

Python DeCal

Week 8

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Announcements

- Final Projects
 - Communicating with your group members
 - Final Project Proposal due: **Wednesday**
 - **Submit a PDF**
 - **You don't have to stick with it but it's recommended that you do**
- Attendance: <https://forms.gle/d5Bu8TdshuvuSxtN7>

PANDAS

- One of the easiest ways to import data files



Uses a new object
called a dataframe

Importing Pandas

```
import pandas as pd
```

- This library imports data files with tremendous ease by storing them in a new data type called a dataframe



	count	names	percentage
0	19837	Liam	0.0102
1	18688	Emma	0.0101
2	18267	Noah	0.0097
3	17921	Olivia	0.0095
4	14924	Ava	0.0081

Uses: Reading in Data

- Reading in data from a csv file

```
Data_frame = pd.read_csv('filename.csv')
```

- Reading in data from a excel file

```
Data_frame = pd.read_excel('filename.excel')
```

- Reading in data from a hdf5 file

```
Data_frame = pd.read_hdf('filename.hdf')
```

Uses: DataFrames to Arrays/Lists

- Now how do we extract a column from our data?

```
Column_values = Data_frame['column name']
```


- If you want to make the data values a numpy array:

```
Column_values = Data_frame['column name'].to_numpy()
```



- If you want to make the data values a regular list:

```
Column_values = Data_frame['column name'].to_list()
```



Making Your Own DataFrames

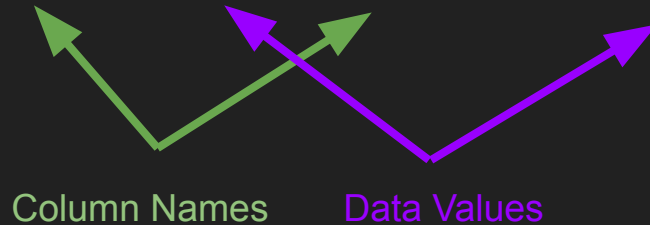
- You have some data lists or arrays:

```
names = ['Jim', 'Dwight', 'Pam', 'Michael', 'Stanley']
```

```
birth_count = [9837, 8688, 8267, 1921, 1924]
```

- Lets first construct a dictionary:

```
data = {'names': names, 'count': birth_count}
```



Data Conversion

- Now we can convert this data to a DataFrame:

```
>>> df = pd.DataFrame(data)
```



- Lastly we can export our DataFrame to a .csv file:

```
>>> df.to_csv('filename.csv')
```

	names	count
0	Jim	9837
1	Dwight	8688
2	Pam	8267
3	Michael	1921
4	Stanley	1924

You're Done!

That's the basics, we can import and export data with only a handful of functions.

If you ever want to see if pandas can do something, google it! This library is **Extremely** well documented

[CLICK HERE FOR FULL DOCUMENTATION GUIDE](#)



Final Project Proposal Help

- With the remaining time we are going to put everyone in breakout rooms and help make sure you have a plan together and your proposals are coming together for wednesday
- If you're done it will be open office hours for HW 6 due Friday



Wednesday

<https://forms.gle/RxF66Y5nMwemSsw7>



Announcements

- We gave y'all some more time for final project proposals
- Last Python HW is due this Friday
- Project Proposals are due on Wednesday after Break

Breakout Rooms

- What is a DataFrame object?
- Are DataFrames standard python objects?

Object Oriented Programming

- Arguably one of the most **powerful** features of python
- Allows us to construct **objects** with their own **traits** and **methods**
- We can create a **Class** of objects, once you make an object that object will have all the traits and methods of its' class.

Example

Class Human

Traits:  Properties of the object

» eye color, hair color, skin color, height, weight, etc....

Methods:  Things the object can do

» Jump, run, clap, skip, push, talk, think, etc....

Example

Define the class

```
class Human:
```

"Constructor" function

```
    def __init__(self, age, height):
```

```
        self.age = age
```

Traits

```
        self.height = height
```

Method for an object in
the class

```
    def grow(self):
```

```
        self.height += 1
```

Example

```
>>> James = Human(20, 70)
```

Age
(yrs)

Height
(inches)

The line above creates an object from the human class with the required arguments of the constructor function. I call this object: James

```
>>> James.grow()
```

New notation for calling a function!
Does it look familiar?

The line above calls the grow method belonging to an object in the human class, which just adds an inch to my height so now

```
>>> print(James.height)
```

You've already used object oriented programming!

Anyone remember this?

```
ax.plot(x,y)
```

```
ax.set_title('Title')
```

```
ax.set_xlabel('x-axis')
```

```
ax.set_ylabel('y-axis')
```

```
ax.legend()
```

These are all just **methods** for the ax object!

You've already used object oriented programming!

