

LeetCode (120. Triangle)

$j=0$

$\begin{bmatrix} [2], \\ [3, 4], \\ [6, 5, 7], \\ [4, 1, 8, 3] \end{bmatrix}$

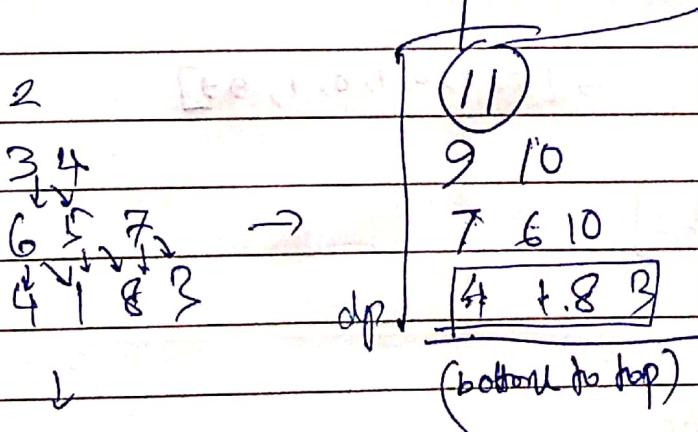
$\begin{array}{cccccc} 1^{\text{st}} & 0 & 0 & 0 & 0 & 0 \\ (1-1, 2-1, 3) & \cancel{2} & \cancel{3} & \cancel{4} & \cancel{5} & \cancel{6} \\ i & 6 & 12 & 4 & - & 0 \\ 0 & 6 & 5 & 2 & 0 & 0 \\ 0 & 4 & 1 & 8 & 3 & 0 \end{array}$

]

$\begin{bmatrix} 4 | 1 | 8 | 3 \\ 9 | 10 \\ 7 | 6 | 10 \\ 4 | 1 | 8 | 3 \end{bmatrix}$

↑ check for both bottom-up +

top-down approach



(bottom to top)

$\begin{bmatrix} 5 | 4 \\ 10 | 8 | 11 \\ 19 | 11 | 18 | 14 \end{bmatrix}$

dp

Go from the bottom to the top

```
int n = triangle.size();
int dp[n]; // 1D dp array
for(int j=0; j<n; j++)
    dp[j] = triangle[n-1][j];
for(int i=n-2; i>=0; i--) {
    for(int j=0; j<=i; j++) {
        dp[i][j] = min(dp[i+1][j], dp[i+1][j+1]) + triangle[i][j];
    }
}
return dp[0];
```

137. Single Number II (every element appears twice instead of once)

→ [2, 2, 3, 2] → [0, 1, 0, 1, 0, 1, 99]

[x, x, 2, 3, x, 7, 1]
(2^3^1)

① Naive Soln → Use a Hash Map

②

$$\begin{matrix} 5, 5, 5, 8 \\ \begin{pmatrix} 1 & 0 & 1 \\ 0 & 1 \\ 0 & 1 \end{pmatrix} \\ 1 & 0 & 0 & 0 \end{matrix}$$

$$\begin{array}{r} 10 \\ 100 \\ \hline 1000 \\ 10+100 \\ \hline 10+100 \end{array}$$

0 0 0

10
11

$$1 \quad 0 \quad 0 \quad 0 \quad 0 \quad 0 \quad 1 \quad \underline{11}$$

0 0 0, 0 0 0

→ Just go on checking adding the bits) of every number in the array.

If ($\text{sum} \% 3 = 0$) \Rightarrow they all occur thrice or '0' is ~~not~~ the bit of the single element

else

~~set~~ in result = 0, set the ith bit.

result $\leftarrow x;$

→ sizeof operator \rightarrow gives o/p in bytes

sizeof(int) $\rightarrow 4$ (bytes)

→ 32 bits

$\boxed{1} 0 0 \quad 0 1 0 1$

129. Sum Root-to-leaf Numbers

\rightarrow String ans = ""
 vector<string> req;
 djs(root, ans, req);

for (auto x : req)
 sum += stoi(x);

}

String to int \rightarrow stoi()

int to string \rightarrow to_string()

