

**make
history.**



Merge sort

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Merge sort

```
vector<int> MergeSort::sort(vector<int> array) {  
    if(array.size() == 1) {  
        return array;  
    }  
  
    // Sort left and right subarrays  
    int mid = array.size()/2;  
    ...  
    vector<int> sortedRightArray = sort(rightArray);  
    vector<int> sortedLeftArray = sort(leftArray);  
  
    // Merge left and right subarrays  
    vector<int> result;  
    int l=0, r=0;  
    while (l < sortedLeftArray.size()  
           && r < sortedRightArray.size()) {  
        if(sortedLeftArray.at(l) < sortedRightArray.at(r)) {  
            result.push_back(sortedLeftArray.at(l));  
            l++;  
        } else {...}  
    }  
    //  
    // Add remaining elements from sortedLeftArray or sortedRightArray  
    ...  
    return result;  
}
```

Merge sort

1	0	3	1	4	5	3	2
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Merge sort

1	0	3	1	4	5	3	2
---	---	---	---	---	---	---	---

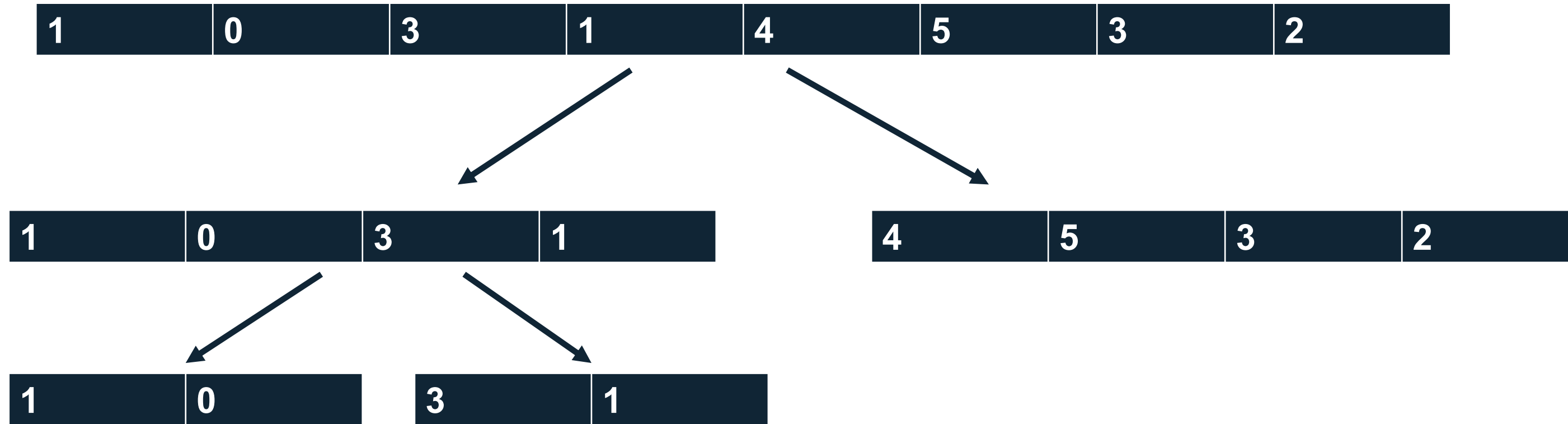


1	0	3	1
---	---	---	---

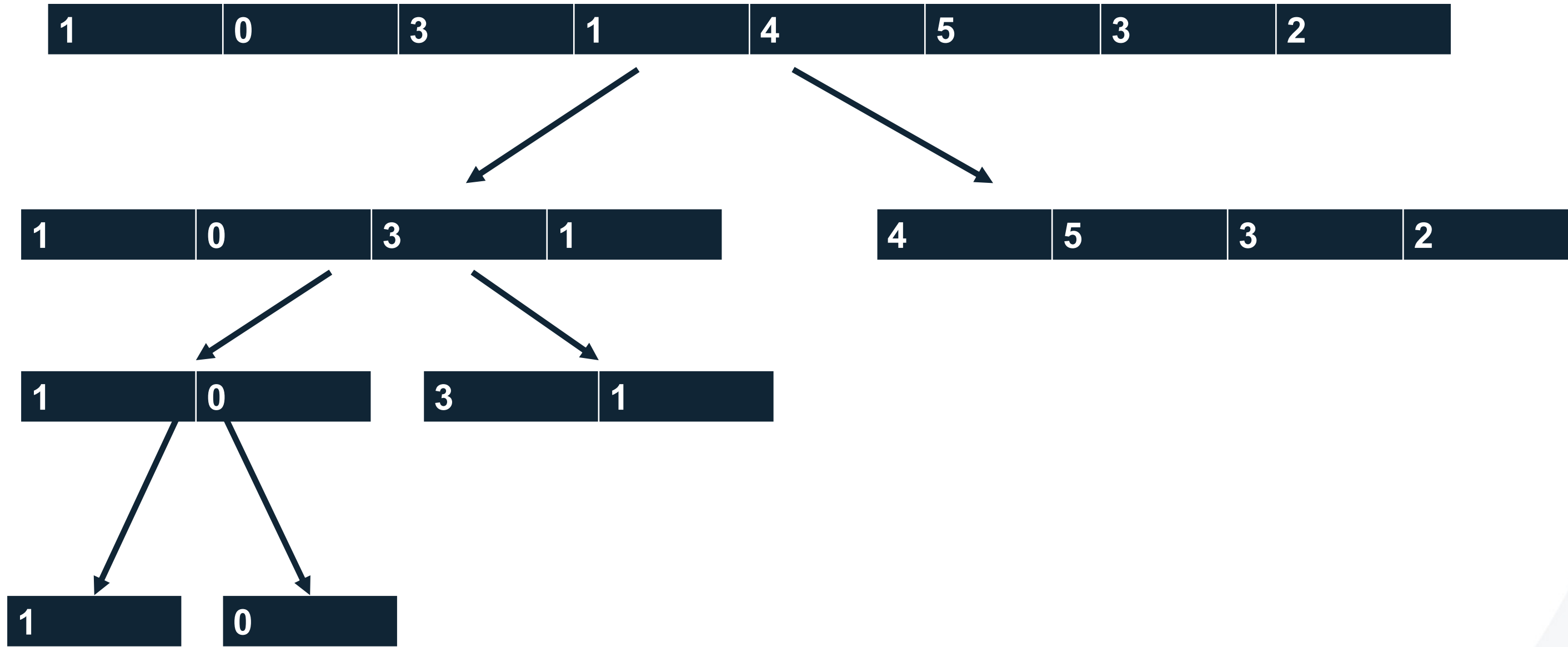
4	5	3	2
---	---	---	---



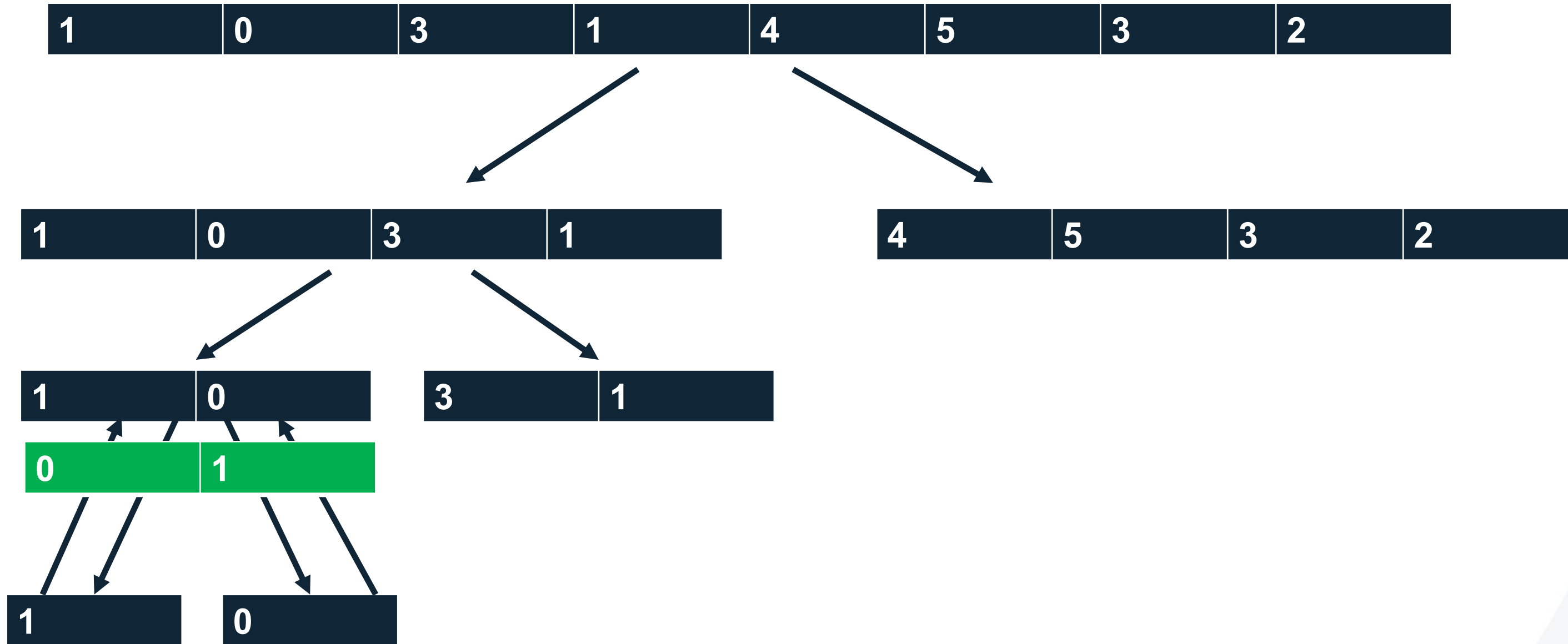
Merge sort



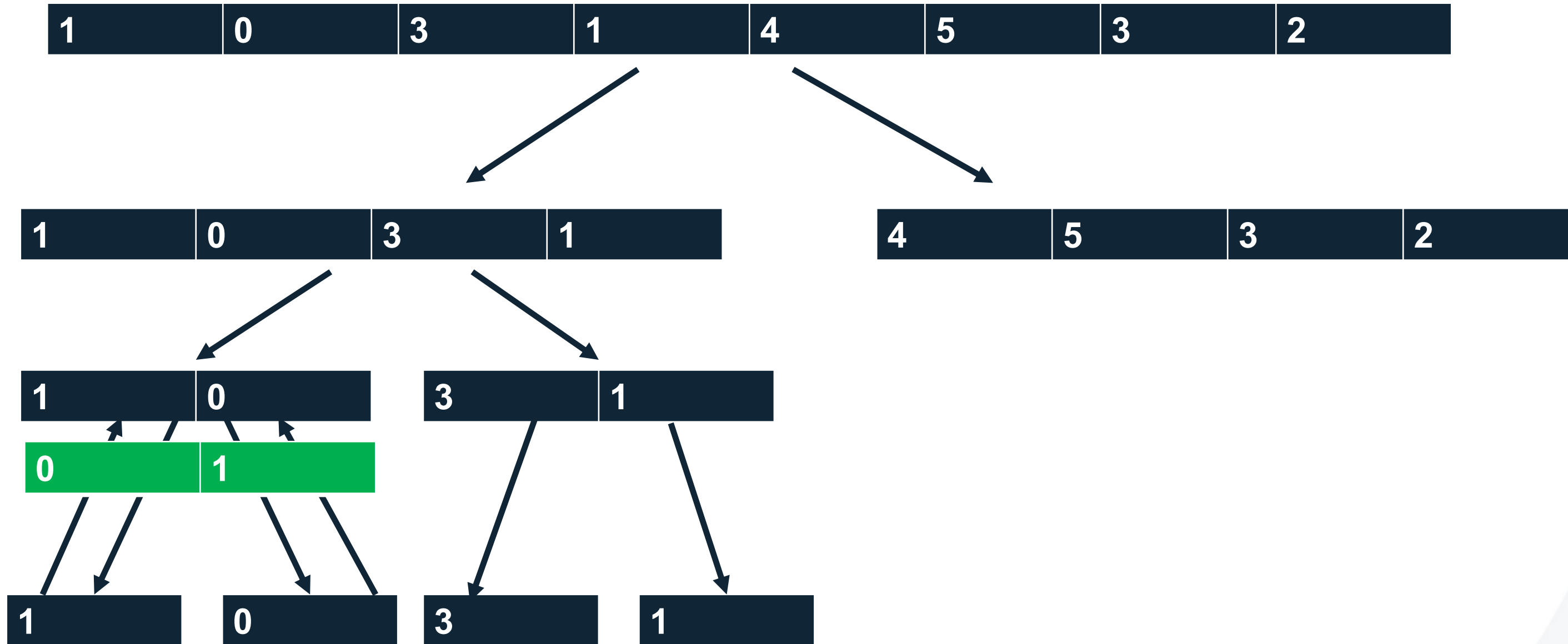
Merge sort



