The Grand Optimisation Research

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In an attempt to speed up the hash table

Chapter 1: Inventory. What are the introductions?

The initial goal is to use an existing old implementation of the linked list from the first semester to write a hash table on chains and further optimize it by partially rewriting the program in assembly language. We need to beat the compiler with disabled optimisations (-O0). The input data is supposed to be a Russian-English dictionary with 150 thousand key-value pairs.

The first table benchmark showed an impressive result. It took 2 seconds to read the file. Slow enough, but afterwards it turned out that due to a bug in the software, the table was not resizing as it filled up.

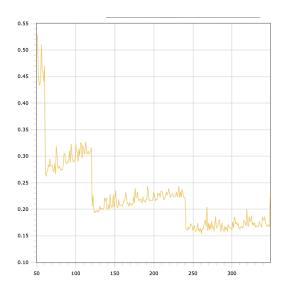
5 minutes of debugging later, the rehash mechanism was fixed and the table performed four times better: 0.55 seconds with a set load factor of 50%.

Before optimizing the table with assembler inserts, I thought it was a good idea to optimize the table parameters and recreate the "tried everything, it's still slow" situation. However, in this case it is not clear why they didn't try -O3, but we assume that this option is forbidden by the penal code.

Chapter 2: Academic Reading

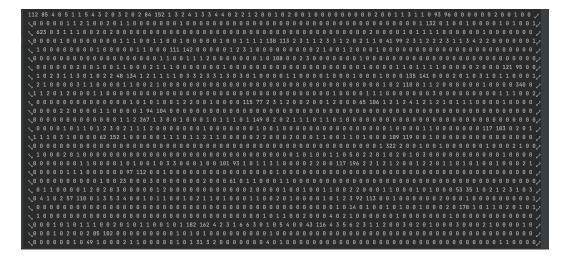
Why did I choose 50% for the first test? Well, I took the number that first came to mind. That's tentative. According to information on the Internet, values between 70 and 95 percent are usually used. The optimal value can be very different depending on the input data. So there is a very small chance that my 50% is optimal.

The easiest and most obvious way to see the dependency of algorithm's efficiency on some constant is to plot it. After Iterating through all possible integer load factors from 50% to 350%, I got some interesting results:



In my case, the optimum value was neither 70% nor 95%, but all of 250%.

Next I checked how my hash function worked. And I was disappointed. In the picture below, each number is the length of the corresponding chain.



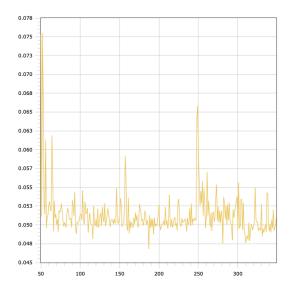
Looks terrible. The greatest efficiency is achieved when the numbers are more or less the same.

After a moment the old hash function was trashed, and its place was now taken by FNV1A with a more even distribution (the average non-zero chain length was 1.29). The network says that fnv1a is the best choice for a hash table. The acceleration was between 4-20% on different loading factors), but the appearance of the graph did not change.

The next improvement is not to recalculate the hash every time the table size changes, but to store it in the internal chain structure. This made it possible to speed up writing to the table by a another 21%.

I also found out that this kind of staircase in the graph is normal for chained hash tables, if only writing operations are benchmarked. When the table is resized, it should be fully copied. As soon as the load-factor becomes greater than some value, the table is no longer expanded by a factor of two. This is an expensive operation, which takes 94% of the time to write to a table with a load-factor of 70 (according to CLion's built-in profiler), so it takes $1 / ((0.94 / 2) + 0.06) = 1.88 \sim$ twice as fast.

If you create a hash table of the right size at once, the graph becomes like this:

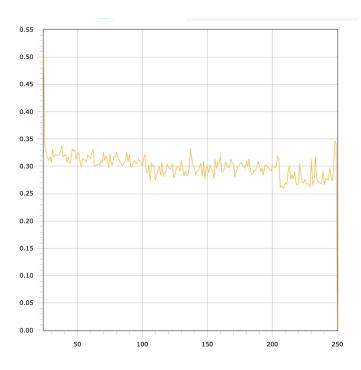


The times are almost identical. This was expected, as the rehash function is now not called and cannot affect the time.

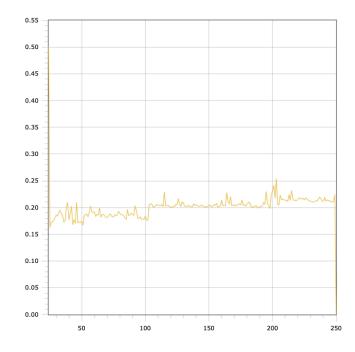
Chapter 3: Academic Writing.

At this point we have considered only the write speed of the table. To have a better idea of what values you will have to work with when optimising, you should also check the reading speed, which usually happens more often than the writing speed.

As an example, we measured the read times of a million existing random keys from a table with different load-factor values.



The results are about the same, but it is noticeable how the speed of reading values from existing keys increases as the load factor increases. However, if you read non-existing keys from the table, the situation changes dramatically.