451. Sort Characters by Frequency

> for (auto x : mp)
 au.push(x, first, x.second);
 $\begin{cases} e & 4 \leftarrow compact \\ t & 2 \end{cases}$

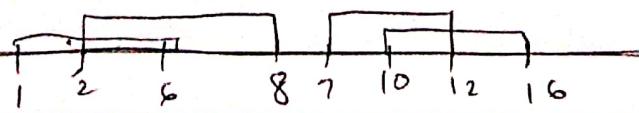
vs for (auto x : s)
 smp({temp(x), x});
 $\begin{cases} e & 2 \leftarrow letter by letter \\ e & 2 \\ t & 2 \end{cases}$

> reverse sort

sort(vec.begin(), vec.end());
 reverse(vec.begin(), vec.end());

452. Min No of Arrows to Burst Balloons

[10,16] [2,8] [1,6] [7,12]



453. Min Moves to Equal Array Elements

$\begin{bmatrix} 1, 2, 3 \end{bmatrix} \xrightarrow{\text{③}} \begin{bmatrix} 1, 2, 3 \\ -1, -1, -1 \end{bmatrix}$
 increase rest by 1
 " "
 decrease current by 1

$\begin{bmatrix} 1, 2, 3, 4, 5 \end{bmatrix} \xrightarrow{\text{①} + \text{②} + \text{③} + \text{④} \rightarrow \text{⑤}}$

✘ Incrementing remn. elements by +1 =
 Decrementing current element by -1.

So if we do (-1) on all elements to equalize array, so we will reach min.

ans += abs(currSum - minAns);

$$\begin{bmatrix} 1, 2, 3, 4 \end{bmatrix} \xrightarrow{0 + (-1)(3) + (-1)} \begin{bmatrix} 1, 2, 3 = 6 \end{bmatrix}$$

✳.

454 - Four Sum II

\rightarrow map vs unordered-map

↓

search

$O(n^2)$

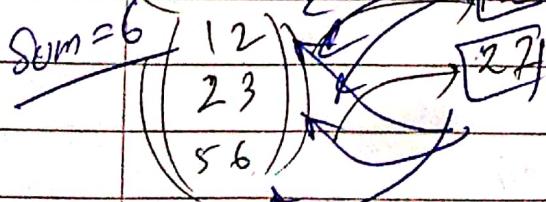
$O(1)$ or $O(n)$

mp[A(i) + B(j)]

(i, j) $\xrightarrow{sum = 6}$

$cnt += mp[-(C(i) + D(j))]$ → if exists

for each (k, l) , all $\text{equalSum}(i, j)$ go.



USC. Assign Cookies

$$[\underline{0}, \underline{1}, \underline{2}, \underline{3}] \rightarrow [1, 1]$$

→ Lower bound → 1st element \geq

upper bound → 1st element strictly greater

→ what if lower bound is not in the array?

vect \rightarrow {1, 2, 3, 4, 5, 6} $\underline{\text{sum} = 6}$

auto it = lower_bound(v.begin(), v.end(), 15);

cont cc $\boxed{it - v.begin()}$ < end;

