

4) LeetCode 53. Maximum Subarray

~~Kadane~~

$$76 \rightarrow [-2, 1, -3, 4, -1, 2, 1, -5, 4]$$

$$[-2, 1, \cancel{-3}, 4, -1]$$

$s=0$

either a part of subarray
new subarray from this pt.

```

 $\{ s += arr[i] \quad ans = max(ans, sum); \}$ 
    if ( $s < 0$ ) {
         $s = 0;$ 
    }
}

```

1) Case 1: all -ve

$\{ \cancel{-2}, -5, -3 \} \rightarrow ans = \max\{-2, -5, -3\}$ (max begin(), max end())

2) Case 2: all +ve

$\{ 2, 5, 3 \}$

3) Case 3:

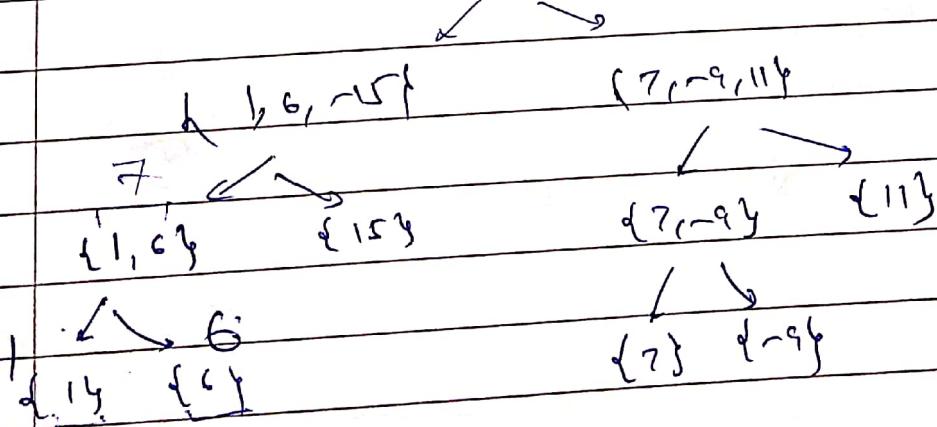
$\{ 2, 5, -1 \}$

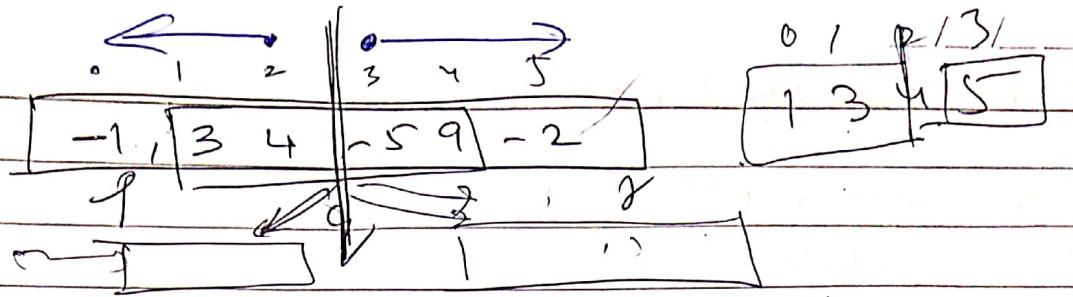
$\rightarrow 53(\text{Index})$

$\rightarrow 53(\text{Sum})$

~~Divide & Conquer~~

$\{ 1, 6, -15, 7, -9, -11 \}$





- ~ any subarray will lie
 - 1) either completely to the left
 - 2) either completely to the right
 - 3) cross the border

↓
so we know 2 indices already.
go left ← and go right →
keeping track of max sum.

DLC

DEC DEC

int MaxSubArray (A, P, R) { T(n) }

if (n == 1) return A[0];

$$q = (P+R)/2;$$

(= MaxSubArray (A, P, q); T(n/2))

X = MaxSubArray (A, q+1, R); T(n/2)

C = MaxCrossing (A, P, q, R); O(n)

return max (L, R, C);

$$T(n) = 2T(n/2) + \Theta(n)$$

same as merge sort $\rightarrow \underline{\mathcal{O}(n \log n)}$

Q8. Length of last word in code

Python3

```
arr = s.split()
```

$\text{if } (\ker(\text{ans})) = \{0\}$

rehs O

else:

return len(arr) - 1

~~C++~~ Note (WA) → the string also contains empty space characters.

