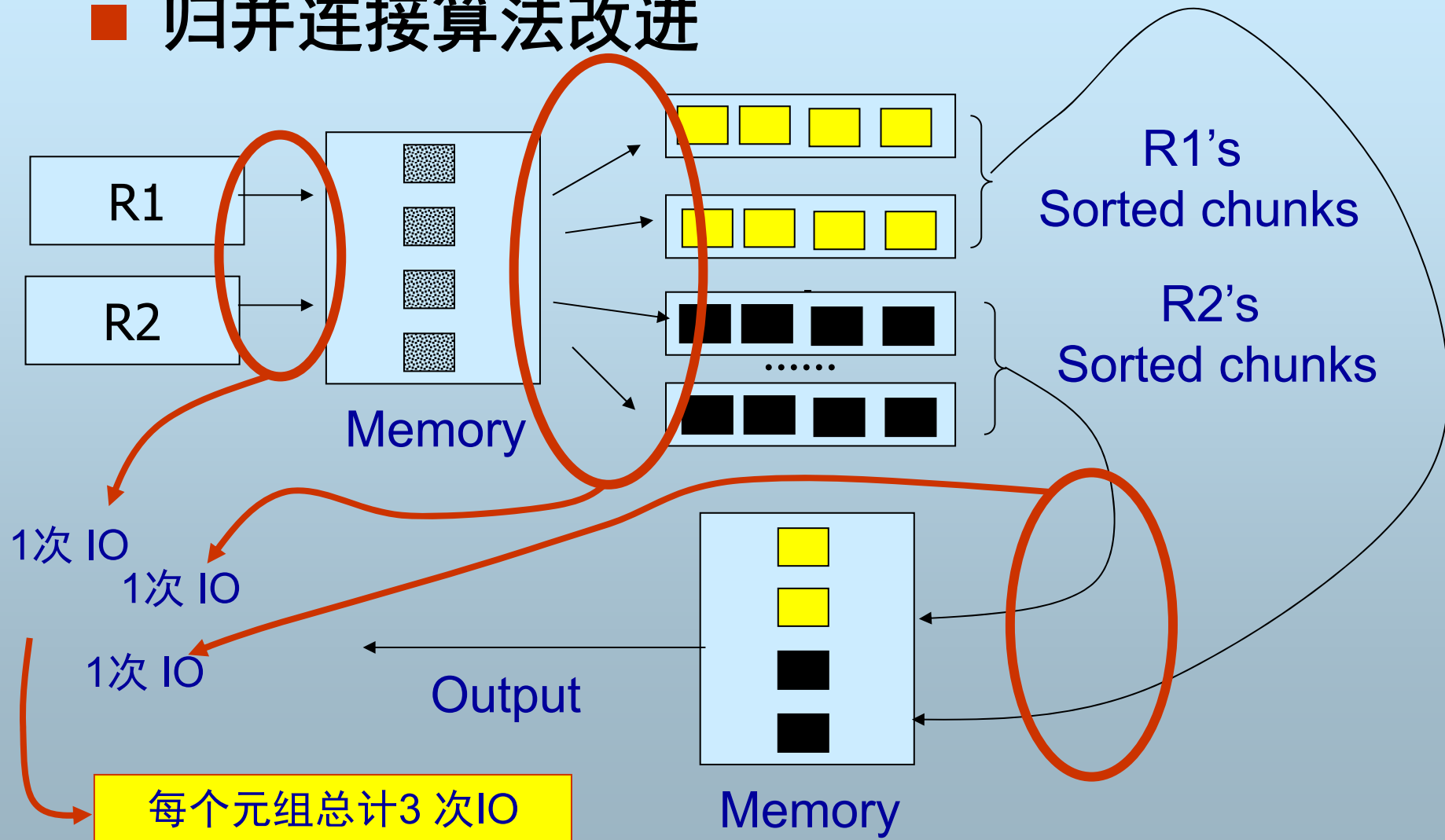
■ 归并连接算法改进 (for contiguous but not ordered)