// (6) \in if absent, returns
size of the vector

1 \rightarrow ③

$\boxed{3 \rightarrow 1}$

g_j $\quad s_j \geq g_i$

2 pointer
approach

$\boxed{1} \quad \boxed{2}, \boxed{3}$

$\boxed{1}$ $\quad \boxed{2} \leq g_i$

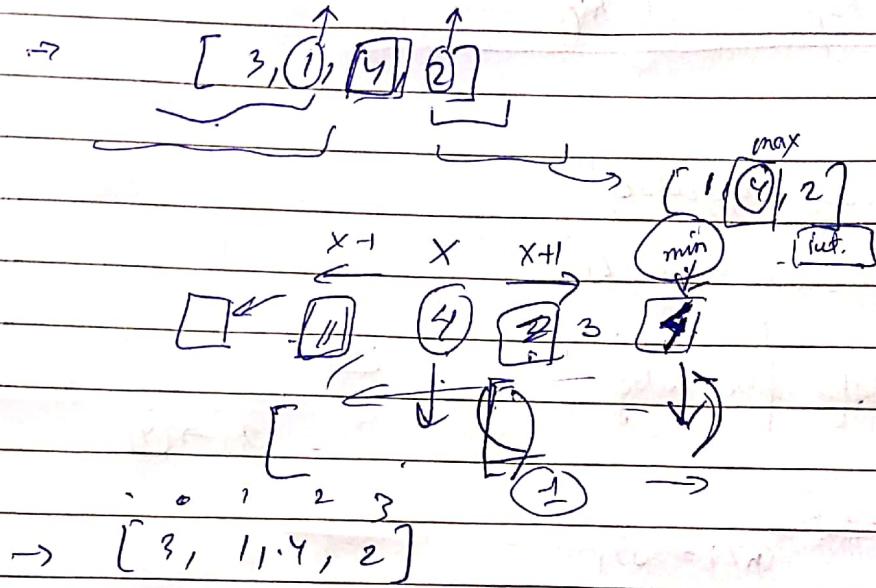
if $arr[i] \leq arr[j]$ {

$i++$, jee ;

} else {

jee ;

456. 132 Pattern



$(3, 0) (1, 1) (4, 2) (2, 3)$

$(1, 0) (2, 3) (3, 0) (4, 2)$

$(1, 1) (3, 0) (2, 3)$

3

$[-1, 3, \boxed{2}, 0]$
small big
 $(-1, 3)$

$\boxed{1} \nearrow \boxed{2}$

759. Repeated Substring Pattern

→ "abc abc abcd abcd"
→ "abcaab abcaab"
"abc abc abcd" $\boxed{9}$
 $\text{sign} \Rightarrow [1] \leftrightarrow n_2$ $n_2 \rightarrow \boxed{Y}$
 abc $(n_1, i = 0) \swarrow$
④ . i length substring present.

3 $n_3 \rightarrow \boxed{2}$

- iterate through all possible lengths of the substring. ($1 - n_1$)
- For each length, construct the to-be string by repeatedly appending the substr.
- If to-be-string == original str,
True.

→ False.

→ Can be solved with KMP Substring search.

1228. Missing Number in AP

→ Sum of A.P = $\frac{n}{2} [a_1 + a_{last}]$

$\downarrow \quad \downarrow$
first term last term

$$a_n = a_1 + (n-1)d$$

→ missing no = (total sum of AP - sum of arr).

1229. Meeting Scheduler

→ $A \rightarrow [[1, 3], [7, 9], [12, 18]]$ (n)

$B \rightarrow [[2, 5], [4, 5], [6, 8], [13, 14]]$ (m)

while ($i < n$ and $j < m$) {

$$x \rightarrow A[i]; \quad // [1, 3]$$

$$y \rightarrow B[j]; \quad // [2, 5]$$

if ($y[0] < x[0]$) {
 $j++$; continue;

else if ($x[0] < y[0]$) {

$i++$; continue;

} else {

$$\text{int } a = \max(x[0], y[0]);$$

$$\text{int } b = \min(x[1], y[1]);$$

// [a, b]

if ($b - a > \text{demodgap}$)

$$\text{rec_pb}(a, a + \text{demodgap});$$

if ($x[1] < y[1]$) $i++$ // (imp).

} else $j++$

Getting k heads out of N biased coins

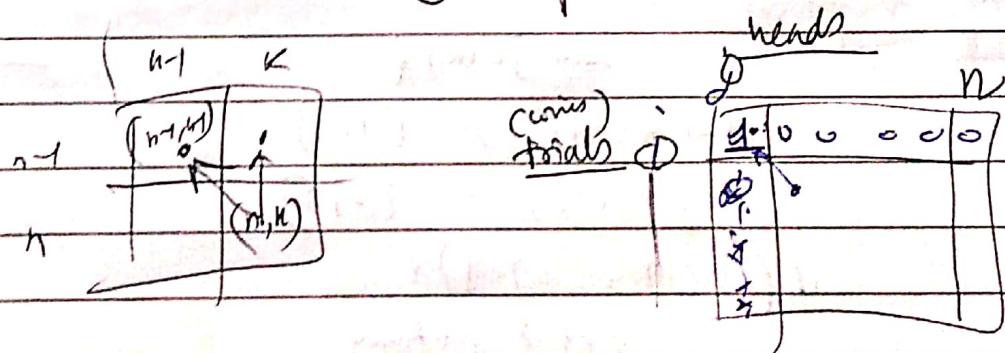
Prob of head $\rightarrow [P_1, P_2, P_3, \dots, P_i, \dots, P_N]$

