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> restart;
> w:=exp(-x)*x^a*(x+z)^b;
                                 $w := e^{-x} x^a (x+z)^b$ 
(1)
> C:=1;G:=1;F:=0;K:=-E;J:=E*a+E*b-C+3*E;H:=-E*b*z+C*a+C*b-B+2*C;B:=
(-E*b*z^2+C*b*z+A+G)/(a+b+1);E:=(C*a*b*z^2+C*b*z^2+A*a^2+2*A*a*b+
A*b^2-A*b*z-G*b*z+A*a+A*b)/(b*z^3*(a+1));A:=0;
                                 $C := 1$ 
                                 $G := 1$ 
                                 $F := 0$ 
                                 $K := -E$ 
                                 $J := E a + E b + 3 E - 1$ 
                                 $H := -E b z - B + a + b + 2$ 
                                 $B := \frac{-E b z^2 + b z + A + 1}{a + b + 1}$ 
                                 $E := \frac{a b z^2 + A a^2 + 2 A a b + A b^2 - A b z + b z^2 + A a + A b - b z}{b z^3 (a + 1)}$ 
                                 $A := 0$ 
(2)
> sigma:=collect(simplify(A+B*x+C*x^2+E*x^3+F*x^4),[x],factor);
latex(%);
                                 $\sigma := \frac{(a z + z - 1) x^3}{z^2 (a + 1)} + x^2 + \frac{x}{a + 1}$ 
{\frac { \left( a z + z - 1 \right) {x}^{\{3\}}{\{z\}^{\{2\}} \left( a + 1 \right) }}{
\right) }}+
{\{x\}^{\{2\}}+{\frac {x}{a+1}}}
> tau:=collect(simplify(G+H*x+J*x^2+K*x^3),[x,z],factor);latex(%);
 $\tau := 1 + \left( -\frac{1}{z} + \frac{1}{(a+1)z^2} \right) x^3 + \left( -1 + \frac{a+b+3}{z} - \frac{a+b+3}{(a+1)z^2} \right) x^2 + \left( \frac{a^2+3a+1}{a+1} \right. \\ \left. + \frac{b}{(a+1)z} \right) x$ 
1+ \left( -{z}^{\{-1\}}+{\frac {1}}{{\{z\}^{\{2\}} \left( a + 1 \right) }} \right) {
\right) {
x^{\{3\}}+ \left( -1+{\frac {a+b+3}{\{z\}}}-{\frac {a+b+3}{{\{z\}^{\{2\}} \left( a + 1 \right) }} \right) {
\right) {x}^{\{2\}}+ \left( {\frac {\{a\}^{\{2\}}+3\,a+1}{a+1}} \right.
}+{
\frac {b}{\{z\} \left( a + 1 \right) }} \right) x
> diff(sigma*w,x)-tau*w:
> collect(factor(expand(%)),[x],factor);
0
(3)

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