"Hello world" //

- ① Since we want the len (last word), overlook the spaces & then start counting.

② In C++, strip ~~the~~ elements are 'char' not "strip"

If $s[j] = ' ' \rightarrow \text{skip}$

- ③ for (j=0; j<n, j++) {

$\text{fr}(\mathbf{j}; \mathbf{s}; \mathbf{t})$

$$G_j = \{x_i\}$$

$j \rightarrow n$

breath

67. Plus One

(2)

if p: [1, 2, 3]

Python approach easiest

num = "123"

o/p: [1, 2, 4]

just collapse the array into a int → int + 1 from the array ↪

for Leetcode vector inputs,

(3)

have a condition where you check for empty vector.

(4)

This is done so as [1, 2, 3, 10]

to handle overflow

case of BigInts, [1, 2, 4, 0]

$$\begin{array}{r}
 \rightarrow q[2, 1, 3, 0] \\
 \rightarrow q[0, 2, 1] \\
 = \frac{q[2, 1, 5, 1]}{q[1, 1, 1, 1, 1]} \\
 \text{mooj} \quad \text{2} \quad \text{1} \quad \text{0} \quad \text{2} \quad \text{1} \quad \text{2} \quad \text{3} \quad \text{0} \\
 \boxed{1} \boxed{0} \boxed{5} \boxed{2} \boxed{1} \boxed{5} \\
 \underline{+} \quad \underline{5} \quad \underline{0} \\
 \underline{1} \quad \underline{0} \\
 \end{array}$$

$$\begin{array}{r}
 2130 \\
 21 \\
 \hline
 2151
 \end{array}$$

$$\begin{array}{r}
 \boxed{1} \boxed{0} \boxed{5} \boxed{2} \boxed{1} \boxed{5} \\
 \underline{+} \quad \underline{5} \quad \underline{0} \\
 \underline{1} \quad \underline{0} \\
 \end{array}$$

25

$$\begin{array}{r}
 50 \\
 2 \\
 \hline
 100 \\
 \boxed{1} \boxed{0} \\
 \underline{+} \quad \underline{1} \quad \underline{0} \\
 \underline{1} \quad \underline{0} \\
 \end{array}$$

$$\begin{array}{r}
 50 \\
 2 \\
 \hline
 520
 \end{array}$$

$$\begin{array}{r}
 1 \quad 1 \\
 2 \quad 1 \quad 5 \quad 1 \quad 0 \\
 \hline
 9 \quad 1 \quad 1 \quad 5 \quad 1 \quad 3
 \end{array}$$

$$\begin{array}{r}
 500 \\
 20 \\
 5 \\
 \hline
 550
 \end{array}$$

$$\begin{array}{r}
 500 \\
 20 \\
 5 \\
 \hline
 520
 \end{array}$$

$$\begin{array}{r}
 1 \quad 1 \\
 2 \quad 1 \quad 5 \quad 1 \quad 0 \\
 \hline
 9 \quad 1 \quad 1 \quad 5 \quad 1 \quad 3
 \end{array}$$

$$\begin{array}{r}
 500 \\
 20 \\
 5 \\
 \hline
 550
 \end{array}$$

$$\begin{array}{r}
 500 \\
 20 \\
 5 \\
 \hline
 550
 \end{array}$$

62. Cpp Binary Sum

String a = "10101"

String b = "11"

Same logic as prev.

Just modify the sum

$$\frac{0/1}{\uparrow} \quad \frac{0/1}{\uparrow} \quad \frac{0/1}{\uparrow} \quad \text{max} \rightarrow 1+1+1 \rightarrow 3$$

int sum = v1[i] + v2[j] + carry;

sum = add(sum) → int add(int a)

