Idea: choose  $\alpha_t$  to minimize a bound on training error!  $\frac{1}{m}\sum_{i=1}^m \delta(H(x^i) \neq y^i) \leq \frac{1}{m}\sum_{i=1}^m D_t(i)\exp(-y^if(x^i)) = \prod_{k \neq t} Z_t$ 

Where 
$$f(x) = \sum_{t} \alpha_t h_t(x); H(x) = sign(f(x))$$
 This equality isn't

 $Z_t = \sum_{i=1}^{n} D_t(i) \exp(-\alpha_t y^i h_t(x^i)) \qquad \text{shown with algebra}$   $\qquad \qquad \text{(telescoping sums)!}$ 

obvious! Can be

## If we minimize $\prod_t Z_t$ , we minimize our training error!!!

And

- We can tighten this bound greedily, by choosing  $\alpha_t$  and  $h_t$
- on each iteration to minimize  $Z_t$ .

   $h_t$  is estimated as a black box, but can we solve for  $\alpha_t$ ?