

1. Inputs of MUX A,B and select line is S

$\{A,B,S\}$

$\{1,0,S\}$  – NOT gate

$\{0,B,S\}$  – AND gate

$\{1,B,S\}$  –OR gate

$\{A,0,S\}$  – NOR gate

$\{1,B,S\}$  – NAND gate

$\{1,A',S\}$  – EXOR gate

$\{B',0,S\}$  – EXNOR gate

Note there can be more than one ways to obtain functional completeness

- 2.

a.  $P=0$ , use EXNOR gates.

b.  $P=1$ , use EXOR gates.

3. Take  $A=1$ , then

$B=0, C=0, D=1$

4.  $\{A,A,C\}$  – NOR gate. Therefore universal operation

5. ....

6.  $F=xy'z+y'z+xyzw'+xyw+xyz'w'$

- 7.

a. use distributive law  $a+(bc)=(a+b)(a+c)$

b. Start with  $b=b+aa'$  and solve

c. Start with  $b=b+ab$  and solve

8. a. prime implicants-  $yz, wxy, w'z, x'z, w'xy'$

essential prime implicants –  $wxy, w'xy'$

b.  $T=yz+wxy+w'z+w'xy'$

$T=w'z+x'z+wxy+w'xy'$

$T=yz+wxy+xz'+w'xy'$

c.  $T'=\Sigma m(3,5,6,11,13)$

9. a. Get the function T from the K map. Now try to obtain functional completeness similar to Question 1.

c. Try to obtain function similar to T using complement of T ( $T'$ ) from the given K map and then functional completeness can be achieved.

10. a. True minterms in the truthtable  $Z = \Sigma m(1,2,3,5,6,12,15)$  (Draw the truthtable)  
 b.  $Z = C_1'X_1X_2' + C_1'X_1'X_2 + C_1'C_2'X_1 + C_1X_1X_2 + C_1C_2X_1'X_2'$
11. a.  $\Sigma m(5,6,9)$ ,  $F = a'bc'd + a'bcd' + ab'c'd$   
 b.  $\Pi M(0,1,2,3,4,7,8,10,11,12,13,14,15)$ ,  $F = (c+d)(a+b)(a'+b')(b+c')(a+b'+c'+d')$
12.  $y_5 = a_5 \text{exor}(p+a_4+a_3+a_2+a_1+a_0)$   
 $y_4 = a_4 \text{exor}(p+a_3+a_2+a_1+a_0)$   
 $y_3 = a_3 \text{exor}(p+a_2+a_1+a_0)$   
 $y_2 = a_2 \text{exor}(p+a_1+a_0)$   
 $y_1 = a_1 \text{exor}(p+a_0)$   
 $y_0 = a_0$
13. a.  $y_0 = a_0$   
 $y_1 = a_1'$   
 $y_2 = a_2 \text{exor}(p.a_1)$   
 $y_3 = a_3 \text{exor}(p.a_2.a_1)$   
 $y_4 = a_4 \text{exor}(p.a_3.a_2.a_1)$
- b.  $y_3 = a_3 \text{exor} a_2.a_1(a_0+p)$   
 $y_2 = a_2 \text{exor} a_1(a_0+p)$   
 $y_1 = a_1 \text{exor}(a_0+p)$   
 $y_0$  needs to be written separately in two cases  
 for increment by 2,  $y_0 = a_0$   
 for increment by 1,  $y_0 = a_0'$
14. Already done in lab.

## Practice sheet 2

### Q13

(c) Write the complement of  $f_1$  and  $f_2$  in “little m” notation and as canonical minterm expressions.

Little m means as  $\Sigma m(2,5,7)$

Canonical minterms means  $f(x,y,z) = x'yz' + xy'z + xyz$

Please note this is only an example and not the actual answer

(d) Write the complement of  $f_1$  and  $f_2$  in “big M” notation and as canonical maxterm expressions.

Big M means as  $\Pi M(0,1,3,4,6)$

