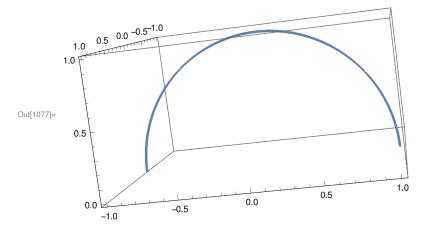
```
In[1069]:= ClearAll["Global`*"]
(* http://mini.pw.edu.pl/~porter/cc/psw/psw_cw1.pdf *)
(* Połowy łuku jednostkowego okregu *)
$density := 1;
$R := 1;
$x[r_, u_, v_] := r * Sin[v] Cos[u];
$y[r_, u_, v_] := r * Sin[v] Sin[u];
$z[r_, u_, v_] := r * Cos[v];
v = \pi/2;
Body[r_, u_, v_] := \{x[r, u, v], y[r, u, v], z[r, u, v]\};
ParametricPlot3D[\$Body[\$R, u, \$v], \{u, 0, \pi\}]
{\frac{1}{n}} = {\frac{\pi}{n}} = {\frac{\pi}{n}}
$Mass = $Integral[1];
$CenterOfMass := {$Integral[$x[$R, u, $v]],
     $Integral[$y[$R, u, $v]], $Integral[$z[$R, u, $v]]} / $Mass;
Print["Mass: ", $Mass]
Print["Center of Mass: ", MatrixForm[$CenterOfMass]]
X := x[R, u, v];
Y := y[R, u, v];
$Z := $z[$R, u, $v];
$I = {
   {$Integral[$Y^2 + $Z^2],
    -$Integral[$X * $Y],
    -$Integral[$X * $Z]},
   {-$Integral[$X * $Y],
    $Integral[$X^2 + $Z^2],
    -$Integral[$Y * $Z]},
   {-\$Integral[\$X * \$Z],}
    -$Integral[$Y * $Z],
    $Integral[$Y^2 + $X^2]}};
$IPointFun[x_, y_, z_, m_] :=
    {y^2 + z^2, -x * y, -x * z},
     \{-x*y, x^2 + z^2, -y*z\},
     \{-x*z, -y*z, x^2+y^2\};
$IPoint =
```

\$IPointFun[\$CenterOfMass[[1]], \$CenterOfMass[[2]], \$CenterOfMass[[3]], \$Mass]; \$ICenter = \$I - \$IPoint;

Print["Tensor of Intertia around 0,0,0: ", MatrixForm[\$I]] Print["Tensor of Intertia around Point ", MatrixForm[\$IPoint]] Print["Tensor of Intertia around Center (Result): ", MatrixForm[\$ICenter]]

a = 2; $Show[ContourPlot3D[{\{ix, iy, iz\}.}SICenter.{ix, iy, iz\} == 1},$  $\{ix, -\$a, \$a\}, \{iy, -\$a, \$a\}, \{iz, -\$a, \$a\}]]$ 



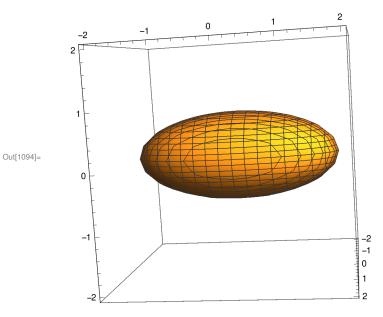
Mass:  $\pi$ 

Center of Mass:  $\begin{pmatrix} 0 \\ \frac{2}{\pi} \\ 0 \end{pmatrix}$ 

Tensor of Intertia around 0,0,0:  $\begin{pmatrix} \frac{\pi}{2} & 0 & 0 \\ 0 & \frac{\pi}{2} & 0 \\ 0 & 0 & \pi \end{pmatrix}$ 

Tensor of Intertia around Point  $\begin{pmatrix} \frac{4}{\pi} & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & \frac{4}{\pi} \end{pmatrix}$ 

Tensor of Intertia around Center (Result):  $\begin{pmatrix} -\frac{4}{\pi} + \frac{\pi}{2} & 0 & 0 \\ 0 & \frac{\pi}{2} & 0 \\ 0 & 0 & -\frac{4}{\pi} + \pi \end{pmatrix}$ 



In[1095]:=