Current and Future Collider Searches for Electroweak Dark Matter Models

Zhao-Huan Yu (余钊焕)

School of Physics, Sun Yat-Sen University

Based on Tait, ZHY, arXiv:1601.01354, JHEP CF Cai, ZHY, HH Zhang, arXiv:1611.02186, NPB CF Cai, ZHY, HH Zhang, arXiv:1705.07921, NPB QF Xiang, XJ Bi, PF Yin, ZHY, arXiv:1707.03094, PRD JW Wang, XJ Bi, QF Xiang, PF Yin, ZHY, arXiv:1711.05622, PRD

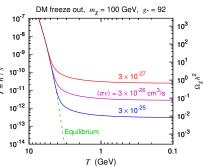


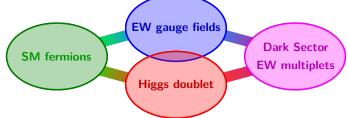
2nd Workshop on High Energy Physics in Guangzhou Jinan University, Guangzhou November 3, 2018



Electroweak Dark Matter Models

An attractive class of dark matter (DM) candidates is weakly interacting massive particles (WIMPs), as they can explain the observed DM relic abundance via thermal production mechanism





Direct Detection of Dark Matter

For a Majorana DM candidate χ , the couplings to the Higgs and Z bosons

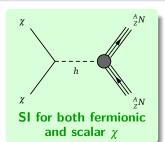
$$\mathcal{L} \supset \frac{1}{2} g_{h\chi\chi} h \bar{\chi} \chi + \frac{1}{2} g_{Z\chi\chi} Z_{\mu} \bar{\chi} \gamma^{\mu} \gamma_5 \chi$$

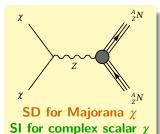
would induce spin-independent (SI) and spindependent (SD) DM-nucleus scatterings.

For scalar multiplets, interactions with the Higgs doublet could split the real and imaginary parts of neutral components, leading to a **CP-even or CP-odd real scalar DM candidate**. Its coupling to the Higgs boson would induce **SI scatterings**.

Most stringent constraints from current direct detection experiments:

- SI: PandaX-II, XENON1T, LUX
- SD: PICO (proton), PandaX-II (neutron)





Fermionic Models

SDFDM: Singlet + Doublets [Mahbubani, Senatore, hep-ph/0510064, PRD; D'Eramo, 0705.4493, PRD; Cohen et al., 1109.2604, PRD]

$$S \in (\mathbf{1}, 0), \quad D_1 = \begin{pmatrix} D_1^0 \\ D_1^- \end{pmatrix} \in (\mathbf{2}, -1/2), \quad D_2 = \begin{pmatrix} D_2^+ \\ D_2^0 \end{pmatrix} \in (\mathbf{2}, +1/2)$$

$$\mathcal{L} \supset -\frac{1}{2} \frac{m_S}{2} SS - \frac{m_D}{2} \epsilon_{ij} D_1^i D_2^j + \frac{\mathbf{y}_1 H_i SD_1^i - \mathbf{y}_2 H_i^{\dagger} SD_2^i + \text{h.c.}}{2}$$

OTFDM: Doublets + Triplet [Dedes, Karamitros, 1403.7744, PRD]

$$D_1 = \begin{pmatrix} D_1^0 \\ D_1^- \end{pmatrix} \in (\mathbf{2}, -1/2), \quad D_2 = \begin{pmatrix} D_2^+ \\ D_2^0 \end{pmatrix} \in (\mathbf{2}, +1/2), \quad T = \begin{pmatrix} T^+ \\ T^0 \\ T^- \end{pmatrix} \in (\mathbf{3}, 0)$$

 $\mathcal{L} \supset \mathbf{m}_{D} \epsilon_{ij} D_{1}^{i} D_{2}^{j} - \frac{1}{2} \mathbf{m}_{T} T^{a} T^{a} + \mathbf{y}_{1} H_{i} T^{a} (\sigma^{a})_{j}^{i} D_{1}^{j} - \mathbf{y}_{2} H_{i}^{\dagger} T^{a} (\sigma^{a})_{j}^{i} D_{2}^{j} + \text{h.c.}$

