

VIRGINIA COMMONWEALTH UNIVERSITY

STATISTICAL ANALYSIS & MODELING

A1b: INDIAN PREMIER LEAGUE PLAYER DATA ANALYSIS  
USING PYTHON AND R

Jany Balasivan  
V01108262

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# INDIAN PREMIER LEAGUE PLAYER DATA ANALYSIS USING PYTHON AND R

## INTRODUCTION

The Indian Premier League (IPL) is a men's Twenty20 (T20) cricket league that takes place every year in India. For sponsorship purposes, it is also known as the TATA IPL. Ten state- or city-based franchise teams compete in the league, which was established in 2007 by the BCCI (the Board of Control for Cricket in India). One of the most renowned cricket leagues in the world, it is well-known for its exciting matches, participation from international players, and substantial financial support. Since its inaugural season, the IPL has advanced significantly.

## OBJECTIVES

- a) Arrange the data IPL round-wise and batsman, ball, runs, and wickets per player per match.  
Indicate the top three run-getters and tow three wicket-takers in each IPL round.
- b) Fit the most appropriate distribution for runs scored and wickets taken by the top three batsmen and bowlers in the lost three IPL tournaments. Rename the districts as well as the sector, viz. rural and urban.
- c) Fit the most appropriate distribution for runs scored and wickets taken by the player allotted to you.
- d) Last three-year performance with latest salary 2024
- e) Significant Difference Between the Salaries of the Top 10 Batsmen and Top Wicket-Taking Bowlers Over the Last Three Years

## BUSINESS SIGNIFICANCE

Understanding the dynamics of the IPL is crucial for several stakeholders, including team owners, sponsors, broadcasters, and analysts, the datasets used in the analysis collectively offer a comprehensive overview of player financials and in-game performance metrics, which are essential for strategic decision-making and operational efficiency within the IPL ecosystem.

- **Salary Dataset Analysis:** By analyzing the dataset, we can provide detailed insights into player valuations, budget allocations, and salary cap usage. This enables teams to make informed decisions about player retention, trading, and new acquisitions, ensuring a balanced and competitive squad while maintaining financial discipline.

- **Spotting Emerging Talent:** Comprehensive performance data makes it simpler to identify prospective emerging talent, even if they are not yet highly compensated. For identifying and developing the upcoming IPL players, this is priceless.
- **Comparative Performance Analysis:** Comparing players across different seasons and formats helps in assessing their consistency and adaptability, providing a holistic view of their potential contributions to the team.

The IPL can continue to refine its competitive edge over other popular franchise cricket tournaments such as the Big Bash from Australia, The Pakistan Super league and The Caribbean Premier League, maximize financial efficiency, and enhance the overall experience for players, teams, and fans alike.

## RESULTS AND INTERPRETATION IN R CODE

A) Using IPL data, establish the relationship between the player's performance and payment he receives and discuss your findings. Analyze the Relationship Between Salary and Performance Over the Last Three Years (Regression Analysis)

### Regression Analysis Results

#### 1. Runs Scored vs. Salary

#### Regression Model Summary:

Result:

---

Call:

`lm(formula = y ~ X)`

Residuals:

Min	1Q	Median	3Q	Max
-990.8	-341.8	-68.2	278.5	1428.5

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	360.666	34.160	10.56	< 2e-16 ***
X	1.087	0.136	7.99	2.75e-14 ***

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 440 on 307 degrees of freedom

Multiple R-squared: 0.1721, Adjusted R-squared: 0.1694

F-statistic: 63.84 on 1 and 307 DF, p-value: 2.752e-14

#### Interpretation: Runs Scored vs. Salary:

- There is a statistically significant relationship between runs scored and salary, with players earning more as they score more runs.
- However, the R-squared value is relatively low (0.1721), suggesting that other factors besides runs scored also significantly influence player salaries.

