



Visualization with scatterplots

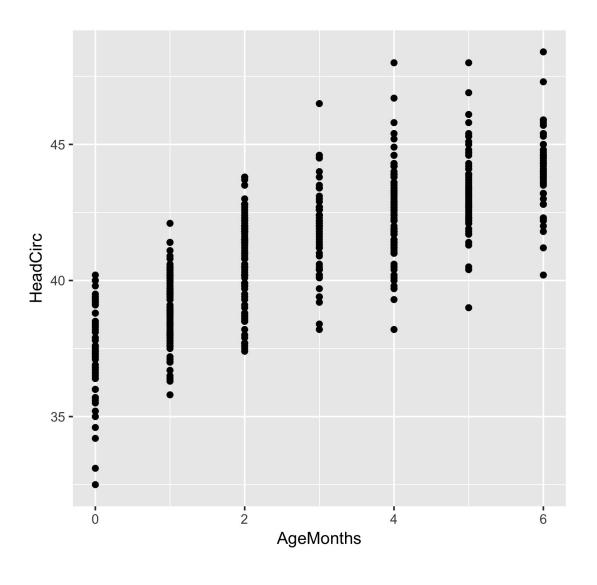
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Head size and age

```
babies <- filter(NHANESraw, AgeMonths <= 6) %>%
  select(AgeMonths, HeadCirc)
babies
# A tibble: 484 x 2
  AgeMonths HeadCirc
      <int>
               <dbl>
             42.7
            42.8
 23456
             38.8
            36.0
             42.7
              41.9
            44.3
 8
             42.0
 9
              41.3
10
               38.9
# ... with 474 more rows
```

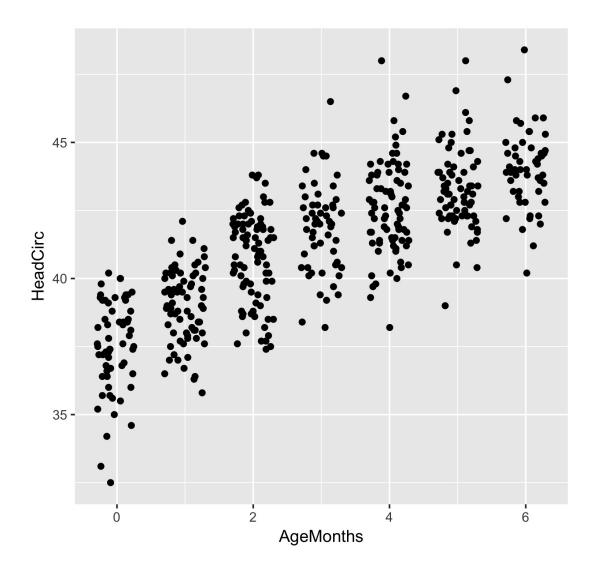
Scatterplots

```
ggplot(data = babies, mapping = aes(x = AgeMonths, y = HeadCirc)) +
  geom_point()
```



Jittering

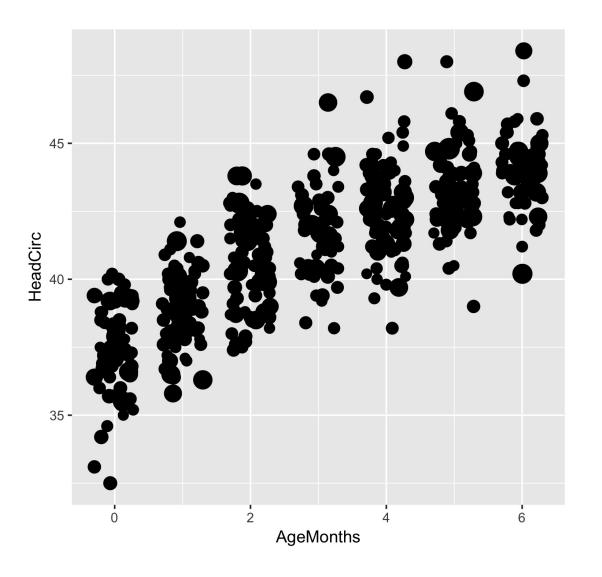
```
ggplot(data = babies, mapping = aes(x = AgeMonths, y = HeadCirc)) +
  geom_jitter(width = 0.3, height = 0)
```



