



WELCOME TO TUTORIAL

Janus 2.0: Background of Quantum Computing







https://janusq.github.io/tutorials/

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Presenter





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Siwei Tan is fifth-year PhD student at the College of Computer Science, Zhejiang University. He is interested in the quantum software, quantum hardware, and machine learning. He has developed the quantum control system that is deployed on the 121-qubit quantum hardware. He has published 16 papers in top international journals and conferences such as ASPLOS, MICRO, HPCA, DAC, ICCAD, TVCG, et al. **He is on the academic job market this year (2024-2025).**

[ASPLOS 2024] Siwei Tan, Hanyu Zhang, et al. "QuFEM: Fast and Accurate Quantum Readout Calibration Using the Finite Element Method".

[ASPLOS 2024] Siwei Tan, Debing Xiang, et al. "MorphQPV: Exploiting Isomorphism in Quantum Programs to Facilitate Confident Verification".

[HPCA 2023] Siwei Tan, Qianming Yu, et al. "HyQSAT: A Hybrid Approach for 3-SAT Problems by Integrating Quantum Annealer with CDCL."

[MICRO 2023] Siwei Tan, Congliang Lang, Jianwei Yin, et al. "Janus-CT: A Framework for Analyzing Quantum Circuit by Extracting Contextual and Topological Features."





Background Knowledge



Development of Classical Computing



Motivation of Quantum Computing



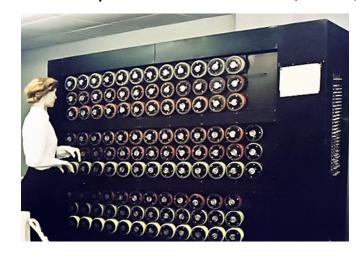
Development of Quantum Computing

Development Of Classical Computing





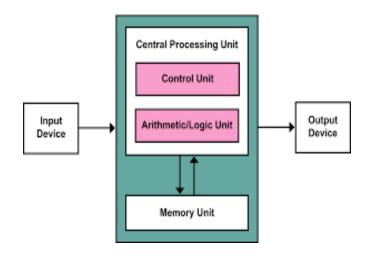
Domain-specific calculator (1939)



Vacuum Tube Computer ENIAC (1942)



Von Neumann architecture (1947)

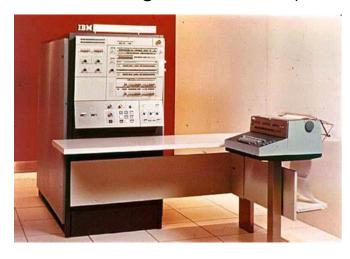


Transistor Computer TRADIC



Macroscopic Effects of Quantum Mechanics

IBM360 Integrated Circuit (1964)