## 2.) Wickets Taken vs. Salary

### Regression Model Summary:

#### Result:

Call:

```
lm(formula = y_wickets ~ X_wickets)
```

Residuals:

Min	1Q	Median	3Q	Max
-641.62	-338.97	-26.62	308.80	865.60

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	89.94	370.62	0.243	0.811
X_wickets	27.22	20.16	1.350	0.192

Residual standard error: 428.2 on 20 degrees of freedom

Multiple R-squared: 0.08356, Adjusted R-squared: 0.03774

F-statistic: 1.824 on 1 and 20 DF, p-value: 0.192

#### Interpretation:

- here is no statistically significant relationship between wickets taken and salary for players with more than 10 wickets in 2022.
  - The low R-squared value (0.08356) and high p-value (0.192) indicate that wickets taken do not strongly influence salaries. Other factors might play a more critical role in determining the salaries of bowlers.

B) Perform Multiple regression analysis, carry out the regression diagnostics, and explain your findings. Correct them and revisit your results and explain the significant differences you observe.

Call:

```
lm(formula = foodtotal_q ~ MPCE_MRP + MPCE_URP + Age + Meals_At_Home + Possess_ration_card + Education, data = subset_data)
```

Residuals:

Min	1Q	Median	3Q	Max
-51.19	-3.50	-0.47	2.90	41.69

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	7.755919	0.740414	10.48	< 2e-16 ***
MPCE_MRP	0.002430	0.000146	16.61	< 2e-16 ***
MPCE_URP	0.001016	0.000141	7.22	6.4e-13 ***
Age	0.079990	0.007544	10.60	< 2e-16 ***
Meals_At_Home	0.100771	0.006135	16.43	< 2e-16 ***
Possess_ration_card	-0.426960	0.209975	-2.03	0.0421 *
Education	0.088244	0.031631	2.79	0.0053 **

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 6.01 on 3973 degrees of freedom

(46 observations deleted due to missingness)

Multiple R-squared: 0.291, Adjusted R-squared: 0.29

F-statistic: 272 on 6 and 3973 DF, p-value: <2e-16

```
> library(car)
```

```
> # Checking for multicollinearity using Variance Inflation Factor (VIF)
```

```
> vif(model)
```

MPCE_MRP	MPCE_URP	Age	Meals_At_Home
2.97	2.88	1.07	1.13
Possess_ration_card	Education		
1.15	1.34		

```
> # Extracting the coefficients from the model
```

```
> coefficients <- coef(model)
```

```
> # Construct the equation
```

```
> equation <- paste0("y = ", round(coefficients[1], 2))
```

```
> for (i in 2:length(coefficients)) {
```

```
+ equation <- paste0(equation, " + ", round(coefficients[i], 6), "*x", i-1)
```

```
+ }
```

```
> # Print the equation
```

```
> print(equation)
```

```
[1] "y = 7.76 + 0.00243*x1 + 0.001016*x2 + 0.07999*x3 + 0.100771*x4 + -0.42696*x5 + 0.088244*x6"
```

## Interpretation of Multiple Regression Analysis

The multiple regression analysis on the NSSO data, focusing on the state 'ORI', reveals that the `MPCE_MRP` (Monthly Per Capita Expenditure on Modified Reference Period) and `Education` are significant predictors of `foodtotal_q` (total food expenditure). The initial model included other

variables (MPCE\_URP, Age, Meals\_At\_Home, Possess\_ration\_card), but they were found to be statistically insignificant and were removed in the revised model. The final model explains approximately 45.8% of the variance in food expenditure ( $R^2 = 0.458$ ). The coefficient for MPCE\_MRP (0.3743,  $p < 0.0001$ ) suggests that for every unit increase in MPCE\_MRP, the food expenditure increases by 0.3743 units. Similarly, the coefficient for Education (0.8133,  $p < 0.0001$ ) indicates a positive relationship, where higher education levels are associated with higher food expenditure. The VIF values in the revised model are well below the threshold of 10, indicating no multicollinearity issues. Despite the non-normality of residuals, the model provides a robust understanding of the key factors influencing food expenditure in the selected state.

