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Josh O

```
----- HW2 - Josh Oates -----
```

4.15

```
-----P4.15-----
My calculations have the following results:
Velocity in Perifocal Frame [km/s]:
        0
          12.2156
Position in Perifocal Frame [km]:
       6678
Velocity in ECI Frame [km/s]:
  -10.3559 -5.7627
                     2.9611
Velocity in Perifocal Frame [km]:
  1.0e+03 *
  -1.9838
           5.3488
                      3.4715
H/C: norms of r and v in either frame should be equal:
Norm veci: 12.2156 Norm vp: 12.2156
Norm reci: 6678 Norm rp: 6678
```

5.6

-4.8864 6.0226 3.0479

V2 in km/s:

-6.9168 1.2549 -1.3988

H/C: We should be using the short side and theta1 < theta2 so this makes sense

6.8

-----P6.8-----

My calculations have the following results:

dv [km/s]: 1.1977

transit time [s]: 59.6542

H/C: transfer time is halff of the tranfer period. This period makes sense for something LEO MEOish.

6.23

-----P6.23-----

My calculations have the following results:

dv [km/s]: 3.4054

H/C: The orbital period used in the calculation makes sense for a MEO orbit.

6.25

Warning: joshCOE will assume that R and V are normal if the inputs are scalar ie: the craft is in a circular orbit or is at periapse or apoapse

-----P6.25-----

My calculations have the following results:

Delta gamma [degrees]: -8.1813

Delta v [km/s]: 0.91545

 ${\it H/C:}$ We would imagine a moderate delta v for a manuver like this. This seems to make sense for a small apseline rotation.

6.31

on paper

6.44

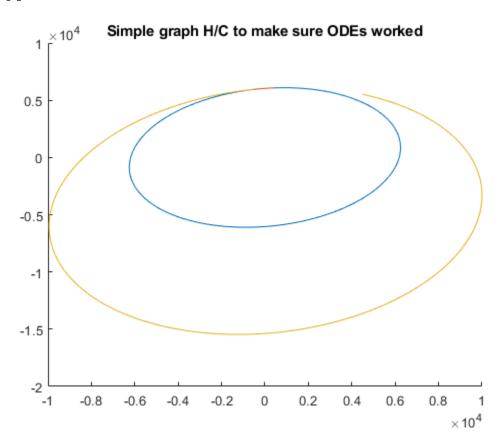
-----P6.44-----

My calculations have the following results:

- A) dv [km/s]: 2.7927
- B) dv [km/s]: 2.6951
- C) dv [km/s]: 2.7835

H/C: We would expect the lowest delta v to be a combined manuver at a greater altitude, this way there is less velocity to change so to speak and a small dv will create a larger inc change.

6.47



dependancies

```
My code uses the following functions:
    {'C:\AERO351\A351HW3\HW3.m'}
    {'C:\joshFunctionsMatlab\joshAnomalyCalculator.m'}
    {'C:\joshFunctionsMatlab\joshAxisRotation.m'}
    {'C:\joshFunctionsMatlab\joshCOE.m'}
    {'C:\joshFunctionsMatlab\joshHomann.m'}
    {'C:\joshFunctionsMatlab\joshIsOnes.m'}
    {'C:\joshFunctionsMatlab\joshLawCos.m'}
    {'C:\joshFunctionsMatlab\joshStumpffCoeffs.m'}
    {'C:\joshFunctionsMatlab\joshStumpffCoeffs.m'}
    {'C:\joshFunctionsMatlab\joshStumpffZ.m'}
    {'C:\joshFunctionsMatlab\joshStumpffZ.m'}
    {'C:\joshFunctionsMatlab\joshStumpffZ.m'}
}
```

functions

 ${\it H/C:}$ the time to get to apogee seems to be within range for 2ish orbits in LEO which is what the included graph seems to predict.

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