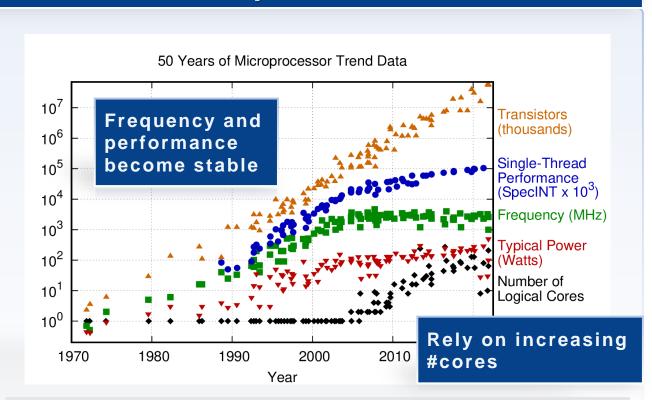
Large Scale Integrated

Motivation Of Quantum Computing





Computation barrier



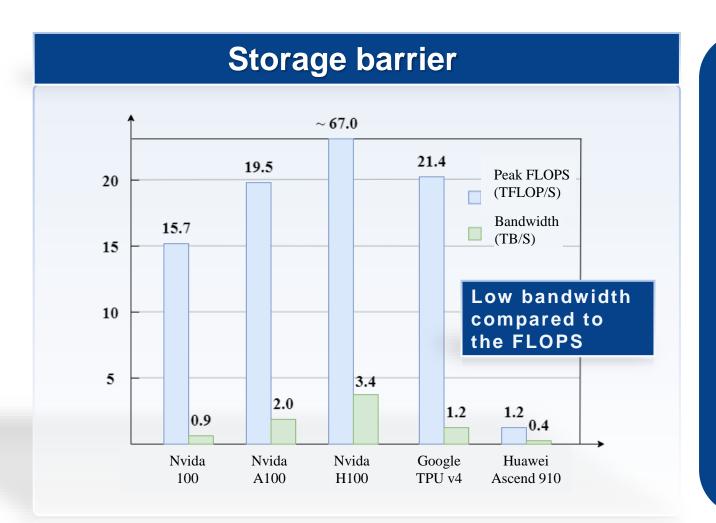
Original dalta up to the year 2010 colected and plotted by M. Horowitz, F. Labonle, 0. Shacham, K. Olukolun, L. Hammond, and c. BalienNew plot and dala collected for 2010-2021 by K.Rupp

- The research costs and cycles of advanced chip processes are continuously increasing, Moore's Law is approaching obsolescence.
- The computing systems cannot rely solely on the development of traditional single chips. Instead, it requires new chip design methods and computing principles.

Motivation Of Quantum Computing







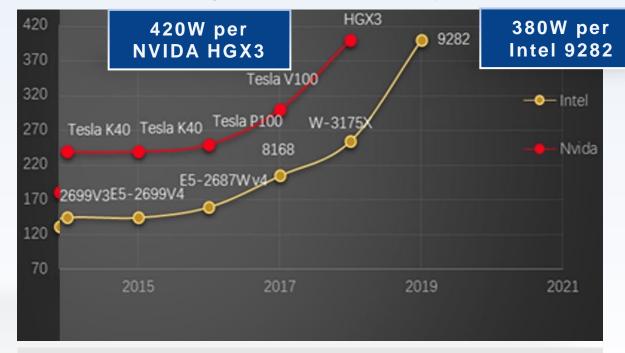
- Computation power and bandwidth is not matched.
- Latency of memory access is high, limiting CPU performance.
- Quantum computing is in memory.
- Non-von Neumann architectures.

Motivation Of Quantum Computing



Power wall

Thermal design power exponentially increases.



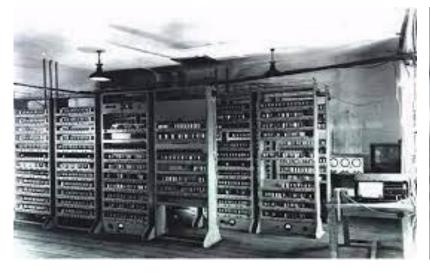
From https://www.blueocean-china.net/fag3/241.html

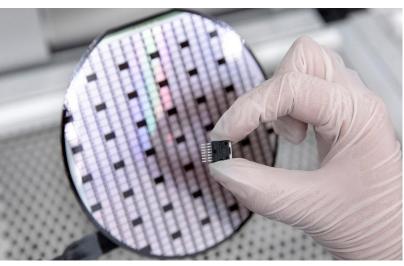
- The power consumption increasesexponentially with computing power.
- Energy consumption restricts computing power.
- Systematical resource scheduling at the architectural level.

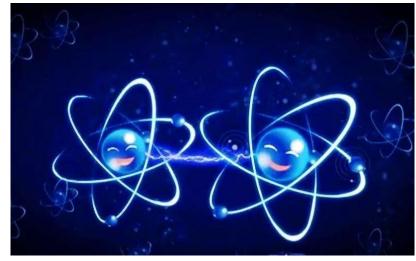
Proposal of Quantum Computing



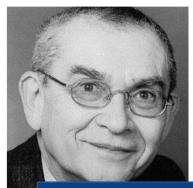








Classical physics is no longer able to fully describe the underlying physical mechanisms at its core.