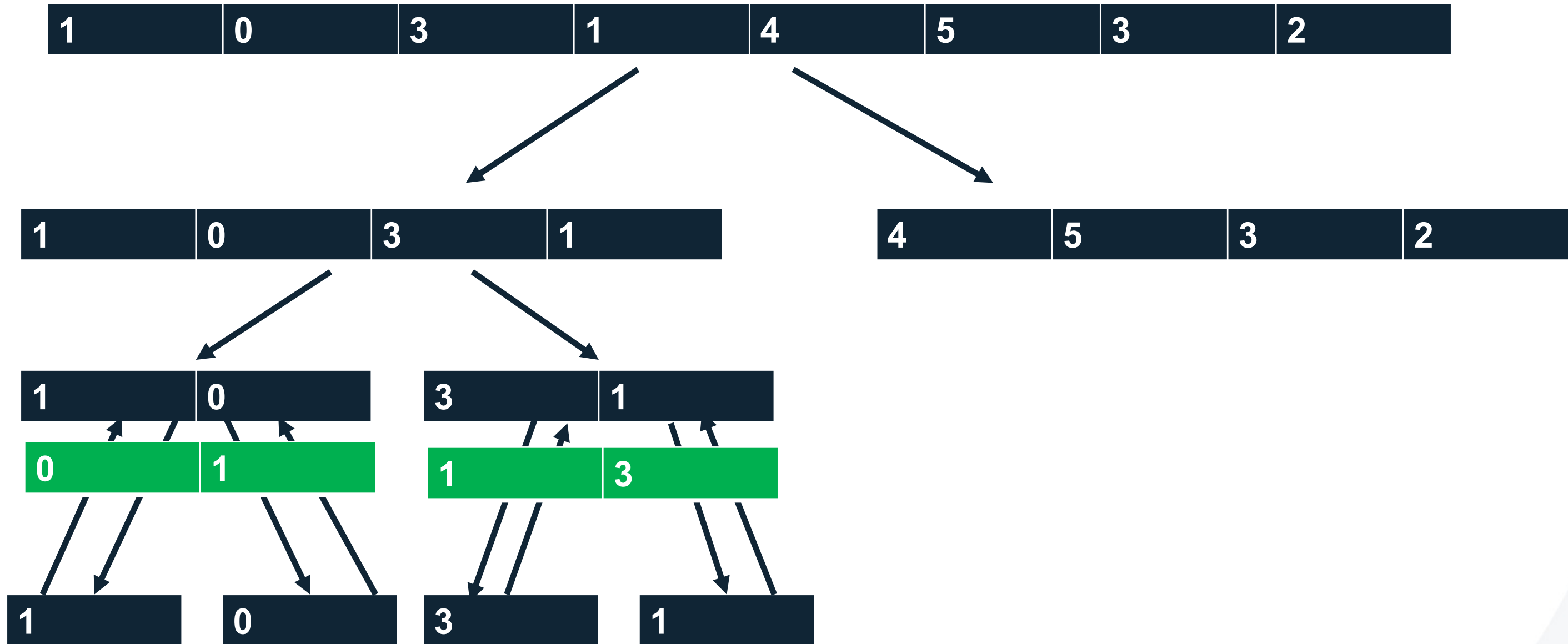
Merge sort



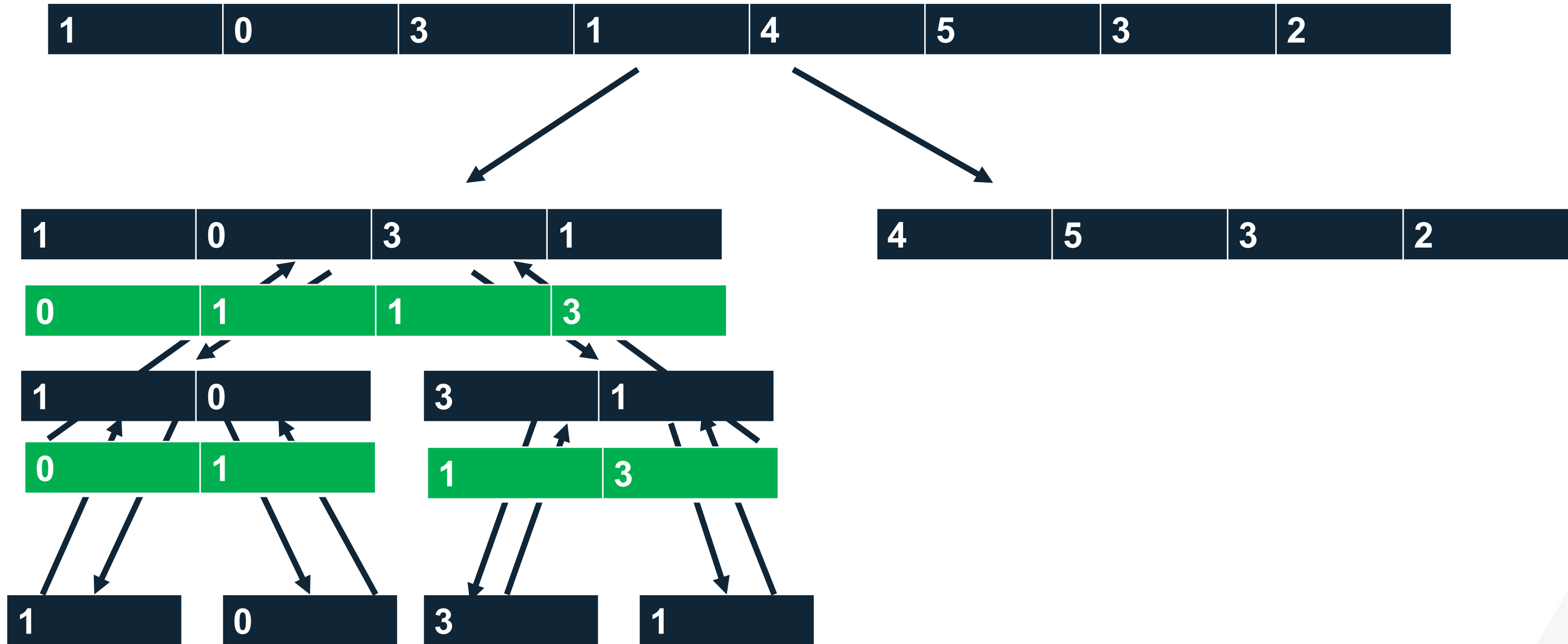
Merge sort



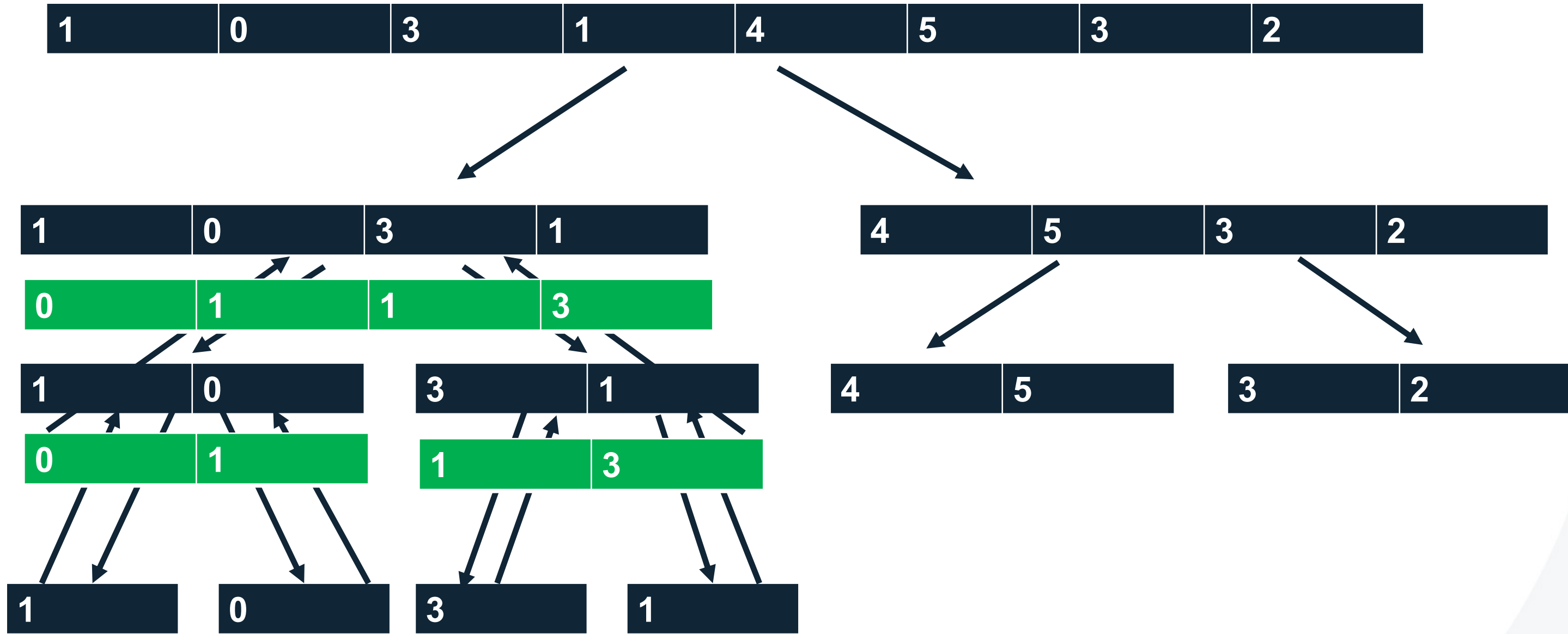
Merge sort



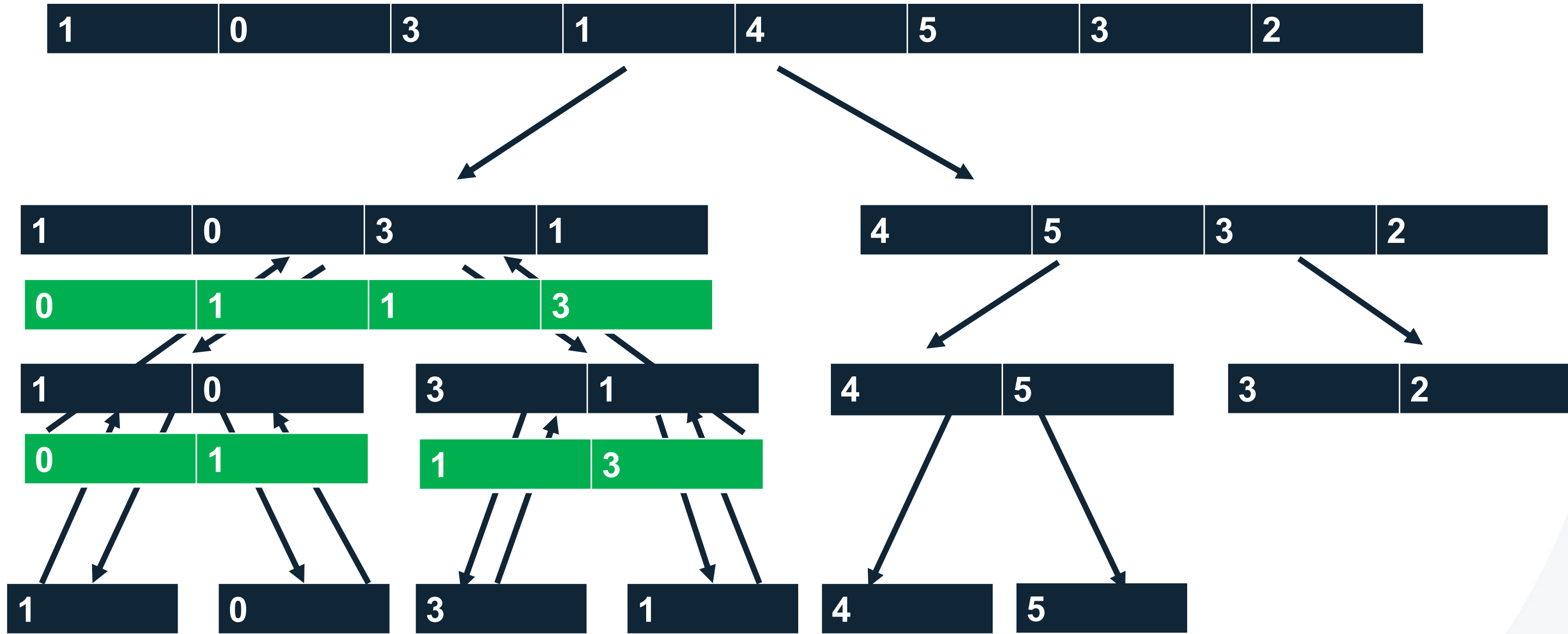
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