

## Lecture 6

# Network Layer – Routing Protocols

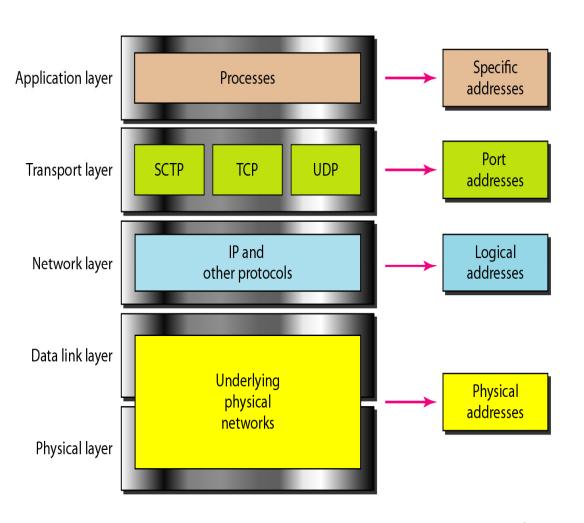
ELEC 3506 9506 Communication Networks

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# Topics for the Day

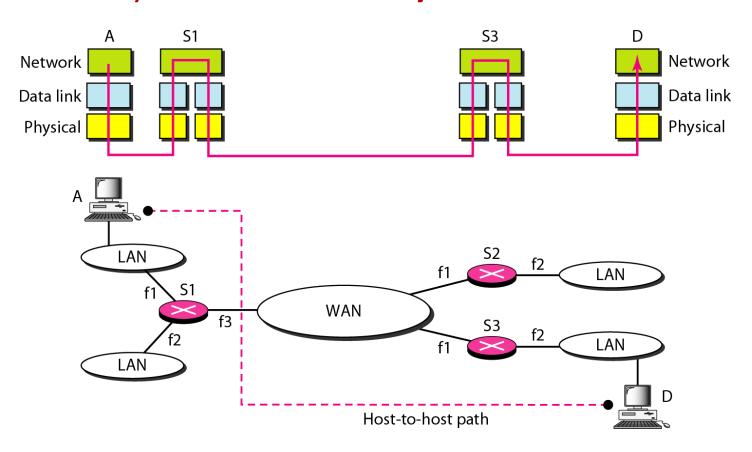
- Datagram Networks
- Introduction to Routing
- Routing Protocols
- Control Protocols
- IPv6





## Link Layer vs. Network Layer Delivery

End-to-End delivery at the Network Layer



Hop-to-Hop delivery at the Data Link Layer

A Source-to-destination delivery (End-to-End delivery or Host-to-Host delivery) may contain multiple hops (Recall the need of Network Layer Address)



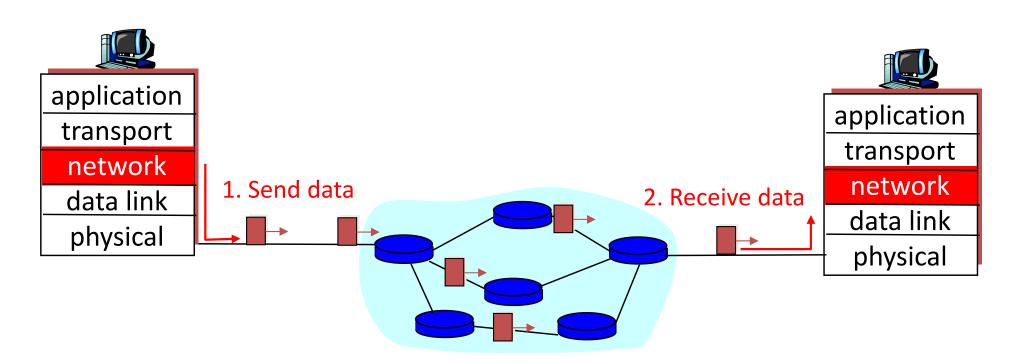
## Datagram Networks

- Network Layer is designed to solve the problem of
  - host-to-host delivery
  - Routing packets over multiple networks
- A unique addressing scheme:
  - Each device has its own physical address (MAC address)
  - Logical IP address must be unique to identify different hosts in internetwork
- The service is provided by the datagram networks are:
  - Connectionless (no setup and teardown phases)
  - Best effort delivery no service guarantee
    - No Flow Control
    - No Error Control
  - Unreliable
  - It does not make any attempt to recover from the failure
  - BUT fast



## Datagram Networks – Internet Model

- No call setup at network layer
- Packets are typically routed using the destination host ID
  - Packets between same source-destination pair may take different paths





# Introduction to Routing

- Routing is the act of moving information across an internetwork from a source to a destination.
- Routing occurs at Layer 3 (the network layer).
- Routing involves two basic activities:
  - Determining optimal routing paths (Complex)
  - Transporting packets through an internetwork (Packet switching – very straightforward)
- Routing is often contrasted with bridging
  - Bridging occurs at Layer 2 (the link layer) of the OSI reference model, whereas routing occurs at Layer 3 (the network layer)



## Routing Path Determination

- Routing protocols use various mechanisms to evaluate what path will be the best for a packet to travel.
- To aid the process of path determination, routing algorithms initialize and maintain routing tables, which contain route information.
- Routers communicate with one another and maintain their routing tables.
- The routing update message is one such message that generally consists of all or a portion of a routing table.
- By analysing routing updates from all other routers, a router can build a detailed picture of network topology.



# Autonomous System (AS)

- Routers belonging to one organization is said belong to one Autonomous System.
- Routers within the same AS run the same routing algorithm
- Routing algorithm running within an autonomous system is called an intra autonomous system routing protocol.
- Routers connecting different AS are called as gateway routers.
- Routing algorithm used by gateway routers are called as interautonomous system routing protocol.



## Routed and Routing Protocols

- Routed protocols are protocols that are routed over an internetwork.
  - Internet Protocol (IP), AppleTalk, Novell NetWare
- Routing protocols, on the other hand, are protocols that implement routing algorithms.
  - Intra-Autonomous System Routing Protocols (interior gateway protocol (IGP)):
    - Routing Information Protocol (RIP)
    - Open Shortest Path First (OSPF)
  - Inter-Autonomous System Routing Protocols (exterior gateway protocol (EGP)):
    - Border Gateway Protocol (BGP)



## Interior Gateway or Intra-AS Protocols

- There are three types of interior gateway protocols
  - Distance vector based protocol
    - Use number of hops to decide routing path, distance vector algorithm
    - Example: RIP
  - Link state based protocol
    - Recreate the exact topology of the entire network, e.g. each router in the network, its neighbors, its attached links, etc, Djikstra algorithm
    - Example: OSPF
  - Balanced hybrid protocol
    - Exchange more information than distance vector protocol
    - Does not require full topology and not so computationally intensive
    - Example: Enhanced Interior Gateway Routing Protocol (EIGRP)

We will cover RIP and OSPF in this course which is the basic of these protocols

## Distance vector algorithm

Based on Bellman-Ford (BF) equation (dynamic programming):

Bellman-Ford equation

Let  $D_x(y)$ : cost of least-cost path from x to y.

Then:

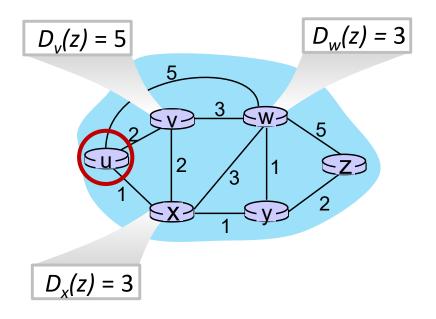
$$D_{x}(y) = \min_{v} \{ c_{x,v} + D_{v}(y) \}$$

v's estimated least-cost-path cost to y

min taken over all neighbors v of  $x^{-1}$  direct cost of link from x to v

## Bellman-Ford Example

Suppose that u's neighboring nodes, x,v,w, know that for destination z:



Bellman-Ford equation says:

$$D_{u}(z) = \min \left\{ \begin{array}{l} c_{u,v} + D_{v}(z), \\ c_{u,x} + D_{x}(z) \\ c_{u,w} + D_{w}(z) \end{array} \right\}$$

$$= \min \left\{ 2 + 5, \\ 1 + 3, \\ 5 + 3 \right\} = 4$$

node achieving minimum cost if (x) is next hop on estimated least-cost path to destination (z)

## Distance vector (DV) algorithm

## key idea:

- from time-to-time, each node v sends its own distance vector estimate to neighbors,  $D_v(z)$  where v and z are the source and destination
- when x receives new DV estimate from any neighbor, it updates its own DV using B-F equation:

$$D_x(y) \leftarrow \min_{v} \{c_{x,v} + D_v(y)\}\$$
 for each node  $y \in N$ 

under minor, natural conditions, the estimate D<sub>x</sub>(y) converge to the actual least cost d<sub>x</sub>(y)



## Distance vector algorithm

## each node:

wait for (change in local link cost or msg from neighbor)

recompute DV estimates using DV received from neighbor

if DV to any destination has changed, *notify* neighbors

iterative, asynchronous: each local iteration caused by:

- local link cost change
- DV update message from neighbor
- DV Table contains cost from other nodes

distributed, self-stopping: each node notifies neighbors *only* when its DV changes

- neighbors then notify their neighbors – only if necessary
- no notification received, no actions taken!