Yuri Manin

- Algebraic Geometry
- Discrete Geometry (Diophantine Geometry)
- Manin (1980) and Feynman



Richard Feynman

- Feynman Path Integral, Feynman Diagram, Feynman Parton Model
- Quantum Electrodynamics, Nobel Prize in Physics

vely

generalize to other domains such as the database search and cryptography

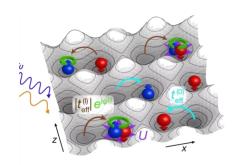
Basic Concepts of Quantum Computing

advantages via parallelism.



superconductivity.



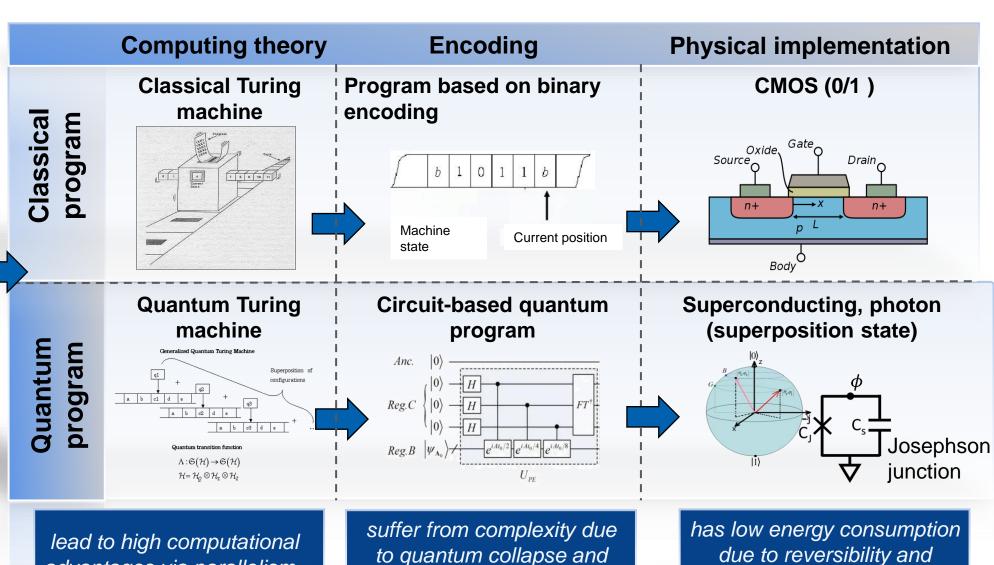


Physical Simulation



Factor

Application



entanglement

Quantum Computing Architecture



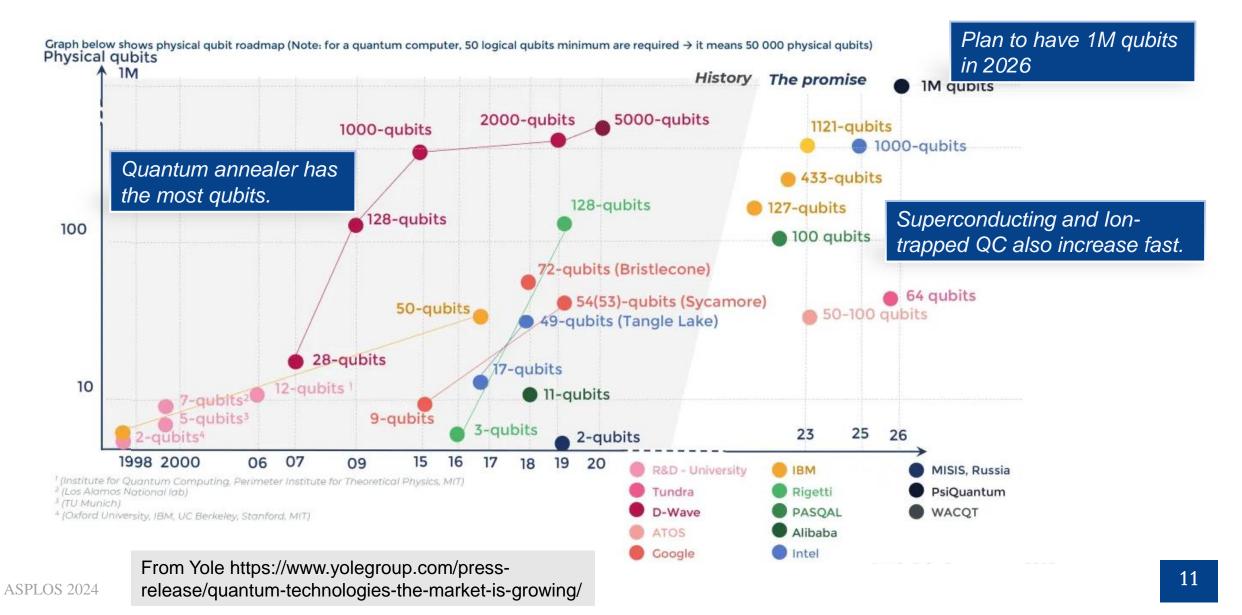
				Classical computer	Quantum computer	
	Increasing order of Complexity	Application	1	LLM Model	SAT problem	
ig		Algorithm	စ္	Matrix product	Quadratic optimization	