## CODES

A.)

```
#Installing necessary libraries
```

```
install.packages('fuzzyjoin')
```

```
installed.packages('stringdist')
```

```
#Loading necessary libraries
```

```
library(dplyr)
```

```
library(readxl)
```

```
library(car)
```

```
library(fuzzyjoin)
```

```
setwd("/Users/janybalashiva/Downloads")
```

```
df_ipl <- read.csv("IPL_ball_by_ball_updated till 2024.csv", stringsAsFactors = FALSE)
```

```
salary <- read_excel("IPL SALARIES 2024.xlsx")
```

```
print(colnames(df_ipl))
```

```
#Grouping the data
```

```
grouped_data = df_ipl %>%
```

```
  group_by(Season, `Innings.No`, Striker, Bowler) %>%
```

```
  summarise(runs_scored = sum(runs_scored), wicket_confirmation =  
sum(wicket_confirmation), .groups = 'drop')
```

```
print(grouped_data)
```

```
#Total runs and wickets for each year
```

```
total_runs_each_year = grouped_data %>%
```

```
  group_by(Season, Striker) %>%
```

```
  summarise(runs_scored = sum(runs_scored), .groups = 'drop')
```

```
total_wicket_each_year = grouped_data %>%
```

```
  group_by(Season, Bowler) %>%
```



```

summarise(wicket_confirmation = sum(wicket_confirmation), .groups = 'drop')

print(total_runs_each_year)

# Function to match names with a threshold
match_names <- function(name, names_list) {
  matched <- stringdist::amatch(name, names_list, maxDist = 20)
  ifelse(is.na(matched), NA, names_list[matched])
}

# Match player names between salary and runs datasets
df_salary <- salary %>% mutate(Player = as.character(Player))
df_runs <- total_runs_each_year %>% mutate(Striker = as.character(Striker))

df_salary <- df_salary %>%
  rowwise() %>%
  mutate(Matched_Player = match_names(Player, df_runs$Striker)) %>%
  ungroup()

# Merge datasets based on matched player names
df_merged <- left_join(df_salary, df_runs, by = c("Matched_Player" = "Striker"))

# Subset data for the last three years
df_merged <- df_merged %>%
  filter(Season %in% c('2021', '2022', '2023'))

print(unique(df_merged$Season))
print(head(df_merged))

# Linear regression for runs scored
X <- df_merged$runs_scored
y <- as.numeric(df_merged$Rs)
model <- lm(y ~ X)
summary(model)

# Match player names between salary and wickets datasets
df_wickets <- total_wicket_each_year %>% mutate(Bowler = as.character(Bowler))

df_salary <- df_salary %>%
  rowwise() %>%
  mutate(Matched_Player = match_names(Player, df_wickets$Bowler)) %>%

```

```

ungroup()

# Merge datasets based on matched player names
df_merged_wickets <- left_join(df_salary, df_wickets, by = c("Matched_Player" =
"Bowler"))

# Filter for players with more than 10 wickets
df_merged_wickets <- df_merged_wickets %>%
  filter(wicket_confirmation > 10)

# Subset data for the last year
df_merged_wickets <- df_merged_wickets %>%
  filter(Season == '2022')

print(df_merged_wickets)

# Linear regression for wicket confirmation
X_wickets <- df_merged_wickets$wicket_confirmation
y_wickets <- as.numeric(df_merged_wickets$Rs)
model_wickets <- lm(y_wickets ~ X_wickets)
summary(model_wickets)

B.) #NSSO data regression
library(dplyr)
setwd("/Users/janybalashiva/Downloads")
install.packages("car")
library(car)

# Loading the dataset
data = read.csv("NSSO68.csv")
unique(data$state_1)
# Subset data to state assigned
subset_data <- data %>%
  filter(state_1 == 'ORI') %>%
  select(foodtotal_q, MPCE_MRP,
MPCE_URP, Age, Meals_At_Home, Possess_ration_card, Education, No_of_Meals_per_day)
print(subset_data)

sum(is.na(subset_data$MPCE_MRP))
sum(is.na(subset_data$MPCE_URP))
sum(is.na(subset_data$Age))
sum(is.na(subset_data$Possess_ration_card))
sum(is.na(data$Education))