● 将第二阶段的排序和 join 合并进行

- (1) Read R1 and R2 into sorted chunks (each has M blocks)
- (2) Read first blocks of both R1's chunks and R2's into buffer
- (3) Join in the memory

2、归并连接代价分析

■ 归并连接算法改进



2、归并连接代价分析

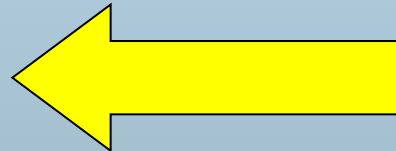
- 归并连接算法改进
- $\text{Cost} = 3 (B(R1) + B(R2))$
 $= 3 \times 1,500 = 4,500$

What are required?

- $R1's \text{ \#chunks} + R2's \text{ \#chunks} \leq M$

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 - 散列连接代价分析



3、索引连接算法代价分析

■ $R1(A,C) \bowtie R2(C,D)$

- Assume $R1.C$ index exists
- Assume $R1.C$ index fits in memory
- Assume $R2$ contiguous, unordered

有索引的作为内循环，无索引的作为外循环

3、索引连接算法代价分析

Algorithm

for each R2 tuple:

- probe index on R1.C (1)
- if match, read R1 tuple (2)

Cost

$T(R1)=10,000$, $T(R2) = 5,000$

(0) Read R2 tuples => 500 IOs

(1) Probe index => No IOs

(2) Read matching R1 tuples => ?

3、索引连接算法代价分析

Matching tuples 选中率 p 估计

1. 若 $R1.C$ 是主键, $R2.C$ 是外键, 则 每个 $R2$ tuple 在 $R1$ 中, 选中率 $p = 1$
2. 若 $V(R1, C) = 5,000$, $T(R1) = 10,000$, 则 每个 $R2$ tuple 在 $R1$ 中的选中率 $p = T(R1)/V(R1, C) = 2$

3、索引连接算法代价分析

Index join 总代价估计

$$\text{Cost} = B(R2) + T(R2) * p$$

1. $\text{Cost} = 500 + 5000 * 1 = 5,500$
2. $\text{Cost} = 500 + 5000 * 2 = 10,500$

3、索引连接算法代价分析

■ 如果R1.C上的Index不能全部放在内存?

- Suppose R1.C index is 200 blocks

(1)把第二级索引块(假设只有1块)和另外98块第一级索引块放在Memory中

(2)Cost to probe index

$$=(0 \text{ IOs}) * (98/200) + (1 \text{ IOs}) * (102/200)$$

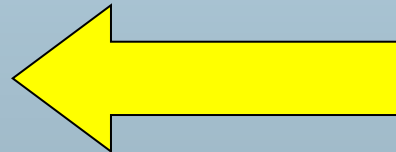
$$\approx 0.5 \text{ IOs}$$

3、索引连接算法代价分析

- 如果R1.C上的Index不能全部放在内存?
- $\text{Cost} = B(R2) + T(R2) * (\text{Probe index cost} + \text{read tuples})$
 1. $\text{Cost} = 500 + 5000 * (0.5 + 1) = 8,000$
 2. $\text{Cost} = 500 + 5000 * (0.5 + 2) = 13,000$

