

# Hands - on start to wolfram Mathematica

Second Edition

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## chapter 1| Introduction

```
In[1]:= 711/3
```

```
Out[1]= 237
```

```
In[2]:= 718/3
```

```
Out[2]= 718  
         —  
         3
```

```
N[718/3, 5] (*Approx answer to 718 divided by 3 rounded to 5 digits*)
```

```
239.33333333333333333333`5.
```

$$\frac{718}{3}$$

```
Out[2]= 718  
         —  
         3
```

```
In[3]:= a = 5 (* assign a value to a name*)
```

```
Out[3]= 5
```

```
In[4]:= 3 a + 1
```

```
Out[4]= 16
```

```
In[5]:= Clear[a] (*clear the variable defention of a, which will make a undefined*)
```

`Expand[(a + 5) (a + 9)] (*Expand the algebraic expression*)`

`Out[=]= 45 + 14 a + a2`

`In[=]:= Solve[2 x - 7 == 0]`

`Out[=]= {x → 7/2}`

`In[=]:= solve[2x-7]`

Result

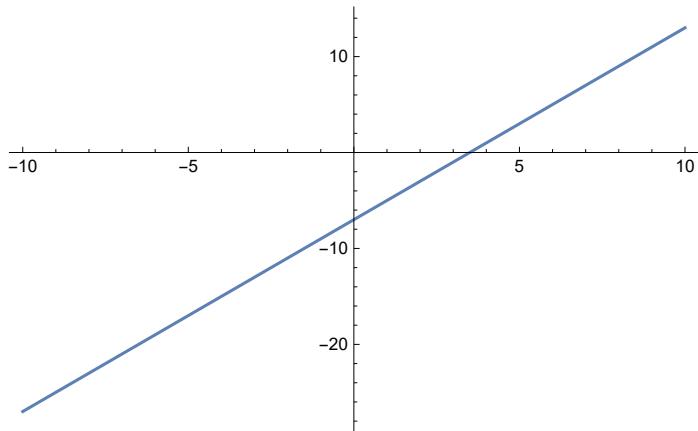
`Reduce[-7 + 2*x == 0, x]`

`Out[=]= x == 7/2`

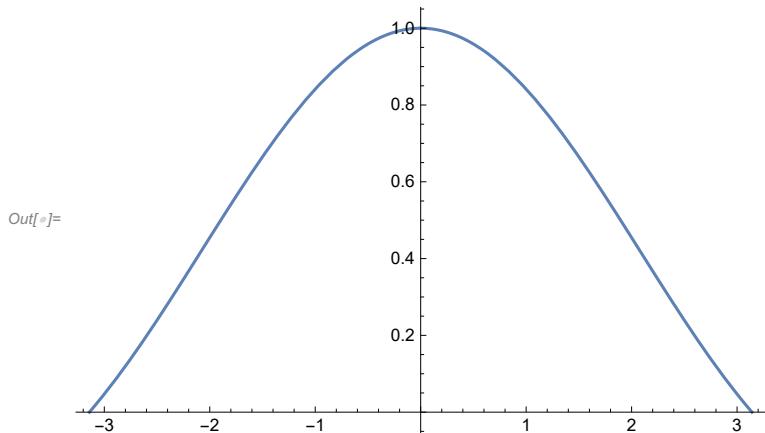
`In[=]:= Solve[{2 x - 7 == 0, 3 x - 2 y == 0}, {x, y}]`

`Out[=]= {x → 7/2, y → 21/4}`

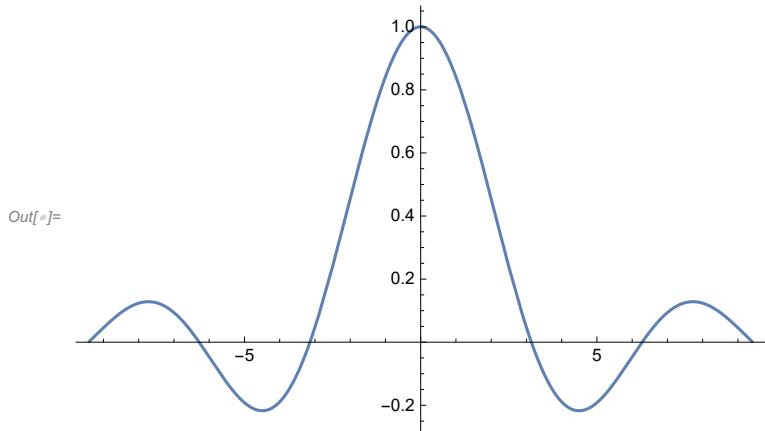
`Plot[2 x - 7, {x, -10, 10}] (* plot the equation, where x goes from -10 to 10*)`



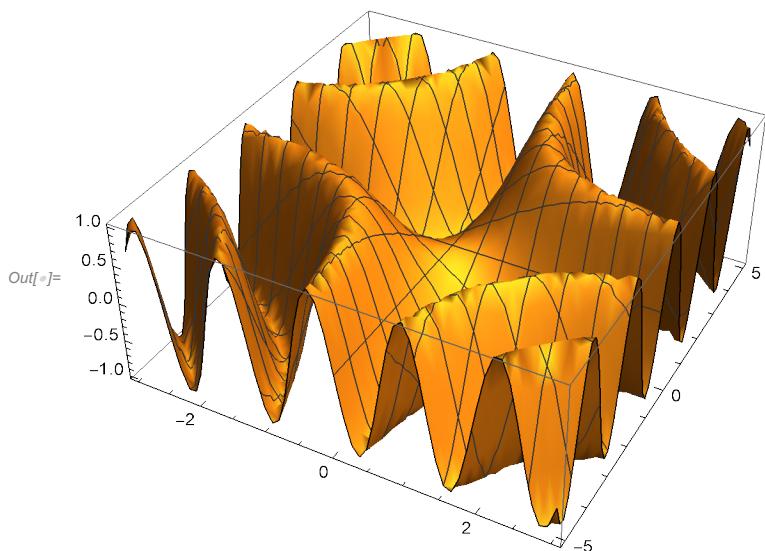
`In[=]:= Plot[Sin[x]/x, {x, -Pi, Pi}]`



In[ $\#$ ]:= **plot sin(x) / x**  
Plot[Sin[x]/x, {x, -9.4, 9.4}]



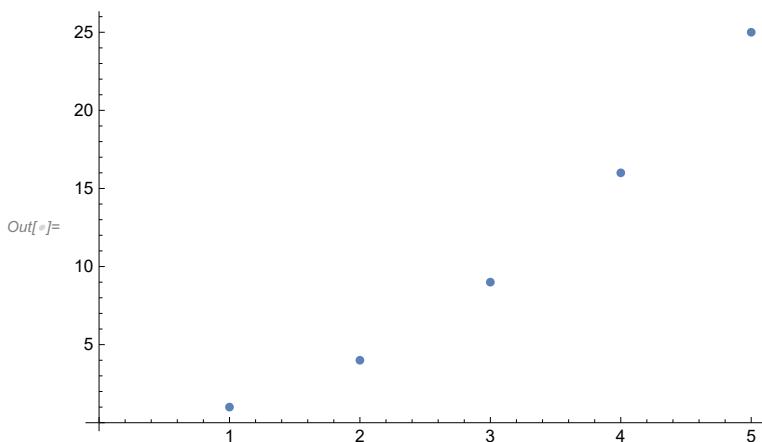
In[ $\#$ ]:= **Plot3D[ Sin[x \* y], {x, -3, 3}, {y, -5, 5}]**



In[ $\#$ ]:= **Table[i^2, {i, 1, 5}]**

Out[ $\#$ ]= {1, 4, 9, 16, 25}

```
In[1]:= ListPlot[Table[i^2, {i, 1, 5}]]
```



```
Integrate[Sin[x], x] (*Integrate with respect to x*)
```

```
Out[1]= -Cos[x]
```

```
mat1 = {{1, 2, 3}, {3, 5, 7}, {4, 6, 8}};
```

```
In[2]:= Det[{{1, 2, 3}, {3, 5, 7}, {4, 6, 8}}]
```

```
Out[2]= 0
```

```
In[3]:= Clear[mat1]
```

## Chapter 2 | A sample Project in Mathematica

```
Out[1]= 78.9 yr
```

```
data = DeleteCases[Table[{i, CountryData[i, "LifeExpectancy"]}, {i, CountryData[All]}],  
{_, _Missing}]; (*DELETE missing values*)
```

In[=]:= **Short[data]**

```
Out[=]:= {{Afghanistan, 53.25 yr}, {Albania, 79.23 yr}, {Algeria, 77.79 yr},  

{American Samoa, 75.06 yr}, {Andorra, 83.23 yr}, {Angola, 61.71 yr},  

{Anguilla, 82 yr}, {Antigua and Barbuda, 77.55 yr}, {Argentina, 78.07 yr},  

{Armenia, 75.86 yr}, {Aruba, 77.76 yr}, {Australia, 82.89 yr},  

{Austria, 82.07 yr}, {Azerbaijan, 73.88 yr}, {Bahamas, 75.87 yr},  

{Bahrain, 79.67 yr}, {Bangladesh, 74.43 yr}, {Barbados, 78.31 yr},  

{Belarus, 74.01 yr}, {Belgium, 81.65 yr}, {Belize, 75.56 yr},  

{Benin, 61.82 yr}, {Bermuda, 81.83 yr}, {Bhutan, 71.5 yr},  

{Bolivia, 70.7 yr}, {Bosnia and Herzegovina, 77.74 yr}, {Botswana, 65.24 yr},  

{Brazil, 74.98 yr}, {British Virgin Islands, 79.44 yr}, {Brunei, 78.14 yr},  

{Bulgaria, 75.3 yr}, <<173>>, {Syria, 74.01 yr}, {Taiwan, 80.95 yr},  

{Tajikistan, 69.06 yr}, {Tanzania, 69.9 yr}, {Thailand, 77.41 yr},  

{Togo, 70.99 yr}, {Tonga, 77.29 yr}, {Trinidad and Tobago, 74.92 yr},  

{Tunisia, 76.57 yr}, {Turkey, 75.96 yr}, {Turkmenistan, 71.54 yr},  

{Turks and Caicos Islands, 80.6 yr}, {Tuvalu, 68.07 yr}, {Uganda, 68.58 yr},  

{Ukraine, 73.18 yr}, {United Arab Emirates, 79.37 yr}, {United Kingdom, 81.3 yr},  

{United States, 80.43 yr}, {United States Virgin Islands, 80.05 yr},  

{Uruguay, 78.19 yr}, {Uzbekistan, 75.03 yr}, {Vanuatu, 74.87 yr},  

{Venezuela, 72.22 yr}, {Vietnam, 75.25 yr}, {Wallis and Futuna Islands, 80.45 yr},  

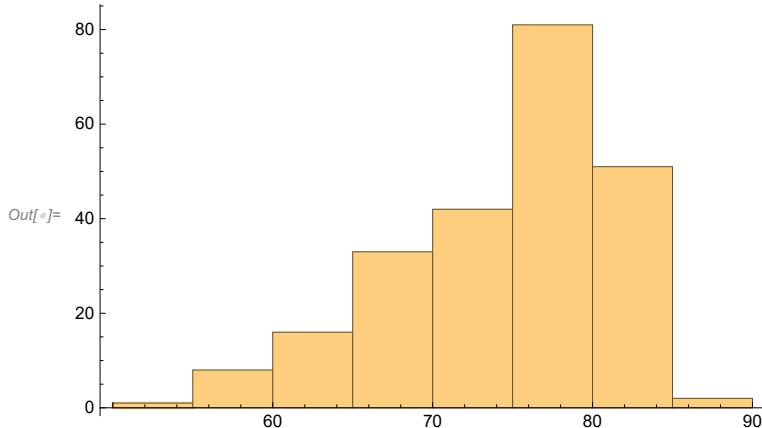
{West Bank, 76.12 yr}, {Western Sahara, 63.8 yr},  

{Yemen, 67.18 yr}, {Zambia, 65.92 yr}, {Zimbabwe, 62.83 yr}}}
```

`Short[SortBy[data, Last]] (*sort from least to greatest*)  
(*Short represent only the results*)`

```
Out[4]//Short= {{Afghanistan, 53.25 yr}, {Central African Republic, 55.07 yr},  
 {Somalia, 55.32 yr}, {Mozambique, 56.49 yr}, {South Sudan, 58.6 yr},  
 {Chad, 58.73 yr}, {Lesotho, 58.9 yr}, {Eswatini, 59.13 yr},  
 {Niger, 59.7 yr}, {Sierra Leone, 60.19 yr}, {Nigeria, 60.87 yr},  
 {Democratic Republic of the Congo, 61.43 yr}, {Republic of the Congo, 61.69 yr},  
 {Angola, 61.71 yr}, {Ivory Coast, 61.8 yr}, {Benin, 61.82 yr}, {Mali, 62.01 yr},  
 {Cameroon, 62.79 yr}, {Zimbabwe, 62.83 yr}, {Burkina Faso, 63.06 yr},  
 {Guinea-Bissau, 63.26 yr}, {Guinea, 63.53 yr}, {Western Sahara, 63.8 yr},  
 {Senegal, 63.83 yr}, {Mauritania, 64.86 yr}, {Djibouti, 65 yr},  
 {South Africa, 65.04 yr}, {Liberia, 65.1 yr}, {Botswana, 65.24 yr},  
 {Rwanda, 65.48 yr}, {Haiti, 65.61 yr}, <<173>>, {Bermuda, 81.83 yr},  
 {Cayman Islands, 81.84 yr}, {Isle of Man, 81.84 yr}, {Netherlands, 81.95 yr},  
 {Anguilla, 82 yr}, {Austria, 82.07 yr}, {Spain, 82.21 yr},  
 {New Zealand, 82.33 yr}, {Norway, 82.35 yr}, {Liechtenstein, 82.36 yr},  
 {France, 82.39 yr}, {Jersey, 82.43 yr}, {Sweden, 82.6 yr}, {Italy, 82.67 yr},  
 {Luxembourg, 82.78 yr}, {South Korea, 82.78 yr}, {Australia, 82.89 yr},  
 {Malta, 83 yr}, {Guernsey, 83.03 yr}, {Switzerland, 83.03 yr}, {Israel, 83.15 yr},  
 {Andorra, 83.23 yr}, {Hong Kong, 83.41 yr}, {Iceland, 83.45 yr},  
 {Canada, 83.62 yr}, {San Marino, 83.68 yr}, {Japan, 84.65 yr},  
 {Macau, 84.81 yr}, {Singapore, 86.19 yr}, {Monaco, 89.4 yr}}}
```

```
Histogram[data[[All, 2]], (* ESC [[ ESC*)
```



```
In[=]: dataAfrica = DeleteCases[Table[{i, CountryData[i, "LifeExpectancy"]}, {i, CountryData["Africa"]}], {_?Missing}];
```

```
In[=]: Mean[dataAfrica[[All, 2]]]
```

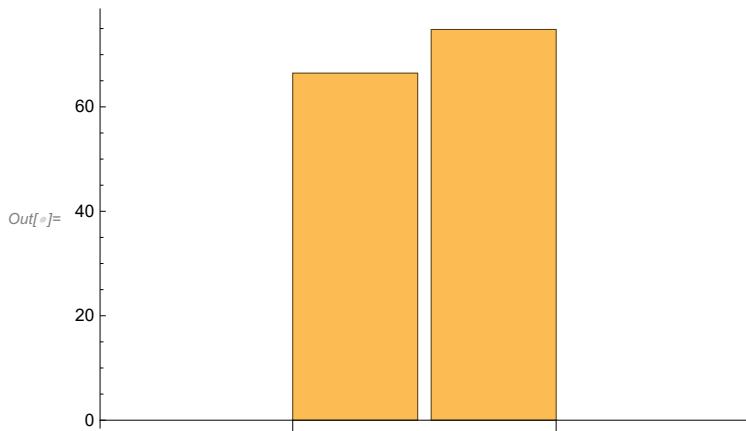
```
Out[=]= 66.4587 yr
```

```
In[=]: dataAsia = DeleteCases[Table[{i, CountryData[i, "LifeExpectancy"]}, {i, CountryData["Asia"]}], {_?Missing}];
```

```
In[=]: Mean[dataAsia[[All, 2]]]
```

```
Out[=]= 74.8257 yr
```

```
In[=]: BarChart[{Mean[dataAfrica[[All, 2]]], Mean[dataAsia[[All, 2]]]}]
```

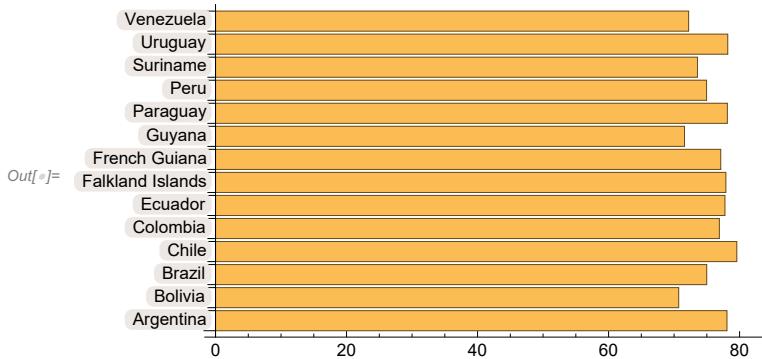


```
In[=]: dataSouthAmerica = DeleteCases[Table[{i, CountryData[i, "LifeExpectancy"]}, {i, CountryData["SouthAmerica"]}], {_?Missing}];
```

```
In[6]:= Take[dataSouthAmerica, 3]
```

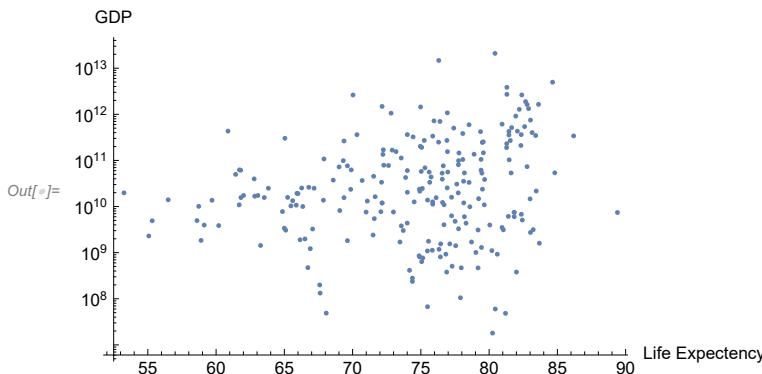
```
Out[6]= {{"Argentina", 78.07}, {"Bolivia", 70.7}, {"Brazil", 74.98}}
```

```
In[7]:= BarChart[dataSouthAmerica[[All, 2]],
ChartLabels → dataSouthAmerica[[All, 1]], BarOrigin → Left]
```