## Distance vector: example

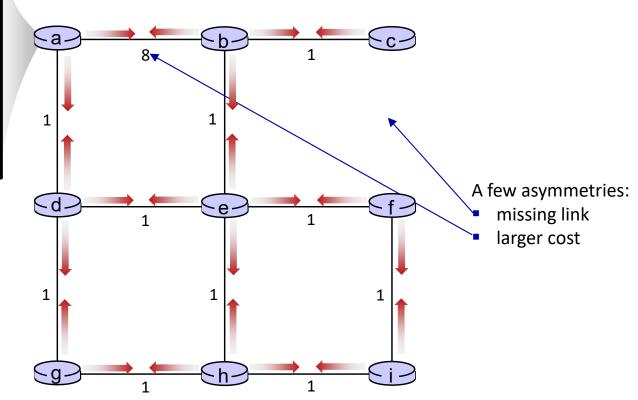
#### **DV Table at a**



- All nodes have distance estimates to nearest neighbors (only)
- All nodes send their local distance vector to their neighbors

#### DV in a:

 $D_{a}(a)=0$   $D_{a}(b) = 8$   $D_{a}(c) = \infty$   $D_{a}(d) = 1$   $D_{a}(e) = \infty$   $D_{a}(f) = \infty$   $D_{a}(g) = \infty$   $D_{a}(h) = \infty$   $D_{a}(i) = \infty$ 

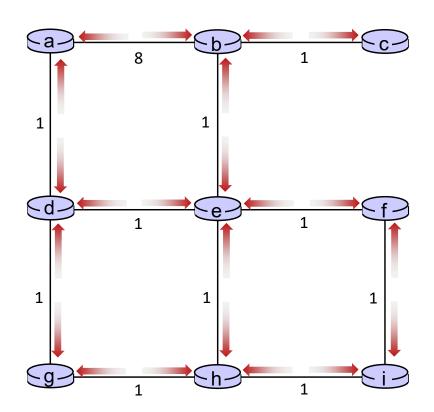






### t=1

- receive distance vectors from neighbors
- compute their new local distance vector
- send their new local distance vector to neighbors

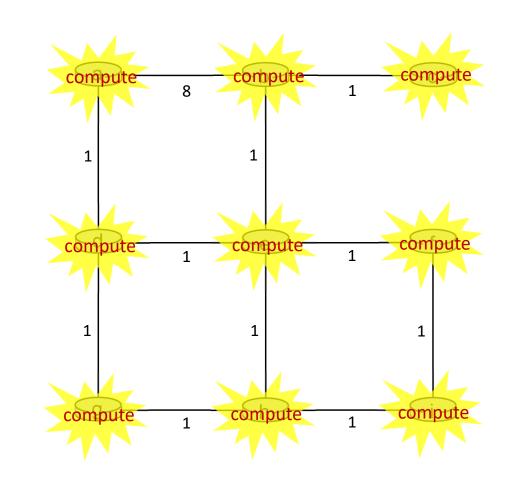






## t=1

- receive distance vectors from neighbors
- compute their new local distance vector
- send their new local distance vector to neighbors

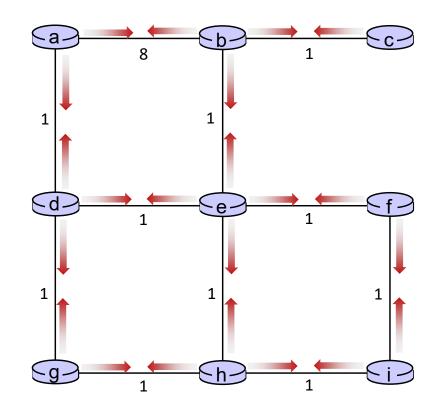






### t=1

- receive distance vectors from neighbors
- compute their new local distance vector
- send their new local distance vector to neighbors

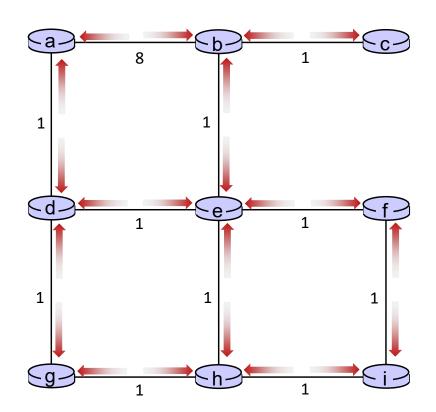






## t=2

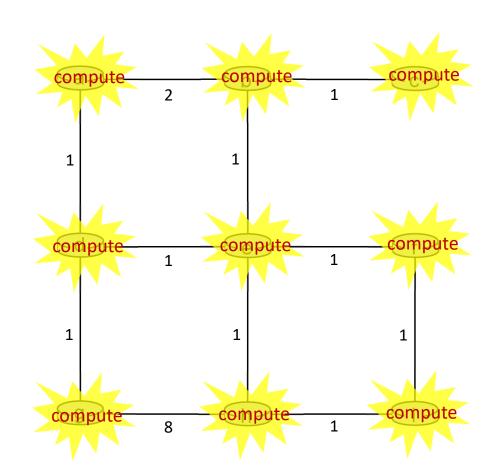
- receive distance vectors from neighbors
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- receive distance vectors from neighbors
- compute their new local distance vector
- send their new local distance vector to neighbors

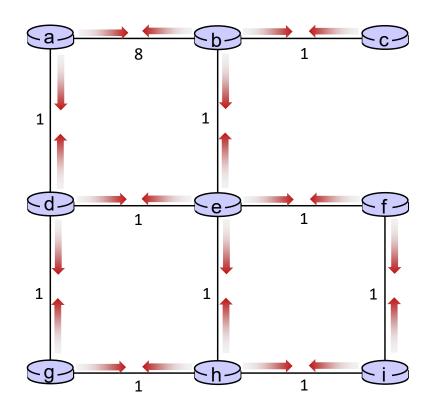






t=2

- receive distance vectors from neighbors
- compute their new local distance vector
- send their new local distance vector to neighbors





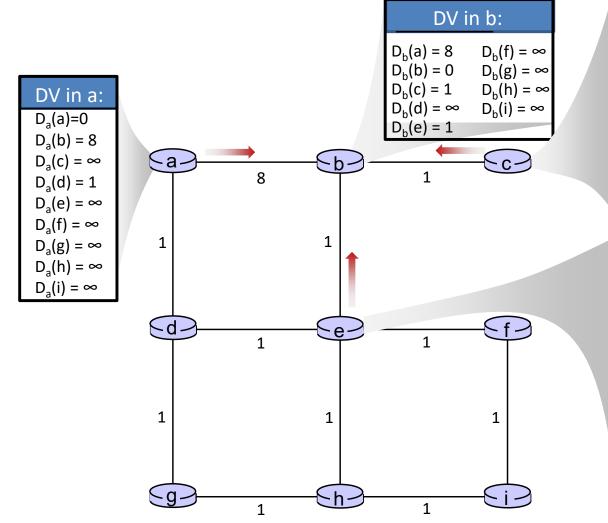
.... and so on

Let's next take a look at the iterative computations at nodes





b receives DVs from a, c, e



#### DV in c:

$$D_{c}(a) = \infty$$

$$D_{c}(b) = 1$$

$$D_{c}(c) = 0$$

$$D_{c}(d) = \infty$$

$$D_{c}(e) = \infty$$

$$D_{c}(f) = \infty$$

$$D_c(g) = \infty$$

$$D_c(h) = \infty$$
  
 $D_c(i) = \infty$ 

#### DV in e:

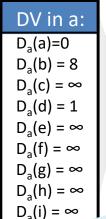
$$\begin{aligned} & D_{e}(a) = \infty \\ & D_{e}(b) = 1 \\ & D_{e}(c) = \infty \\ & D_{e}(d) = 1 \\ & D_{e}(e) = 0 \\ & D_{e}(f) = 1 \\ & D_{e}(g) = \infty \\ & D_{e}(h) = 1 \\ & D_{e}(i) = \infty \end{aligned}$$

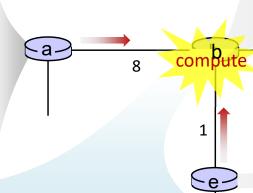




#### t=1

b receives DVs from a, c, e, computes:





#### DV in b:

$$\begin{array}{ll} D_b(a) = 8 & D_b(f) = \infty \\ D_b(b) = 0 & D_b(g) = \infty \\ D_b(c) = 1 & D_b(h) = \infty \\ D_b(d) = \infty & D_b(i) = \infty \\ D_b(e) = 1 & \end{array}$$

DV in b:

 $D_{b}(f) = 2$ 

 $D_h(g) = \infty$ 

 $D_{h}(h) = 2$ 

 $D_h(i) = \infty$ 

 $D_{h}(a) = 8$ 

 $D_{b}(b) = 0$ 

 $D_{b}(c) = 1$ 

 $D_{h}(d) = 2$ 

 $D_{h}(e) = 1$ 

#### DV in e:

DV in c:

 $D_c(a) = \infty$ 

 $D_{c}(b) = 1$ 

 $D_c(c) = 0$ 

 $D_c(d) = \infty$ 

 $D_c(e) = \infty$ 

 $D_c(f) = \infty$ 

 $D_c(g) = \infty$ 

 $D_c(h) = \infty$ 

 $D_c(i) = \infty$ 

 $D_{e}(a) = \infty$   $D_{e}(b) = 1$   $D_{e}(c) = \infty$   $D_{e}(d) = 1$   $D_{e}(e) = 0$   $D_{e}(f) = 1$   $D_{e}(g) = \infty$   $D_{e}(h) = 1$   $D_{e}(i) = \infty$ 

#### $D_b(a) = \min\{c_{b,a} + D_a(a), c_{b,c} + D_c(a), c_{b,e} + D_e(a)\} = \min\{8, \infty, \infty\} = 8$

$$D_b(c) = \min\{c_{b,a} + D_a(c), c_{b,c} + D_c(c), c_{b,e} + D_e(c)\} = \min\{\infty, 1, \infty\} = 1$$

$$D_h(d) = \min\{c_{h,a} + D_a(d), c_{h,c} + D_c(d), c_{h,e} + D_e(d)\} = \min\{9,2,\infty\} = 2$$

$$D_{b}(e) = \min\{c_{b,a} + D_{a}(e), c_{b,c} + D_{c}(e), c_{b,e} + D_{e}(e)\} = \min\{\infty, \infty, 1\} = 1$$

$$D_b(f) = \min\{c_{b,a} + D_a(f), c_{b,c} + D_c(f), c_{b,e} + D_e(f)\} = \min\{\infty, \infty, 2\} = 2$$

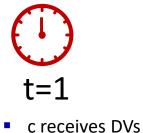
$$D_b(g) = \min\{c_{b,a} + D_a(g), c_{b,c} + D_c(g), c_{b,e} + D_e(g)\} = \min\{\infty, \infty, \infty\} = \infty$$

$$D_b(h) = \min\{c_{b,a} + D_a(h), c_{b,c} + D_c(h), c_{b,e} + D_e(h)\} = \min\{\infty, \infty, 2\} = 2$$

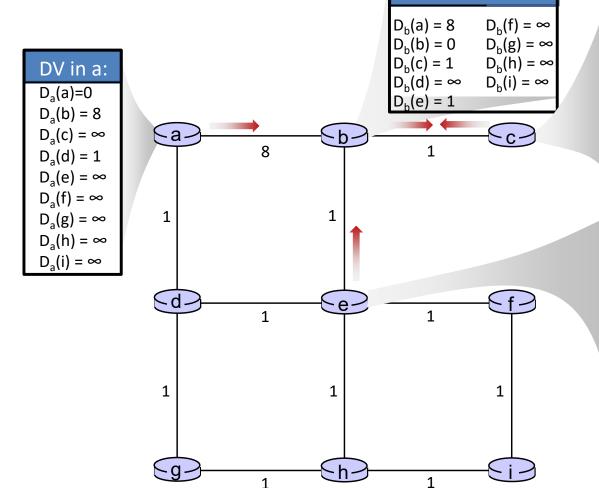
$$D_b(i) = \min\{c_{b,a} + D_a(i), c_{b,c} + D_c(i), c_{b,e} + D_e(i)\} = \min\{\infty, \infty, \infty\} = \infty$$



DV in b:



from b



#### DV in c:

 $D_c(a) = \infty$ 

 $D_{c}(b) = 1$ 

 $D_c(c) = 0$ 

 $D_c(d) = \infty$ 

 $D_c(e) = \infty$ 

 $D_c(f) = \infty$ 

 $D_c(g) = \infty$ 

 $D_c(h) = \infty$ 

 $D_c(i) = \infty$ 

#### DV in e:

 $D_{o}(a) = \infty$ 

 $D_{a}(b) = 1$ 

 $D_{e}(c) = \infty$ 

 $D_{e}(d) = 1$ 

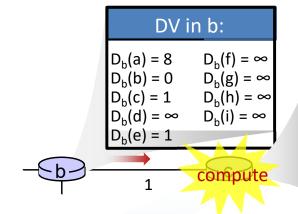
 $D_{e}(e) = 0$ 

 $D_{e}(f) = 1$ 

 $D_e(g) = \infty$  $D_{e}(h) = 1$ 

 $D_{o}(i) = \infty$ 





#### DV in c: $D_c(a) = \infty$ $D_c(b) = 1$ $D_c(c) = 0$ $D_c(d) = \infty$

 $D_{c}(b) = 1$   $D_{c}(c) = 0$   $D_{c}(d) = \infty$   $D_{c}(e) = \infty$   $D_{c}(f) = \infty$   $D_{c}(g) = \infty$   $D_{c}(h) = \infty$   $D_{c}(i) = \infty$ 

## (1) t=1

c receives DVs from b computes:

$$\begin{split} &D_c(a) = min\{c_{c,b} + D_b(a)\} = 1 + 8 = 9 \\ &D_c(b) = min\{c_{c,b} + D_b(b)\} = 1 + 0 = 1 \\ &D_c(d) = min\{c_{c,b} + D_b(d)\} = 1 + \infty = \infty \\ &D_c(e) = min\{c_{c,b} + D_b(e)\} = 1 + 1 = 2 \\ &D_c(f) = min\{c_{c,b} + D_b(f)\} = 1 + \infty = \infty \\ &D_c(g) = min\{c_{c,b} + D_b(g)\} = 1 + \infty = \infty \\ &D_c(h) = min\{c_{bc,b} + D_b(h)\} = 1 + \infty = \infty \\ &D_c(i) = min\{c_{c,b} + D_b(i)\} = 1 + \infty = \infty \end{split}$$

#### DV in c:

$$D_{c}(a) = 9$$

$$D_{c}(b) = 1$$

$$D_{c}(c) = 0$$

$$D_{c}(d) = 2$$

$$D_{c}(e) = \infty$$

$$D_{c}(f) = \infty$$

$$D_{c}(g) = \infty$$

$$D_{c}(h) = \infty$$

$$D_{c}(i) = \infty$$



DV in b:

 $D_{b}(a) = 8$  $D_h(b) = 0$ 

 $D_{h}(c) = 1$ 

 $D_h(d) = \infty$ 

 $D_{h}(e) = 1$ 

 $D_h(f) = \infty$ 

 $D_h(g) = \infty$ 

 $D_h(h) = \infty$ 

 $D_h(i) = \infty$ 

- C -



#### t=1

e receives DVs from b, d, f, h

 $D_d(b) = \infty$ 

 $D_{d}(e) = 1$ 

 $D_d(h) = \infty$ 

 $D_d(i) = \infty$ 

 $D_{d}(a) = 1$ 

 $D^{q}(c) = \infty$ 

 $D_d(f) = \infty$ 

#### DV in d:

 $D_d(d) = 0$ 

 $D_d(g) = 1$ 

### DV in h:

 $D_h(a) = \infty$ 

 $D_b(b) = \infty$ 

 $D_h(c) = \infty$ 

 $D_h(d) = \infty$ 

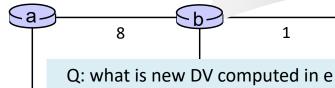
 $D_{b}(e) = 1$ 

 $D_h(f) = \infty$ 

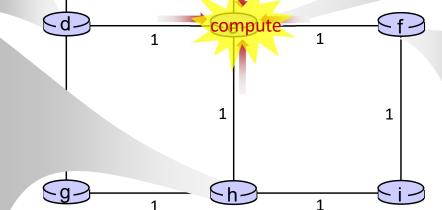
 $D_h(g) = 1$ 

 $D_h(h) = 0$ 

 $D_{h}(i) = 1$ 



## at *t=1*?



#### DV in e:

 $D_e(a) = \infty$  $D_{e}(b) = 1$ 

 $D_{o}(c) = \infty$ 

 $D_{e}(d) = 1$ 

 $D_{e}(e) = 0$ 

 $D_{e}(f) = 1$  $D_e(g) = \infty$ 

 $D_{e}(h) = 1$ 

 $D_{o}(i) = \infty$ 

#### DV in f:

 $D_f(a) = \infty$  $D_{\rm f}(p) = \infty$ 

 $D^{t}(c) = \infty$ 

 $D_f(d) = \infty$ 

 $D_{\rm f}(e) = 1$  $D_f(f) = 0$ 

 $D_f(g) = \infty$ 

 $D_f(h) = \infty$ 

 $D_f(i) = 1$ 

 $D_{x}(y) \leftarrow \min_{y} \{c_{x,y} + D_{y}(y)\}$ 

for each node  $y \in N$ , at node x, achieved via neighboring nodes v



DV in b:

 $D_{b}(a) = 8$  $D_h(b) = 0$ 

 $D_{h}(c) = 1$ 

 $D_h(d) = \infty$ 

 $D_{h}(e) = 1$ 

 $D_h(f) = \infty$ 

 $D_h(g) = \infty$ 

 $D_h(h) = \infty$ 

 $D_h(i) = \infty$ 

- C -



#### t=1

e receives DVs from b, d, f, h

 $D_d(b) = \infty$ 

 $D_{d}(e) = 1$ 

 $D_d(h) = \infty$ 

 $D_d(i) = \infty$ 

 $D_{d}(a) = 1$ 

 $D^{q}(c) = \infty$ 

 $D_d(f) = \infty$ 

#### DV in d:

 $D_d(d) = 0$ 

 $D_d(g) = 1$ 

### DV in h:

 $D_h(a) = \infty$ 

 $D_b(b) = \infty$ 

 $D_h(c) = \infty$ 

 $D_h(d) = \infty$ 

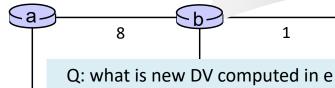
 $D_{b}(e) = 1$ 

 $D_h(f) = \infty$ 

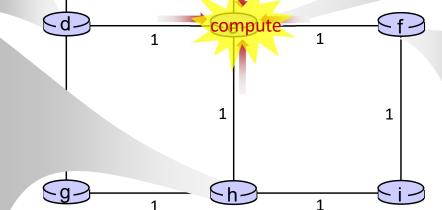
 $D_h(g) = 1$ 

 $D_h(h) = 0$ 

 $D_{h}(i) = 1$ 



## at *t=1*?



#### DV in e:

 $D_e(a) = \infty$  $D_{e}(b) = 1$ 

 $D_{o}(c) = \infty$ 

 $D_{e}(d) = 1$ 

 $D_{e}(e) = 0$ 

 $D_{e}(f) = 1$  $D_e(g) = \infty$ 

 $D_{e}(h) = 1$ 

 $D_{o}(i) = \infty$ 

#### DV in f:

 $D_f(a) = \infty$  $D_{\rm f}(p) = \infty$ 

 $D^{t}(c) = \infty$ 

 $D_f(d) = \infty$ 

 $D_{\rm f}(e) = 1$  $D_f(f) = 0$ 

 $D_f(g) = \infty$ 

 $D_f(h) = \infty$ 

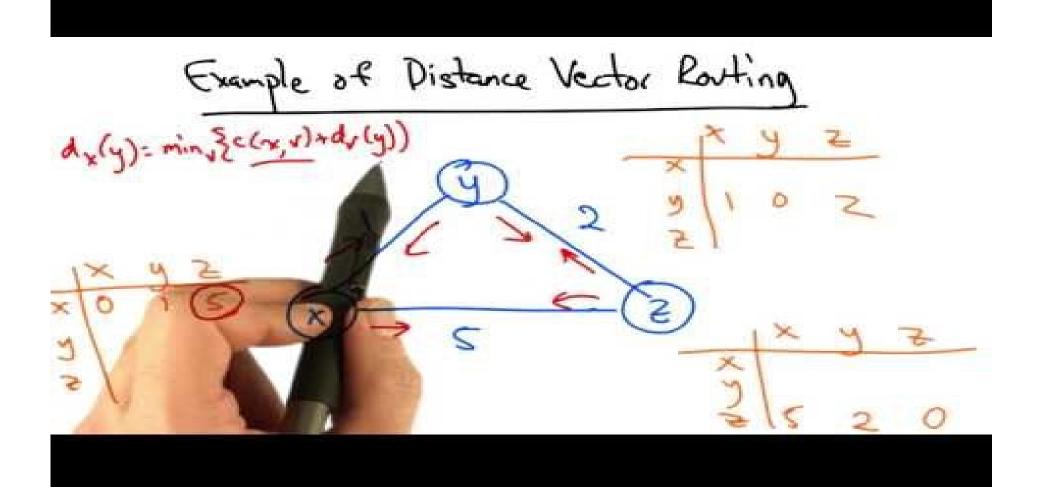
 $D_f(i) = 1$ 

 $D_{x}(y) \leftarrow \min_{y} \{c_{x,y} + D_{y}(y)\}$ 

for each node  $y \in N$ , at node x, achieved via neighboring nodes v



# Distance Vector Routing





## Distance Vector Routing

- Goals of a distance vector protocol and measures to achieve the goals
  - Learning routing information
    - Directly connected subnets are already known by the router; those routes are advertised to neighboring routers
    - Routing updates are broadcasted to all neighboring routers
    - Routing updates from neighboring routers are listened so that new routes can be learned
    - A route learned from a neighboring router is assumed to be through that particular router
    - A metric describing each route is in the update. The metric describes the quality of the route
    - Routing update includes at a minimum, subnet and metric information
    - Only info from immediate neighbor routing tables is used for route updating

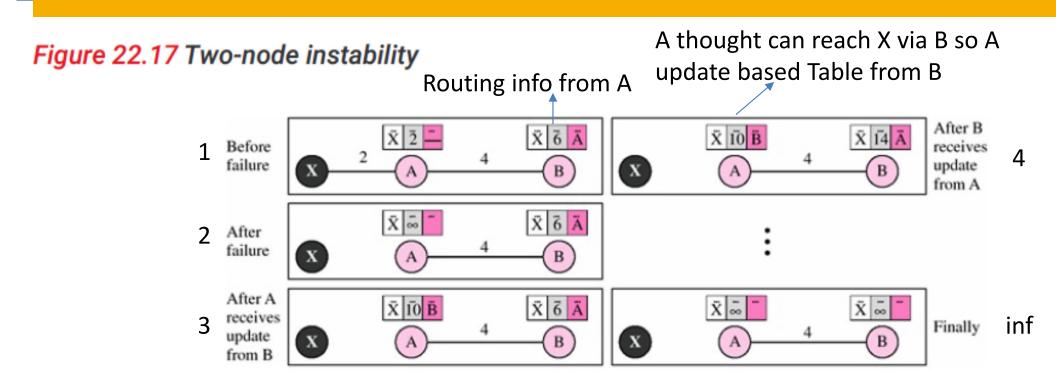


## Distance Vector Routing

- Noticing failed routes
  - Periodic updates are expected to be received from neighboring routers at specific intervals
  - Triggered updates are sent any time there is a change in a nodes routing table
- Adding the current best route after one has failed
  - A failed route is advertised for a time, with a metric that implies that the network is "infinite" distance
- Low overhead and computational complexity as each router does not need to know the whole network information
- Preventing routing loops
  - Split horizon strategy



## Routing Loop Example



#### Bad news travels slow

**Split Horizon**: instead of flooding the table to all nodes, a node send only table content that did not come from that node.

Here in Step 2, Node B did not send that routing portion of the table to A

A then informs B that X is not reachable from A in Step 3



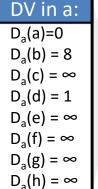
## Back to Previous Example: Split-Horizon

The optimum route in yellow is NOT sent to e by b as optimum route via e else send to e

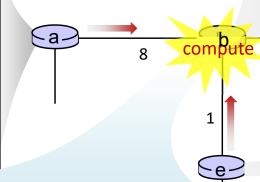


t=1

b receives DVs from a, c, e, computes:



 $D_a(i) = \infty$ 



#### DV in b:

$$\begin{array}{ll} D_{b}(a) = 8 & D_{b}(f) = \infty \\ D_{b}(b) = 0 & D_{b}(g) = \infty \\ D_{b}(c) = 1 & D_{b}(h) = \infty \\ D_{b}(d) = \infty & D_{b}(i) = \infty \\ D_{b}(e) = 1 & \end{array}$$

C-

#### $D_c(g) = \infty$

DV in c:

 $D_c(a) = \infty$ 

 $D_{c}(b) = 1$ 

 $D_{c}(c) = 0$ 

 $D_c(d) = \infty$ 

 $D_c(e) = \infty$ 

 $D_c(f) = \infty$ 

$$D_c(h) = \infty$$

#### $D_c(i) = \infty$

#### DV in e:

$$D_{e}(a) = \infty$$
 $D_{e}(b) = 1$ 
 $D_{e}(c) = \infty$ 
 $D_{e}(d) = 1$ 
 $D_{e}(e) = 0$ 
 $D_{e}(f) = 1$ 
 $D_{e}(g) = \infty$ 
 $D_{e}(h) = 1$ 