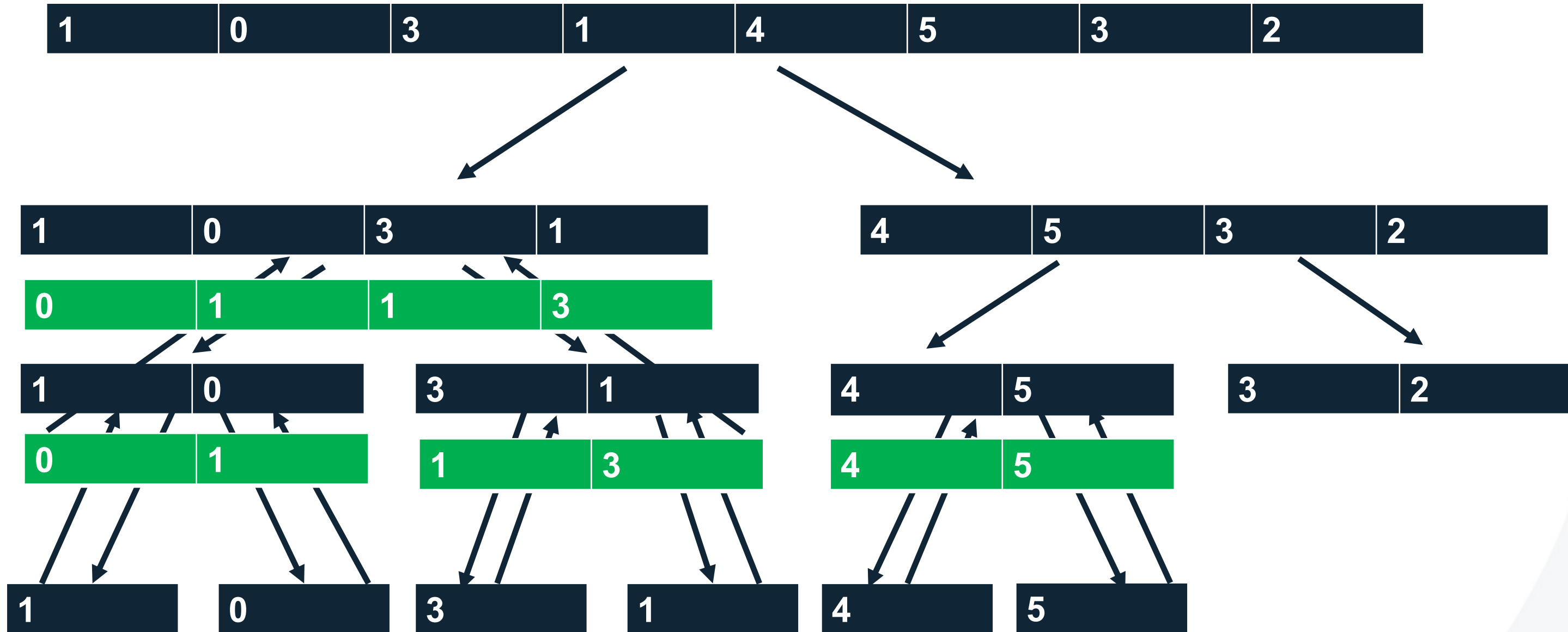
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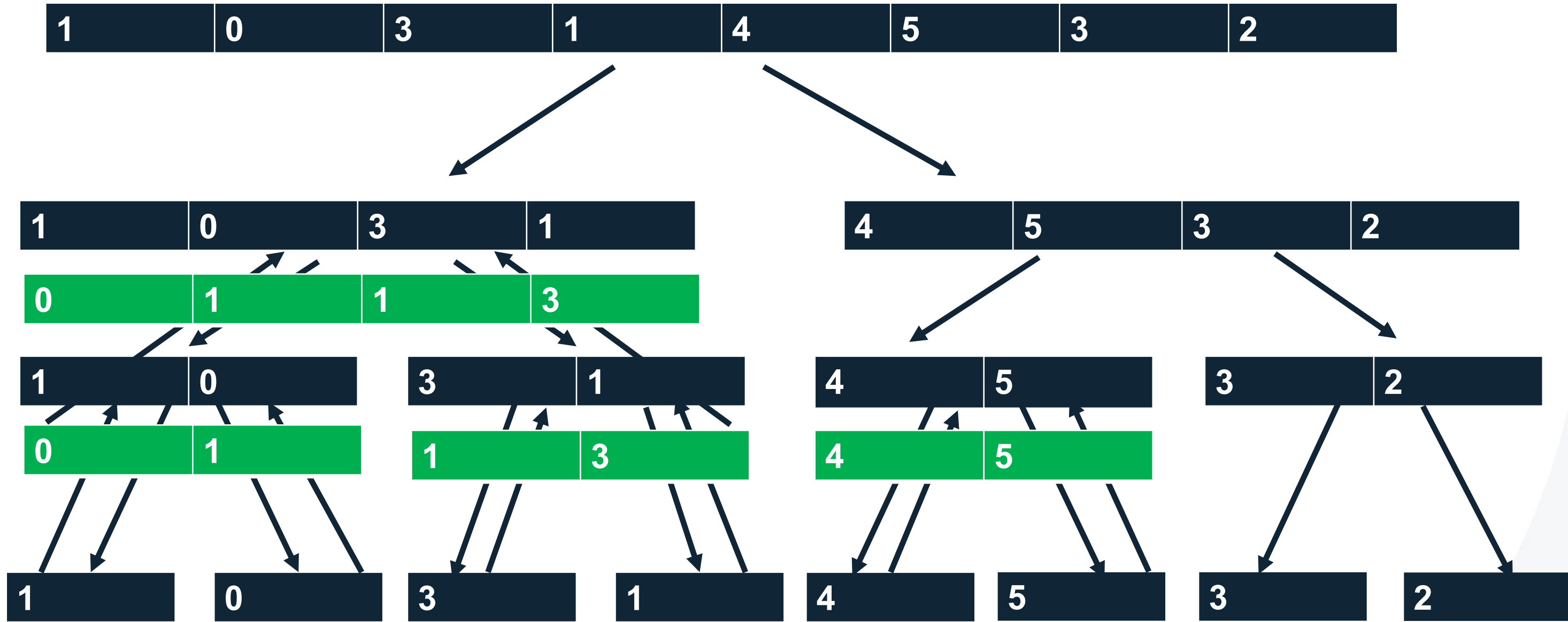
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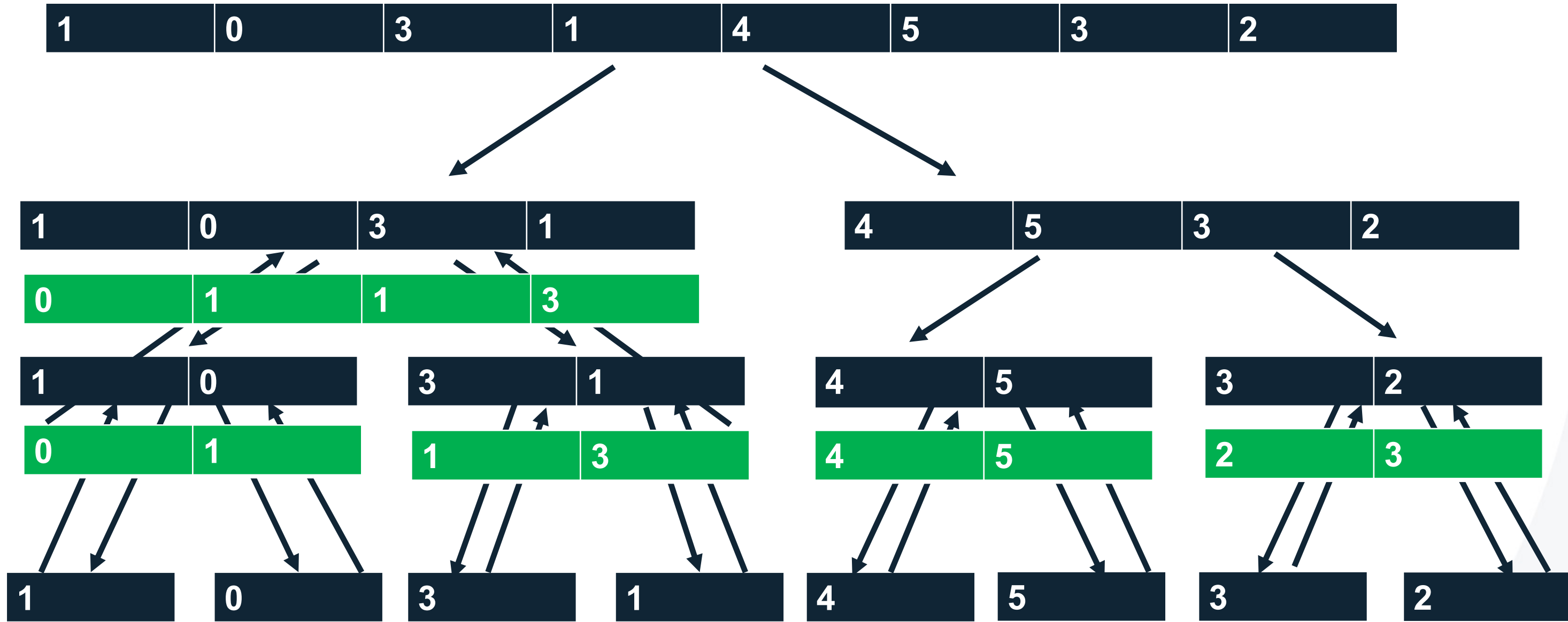
Merge sort



