

Oregon State University

# CS 325 - Group Assignment 4

Linear Programming

*Group 40*

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**1. A description for a linear program for finding the best fit curve for temperature data.**

$$T(d) = \underbrace{x_0 + x_1 \cdot d}_{\text{linear trend}} + \underbrace{x_2 \cdot \cos\left(\frac{2\pi d}{365.25}\right) + x_3 \cdot \sin\left(\frac{2\pi d}{365.25}\right)}_{\text{seasonal pattern}} + \underbrace{x_4 \cdot \cos\left(\frac{2\pi d}{365.25 \times 10.7}\right) + x_5 \cdot \sin\left(\frac{2\pi d}{365.25 \times 10.7}\right)}_{\text{solar cycle}}$$

We can solve this by solving the following LP with  $2n$  inequalities, two for each data point:

Minimize:  $z$

Constraints:

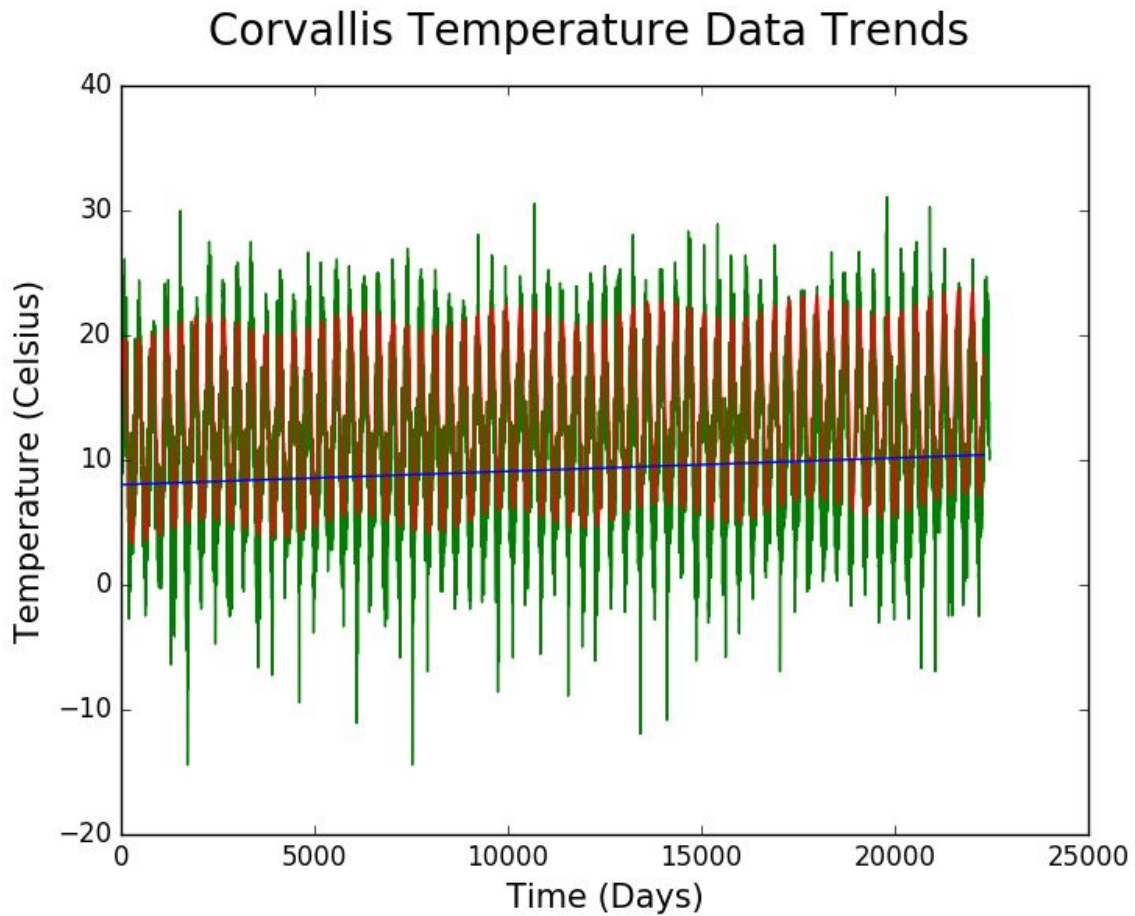
$$\begin{aligned} z &\geq t_i - (x_0 + (x_1 \cdot d_i) + (x_2 \cdot \cos((2 \cdot \pi \cdot d_i) / 365.25)) + (x_3 \cdot \sin((2 \cdot \pi \cdot d_i) / 365.25)) \\ &\quad + (x_4 \cdot \cos((2 \cdot \pi \cdot d_i) / 3908.175)) + (x_5 \cdot \sin((2 \cdot \pi \cdot d_i) / 3908.175))) \quad \text{for all } i \\ -z &\leq t_i - (x_0 + (x_1 \cdot d_i) + (x_2 \cdot \cos((2 \cdot \pi \cdot d_i) / 365.25)) + (x_3 \cdot \sin((2 \cdot \pi \cdot d_i) / 365.25)) \\ &\quad + (x_4 \cdot \cos((2 \cdot \pi \cdot d_i) / 3908.175)) + (x_5 \cdot \sin((2 \cdot \pi \cdot d_i) / 3908.175))) \quad \text{for all } i \end{aligned}$$

**2. The values of all of the variables to your linear program in the optimal solution that your linear program solver finds for the Corvallis data.**

OUTPUT:

```
10-249-79-217:Project_4 Frog$ python as_4.py Corvallis_data.csv
----- RESULTS -----
x0 = 8.02142
x1 = 0.000106948
x2 = 4.28089
x3 = 8.18686
x4 = -0.790631
x5 = -0.29536
```

**3. A single plot that contains: the raw data plotted as points, your best fit curve, and the linear part of the curve  $x_0 + x_1 * d$ .**



**Key:**

Green = Raw Data Plotted as points

Red = Best Fit Curve

Blue = Best Fit Linear Part of the Curve

***4. Based on the value x1 how many degrees Celsius per century is Corvallis changing and is it a warming or cooling trend?***

Linear Trend:  $T(d) = 8.02142 + (0.000106948 \cdot d)$

Line has a positive slope and therefore  $T(d)$  is increasing as a function of  $d$ . This shows Corvallis is warming up.

Number of Days in a century:  $365.25 \cdot 100 = 36525$

Degree Change Per Century =  $(0.000106948 \cdot (36525))$

Degree Change Per Century =  $3.9062757^\circ\text{C}$