

Intermediate Code Generation (ICG)

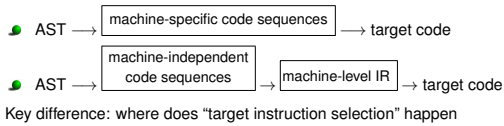
Transform AST to lower-level intermediate representation

Basic Goals: *Separation of Concerns*

- Generate efficient code sequences for *individual* operations
- Keep it fast and simple: leave most optimizations to later phases
- Provide clean, easy-to-optimize code
- IR forms the basis for code optimization and target code generation

Mid-level vs. Low-level Model of Compilation

- Both models can use a machine-independent IR:



Intermediate code generation — Overview

Goal: Translate AST to low-level machine-independent 3-address IR

Assumptions

- Intermediate language: RISC-like 3-address code[‡]
 - Intermediate Code Generation (ICG) is independent of target ISA
 - Storage layout has been pre-determined
 - Infinite number of registers + Frame Pointer (FP)
- Q. *What values can live in registers?*

[‡] *ILOC: Cooper and Torczon, Appendix A.*

Strategy

- Simple bottom-up tree-walk on AST
- Translation uses only local info: current AST node + children
- Good (local) code is important!
 - Later passes have less semantic information
 - E.g., array indexing, boolean expressions, case statements
- We will discuss important special cases

Code generation for expression trees

Illustrates the tree-walk scheme

- assign a virtual register to each operator
- emit code in *postorder* traversal of expression tree

Notes

- assume tree reflects precedence, associativity
- assume all operands are integers
- `base()` and `offset()` may emit code
- `base()` handles lexical scoping

Support routines

- `base(str)` — looks up `str` in the symbol table and returns a virtual register that contains the base address for `str`
- `offset(str)` — looks up `str` in the symbol table and returns a virtual register that contains the offset of `str` from its base register
- `new_name()` — returns a new virtual register name

Simple treewalk for expressions

```

expr( node )
int result, t1, t2, t3;
switch( type of node )
{
    case TIMES:
        t1 = expr( left child of node );
        t2 = expr( right child of node );
        result = new_name();
        emit( mult, t1, t2, =>, result );
        break;

    case PLUS:
        t1 = expr( left child of node );
        t2 = expr( right child of node );
        result = new_name();
        emit( add, t1, t2, =>, result );
        break;

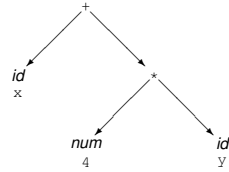
    case ID:
        t1 = base( node.val );
        t2 = offset( node.val );
        result = new_name();
        emit( loadAO, t1, t2, =>,
        break;

    case NUM:
        result = new_name();
        emit( loadI, node.val, =>
        break;

    }
    return result;
  
```

Minus & divide follow the same pattern

Code generation



Assume base for x and y is fp

```

loadI  offset of x => r1
loadAO fp, r1      => r2   ; r2 ← x
loadi  4           => r3   ; constant
loadi  offset of y => r4
loadAO fp, r4      => r5   ; r5 ← y
mult   r3, r5      => r6
add    r2, r6      => r7
  
```

Mixed type expressions

Mixed type expressions

- E.g., $x + 4 * 2.3e0$
- expression must have a clearly defined meaning
- typically convert to more general type
- complicated, machine dependent code

Typical Language Rule

E.g., $x + 4$, where $(T_x \neq T_4)$:

1. $T_{result} \leftarrow f(+, T_x, T_4)$
2. convert x to T_{result}
3. convert 4 to T_{result}
4. add converted values (yields T_{result})

Sample Conversion Table

+	int	real	double	complex
int	<i>int</i>	<i>real</i>	<i>double</i>	<i>complex</i>
real	<i>real</i>	<i>real</i>	<i>double</i>	<i>complex</i>
double	<i>double</i>	<i>double</i>	<i>double</i>	<i>complex</i>
complex	<i>complex</i>	<i>complex</i>	<i>complex</i>	<i>complex</i>