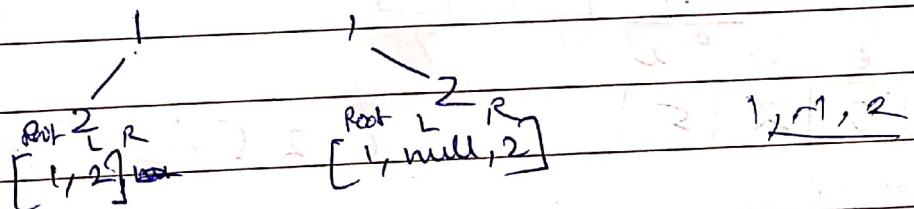
int cur[7] = {0, 1, 10, 11};

return cur[a];

100. Same Tree

→ to check if 2 Binary Trees are equal

→



↳ 2 - 1

If tree is given in pre-order style,

you also store the 2 pre-orders in 2 vectors.

for → void preOrder (node* root, vector<int>& v) {

if (root == NULL) {

v.pb(-1); // → replacement for null

return;

Note ↴

Inorder + Pre-Order
gives

v.pb (root → val);

preOrder (root → left, v);

preOrder (root → right, v);

(InOrder + Post-Order) gives
an unique soln.

100. SameTree (Expert Notes)

int check (node^{*} p1, node^{*} p2) {

 if (p1 == NULL || p2 == NULL)
 return 1;

 if (p1 != NULL and p2 != NULL) {

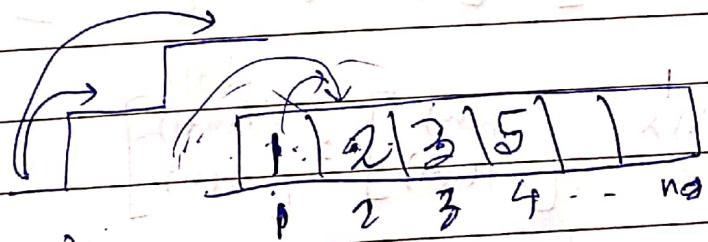
 if (p1->data == p2->data and check(p1->left, p2->left) and
 check(p1->right, p2->right))
 return 1;

}

 return 0;

}

20. Climbing Stairs



$dp[1]$;

Don't say $dp[1]=1$; \times Input might be $n=1$ and it will give an error.

$dp[2]=2$; \times

for (int i = 2; i <= n; i++) {
 if (i == 1) $dp[1]=1$; if $i==2$, $dp[2]=2$;
 $dp[i] = dp[i-1] + dp[i-2]$;

}

Matrix Exponentiation

$$\rightarrow \boxed{f(n) = f(n-1) + f(n-2)}$$

$f(0), f(1) \rightarrow$ known

$$M \times \begin{bmatrix} f(n) \\ f(n-1) \end{bmatrix} = \begin{bmatrix} f(n+1) \\ f(n) \end{bmatrix}$$

$\underbrace{\hspace{1cm}}_{k\text{th}}$ $\underbrace{\hspace{1cm}}_{(k+1)\text{th}}$ $\therefore (2 \times 2)$

$$\begin{bmatrix} a & b \\ c & d \end{bmatrix} \times \begin{bmatrix} f(n) \\ f(n-1) \end{bmatrix} = \begin{bmatrix} f(n+1) \\ f(n) \end{bmatrix}$$

$$\Rightarrow a \cdot f(n) + b \cdot f(n-1) = f(n+1) \rightarrow a=1, b=1$$

$$c \cdot f(n) + d \cdot f(n-1) = f(n) \rightarrow c=1, d=0$$

$$\rightarrow \begin{bmatrix} 1 & 1 \\ 1 & 0 \end{bmatrix} \times \begin{bmatrix} f(n) \\ f(n-1) \end{bmatrix} = \begin{bmatrix} f(n+1) \\ f(n) \end{bmatrix}$$

$$\rightarrow M \times \begin{bmatrix} f(n) \\ f(n-1) \end{bmatrix} = \begin{bmatrix} f(n+1) \\ f(n) \end{bmatrix}$$

\uparrow \uparrow

Now,

$$M \times \begin{bmatrix} f(n) \\ f(n-1) \end{bmatrix} = \begin{bmatrix} f(n+1) \\ f(n) \end{bmatrix}$$

$\uparrow \text{eq 2) on}$

$$M^k \times \begin{bmatrix} f(n) \\ f(n-1) \end{bmatrix} = \begin{bmatrix} f(n+k) \\ f(n+k-1) \end{bmatrix}$$

$$\times \begin{pmatrix} f(0) \\ f(1) \end{pmatrix} = P$$

0	1	1	2	3	5	8	13	21
0	1	2	3	4	5	6	7	<u>n=0</u>

(8)

