

Partial Differential Equations, 2nd Edition (1st Printing),

Evans

Errata Sheet

Yung-Hsiang Huang*

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Page 297, line 1, $u \in C^\infty(B(0, r)) \rightarrow u \in C^\infty(\overline{B(0, r)})$. This assumption (i.e. continuity up to the boundary) is used when we do integration by parts.

Page 352, equation (26), $\sum_{k,l=1}^n \rightarrow \sum_{i,j,k,l=1}^n$.

Page 368, Exercise 12, I think we should assume $v \in C^2(U) \cap C^1(\overline{U})$ instead of $C^2(U) \cap C(\overline{U})$ since the first-order coefficient of the elliptic operator M is required to be bounded in U , that is, $b^i + \frac{2}{v}a^{ij}D_jv$ is bounded in U . A convenient way is to assume $b^i + \frac{2}{v}a^{ij}D_jv \in C(\overline{U})$, which is guaranteed by assuming $v \in C^1(\overline{U})$.

Page 493 Line 2, delete “unique” in the assumption because I don’t see the proof uses this uniqueness assumption.

Page 535 Line 15, $U \in \mathbb{R}^n \rightarrow U \subset \mathbb{R}^n$.

Page 549 Line 2, $\lambda \rightarrow \lambda_1$.

Page 575 the last term in Exercise 9(b), $(n-2)|Du|^2 \rightarrow n|Du|^2$.

Page 738, [Mi] 1947 \rightarrow 1941, according to AMS Mathscinet.

*Department of Mathematics, National Taiwan University. Email: d04221001@ntu.edu.tw