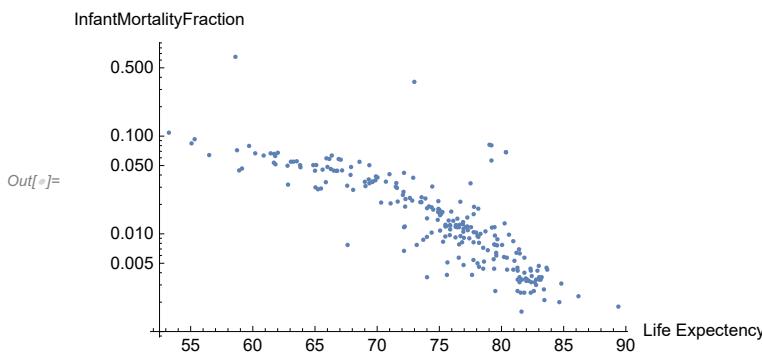
```
In[8]:= data = Table[Tooltip[{CountryData[i, "LifeExpectancy"], CountryData[i, "GDP"]},
CountryData[i, "Name"]}], {i, CountryData[]}];
```

```
In[9]:= ListLogPlot[data, AxesLabel → {"Life Expectency", "GDP"}]
```



```
In[10]:= data = Table[
Tooltip[{CountryData[i, "LifeExpectancy"], CountryData[i, "InfantMortalityFraction"]},
CountryData[i, "Name"]}], {i, CountryData[]}];
```

```
In[11]:= ListLogPlot[data, AxesLabel → {"Life Expectency", "InfantMortalityFraction"}]
```



```
antMortalityFraction
• Life Expecte
86
```

```
In[=]:= Manipulate[
  plotFn[Table[Tooltip[{CountryData[i, "LifeExpectancy"], CountryData[i, prop]}, 
    CountryData[i, "Name"]], {i, CountryData[All]}],
  AxesLabel -> {"Life Expetency", " prop"}, 
  {prop, {"InfantMortalityFraction", "GDP", "LiteracyFraction"}}, 
  {{PlotFn, ListLogPlot}, {ListPlot, ListLogPlot, ListLogLogPlot}}, SaveDefinitions -> True]
```

```
plotFn[{{ 53.25 yr , 0.1085 people/person },
{ Missing[NotAvailable], Missing[NotAvailable] },
{ 79.23 yr , 0.0116 people/person }, { 77.79 yr , 0.0189 people/person },
{ 75.06 yr , 0.0108 people/person }, { 83.23 yr , 0.0036 people/person },
{ 61.71 yr , 0.0658 people/person }, { 82 yr , 0.0033 people/person },
{ 77.55 yr , 0.0117 people/person }, { 78.07 yr , 0.0095 people/person },
{ 75.86 yr , 0.0123 people/person }, { 77.76 yr , 0.0104 people/person },
{ 82.89 yr , 0.0042 people/person }, { 82.07 yr , 0.0034 people/person },
{ 73.88 yr , 0.023 people/person }, { 75.87 yr , 0.0111 people/person },
{ 79.67 yr , 0.0088 people/person }, { 74.43 yr , 0.0305 people/person },
{ 78.31 yr , 0.01 people/person }, { 74.01 yr , 0.0036 people/person },
{ 81.65 yr , 0.0034 people/person }, { 75.56 yr , 0.012 people/person },
{ 61.82 yr , 0.0515 people/person }, { 81.83 yr , 0.0025 people/person },
{ 71.5 yr , 0.0303 people/person }, { 70.7 yr , 0.0342 people/person },
{ Missing[NotAvailable], Missing[NotAvailable] },
{ 77.74 yr , 0.0054 people/person }, { 65.24 yr , 0.0286 people/person },
{ Missing[NotAvailable], Missing[NotAvailable] },
{ 74.98 yr , 0.0169 people/person },
{ Missing[NotAvailable], Missing[NotAvailable] },
{ 79.44 yr , 0.0117 people/person }, { 78.14 yr , 0.0093 people/person },
{ 75.3 yr , 0.0083 people/person }, { 63.06 yr , 0.0547 people/person },
{ 67.07 yr , 0.0574 people/person }, { 66.27 yr , 0.0461 people/person },
{ 62.79 yr , 0.0498 people/person }, { 83.62 yr , 0.0045 people/person },
{ 73.47 yr , 0.0211 people/person }, { 81.84 yr , 0.0057 people/person },
{ 55.07 yr , 0.0843 people/person }, { 58.73 yr , 0.0717 people/person },
{ 79.57 yr , 0.0064 people/person }, { 76.31 yr , 0.0118 people/person },
{ Missing[NotAvailable], Missing[NotAvailable] },
{ Missing[NotAvailable], Missing[NotAvailable] }]
```

```

{ 76.91 yr , 0.0132 people/person },
{ 66.9 yr , 0.0583 people/person }, { 76.89 yr , 0.0126 people/person },
{ 79.41 yr , 0.0078 people/person }, { 76.97 yr , 0.0091 people/person },
{ 79.41 yr , 0.0044 people/person }, { 79.19 yr , 0.0805 people/person },
{ 79.51 yr , 0.0077 people/person }, { 79.5 yr , 0.0026 people/person },
{ 61.43 yr , 0.0667 people/person }, { 81.45 yr , 0.0032 people/person },
{ 65 yr , 0.0443 people/person }, { 77.96 yr , 0.0103 people/person },
{ 72.28 yr , 0.0227 people/person }, { 69.62 yr , 0.0339 people/person },
{ 77.76 yr , 0.0159 people/person }, { 74.01 yr , 0.0183 people/person },
{ 75.11 yr , 0.0163 people/person }, { 66.35 yr , 0.0633 people/person },
{ 66.51 yr , 0.0444 people/person }, { 77.63 yr , 0.0038 people/person },
{ 67.9 yr , 0.0483 people/person }, { 77.9 yr , Missing[NotAvailable] },
{ 81.04 yr , 0.0053 people/person }, { 74 yr , 0.0093 people/person },
{ 81.55 yr , 0.0025 people/person }, { 82.39 yr , 0.0032 people/person },
{ 77.121 yr , 0.01176 people/person }, { 78.19 yr , 0.0046 people/person },
{ Missing[NotAvailable], Missing[NotAvailable] },
{ 69.37 yr , 0.0329 people/person }, { 66.15 yr , 0.0584 people/person },
{ 75.14 yr , 0.016 people/person }, { 77.25 yr , 0.0147 people/person },
{ 81.3 yr , 0.0034 people/person }, { 69.01 yr , 0.0341 people/person },
{ 80.2 yr , 0.0058 people/person }, { 81.28 yr , 0.0045 people/person },
{ 73.71 yr , 0.0087 people/person }, { 75.48 yr , 0.0094 people/person },
{ 80.947 yr , 0.00841 people/person }, { 77.25 yr , 0.0119 people/person },
{ 72.63 yr , 0.0233 people/person }, { 83.03 yr , 0.0034 people/person },
{ 63.53 yr , 0.0553 people/person }, { 63.26 yr , 0.0548 people/person },
{ 71.59 yr , 0.0295 people/person }, { 65.61 yr , 0.0454 people/person },
{ 74.9 yr , 0.0167 people/person }, { 83.41 yr , 0.0027 people/person },
{ 76.95 yr , 0.0048 people/person }, { 83.45 yr , 0.0021 people/person },
{ 70.03 yr , 0.0378 people/person }, { 72.82 yr , 0.0219 people/person },
{ 75.06 yr , 0.0155 people/person }, { 72.9 yr , 0.0375 people/person },
{ 81.45 yr , 0.0036 people/person }, { 81.84 yr , 0.004 people/person },
{ 83.15 yr , 0.0034 people/person }, { 82.67 yr , 0.0032 people/person },
{ 61.8 yr , 0.0626 people/person }, { 75.49 yr , 0.0124 people/person },
{ 84.65 yr , 0.002 people/person }, { 82.43 yr , 0.0037 people/person },
{ 75.75 yr , 0.0137 people/person }, { 72.25 yr , 0.019 people/person },
{ 69.32 yr , 0.0361 people/person }, { 67.59 yr , 0.0311 people/person },
{ 72.99 yr , 0.3593 people/person }, { 78.9 yr , 0.0068 people/person },
{ 72.07 yr , 0.025 people/person }, { 66 yr , 0.0484 people/person },

```

```
Out[=]= { { 75.65 yr , 0.0051 people/person } , { 78.53 yr , 0.0072 people/person } , { 58.9 yr , 0.0446 people/person } , { 65.1 yr , 0.0506 people/person } , { 76.93 yr , 0.0105 people/person } , { 82.36 yr , 0.0042 people/person } , { 75.61 yr , 0.0038 people/person } , { 82.78 yr , 0.0034 people/person } , { 84.81 yr , 0.0031 people/person } , { 76.59 yr , 0.0078 people/person } , { 67.86 yr , 0.0401 people/person } , { 72.16 yr , 0.0421 people/person } , { 75.87 yr , 0.0121 people/person } , { 76.69 yr , 0.0213 people/person } , { 62.01 yr , 0.0676 people/person } , { 83 yr , 0.0047 people/person } , { 74.38 yr , 0.0187 people/person } , { 81.41 yr , 0.00695 people/person } , { 64.86 yr , 0.0505 people/person } , { /6. / yr , 0.0095 people/person } , { 79.19 yr , 0.05629 people/person } , { 76.94 yr , 0.0113 people/person } , { 74.17 yr , 0.0191 people/person } , { 72.16 yr , 0.0117 people/person } , { 89.4 yr , 0.0018 people/person } , { 71.08 yr , 0.0205 people/person } , { 77.51 yr , 0.0329 people/person } , { 75.49 yr , 0.0119 people/person } , { 73.56 yr , 0.0211 people/person } , { 56.49 yr , 0.064 people/person } , { 69.62 yr , 0.0344 people/person } , { 65.87 yr , 0.0338 people/person } , { 67.62 yr , 0.0077 people/person } , { 72.12 yr , 0.0269 people/person } , { 81.95 yr , 0.0035 people/person } , { 78.59 yr , 0.0052 people/person } , { 82.33 yr , 0.0044 people/person } , { 74.51 yr , 0.0177 people/person } , { 59.7 yr , 0.0794 people/person } , { 60.87 yr , 0.0633 people/person } , { Missing[NotAvailable] , Missing[NotAvailable] } , { Missing[NotAvailable] , Missing[NotAvailable] } , { 76.33 yr , 0.0123 people/person } , { 71.65 yr , 0.0214 people/person } , { 82.35 yr , 0.0025 people/person } , { 76.64 yr , 0.0124 people/person } , { 69.37 yr , 0.0504 people/person } , { 74.38 yr , 0.0103 people/person } , { 79.47 yr , 0.0096 people/person } , { 69.86 yr , 0.0353 people/person } , { 78.13 yr , 0.0181 people/person } , { 74.96 yr , 0.0178 people/person } , { 70.32 yr , 0.0209 people/person } , { Missing[NotAvailable] , Missing[NotAvailable] } , { 78.53 yr , 0.0044 people/person } , { 81.29 yr , 0.0026 people/person } , { 81.47 yr , 0.0063 people/person } , { 79.58 yr , 0.006 people/person } , { 61.69 yr , 0.0535 people/person } , { 79.646 yr , 0.00763 people/person } , { 76.3 yr , 0.0092 people/person } , { 72.16 yr , 0.0067 people/person } , { 65.48 yr , 0.0291 people/person } , { 80.36 yr , 0.0685 people/person } , { 80.25 yr , 0.0128 people/person } , { 76.83 yr , 0.0082 people/person } , { 78.71 yr , 0.0106 people/person } , { 80.36 yr , 0.0685 people/person } , { 81.2 yr , 0.0064 people/person } , { 76.43 yr , 0.0117 people/person } , { 74.92 yr , 0.018 people/person } , { 83.68 yr , 0.0043 people/person } , { 66.72 yr , 0.0441 people/person } }
```

```

{ /6.4 yr , 0.0121 people/person } , { 63.83 yr , 0.048 people/person } ,
{ 76.56 yr , 0.0057 people/person } , { 75.84 yr , 0.0097 people/person } ,
{ 60.19 yr , 0.0667 people/person } , { 86.19 yr , 0.0023 people/person } ,
{ 79.03 yr , 0.0816 people/person } , { 78.07 yr , 0.005 people/person } ,
{ 81.61 yr , 0.0016 people/person } , { 76.45 yr , 0.0143 people/person } ,
{ 55.32 yr , 0.093 people/person } , { 65.04 yr , 0.0299 people/person } ,
{ Missing[NotAvailable] , Missing[NotAvailable] } ,
{ 82.78 yr , 0.003 people/person } , { 58.6 yr , 0.6477 people/person } ,
{ 82.21 yr , 0.0033 people/person } , { 77.75 yr , 0.0082 people/person } ,
{ 66.79 yr , 0.0442 people/person } , { 73.57 yr , 0.0237 people/person } ,
{ Missing[NotAvailable] , Missing[NotAvailable] } ,
{ 59.13 yr , 0.0466 people/person } ,
{ 82.6 yr , 0.0026 people/person } , { 83.03 yr , 0.0036 people/person } ,
{ 74.01 yr , 0.0144 people/person } , { 80.95 yr , 0.0043 people/person } ,
{ 69.06 yr , 0.0308 people/person } , { 69.9 yr , 0.0387 people/person } ,
{ 77.41 yr , 0.009 people/person } , { 70.99 yr , 0.0408 people/person } ,
{ Missing[NotAvailable] , Missing[NotAvailable] } ,
{ 77.29 yr , 0.0109 people/person } , { 74.92 yr , 0.0216 people/person } ,
{ 76.57 yr , 0.0117 people/person } , { 75.96 yr , 0.0169 people/person } ,
{ 71.54 yr , 0.0331 people/person } , { 80.6 yr , 0.0098 people/person } ,
{ 68.07 yr , 0.0282 people/person } , { 68.58 yr , 0.0546 people/person } ,
{ 73.18 yr , 0.0077 people/person } , { 79.37 yr , 0.0055 people/person } ,
{ 81.3 yr , 0.0042 people/person } , { 80.43 yr , 0.0057 people/person } ,
{ Missing[NotAvailable] , Missing[NotAvailable] } ,
{ 80.05 yr , 0.0077 people/person } , { 78.19 yr , 0.0081 people/person } ,
{ 75.03 yr , 0.0174 people/person } , { 74.87 yr , 0.0139 people/person } ,
{ Missing[NotAvailable] , Missing[NotAvailable] } ,
{ 72.22 yr , 0.0119 people/person } , { 75.25 yr , 0.0167 people/person } ,
{ 80.45 yr , 0.0043 people/person } , { 76.12 yr , 0.0136 people/person } ,
{ 63.8 yr , 0.0505 people/person } , { 67.18 yr , 0.0446 people/person } ,
{ 65.92 yr , 0.0593 people/person } , { 62.83 yr , 0.0319 people/person } } ,
AxesLabel → {Life Expetency, prop} ]

```

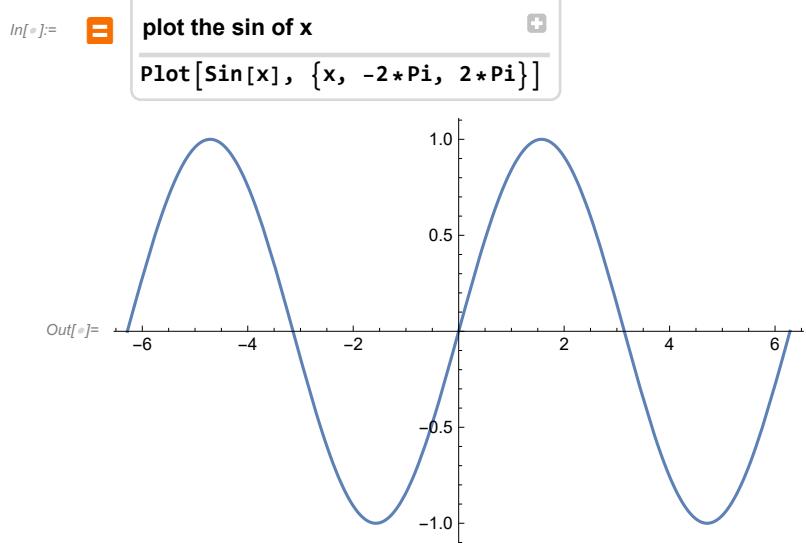
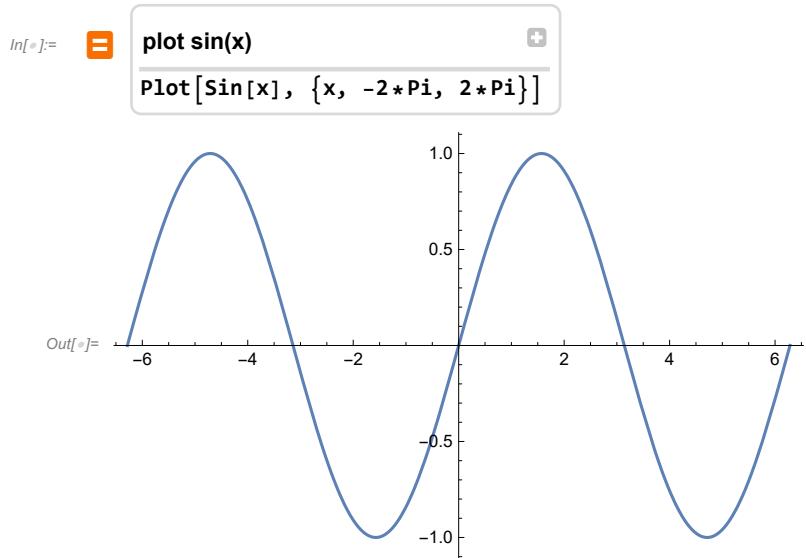
In[7]:=

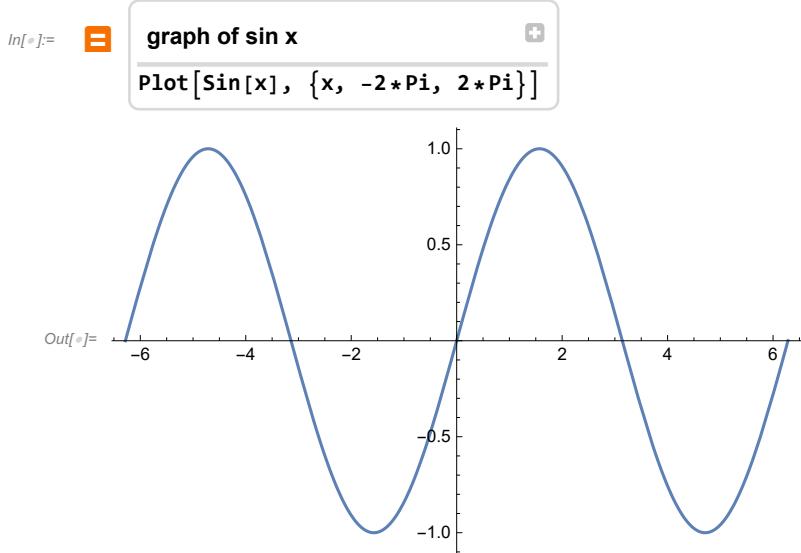
**Clear[data]**

# Chapter3| Input and Output

```
In[1]:= 2^100
```

```
Out[1]= 1 267 650 600 228 229 401 496 703 205 376
```



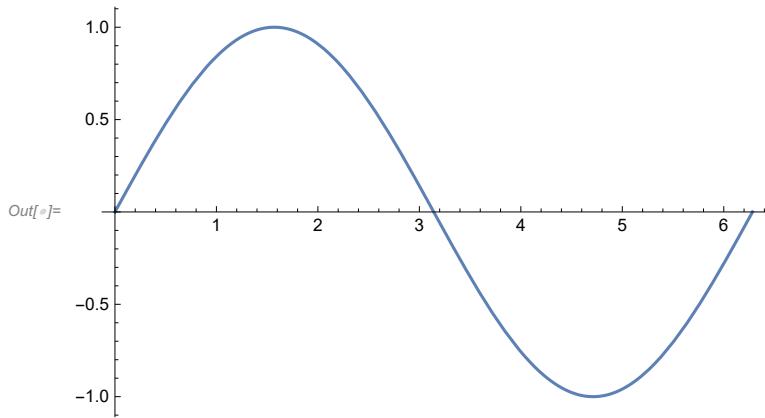


In[ $\#$ ]:= integral of  $1/(x^3 + 1)$

```
Integrate[1/(x^3 + 1), x]
```

$$\text{Out}[ $\#$ ]= \frac{\text{ArcTan}\left[\frac{-1+2x}{\sqrt{3}}\right]}{\sqrt{3}} + \frac{1}{3} \log[1+x] - \frac{1}{6} \log[1-x+x^2]$$

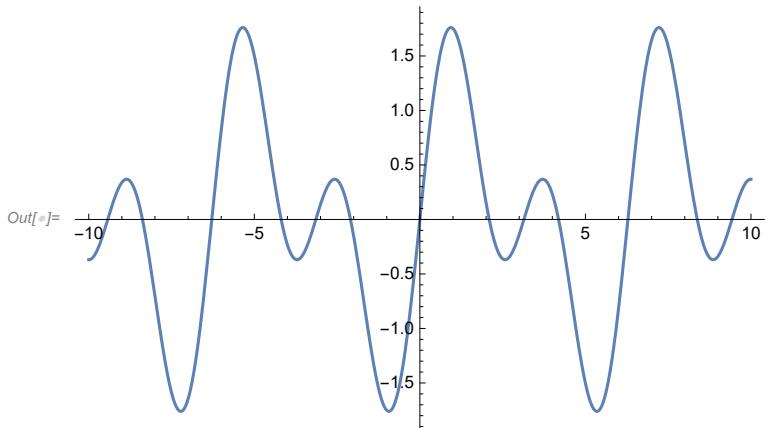
```
Plot[ $\sin x$ , {x, 0, 2π}] (* Plot[function, {var, min, max}] *)
```



In[ $\#$ ]:= Expand[(a+b)^10]

$$\text{Out}[ $\#$ ]= a^{10} + 10 a^9 b + 45 a^8 b^2 + 120 a^7 b^3 + 210 a^6 b^4 + 252 a^5 b^5 + 210 a^4 b^6 + 120 a^3 b^7 + 45 a^2 b^8 + 10 a b^9 + b^{10}$$

```
In[1]:= Plot[Sin[x] + Sin[2 x], {x, -10, 10}]
```



```
In[2]:= Solve[-10 + x^2 == 0, x]
```

```
Out[2]= {{x → -Sqrt[10]}, {x → Sqrt[10]}}
```

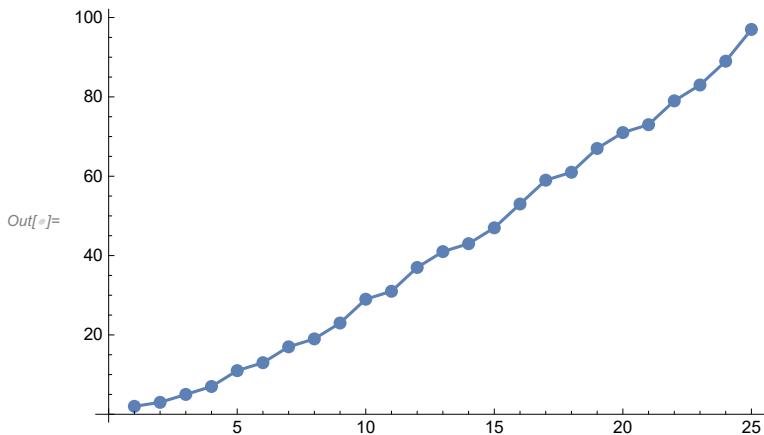
In[3]:= first 25 prime numbers   
 ↳ Values  
`Prime[Range[1, 25]]`

```
Out[3]= {2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31, 37, 41, 43, 47, 53, 59, 61, 67, 71, 73, 79, 83, 89, 97}
```

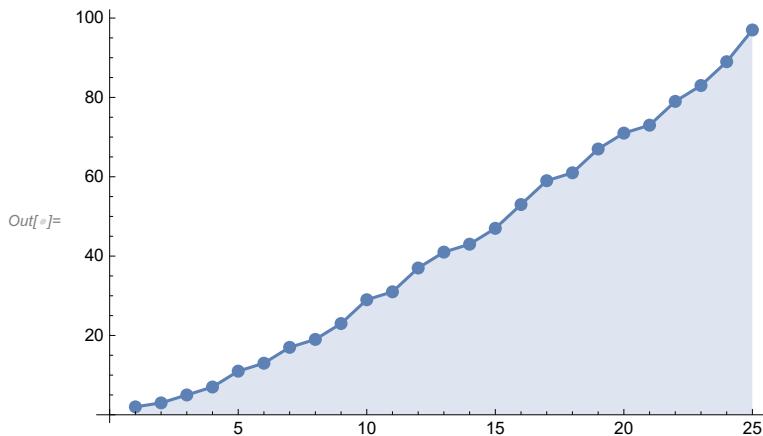
```
Prime[Range[1, 25]]
```

```
Out[4]= {2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31, 37, 41, 43, 47, 53, 59, 61, 67, 71, 73, 79, 83, 89, 97}
```

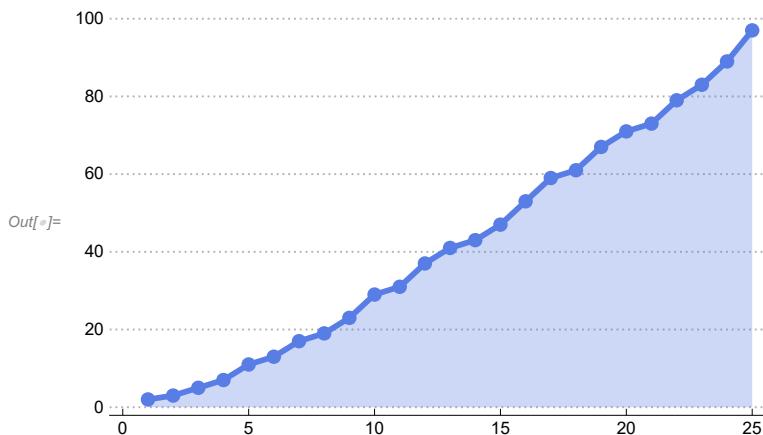
```
In[5]:= ListLinePlot[Prime[Range[1, 25]], Mesh → All]
```



In[1]:= `ListLinePlot[Prime[Range[1, 25]], Filling -> Automatic, Mesh -> All]`



In[2]:= `ListLinePlot[Prime[Range[1, 25]], PlotTheme -> "Business", Filling -> Automatic, Mesh -> All]`