 $D_{e}(i) = \infty$ 

$$D_{b}(a) = \min\{c_{b,a} + D_{a}(a), c_{b,c} + D_{c}(a), c_{b,e} + D_{e}(a)\} = \min\{8, \infty, \infty\} = 8$$

$$D_{b}(c) = \min\{c_{b,a} + D_{a}(c), c_{b,c} + D_{c}(c), c_{b,e} + D_{e}(c)\} = \min\{\infty, 1, \infty\} = 1$$

$$D_{b}(d) = \min\{c_{b,a} + D_{a}(d), c_{b,c} + D_{c}(d), c_{b,e} + D_{e}(d)\} = \min\{9, 2, \infty\} = 2$$

$$D_{b}(u) = \min\{C_{b,a} + D_{a}(u), C_{b,c} + D_{c}(u), C_{b,e} + D_{e}(u)\} = \min\{3,2,\infty\} = 2$$

$$D_b(e) = min\{c_{b,a} + D_a(e), c_{b,c} + D_c(e), c_{b,e} + D_e(e)\} = min\{\infty, \infty, 1\} = 1$$

$$D_b(f) = \min\{c_{b,a} + D_a(f), c_{b,c} + D_c(f), c_{b,e} + D_e(f)\} = \min\{\infty, \infty, 2\} = 2$$

$$D_b(g) = \min\{c_{b,a} + D_a(g), c_{b,c} + D_c(g), c_{b,e} + D_e(g)\} = \min\{\infty, \infty, \infty\} = \infty$$

$$D_b(h) = \min\{c_{b,a} + D_a(h), c_{b,c} + D_c(h), c_{b,e} + D_e(h)\} = \min\{\infty, \infty, 2\} = 2$$

$$D_b(i) = \min\{c_{b,a} + D_a(i), c_{b,c} + D_c(i), c_{b,e} + D_e(i)\} = \min\{\infty, \infty, \infty\} = \infty$$

#### DV in b:

$$D_b(a) = 8$$
  $D_b(f) = 2$   
 $D_b(b) = 0$   $D_b(g) = \infty$   
 $D_b(c) = 1$   $D_b(h) = 2$   
 $D_b(d) = 2$   $D_b(i) = \infty$   
 $D_b(e) = 1$ 



# Intra-AS: Routing Information Protocol (RIP)

```
Example: Routing Information Protocol (RIP)

- circa 1982

- edges have unit cost

- edges have unit cost

-> to ell neighbors oxcept

for one that caused update

("split horizon")
```



## Intra-AS: RIP

- RIP sends routing-update messages at regular intervals when the network topology changes.
- Send to all except the one that caused the update (recall Split Horizon)
- When a router receives a routing update that includes changes to an entry, it updates its routing table to reflect the new route, based on the distance vector algorithm
- RIP routers maintain only the best route to a destination.
- After updating its routing table, the router immediately begins transmitting routing updates to inform other network routers of the change.
- These updates are sent independently of RIP routers' regularly scheduled updates.



# Intra-AS: RIP Routing Metric and Stability

- RIP uses a single routing metric (hop count) to measure the distance between the source and a destination network.
- RIP enforces a limit on the number of hops allowed in a path from the source to a destination.
- The maximum number of hops in a path is 15 (infinity defined at 16).
  - If the number of hops becomes 16 after it is increased by 1, the network destination is considered unreachable
- RIP also implements mechanisms to prevent incorrect routing information from being propagated (e.g., defining infinity, split horizon strategy)



### RIP

At the beginning, the routing table in B is empty

Router A sends a message to B and informs B that it can forward packets to subnet 162.11.5.0 and 162.11.9.0 with 1 hop.

Router B updates its own routing table: if the destination is 162.11.5.0 or 162.11.9.0, the next hop should be 162.11.8.1 and the physical interface is SO (since it receive the routing update from SO)

#### Router A Advertising Directly Connected Routes

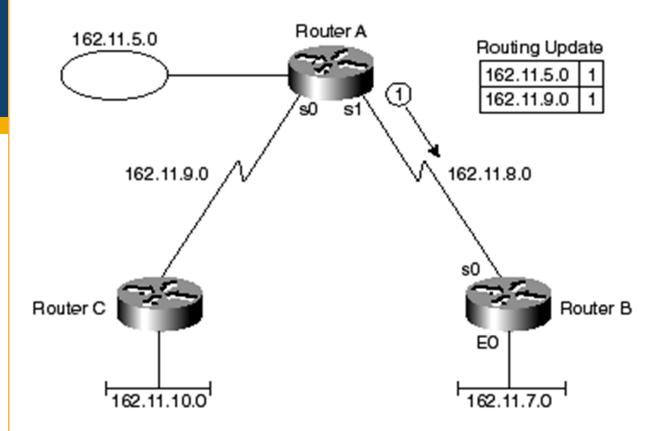


Table 6-3 shows the resulting routing table on Router B.

Router B Routing Table, After Receiving Update in Figure 6-2

Group (Mask Is 255.255.255.0)	Outgoing Interface	Next Router
162.11.5.0	S0	162.11.8.1
162.11.7.0	E0	
162.11.8.0	S0	
162.11.9.0	S0	162.11.8.1

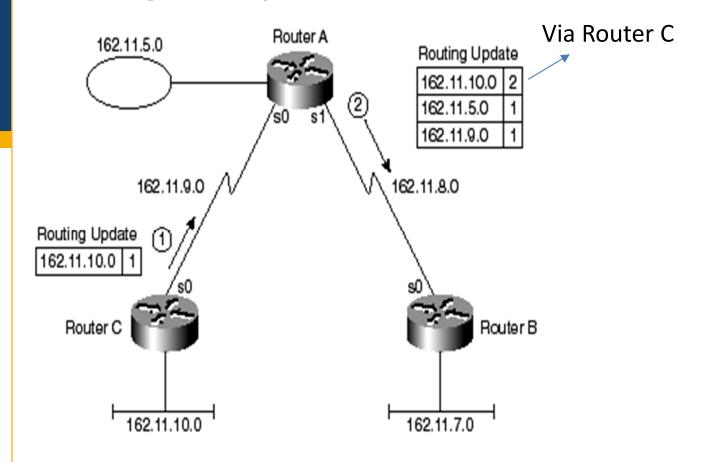


Router C sends a routing update to router A and informs it can forward packet to subnet 162.11.10.0 with one hop

Router A receives this update and combines it with its own routing table.

Router A sends the combined table to B again. Compared to the first update, now there is a new entry (162.11.10.0). Note that before sending the routing table, A need to increase the number of hops for the entry that it receives from other routers by 1 (the number of hops for 162.11.10.0 is increased from 1 to 2).

#### Router A Advertising Routes Learned from Router C



Router B Routing Table, After Receiving Update in Figure 6-3

Group	Outgoing Interface	Next Router	
162.11.5.0	SO	162.11.8.1	
162.11.7.0	E0		
162.11.8.0	SO		
162.11.9.0	SO	162.11.8.1	
162.11.10.0	SO	162.11.8.1	
102.11.10.0	50	102.11.0.1	

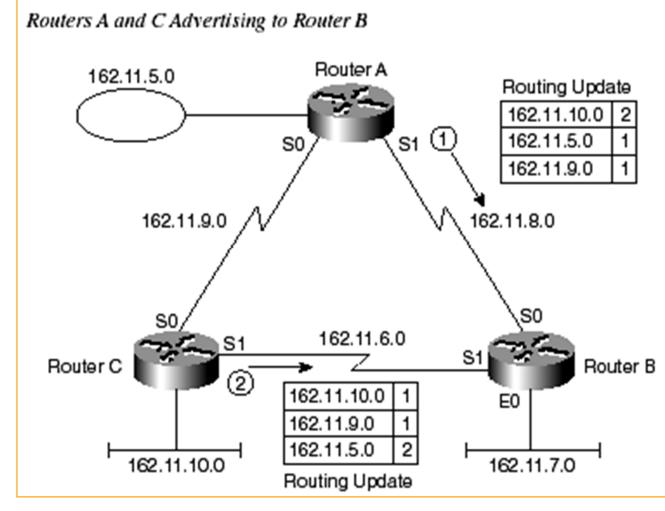


# When multiple routes to the same subnet exist

If a new link Router C(S1)- Router B(S1) is established, there are two paths from Router B to subnet 162.11.10.0

(1)SO->Router A->Router C (2 hops) (2)S1->Router C (1 hops)

According to the update rules of RIP, only the path with the minimum number of hops will be remained. Therefore, the outgoing interface for 162.11.10.0 is changed from S0 to S1





# Routing table comparison when S1 link of router B is down and up

Group	Outgoing Inte	erface Next Router	Metric
162.11.5.0	S0	162.11.8.1	1
162.11.7.0	EO		0
162.11.8.0	S0		0
162.11.9.0	S0	162.11.8.1	1
162.11.10.0	S0	162.11.8.1	via Router A

Router B Routing Table, with Two Routes to Same Subnet After Router B Serial 1 Is Up

Group	Outgoing Interface	Next Router	Metric
162.11.5.0	SO	162.11.8.1	1
162.11.6.0	S1		0
162.11.7.0	E0		0
162.11.8.0	SO		0
162.11.9.0	SO	162.11.8.1	1
162.11.10.0	SI	162.11.6.2	via Router C (Direc
			connection)