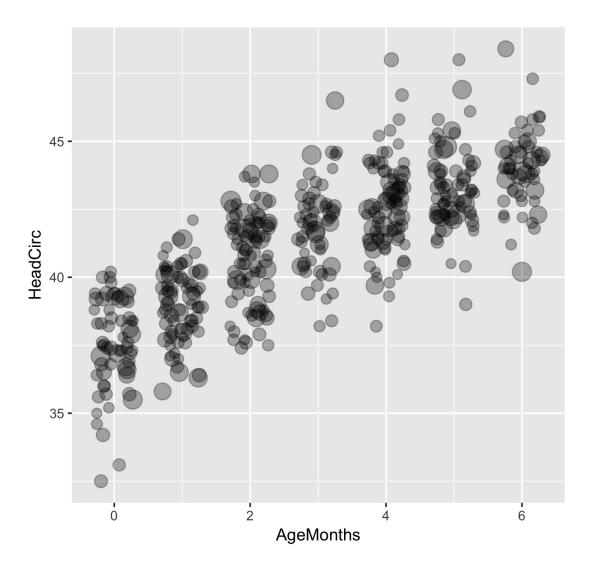
Survey-weighted scatterplots

```
babies <- filter(NHANESraw, AgeMonths <= 6) %>%
  select(AgeMonths, HeadCirc, WTMEC4YR)
babies
# A tibble: 484 x 3
   AgeMonths HeadCirc WTMEC4YR
                <dbl>
       <int>
                         <dbl>
                         12915
               42.7
 2
3
4
               42.8
                         12791
                38.8
                          2359
             36.0
                         4306
                42.7
                          2922
 6
                41.9
                          5561
               44.3
                         10416
 8
                42.0
                         9957
 9
                41.3
                          4503
10
                          3718
                 38.9
# ... with 474 more rows
```

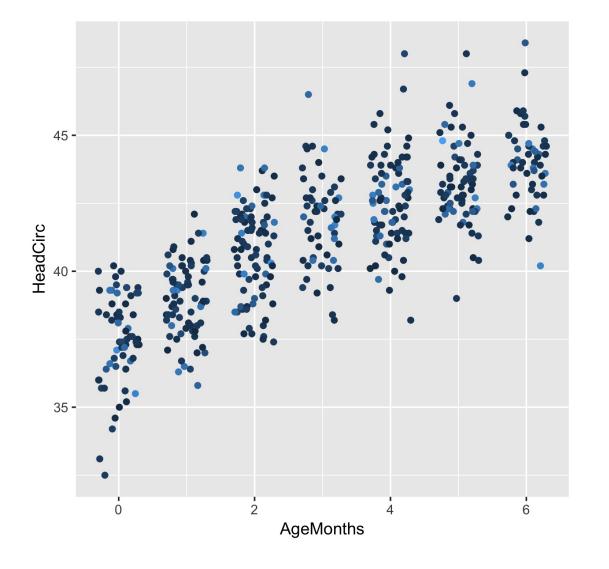
Bubble plots



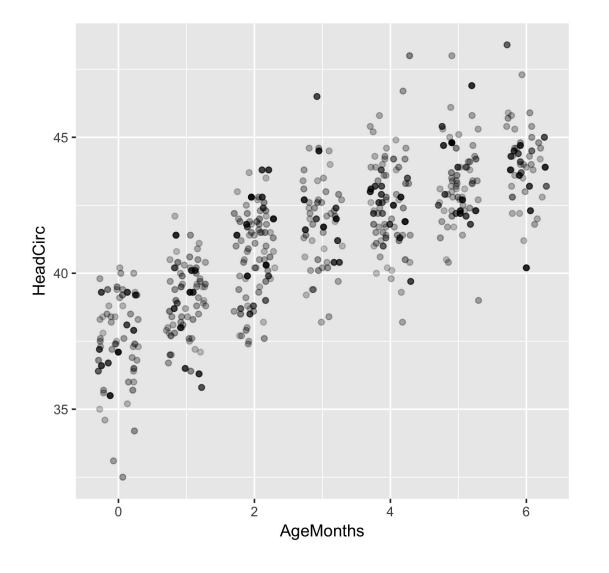
Bubble plots



Survey-weighted scatterplots



Survey-weighted scatterplots







Let's practice!