In[3]:= `N[1234/5678] (*approximate an exact quantity*)`

Out[3]= 0.21733

In[4]:=  $\int_0^1 \sin[x] dx$

Out[4]= 1 - Cos[1]

In[5]:= `N[%] (*% shorthand for the last output*)`

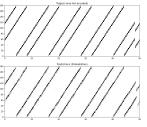
Out[5]= 0.459698

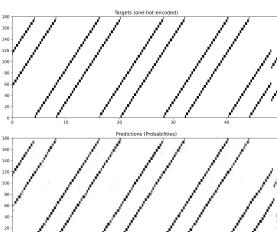
In[6]:=  $\int_0^1 \sin[x] dx // N (* // POSTfix *)$

## Chapter4 | Word processing and typesetting

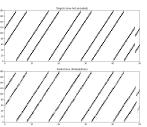
## Chapter 5| Presenting with Slide Shows

File -> New -> Slide show

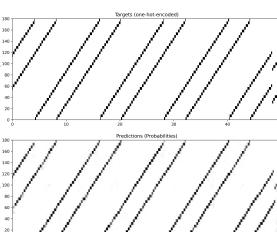
```
In[=]:= Column[{ , "Prediction Plot"}]
```

```
Out[=]=  
Prediction Plot of m1  
  
Targets (one not encoded)  
Predictions (Probabilities)
```

Prediction Plot

```
Column[{ , "Prediction Plot"}, Center, 3]
```

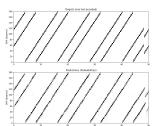
(\* 3 determine the verticle spacing between elements \*)

```
Out[=]=  
Prediction Plot of m1  
  
Targets (one not encoded)  
Predictions (Probabilities)
```

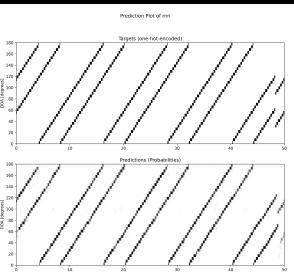
Prediction Plot

```
Grid[{(* Grid: 2D layout,  
takes a list of lists; the first sublist becomes the first row*)  
{a, b, c},  
{d, e, f},  
{g, h, i}  
}]
```

```
a b c  
Out[=]= d e f  
g h i
```

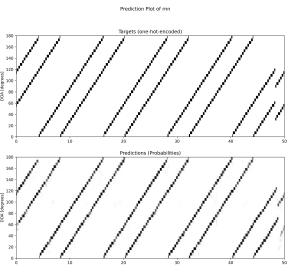
```
In[1]:= Grid[{
  {"Image",  },
  {"Color space", "BW"}, {"Dimention", "1080, 720"}}, Alignment -> Left, Frame -> True, Dividers -> All]
```

Out[1]=

<b>Image</b>	
<b>Color space</b>	BW
<b>Dimention</b>	{1080, 720}

```
In[2]:= Style[Grid[{
  {Style["Image", Bold, Red],  },
  {"Color space", "BW"}, {"Dimention", "1080, 720"}}, Alignment -> Left, Frame -> True, Dividers -> All], FontFamily -> "Times"]
```

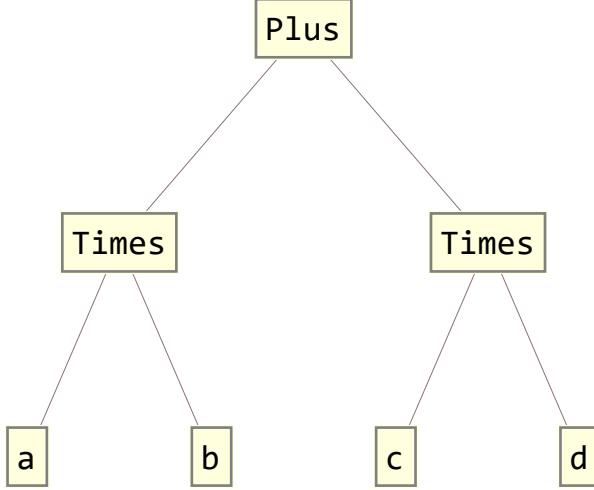
Out[2]=

<b>Image</b>	
<b>Color space</b>	BW
<b>Dimention</b>	{1080, 720}

# Chapter 6| Fundamentals of the Wolfram Language

```
In[1]:= FullForm[a b + c d]
Out[1]//FullForm= Plus[Times[a, b], Times[c, d]]
```

```
In[2]:= TreeForm[a b + c d]
Out[2]//TreeForm=
```



```
In[3]:= Table[{i, i^2}, {i, 1, 10, 1}]
Out[3]= {{1, 1}, {2, 4}, {3, 9}, {4, 16}, {5, 25}, {6, 36}, {7, 49}, {8, 64}, {9, 81}, {10, 100}}
```

```
In[4]:= π Squared is N[π^2]
Out[4]= 31.0063 is Squared
```

```
In[5]:= StringJoin[" The first part ", " and the second part"]
Out[5]= The first part and the second part
```

```
In[6]:= ToString[N[π^2]]
Out[6]= 9.8696
```

```
In[7]:= FullForm[%]
Out[7]//FullForm= "9.8696"

In[8]:= StringJoin["π Squared is", ToString[N[π^2]]]
Out[8]= π Squared is 9.8696
```

```


$$\frac{10 \text{ m}}{\text{s}} 5 \text{ s} \quad (* \text{ units } *)$$

Out[ $\circ$ ]= 50 \text{ m}

In[ $\circ$ ]:= Quantity[2, "Feet"] + Quantity[3, "Meters"]
Out[ $\circ$ ]=  $\frac{1504}{127} \text{ ft}$ 

In[ $\circ$ ]:= UnitConvert[%, "Meters"]
Out[ $\circ$ ]=  $\frac{2256}{625} \text{ m}$ 

In[ $\circ$ ]:= Quantity[15, "days"] + Quantity[9, "weeks"]
Out[ $\circ$ ]= 78 days

In[ $\circ$ ]:= Today
Out[ $\circ$ ]= Day: Fri 16 Jun 2023

In[ $\circ$ ]:= DatePlus[Today, Quantity[9, "weeks"]]
Out[ $\circ$ ]= Day: Fri 18 Aug 2023

f[x_] := x^2 (* Function; left : defintion, right: values *)
(* f[x_] function name followed by square brackets
   it has to denoted with underscore char -
   := delayed assigment *)

Clear[x, f]

```

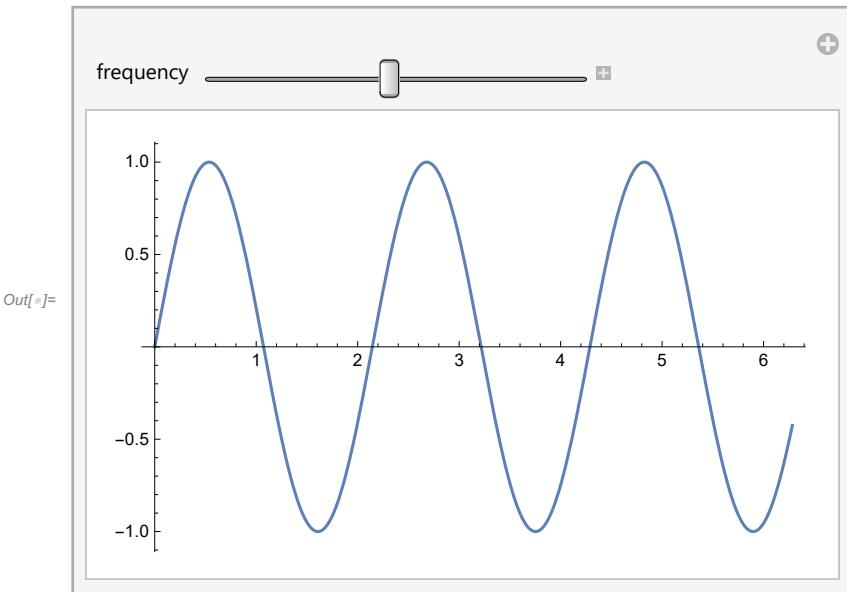
## Chapter 7 | Creating Interactive Models with single command

```

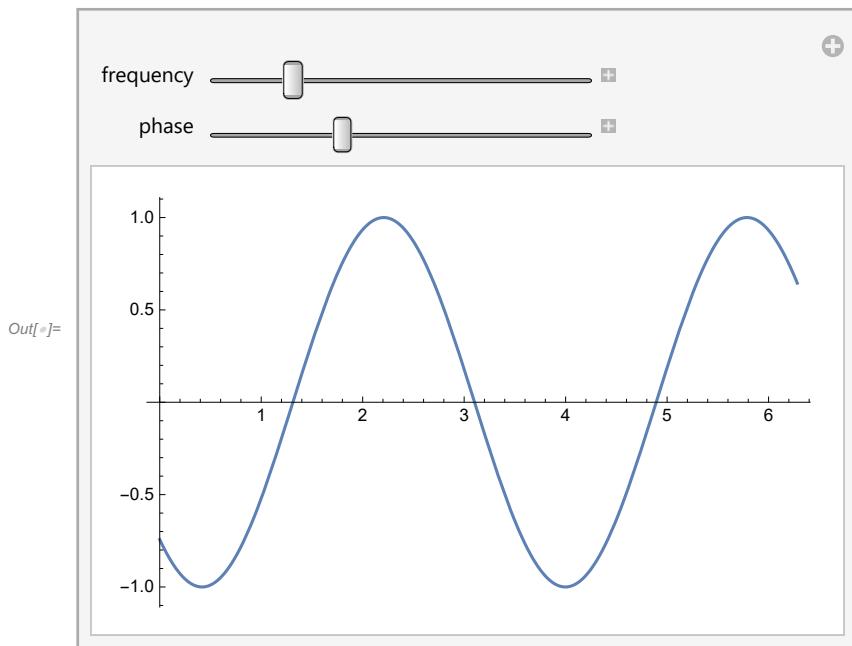
(* Manipulate[
  Expression to manipulate,
  Parameter specification]
*)

```

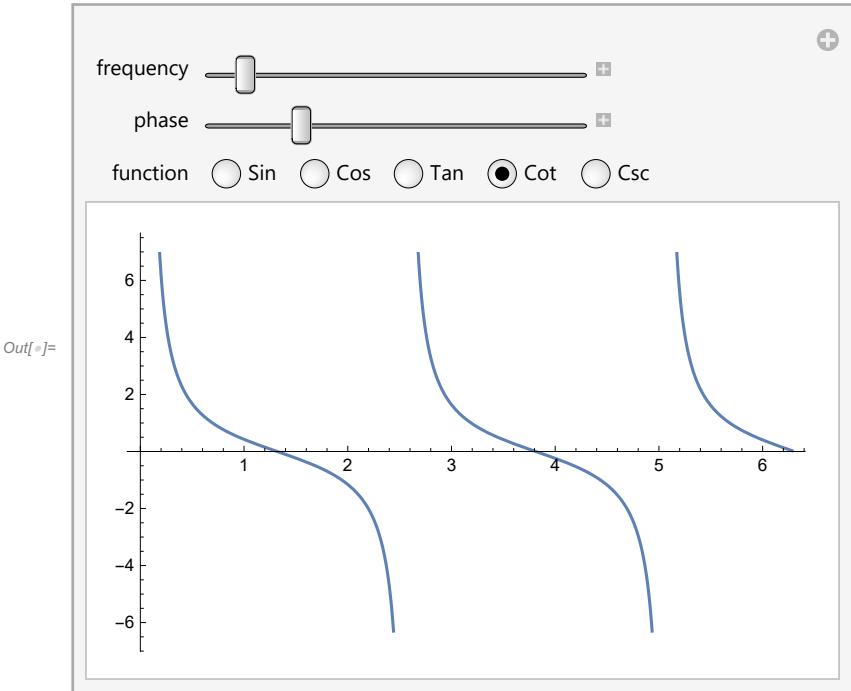
```
In[]:= Manipulate[
  Plot[Sin[frequency * x], {x, 0, 2 π}],
  {frequency, 1, 5}]
```



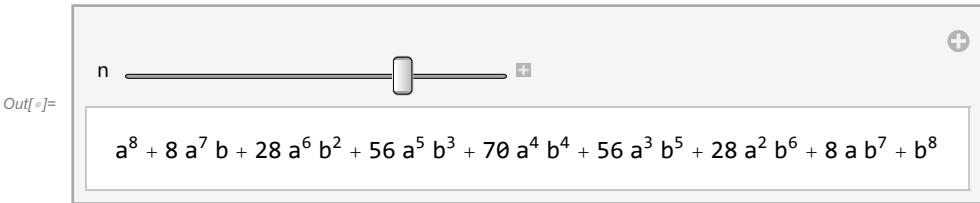
```
Manipulate[(* Multiple controls *)
  Plot[Sin[frequency * x + phase], {x, 0, 2 π}],
  {frequency, 1, 5}, {phase, 1, 10}]
```



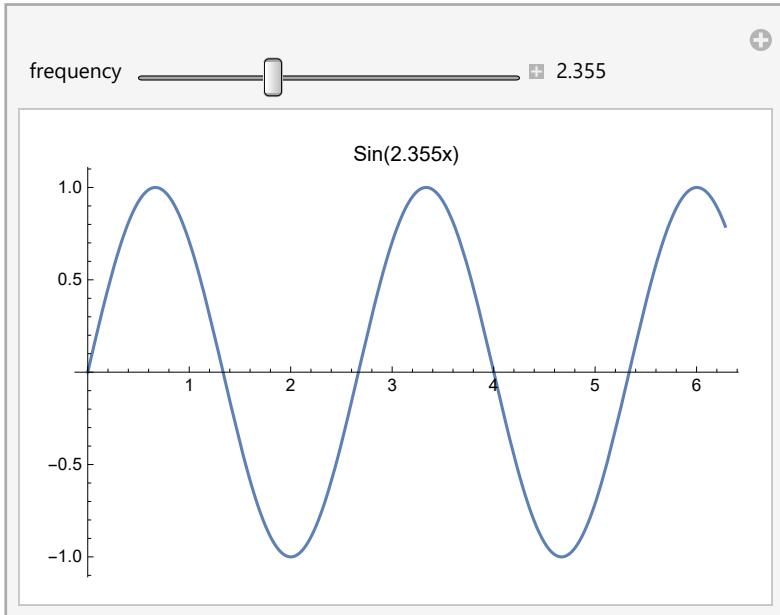
```
In[1]:= Manipulate[ (* Multiple functions *)
  Plot[function[frequency * x + phase], {x, 0, 2 π}],
  {frequency, 1, 5}, {phase, 1, 10},
  {function, {Sin, Cos, Tan, Cot, Csc}, ControlType → RadioButtonBar}]
```



```
In[2]:= Manipulate[
  Expand[(a + b)^n], {n, 2, 10, 1}]
```



```
Manipulate[
 Plot[Sin[f*x], {x, 0, 2 π}, PlotLabel → "Sin(" <> ToString[f] <> "x)"],
 (* String can be joined together with the <> operator*)
 {{f, 1, "frequency"}, 1, 5, Appearance → "Labeled"}]
```

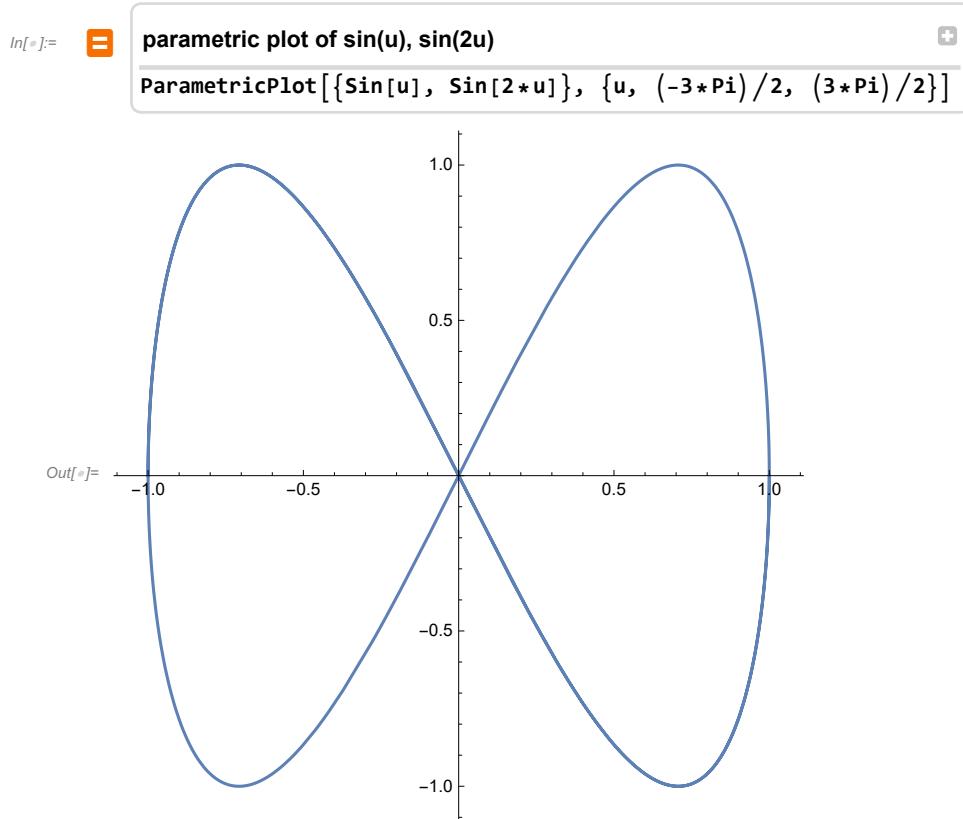
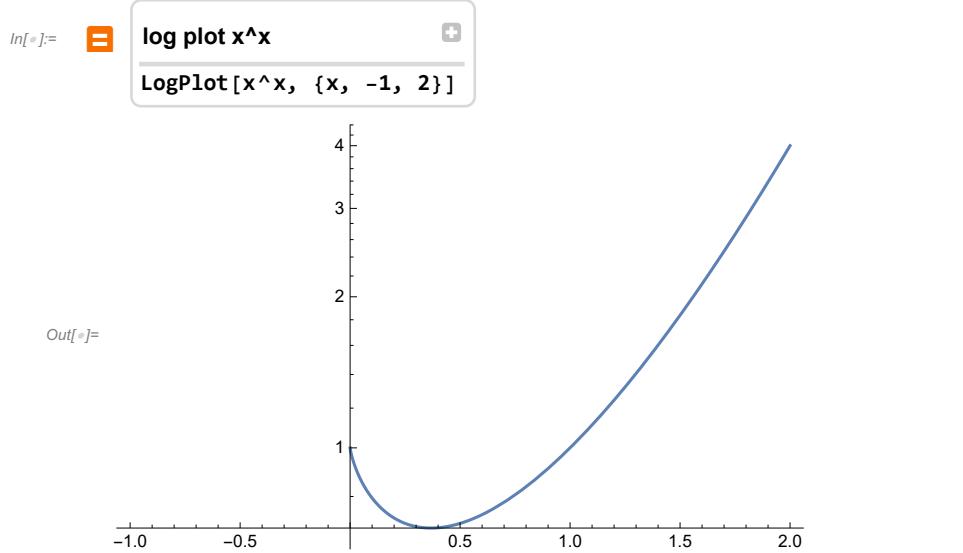


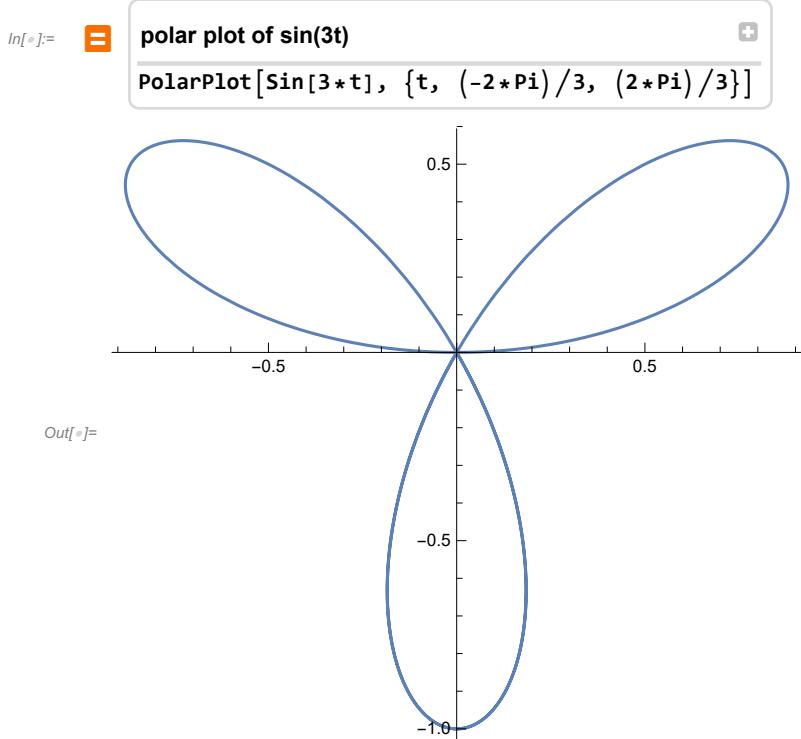
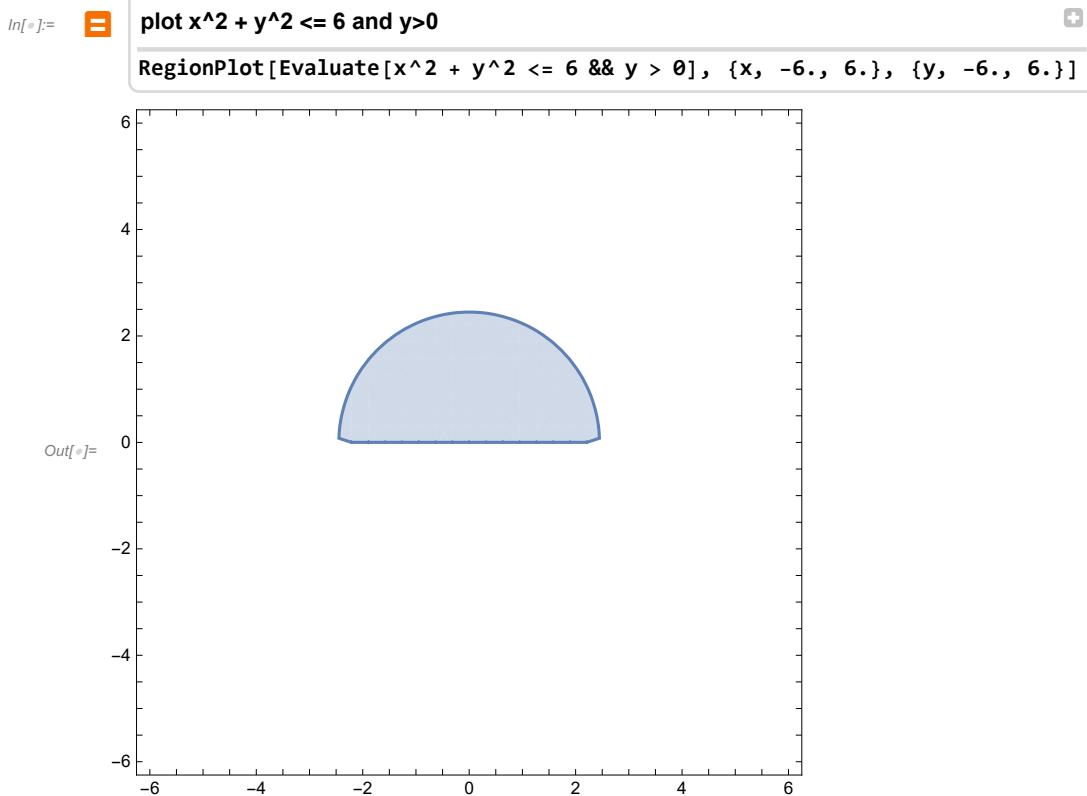
## Chapter8| Sharing Mathematica Notebooks