# Link State Routing

- Distance Vector Algorithm had two main problems:
  - Metric was just a hop count and line bandwidth was not considered.
  - Exchanging of routing tables was an overhead.
- In Link state algorithm each router must:
  - Discover their neighbors and learn their network addresses
  - Measure the delay or cost to each of the neighbors (Traffic levels, state of the link, etc considered)
  - Construct a packet (Link State Packet LSP) with this new information containing: node id, list of links, sequence no, age
  - Floods this packet to all other routers
  - Formation of the shortest path tree to each router
  - Compute the routing table based on the shortest path tree for each router



# Dijkstra's link-state routing algorithm

- centralized: network topology, direct link costs  $c_{x,y}$  known to all nodes
  - accomplished via "link state broadcast"
  - all nodes have same info
- computes least cost paths from one node ("source") to all other nodes
  - gives *forwarding table* for that node
- iterative: after k iterations, know least cost path to k destinations

#### notation

- $c_{x,y}$ : direct link cost from node x to y; =  $\infty$  if not direct neighbors
- D(v): current estimate of cost of least-cost-path from source to destination v
- p(v): predecessor node along path from source to v
- N': set of nodes whose leastcost-path definitively known

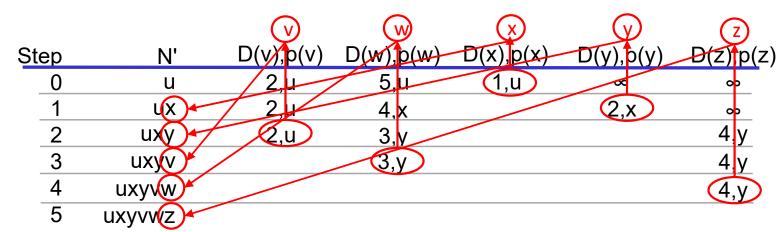


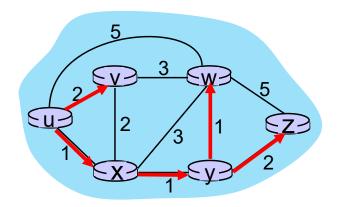
# Dijkstra's link-state routing algorithm

```
1 Initialization:
    N' = \{u\}
                                  /* compute least cost path from u to all other nodes */
   for all nodes v
     if v adjacent to u
                                  /* u initially knows direct-path-cost only to direct neighbors
        then D(v) = c_{u,v}
                                 /* but may not be minimum cost!
     else D(v) = \infty
6
   Loop
     find w not in N' such that D(w) is a minimum
     add w to N'
     update D(v) for all v adjacent to w and not in N':
         D(v) = \min \left( D(v), D(w) + c_{w,v} \right)
     /* new least-path-cost to v is either old least-cost-path to v or known
     least-cost-path to w plus direct-cost from w to v */
15 until all nodes in N'
```



## Dijkstra's algorithm: an example





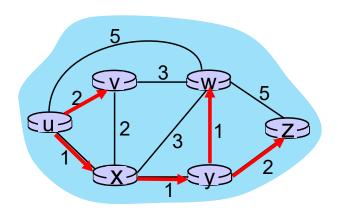
Initialization (step 0): For all a: if a adjacent to then  $D(a) = c_{u,a}$ 

find a not in N' such that D(a) is a minimum add a to N' update D(b) for all b adjacent to a and not in N':  $D(b) = \min (D(b), D(a) + c_{a,b})$ 

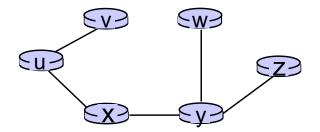
Link costs of all nodes  $c_{a,b}$  is needed at u



# Dijkstra's algorithm: an example



resulting least-cost-path tree from u:



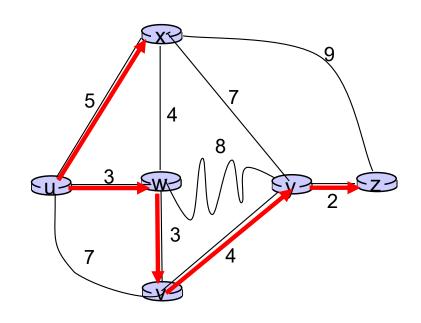
resulting forwarding table in u:

destination	outgoing link	
V	(u,v) —	route from $u$ to $v$ directly
Х	(u,x)	
У	(u,x)	route from u to all
W	(u,x)	other destinations
Z	(u,x)	via <i>x</i>



# Dijkstra's algorithm: another example

Step	N'	D(v), p(v)	D(w), p(w)	D(x), p(x)	D(y), p(y)	D(z), p(z)
0	u	7,u	3,u	5,u	∞	∞
1						
2			う			
3			0			
4						
5						



resulting forwarding table in u?

resulting least-cost-path tree from u?



## Dijkstra's algorithm: discussion

#### algorithm complexity: *n* nodes

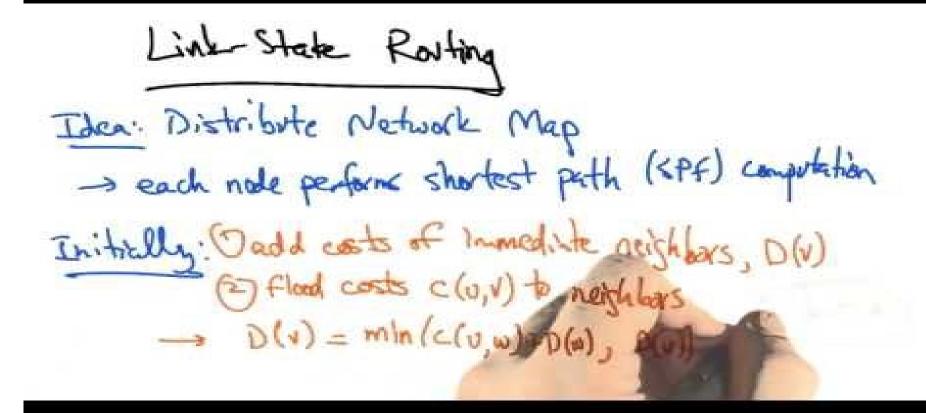
- each of n iteration: need to check all nodes, w, not in N
- n(n+1)/2 comparisons:  $O(n^2)$  complexity
- more efficient implementations possible: O(nlogn)

#### message complexity:

- each router must broadcast its link state information to other n routers
- efficient (and interesting!) broadcast algorithms: O(n) link crossings to disseminate a broadcast message from one source
- each router's message crosses O(n) links: overall message complexity:  $O(n^2)$



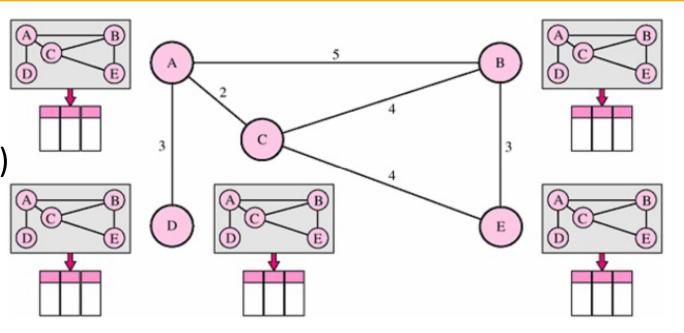
# Link State Routing



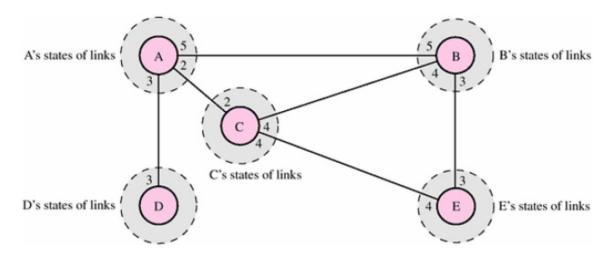


# Link State Routing

 Every node has the complete routing info (computed by using Djikstra's algo)



Flooding local info



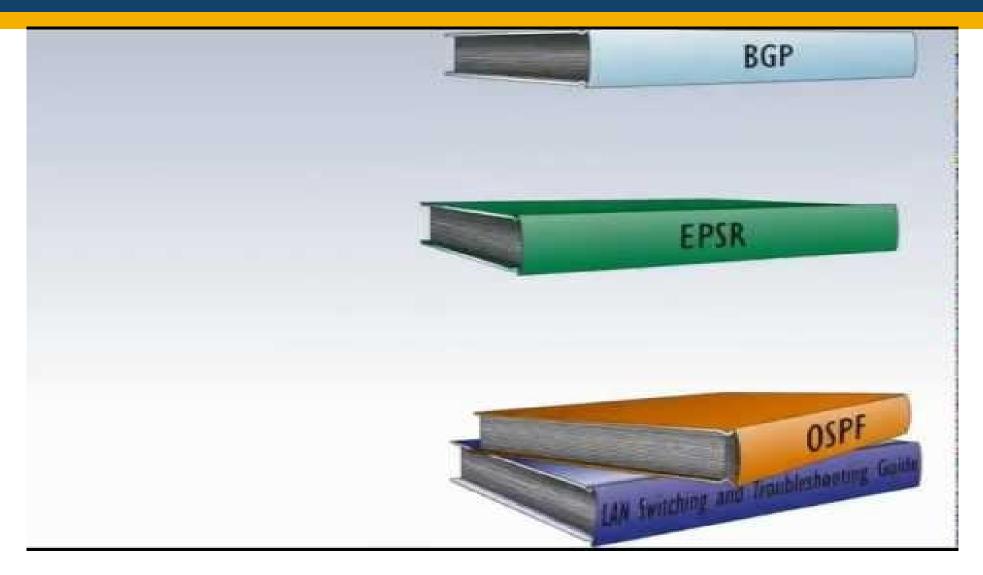


# Intra-AS: Open Shortest Path First (OSPF)

- Each router sends only the portion of the routing table that describes the following state of its own links to the internetwork.
  - Information on attached interfaces
  - metrics used (min delay, max throughput, etc.)
  - other variables
- Each router builds a picture of the entire network in its routing table
- Next a Shortest Path First (SPF) algorithm (Dijkstra's or Link State algorithm) is used to calculate the shortest path to each node