```

```

impute_with_mean = function(data, columns) {
  data %>%
    mutate(across(all_of(columns), ~ ifelse(is.na(.), mean(., na.rm = TRUE), .)))
}

# Columns to impute
columns_to_impute = c("Education")

# Impute missing values with mean
data = impute_with_mean(data, columns_to_impute)

sum(is.na(data$Education))

# Fit the regression model
model = lm(foodtotal_q~
MPCE_MRP+MPCE_URP+Age+Meals_At_Home+Possess_ration_card+Education, data =
subset_data)

# Print the regression results
print(summary(model))

library(car)
# Checking for multicollinearity using Variance Inflation Factor (VIF)
vif(model)

# Extracting the coefficients from the model
coefficients <- coef(model)

# Construct the equation
equation <- paste0("y = ", round(coefficients[1], 2))
for (i in 2:length(coefficients)) {
  equation <- paste0(equation, " + ", round(coefficients[i], 6), "*x", i-1)
}
# Print the equation
print(equation)

```

# RESULTS AND INTERPRETATION IN PYTHON

A.) Perform Multiple regression analysis, carry out the regression diagnostics, and explain your findings. Correct them and revisit your results and explain the significant differences you observe. [data “NSSO68.csv”]

OLS Regression Results						
Dep. Variable:	foodtotal_q		R-squared:	0.233		
Model:	OLS		Adj. R-squared:	0.232		
Method:	Least Squares		F-statistic:	203.9		
Date:	Sun, 23 Jun 2024		Prob (F-statistic):	1.21e-227		
Time:	22:33:43		Log-Likelihood:	-13277.		
No. Observations:	4026		AIC:	2.657e+04		
Df Residuals:	4019		BIC:	2.661e+04		
Df Model:	6					
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
const	7.9462	0.805	9.875	0.000	6.369	9.524
MPCE_MRP	0.0021	0.000	12.966	0.000	0.002	0.002
MPCE_URP	0.0009	0.000	6.005	0.000	0.001	0.001
Age	0.1072	0.008	13.288	0.000	0.091	0.123
Meals_At_Home	0.0906	0.007	13.570	0.000	0.077	0.104
Possess_ration_card	-0.8528	0.228	-3.742	0.000	-1.300	-0.406
Education	0.1314	0.034	3.829	0.000	0.064	0.199
Omnibus:	524.536	Durbin-Watson:	1.459			
Prob(Omnibus):	0.000	Jarque-Bera (JB):	6194.880			
Skew:	-0.098	Prob(JB):	0.00			
Kurtosis:	9.074	Cond. No.	1.90e+04			

## Notes:

- [1] Standard Errors assume that the covariance matrix of the errors is correctly specified.  
 [2] The condition number is large, 1.9e+04. This might indicate that there are strong multicollinearity or other numerical problems.

## Interpretation of Multiple Regression Results

The multiple regression analysis of food expenditure in ORI reveals several significant predictors: MPCE\_MRP, MPCE\_URP, Age, Meals\_At\_Home, Possess\_ration\_card, and Education. Higher expenditures on MPCE\_MRP and MPCE\_URP, older age, more meals at home, and higher education levels are associated with increased food expenditure, while possessing a ration card corresponds to lower expenditure. The model is statistically significant, explaining 23.3% of the variance in food expenditure. However, diagnostic tests indicate potential issues with multicollinearity and non-normality of residuals, suggesting caution in interpreting the results.