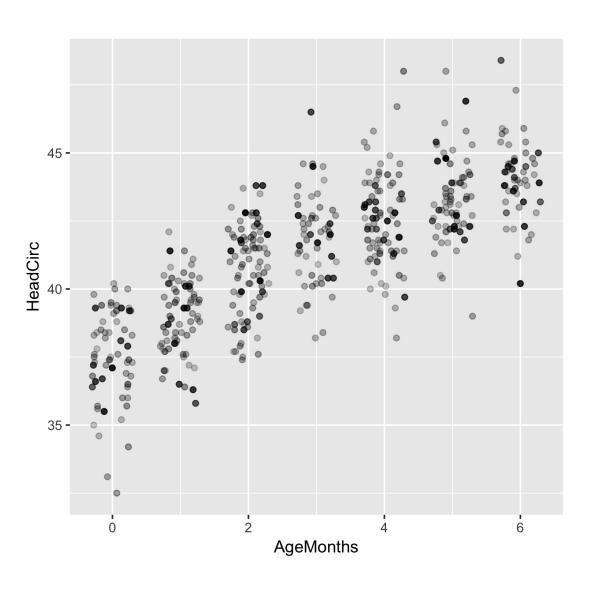




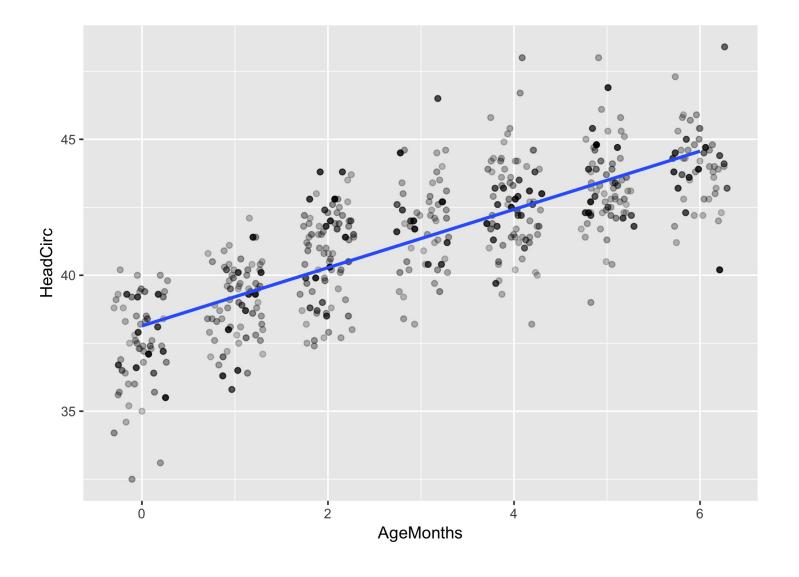
Visualizing trends

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Scatter plots



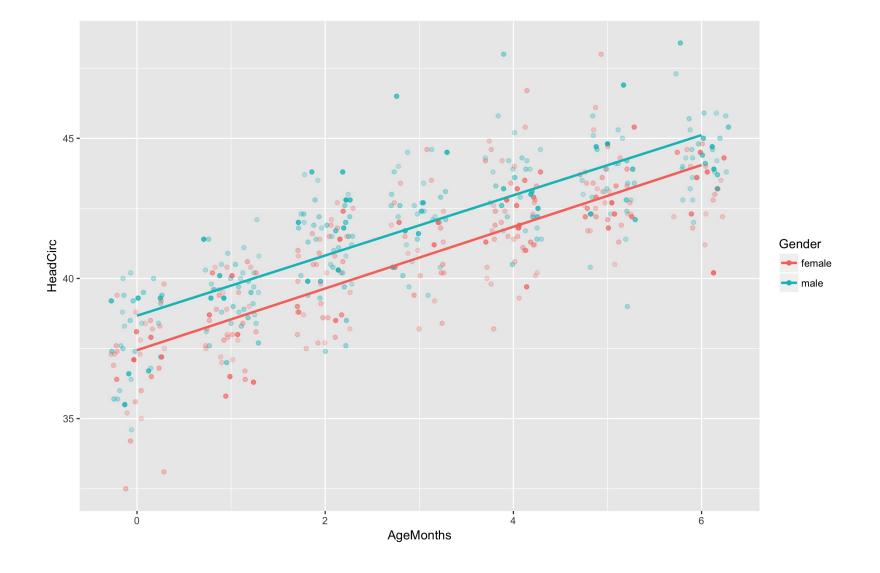
Survey-Weighted Line of Best Fit



Trend Lines

```
babies <- filter(NHANESraw, AgeMonths <= 6) %>%
  select(AgeMonths, HeadCirc, WTMEC4YR, Gender)
babies
# A tibble: 484 x 4
  AgeMonths HeadCirc WTMEC4YR Gender
               <dbl>
       <int>
                        <dbl> <fct>
                42.7
                       12915. male
 234567
               42.8
                      12791. female
                38.8
                      2359. female
             36.0