## Chapter 9| Finding Help

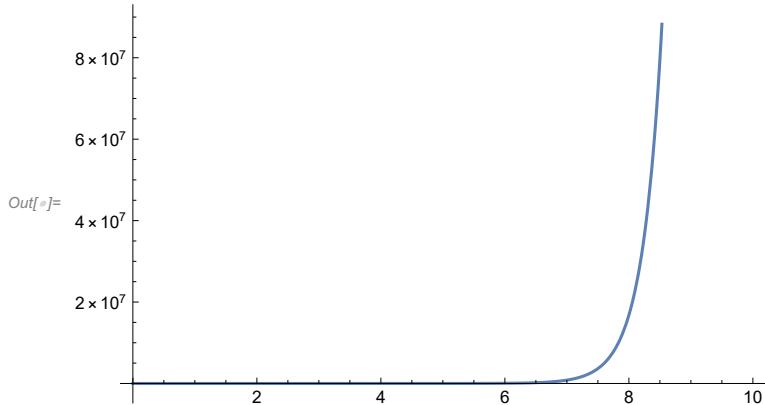
```
In[]:= ?Plot
```

# Chapter 10| 2D and 3D Graphics

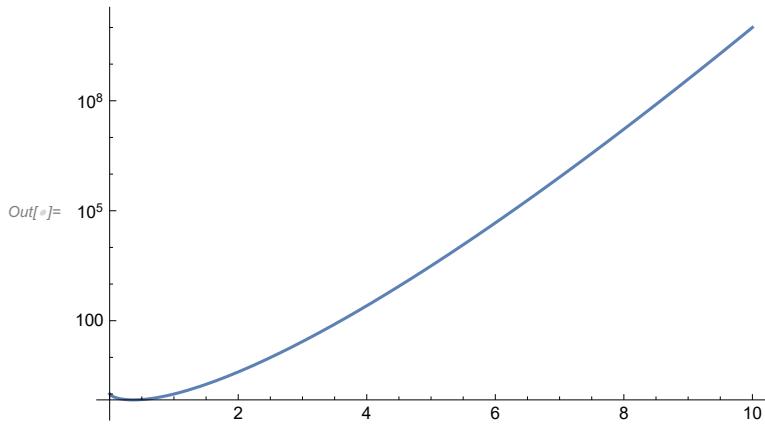




```
In[6]:= Plot[x^x, {x, 0, 10}]
```

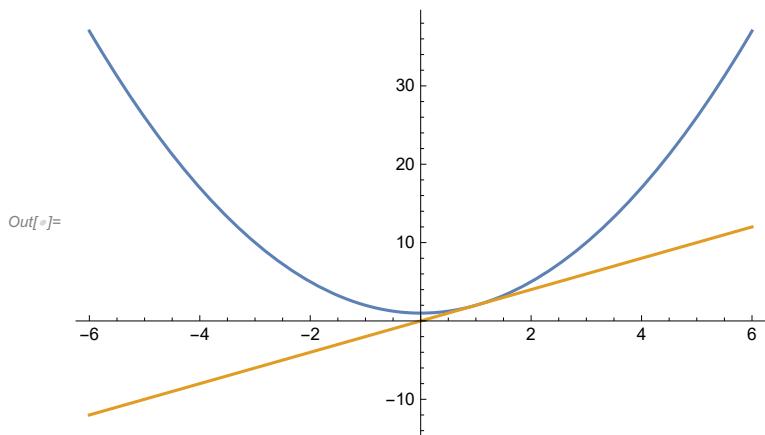


```
In[7]:= LogPlot[x^x, {x, 0, 10}]
```

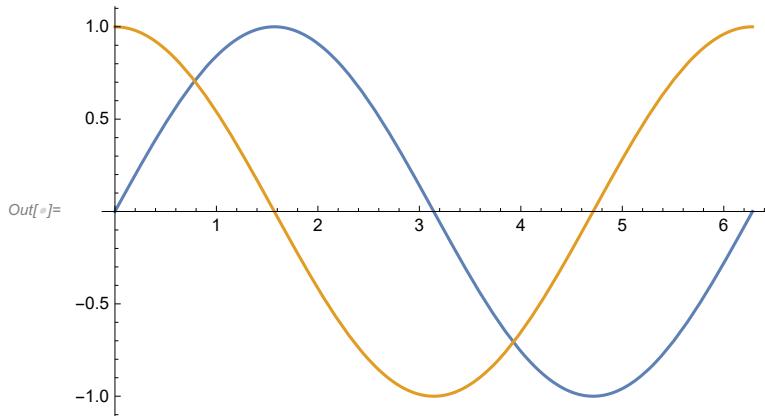


**plot  $x^2 + 1$  and its derivative** (\* plotting multiple funcs \*)

```
Plot[Evaluate[{x^2 + 1, D[x^2 + 1, x]}], {x, -6., 6.}]
```

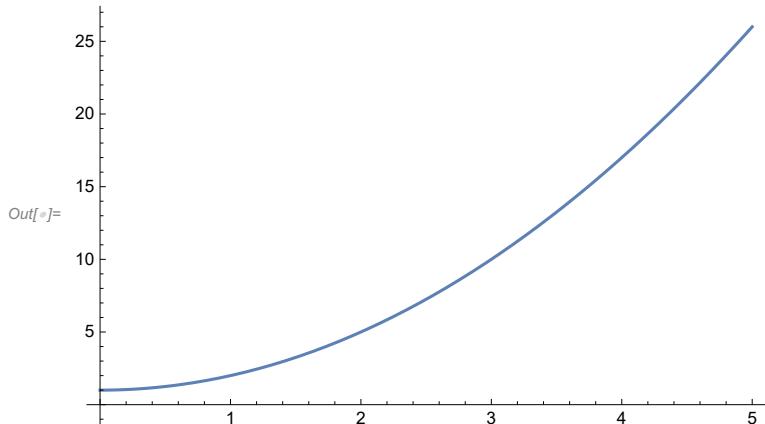


```
In[1]:= Plot[{Sin[x], Cos[x]}, {x, 0, 2 π}]
```

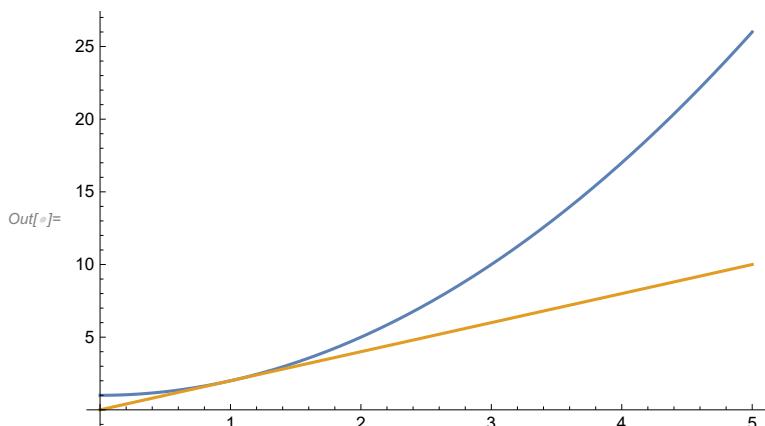


```
In[2]:= f[x_] := x^2 + 1
```

```
In[3]:= Plot[f[x], {x, 0, 5}]
```

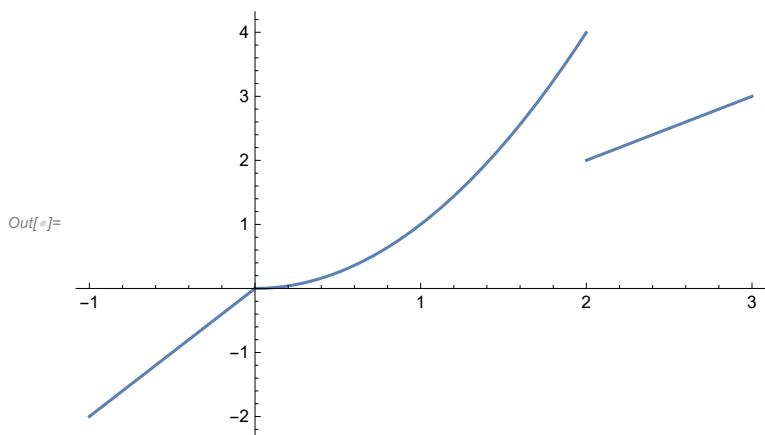


```
In[4]:= Plot[{f[x], f'[x]}, {x, 0, 5}]
```



```
In[5]:= h[x_] := {{2 x, x < 0}, {x^2, 0 ≤ x ≤ 2}, {x, x > 2}}
```

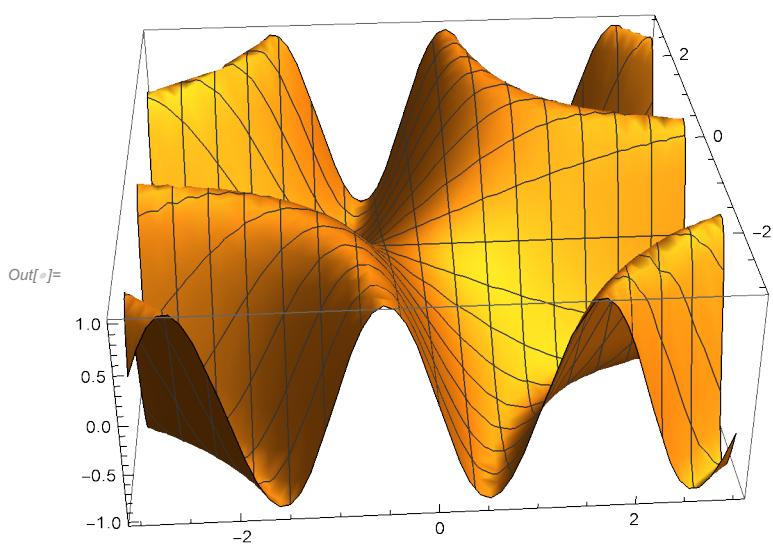
In[ $\#$ ]:= Plot[h[x], {x, -1, 3}]



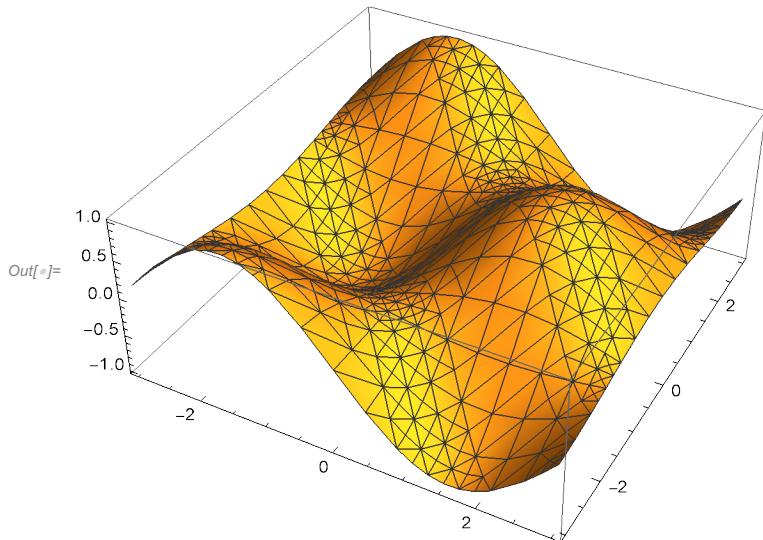
In[ $\#$ ]:= Plot[Sin[x] × Sin[x^2], {x, 0, 6π}]



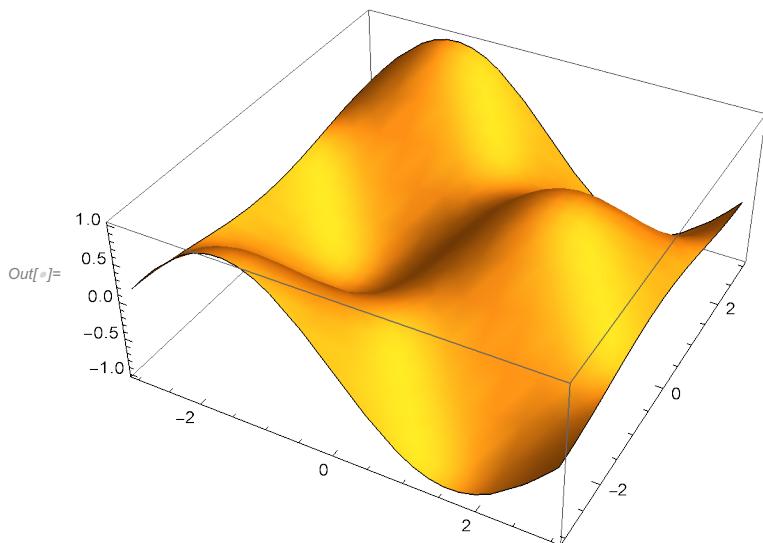
In[ $\#$ ]:= Plot3D[Sin[x y], {x, -3, 3}, {y, -3, 3}]



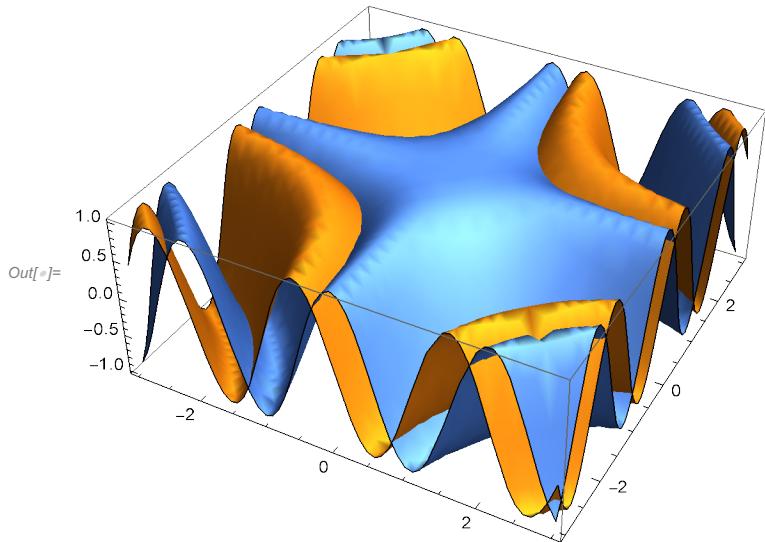
```
In[1]:= Plot3D[Sin[x] × Cos[y], {x, -3, 3}, {y, -3, 3}, Mesh → All]
```



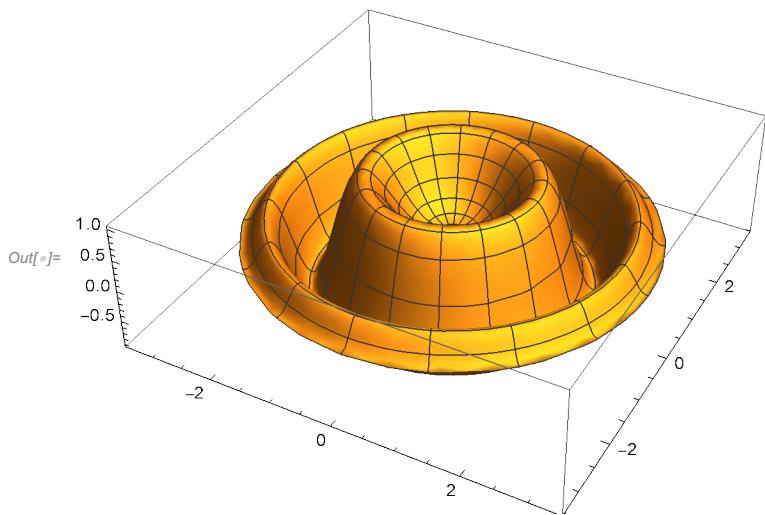
```
In[2]:= Plot3D[Sin[x] × Cos[y], {x, -3, 3}, {y, -3, 3}, Mesh → None]
```



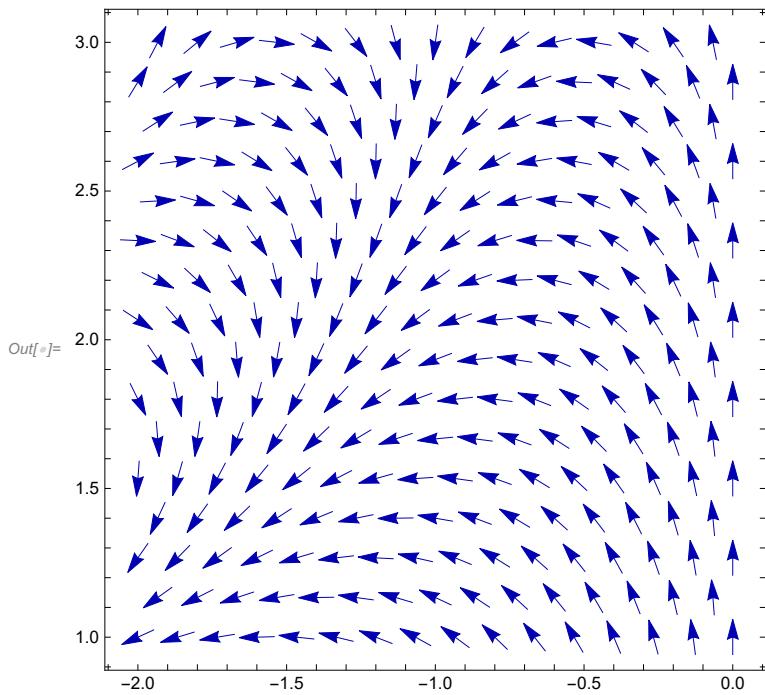
```
Plot3D[{Sin[x y], Cos[y x]}, {x, -3, 3}, {y, -3, 3}, Mesh → None] (* 3D multiple plot *)
```



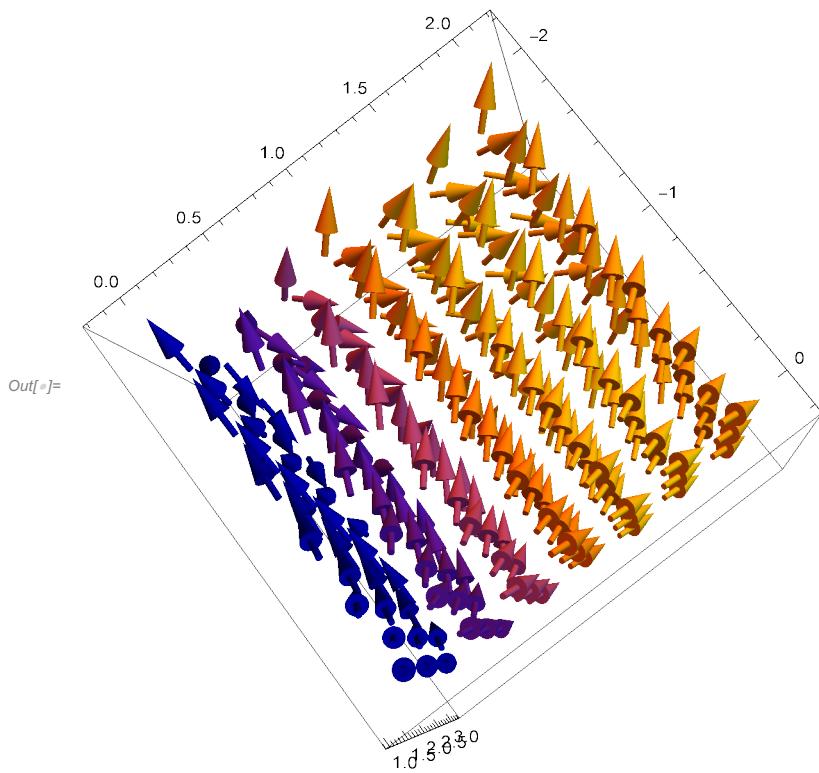
```
In[=]:= RevolutionPlot3D[Sin[t] × Sin[t^2], {t, 0, π}]
```



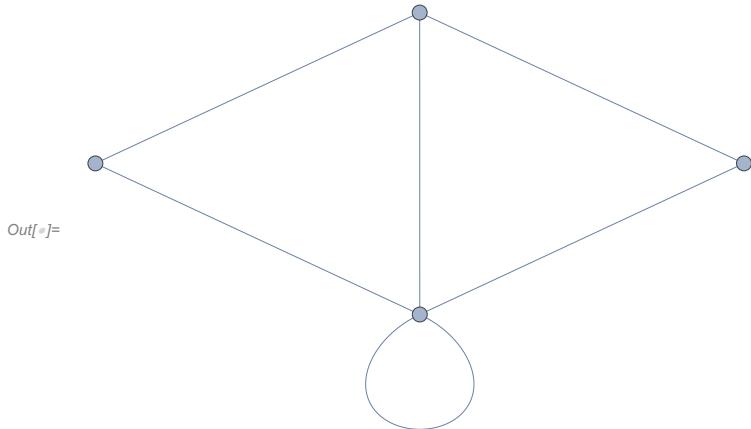
```
In[6]:= VectorPlot[{Sin[x y], Cos[x y]}, {x, -2, 0}, {y, 1, 3}]
```