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 - 散列连接代价分析



4、散列连接算法代价分析

- Say R1, R2 contiguous but not ordered
- Say 100 hash buckets

(1) Read R1, Hash, Write into buckets

(2) Read R2, Hash, Write into buckets

(3) Repeat

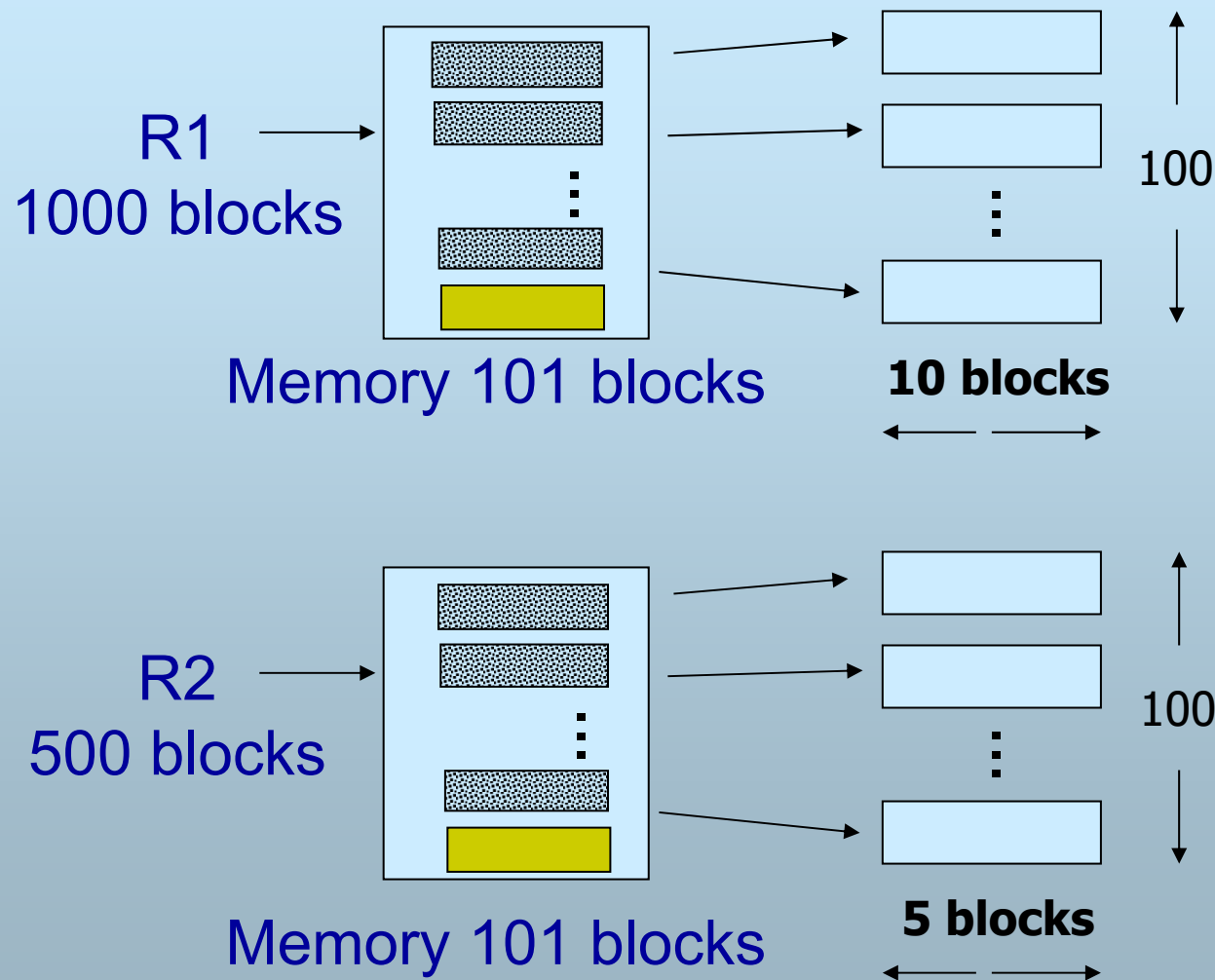
① Read one bucket of R2 (say $B(R2) \leq B(R1)$)