                     4306. female
                42.7
                     2922. female
                      5561. male
                41.9
                44.3
                       10416. female
 8
                        9957. female
                42.0
 9
                41.3
                     4503. male
10
                        3718. female
                38.9
# ... with 474 more rows
```

Trend Lines







Let's practice!

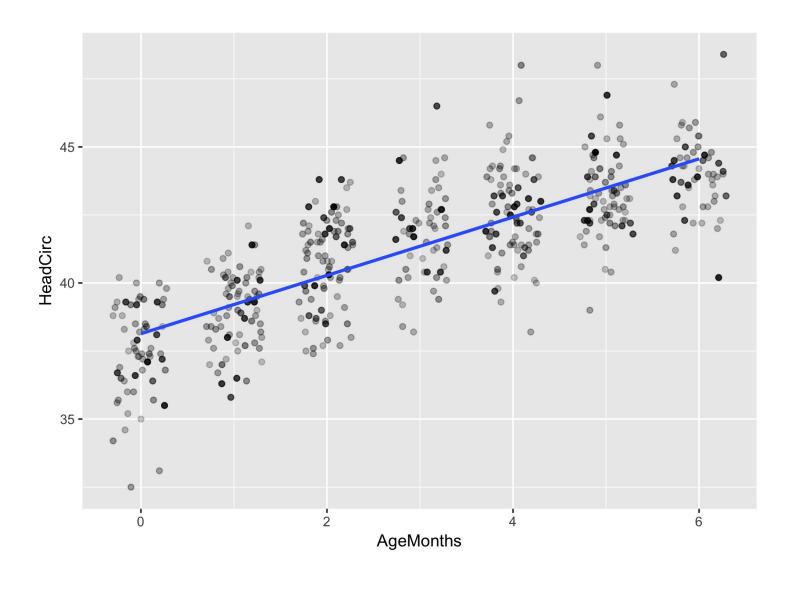




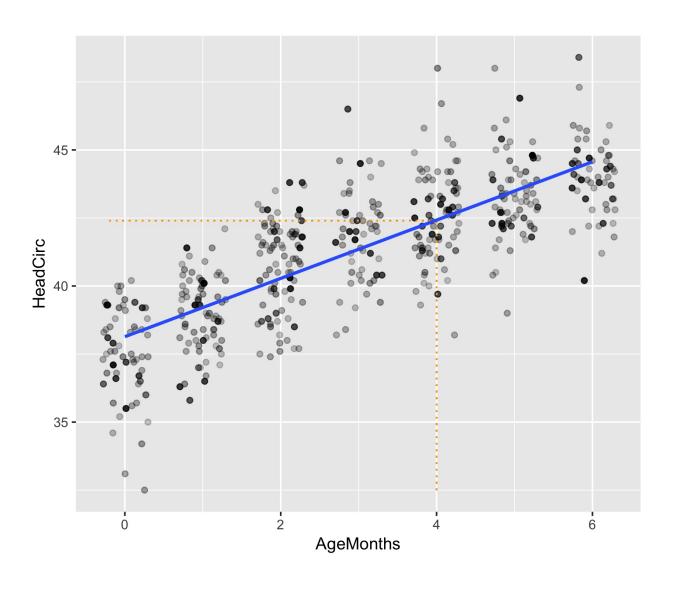
Modeling with linear regression

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Regression line



Regression line



Regression equation

• Regression equation is given by:

$$\hat{y} = a + bx$$

• Find a and b by minimizing

$$\sum_{i=1}^n w_i (y_i - \hat{y}_i)^2$$



Fitting regression model

Linear regression inference

• **Estimated** regression equation is given by:

$$\hat{y} = a + bx$$

• **True** regression equation is given by:

$$E(y) = A + Bx$$

• E(y) is the average value of y and the variance is $sd(y) = \sigma$.

Linear regression inference

Null Hypothesis: Head size and age are not linearly related (i.e., B=0).

Alternative Hypothesis: Head size and age are linearly related (i.e. $B \neq 0$).

Test statistic: $t = \frac{b}{SE}$





Let's practice!

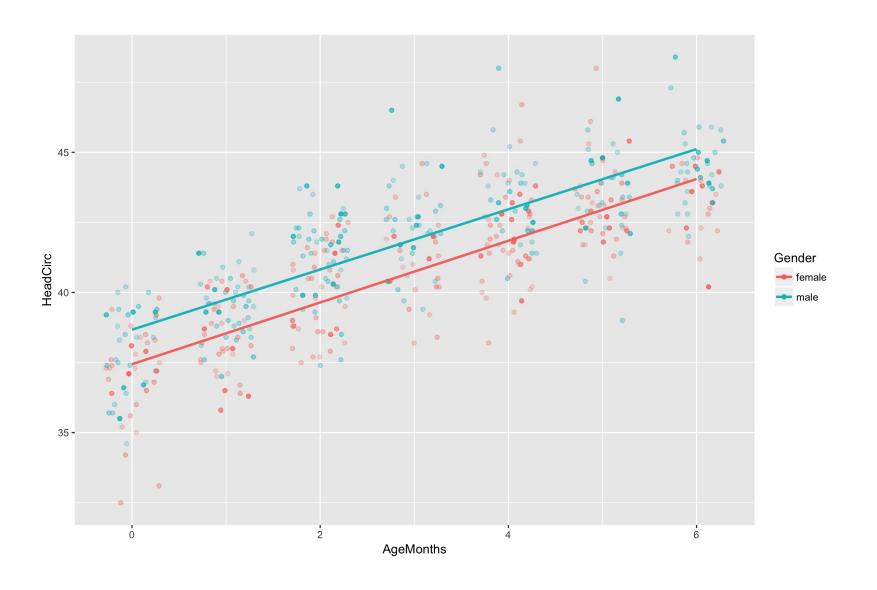




More complex modeling

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Multiple linear regression equation is given by:

$$E(y) = B_0 + B_1 x_1 + B_2 x_2 + \ldots + B_p x_p$$

```
babies
# A tibble: 484 x 4
  AgeMonths HeadCirc WTMEC4YR Gender
             <dbl>
      <int>
                   <dbl> <fct>
         3 42.7 12915. male
         4 42.8
                   12791. female
         2 38.8
                   2359. female
           36.0 4306. female
           42.7 2922. female
 5
6
           41.9
                   5561. male
           44.3
                    10416. female
                   9957. female
             42.0
 9
            41.3 4503. male
10
              38.9
                     3718. female
 ... with 474 more rows
```



Multiple linear regression equation is given by:

$$E(y) = B_0 + B_1 x_1 + B_2 x_2$$

```
babies
# A tibble: 484 x 4
  AgeMonths HeadCirc WTMEC4YR Gender
              <dbl>
                      <dbl> <fct>
      <int>
         3 42.7 12915. male
                   12791. female
         4 42.8
         2 38.8
                   2359. female
           36.0 4306. female
           42.7 2922. female
 5
6
           41.9
                      5561. male
           44.3
                    10416. female
             42.0
                   9957. female
 9
             41.3 4503. male
10
              38.9
                      3718. female
 ... with 474 more rows
```

```
babies <- mutate(babies, Gender2 = case when(</pre>
 Gender == "male" ~ 1,
 Gender == "female" ~ 0))
babies
# A tibble: 484 x 5
  AgeMonths HeadCirc WTMEC4YR Gender Gender2
               <dbl>
                       <dbl> <fct>
      <int>
                                     <dbl>
            42.7 12915. male
                    12791. female
            42.8
            38.8
                    2359. female
            36.0 4306. female
 5
6
             42.7 2922. female
              41.9
                       5561. male
              44.3
                      10416. female
 8
              42.0
                     9957. female
 9
              41.3 4503. male
10
               38.9
                       3718. female
# ... with 474 more rows
```