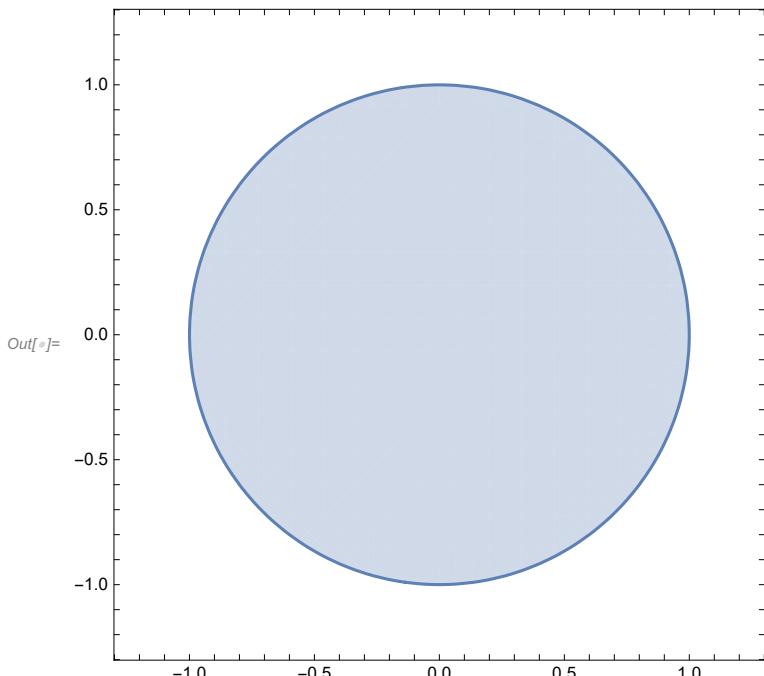
```
In[7]:= VectorPlot3D[{Sin[x y], Cos[x y], Sin[z]}, {x, -2, 0}, {y, 1, 3}, {z, 0, 2}]
```



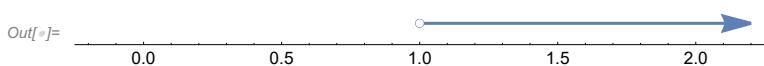
```
Graph[{1 → 2, 2 → 3, 3 → 1, 2 → 4, 1 → 4, 2 → 2}] (* ESC ue → *)
```



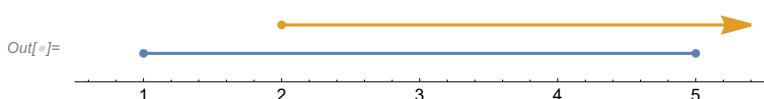
```
In[=]:= RegionPlot[x^2 + y^2 ≤ 1, {x, -1.25, 1.25}, {y, -1.25, 1.25}, AxesOrigin → True]
```



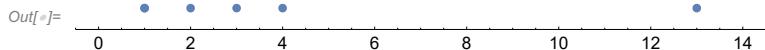
```
In[=]:= NumberLinePlot[x > 1, {x, 0, 2}]
```



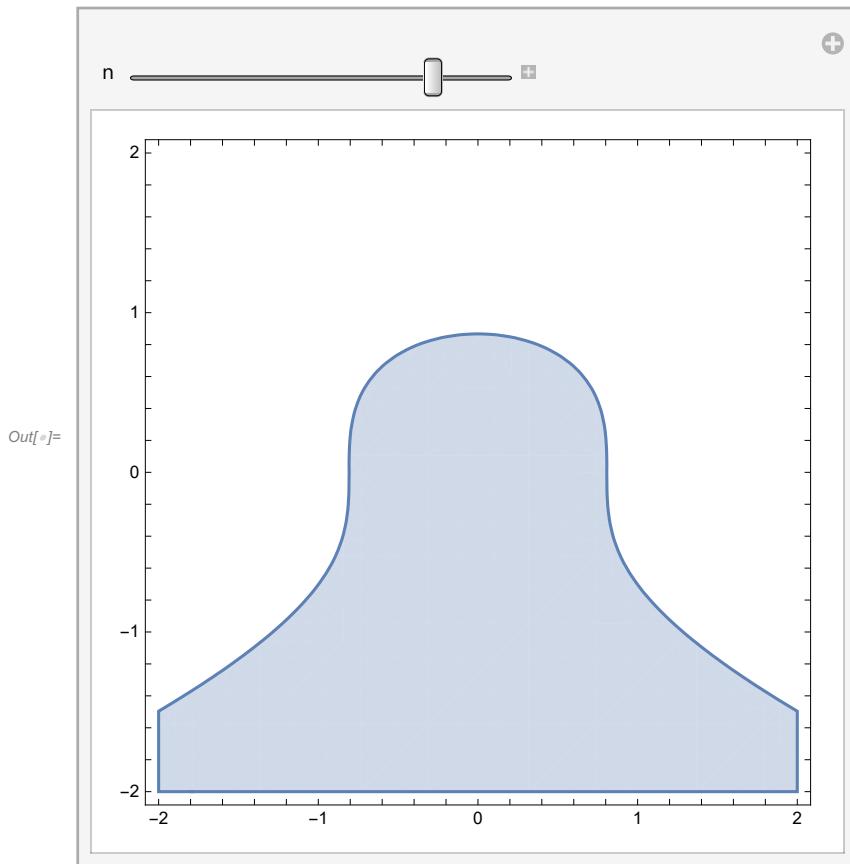
```
In[=]:= NumberLinePlot[{Interval[{1, 5}], Interval[{2, ∞}]}]
```



```
In[1]:= NumberLinePlot[{1, 1, 2, 3, 4, 13}]
```



```
Manipulate[
 RegionPlot[x^2 + y^3 < n, {x, -2, 2}, {y, -2, 2}], {n, -1, 1}]
```



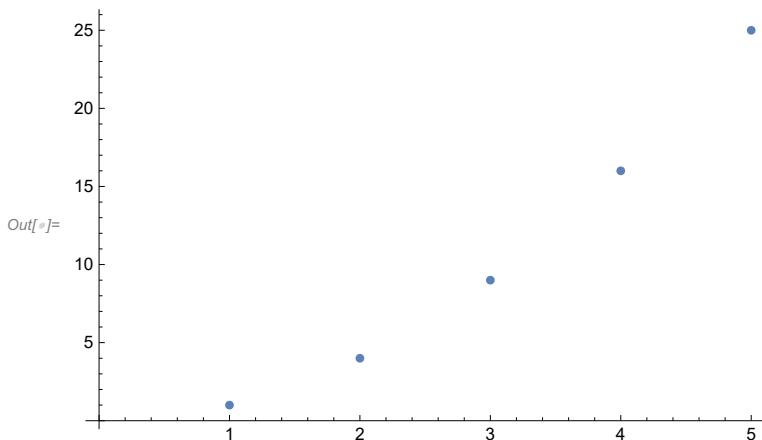
```
In[2]:= Clear[x, f, h]
```

## Chapter 11 | Visualizing Data

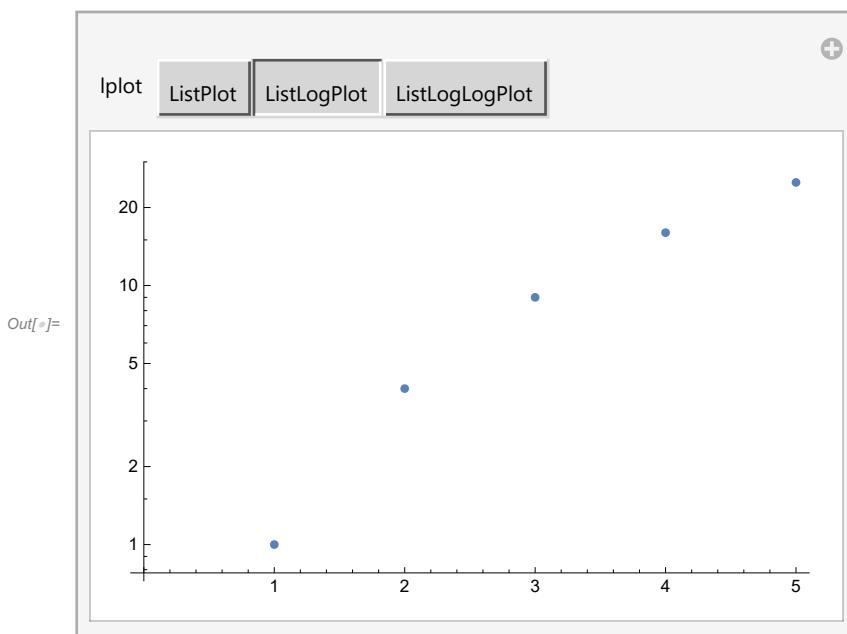
```
In[3]:= data = {1, 4, 9, 16, 25}
```

Out[3]= {1, 4, 9, 16, 25}

```
In[1]:= ListPlot[data]
```



```
In[2]:= Manipulate[
 lplot[data],
 {lplot, {ListPlot, ListLogPlot, ListLogLogPlot}},
 Initialization :> (data = {1, 4, 9, 16, 25})
 ]
```

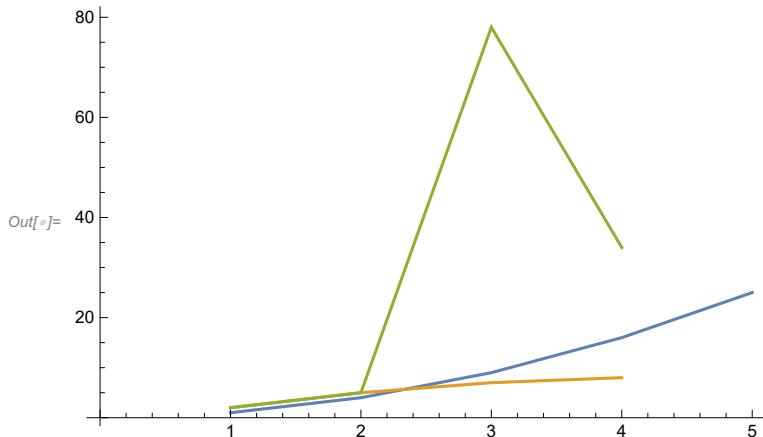


```
In[3]:= ds1 = {1, 4, 9, 16, 25};
```

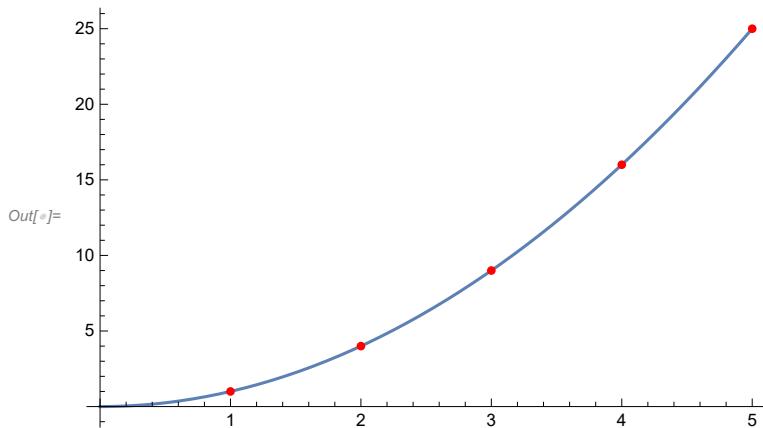
```
In[4]:= ds2 = {2, 5, 7, 8};
```

```
In[5]:= ds3 = {2, 5, 78, 34};
```

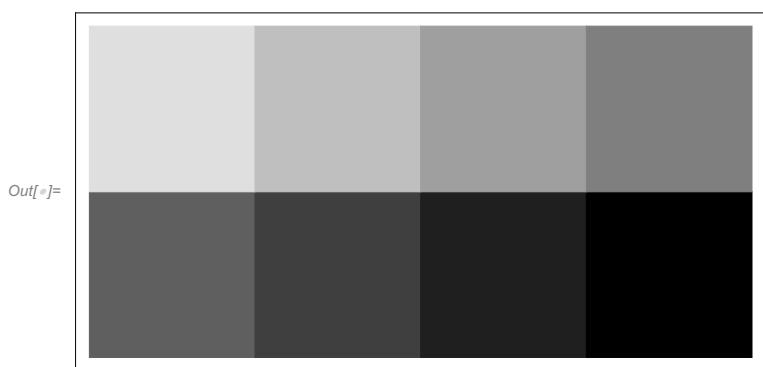
In[ $\#$ ]:= **ListLinePlot**[{ds1, ds2, ds3}]



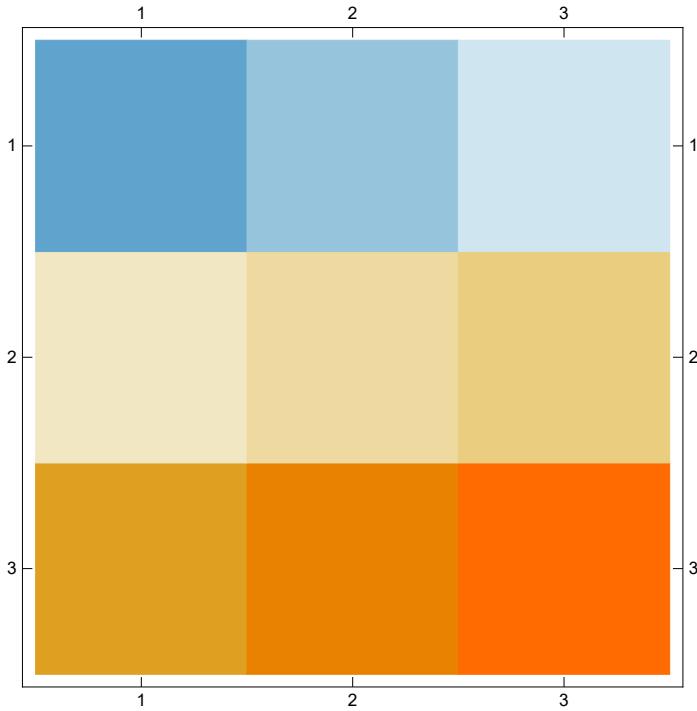
In[ $\#$ ]:= **Show**[ **Plot**[ $x^2$ , {x, 0, 5}],  
 **ListPlot**[{1, 4, 9, 16, 25}, **PlotStyle** -> {Red, **PointSize**[Medium]}]]



In[ $\#$ ]:= **ArrayPlot**[{{1, 2, 3, 4}, {5, 6, 7, 8}}]

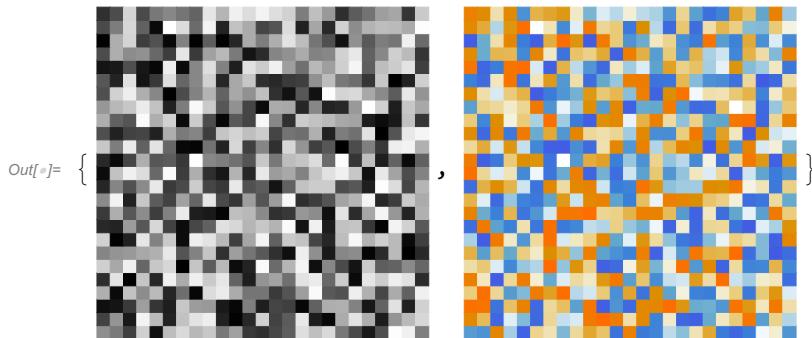


```
In[1]:= MatrixPlot[{{{-10, -5, -1}, {2, 4, 6}, {20, 30, 40}}]
```

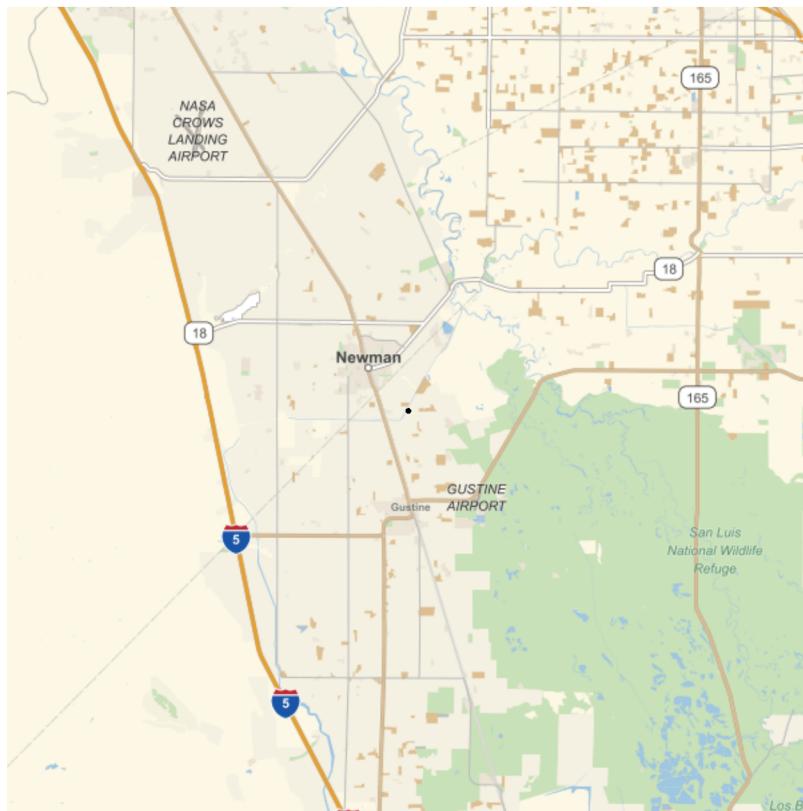


```
In[2]:= d = RandomInteger[{-100, 100}, {25, 25}];
```

```
In[3]:= {ArrayPlot[d, Frame → False], MatrixPlot[d, Frame → False]}
```

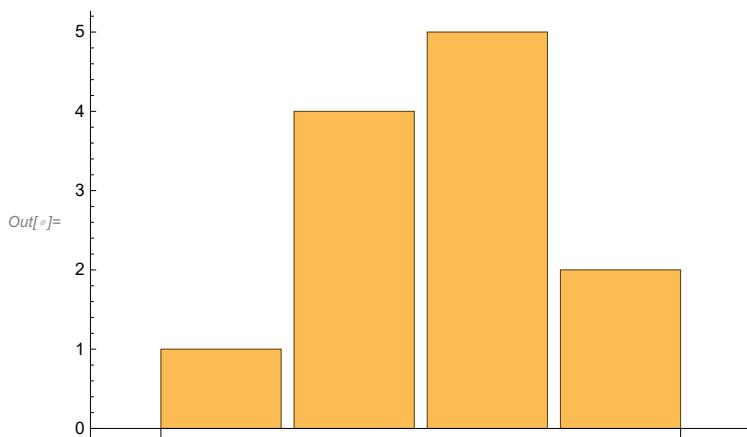


```
In[1]:= GeoGraphics[Point[GeoPosition[{37.2969, -121, 819}]]]
```



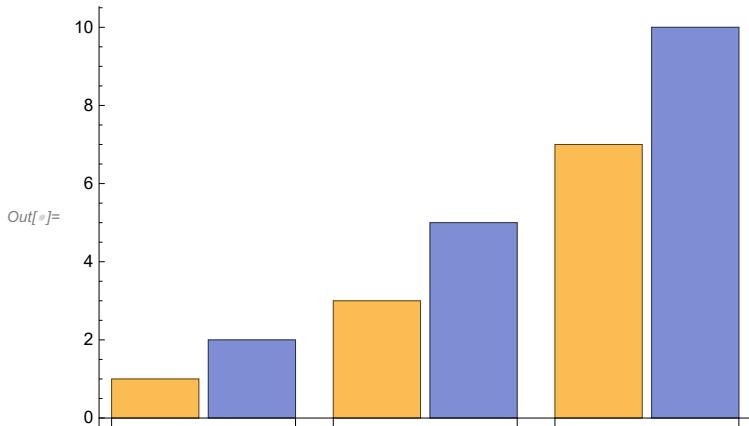
```
Out[1]=
```

```
In[2]:= BarChart[{1, 4, 5, 2}]
```



```
Out[2]=
```

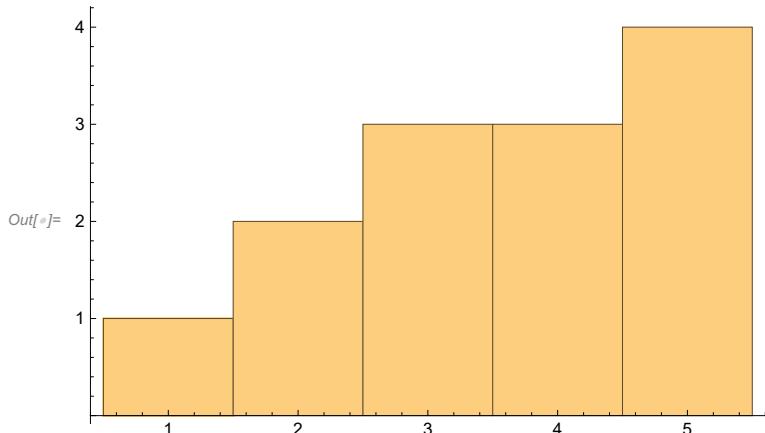
```
In[1]:= BarChart[{{1, 2}, {3, 5}, {7, 10}}]
```



```
In[2]:= Manipulate[  
  function[{{1, 2}, {3, 4}, {5, 6}, {7, 8}}],  
  {function, {PieChart, PieChart3D, SectorChart, BarChart, BarChart3D}}]
```



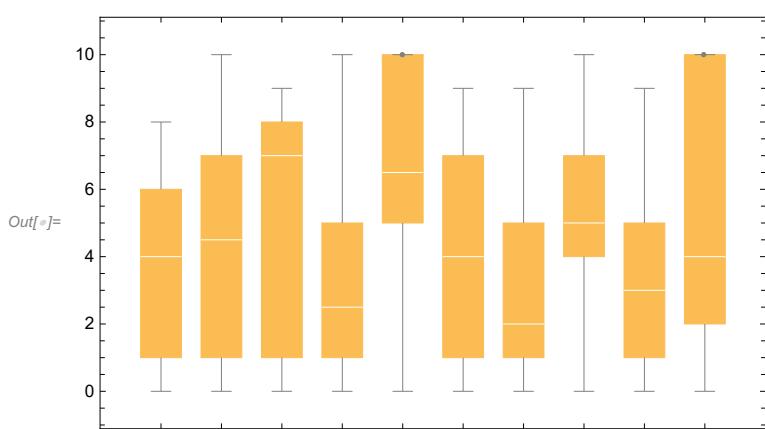
```
In[1]:= Histogram[{1, 2, 2, 3, 3, 3, 4, 4, 4, 5, 5, 5, 5}]
```



```
In[2]:= WordCloud[{J, A, N, A, R, S}]
```