— / —

$n=1$

$$M^k \times \begin{bmatrix} f(1) \\ f(0) \end{bmatrix} = \begin{bmatrix} f(k+1) \\ f(k) \end{bmatrix}$$

$$\cancel{\boxed{M^{k-1}}} \times \begin{bmatrix} f(1) \\ f(0) \end{bmatrix} = \begin{bmatrix} f(k) \\ f(k-1) \end{bmatrix} \rightarrow \text{nth fibonacci No}$$

$a^b \rightarrow \log(b)$ time

$$\begin{bmatrix} 0 & 1 \\ 1 & 1 \end{bmatrix} \begin{bmatrix} a & b \\ c & d \end{bmatrix} \begin{bmatrix} e & f \\ g & h \end{bmatrix} = \boxed{A \quad B}$$

~~i.~~ \rightarrow n th fibonacci $\rightarrow \mathcal{O}(\log n)$

$$\begin{bmatrix} a & b \\ c & d \end{bmatrix} \begin{bmatrix} f(1) \\ f(0) \end{bmatrix} = \begin{bmatrix} f(n) \\ f(n-1) \end{bmatrix}$$

$$\cancel{\frac{a \cdot f(0) + b}{a \cdot f(1) + b \cdot f(0)}} = f(n)$$

$$\boxed{a = f(n)}.$$

$$\begin{cases} f(0)=0 \\ f(1)=1 \end{cases}$$

$$\begin{aligned} A^n &\rightarrow A^{n/2} \times A^{n/2} \text{ (even)} \\ &\rightarrow (A^{n/2} \times A^{n/2} \times A) \text{ node} \end{aligned}$$

~~Optimized Power Function~~

$$\text{pow}(x, n) \rightarrow \cancel{x \times \text{pow}(x, n-1)}$$

int pow (int x, int n) {

if (n == 0) return 1;

if (n == 1) return x;

int val = pow (n, n/2);

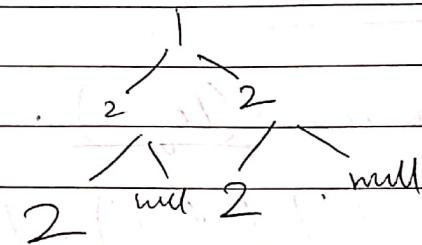
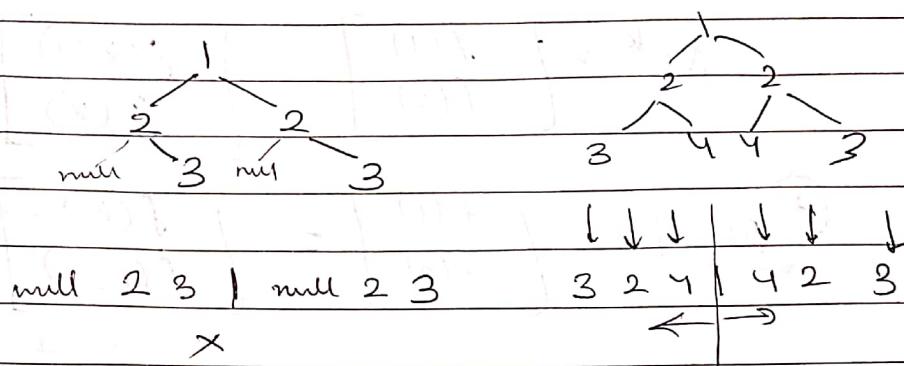
val = val * val;

if (n & 1) val = x * val;

