

class09

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Today we will examine data from 538 on common halloween candy. In particular we will use ggplot,

```
url <- "https://raw.githubusercontent.com/fivethirtyeight/data/master/candy-power-ranking/candy.csv"
candy <- read.csv(url, row.names = 1)
head(candy)
```

	chocolate	fruity	caramel	peanutyalmondy	nougat	crispedricewafer
100 Grand	1	0	1	0	0	1
3 Musketeers	1	0	0	0	1	0
One dime	0	0	0	0	0	0
One quarter	0	0	0	0	0	0
Air Heads	0	1	0	0	0	0
Almond Joy	1	0	0	1	0	0
	hard	bar	pluribus	sugarpercent	pricepercent	winpercent
100 Grand	0	1	0	0.732	0.860	66.97173
3 Musketeers	0	1	0	0.604	0.511	67.60294
One dime	0	0	0	0.011	0.116	32.26109
One quarter	0	0	0	0.011	0.511	46.11650
Air Heads	0	0	0	0.906	0.511	52.34146
Almond Joy	0	1	0	0.465	0.767	50.34755

Q1. How many different candy types are in this dataset?

```
ncol(candy)
```

```
[1] 12
```

Q2. How many fruity candy types are in the dataset?

```
sum(candy$fruity)
```

```
[1] 38
```

How many chocolate candies are there

```
sum(candy$chocolate)
```

```
[1] 37
```

Q3. What is your favorite candy in the dataset and what is its winpercent value?

```
candy["M&M's", "winpercent"]
```

```
[1] 66.57458
```

```
candy["M&M's",]$winpercent
```

```
[1] 66.57458
```

Q4. What is the winpercent value for “Kit Kat”?

```
candy["Kit Kat",]$winpercent
```

```
[1] 76.7686
```

Q5. What is the winpercent value for “Tootsie Roll Snack Bars”?

```
candy["Tootsie Roll Snack Bars",]$winpercent
```

```
[1] 49.6535
```

```
library("skimr")
skim(candy)
```

Table 1: Data summary

Name	candy
Number of rows	85
Number of columns	12
Column type frequency:	
numeric	12
Group variables	None

Variable type: numeric

skim_variable	n_missing	complete	ratio	mean	sd	p0	p25	p50	p75	p100	hist
chocolate	0	1	0.44	0.50	0.00	0.00	0.00	0.00	1.00	1.00	
fruity	0	1	0.45	0.50	0.00	0.00	0.00	0.00	1.00	1.00	
caramel	0	1	0.16	0.37	0.00	0.00	0.00	0.00	0.00	1.00	
peanutyalmondy	0	1	0.16	0.37	0.00	0.00	0.00	0.00	0.00	1.00	
nougat	0	1	0.08	0.28	0.00	0.00	0.00	0.00	0.00	1.00	
crispedricewafer	0	1	0.08	0.28	0.00	0.00	0.00	0.00	0.00	1.00	
hard	0	1	0.18	0.38	0.00	0.00	0.00	0.00	0.00	1.00	
bar	0	1	0.25	0.43	0.00	0.00	0.00	0.00	0.00	1.00	
pluribus	0	1	0.52	0.50	0.00	0.00	1.00	1.00	1.00	1.00	
sugarpercent	0	1	0.48	0.28	0.01	0.22	0.47	0.73	0.99		
pricepercent	0	1	0.47	0.29	0.01	0.26	0.47	0.65	0.98		
winpercent	0	1	50.32	14.71	22.45	39.14	47.83	59.86	84.18		

Q6. Is there any variable/column that looks to be on a different scale to the majority of the other columns in the dataset?

N.B. The `winpercent` variable is on a different scale (about a 100x magnitude/ 1-100% versus 0-1). We will most likely need to scale the data if we plan to do PCA.

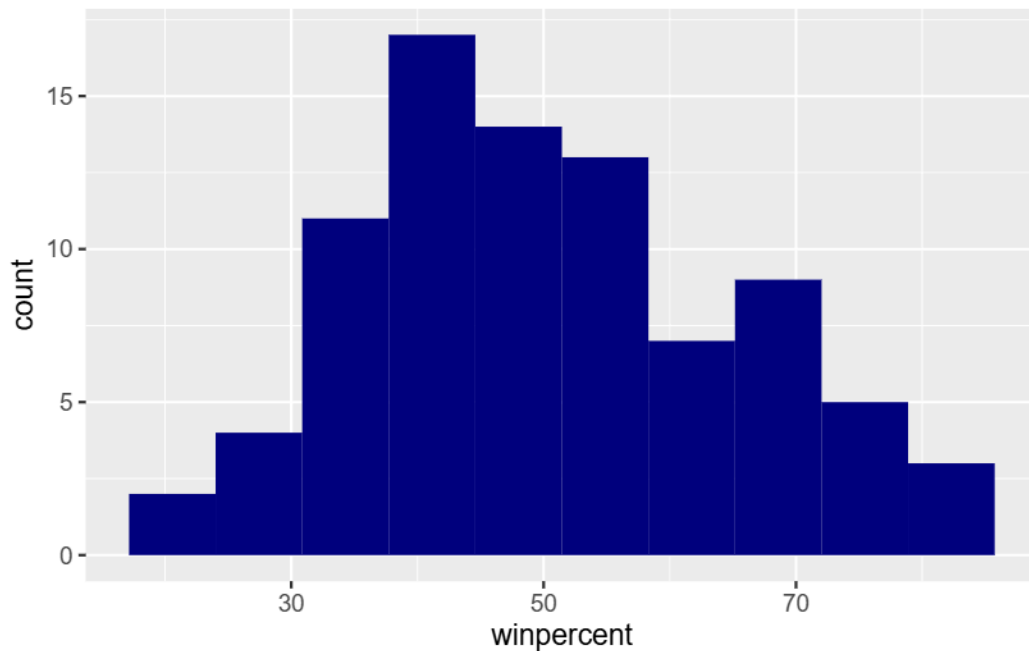
Q7. What do you think a zero and one represent for the `candy$chocolate` column?