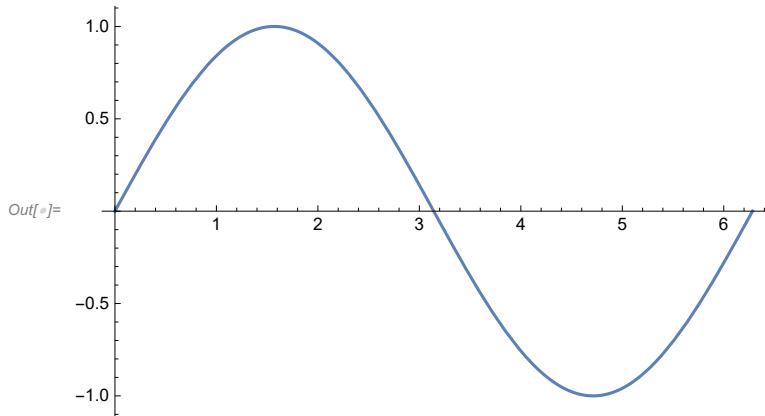


```
In[3]:= BoxWhiskerChart[RandomInteger[{0, 10}, {10, 10}]]
```

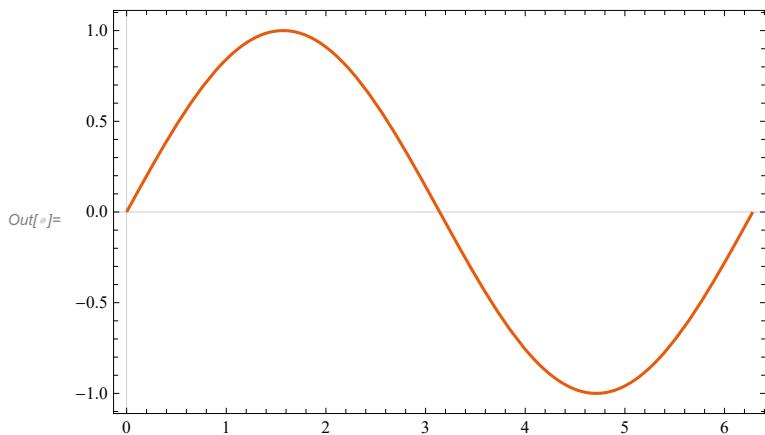


# Chapter 12| Styling and Customizing Graphs

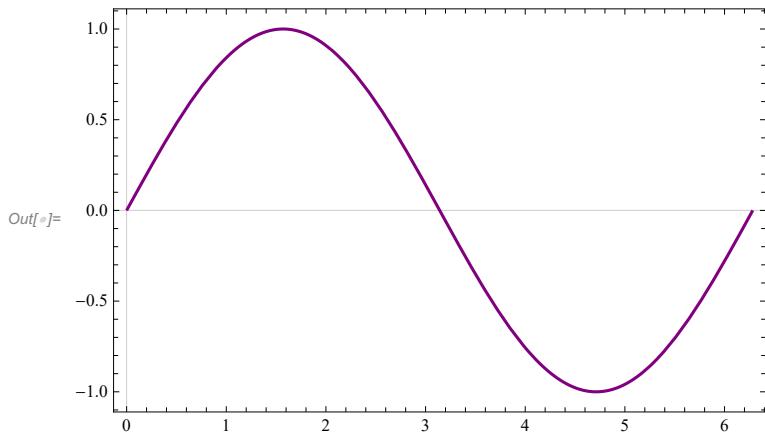
```
In[1]:= Plot[Sin[x], {x, 0, 2 π}]
```



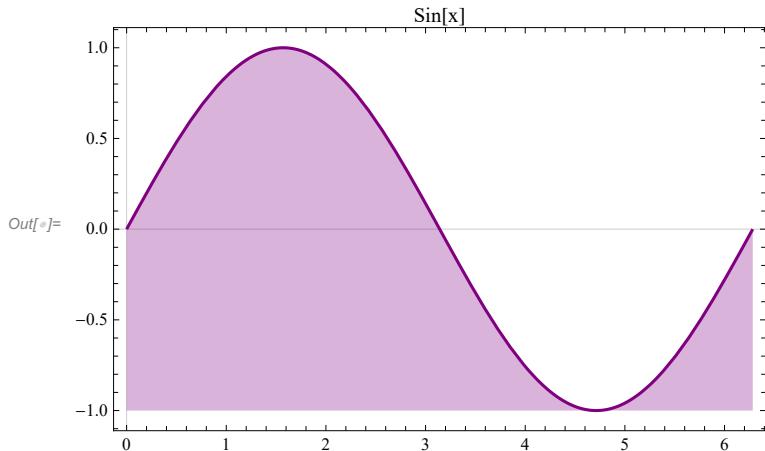
```
In[2]:= Plot[Sin[x], {x, 0, 2 π}, PlotTheme → "Scientific"]
```



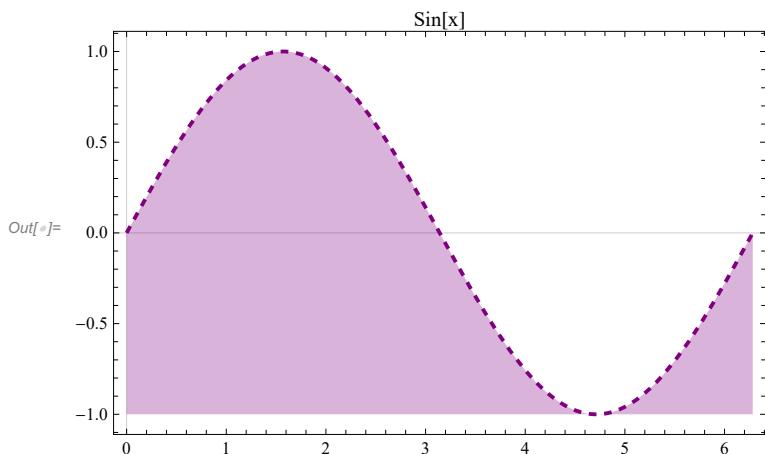
```
In[3]:= Plot[Sin[x], {x, 0, 2 π}, PlotTheme → "Scientific", PlotStyle → Purple]
```



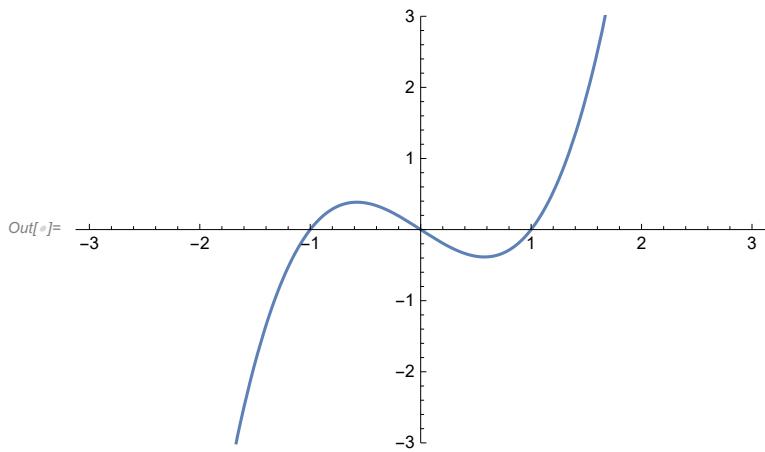
```
In[6]:= Plot[Sin[x], {x, 0, 2 π}, PlotTheme -> "Scientific",
  PlotStyle -> Purple, Filling -> Bottom, PlotLabel -> "Sin[x]"]
```



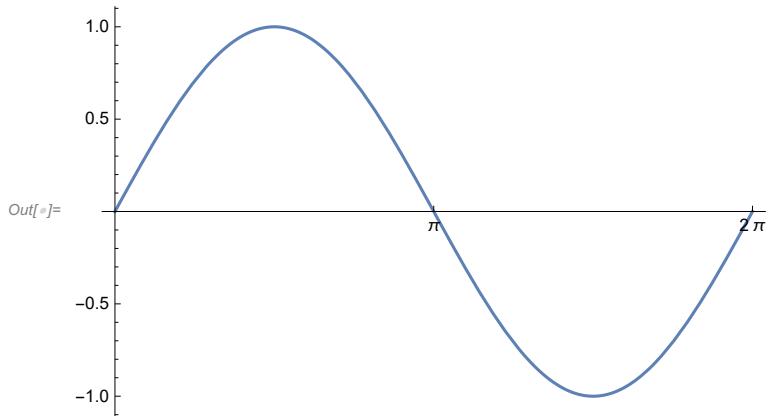
```
In[7]:= Plot[Sin[x], {x, 0, 2 π}, PlotTheme -> "Scientific",
  PlotStyle -> {Purple, Thick, Dashed}, Filling -> Bottom, PlotLabel -> "Sin[x]"]
```



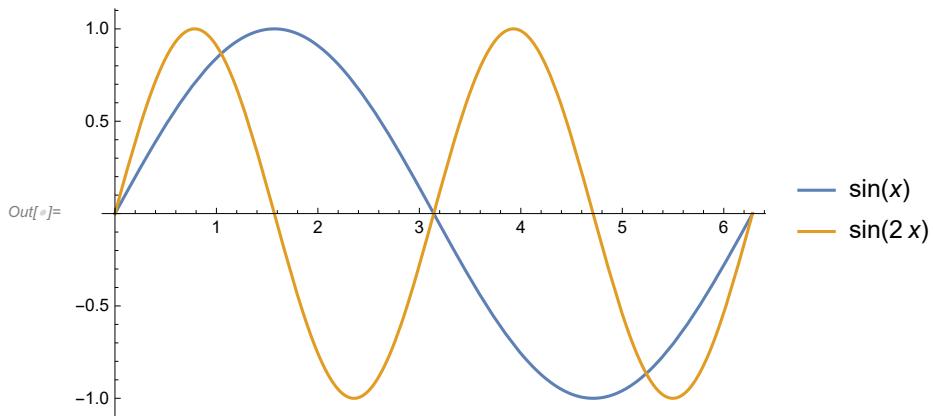
```
In[8]:= Plot[x^3 - x, {x, -3, 3}, AxesOrigin -> {0, 0}, PlotRange -> {-3, 3}]
```



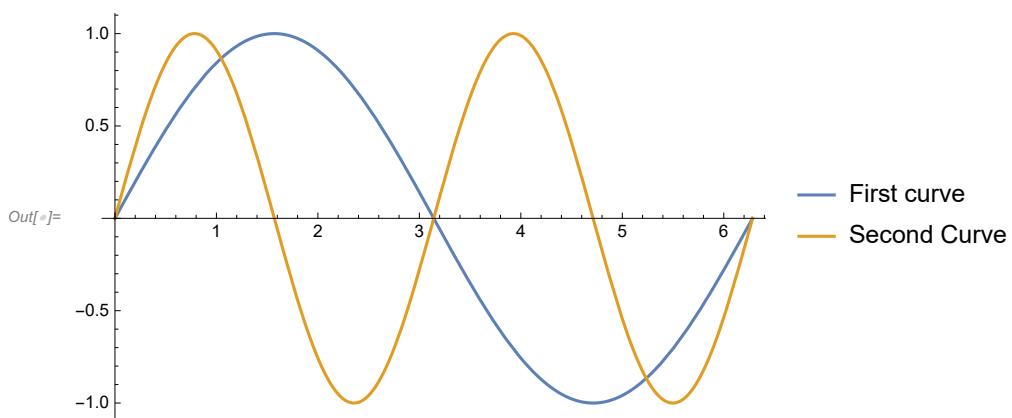
```
In[6]:= Plot[Sin[x], {x, 0, 2 π}, Ticks → {{π, 2 π}, Automatic}]
```



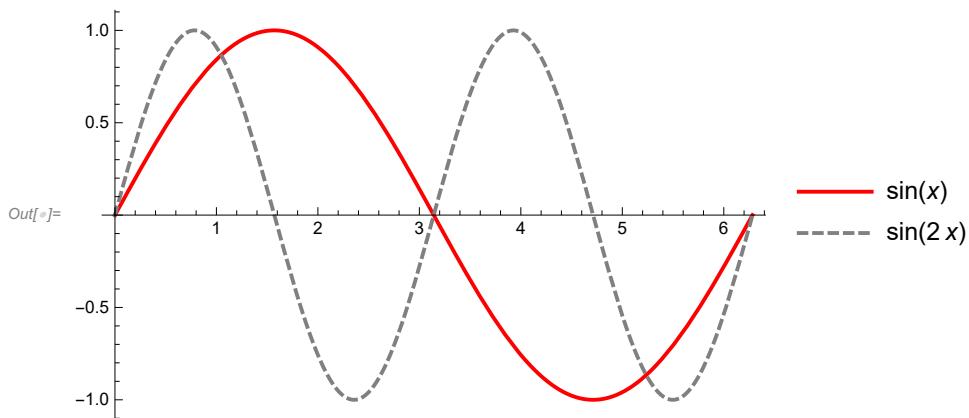
```
In[7]:= Plot[{Sin[x], Sin[2 x]}, {x, 0, 2 π}, PlotLegends → "Expressions"]
```



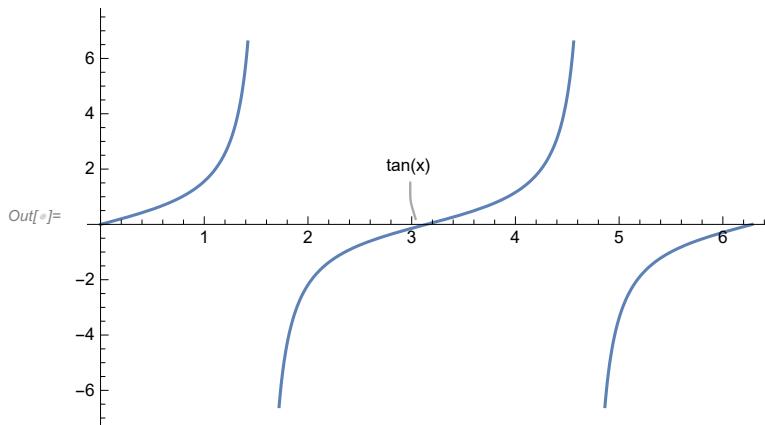
```
In[8]:= Plot[{Sin[x], Sin[2 x]}, {x, 0, 2 π}, PlotLegends → {"First curve", "Second Curve"}]
```



```
In[1]:= Plot[{Sin[x], Sin[2 x]}, {x, 0, 2 π},
PlotStyle -> {Directive[Red, Thick], Directive[Gray, Thick, Dashed]},
PlotLegends -> "Expressions"]
```



```
In[2]:= Plot[Callout[Tan[x], "tan(x)", π], {x, 0, 2 π}]
```

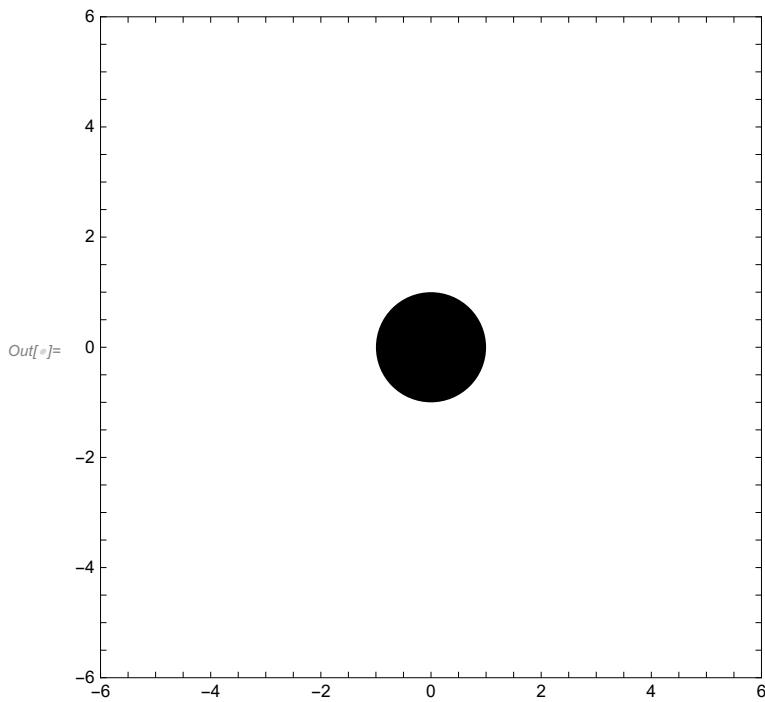


## Chapter 13| Creating Figures and Diagrams with Graphics Primitives

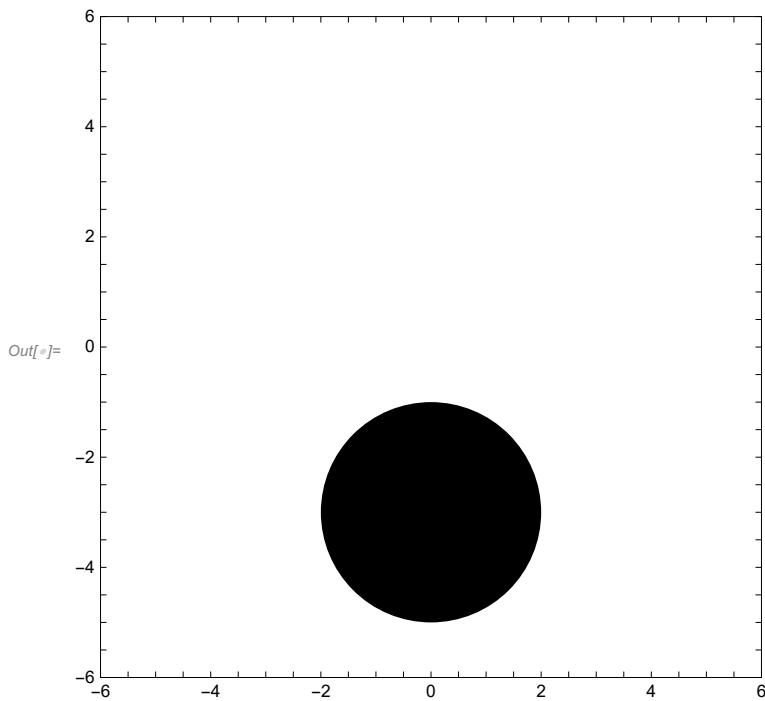
```
In[3]:= Disk[]
```

Out[3]= Disk[{0, 0}]

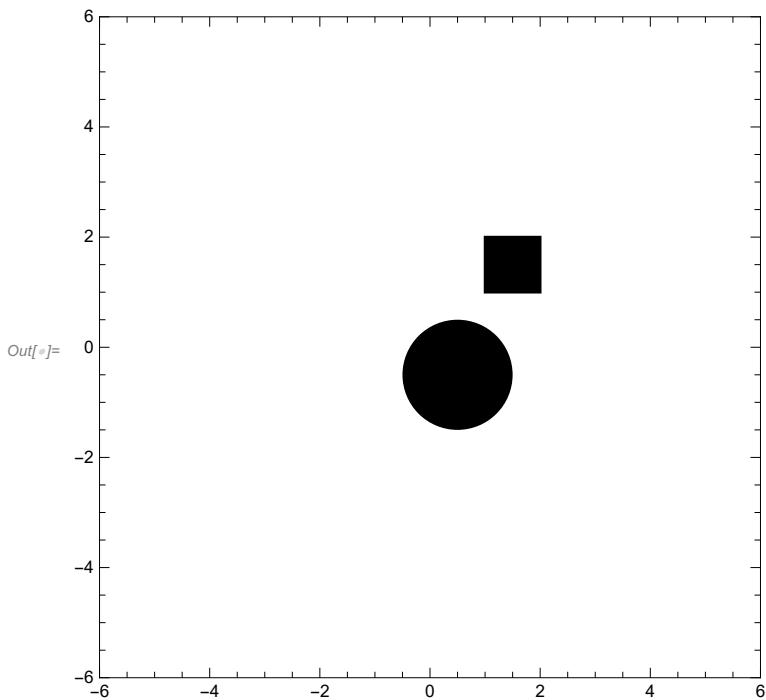
```
In[1]:= Graphics[Disk[], PlotRange -> 6, Frame -> True]
```



```
In[2]:= Graphics[Disk[{0, -3}, 2], PlotRange -> 6, Frame -> True]
```



```
In[1]:= Graphics[{Disk[{0.5, -0.5}, 1], Rectangle[{1, 1}, {2, 2}]}], PlotRange -> 6, Frame -> True]
```

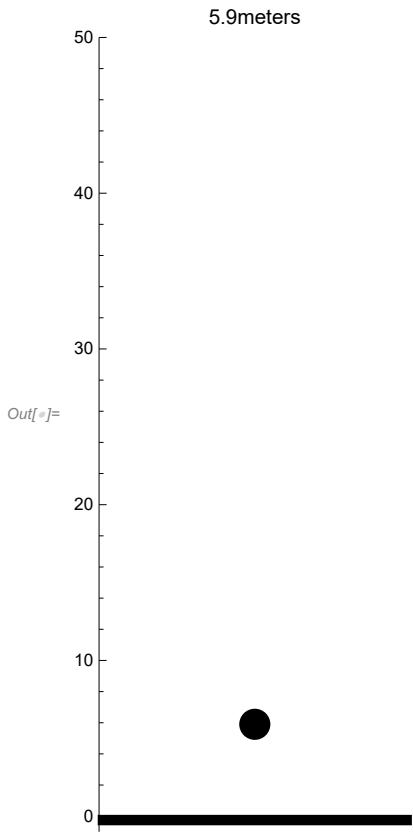


```
Out[1]=
```

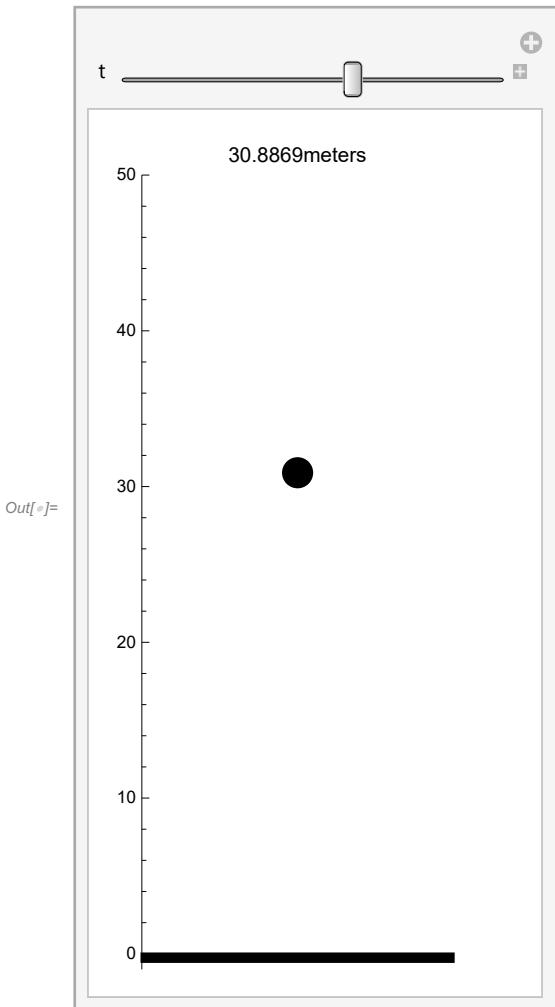
```
In[2]:= t = 2;
```

```
In[3]:= d = 1/2 (-9.8) t^2 + 50;
```

```
In[1]:= Graphics[{Disk[{10, d}], Rectangle[{0, -0.5}, {20, 0}]}, PlotRange -> {{0, 20}, {-1, 50}}, Axes -> {False, True}, PlotLabel -> ToString[d] <> "meters"]
```