Multiple linear regression equation is given by:

$$E(y) = B_o + B_1 x_1 + B_2 x_2$$

• Line for males:

$$E(y) = (B_o + B_2) + B_1 x_1$$

• Line for females:

$$E(y) = B_o + B_1 x_1$$





Null hypothesis: Given age is in the model, gender should not be included

$$(B_2=0).$$

Alternative hypothesis: Given age is in the model, gender should be included

$$(B_2 \neq 0).$$

Test statistic: $t = \frac{b_2}{SE}$

Null hypothesis: Given gender is in the model, age should not be included

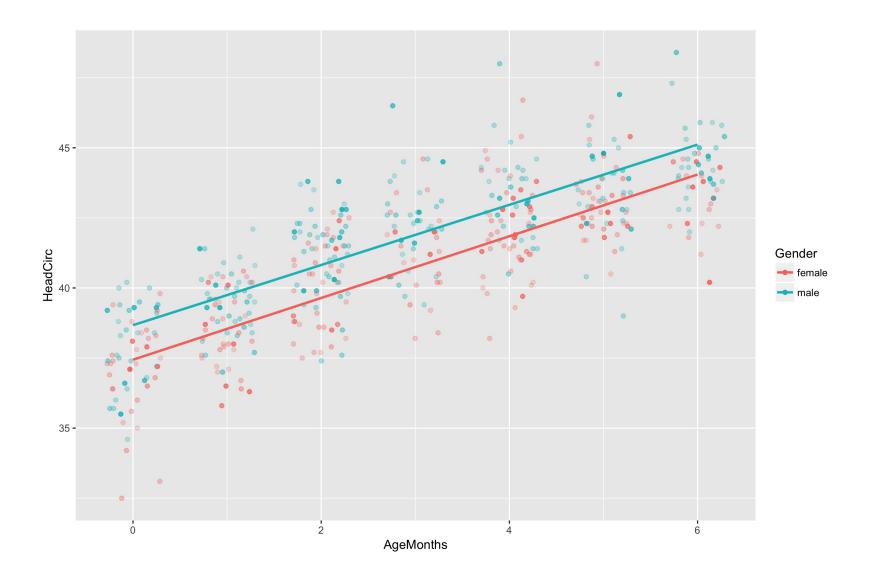
$$(B_1=0).$$

Alternative hypothesis: Given gender is in the model, age should be included

$$(B_1 \neq 0).$$

Test statistic: $t = \frac{b_1}{SE}$

$$E(y) = B_o + B_1 x_1 + B_2 x_2$$







Let's practice!





Wrap-up

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R packages

- survey: To analyze survey data
- dplyr: To wrangle data
- ggplot2: To graph the data

Course summary

- Ch 1: Survey fundamentals
 - Common design features: clustering, stratification
 - Survey weights
 - Telling R about your svydesign()
- Ch 2: Categorical data
 - Frequency and contingency tables with svytable()
 - Bar graphs with geom_col()
 - Inference with svychisq()

Course summary

- Ch 3: Quantitative and categorical data
 - Summary stats with svymean(), svytotal(), svyquantile()
 - Domain estimates with svyby()
 - Describing shape with geom histogram(), geom density()
 - Inference with svyttest()
- Ch 4: Modeling trends
 - Mapping survey weights in geom point()
 - Linear trends with geom_smooth(method = "lm")
 - Linear regression with svyglm()

Extensions

- Estimating more complex population quantities.
 - EX: svyratio()
- Building more complex models
 - EX : svyglm(Diabetes ~ Age, design = NHANES_design, family = quasibinomial)





Congratulations!