the 0s are not chocolate while the 1s are chocolate

Q8. Plot a histogram of `winpercent` values

```
library(ggplot2)

ggplot(candy) +
  aes(winpercent) +
  geom_histogram(bins = 10, fill = "navy")
```



Q9. Is the distribution of winpercent values symmetrical?

No

Q10. Is the center of the distribution above or below 50%?

```
summary(candy$winpercent)
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
22.45	39.14	47.83	50.32	59.86	84.18

mean is above 50 but median is below 50 at 47.83. The center of the distribution is more so the median so, no the center is not above 50.

Q11. On average is chocolate candy higher or lower ranked than fruit candy?

-step one: find all “chocolate” candy -step two: find their “winpercent” values -step three: summarize these values -step four: find all “fruit” candy -step five: find their “winpercent” values -step six: summarize these values -step seven: compare summarized points

1. Find all chocolate candy

```
choc.inds <- candy$chocolate == 1
```

2. Find their “winpercent” values

```
choc.win <- candy[choc.inds,]$winpercent
```

3. Summarize these values

```
choc.mean <- mean(choc.win)
choc.median <- median(choc.win)

choc.mean
```

```
[1] 60.92153
```

```
choc.median
```

```
[1] 60.8007
```

4. Find all fruit candy

```
fruit.inds <- candy$fruity == 1
```

5. Find their “winpercent”

```
fruit.win <- candy[fruit.inds,]$winpercent
```

6. Summarize these values

```
fruit.mean <- mean(fruit.win)
fruit.median <- median(fruit.win)

fruit.mean
```

```
[1] 44.11974
```

```
fruit.median
```

```
[1] 42.96903
```

7. Compare

```
choc.mean
```

```
[1] 60.92153
```

```
fruit.mean
```

```
[1] 44.11974
```

```
choc.median
```

```
[1] 60.8007
```

```
fruit.median
```

```
[1] 42.96903
```

On average, across both mean and median, Chocolate had a higher winpercent

Q12. Is this difference statistically significant?

```
t.test(choc.win, fruit.win)
```

Welch Two Sample t-test

```
data:  choc.win and fruit.win
t = 6.2582, df = 68.882, p-value = 2.871e-08
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 11.44563 22.15795
sample estimates:
mean of x mean of y
 60.92153  44.11974
```

Yes! The difference is statistically significant based on a ttest at 95% confidence resulting in a p-value $<.05$.

Q13. What are the five least liked candy types in this set?

```
#not that useful - it just sorts values
sort(candy$winpercent)
```

```
[1] 22.44534 23.41782 24.52499 27.30386 28.12744 29.70369 32.23100 32.26109
[9] 33.43755 34.15896 34.51768 34.57899 34.72200 35.29076 36.01763 37.34852
[17] 37.72234 37.88719 38.01096 38.97504 39.01190 39.14106 39.18550 39.44680
[25] 39.46056 41.26551 41.38956 41.90431 42.17877 42.27208 42.84914 43.06890
[33] 43.08892 44.37552 45.46628 45.73675 45.99583 46.11650 46.29660 46.41172
[41] 46.78335 47.17323 47.82975 48.98265 49.52411 49.65350 50.34755 51.41243
[49] 52.34146 52.82595 52.91139 54.52645 54.86111 55.06407 55.10370 55.35405
[57] 55.37545 56.49050 56.91455 57.11974 57.21925 59.23612 59.52925 59.86400
[65] 60.80070 62.28448 63.08514 64.35334 65.71629 66.47068 66.57458 66.97173
[73] 67.03763 67.60294 69.48379 70.73564 71.46505 72.88790 73.09956 73.43499
[81] 76.67378 76.76860 81.64291 81.86626 84.18029
```

```
x <- c(10, 1, 100)
order(x)
```

```
[1] 2 1 3
```

```
x [order(x)]
```

```
[1] 1 10 100
```

The `order()` function tells us how to arrange the elements of the input to make them sorted - i.e. how to order them

We can determine the order of winpercent to make them sorted and use that order to arrange the whole data set

