```
> restart; with (PDEtools): with (plots): with (LinearAlgebra): with
    (linalg):with(PolynomialTools):with(ListTools):
> n:=4;a:=-2;c:=-10;
                                                n := 4
                                                a := -2
                                               c := -10
                                                                                                           (1)
> m := (m,n) - \exp((diff((1)/x^{(n-1)}) + \gcd(b,n-1)/m!,b$m)):
> A:=map(factor,Matrix([<seq(factor(expand(1/x^(i-1)*pochhammer(b,
    i-1))), i=1...n)>, seq(<seq(m(k,i),i=1...n)>, k=1...n-1)], n, shape=
    triangular[lower]));
                A := \begin{bmatrix} \frac{b}{x} & 0 & 0 & 0 \\ \frac{b}{x} & \frac{1}{x} & 0 & 0 \\ \frac{b(b+1)}{x^2} & \frac{2b+1}{x^2} & \frac{1}{x^2} & 0 \\ \frac{b(b+1)(b+2)}{x^3} & \frac{3b^2+6b+2}{x^3} & \frac{3(b+1)}{x^3} & \frac{1}{x^3} \end{bmatrix}
                                                                                                           (2)
> b:=-24:
> mu := (b,k) \rightarrow (simplify(x^b*simplify(sort(Beta(1-b-n+c, a+2-c-n+k)*)))
    hypergeom([a,-2+b+2*n-k],[c+n-1-k],x)*pochhammer(c+n-1-k,-a)
    /pochhammer(-2+b+2*n-k,-a))))):
> mu2 := (k) \rightarrow simplify(sort(x^b*simplify((-1)^a*Beta(-c-n+2+a+k),
    -b-n+1+c)*x^{(-a)}*hypergeom([a, -c-n+2+a+k], [3+a+k-b-2*n], 1/x)))
> phi:=expand(simplify(sort(hypergeom([a,b], [c], x))))*x^(b);mu(b-
   n+1, n-1) *x^{(n-1)};
                                     \phi := \frac{1 - \frac{24}{5} x + \frac{92}{15} x^2}{\frac{24}{15}}
                                  \frac{1}{411863760} \quad \frac{92 \, x^2 - 72 \, x + 15}{x^{24}}
                                                                                                           (3)
> H:=map(factor, HankelMatrix(<seq(mu2(i),i=0..2*n-2)>,n));phi:for K
    from 1 to n do; l[K] := diff(%,x)*x*(x-1); od: wronskian([phi,seq(l[k],k=1..n-1)],x): for K from 1 to n do; <math>h[K] := Row(%,1); row(%%,2);
    wronskian (%*x*(x-1),x):od:T:=simplify(<seq(simplify(h[k]),k=1..n)
H := \left[ \left[ \frac{1}{2450448} \right] \frac{51 x^2 - 36 x + 7}{x^{24}}, \frac{1}{23279256} \right] \frac{171 x^2 - 133 x + 28}{x^{24}},
    \frac{1}{33256080} \frac{95 x^2 - 80 x + 18}{x^{24}}, \frac{1}{58198140} \frac{70 x^2 - 63 x + 15}{x^{24}} ,
   \left[\frac{1}{23279256} \frac{171 x^2 - 133 x + 28}{x^{24}}, \frac{1}{33256080} \frac{95 x^2 - 80 x + 18}{x^{24}}\right]
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$$\frac{1}{58198140} \frac{70 x^{2} - 63 x + 15}{x^{24}}, \frac{1}{38798760} \frac{21 x^{2} - 20 x + 5}{x^{24}},$$

$$\left[\frac{1}{33256080} \frac{95 x^{2} - 80 x + 18}{x^{24}}, \frac{1}{58198140} \frac{70 x^{2} - 63 x + 15}{x^{24}},$$

$$\frac{1}{38798760} \frac{21 x^{2} - 20 x + 5}{x^{24}}, \frac{1}{89237148} \frac{23 x^{2} - 23 x + 6}{x^{24}}\right],$$

$$\left[\frac{1}{58198140} \frac{70 x^{2} - 63 x + 15}{x^{24}}, \frac{1}{38798760} \frac{21 x^{2} - 20 x + 5}{x^{24}},$$

$$\frac{1}{89237148} \frac{23 x^{2} - 23 x + 6}{x^{24}}, \frac{1}{365948592} \frac{46 x^{2} - 48 x + 13}{x^{24}}\right]$$

$$T := \left[\left[\frac{1}{15} \frac{92 x^{2} - 72 x + 15}{x^{24}}, -\frac{8}{15} \frac{(253 x^{2} - 207 x + 45) (x - 1)}{x^{24}},$$

$$\frac{8}{15} \frac{(5313 x^{3} - 10120 x^{2} + 5796 x - 1080) (x - 1)}{x^{24}},$$

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$$\frac{8}{15} \frac{(106260 x^{4} - 324093 x^{3} + 350152 x^{2} - 158148 x + 25920) (x - 1)}{x^{24}},$$

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$$\frac{8}{15} \frac{(106260 x^{4} - 324093 x^{3} + 350152 x^{2} - 158148 x + 25920) (x - 1)}{x^{24}},$$

$$\frac{8}{15} \frac{1}{x^{24}} \left((2018940 x^{5} - 8607060 x^{4} + 14159145 x^{3} - 11182600 x^{2} + 4233564 x - 622080) (x - 1),$$

$$\frac{8}{15} \frac{1}{x^{24}} \left((2018940 x^{5} - 8607060 x^{4} + 14159145 x^{3} - 11182600 x^{2} + 4233564 x - 622080) (x - 1),$$

$$\frac{8}{15} \frac{1}{x^{24}} \left((2018940 x^{5} - 8607060 x^{4} + 14159145 x^{3} - 11182600 x^{5} - 201894000 x^{5} + 622080) (x$$

$$-\frac{113344 \left(171 \, x^2 - 133 \, x + 28\right)}{x^{24}} \bigg],$$

$$\left[\frac{10304}{65} \, \frac{70 \, x^2 - 63 \, x + 15}{x^{24}}, \frac{18032}{5} \, \frac{95 \, x^2 - 80 \, x + 18}{x^{24}}, \frac{61824 \left(171 \, x^2 - 133 \, x + 28\right)}{x^{24}}, \frac{6460608 \left(51 \, x^2 - 36 \, x + 7\right)}{x^{24}}\right]\bigg]$$