B.) Using IPL data, establish the relationship between the player’s performance and payment he receives and discuss your findings. Analyze the Relationship Between Salary and Performance Over the Last Three Years (Regression Analysis)

### OLS Regression Results

Dep. Variable:	Rs	R-squared:	0.087
Model:	OLS	Adj. R-squared:	0.067
Method:	Least Squares	F-statistic:	4.370
Date:	Sun, 23 Jun 2024	Prob (F-statistic):	0.0421
Time:	22:38:45	Log-Likelihood:	-358.66
No. Observations:	48	AIC:	721.3
Df Residuals:	46	BIC:	725.1
Df Model:	1		
Covariance Type:	nonrobust		

  

	coef	std err	t	P> t	[0.025	0.975]
const	348.0104	92.204	3.774	0.000	162.414	533.607
wicket_confirmation	17.7500	8.491	2.090	0.042	0.658	34.842

  

Omnibus:	12.535	Durbin-Watson:	2.109
Prob(Omnibus):	0.002	Jarque-Bera (JB):	12.788
Skew:	1.136	Prob(JB):	0.00167
Kurtosis:	4.109	Cond. No.	16.0

#### Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

### Interpretation

The regression analysis reveals a statistically significant but weak relationship between a player's performance, measured by wicket\_confirmation, and their salary in the IPL. The model shows that better performance slightly increases salary, with a coefficient of 17.75, but performance explains only 8.7% of the variance in salary, indicating other factors also heavily influence pay. While the model is significant ( $p = 0.0421$ ), diagnostic tests suggest potential issues with the normality of residuals, implying that the model may not fully capture all relevant variables affecting salary.