```
ord.inds <- order(candy$winpercent)
head(candy[ord.inds,])
```

	chocolate	fruity	caramel	peanut	almond	nougat
Nik L Nip	0	1	0		0	0
Boston Baked Beans	0	0	0		1	0
Chiclets	0	1	0		0	0
Super Bubble	0	1	0		0	0
Jawbusters	0	1	0		0	0
Root Beer Barrels	0	0	0		0	0

	crisped	rice	wafer	hard	bar	pluribus	sugar	percent	price	percent
Nik L Nip				0	0	0	1	0.197		0.976
Boston Baked Beans				0	0	0	1	0.313		0.511
Chiclets				0	0	0	1	0.046		0.325
Super Bubble				0	0	0	0	0.162		0.116
Jawbusters				0	1	0	1	0.093		0.511
Root Beer Barrels				0	1	0	1	0.732		0.069

	win	percent
Nik L Nip	22.44	534
Boston Baked Beans	23.41	782
Chiclets	24.52	499
Super Bubble	27.30	386
Jawbusters	28.12	744
Root Beer Barrels	29.70	369

Q14. What are the top 5 all time favorite candy types out of this set?

```
ord.inds <- order(candy$winpercent)
tail(candy[ord.inds,])
```

	chocolate	fruity	caramel	peanut	almond	nougat
Reese's pieces	1	0	0		1	0
Snickers	1	0	1		1	1
Kit Kat	1	0	0		0	0
Twix	1	0	1		0	0
Reese's Miniatures	1	0	0		1	0
Reese's Peanut Butter cup	1	0	0		1	0

	crisped	rice	wafer	hard	bar	pluribus	sugar	percent
Reese's pieces				0	0	0	1	0.406
Snickers				0	0	1	0	0.546
Kit Kat				1	0	1	0	0.313
Twix				1	0	1	0	0.546
Reese's Miniatures				0	0	0	0	0.034
Reese's Peanut Butter cup				0	0	0	0	0.720

	price	percent	win	percent
--	-------	---------	-----	---------

Reese's pieces	0.651	73.43499
Snickers	0.651	76.67378
Kit Kat	0.511	76.76860
Twix	0.906	81.64291
Reese's Miniatures	0.279	81.86626
Reese's Peanut Butter cup	0.651	84.18029

```
ord.inds.d <- order(candy$winpercent, decreasing = TRUE)
head(candy[ord.inds.d,])
```

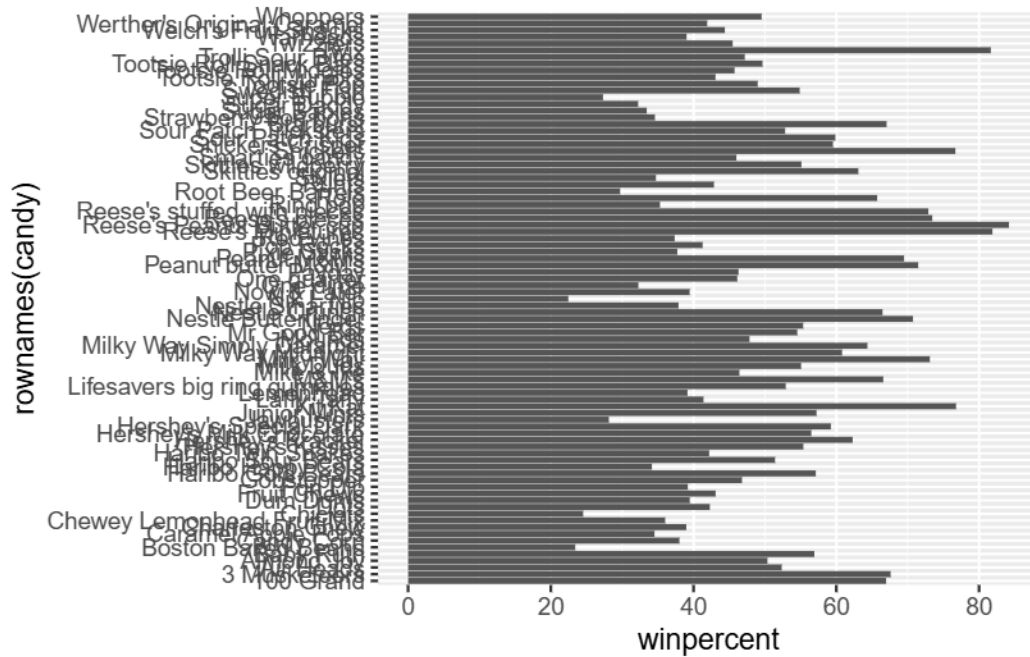
	chocolate	fruity	caramel	peanut	almond	nougat
Reese's Peanut Butter cup	1	0	0		1	0
Reese's Miniatures	1	0	0		1	0
Twix	1	0	1		0	0
Kit Kat	1	0	0		0	0
Snickers	1	0	1		1	1
Reese's pieces	1	0	0		1	0

	crisped	rice	wafer	hard	bar	pluribus	sugar
Reese's Peanut Butter cup		0	0	0		0	0.720
Reese's Miniatures		0	0	0		0	0.034
Twix		1	0	1		0	0.546
Kit Kat		1	0	1		0	0.313
Snickers		0	0	1		0	0.546
Reese's pieces		0	0	0		1	0.406

	price	percent	winpercent
Reese's Peanut Butter cup	0.651		84.18029
Reese's Miniatures	0.279		81.86626
Twix	0.906		81.64291
Kit Kat	0.511		76.76860
Snickers	0.651		76.67378
Reese's pieces	0.651		73.43499

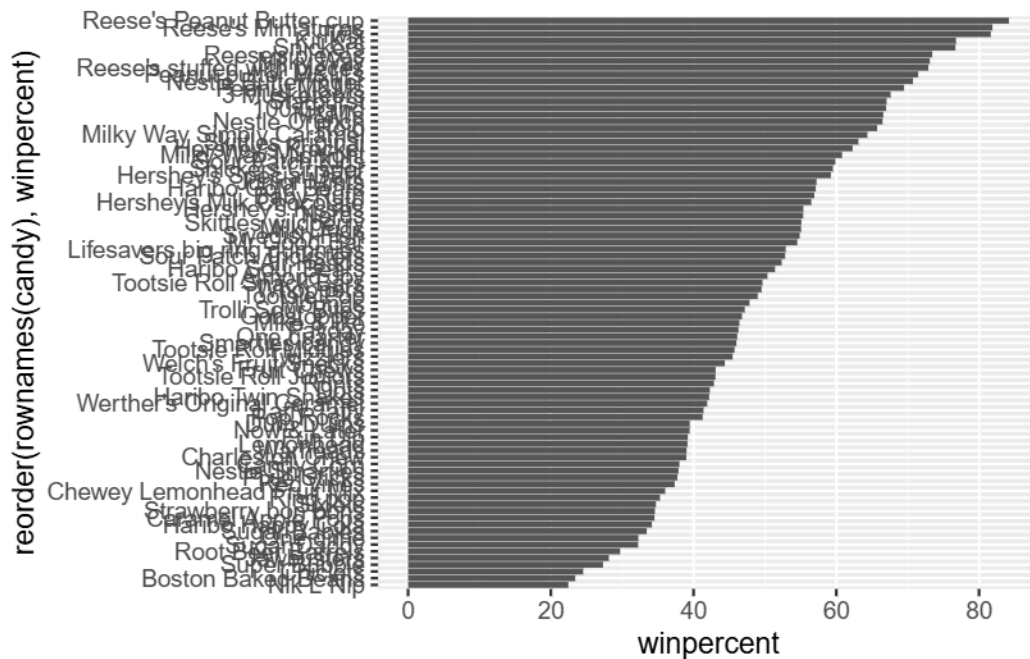
Q15. Make a first barplot of candy ranking based on winpercent values.