Array references

Example: $A[i, j]$

Basic Strategy

1. Translate i (may be an expr)
2. Translate j (may be an expr)
3. Translate $\&A + [i, j]$
4. Emit load

Index Calculation assuming row-major order

- Let $n_i = \text{high}_i - \text{low}_i + 1$

- Simple address expression (in two dimensions):
 $\text{base} + ((i_1 - \text{low}_1) \times n_2 + i_2 - \text{low}_2) \times w$

- Reordered address expression (in k dimensions):

$$\begin{aligned}
 & ((\dots(i_1 n_2 + i_2) n_3 + i_3) \dots) n_k + i_k) \times w \\
 & + \text{base} - \\
 & w \times ((\dots(\text{low}_1 \times n_2) + \text{low}_2) n_3 + \text{low}_3) \dots) n_k + \text{low}_k
 \end{aligned}$$

Optimizing the address calculation

$$\begin{aligned}
 & ((\dots(i_1 n_2 + i_2) n_3 + i_3) \dots) n_k + i_k) \times w \\
 & + \text{base} - \\
 & w \times ((\dots(\text{low}_1 \times n_2) + \text{low}_2) n_3 + \text{low}_3) \dots) n_k + \text{low}_k
 \end{aligned}$$

Constants

- Usually, all low_i are constants
- Sometimes, all n_i except n_1 (high-order dimension) are constant \Rightarrow final term is compile-time evaluable

Expose common subexpressions

- refactor first term to create terms for each i_r :
 $i_r \times n_{r+1} \times n_{r+2} \times \dots \times n_k \times w$
- LICM: update r^{th} term only when i_r changes \Rightarrow can remove much of the overhead

Case statements

Basic rules

1. evaluate the controlling expression
2. branch to the selected case
3. execute its code
4. branch to the following statement

Main challenge: finding the right case

Method	When	Cost
linear search	few cases	$O(\text{cases})$
binary search	sparse	$O(\log_2(\text{cases}))$
jump table	dense	$O(1)$, but with table lookup

Implementing Assignment of Mutable Objects

```

1      Assignment
2  let x: SomeType <- foo() in
    ...

```

Mutable Objects: Copy pointers

t_0 = alloc pointer to SomeType-Object;

t_2 = Call foo() ;; t_1 points to result object

* t_0 = t_2 ;; t_0, t_2 now point to same obj

...

Cannot copy object values from $*t_2$ to $*t_0$ because x must refer to the same object that the last statement evaluated in foo().

E.g., Javascript 6 defines `Object.assign(t2)` that supports immutable object copy

Options for Implementing Immutable Objects

```

1      Immutable Type: Int
2  let x: Int <- foo() + self.n in
3  let o: Object <- x in
    o.type_name() ...

```

Option 1: Objects everywhere

- Store primitive type values as first-class objects always
- E.g., Store i32 value as object field
- Load/store the field value before/after arithmetic ops on the object
- Normal object operations for all other ops, e.g., method dispatch

Option 2: Box / unbox only where needed

- Store primitive type values as primitive types, e.g., i32
- Arith. ops work directly on the values
- Object-level ops, e.g., method dispatch:
 - Alloc object before op
 - Copy value into object field ("box")
 - Perform method dispatch
 - Copy final object field out ("unbox")
 - Deallocate object if on heap

Options for Objects: How well can they be optimized?

This mainly applies to primitive objects / fields

For Mutable Types: Copy pointers

- Uniform code generator: no special cases for primitives
- Int fields: likely to remain objects in heap

Immutable Types, Option 1: Copy values

- Special cases for primitives: assignment, copies
- Local variables on heap: all promoted to int registers
- Temp objects on heap: all promoted to int registers
- Fields: likely to remain objects in heap

Immutable Types, Option 2: Box/unbox only where needed

- Special cases for primitives: assignment, copies, method dispatch
- Let vars, temps: held in int registers (except when boxed)
- Fields: simple primitive fields in parent object
- Overhead of boxing/unboxing can be eliminated if method calls inlined

Structures

Structure Accesses

$p \rightarrow x$ becomes $\text{loadAI } r_p, \text{offset}(x) \Rightarrow r_1$

Structure Layout: Key Goals

- All structure fields have constant offsets, fixed at compile-time
- May need padding between fields \Leftarrow Why?
- May need padding at *end of struct* \Leftarrow Why?

