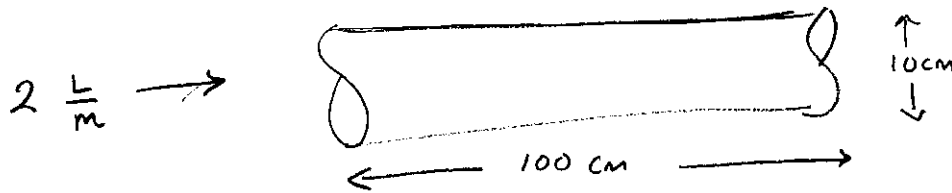


EXAMPLES

FIND VELOCITY FROM FLOW-RATE

$$Q = \bar{V} \cdot A$$



$$Q = 2 \frac{\text{Liter}}{\text{min}} \quad \text{(CONVERT)}$$

$$= 2 \frac{\cancel{\text{L}}}{\cancel{\text{mL}}} \cdot \frac{1 \text{ mL}}{60 \text{ s}} \cdot \frac{0.001 \text{ m}^3}{1 \cancel{\text{L}}}$$

$$= \frac{2 (0.001)}{60} \left[\frac{\text{m}^3}{\text{s}} \right] \checkmark$$

$$= 3.3 \times 10^{-5} \left[\frac{\text{m}^3}{\text{s}} \right]$$

$$A = \frac{\pi D^2}{4} = \left(\frac{22}{7} \right) \frac{10^2}{4} = \frac{22 \cdot 100}{28} \text{ cm}^2 \cdot \frac{\text{m}^2}{100^2 \cancel{\text{cm}^2}}$$

I just use
this for π ...

$$= 0.008 \text{ m}^2$$

$$\bar{V} = \frac{Q}{A} = 0.004 \left[\frac{\text{m}}{\text{s}} \right]$$

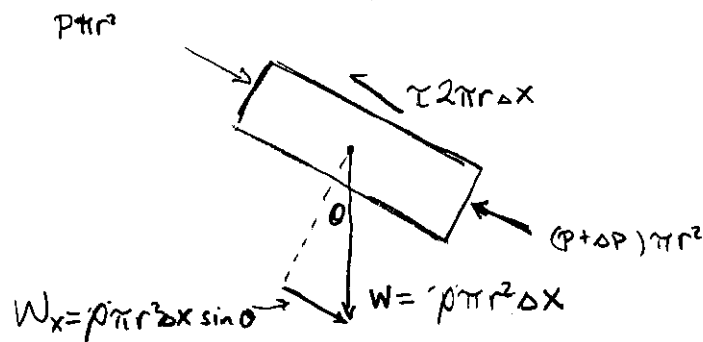
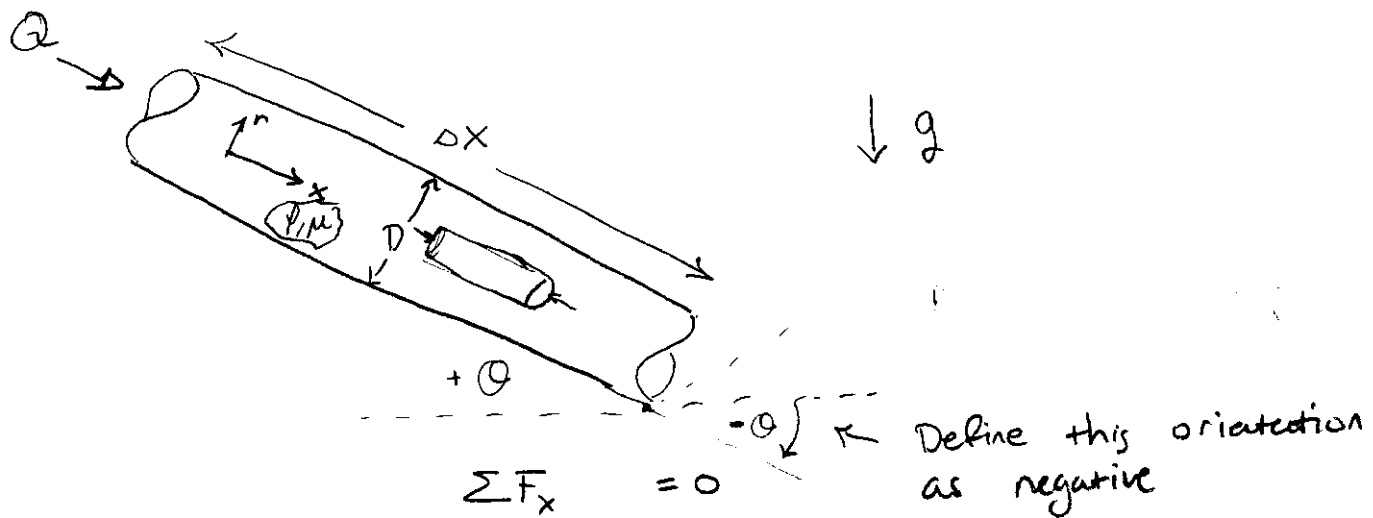
MAX VELOCITY?

