```
> restart; with(linalg): with(LinearAlgebra): alias(w=w(z), phi=phi(z),
  sigma=sigma(z)):
> d:=-1;C:=1;
                                     d := -1
                                     C := 1
                                                                                   (1)
> P3:=diff(w,z,z)-(diff(w,z)^2/w-diff(w,z)/z+(A*w^2+B)/z+C*w^3+d/w)
             P3 := \frac{\partial^2}{\partial z^2} w - \frac{\left(\frac{\partial}{\partial z} w\right)^2}{w} + \frac{\frac{\partial}{\partial z} w}{z} - \frac{A w^2 + B}{z} - w^3 + \frac{1}{w}
                                                                                   (2)
> n:=2;epsilon[1]:=-1;epsilon[2]:=1;
                                    \varepsilon_1 := -1
                                     \varepsilon_2 := 1
                                                                                   (3)
> psi:=(nu)->simplify(z^(epsilon[1]*nu)*(BesselJ(nu,sqrt(epsilon[1]
  *epsilon[2])*z)-0*BesselY(nu,sqrt(epsilon[1]*epsilon[2])*z))):
> psi(nu):for k from 1 to n+1 do; l[k]:=diff(%,z)*z;od:wronskian(
   [psi(nu),seq(l[j],j=1..n)],z):for j from 1 to n+1 do;h[j]:=Row(%,
  1); row(%%,2): wronskian(%*z,z): od: \langle seq(h[j],j=1..n+1) \rangle: tau[n+1]:=
> diff(psi(nu),z):for k from 1 to n do; l[k]:=diff(%,z)*z;
  od:wronskian([diff(psi(nu),z),seq(l[j],j=1..n-1)],z):for j from 1
  to n do; h[j] := Row(%,1); row(%%,2): wronskian(%*z,z): od: seq(h[j],j=
  1..n)>:tau[n]:=det(%):
> w:=convert(simplify(epsilon[1]*(n/z-diff(ln(tau[n+1]/tau[n]),z))
  ),parfrac,BesselJ(nu, z)):
> A:=2*(nu+epsilon[1]*n);B:=epsilon[2]*2*(n-epsilon[1]*nu+1);
                                  A := 2 v - 4
                                   B := 2 v + 6
                                                                                   (4)
> #simplify(expand(P3));
> nu:=-3/2;Digits:=100;plot(w,z=-500..500,y=-5..5,thickness=3);
                                    v := -\frac{3}{2}
                                  Digits := 100
```