# Open Shortest Path First (OSPF)





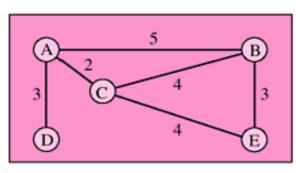
# Shortest Path First Algorithm

- The OSPF protocol sends hello packets to its neighbors and receives their hello packets.
- Hello packets also act as a keep alive to let routers know that other routers are still functional.
- Failed routers can be detected quickly, and the network's topology can be altered appropriately.
- Each router calculates a shortest-path tree, with itself as the root.
- The shortest-path tree, in turn, yields a routing table.



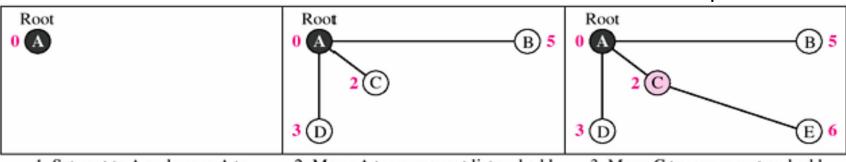
# Shortest Path First Algorithm

All direct neighbour is included in the tentative list

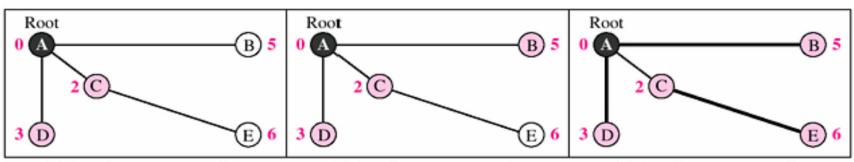


Topology

least cost node is included in the permanent list



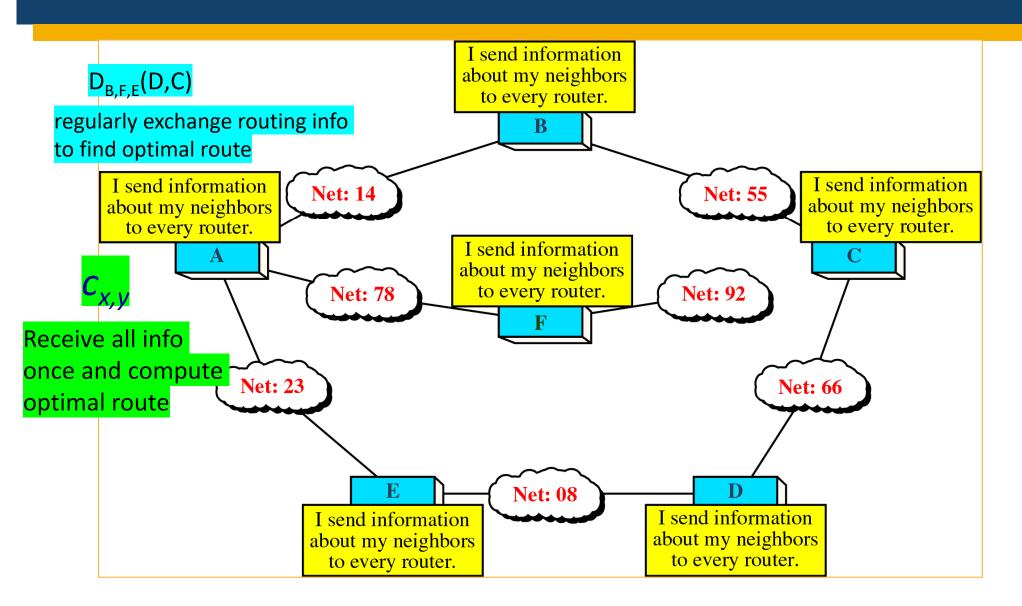
- Set root to A and move A to tentative list.
- Move A to permanent list and add B, C, and D to tentative list.
- Move C to permanent and add E to tentative list.



- 4. Move D to permanent list.
- 5. Move B to permanent list.
- Move E to permanent list (tentative list is empty).



## Link-State vs. Distance-Vector Routing



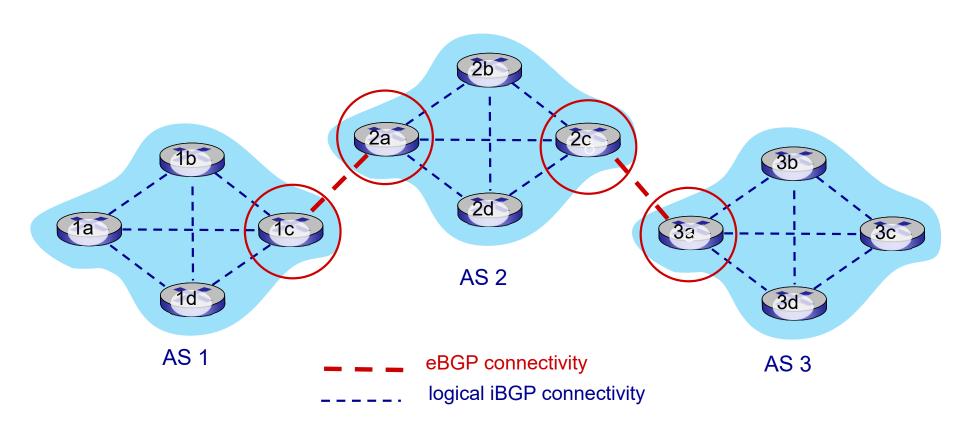


## Internet inter-AS routing: BGP

- BGP (Border Gateway Protocol): the de facto inter-domain routing protocol
  - "glue that holds the Internet together"
- allows subnet to advertise its existence, and the destinations it can reach, to rest of Internet: "I am here, here is who I can reach, and how"
- BGP provides each AS a means to:
  - eBGP: obtain subnet reachability information from neighboring ASes
  - iBGP: propagate reachability information to all AS-internal routers.
  - determine "good" routes to other networks based on reachability information and policy



## eBGP, iBGP connections



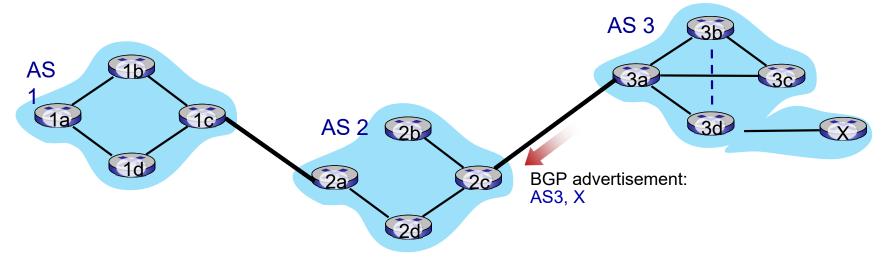


gateway routers run both eBGP and iBGP protocols



### **BGP** basics

- BGP session: two BGP routers ("peers") exchange BGP messages over semi-permanent TCP connection:
  - advertising paths to different destination network prefixes
- when AS3 gateway 3a advertises path AS3,X to AS2 gateway 2c:
  - AS3 promises to AS2 it will forward datagrams towards X



AS3 has a peering agreement with AS2



### Path attributes and BGP routes

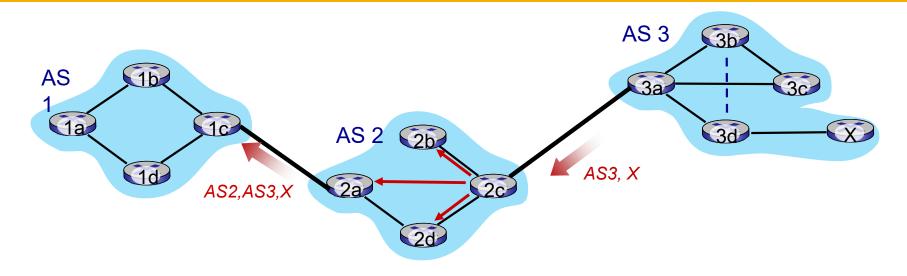
- BGP advertised route: prefix + attributes
  - prefix: destination being advertised
  - two important attributes:
  - AS-PATH: list of ASes through which prefix advertisement has passed
  - NEXT-HOP: indicates specific internal-AS router to next-hop AS