```
ggplot(candy) +
  aes(winpercent, rownames(candy)) +
  geom_col()
```



Q16. This is quite ugly, use the `reorder()` function to get the bars sorted by winpercent?

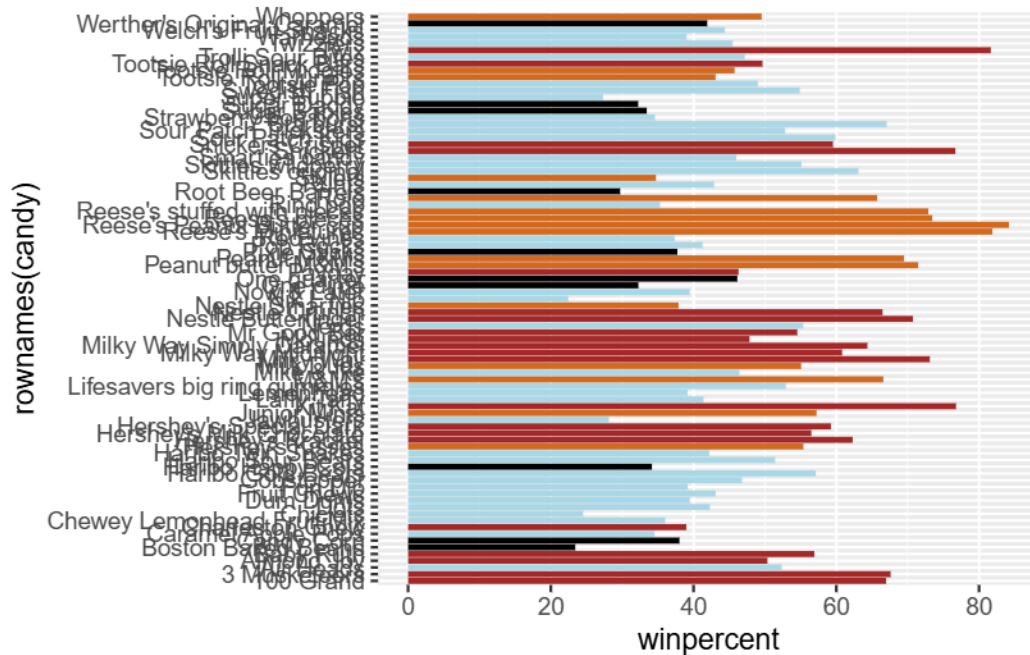
```
ggplot(candy) +
  aes(winpercent, reorder(rownames(candy), winpercent)) +
  geom_col()
```



We need to make our own separate color vector where we can spell out exactly what candy is colored a particular color