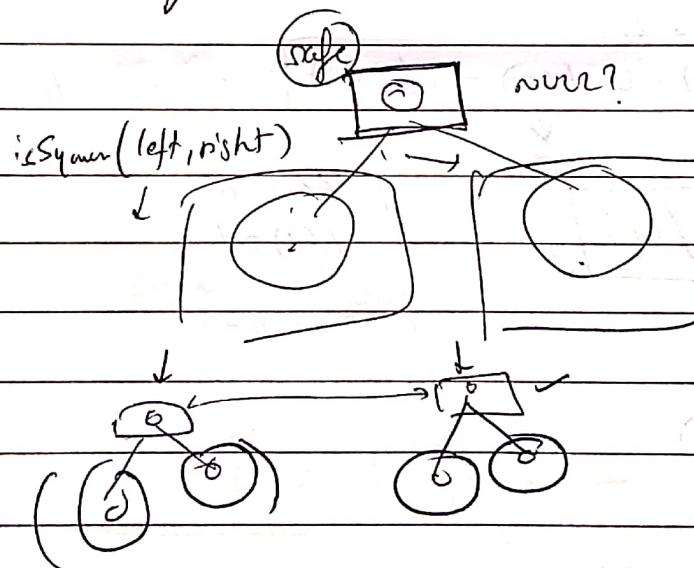
return val;

}

i01. Symmetric Tree



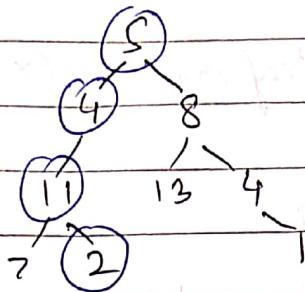
- company palindromically the in-order traversal O(N) seen to mode.



10.2. Path Sum

257. Binary Tree Paths

Root-to-leaf path



sum = 22

len=1, 2, 3

10-8-3

10-8-5

10-2-2

10, 8, 3

10, 8, 3

preOrder 10-8-3

10-4-5-4-4

10-2-2

so overwriting on the vector happens.

*. the preOrder method has a T.C of $O(n^2)$

→ strip tmp = " "

char x = 2 + '0' ;

tmp = tmp + (x) + " " ✓

→ Run vectors around comes
TLE.

→ Never forget to add <end> after every test case.

"10 → 8 → 3" + 10 → 8



10 → 8 →

str(x) || py

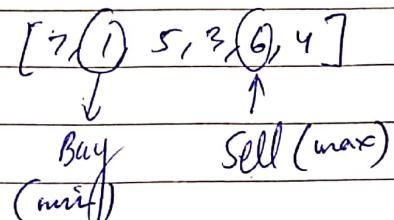
to_string(root->val);

*

1 / 1

Q1.

Best Time to Buy & Sell Stock



— Maintain a dp array maxR that saves max till now from right

7, 1, 5, 3, 6, 4

dp[] → 7 6 6 6 6 4 ←

ans() → 0, -1, -5, -3, -6, -4

$$\text{ANS} = \max(0, 5, 1, 3, 0, 0) = \textcircled{5}$$

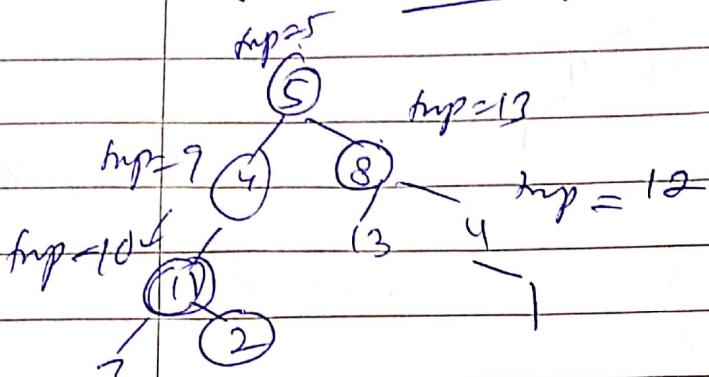
Q2. Best time to buy & Sell Stock II

[7, 1, 5, 3, 6, 4]

Small → big

112. Path Sum

- find if root \rightarrow leaf sum == 22 (X).



- Same DFS traversal and when you reach any leaf node, check if ($\text{tmp} + \text{root} \rightarrow \text{val} == \text{sum}$), then ps(1) else ps(-1).

- In the end, check for 1's in the vector.

113. Parallel Triangle

n=0 \rightarrow if ($n > 0$) return 2, else return { } ✓ []

n=1 [1]

n=2 [1, 1, 1]

114. Min Depth of Binary Tree

dfs + check in ~~end~~ end vectors for min depth.