### policy-based routing:

- gateway receiving route advertisement uses import policy to accept/decline path (e.g., never route through AS Y).
- AS policy also determines whether to advertise path to other other neighboring ASes



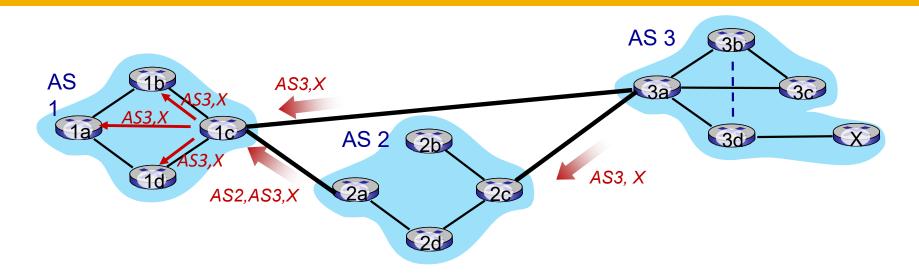
## BGP path advertisement



- AS2 router 2c receives path advertisement AS3,X (via eBGP) from AS3 router 3a
- based on AS2 policy, AS2 router 2c accepts path AS3,X, propagates (via iBGP) to all AS2 routers
- based on AS2 policy, AS2 router 2a advertises (via eBGP) path AS2, AS3, X to AS1 router 1c



## BGP path advertisement (more)



gateway router may learn about multiple paths to destination:

- AS1 gateway router 1c learns path AS2, AS3, X from 2a
- AS1 gateway router 1c learns path AS3,X from 3a
- based on policy, AS1 gateway router 1c chooses path AS3,X and advertises path within AS1 via iBGP

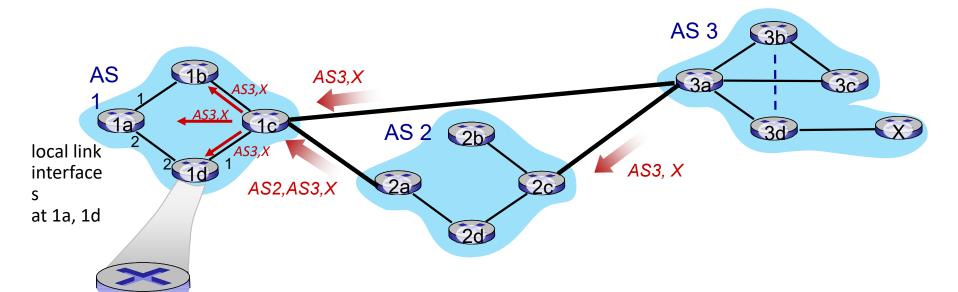


## **BGP** messages

- BGP messages exchanged between peers over TCP connection
- BGP messages:
  - OPEN: opens TCP connection to remote BGP peer and authenticates sending BGP peer
  - UPDATE: advertises new path (or withdraws old)
  - KEEPALIVE: keeps connection alive in absence of UPDATES; also ACKs OPEN request
  - NOTIFICATION: reports errors in previous msg; also used to close connection



## BGP path advertisement

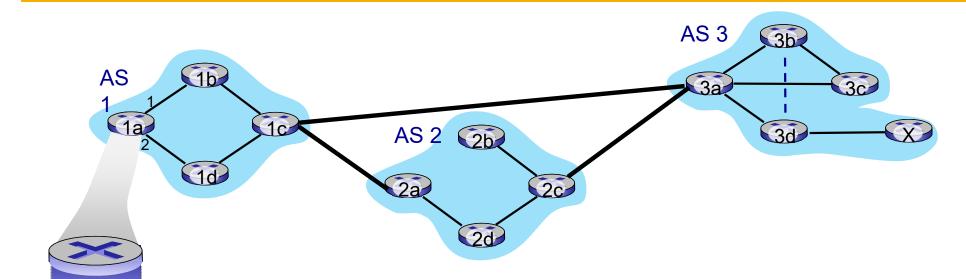


dest	interface
1c	1
X	1

- recall: 1a, 1b, 1d learn via iBGP from 1c: "path to X goes through 1c"
- at 1d: OSPF intra-domain routing: to get to 1c, use interface 1
- at 1d: to get to X, use interface 1



## BGP path advertisement



dest	interface
1c	2
X	2

- recall: 1a, 1b, 1d learn via iBGP from 1c: "path to X goes through 1c"
- at 1d: OSPF intra-domain routing: to get to 1c, use interface 1
- at 1d: to get to X, use interface 1
- at 1a: OSPF intra-domain routing: to get to 1c, use interface 2
- at 1a: to get to X, use interface 2
- Two entries at 1a and 1d, intra-domain and within-domain routing destinations



# Why different Intra-, Inter-AS routing?

### policy:

- inter-AS: admin wants control over how its traffic routed, who routes through its network
- intra-AS: single admin, so policy less of an issue

#### scale:

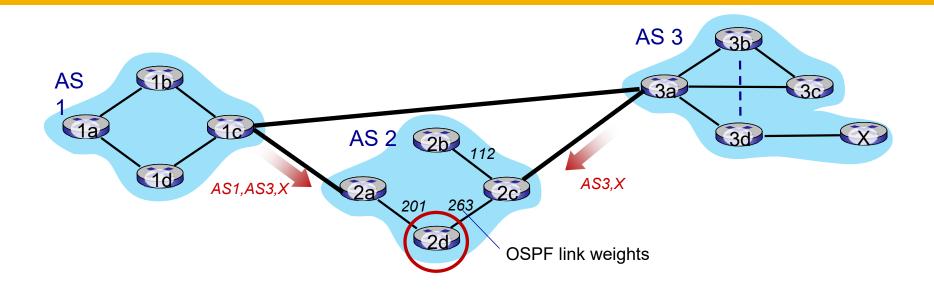
hierarchical routing saves table size, reduced update traffic

### performance:

- intra-AS: can focus on performance
- inter-AS: policy dominates over performance



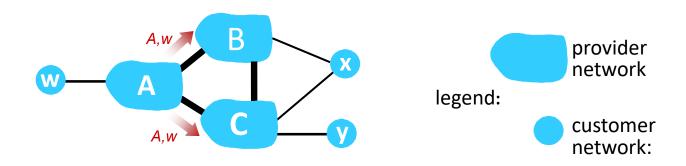
## Hot potato routing



- 2d learns (via iBGP) it can route to X via 2a or 2c
- hot potato routing: choose local gateway that has least intra-domain cost (e.g., 2d chooses 2a, even though more AS hops to X): don't worry about inter-domain cost!



# BGP: achieving policy via advertisements

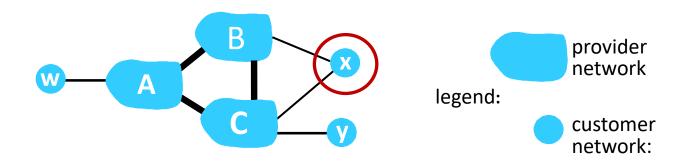


ISP only wants to route traffic to/from its customer networks (does not want to carry transit traffic between other ISPs – a typical "real world" policy)

- A advertises path Aw to B and to C
- B chooses not to advertise BAw to C!
  - B gets no "revenue" for routing CBAw, since none of C, A, w are B's customers
  - C does not learn about CBAw path
- C will route CAw (not using B) to get to w



# BGP: achieving policy via advertisements (more)



ISP only wants to route traffic to/from its customer networks (does not want to carry transit traffic between other ISPs – a typical "real world" policy)

- A,B,C are provider networks
- x,w,y are customer (of provider networks)
- x is dual-homed: attached to two networks
- policy to enforce: x does not want to route from B to C via x
  - .. so x will not advertise to B a route to C



## **BGP** route selection

- router may learn about more than one route to destination AS, selects route based on:
  - 1. local preference value attribute: policy decision
  - 2. shortest AS-PATH
  - 3. closest NEXT-HOP router: hot potato routing
  - 4. additional criteria



# Commonly Used Routing Metrics

- Hop count
  - Number of routers through which a packet will pass
- Ticks
  - Delay on a data link using IBM PC clock ticks (approx. 55ms)
- Cost
  - Arbitrary value, usually based on bandwidth/throughput, dollar expense, or another measurement, that may be assigned by a network administrator
- Bandwidth
  - Data capacity of a link
- Delay
  - Length of time required to move a packet from source to destination



# Commonly Used Routing Metrics

#### Load

Amount of activity of a network resource, such as router or link

### Reliability

Usually refers to the bit-error-rate of each network link

#### MTU

 Maximum transmission unit. The maximum frame length in octets that is acceptable to all links on the path



# Recommended Reading

 Behrouz A. Forouzan, Data Communications and Networking with TCP/IP Protocol Suite, 6<sup>th</sup> ed., 2022, Chapters 8

 J. F. Kurose and K. W. Ross, Computer Networking: A Top-Down Approach, 8<sup>th</sup> ed., 2022, Chapter 5