```
mycols <- rep("black", nrow(candy))
mycols[candy$chocolate == 1] <- "chocolate"
mycols[candy$bar == 1] <- "brown"
mycols[candy$fruity == 1] <- "lightblue"
```

```
ggplot(candy) +
  aes(winpercent, rownames(candy)) +
  geom_col(fill = mycols)
```



Q17. What is the worst ranked chocolate candy?

Hershey's Milk Chocolate

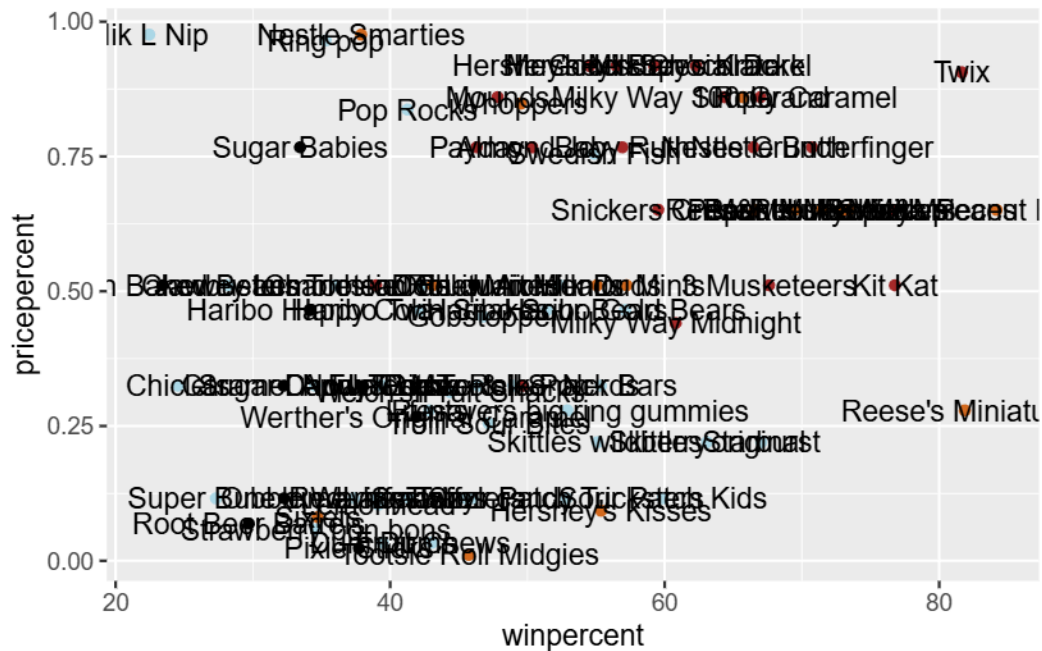
Q18. What is the best ranked fruity candy?

Airheads

Taking a look at price percent

Make a plot of winpercent (x-axis) vs pricepercent (y-axis)

```
ggplot(candy) +
  aes(winpercent, pricepercent, label = rownames(candy)) +
  geom_point(col = mycols) +
  geom_text()
```

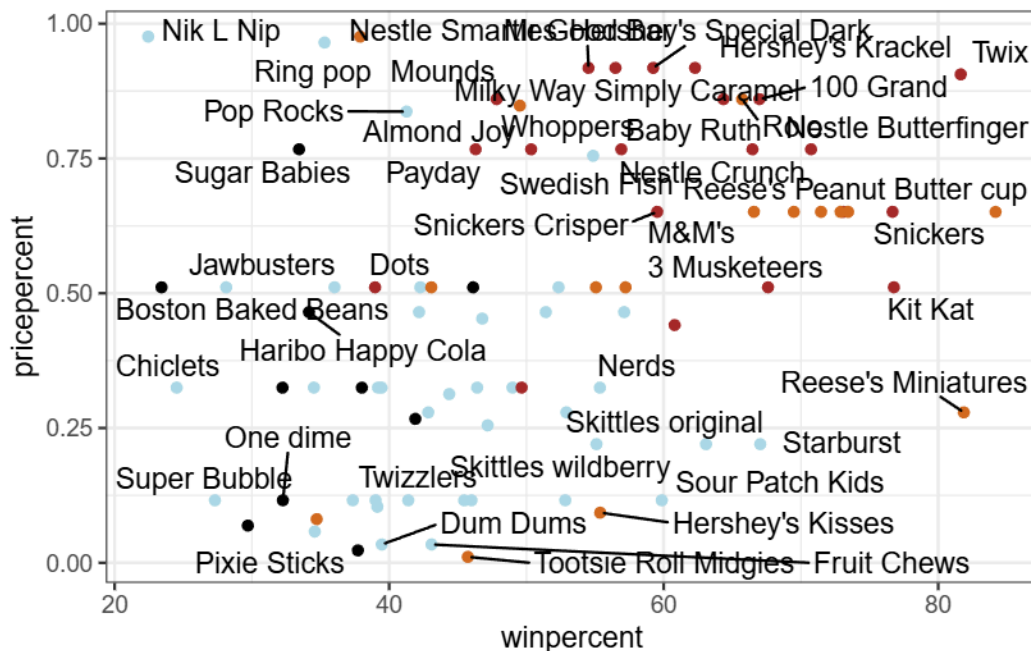


to avoid over plotting of text we can use the `repel` package.