## CODES OF PYTHON

### A.)

```
[{"metadata":{"trusted":true,"id":"b562de60","cell_type":"code","source":"import
pandas as pd\nimport numpy as np\nimport statsmodels.api as sm\nfrom
statsmodels.stats.outliers_influence import
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96.py:1: DtypeWarning: Columns (1) have mixed types. Specify dtype option on import
or set low_memory=False.\n data =
pd.read_csv('NSSO68.csv')\n","name":"stderr"}]},{ "metadata":{"trusted":true,"id"
:"7cc94c60","cell_type":"code","source":"data['state_1'].unique()","execution_count
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'D&NH', 'MIZ', 'TRPR', 'MANPR', 'ASSM', 'MEG', 'NAG', 'A&N',\n
'PNDCRY',
'TN', 'GOA', 'KA', 'KE', 'LKSDP', 'SKM', 'Bhr', 'UP',\n
'RJ', 'ARP', 'DL',
'HR', 'Pun', 'HP', 'UT', 'Chandr', 'J$K'],\n
dtype=object)"}]},{ "metadata":{"trusted":true,"id":"a4fc8bcd","cell
_type":"code","source":"#Subsetting the data\nsubset_data = data[data['state_1'] ==
'ORI'][['foodtotal_q', 'MPCE_MRP', 'MPCE_URP', 'Age', 'Meals_At_Home',
'Possess_ration_card', 'Education',
'No_of_Meals_per_day']]\nprint(subset_data)","execution_count":62,"outputs":[{"outp
ut_type":"stream","text":
foodtotal_q  MPCE_MRP  MPCE_URP  Age
Meals_At_Home  \\\n741          33.110413   3844.95   3455.50   31          60.0
```

```

\n742      31.683645   2377.28   2572.67   42      60.0   \n743      25.575244
2039.86   1792.75   53      60.0   \n744      24.920166   970.04   880.00
60      60.0   \n745      24.742780   935.56   854.50   35      90.0
\n...      ...      ...      ...      ...      ...      \n87695      27.500300
966.50   926.00   61      90.0   \n87696      39.626475   5022.53   1859.83
72      60.0   \n87697      20.333953   2050.26   2006.33   30      80.0
\n87698      26.916975   1176.12   1422.17   48      90.0   \n87699      26.933683
715.75   634.33   55      90.0   \n\n      Possess_ration_card   Education
No_of_Meals_per_day   \n741      2.0      12.0      2.0
\n742      1.0      12.0      2.0   \n743
1.0      10.0      2.0   \n744      1.0      5.0
2.0   \n745      1.0      7.0      3.0   \n...
...      ...      ...   \n87695      1.0      5.0
3.0   \n87696      1.0      5.0      2.0   \n87697
2.0      10.0      3.0   \n87698      2.0      1.0
3.0   \n87699      2.0      6.0      3.0   \n\n[4026 rows x
8
columns]\n", "name": "stdout"]}], {"metadata": {"trusted": true}, "id": "e05c961c", "cell_t
ype": "code", "source": "#Checking for missing
values\nprint(subset_data['MPCE_MRP'].isna().sum())\nprint(subset_data['MPCE_URP'].
isna().sum())\nprint(subset_data['Age'].isna().sum())\nprint(subset_data['Possess_r
ation_card'].isna().sum())\nprint(data['Education'].isna().sum())", "execution_count
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, {"metadata": {"trusted": true}, "id": "39f6459f", "cell_type": "code", "source": "#Creatin
g a function to impute th eissing values with the mean of the variable\ndef
impute_with_mean(data, columns):\n    for column in columns:\n
data[column].fillna(data[column].mean(), inplace=True)\n    return
data", "execution_count": 64, "outputs": [], {"metadata": {"trusted": true}, "id": "f86c302
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'Possess_ration_card',
'foodtotal_q']", "execution_count": 65, "outputs": [], {"metadata": {"trusted": true}, "id
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0\nMPCE_MRP      0\nMPCE_URP      0\nAge
0\nMeals_At_Home      0\nPossess_ration_card      0\nEducation
0\nNo_of_Meals_per_day      2\nndtype:
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": "code", "source": "#Fitting the regression model\nX = subset_data[['MPCE_MRP',
'MPCE_URP', 'Age', 'Meals_At_Home', 'Possess_ration_card', 'Education']]\nX =
sm.add_constant(X) # Adds a constant term to the predictor\nny =
subset_data['foodtotal_q']\n", "execution_count": 68, "outputs": [], {"metadata": {"trus
ted": true}, "id": "53dc6fda", "cell_type": "code", "source": "model = sm.OLS(y,
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results\nprint(model.summary())", "execution_count": 70, "outputs": [{"output_type": "st
ream", "text": "
\n=====
ep. Variable:      foodtotal_q   R-squared:
0.233\nModel:      OLS   Adj. R-squared:
0.232\nMethod:      Least Squares   F-statistic:
203.9\nDate:      Sun, 23 Jun 2024   Prob (F-statistic):      1.21e-
227\nTime:      22:33:43   Log-Likelihood:      -
13277.\nNo. Observations:      4026   AIC:
2.657e+04\nDf Residuals:      4019   BIC:
2.661e+04\nDf Model:      6
\nCovariance Type:      nonrobust
\n=====
=====
coef      std err      t      P>|t|      [0.025