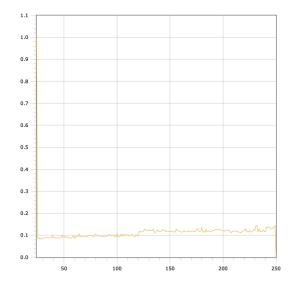
If you give a table a non-existent key, the probability that there is no hash for such a key is quite high. Therefore, the table will be able to quickly understand that the chain is empty, and this element does not exist in the table. However, when the load factor is greater than 100%, each chain would contain at least one element, so the table would have to compare keys by their values, which already slows down the program considerably. The graph clearly shows a "step" around the 100% mark.

Chapter 4: Diving deep into optimisations

Below is the result of the profiler for a million table read operations. The obvious bottleneck in the program is the hash function.

The current version of the hash function counts one character per cycle. This is inefficient because the processor can compute hashes over 64-bit numbers in a single clock cycle using the crc32 instruction, i.e. it can compute 8 characters at a time. However, this creates its own inconvenience: the key must be of length divisible by 8. Let the length of the key always be 64 characters. This way, we won't need to use a loop at a critical point of the program. Keys from the file don't exceed 64 characters in length. Let's consider that we optimize the program sacrificing abstractness and still being able to solve an initially given concrete problem.

Rewriting the hash function body into inline assembly made it more than 40 times faster. In addition, memcmp is now used for key comparisons, which is also much faster than strcmp. The hash function itself now takes less than 1 percent of the get_pair function's running time. Key comparisons are also rare. This means that the number of collisions is minimal. (The average non-empty chain length is 1.331)



```
Method

> 100.0% fast_hash_table_clion`hash_table::get

> 97.8% fast_hash_table_clion`hash_table::get_pair

< 1% libsystem_platform.dylib`_platform_memcmp

< 1% fast_hash_table_clion`hash_table::hash
```

Interestingly, despite official claims, the results are twice as bad with FNV1A. For the same number of collisions, the hash running time is 76% of the get time. The total running time doubles - 0.23s vs. 0.11s. However, this figure cannot give us a real estimation of hash table running time now, since reading time from it becomes comparable to the running time of random key generator.

The only thing left to optimise is the get_pair function. It takes an unreasonably long time, even though it seems to be just accessing the chain by index.

For the sake of experiment I decided to remove lines 168-177 from the program. The speed of get_pair remained almost the same.

Having opened the disassembler, I understood the reason for such a long running time - dozens and dozens of unnecessary memory accesses.

The whole function, unfortunately, does not fit into the screenshot. Below are a few lines responsible for exiting the function: stack shift, etc.

Almost every line in this function is a memory reference. What could be worse for a hash table?

A decision was made to rewrite this function entirely in assembly language.

```
mov r12, rdx
mov r15, rsi
mov quord [rsp], rdi
mov rdi, rdx
: Calculating string hash
all string hash
Dividing string h
                                                  ng string hash by capacity
rcx, dword [r15] ; rcx = this->capacity
edx, edx
                                                  index *= sizeof(s_list_entry|
rdx, [rdx + 2*rdx] ; chain_index *= 3
rdx, 4 ; chain_index *= 8
ebp, dword [rcx + rdx + 28] ; ebp = lists[chain_index]->head
eax, dword [rcx + rdx + 24] ; eax = lists[chain_index]->tail
c == ebp), don't jump in the cycle
                                                  r13, qword [rcx + rdx]
r15, qword [rcx + rdx + 16]
                         ; comparing keys;
; rbx = walker
movsxd rbx, eax
; offset = walker * 8 * 3 = r14 * 8
lea r14, [rbx + 2*rbx]
; rdi = lists->entries[walker]
mov rdi, qword [r13 + 8*r14]
mov edx, 64
mov rsi, r12
call _memcmp
test eax, eax
                                                  eax, eax
.return_found_entry
eax, dword [r15 + 4*rbx]
                                                  returned structur rax, qword [rsp]
movups [raz], xmm0
mov qword [rax + 16], 0
jmp .return
.return_found_entry:
; rdx = offset
                                                  qword [rax + 16], rcx
xmm0, [rdx]
```

```
    89.3% fast_hash_table_clion`doReadBenchmark
    56.8% fast_hash_table_clion`read_dictionary_to_table
    16.3% fast_hash_table_clion`hash_table::destruct
    8.7% libsystem_c.dylib`rand
    2.5% fast_hash_table_clion`hash_table::get_pair
```

```
    98.3% fast_hash_table_clion`doReadBenchmark
    57.6% fast_hash_table_clion`read_dictionary_to_table
    15.3% fast_hash_table_clion`hash_table::destruct
    12.0% fast_hash_table_clion`hash_table::get
    9.8% libsystem_c.dylib`rand
```

If we compare the running time of rand with the running time of the old and new insertion functions (they are called proportionally many times), we get the ratio (8.7 / 2.5) / (9.8 / 12) = 4.2.

Let's carry out a control experiment by rolling back all optimizations and compare the running times.

(8.7 / 2.5) / (28.8 / 6.4) = 15.6 times.

```
    98.4% fast_hash_table_clion`doReadBenchmark
    47.6% fast_hash_table_clion`read_dictionary_to_table
    28.8% fast_hash_table_clion`hash_table::get
    12.6% fast_hash_table_clion`hash_table::destruct
    6.4% libsystem_c.dylib`rand
```

Chapter 5: Conclusion

The total number of lines written in assembly language is 58 (50 lines are taken by the get_pair instruction rewritten in intel syntax and another 8 lines of assembly language insertion for the hash function in AT&T syntax). The program was accelerated by a factor of 15.6. Thus, the Dedinsky Number for this solution is 15.6/58*1000 = 268.