CEL459: River Mechanics Minor II

Time: 1 Hour Marks: 20

Assume suitably if some data are missing. Solve the following:

Q.1 (a) Define the bed load and draw different bed forms.

[3]

(b) Derive the following expression for multisized particulate flow through open channel:

$$G_{j} = \frac{v_{j}}{\left[1 - e^{-K_{j}H}\right]} H K_{j}$$

The notations have their usual meaning

[3]

Q.2 Find out the concentration of solids at 8 cm above bottom in an open channel using the following data: Flow depth = 20 cm; Flow velocity = 2.0 m/s; Bed slope = 0.001; Channel width = 20 cm; Solids specific gravity = 2.65 (sand). Carrier fluid is water. Solids size consist:

Mean diameter (cm)	Percent by weight	Fall velocity w _{jo} (m/s)
0.00400	40	0.0065
0.00100	20	0.0025
0.00020	40	0.001

Slurry concentration = 10 % by volume; Static settled concentration = 50% by volume.

[6]

[5]

Q.3 Using Meyer-Peter equation, determine the bed slope of a wide alluvial channel from the following data:

Discharge = $40 \text{ m}^3/\text{s}$

Bed load concentration = 0.05 % by volume

 $d_{50} = 0.35 \text{ mm}$

Specific gravity of grains = 2.65

Manning's n = 0.0225

Width of the channel = 30 m.

Also, compute the sediment concentration at 2 cm above channel bottom using fall velocity $w_0 = 0.05$ m/s, $\beta = 1$, k = 0.4 and $\nu = 1.01 \times 10^{-6}$ m²/s. [3]

Q.4 Determine the bed form geometry and its classification for an alluvial river flow depth of 2.5 m, bed slope of 7.0 cm/km, average flow velocity 0.95 m/s, sediment sizes $d_{50} = 0.3$

mm and $d_{90} = 1.5$ mm. Also determine the bed form shear stress (τ_o ").

$$\tau_c = 0.155 + \frac{0.409 d_{50}^2}{\sqrt{1 + 0.177 d_{50}^2}} N/m^2; d_{50}(mm).$$

$$g_b = 0.417(\tau_0' - \tau_c)^{3/2}; \quad C_{2d} = \frac{q_b}{23.2V^* d_{50}}; \qquad \frac{C}{C_a} = \left[\frac{a(H - y)}{y(H - a)}\right]^{\frac{w_0}{\beta \kappa V_*}}$$

$$\frac{\Delta}{H} = 0.11 \left(\frac{d_{50}}{H}\right)^{0.3} (1 - e^{-0.5T})(25 - T); \quad \mathbf{x} = 73H;$$

$$T = \frac{\tau_o}{\tau_c} - 1;$$
 $K_s = 3d_{90} + 1.1\Delta(1 - e^{-25\Delta/x})$;

$$n = \frac{1}{C}R^{1/6}$$

 $d* \leq 10 \& T \leq 3$: Ripples;

 $T \le 15$: Dunes;

T= 15 to 25: Wash out dunes or transition T is more than 25: Upper regime

$$\varepsilon_l = 0.4 \,\mathrm{u} * y (1 - \frac{y}{H}) \text{ for } 0 \le \frac{y}{H} \le 0.5$$

$$\beta = 1.0 + 0.125 \,\mathrm{e}^{4.22 \,\mathrm{Cy}/\mathrm{C}_{VSS}}$$

$$n' = \frac{1}{24} d_{50}^{1/6}$$
; d_{50} is in m

$$\frac{C}{C_a} = \left[\frac{a(H-y)}{y(H-a)}\right]^{\frac{w_0}{\beta \kappa V_*}}$$

$$d_* = d_{50} \left[\frac{(G-1)g}{v^2} \right]^{1/3}$$

$$C = \sqrt{\frac{8g}{f}} = 5.75 \sqrt{g} \log_{10} \left(\frac{12R}{K} \right)$$

$$\varepsilon_1 = 0.1 \,\mathrm{Hu}* \,\mathrm{for} \,\,0.5 \leq \frac{\mathrm{y}}{\mathrm{H}} \leq 1.0$$