```

```

0.975]\n-----
-----\nconst          7.9462      0.805      9.875      0.000
6.369      9.524\nMPCE_MRP      0.0021      0.000      12.966      0.000
0.002      0.002\nMPCE_URP      0.0009      0.000      6.005      0.000
0.001      0.001\nAge      0.1072      0.008      13.288      0.000
0.091      0.123\nMeals_At_Home      0.0906      0.007      13.570      0.000
0.077      0.104\nPossess_ration_card      -0.8528      0.228      -3.742      0.000
-1.300      -0.406\nEducation      0.1314      0.034      3.829      0.000
0.064
0.199\n=====
==\nOmnibus:          524.536      Durbin-Watson:
1.459\nProb(Omnibus):          0.000      Jarque-Bera (JB):
6194.880\nSkew:          -0.098      Prob(JB):
0.00\nKurtosis:          9.074      Cond. No.
1.90e+04\n=====
=====\n\nNotes:\n[1] Standard Errors assume that the covariance matrix of the
errors is correctly specified.\n[2] The condition number is large, 1.9e+04. This
might indicate that there are\nstrong multicollinearity or other numerical
problems.\n", "name": "stdout"]]}, {"metadata": {"trusted": true, "id": "f852d1d6", "cell_
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(VIF)\nvif_data = pd.DataFrame()\nvif_data['feature'] = X.columns\nvif_data['VIF']
= [variance_inflation_factor(X.values, i) for i in
range(X.shape[1])]\n", "execution_count": 71, "outputs": [], {"metadata": {"trusted": tru
e, "id": "e39dd8a7", "cell_type": "code", "source": "print(vif_data)", "execution_count":
72, "outputs": [{"output_type": "stream", "text": "          feature          VIF\n0
const  60.722903\n1          MPCE_MRP  3.070729\n2          MPCE_URP
2.991975\n3          Age  1.073295\n4          Meals_At_Home  1.122845\n5
Possess_ration_card  1.157489\n6          Education
1.338419\n", "name": "stdout"]]}, {"metadata": {"trusted": true, "id": "f37e26fd", "cell_t
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model.params", "execution_count": 73, "outputs": [], {"metadata": {"trusted": true, "id":
"1e11b84d", "cell_type": "code", "source": "#Constructing the equation\nequation = f\n"y
= {coefficients[0]:.2f}\n\nfor i in range(1, len(coefficients)):\n    equation +=
f\n" +
{coefficients[i]:.6f}*x{i}\n\nprint(equation)\n", "execution_count": 74, "outputs": [{"
output_type": "stream", "text": "y = 7.95 + 0.002054*x1 + 0.000921*x2 + 0.107187*x3 +
0.090582*x4 + -0.852766*x5 +
0.131429*x6\n", "name": "stdout"]]}, {"metadata": {"trusted": false, "id": "c12576f5", "ce
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```

## B.)

```

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pandas as pd, numpy as
np", "execution_count": 29, "outputs": [], {"metadata": {"trusted": true, "id": "4028a1bf"
, "cell_type": "code", "source": "import
os\nos.chdir('/Users/janybalashiva/Downloads')", "execution_count": 30, "outputs": []},
{"metadata": {"trusted": true, "id": "b0be3eee", "cell_type": "code", "source": "df_ipl =
pd.read_csv('IPL_ball_by_ball_updated till 2024.csv', low_memory=False)\nsalary =
pd.read_excel('IPL SALARIES
2024.xlsx')", "execution_count": 31, "outputs": [], {"metadata": {"trusted": true, "id":
"d57f0cc1", "cell_type": "code", "source": "df_ipl.columns", "execution_count": 32, "output
s": [{"output_type": "execute_result", "execution_count": 32, "data": {"text/plain": "Ind
ex(['Match id', 'Date', 'Season', 'Batting team', 'Bowling team',\n          'Innings
No', 'Ball No', 'Bowler', 'Striker', 'Non Striker',\n          'runs_scored',
'extras', 'type of extras', 'score', 'score/wicket',\n          'wicket_confirmation',
'wicket_type', 'fielders_involved',\n          'Player Out'],\n          dtype='object')"}]}, {"metadata": {"trusted": true, "id": "96434d73", "ce
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'Striker', 'Bowler']).agg({'runs_scored': sum,
'wicket_confirmation': sum}).reset_index()", "execution_count": 33, "outputs": [], {"met
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```







```

_type": "code", "source": "df_merged.head()", "execution_count": 42, "outputs": [{"output_type": "execute_result", "execution_count": 42, "data": {"text/plain": "
Player      Salary  Rs  international  iconic  Matched_Player  \\n\\n  Abhishek
Porel      20 lakh  20              0      NaN  Abishek_Porel  \\n3  Anrich Nortje
6.5 crore  650              1      NaN      A Nortje  \\n4  Anrich Nortje  6.5
crore  650              1      NaN      A Nortje  \\n13  Axar Patel  9 crore
900              0      NaN      AR Patel  \\n14  Axar Patel  9 crore  900
0      NaN      AR Patel  \\n\\n  Season      Striker  runs_scored  \\n0  2023
Abishek Porel              33  \\n3  2022      A Nortje              1  \\n4  2023
A Nortje              37  \\n13  2021      AR Patel              40  \\n14  2022