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```
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```

```
ax.set_ylabel('y-axis')
```

```
ax.legend()
```

```
list.append()  
list.remove()  
np.array()
```

Even with these



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np.array()
```

Even with these

Sign of an object in python

These are all just **methods** for the ax object!

Can be useful for physics!

CARTESIAN VECTORS - 3D - X, Y, Z

Scalars
 $F_x = F \cos \alpha$
 $F_y = F \cos \beta$
 $F_z = F \cos \gamma$

Projection
 $F_x = F \sin \gamma \Rightarrow F_x^2 = F^2 - F_y^2 - F_z^2 \Rightarrow F_x = \sqrt{F^2 - F_y^2 - F_z^2}$
 $F_y = F \sin \alpha \Rightarrow F_y^2 = F^2 - F_x^2 - F_z^2 \Rightarrow F_y = \sqrt{F^2 - F_x^2 - F_z^2}$
 $F_z = F \sin \beta \Rightarrow F_z^2 = F^2 - F_x^2 - F_y^2 \Rightarrow F_z = \sqrt{F^2 - F_x^2 - F_y^2}$

UNIT VECTOR
 $\hat{u}_F = \frac{\vec{F}}{F} = \cos \alpha \hat{i} + \cos \beta \hat{j} + \cos \gamma \hat{k}$
 $\text{So } u_x = \cos \alpha, u_y = \cos \beta, u_z = \cos \gamma$

MULTIPLY BY SCALAR
 $s\vec{F} = sF_x\hat{i} + sF_y\hat{j} + sF_z\hat{k}$

ADDITION OF CARTESIAN VECTORS
 $\vec{R} = \vec{F}_1 + \vec{F}_2$
 $\vec{R} = (F_{1x} + F_{2x})\hat{i} + (F_{1y} + F_{2y})\hat{j} + (F_{1z} + F_{2z})\hat{k}$

ADD MORE THAN 2 VECTORS
 $\vec{R} = (\sum F_x)\hat{i} + (\sum F_y)\hat{j} + (\sum F_z)\hat{k}$

Example
 GIVEN $\vec{F}_1 = (300\hat{i} - 400\hat{j} + 120\hat{k})\text{ N}$
 $\vec{F}_2 = (-310\hat{i} - 315\hat{j} + 781\hat{k})\text{ N}$
 $\vec{F}_3 = (200\hat{i} + 600\hat{j} - 700\hat{k})\text{ N}$
 FIND $\vec{R} = \vec{F}_1 + \vec{F}_2 + \vec{F}_3$
 $\vec{R} = (190\hat{i} - 115\hat{j} + 201\hat{k})\text{ N}$
 $R = |\vec{R}| = \sqrt{(190)^2 + (-115)^2 + (201)^2} = 300\text{ N}$

Angles
 $\alpha = \cos^{-1}(\frac{F_x}{F}) = \cos^{-1}(\frac{190}{300}) = 50.6^\circ$
 $\beta = \cos^{-1}(\frac{F_y}{F}) = \cos^{-1}(\frac{-115}{300}) = 112^\circ$
 $\gamma = \cos^{-1}(\frac{F_z}{F}) = \cos^{-1}(\frac{201}{300}) = 47.5^\circ$

Can be useful for physics!



NO! You have to calculate dot products by hand



haha computer go brrr

Vector Class

```
class Vector:
```

```
    def __init__(self, x, y):  
        self.x = x  
        self.y = y
```

Constructor Function + Traits

Vector Class

`class Vector:`

```
def __init__(self, x, y):  
    self.x = x  
    self.y = y
```

Constructor Function + Traits

#all the properties of vectors and the tools we can use with them. We could use numpy, but this made more intuitive sense to make our own #class, and rewrite our own operators. It is nice to stay consistent with the class and object style from before with the balls.

```
def len(self):  
    return math.sqrt(self.x*self.x + self.y*self.y)  
def __add__(self, other):  
    return Vector(self.x + other.x, self.y + other.y)  
def __sub__(self, other):  
    return Vector(self.x - other.x, self.y - other.y)  
def __mul__(self, other):  
    return Vector(self.x * other, self.y * other)  
def __rmul__(self, other):  
    return Vector(self.x * other, self.y * other)  
def __truediv__(self, other):  
    return Vector(self.x / other, self.y / other)
```

Methods

Vector Class

class Vector:

```
def __init__(self, x, y):  
    self.x = x  
    self.y = y
```

Constructor Function + Traits

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def __mul__(self, other):  
    return Vector(self.x * other, self.y * other)  
  
def __rmul__(self, other):  
    return Vector(self.x * other, self.y * other)  
  
def __truediv__(self, other):  
    return Vector(self.x / other, self.y / other)  
  
def angle(self):  
    return math.atan2(self.y, self.x)  
  
def norm(self):  
    if self.x == 0 and self.y == 0:  
        return Vector(0, 0)  
    return self / self.len()  
  
def dot(self, other):  
    return self.x*other.x + self.y*other.y
```

Methods

Demo