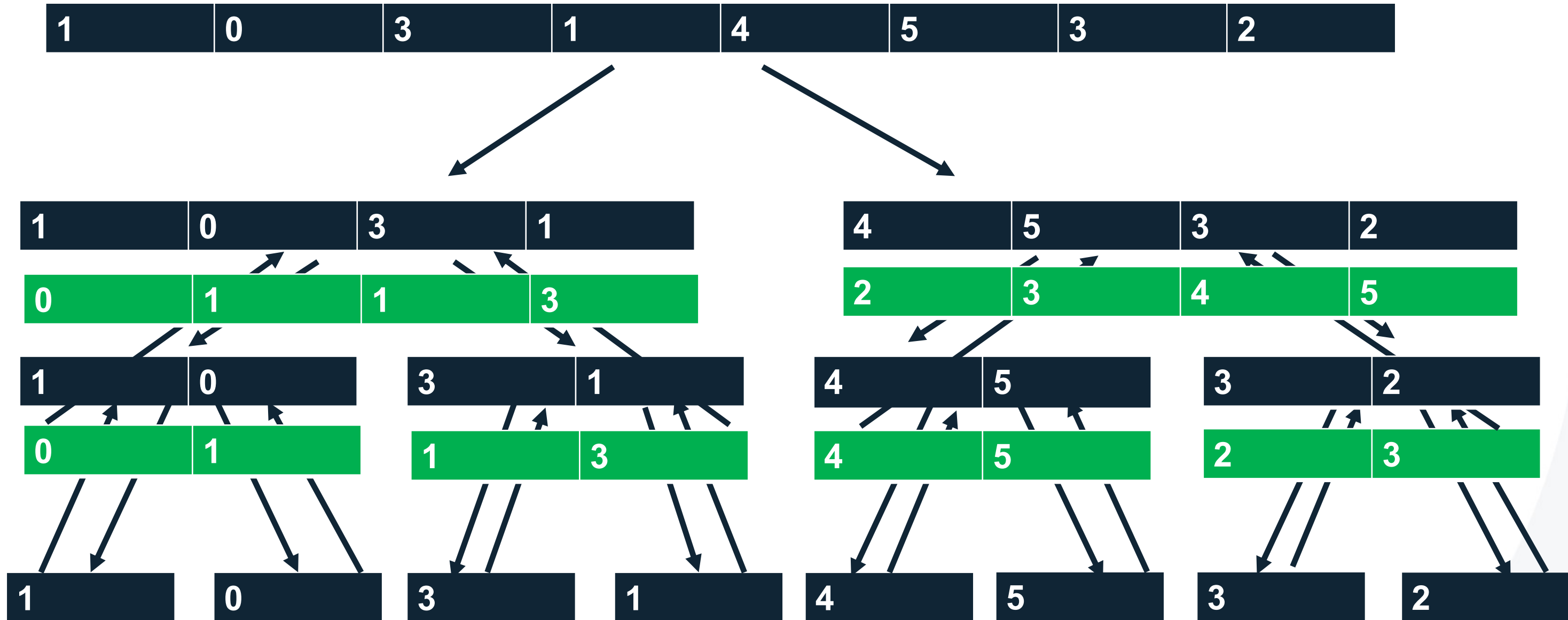
Merge sort



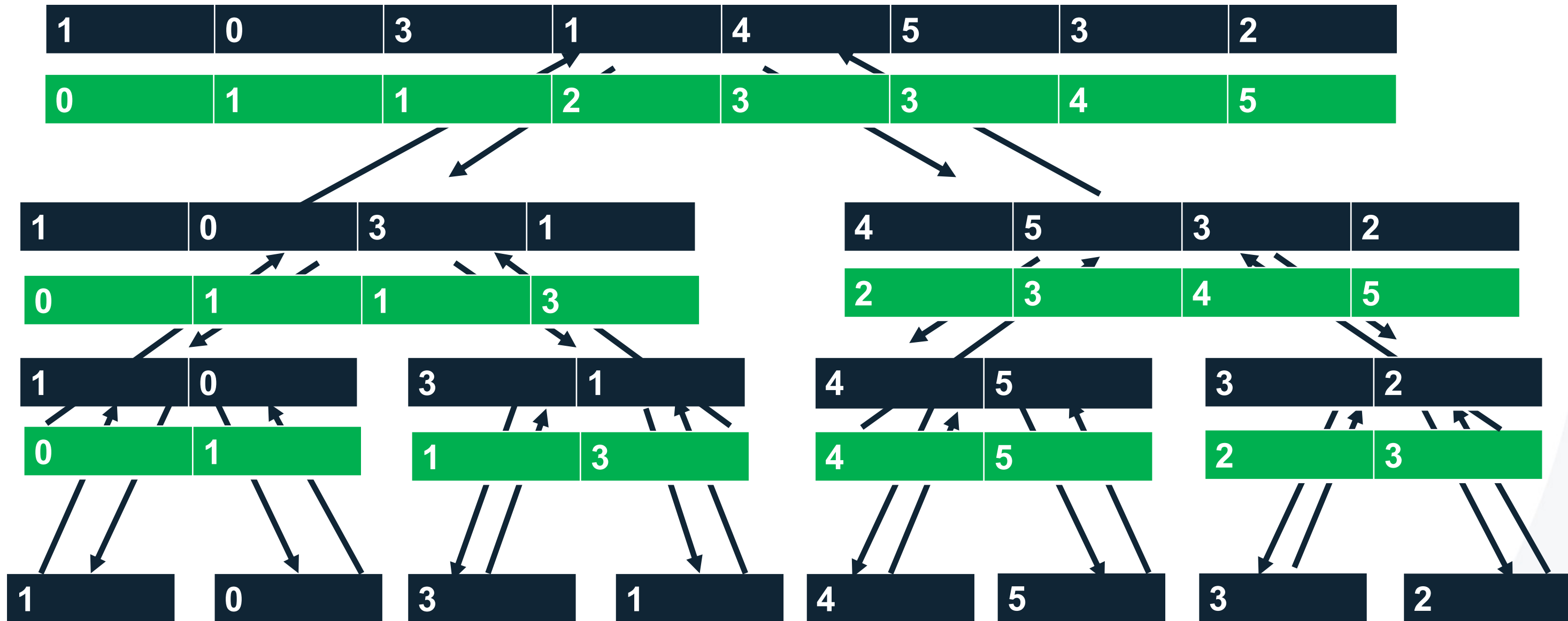
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Applying master theorem with $a=2$, $b=2$ and $d=1$
(the complexity of merging two subarrays is $\Theta(n)$),
we get time complexity $\Theta(n \log(n))$ in best, worst and average cases.