$dp[i][j] \rightarrow$ prob of getting j heads in i trials

$$dp[n][k] = (dp[n-1][k] * (1 - p[n])) + (dp[n-1][k-1] * p[n])$$

trials heads k heads 1 tail
 ↑ ↑ ↑
 n-1 n n
 k-1 heads 1 head

N th outcome is mutually independent to $(N-1)$ th outcome.



* $dp[3][1] \rightarrow$ get 1 head out of 3 coins
 ↳ coins heads

$dp[i][1] \rightarrow$ get 1 head out of i coins
 $dp[i-1][0] * (1 - prob[i][1])$

		0	1	head
		0	1	0
1	(0, 1)	1	0	0
		0	1	0
$dp[1][1]$		0	1	0

123. Divide Chocolate

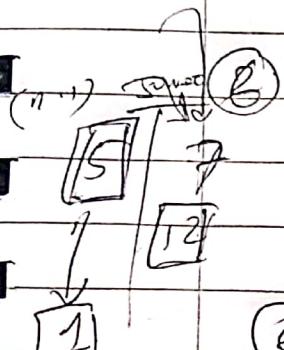
→ Sweetness = [1, 2, 3, 4, 5, 6, 7, 8, 9]
 $K=5$

→ Cut into 5 chunks.

[1, 2, 3], [4, 5], [6], [7], [8, 9]

You'll eat the min sum.

find the max sum you can eat.



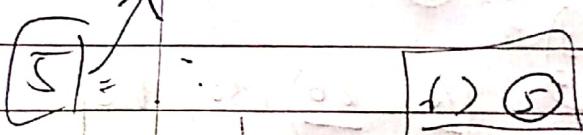
int low = 1, high = MAX;

while ($l < h$)

mid = $(l + h) / 2$; // optimal min sum

slice = 0;

- {1, 2, 3} [4, 5] 10 - - .



K=6

(1, 2, 3, 4)

Slice < K

12

low = 1, high = 15

8

(1, 2, 3, 4)

high = mid - 1;

8

8, 8, 8, 1

10

Sum = 8

slice > K

slice ✓

(1, 2, 3)

8

sum
low = max

slice = K

slice < K

sum ↗

int s20, e = n; if you have $left = mid$,
ax ($left + right + 1$);

while ($s <= e$) {

int mid = $(s + e) / 2$; mid = ②

if (isValidConfig (body, n, mid))
finalAns = mid;

else $e = mid - 1$;

else

$s = mid + 1$;

}

int std = 1;

int curr = 0;

for (i20; i < n; i++) {

if ($curr + body[i] > mid$) {

curr = body[i];

curr++;

else

curr = floors(i);

if ($curr > k$) false

else true;

①

④

①
②

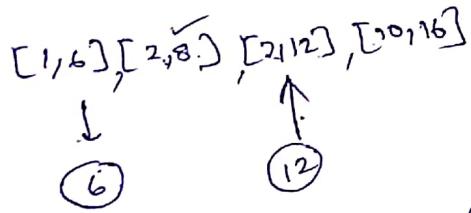
③

(10, 20), 30, 10

②

$[10, \infty)$ T^2

$[10, 16], [2, 8], [4, 1], [7, 12]$



Left code

```

for (int t = 1; t < seg.size(); t++) {
    if (point < seg[i].start || point > seg[i].end) {
        point = seg[i].end;
        ans.pb(point);
    }
}

```

① Sort by end pt
② Proceed with end-pt comparison

4

)

- Also known as min no of points required to cover all segments.

- Note comparator function must be static.

sort (vec.begin(), vec.end(), compare);

bool static compare (const vector<int> &a, const vector<int> &b) {

return a[1] < b[1];

}