Structure Layout Example

```
struct Small { char* p; int n; };
struct Big   { char c; struct Small m; int i; };
```

- Assume SparcV9: Byte alignments = *pointer*: 8, *int*: 4, *short*: 2
- Offsets? $p: \quad ? \quad n: \quad ? \quad c: \quad ? \quad m: \quad ? \quad i: \quad ?$
- $\text{sizeof}(\text{struct Small}) = \quad ? \quad \text{sizeof}(\text{struct Big}) = \quad ?$

Class with single-inheritance

Key Operations and Terminology

- $p.x$ Field access
- $p.M(a_1, a_2, \dots, a_n)$ Method dispatch
- $C_q \sqsubseteq C_p = (C_q) \sqsubseteq p$ Downcast

Terminology and Type-Checking Assumptions

- C_p, C_q : the *static types* of references p, q
- O_p, O_q : the *dynamic types* of the objects p, q refer to
- $O_p \leq C_p$ (in COOL notation), i.e., O_p is lower in inheritance tree.
- x, M are valid members of $C_p \Rightarrow$ valid for O_p
- For downcast, $O_p \leq C_q$ When is this checked?

Class with single-inheritance: Code Generation Goals

Functional Goals

1. Class layouts, run-time descriptors constructed at compile-time
Note: Class-loading-time in a JVM is compile-time
2. Same code sequences must work for any $O_p \leq C_p$
3. Separate compilation of classes
 \Rightarrow we know superclasses but not subclasses
 \Rightarrow code sequences, layouts, descriptors must be consistent for all classes

Efficiency Goals

1. Small constant-time code sequences
2. Avoid hashing $[\text{class-name}, \text{method-name}] \rightarrow \text{func ptr}$
3. Minimize #indirection steps
4. Minimize #object allocations for temporaries
5. Two important optimizations: *inlining*, *dynamic* \rightarrow *static dispatch*

Single-inheritance: Example

Runtime Objects

- *Class record*: One per class
- *Method table*: One per class
- *Object record*: One per instance

```
COOL Classes
1 class C1 (* inherits Object *) { x1: Int; y1: Int; M1(): Int };
2 class C2 inherits C1 { x2: Int; M2(): Int };
3 class C3 inherits C2 { x3: Int; M1(): Int; M3(): Int };
```

Class Records for Example

```
Class Records in C
1 struct ClassC1 { struct ClassObject* p; VTableC1 { ... }; int 1; }
2 struct ClassC2 { struct ClassC1* p; VTableC2 { ... }; int 2; }
3 struct ClassC3 { struct ClassC2* p; VTableC3 { ... }; int 3; }
```

Single-inheritance: Example (continued)

Method Tables for Example

```

1 struct VTableC1 { <Object methods>; int() * M1_C1; };
2 struct VTableC2 { <Object methods>; int() * M1_C1; int() * M2_C2; };
3 struct VTableC3 { <Object methods>; int() * M1_C3; int() * M2_C2; int() * M3_C3;

```

Object Records for Example

```

1 struct ObjObject { void* classPtr; /* no fields */ };
2 struct ObjC1 { struct ObjObject p1; int x1; int y1; };
3 struct ObjC2 { struct ObjC1 p2; int x2; };
4 struct ObjC3 { struct ObjC2 p3; int x3; };

```

Compare layouts of these object records:

```

ObjObject: { classPtr }
ObjC1:      { classPtr; x1; y1 }
ObjC2:      { classPtr; x1; y1; x2 }
ObjC3:      { classPtr; x1; y1; x2; x3 }

```

Single-inheritance: Example (continued)

Code Sequence for Field Access

```

(* r2: C2 <- new C3; r3: C3 <- new C3*)
x: Int <- r2.x1 + r3.x1;

```

Code Sequence for Method Dispatch

```

(* r3: C1 <- new C3 *)
x: Int <- r3.M1()

```

Runtime Safety Checks

Fundamental cost for safe languages:

Java, ML, Modula, Ada, ...