```
library(ggrepel)

ggplot(candy) +
  aes(winpercent, pricepercent, label = rownames(candy)) +
  geom_point(col = mycols) +
  geom_text_repel(max.overlaps = 12) +
  theme_bw()
```

Warning: `ggrepel`: 40 unlabeled data points (too many overlaps). Consider increasing `max.overlaps`



Q19. Which candy type is the highest ranked in terms of winpercent for the least money - i.e. offers the most bang for your buck?

Reese's Miniatures

Q20. What are the top 5 most expensive candy types in the dataset and of these which is the least popular?

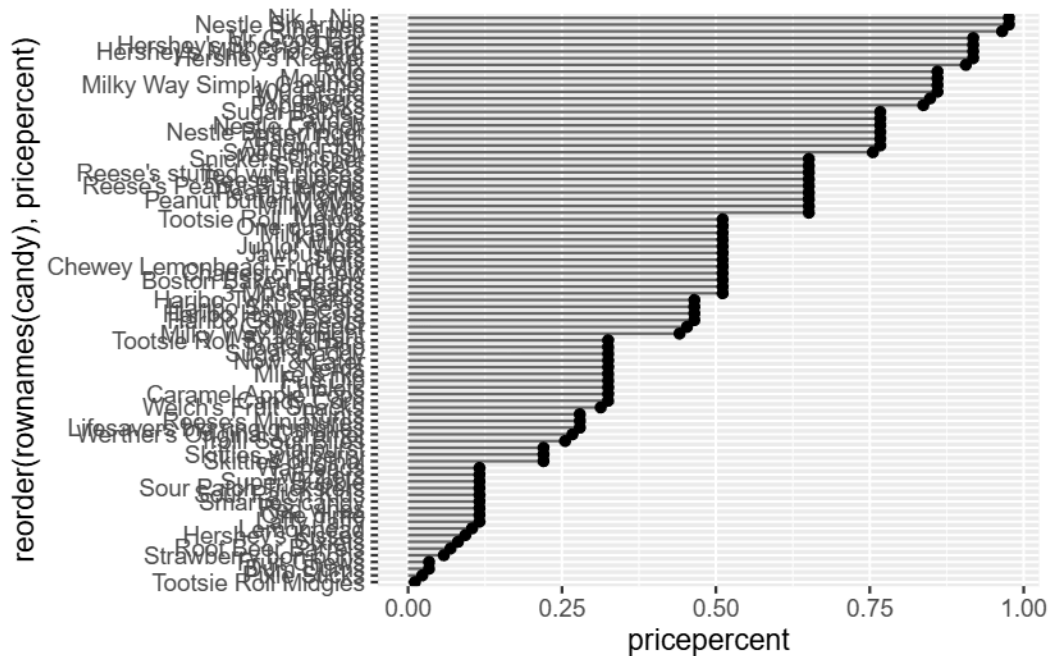
```
ord <- order(candy$pricepercent, decreasing = TRUE)
head( candy[ord,c(11,12)], n=5 )
```

	pricepercent	winpercent
Nik L Nip	0.976	22.44534
Nestle Smarties	0.976	37.88719
Ring pop	0.965	35.29076
Hershey's Krackel	0.918	62.28448
Hershey's Milk Chocolate	0.918	56.49050

The least popular of the top 5 most expensive candies is Nik L Nip

Q21. Make a barplot again with `geom_col()` this time using `pricepercent` and then improve this step by step, first ordering the x-axis by value and finally making a so called "dot chat" or "lollipop" chart by swapping `geom_col()` for `geom_point()` + `geom_segment()`.

```
ggplot(candy) +
  aes(pricepercent, reorder(rownames(candy), pricepercent)) +
  geom_segment(aes(yend = reorder(rownames(candy), pricepercent),
                    xend = 0), col="gray40") +
  geom_point()
```



5. Exploring the correlation structure

Now that we have explored the dataset a little, we will see how the variables interact with one another.

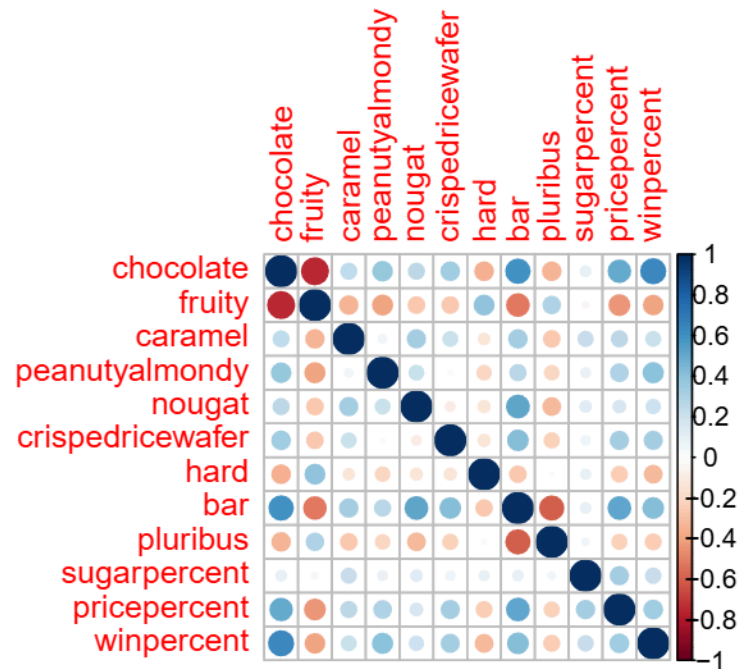
First we will use correlation and view the results with the **corrplot** package to plot a correlation matrix