Abstraction		High-level Language		Python	QASM	
-		Assembly Language	Softwa	ADD/MUL	Quantum circuit	
r of		Machine Code	are the state of t	0011011	Wave function	
order		Instruction Set		x86	Pulse Control	
		Micro Architecture		17 processor	Quantum Architecture	
Increasing		Gates/ Register	rdware	AND gate, OR gate	Qubits, Quantum gates	
)cre		Transistor	Har	CMOS transistor	Superconducting, Ion trap	
=		Physics		Semiconductor physics	Quantum mechanics	
		E 144 // 1' '4 /0010/00/10/ 1 4 1'				

From https://www.secplicity.org/2018/09/19/understanding-the-layers-of-a-computer-system/

Classical and quantum computing has similar architecture

Development of Quantum Computer

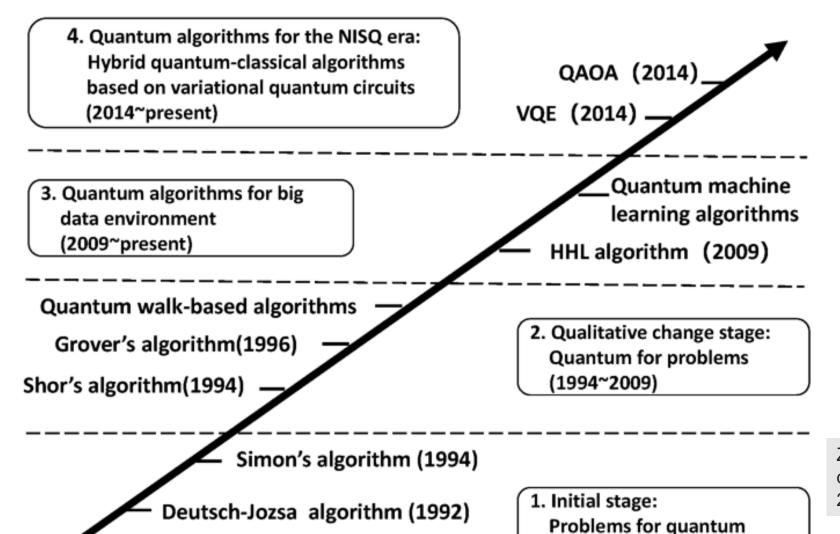




Development of Quantum Algorithm

Deutsch's algorithm(1985)