Loads and Stores

- Initialize all pointer variables (including fields) to NULL
- Check $(p \neq 0)$ before every load/store using p *optimize for locals!*

Downcasts

- Record class identifier in class object
- Before downcast $C_q \rightarrow C_p$: Check $O_p \leq C_q$

Array References

- Empirical evidence:* These are by far the most expensive run-time checks
- Record size information just *before* array in memory
- Before array reference $A[\text{expr}_0, \dots, \text{expr}_{n-1}]$:
Check $(lb_i \leq \text{expr}_i) \wedge (\text{expr}_i \leq ub_i), \forall 0 \leq i \leq n-1$ *optimize!*

Separation of Concerns: Principles

Read: *The PL8 Compiler*, Auslander and Hopkins, CC82.

Fundamental Principles

- Each compiler pass should address one goal and leave other concerns to other passes.
- Optimization passes should use a common, standardized IR.
- All code (user or compiler-generated) optimized uniformly

Key Assumptions

- register allocator does a great job \Rightarrow *simplifies optimizations*
- optimization phase does a great job \Rightarrow *simplifies translation*
- little or no special case analysis
- global data-flow analysis is worthwhile

Separation of Concerns: Optimizations and Examples

Optimization Passes in PL8 Compiler

- Dead Code Elimination (DCE)
- Constant Propagation (CONST)
- Strength reduction
- Reassociation
- Common Subexpression Elimination (CSE)
- Global Value Numbering (GVN)
- Loop Invariant Code Motion (LICM)
- Dead Store Elimination (DSE)
- Control flow simplification (Straightening)
- Trap Elimination
- Peephole optimizations

Separation of Concerns: Examples

- ICG ignores common opts: DCE, CSE, LICM, straightening, peephole
- CSE and LICM ignore register allocation
- Instruction scheduling ignores register allocation

Separation of Concerns: Tradeoffs

Advantages

- Simple ICG: *bottom-up, context-independent*
- Opts. can ignore register constraints
- Each pass can be simpler \implies *more reliable, perhaps faster*
- Each optimization pass can be run multiple times.
- Sequences of passes can be run in different orders.
- Each pass gets used nearly every time \implies more reliable
- User-written and compiler-generated code optimized uniformly

Disadvantages

- Requires robust optimization algorithms
- Requires strong register allocation
- Compilation time?

EXTRA SLIDES

**REMAINING SLIDES ARE
EXTRA TOPICS**

Whole arrays as procedure parameters

Three main challenges

1. Finding extents of all dimensions (including highest if checking bounds)
2. Passing non-contiguous section of larger array, e.g., Fortran 90:
Formal Param: $F(:, :)$
Actual Param (whole array): $A(1:100, 1:100)$,
Actual Param (array section): $A(10:50:2, 20:100:4)$
3. Passing an array by value

Language design choices

- C, C++, Java, Fortran 77: problem (1) is trivial and (2,3) don't exist
- Fortran 90, 95, ... : problems (1) and (2) are non-trivial

Passing whole arrays by value

- making a copy is extremely expensive
 \Rightarrow pass by reference, *copy-on-write* if value modified
- most languages (including call-by-value ones) pass arrays by reference

Whole arrays by reference

Finding extents

- pass a pointer to a *dope vector* as parameter:
 $[l_1, u_1, s_1, l_2, u_2, s_1, \dots, l_k, u_k, s_k]$
- stuff in all the values in the calling sequence
- generate address polynomial in callee
- interprocedural optimizations can eliminate this:
 - inlining
 - procedure specialization (aka cloning)
 - single caller

Passing non-contiguous section of larger array

- Fortran 90 requires that *section must have regular stride*
 \Rightarrow dope vector with strides is sufficient

Function calls in Expressions

Key issue: Side Effects

- Evaluation order is important
- Example: $\text{func1}(a) * \text{globalX} * \text{func2}(b)$
- Register save/restore will preserve intermediate values

Use standard calling sequence for each call

- set up the arguments
- generate the call and return sequence
- get the return value into a register