```
cij <- cor(candy)
```

```
library (corrplot)
```

```
corrplot 0.95 loaded
```

```
corrplot(cij)
```



Q22. Examining this plot what two variables are anti-correlated (i.e. have minus values)?

fruit and chocolate are anti-correlated (but any red values)

Q23. Similarly, what two variables are most positively correlated?

variables are correlated with themselves. The variables that are positively correlated would be chocolate and winpercent and chocolate with pricepercent (anything in blue)

##PCA

Let's apply PCA using prcomp

```
pca <- prcomp(candy, scale = TRUE)
```

```
summary(pca)
```

Importance of components:

	PC1	PC2	PC3	PC4	PC5	PC6	PC7
Standard deviation	2.0788	1.1378	1.1092	1.07533	0.9518	0.81923	0.81530

Proportion of Variance	0.3601	0.1079	0.1025	0.09636	0.0755	0.05593	0.05539
Cumulative Proportion	0.3601	0.4680	0.5705	0.66688	0.7424	0.79830	0.85369
	PC8	PC9	PC10	PC11	PC12		
Standard deviation	0.74530	0.67824	0.62349	0.43974	0.39760		
Proportion of Variance	0.04629	0.03833	0.03239	0.01611	0.01317		
Cumulative Proportion	0.89998	0.93832	0.97071	0.98683	1.00000		

```
attributes(pca)
```

```
$names
```

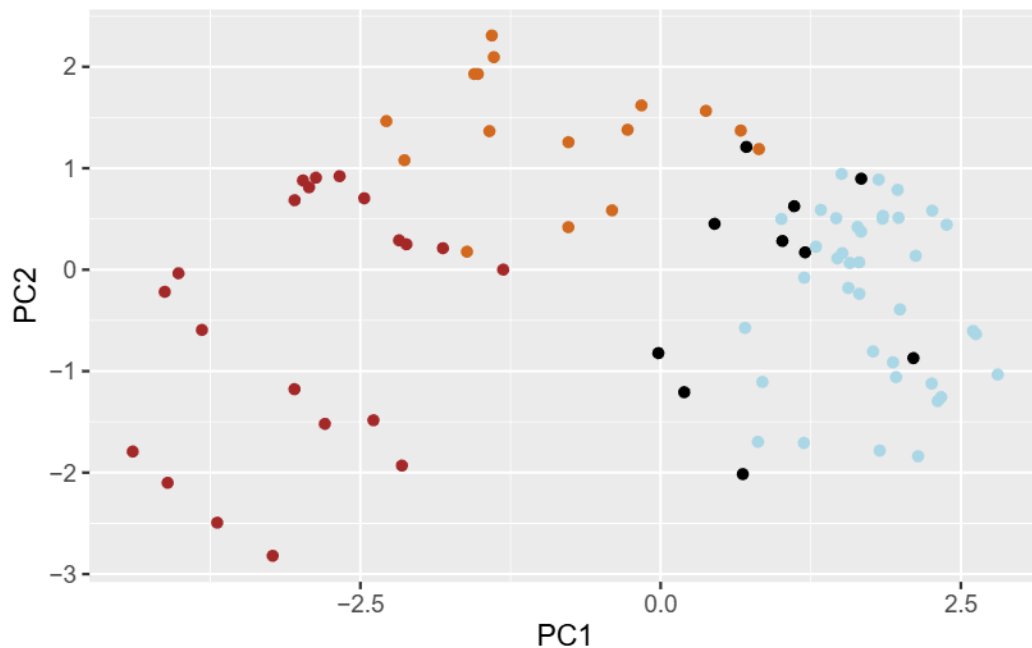
```
[1] "sdev"      "rotation" "center"    "scale"     "x"
```