(1985~1994)

Zhang, S., Li, L. A brief introduction to quantum algorithms. *CCF Trans. HPC* **4**, 2022



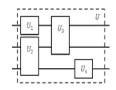
Mathematical Model of Quantum Computing



Qubits



Quantum Evolution



Quantum Circuit

Quantum Bit (Qubit)





Single qubit

A **qubit** has two bases $|0\rangle$ and $|1\rangle$. The information stored in its **superposition state** is represented as a **2-dimension state vector** $|\phi\rangle$.

$$|0\rangle = \begin{bmatrix} 1\\0 \end{bmatrix}$$

$$|1\rangle = \begin{bmatrix} 0 \\ 1 \end{bmatrix}$$

$$|\varphi\rangle = \alpha|0\rangle + \beta|1\rangle$$

$$|\varphi\rangle = \begin{bmatrix} \alpha \\ \beta \end{bmatrix}$$

subject to $|\alpha|^2 + |\beta|^2 = 1$

Multiple qubits

N qubits has 2^N bases $|00 \cdots 0\rangle$, $|00 \cdots 1\rangle \cdots$, $|11 \cdots 1\rangle$. The information stored in their **superposition state** is represented as a 2^N -dimension state vector.

$$|00\cdots 0\rangle = \begin{bmatrix} 1\\0\\\vdots\\0 \end{bmatrix} \qquad |00\cdots 1\rangle = \begin{bmatrix} 0\\1\\\vdots\\0 \end{bmatrix} \qquad \cdots \qquad |11\cdots 1\rangle = \begin{bmatrix} 0\\0\\\vdots\\1 \end{bmatrix}$$

$$|\varphi\rangle = \alpha_0 |00 \cdots 0\rangle + \alpha_1 |00 \cdots 1\rangle + \cdots + \alpha_{2^N} |11 \cdots 1\rangle$$

$$|\varphi\rangle = \begin{bmatrix} \alpha_0 \\ \alpha_1 \\ \vdots \\ \alpha_{2^N} \end{bmatrix}$$

subject to
$$|\alpha_0|^2 + |\alpha_1|^2 + \cdots + |\alpha_{2^N}|^2 = 1$$

Quantum Evolution





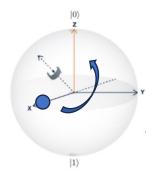
Unitary matrix

A quantum evolution caused by **quantum gates** is represented as a **unitary matrix (unitary)**, which is a square matrix whose conjugate transpose is its inverse.

$$UU^{\dagger} = I$$

The evolution of qubit state $|\varphi\rangle$ is represented as:

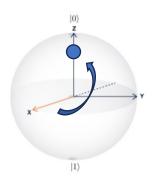
$$|\varphi'\rangle = U|\varphi\rangle$$



$$H=rac{1}{\sqrt{2}}egin{bmatrix}1&1\1&-1\end{bmatrix}$$

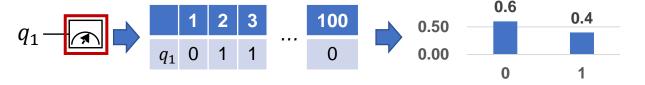
 π rotation around X+Z axis:

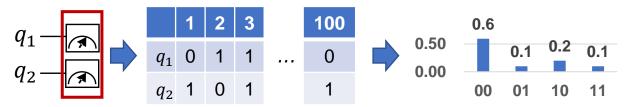
Exchanges X and Z



Quantum readout

A sampling of a quantum state is a bitstring. Multiple sampling of this state composes a probability distribution of measuring different bitstrings.





