

Data Structures Assignment-4

B) Jack and Railways

Jack arrives at the first stop of the railway line. The railway line has N stops and Jack wants to reach the last stop (N^{th} stop). It takes 1 minute to travel from one stop to its adjacent stop.

To make the travel cheaper, there are multiple travel passes available. Each travel pass has cost p and support distance r . A travel pass with support distance r can be used to travel at most r stops. So, if you enter at stop i and use travel pass with support distance r you can exit at any stop from i to $i + r$. To exit and reenter the stop i , it takes d_i minutes. There is no time spent on entering the first stop and exiting the last stop.

As Jack has t time available, he wants to choose the cheapest travel pass that would allow him to complete the journey within time t .

Input

First line contains two integers N and t , the number of stops and time that is available.

The second line contains $N - 1$ integers (for $i = 1$ to $N - 1$), p_i cost of travel pass with support distance i .

The third line contains $N - 2$ integers (for $i = 2$ to $N - 1$), d_i , number of minutes required to reenter at stop i .

Output

Output a single integer which is the cheapest cost that allows Jack to travel within time t .

Constraints

$1 \leq N \leq 50000$, number of stops

$N - 1 \leq t \leq 10^9$

$1 \leq p[i] \leq 10^6$

$1 \leq d[i] \leq 10^5$

Sample Input 1

```
4 4
1 2 3
1 4
```

Sample Output 1

```
2
```

Sample Explanation 1

For $r = 1$, optimal path would be 1-2-3-4. so time taken is 8 minutes. But as it is greater than 4 minutes, you can't use r as 1.

For $r = 2$, optimal path would be 1-2-4. so time taken is 4. So you can use $r = 2$. Its price is 2.

For $r = 3$, optimal path would be 1-4. so time taken is 3. So you can use $r = 3$. Its price is 3.

Hence, it is better to use $r = 2$, travel pass as it allows you to travel in time $t = 4$ minutes and is cheapest.

Limits

Time: 2 second

Memory: 256 MB