```
$class
```

```
[1] "prcomp"
```

Let's plot our main results as our PCA "score plot"

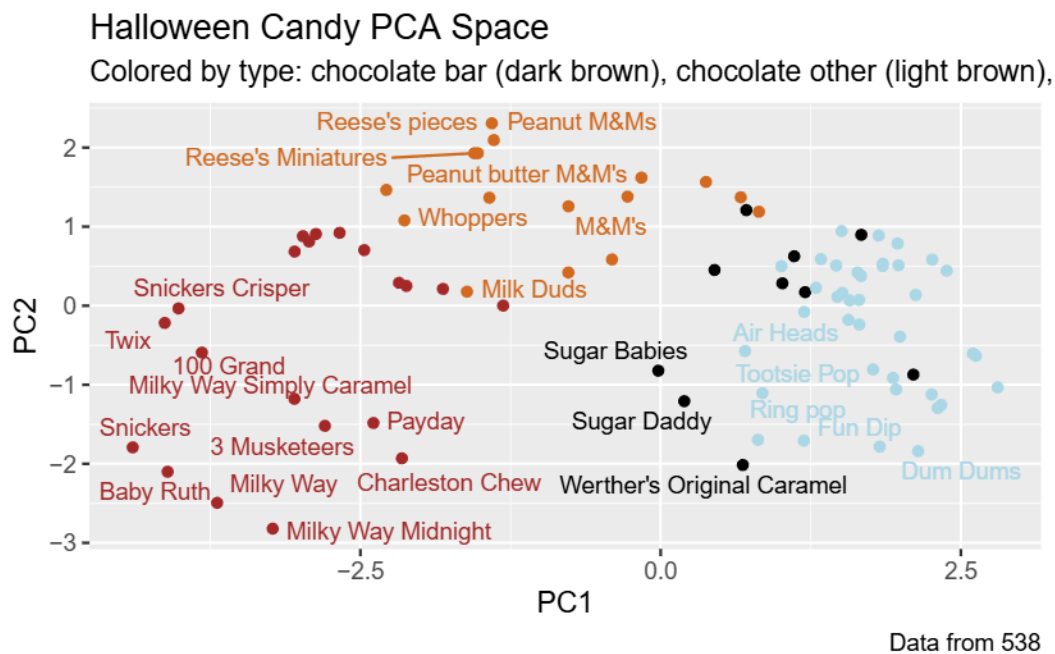
```
p <- ggplot(pca$x) +
  aes(PC1, PC2, label = rownames(pca$x)) +
  geom_point(col=mycols)
p
```



```
library(ggrepel)

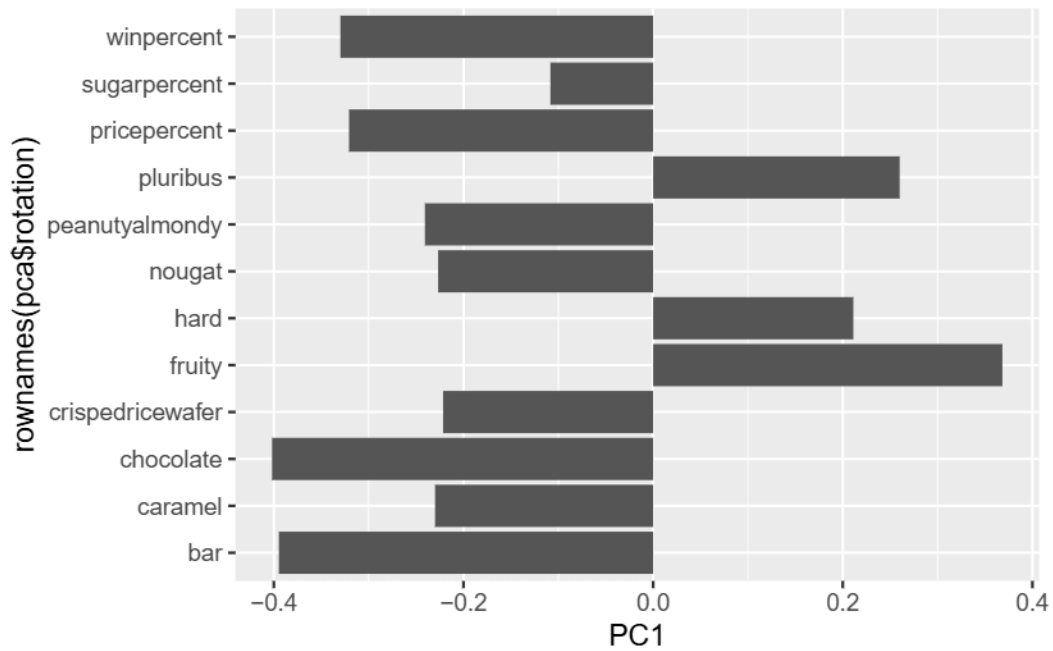
p + geom_text_repel(size=3.3, col=mycols, max.overlaps = 7) +
  theme(legend.position = "none") +
  labs(title="Halloween Candy PCA Space",
        subtitle="Colored by type: chocolate bar (dark brown), chocolate other (light brown),
        caption="Data from 538")
```

Warning: ggrepel: 59 unlabeled data points (too many overlaps). Consider increasing max.overlaps



Finally lets look at how the original variables contribute to the PCs, Start with PC 1

```
ggplot(pca$rotation) +
  aes(PC1, rownames(pca$rotation)) +
  geom_col()
```



Q24. What original variables are picked up strongly by PC1 in the positive direction? Do these make sense to you?

Fruity, hard, and pluribus. Yes, this makes sense to me as these match the results of the correlation plot from earlier.