Readout Measured bitstrings in different samples

Probability distribution

Quantum Circuit





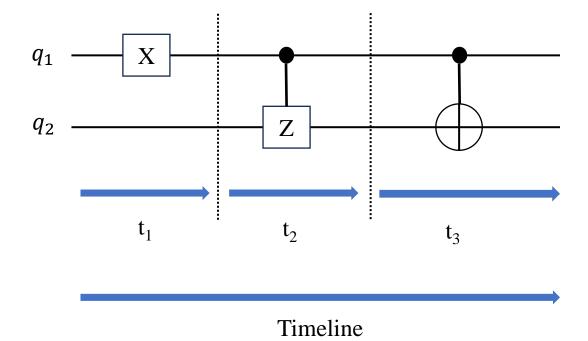
Quantum gates

In the quantum circuit model of computation, a quantum gate is a basic quantum circuit operating on a small number of qubits.

Operator	Gate(s)		Matrix
Pauli-X (X)	$-\mathbf{x}$		$\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$
Pauli-Y (Y)	$- \boxed{\mathbf{Y}} -$		$\begin{bmatrix} 0 & -i \\ i & 0 \end{bmatrix}$
Controlled Not (CNOT, CX)	$\stackrel{-}{\longrightarrow}$		$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix}$
Controlled Z (CZ)		_	$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & -1 \end{bmatrix}$
SWAP			$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$
Toffoli (CCNOT, CCX, TOFF)	<u> </u>		$\begin{bmatrix} 1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1 & 0 \end{bmatrix}$

Qubit timeline

Each line in a quantum circuit represents a qubit. The quantum gate in a line is applied on the same qubits from left to right in time direction.

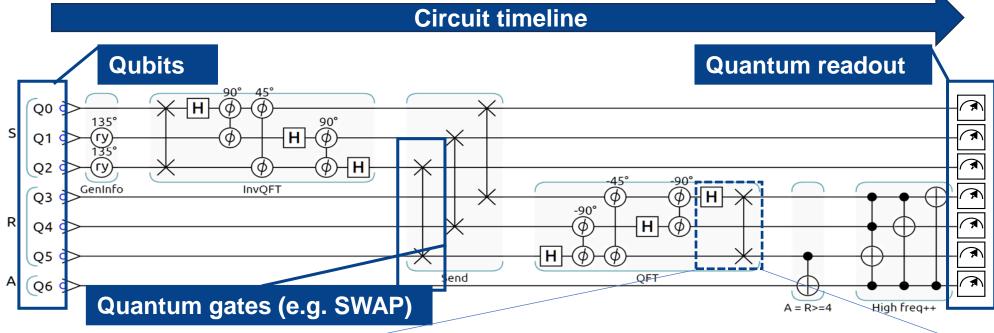


Quantum Circuit





For example



$$SWAP \cdot (H \otimes I) = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \cdot \frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 0 & 1 & 0 \\ 0 & 1 & 0 & 1 \\ 1 & 0 & -1 & 0 \\ 0 & 1 & 0 & -1 \end{bmatrix} = \frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 0 & 1 & 0 \\ 1 & 0 & -1 & 0 \\ 0 & 1 & 0 & 1 \\ 0 & 1 & 0 & -1 \end{bmatrix}$$

Implementation of Quantum Circuit





On superconducting quantum computer

Step 1. Circuit statement

OPENQASM 2.0;

qreg qubits[3];

H qubits[1];H qubits[2];

H qubits[3];

X qubits[1];X qubits[2];

X qubits[3];

H qubits[3];

Toffoli qubits[1], qubits[2],

qubits[3];

H qubits[3];

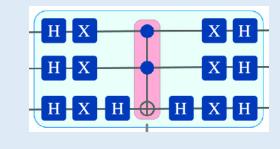
X qubits[1];X qubits[2];

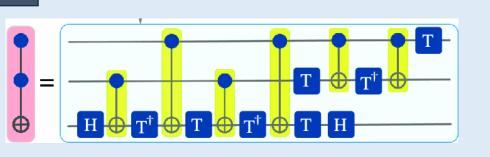
X qubits[3];