$$\bar{V} = \frac{V_{\text{max}}}{2}$$

$$V_{\text{max}} = 0.008 \left[\frac{\text{m}}{\text{s}} \right]$$

EXAMPLES ANGLED PIPES

WHAT CHANGES IF THE PIPE IS ANGLED?



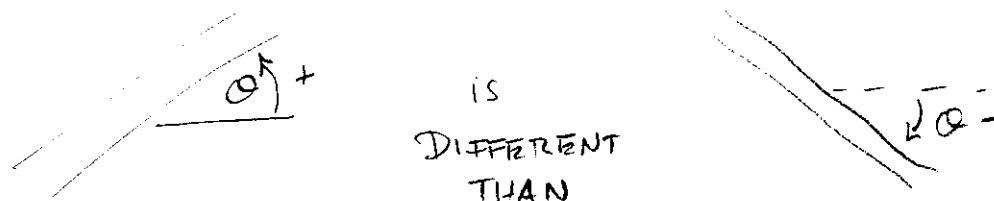
$$0 = P\pi r^2 + \rho\pi r^2 \Delta x \sin(\theta) - \tau 2\pi r \Delta x - (P + \Delta P)\pi r^2$$

$$\frac{\Delta P - \rho \Delta x \sin \theta}{\Delta x} = \frac{2\tau}{r}$$

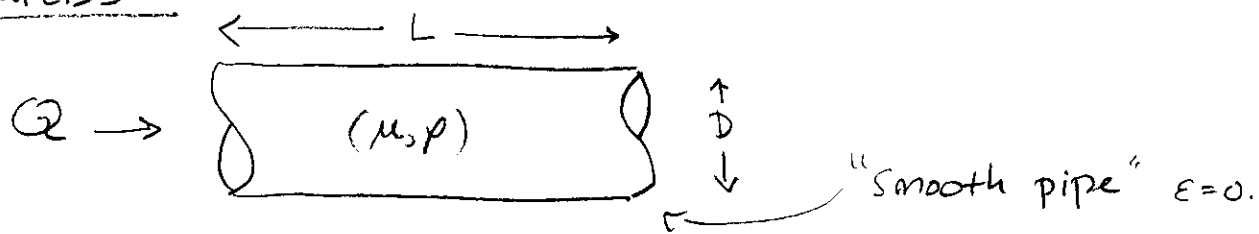
correction term.

SO JUST SUB IN $\Delta P + \rho \Delta x \sin \theta$ WHERE EVER YOU SEE A ΔP IN STRAIGHT PIPE RESULTS.

⚠ WATCH FOR SIGNS THOUGH ⚠



EXAMPLES



Given (Q, L, D, μ, ρ) FIND FRICTION FACTOR.

1) GET Velocity from $Q = \bar{V}A$

$$\bar{V} = \frac{Q}{A}$$

2) Calculate Reynolds

$$Re = \frac{\rho \bar{V} D}{\mu}$$

Laminar or Turbulent?

3) Let's say $Re < 2000$.

$$f = \frac{64}{Re}$$

4) If $Re > 2000$ (Turbulent) We have to use the nasty equation.

$$\frac{1}{\sqrt{f}} = 2.00 \log_{10}(Re \sqrt{f}) - 0.8 \quad (\text{Smooth pipe})$$

Values of f lie usually between $[0.008 - 0.1]$

5) Guess a value of $f_0 = 0.05$ (Pick anything)

$$\frac{1}{\sqrt{f_1}} = 2.00 \log_{10}(Re \sqrt{f_0}) - 0.8$$

$$\frac{1}{\sqrt{f_2}} = 2.00 \log_{10}(Re \sqrt{f_1}) - 0.8$$

Keep doing this until $f_n \approx f_{n+1}$.

EXTRA CREDIT MAKE
EXCEL DO THIS FOR
YOU GIVEN A f_0