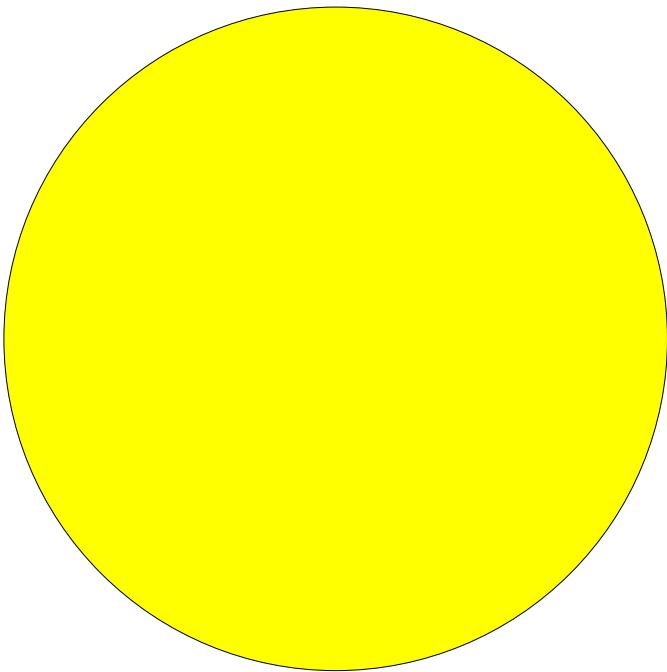


```
In[1]:= DynamicModule[{d, t},
  Manipulate[Graphics[
    {Disk[{10, d[t]}], Rectangle[{0, -0.5}, {20, 0}]}, PlotRange -> {{0, 20}, {-1, 50}},
    Axes -> {False, True},
    PlotLabel -> ToString[d[t]] <> "meters"],
    {t, 0, 3.2}, Initialization -> (d[t_] :=  $\frac{1}{2} (-9.8) t^2 + 50$ )]]
```



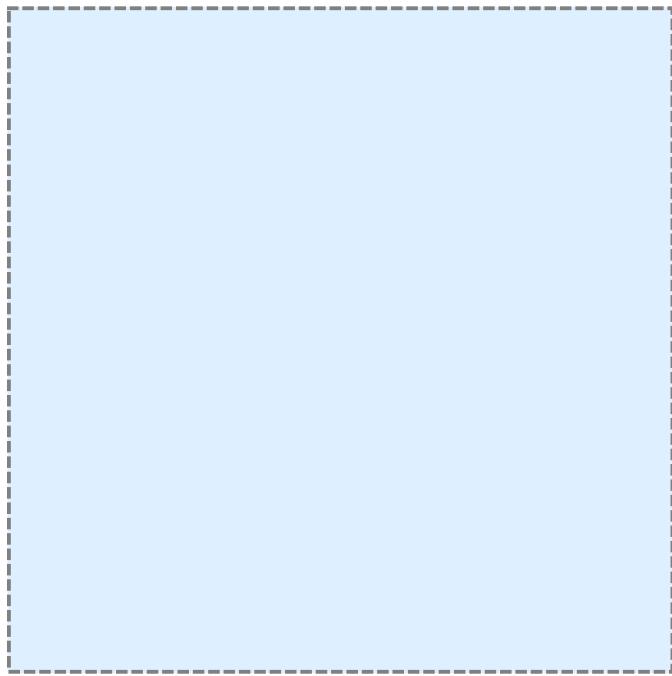
```
In[6]:= Graphics[{Yellow, EdgeForm[{Black}], Disk[]}]
```

Out[6]=



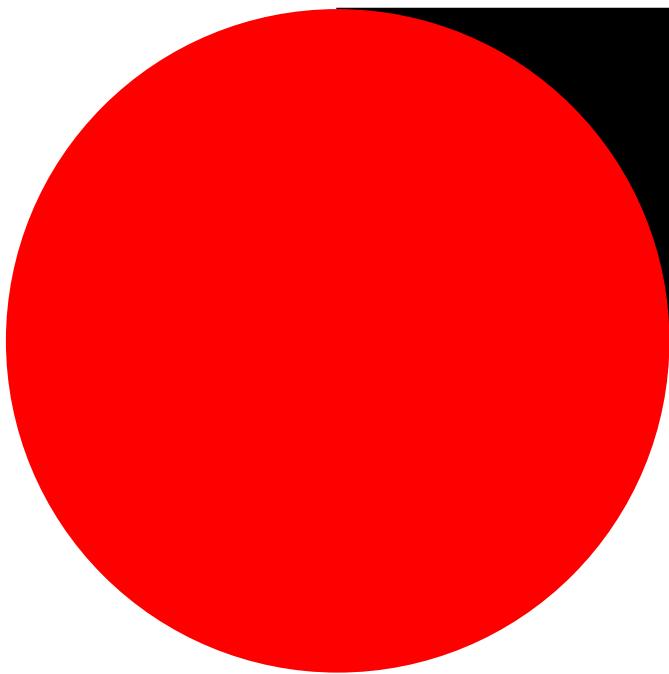
```
In[7]:= Graphics[{LightBlue, EdgeForm[{Gray, Thick, Dashed}], Rectangle[]}]
```

Out[7]=



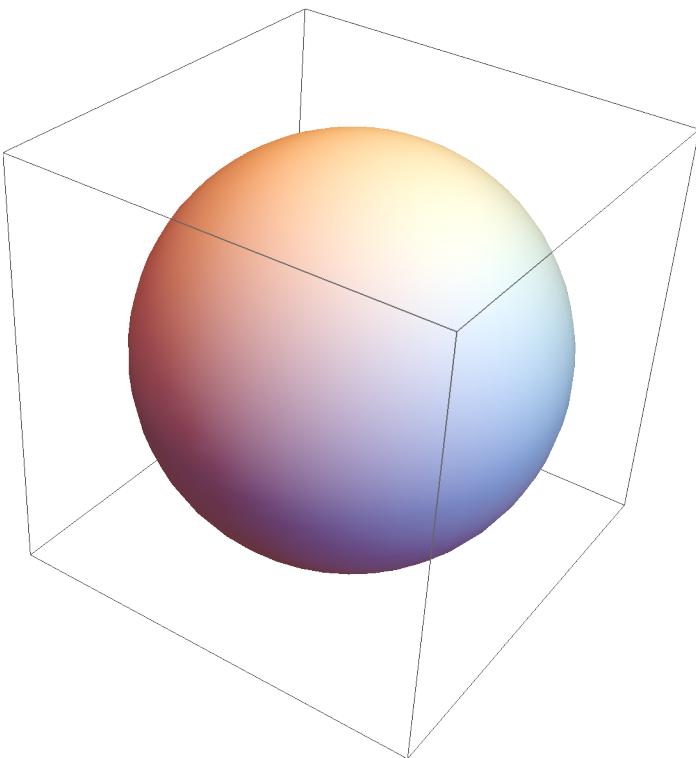
```
In[1]:= Graphics[{Black, Rectangle[{0, 0}, {1, 1}], Red, Disk[{0, 0}, 1]}]
```

Out[1]=

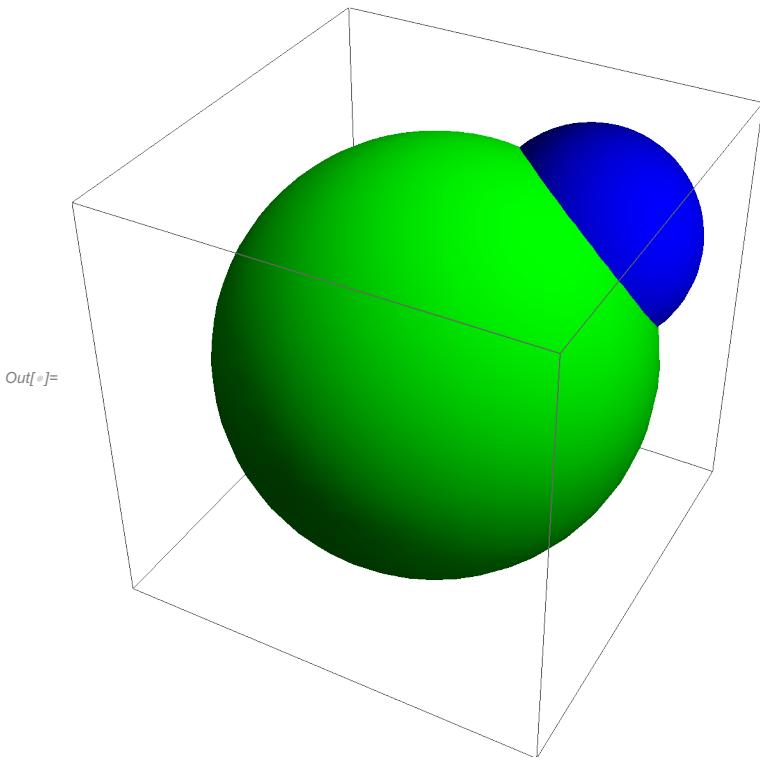


```
In[2]:= Graphics3D[Sphere[{0, 0, 0}, 0.5]]
```

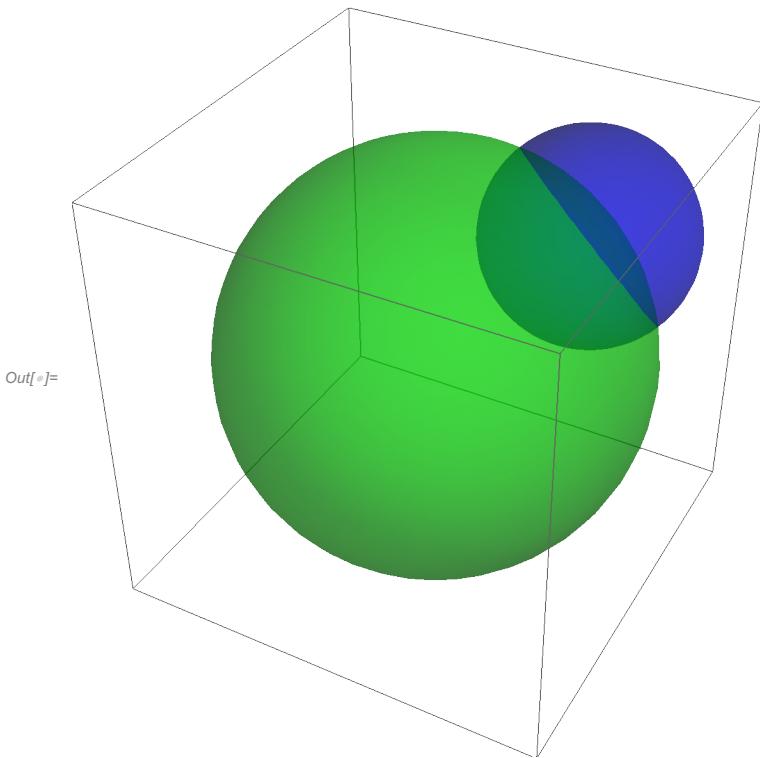
Out[2]=



```
In[6]:= Graphics3D[{Blue, Sphere[{0, 0, 0}, 0.5], Green, Sphere[{-0.5, -0.5, -0.5}, 1]}]
```



```
In[7]:= Graphics3D[  
{Blue, Opacity[0.5], Sphere[{0, 0, 0}, 0.5], Green, Sphere[{-0.5, -0.5, -0.5}, 1]}]
```



# Chapter 14| Algebraic Manipulation and Equation

*In[* $\#$ *]:=* 
$$\frac{2 \mathbf{a} \mathbf{b}}{\mathbf{b} \mathbf{c}}$$

*Out[* $\#$ *]:=* 
$$\frac{2 \mathbf{a}}{\mathbf{c}}$$

*In[* $\#$ *]:=* **Expand**[( $\mathbf{a} + \mathbf{b}$ ) ( $\mathbf{a} + \mathbf{c}$ ) ( $\mathbf{b} + \mathbf{c}$ )]

*Out[* $\#$ *]:=* 
$$\mathbf{a}^2 \mathbf{b} + \mathbf{a} \mathbf{b}^2 + \mathbf{a}^2 \mathbf{c} + 2 \mathbf{a} \mathbf{b} \mathbf{c} + \mathbf{b}^2 \mathbf{c} + \mathbf{a} \mathbf{c}^2 + \mathbf{b} \mathbf{c}^2$$

*In[* $\#$ *]:=* **Factor**[ $\mathbf{a}^2 \mathbf{b} + \mathbf{a} \mathbf{b}^2 + \mathbf{a}^2 \mathbf{c} + 2 \mathbf{a} \mathbf{b} \mathbf{c} + \mathbf{b}^2 \mathbf{c} + \mathbf{a} \mathbf{c}^2 + \mathbf{b} \mathbf{c}^2$ ]

*Out[* $\#$ *]:=* 
$$(\mathbf{a} + \mathbf{b}) (\mathbf{a} + \mathbf{c}) (\mathbf{b} + \mathbf{c})$$

*In[* $\#$ *]:=* **Togther**[( $\frac{1}{\mathbf{x} + 1}$ ) + ( $\frac{1}{\mathbf{x} - 1}$ )]

*Out[* $\#$ *]:=* **Togther**[( $\frac{1}{-1 + \mathbf{x}}$ ) + ( $\frac{1}{1 + \mathbf{x}}$ )]

*In[* $\#$ *]:=* **Apart**[( $\frac{2 \mathbf{x}}{(-1 + \mathbf{x})(1 + \mathbf{x})}$ )]

*Out[* $\#$ *]:=* 
$$\frac{1}{-1 + \mathbf{x}} + \frac{1}{1 + \mathbf{x}}$$

*In[* $\#$ *]:=* **Collect**[ $\mathbf{a} \mathbf{x}^2 + \mathbf{b} \mathbf{x}^2 \mathbf{y} + \mathbf{c} \mathbf{y} \mathbf{x}$ ,  $\mathbf{y}$ ]

*Out[* $\#$ *]:=* 
$$\mathbf{a} \mathbf{x}^2 + (\mathbf{b} \mathbf{x}^2 + \mathbf{c} \mathbf{x}) \mathbf{y}$$

*In[* $\#$ *]:=* **Simplify**[ $\text{Sin}[\mathbf{x}]^2 + \text{Cos}[\mathbf{x}]^2$ ]

*Out[* $\#$ *]:=* 1

*In[* $\#$ *]:=* **Simplify**[ $\sqrt{\mathbf{x}^2}$ ,  $\mathbf{x} > 0$ ]

*Out[* $\#$ *]:=* 
$$\mathbf{x}$$

*In[* $\#$ *]:=* **Solve**[ $\mathbf{x}^2 + 2 \mathbf{x} - 1 = 0$ ,  $\mathbf{x}$ ]

*Out[* $\#$ *]:=* 
$$\left\{ \left\{ \mathbf{x} \rightarrow -1 - \sqrt{2} \right\}, \left\{ \mathbf{x} \rightarrow -1 + \sqrt{2} \right\} \right\}$$

*In[* $\#$ *]:=* **ReplaceAll**[{ $\mathbf{x}$ ,  $\mathbf{x} + 1$ ,  $\mathbf{x} + 2$ },  $\mathbf{x} \rightarrow 2$ ]

*Out[* $\#$ *]:=* {2, 3, 4}

*In[* $\#$ *]:=* **FindRoot**[ $\text{Sin}[\mathbf{x}^2] - \text{Cos}[\mathbf{x}]$ , { $\mathbf{x}$ ,  $\pi$ }]

*Out[* $\#$ *]:=* { $\mathbf{x} \rightarrow 3.29304$ }

# Chapter 15| Calculus

```
In[1]:= D[x^2 Sin[x], x] (* Differentiation *)
```

```
Out[1]= x^2 Cos[x] + 2 x Sin[x]
```

```
In[2]:= D[x^2 Sin[x], {x, 3}]
```

```
Out[2]= 6 Cos[x] - x^2 Cos[x] - 6 x Sin[x]
```

```
In[3]:= Sin'[x]
```

```
Out[3]= Cos[x]
```

```
In[4]:= f[x_] := x^3 - 2 x^2 - 5 x + 6
```

```
In[5]:= f'[x]
```

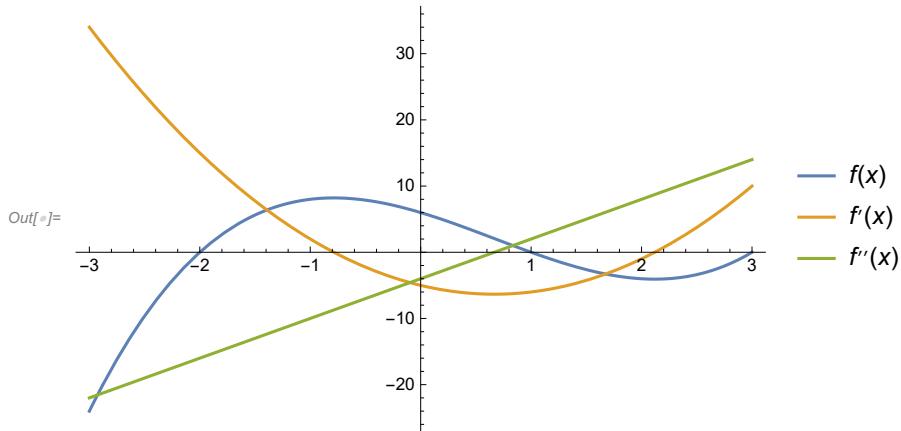
```
Out[5]= -5 - 4 x + 3 x^2
```

```
In[6]:= f''[x]
```

```
In[7]:= -4 + 6 x
```

```
Out[7]= -4 + 6 x
```

```
In[8]:= Plot[{f[x], f'[x], f''[x]}, {x, -3, 3}, PlotLegends -> "Expressions"]
```



```
In[9]:= Limit[1/x, x -> 1]
```

```
Out[9]= 1
```

```
In[10]:= Limit[1/x, x -> Infinity]
```

```
Out[10]= 0
```

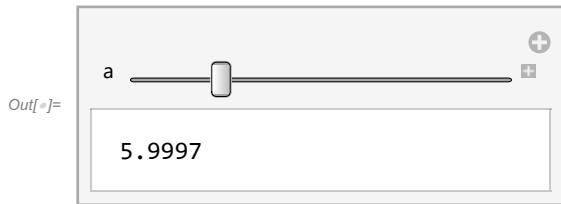
In[1]:= **Integrate**[ $x^2 + 2x + 1$ ,  $x$ ]

Out[1]=  $x + x^2 + \frac{x^3}{3}$

In[2]:=  $\int (x^2 + 2x + 1) dx$

Out[2]=  $x + x^2 + \frac{x^3}{3}$

In[3]:= **Manipulate**[  
  **Integrate**[ $x^2 e^x$ , { $x$ , 0,  $a$ }],  
  { $a$ , 0, 8}]



In[4]:= **Clear**[ $x$ ,  $f$ ]

## Chapter 16| Differential Equations

In[1]:= **DSolve**[ $y'[x] == x^2 \sin[x]$ ,  $y[x]$ ,  $x$ ]

Out[1]=  $\{\{y[x] \rightarrow c_1 - (-2 + x^2) \cos[x] + 2x \sin[x]\}\}$

In[2]:= **DSolve**[ $\{y'[x] == x^2 \sin[x]$ ,  $y[1] == 1\}$ ,  $y[x]$ ,  $x$ ]

Out[2]=  $\{\{y[x] \rightarrow 1 - \cos[1] + 2 \cos[x] - x^2 \cos[x] - 2 \sin[1] + 2x \sin[x]\}\}$

In[3]:= **NDSolve**[ $\{y'[x] == x^2 \sin[x]$ ,  $y[1] == 1\}$ ,  $y$ , { $x$ , 0, 10}]

Out[3]=  $\{y \rightarrow \text{InterpolatingFunction}[\text{[+ } \text{[Curve]} \text{]} \text{, Domain: } \{0., 10.\} \text{, Output: scalar}]\}$

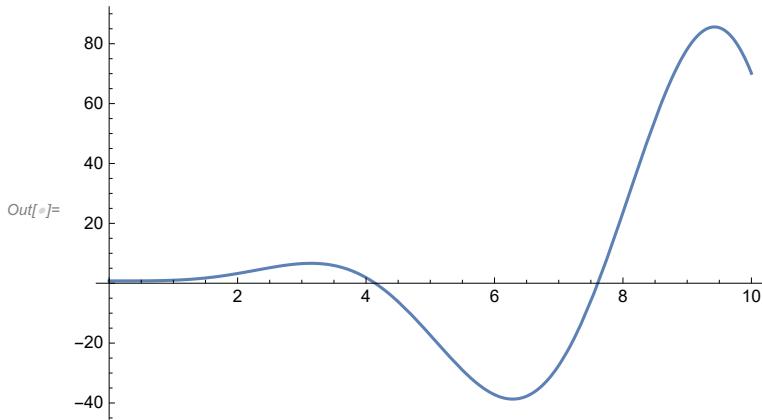
In[4]:= **nSlon** = **NDSolveValue**[ $\{y'[x] == x^2 \sin[x]$ ,  $y[1] == 1\}$ ,  $y$ , { $x$ , 0, 10}]

Out[4]=  $\text{InterpolatingFunction}[\text{[+ } \text{[Curve]} \text{]} \text{, Domain: } \{0., 10.\} \text{, Output: scalar}]$

In[5]:= **nSlon**[5]

Out[5]= -17.3367

```
In[1]:= Plot[nSlon[X], {X, 0, 10}]
```



```
In[2]:= Clear[nSlon]
```