② Read corresponding R1 bucket

③ Join in the memory

Note: 一块一块地读入R1 bucket中的块，并Join。但这不影响IO代价

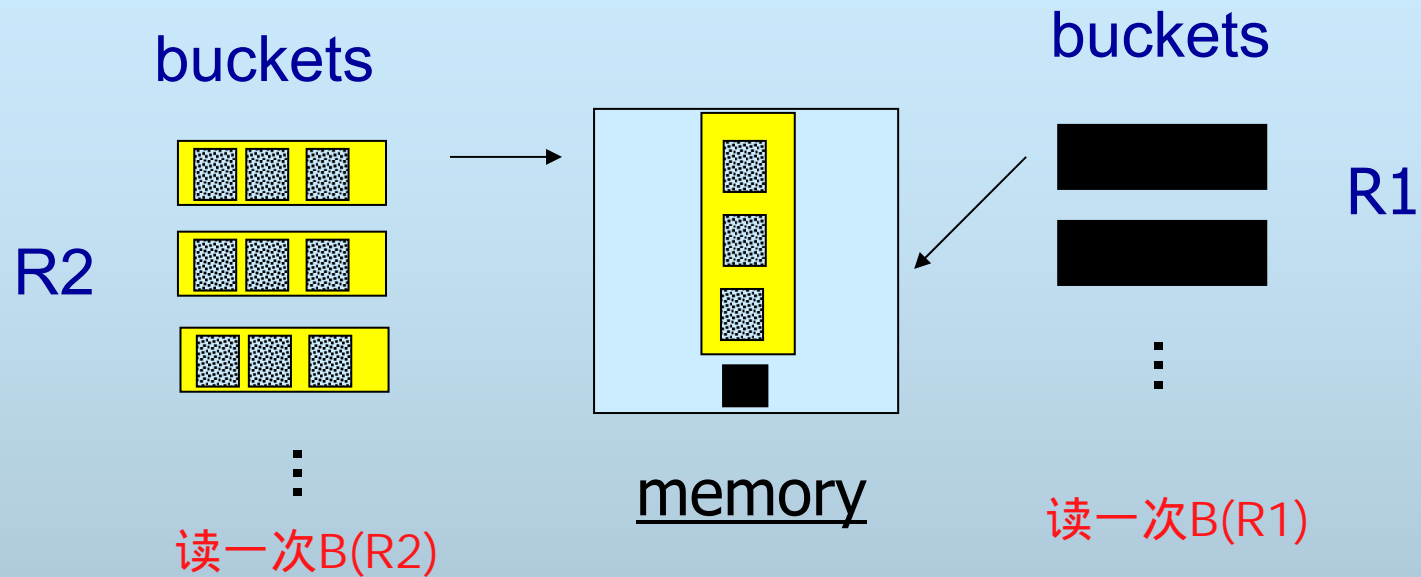
4、散列连接算法代价分析



Note:

划分为 $M-1$ 个桶，
每一块对应一个桶，
最后一块用于读入R1的一块，计算其中每个元组的 h ，并将元组复制到相应的块中。

4、散列连接算法代价分析



4、散列连接算法代价分析

■ Cost: For each block

● Create buckets

◆ R1: Read + Write

◆ R2: Read + Write

● Join

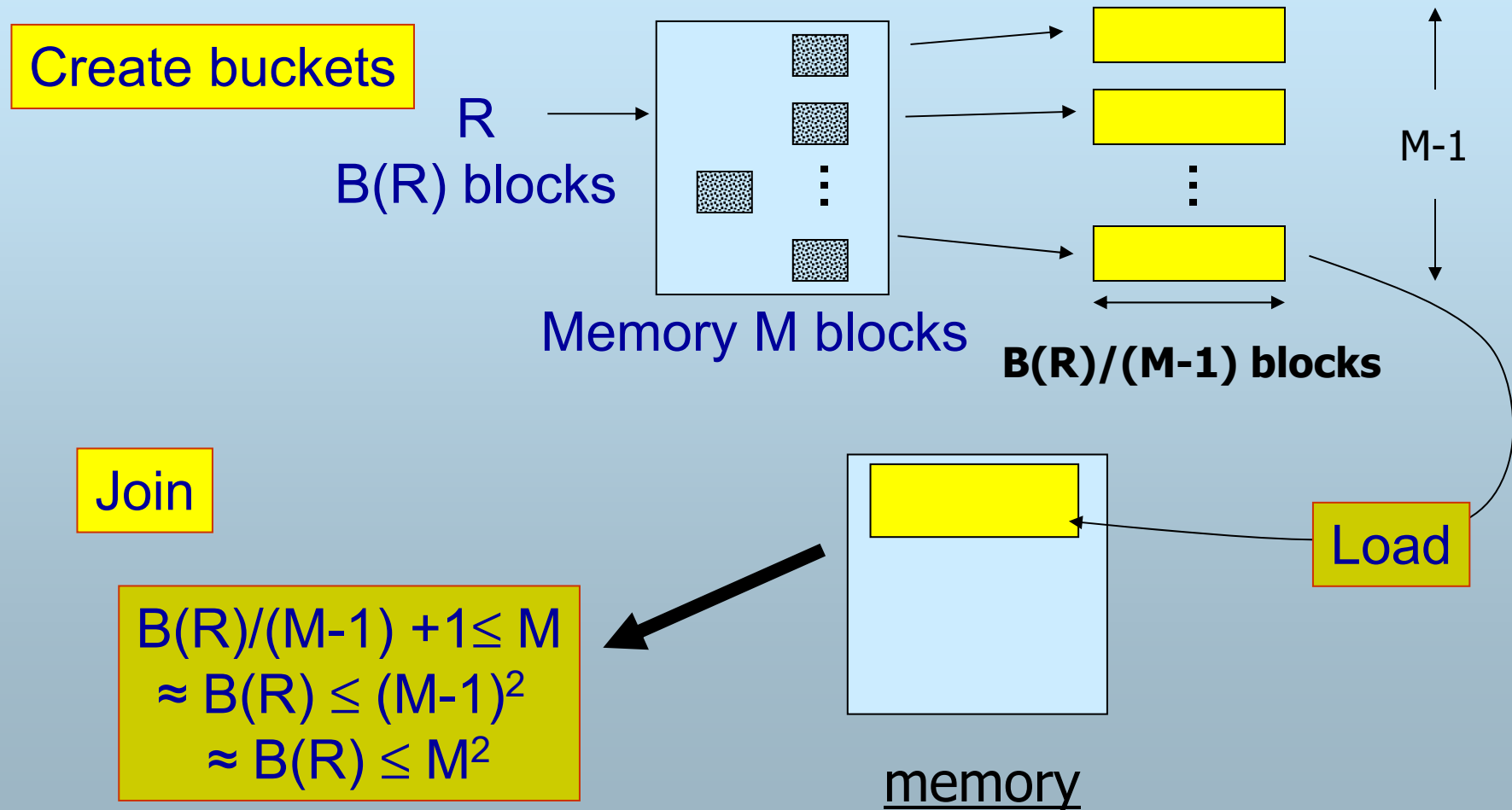
◆ R1: Read

◆ R2: Read

$$\text{Total} : 3 * (B(R1) + B(R2)) = 4,500$$

4、散列连接算法代价分析

■ Memory required?



4、散列连接算法代价分析

■ Memory required?

- For $R1 \bowtie R2$

- $\text{Min}(B(R1), B(R2)) \leq M^2$

局限性：只能处理等值连接，需要设计好的Hash函数，将元组均匀分布到各个桶中

5、连接算法总结

算法 ¹	Cost	M
Nested Loop Join	$B(R2)+B(R1)B(R2)/M$	≥ 2
Merge Join	$5(B(R1)+B(R2))$	$\sqrt{B(R1)}$
Merge Join (improved)	$3(B(R1)+B(R2))$	$\sqrt{B(R1) + B(R2)}$
Index Join	$B(R2)+T(R1)T(R2)/V(R1,C)$	$LB(R1.C) ^2$
Hash Join	$3(B(R1)+B(R2))$	$\sqrt{B(R2)}$

1: suppose $B(R2) \leq B(R1)$

2: suppose index fits in memory

5、连接算法总结

- Nested loop **ok** for “small” relations (relative to memory size)
- For equi-join, where relations not sorted and no indexes exist, hash join usually best
- Sort + merge join good for non-equi-join (e.g., $R1.C > R2.C$)
- If relations already sorted, use merge join
- If index exists, it could be useful
(depends on expected result size)

本章小结

- 物理查询计划操作符
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 - 嵌套循环连接
 - 归并连接
 - 索引连接
 - 散列连接
- 连接算法的I/O代价估计
- Other operators? -- see textbook