Boolean & relational expressions

Boolean expressions		Relational expressions	
<i>boolean</i>	→ not <i>or-term</i> <i>or-term</i>	<i>rel-term</i>	→ <i>rel-term</i> <i>rel-op</i> <i>expr</i> <i>expr</i>
<i>or-term</i>	→ <i>or-term</i> or <i>and-term</i> <i>and-term</i>	<i>rel-op</i>	→ < ≤ = ≠ ≥ >
<i>and-term</i>	→ <i>and-term</i> and <i>value</i> <i>value</i>	<i>expr</i>	→ ... (rest of expr grammar)
<i>value</i>	→ true false <i>rel-term</i>		

Short-circuiting Boolean Expressions

What is “short circuiting”?

Terms of a boolean expression can be evaluated until its value is established. Then, any remaining terms must not be evaluated.

Example

if (a && foo(b)) ...
call to foo() should not be made if a is false.

Basic Rules

- once value established, stop evaluating
- true or (expr) is true
- false and (expr) is false
- order of evaluation must be observed

Note: If order of evaluation is unspecified, short-circuiting can be used as an optimization: reorder by cost and short-circuit

Relations and Booleans using numerical values

Numerical encoding

- assign a value to true, such as 1 (0x00000001) or -1 (0xFFFFFFFF)
- assign a value to false, such as 0
- use hardware instructions — and, or, not, xor
- Select values that work with the hardware (not 1 & 3)

Example: b or c and not d

```
1 t1 ← not d
2 t2 ← c and t1
3 t3 ← b or t2
```

Example: if (a < b)

```
1 if (a < b) br l1
2 t1 ← false
3 br l2
4 l1: t1 ← true
5 l2: nop ; now use result
```

Can represent relational as boolean!
⇒ Integrates well into larger boolean expressions

Relationals using control flow

Encode using the program counter

- encode answer as a position in the code
- use conditional branches and hardware comparator
- along one path, relation holds; on other path, it does not

Example: if (a < b) stmt₁ else stmt₂

Naïve code:

```
1 if (a < b) br lthen
2 br lelse
3 lthen: code for stmt1
4 br lafter
5 lelse: code for stmt2
6 br lafter
7 lafter: nop
```

After branch folding:

```
1 if (a < b) br lthen
2 lelse: code for stmt2
3 br lafter
4 lthen: code for stmt1
5 lafter: nop
```

Path lengths are balanced.

Booleans using control flow

Example:

```
if (a<b or c<d and e<f)
  then stmt1
  else stmt2
```

Naïve code:

```
1      if (a < b) br lthen
2      br l1
3 l1:   if (c < d) br l2
4      br lelse
5 l2:   if (e < f) br lthen
6      br lelse
7 lthen: stmt1
8      br lafter
9 lelse: stmt2
10     br lafter
11 lafter: nop
```

After branch folding:

```
1      if (a < b) br lthen
2      if (c >= d) br lelse
3      if (e < f) br lthen
4 lelse: stmt2
5      br lafter
6 lthen: stmt1
7 lafter: nop
```

It cleans up pretty well.

Control Flow vs. Numerical Representations: Tradeoffs

Hardware Issues

- **Condition code (CC) registers:** encode comparisons
- **Predicated instructions:** use boolean values for conditional execution (instead of "control flow")
- **Conditional moves:** use CC regs as boolean values

Tradeoffs

- Control flow works well when:
 - Result is only used for branching
 - Conditional moves and predicated execution are not available *or* code in branches is not appropriate for them
- Numerical representation works well when:
 - Result must be materialized in a variable
 - Result is used for branching but conditional moves or predicated execution are available and appropriate to use for code in branches

Control-flow constructs

Branches are common and expensive. Efficient inner loops are critical.

Examples

if-then-else: see Boolean/relational expressions
do, while **or** for loops
switch statement

Loops

- Convert to a common representation
- do: evaluate iteration count *first*
- while and for: test and backward branch at bottom of loop
 - ⇒ simple loop becomes a single basic block
 - ⇒ backward branch: easy to predict