# SC201 Lecture 10

$$W = \begin{bmatrix} W_1 \\ W_2 \\ \vdots \\ W_{nf} \end{bmatrix}_{n \times 1} \qquad X = \begin{bmatrix} X_{11} & X_{21} & & X_{m1} \\ X_{12} & X_{22} & & X_{m2} \\ \vdots & \vdots & & \vdots \\ X_{1n} & X_{2n} & & X_{m3} \end{bmatrix}_{n \times m} \qquad Y = [y_1, y_2 \dots y_m]_{1 \times m}$$

$$W.T =$$

# Fowardprop

$$K = W.T.dot(X) + b$$

$$H = 1/(1+np.exp(-k))$$

$$L = -(Y*np.log(H)+(1-Y)*np.log(1-H))$$

$$J = \frac{1}{m} * np.sum(L)$$

**Backprop** 
$$W = W - \alpha \frac{dJ}{dW}$$
  $b = b - \alpha \frac{dJ}{db}$ 

$$\frac{dJ}{dW} =$$

$$\frac{dJ}{dH} =$$

$$\frac{dH}{dK} =$$

$$\frac{dK}{dW} =$$

#### titanic\_batch\_gradient\_descent.py

#### def main():

# classifier = h.fit(X,Y)

\_\_\_\_ = W.T.dot(X)+b

predictions = \_\_\_\_\_

acc = \_\_\_\_\_

num\_acc = \_\_\_\_(acc)

#### def batch\_gradient\_descent():

print('Acc:', num acc/m)

n, m = X.shape

w = \_\_\_\_

b = \_\_\_\_

for epoch in range(NUM\_epochs):

$$K = W.T.dot(X)+b$$

$$H = 1/(1+np.exp(-k))$$

$$L = -(Y*np.log(H)+(1-Y)*np.log(1-H))$$

$$J = \frac{1}{m}*np.sum(L)$$
Fowardprop

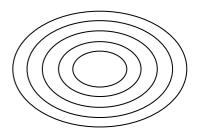
if epoch% 1000 == 0:

# W = W - alpha \* dJ\_dW W = W - ALPHA \* ( $(\frac{1}{m})$ \* np.sum(X.dot((H-Y).T), axis=1, keepdims = True)) # b = b - alpha \* dJ\_db b = b - ALPHA \* ( $(\frac{1}{m})$ \* np.sum(H-Y))

return W, b

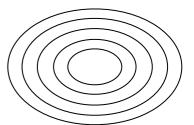
### **<SGD>** Stochastic Gradient Descent

- Update weights on \_\_\_\_\_
- Easy to \_\_\_\_\_
- \_\_\_\_updates
- W = \_\_\_\_



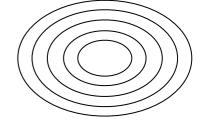
### < MBGD > Mini-Batch Gradient Descent

- Update weights on \_\_\_\_\_
- W = \_\_\_\_



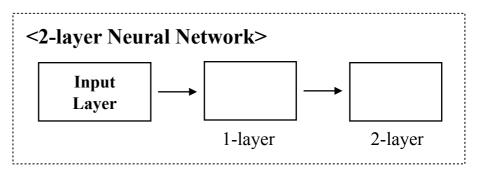
#### **<BGD> Batch Gradient Descent**

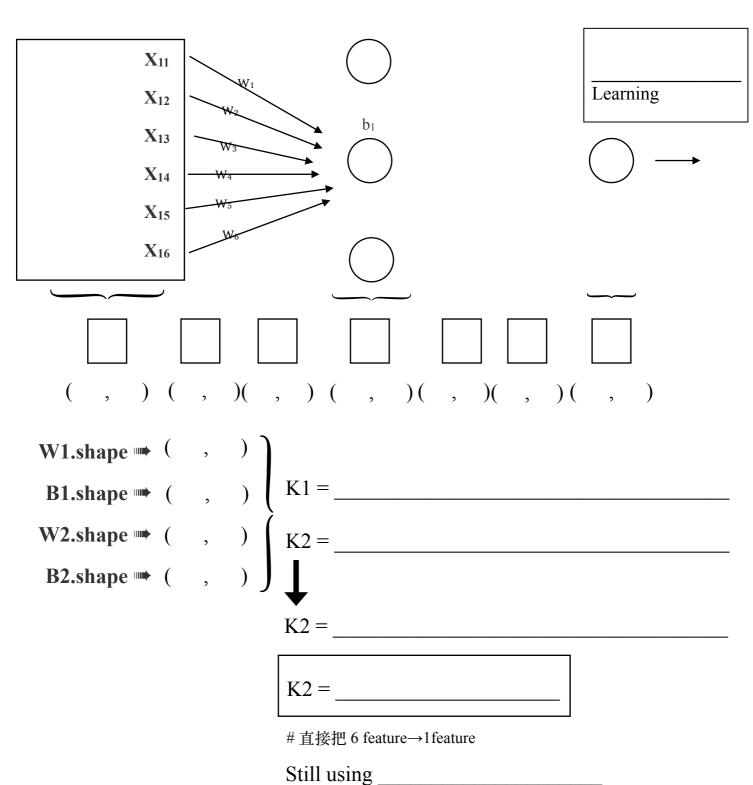
- Update weights on \_\_\_\_\_
- Never Overfit
- \_\_\_\_\_updates
- W = \_\_\_\_



 $X_{11}$   $X_{12}$   $W_1$   $X_{13}$   $W_2$   $X_{14}$   $W_3$   $X_{14}$   $W_4$   $X_{15}$   $W_5$   $X_{16}$   $W_6$ 

## stanCode



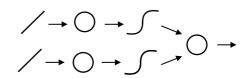


# **Activation Functions**

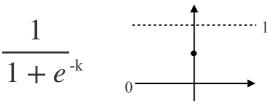
• In order to create \_\_\_\_\_\_\_\_,

we need \_\_\_\_\_ such that NN can learn

\_\_\_\_ in data!

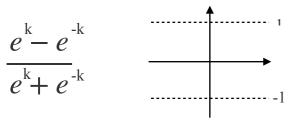


① Sigmoid

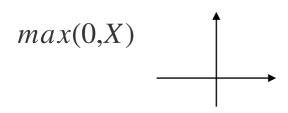


gradient at high/low values

(2) tanh



③ ReLU



No small gradient

<Fowardprop>

 $\mathbf{f}_1$ 

 $\mathbf{f}_2$ 

 $\mathbf{f}_3$ 

 $\mathbf{f}_4$