H qubits[1];H qubits[2];

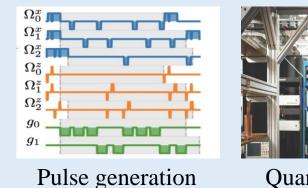
H qubits[3];

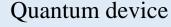
Step 2. Circuit compilation





Step3. Circuit execution

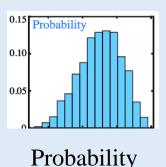




Step4. Result processing



Visualizati on



distribution

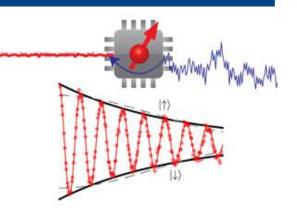
Challenge in Quantum Computing





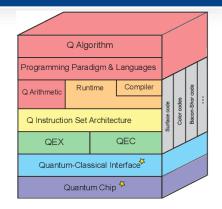
Noise

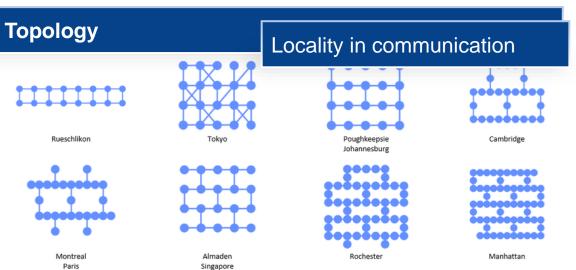
- Coherence error
- Gate error
- State preparation error
- Readout error
- Crosstalk

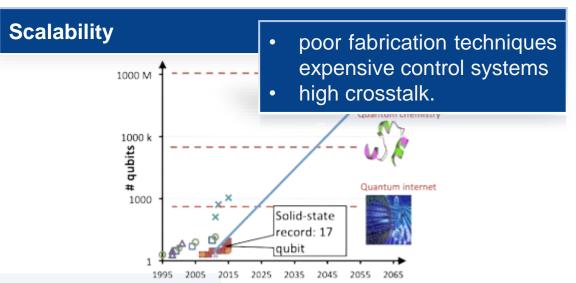


Instructions

- Multi-level compilation
- Micro-architecture instructions
- Quantum-classical communication







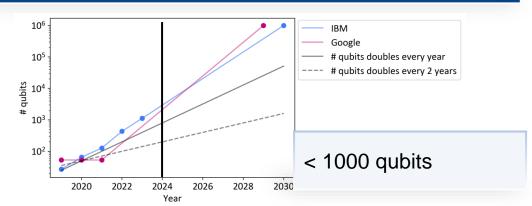
Toronto

Results of Challenges

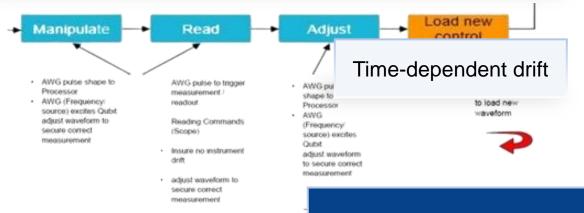




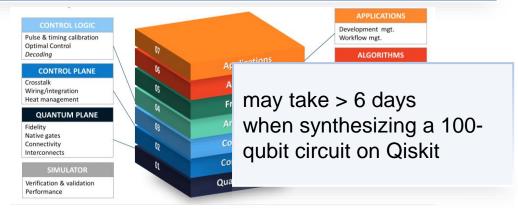
Limited Hardware Resource



Difficulty Of Hardware Calibration



Compilation Complexity



Rare quantum advantage

- Limited qubits resources
- High error rate
- Hard to ensure quantum advantage in real

Motivations of JanusQ

Long calibration time (e.g., readout calibration)





Thanks for listening!