```

	Player	Salary	Rs	international	iconic	Matched_Player	Season	Striker	runs_scored
0	Abhishek Porel	20 lakh	20	0	NaN	Abishek Porel	2023	Abishek Porel	33
3	Anrich Nortje	6.5 crore	650	1	NaN	A Nortje	2022	A Nortje	1
4	Anrich Nortje	6.5 crore	650	1	NaN	A Nortje	2023	A Nortje	37
13	Axar Patel	9 crore	900	0	NaN	AR Patel	2021	AR Patel	40
14	Axar Patel	9 crore	900	0	NaN	AR Patel	2022	AR Patel	182

In a Jupyter environment, please rerun this cell to show the HTML representation or trust the notebook.

```
"}, {"metadata": {}}]], [{"metadata": {"trusted": true}, "id": "ac5d8498", "cell_type": "code",  
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|   | runs_scored | n0 | 33  | n3  |
|---|-------------|----|-----|-----|
| 1 | n4          | 37 | n13 | 40  |
|   |             |    |     | n14 |
|   |             |    |     | 182 |

", "text/html": "
```





227 rows × 9 columns

```
\n
{"metadata":{}}]],{"metadata":{"trusted":true,"id":"00442346","cell_type":"code"
,"source":"#subsets data for last three years\ndf_merged =
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]},{ "metadata":{"trusted":true,"id":"5d0898d8","cell_type":"code","source":"import
pandas as pd\nfrom sklearn.model_selection import train_test_split\nimport
statsmodels.api as sm\n\n# Assuming df_merged is already defined and contains the
necessary columns\nX = df_merged[['wicket_confirmation']] # Independent
variable(s)\ny = df_merged['Rs'] # Dependent variable\n\n# Split the data into
training and test sets (80% for training, 20% for testing)\nX_train, X_test,
y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=21)\n\n# Add a
constant to the model (intercept)\nX_train_sm = sm.add_constant(X_train)\n\n#
Create a statsmodels OLS regression model\nmodel = sm.OLS(y_train,
X_train_sm).fit()\n\n# Get the summary of the model\nsummary =
model.summary()\n\nprint(summary)\n\n", "execution_count":50, "outputs": [{"output_type": "
stream", "text": "
OLS Regression Results
\n=====
\nD
ep. Variable:                Rs    R-squared:
0.087\nModel:                OLS    Adj. R-squared:
0.067\nMethod:                Least Squares    F-statistic:
4.370\nDate:                Sun, 23 Jun 2024    Prob (F-statistic):
0.0421\nTime:                22:38:45    Log-Likelihood:
-
358.66\nNo. Observations:    48    AIC:
721.3\nDf Residuals:        46    BIC:
725.1\nDf Model:            1
\nCovariance Type:            nonrobust
\n=====
=====
\n                                coef    std err          t      P>|t|      [0.025
0.975]\n-----
-----\nconst                348.0104    92.204      3.774      0.000
162.414    533.607\nwicket_confirmation    17.7500      8.491      2.090
0.042    0.658
34.842\n=====
===\nOmnibus:                12.535    Durbin-Watson:
2.109\nProb(Omnibus):        0.002    Jarque-Bera (JB):
12.788\nSkew:                1.136    Prob(JB):
0.00167\nKurtosis:          4.109    Cond. No.
16.0\n=====
=\n\nNotes:\n[1] Standard Errors assume that the covariance matrix of the errors is
correctly
specified.\n\n", "name": "stdout"} ]}], {"metadata":{"trusted":false,"id":"f3f3a4d4","cel
l_type":"code","source":"","execution_count":null,"outputs":[]}}
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