## Chapter 17 | Linear Algebra

```
In[1]:= vec1 = {1, 2, 3, 4, 57, 9, 34, 8, 9, 0} (* vectors*)
```

```
{1, 2, 3, 4, 57, 9, 34, 8, 9, 0} mjjnn
```

```
In[2]:= vec2 = Table[i^2, {i, 1, 10}]
```

```
Out[2]= {1, 4, 9, 16, 25, 36, 49, 64, 81, 100}
```

```
In[3]:= myFunction[x_] := x Sin[x]
```

```
In[4]:= vec3 = Array[myFunction, 5]
```

```
Out[4]= {Sin[1], 2 Sin[2], 3 Sin[3], 4 Sin[4], 5 Sin[5]}
```

```
In[5]:= vec4 = {a, c, π, e, 1, 2, 3, 4.5}
```

```
Out[5]= {a, c, π, e, 1, 2, 3, 4.5}
```

```
In[6]:= {VectorQ[vec1], VectorQ[vec2], VectorQ[vec3], VectorQ[vec4]}
```

```
Out[6]= {True, True, True, True}
```

```
In[7]:= vec1 + vec2
```

```
Out[7]= {2, 6, 12, 20, 82, 45, 83, 72, 90, 100}
```

```
In[8]:= Cross[{1, 3, 5}, {π, e, 0}]
```

```
Out[8]= {-5 e, 5 π, e - 3 π}
```

```
In[9]:= Norm[vec3]
```

```
Out[9]=  $\sqrt{\sin[1]^2 + 4 \sin[2]^2 + 9 \sin[3]^2 + 16 \sin[4]^2 + 25 \sin[5]^2}$ 
```

```
In[10]:= mat1 = {{1, 2, 3}, {4, 5, 6}, {7, 8, 9}};
```

```

In[=]:= MatrixForm[mat1]
Out[=]/MatrixForm=

$$\begin{pmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{pmatrix}

In[=]:= mat2 = Table[i*j, {i, 1, 5}, {j, 1, 5}];
In[=]:= MatrixForm[mat2]
Out[=]/MatrixForm=

$$\begin{pmatrix} 1 & 2 & 3 & 4 & 5 \\ 2 & 4 & 6 & 8 & 10 \\ 3 & 6 & 9 & 12 & 15 \\ 4 & 8 & 12 & 16 & 20 \\ 5 & 10 & 15 & 20 & 25 \end{pmatrix}

In[=]:= myList = {1, 2, 3, 4, 5, 6, 7, 8, 9, 10};
In[=]:= Part[myList, 5]
Out[=]= 5

In[=]:= myList[[5]]
Out[=]= 5

In[=]:= Part[myList, 1 ;; 5]
Out[=]= {1, 2, 3, 4, 5}

In[=]:= Take[myList, {3, 6}]
Out[=]= {3, 4, 5, 6}

In[=]:= Take[(1 2), 2]
Out[=]= {{1, 2}, {4, 5}}

In[=]:= Diagonal[(1 2)] // MatrixForm
Out[=]/MatrixForm=

$$\begin{pmatrix} 1 \\ 6 \end{pmatrix}

In[=]:= Transpose[(1 2)] // MatrixForm
Out[=]/MatrixForm=

$$\begin{pmatrix} 1 & 4 \\ 2 & 6 \end{pmatrix}

In[=]:= Inverse[(1 2)]
Out[=]= \left\{ \{-3, 1\}, \left\{ 2, -\frac{1}{2} \right\} \right\}$$$$$$$$

```

```
In[1]:= Eigenvalues[{{1, 2}, {4, 6}}]
Out[1]= {1/2 (7 + Sqrt[57]), 1/2 (7 - Sqrt[57])}
```

## Chapter 18| Probability and Statics

*In[2]:=* **pooker full house**

Properties

	number of possible hands	approximate probability	approximate chance
5-card hand	3744	0.001441	≈ 1 in 694
7-card hand	3 473 184	0.02596	≈ 1 in 39

(assuming random selection from a standard 52-card deck)  
 (the value of a 7-card hand is determined by its best 5-card subset)

*In[3]:=* **rolling a 7 on two 6 – sided dice**

Distribution of total

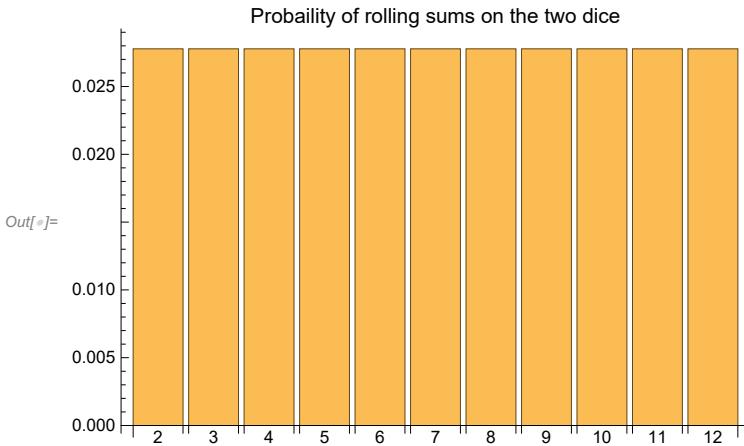
(assuming fair 6-sided dice)

```
In[4]:= Probability[x == 3, x \[Distributed] DiscreteUniformDistribution[{1, 6}]]
```

$$\frac{1}{6}$$

```
In[1]:= probs = Table[
  Probability[x + y == 12, x ~ DiscreteUniformDistribution[{1, 6}] &&
  y ~ DiscreteUniformDistribution[{1, 6}]],
 {result, 2, 12, 1}]
Out[1]= {1/36, 1/36, 1/36, 1/36, 1/36, 1/36, 1/36, 1/36, 1/36, 1/36, 1/36}
```

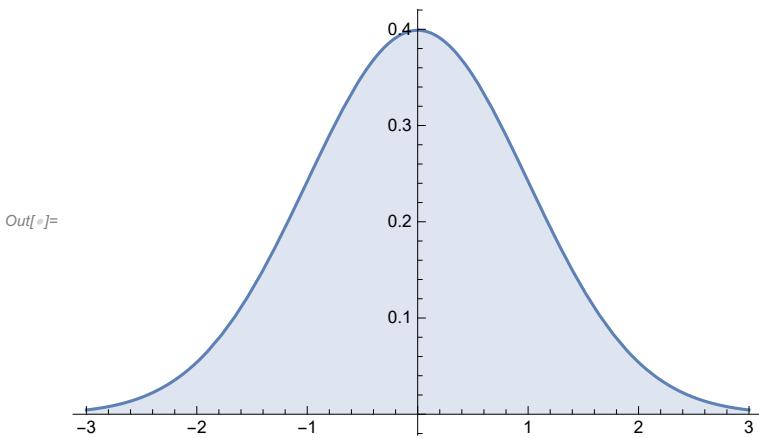
```
In[2]:= BarChart[probs, ChartLabels → Table[i, {i, 2, 12, 1}],
 PlotLabel → "Probability of rolling sums on the two dice"]
```



```
In[3]:= PDF[DiscreteUniformDistribution[{1, 6}], x]
```

$$\text{Out[3]}= \begin{cases} \frac{1}{6} & 1 \leq x \leq 6 \\ 0 & \text{True} \end{cases}$$

```
In[4]:= Plot[PDF[NormalDistribution[0, 1], x], {x, -3, 3}, Filling → Axis]
```



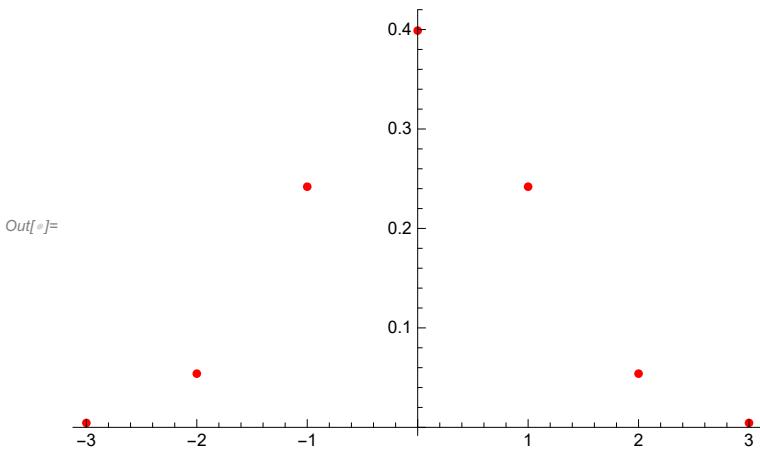
```
In[5]:= myFun[x_] := PDF[NormalDistribution[0, 1], x]
```

```
In[6]:= myFun[0]
```

$$\text{Out[6]}= \frac{1}{\sqrt{2 \pi}}$$

```
In[7]:= points = Table[{x, myFun[x]}, {x, -3, 3, 1}];
```

```
In[1]:= ListPlot[points, PlotStyle -> {Red, PointSize[Medium]}]
```



```
In[2]:= data = {1, 2, 2, 3, 4, 5, 6, 6, 7, 8, 8, 8, 7}
Mean[data]
```

```
Out[2]= {1, 2, 2, 3, 4, 5, 6, 6, 7, 8, 8, 8, 7}
```

$$\text{Out[2]= } \frac{67}{13}$$

```
In[3]:= Median[data]
```

```
Out[3]= 6
```

```
In[4]:= Commonest[data]
```

```
Out[4]= {8}
```

```
In[5]:= Mean[{p1, p2, p3}]
```

$$\text{Out[5]= } \frac{1}{3} (p1 + p2 + p3)$$

```
In[6]:= Variance[data]
```

$$\text{Out[6]= } \frac{82}{13}$$

```
In[7]:= StandardDeviation[data]
```

$$\text{Out[7]= } \sqrt{\frac{82}{13}}$$

```
In[8]:= InterquartileRange[data]
```

$$\text{Out[8]= } \frac{9}{2}$$

```
In[9]:= list1 = {1, 2, 2, 3, 3, 4, 5, 5, 5, 7};
list2 = {1, 3, 4, 5, 6, 7, 8, 9, 0, 1};
```

In[1]:= **Covariance[list1, list2]**

$$\text{Out}[1]= \frac{26}{45}$$

In[2]:= **Correlation[list1, list2]**

$$\text{Out}[2]= 2 \sqrt{\frac{13}{5117}}$$

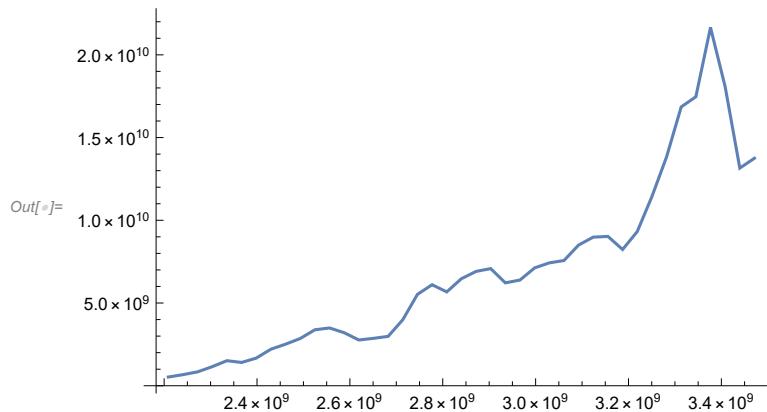
In[3]:= **myData = CountryData["Iceland", {"GDP"}, {1970, 2010}]**

Out[3]= **TimeSeries** [  Time: 01 Jan 1970 to 01 Jan 2010  
Data points: 41 ]

In[4]:= **myData["Values"]**

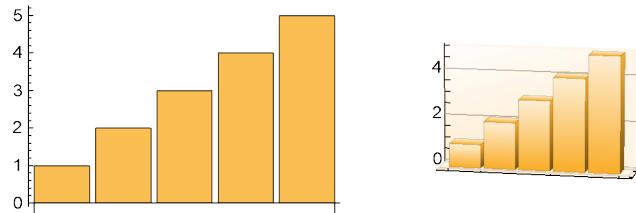
Out[4]= **QuantityArray** [  Dimensions: {41}  
Unit: USDollars  
Years ]

In[5]:= **ListLinePlot[myData]**

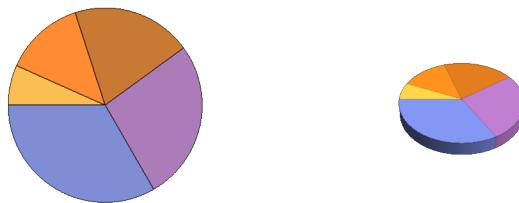


In[6]:= **data = {1, 2, 3, 4, 5};**

```
In[6]:= GraphicsGrid[{
  {BarChart[data], BarChart3D[data]},
  {PieChart[data], PieChart3D[data]}
}]
```

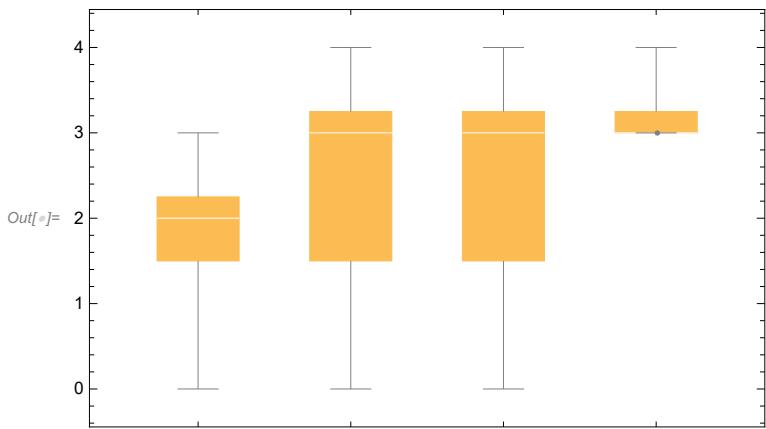


Out[6]=



```
In[7]:= boxData = RandomInteger[{0, 4}, {4, 5}];
```

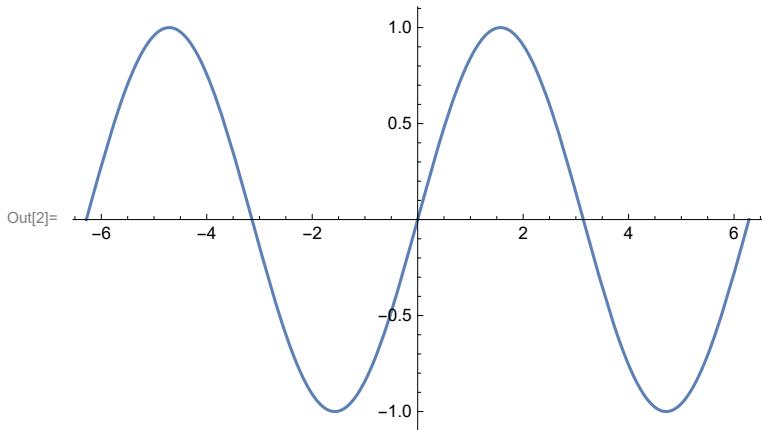
```
In[8]:= BoxWhiskerChart[boxData]
```



## Chapter 19| Importing and Exporting Data

```
(* Import[] *)
```

```
In[2]:= Plot[Sin[x], {x, -2 π, 2 π}]
```



```
In[3]:= Export["data.png", Plot[Sin[x], {x, -2 π, 2 π}]]
```

```
Out[3]= data.png
```

## Chapter 20| Filtering and Manipulation

```
In[4]:= Part[{1, 2, 3, 45, 67, 8}, 4]
```

```
Out[4]= 45
```

```
In[5]:= {1, 3, 56, 78, 90, 88}[[3]]
```

```
Out[5]= 56
```

```
In[6]:= listOfScores = Import["http://www.handsonstart.com/ExampleDataScores.txt", "Data"]
```

```
Out[6]= {{Joe, Smith, 94}, {Jane, Smith, 85},  
{Bob, Example, 82}, {Bill, Student, 83}, {Michelle, Abacus, 98}}
```

```
In[7]:= listOfScores[[1]]
```

```
Out[7]= {Joe, Smith, 94}
```

```
In[8]:= listOfScores[[1, 3]]
```

```
Out[8]= 94
```

```
In[9]:= TableForm[listOfScores]
```

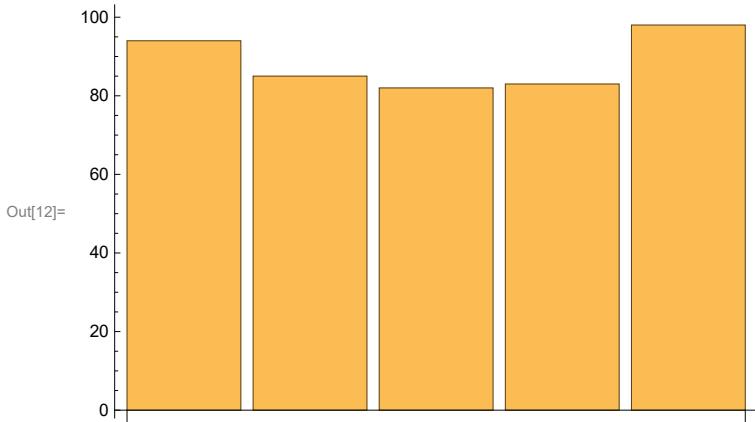
```
Out[9]/TableForm=
Joe      Smith      94
Jane    Smith      85
Bob     Example    82
Bill    Student   83
Michelle Abacus   98
```

```
In[10]:= listOfScores[[3, All]]
```

```
Out[10]= {Bob, Example, 82}
```

```
In[11]:= listOfScores[[All, 3]]
Out[11]= {94, 85, 82, 83, 98}

In[12]:= BarChart[listOfScores[[All, 3]]]
```



```
newScore =
In[13]:= {listOfScores, {"Jana", "Anas", 95}}
Out[13]= {{{"Joe", "Smith", 94}, {"Jane", "Smith", 85}, {"Bob", "Example", 82},
           {"Bill", "Student", 83}, {"Michelle", "Abacus", 98}}, {"Jana", "Anas", 95}}
```

## Chapter 21| Working with Curated Data

```
In[14]:= population of Canada
          +
```

Canada COUNTRY [ population ]

Out[14]= 38 019 178 people

```
In[15]:= CountryData["Canada", "Airports"]
Out[15]= 1467
```

## Chapter 22| Using Wolfram Alpha Data in Mathematica

```
In[16]:= WolframAlpha["Caffiene"]
```

Interpreting "Caffiene" as "caffeine"

Assuming "Caffiene" is a chemical compound | Use as a word or a movie instead

Input interpretation:

caffeine

Chemical names and formulas:

More

formula	C <sub>8</sub> H <sub>10</sub> N <sub>4</sub> O <sub>2</sub>
name	caffeine
IUPAC name	1,3,7-trimethylpurine-2,6-dione

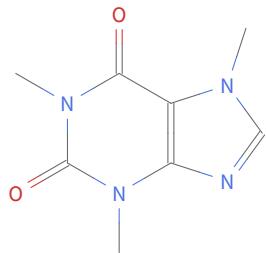
Structure diagram:

Skeletal structure

Show bond information

Show graph properties

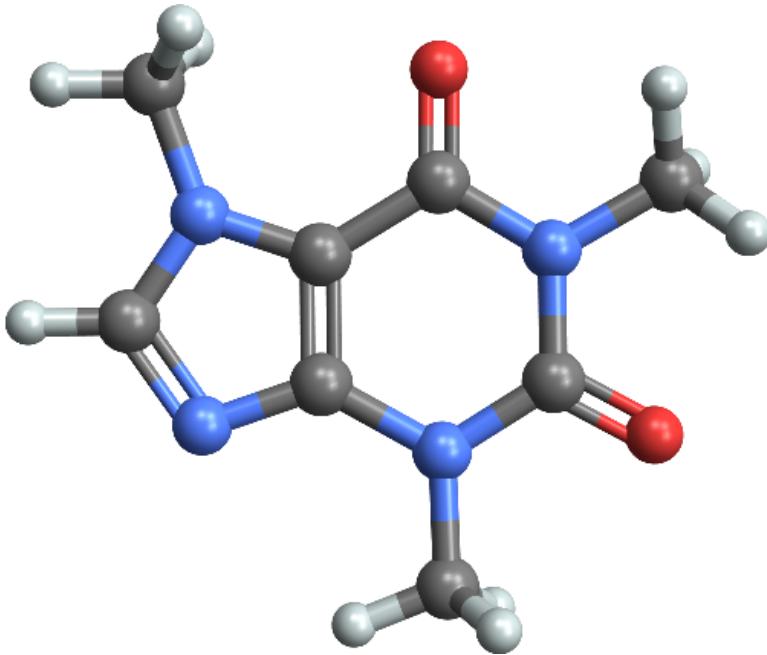
Step-by-step



3D structure:

Show bonds only

Show space filling model



Basic properties:

Step-by-step

molar mass	194.19 g/mol
phase	solid (at STP)
melting point	235.3 °C
mass density	1.23 g/cm <sup>3</sup>

+ Units

Out[16]=

Hydrophobicity and permeability properties:

experimental LogP hydrophobicity	-0.5
predicted LogP hydrophobicity	-0.23
experimental LogS	-0.97
predicted LogS	-1.25
experimental Caco-2 permeability	-4.41

+

Basic drug properties:

More

approval status	approved   small molecule
drug categories	anorexigenic agent   central nervous system stimulant   phosphodiesterase inhibitor
dosage forms	oral: capsule   oral: elixir   oral: liquid   oral: pill   oral: solution   oral: solution / drops   rectal: suppository   oral: suspension   oral: syrup   oral: tablet   oral: tablet, extended release

+

Solid properties (at STP):

+

mass density	1.23 g/cm <sup>3</sup>
vapor pressure	150 mmHg (at 80 °C)
refractive index	1.494

Thermodynamic properties:

More

+

specific heat of fusion	0.11 kJ/g
-------------------------	-----------

(at STP)

+ Units

Chemical identifiers:

More

+

CAS registry number	58-08-2
---------------------	---------

Beilstein number	17705
PubChem compound ID	2519
PubChem substance ID	148854
SMILES identifier	<chem>CN1C=NC2=C1C(=O)N(C(=O)N2C)C</chem>

NFPA label: Table +



Safety properties: More +

autoignition point	600 °C
--------------------	--------

Toxicity properties: More +

lethal dosage	192 mg/kg (oral dose for rats)
---------------	--------------------------------

+ Units

WolframAlpha +

## Chapter 23| Statistical Functionality for Data Analysis

## Chapter 24| Creating Programs

```
In[17]:= Do[Print[x], {x, 1, 5}]
```

```
1  
2  
3  
4  
5
```

```
In[18]:= For [i = 1, i ≤ 5, i++, Print[i]]
```

```
1  
2  
3  
4  
5
```

```
In[19]:= If[\[Pi] > 3, "My test succeeded", " My test failed!"]
```

```
Out[19]= My test succeeded
```

```
In[20]:= Which[\[Pi] > 5, "Greater than 5", \[Pi] > 3, " Greater than 3", \[Pi] > 1, " Greater than 1"]
```

```
Out[20]= Greater than 3
```

## Chapter 25| Creating Parallel and GPU Programs