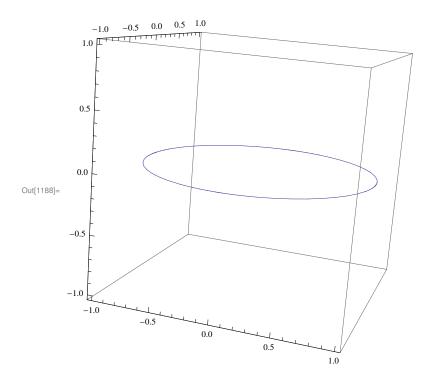
```
In[1180]:= ClearAll["Global`*"]
(* http://mini.pw.edu.pl/~porter/cc/psw/psw_cw1.pdf *)
(* Unit Circle with Spherical Coordinates *)
$density := 1;
$R := 1;
$xCircle[r_, u_, v_] := r * Sin[v] Cos[u];
$yCircle[r_, u_, v_] := r * Sin[v] Sin[u];
$zCircle[r_, u_, v_] := r * Cos[v];
v = \pi/2;
$Circle[r_, u_, v_] := {$xCircle[r, u, $v], $yCircle[r, u, $v], $zCircle[r, u, $v]};
ParametricPlot3D[Circle[R, u, v], \{u, 0, 2\pi\}]
Print["Jacobian Matrix", MatrixForm[$JacobianMatrix[r, u, v]]]
$JacobianDet[r_, u_, v_] := Abs[Det[$JacobianMatrix[r, u, v]]];
CircleIntegral[a] := density * \int_{0}^{2\pi} \int_{0}^{1} du
$CircleMass := $CircleIntegral[1];
$CircleCenterOfMass := {$CircleIntegral[$xCircle[r, u, $v]],
    $CircleIntegral[$yCircle[r, u, $v]], $CircleIntegral[0]} / $CircleMass;
$X := $xCircle[r, u, $v];
$Y := $yCircle[r, u, $v];
$Z := 0;
$ICircle = {
   {$CircleIntegral[$Y^2 + $Z^2],
    - $CircleIntegral[$X * $Y],
    - $CircleIntegral[$X * $Z]},
   {-$CircleIntegral[$X * $Y],
    $CircleIntegral[$X^2 + $Z^2],
    - $CircleIntegral[$Y * $Z]},
   {-$CircleIntegral[$X * $Z],
    - $CircleIntegral[$Y * $Z],
    $CircleIntegral[$Y^2 + $X^2]}};
Print["Circle Mass: ", $CircleMass]
Print["Circle Center of Mass: ", MatrixForm[$CircleCenterOfMass]]
Print["Circle Tensor of Intertia: ", MatrixForm[$ICircle]]
```

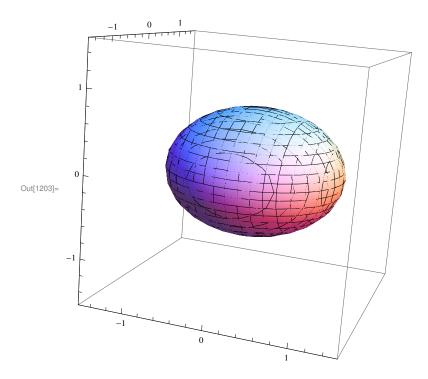


$$\label{eq:cos_u} \mbox{Jacobian Matrix} \left(\begin{array}{cc} \mbox{Cos}[\mbox{u}] \; \mbox{Sin}[\mbox{v}] & -\mbox{r} \; \mbox{Sin}[\mbox{u}] \; \mbox{Sin}[\mbox{v}] \\ \mbox{Sin}[\mbox{u}] \; \mbox{Sin}[\mbox{v}] & \mbox{r} \; \mbox{Cos}[\mbox{u}] \; \mbox{Sin}[\mbox{v}] \end{array} \right)$$

Circle Mass: π

Circle Center of Mass: $\begin{pmatrix} 0 \\ 0 \\ 0 \end{pmatrix}$

Circle Tensor of Intertia: $\begin{pmatrix} \frac{\pi}{4} & 0 & 0 \\ 0 & \frac{\pi}{4} & 0 \\ 0 & 0 & \frac{\pi}{2} \end{pmatrix}$



In[1204]:=