TQFDM: Triplet + Quadruplets [Tait, ZHY, 1601.01354, JHEP]

$$T = \begin{pmatrix} T^+ \\ T^0 \\ T^- \end{pmatrix} \in (\mathbf{3}, 0), \quad Q_1 = \begin{pmatrix} Q_1^+ \\ Q_1^0 \\ Q_1^- \\ Q_1^- \end{pmatrix} \in (\mathbf{4}, -1/2), \quad Q_2 = \begin{pmatrix} Q_2^{++} \\ Q_2^{++} \\ Q_2^{0} \\ Q_2^{-+} \end{pmatrix} \in (\mathbf{4}, +1/2)$$

 $\mathcal{L} \supset -\frac{1}{2} \mathbf{m}_T T T - \mathbf{m}_Q Q_1 Q_2 + \mathbf{y}_1 \epsilon_{jl} (Q_1)_i^{jk} T_k^i H^l - \mathbf{y}_2 (Q_2)_i^{jk} T_k^i H_j^\dagger + \text{h.c.}$

Backups

Mass Eigenstates

Take the **TQFDM** model as an example [Tait, **ZHY**, 1601.01354, JHEP]

$$\begin{split} \mathcal{L}_{\text{mass}} &= -\frac{1}{2} (T^0, Q_1^0, Q_2^0) \mathcal{M}_{\text{N}} \begin{pmatrix} T^0 \\ Q_1^0 \\ Q_2^0 \end{pmatrix} - (T^-, Q_1^-, Q_2^-) \mathcal{M}_{\text{C}} \begin{pmatrix} T^+ \\ Q_1^+ \\ Q_2^+ \end{pmatrix} - m_Q Q_1^{--} Q_2^{++} + \text{h.c.} \\ &= -\frac{1}{2} \sum_{i=1}^3 m_{\chi_i^0} \chi_i^0 \chi_i^0 - \sum_{i=1}^3 m_{\chi_i^\pm} \chi_i^- \chi_i^+ + \text{h.c.} - m_Q \chi^{--} \chi^{++} \end{split}$$

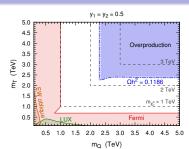
$$\mathcal{M}_{N} = \begin{pmatrix} m_{T} & \frac{1}{\sqrt{3}}y_{1}\nu & -\frac{1}{\sqrt{3}}y_{2}\nu \\ \frac{1}{\sqrt{3}}y_{1}\nu & 0 & m_{Q} \\ -\frac{1}{\sqrt{3}}y_{2}\nu & m_{Q} & 0 \end{pmatrix}, \quad \mathcal{M}_{C} = \begin{pmatrix} m_{T} & \frac{1}{\sqrt{2}}y_{1}\nu & -\frac{1}{\sqrt{6}}y_{2}\nu \\ -\frac{1}{\sqrt{6}}y_{1}\nu & 0 & -m_{Q} \\ \frac{1}{\sqrt{2}}y_{2}\nu & -m_{Q} & 0 \end{pmatrix}$$

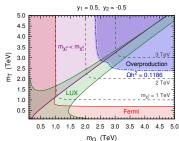
$$\begin{pmatrix} T^0 \\ Q_1^0 \\ Q_2^0 \end{pmatrix} = \mathcal{N} \begin{pmatrix} \chi_1^0 \\ \chi_2^0 \\ \chi_3^0 \end{pmatrix}, \quad \begin{pmatrix} T^+ \\ Q_1^+ \\ Q_2^+ \end{pmatrix} = \mathcal{C}_L \begin{pmatrix} \chi_1^+ \\ \chi_2^+ \\ \chi_3^+ \end{pmatrix}, \quad \begin{pmatrix} T^- \\ Q_1^- \\ Q_2^- \end{pmatrix} = \mathcal{C}_R \begin{pmatrix} \chi_1^- \\ \chi_2^- \\ \chi_3^- \end{pmatrix}, \quad \chi^{--} \equiv Q_1^{--}$$

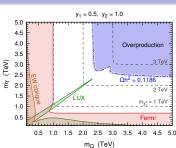
3 Majorana fermions, 3 singly charged fermions, 1 doubly charged fermion

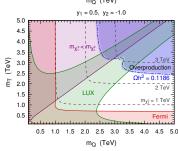
 $\uparrow \uparrow \chi_1^0$ would be an excellent **DM candidate** if it is the lightest among them

Constraints on the TQFDM model









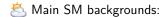
[Tait, **ZHY**, 1601.01354, JHEP]

Monojet + $\not\!\!E_T$ Channel at pp Colliders (TQFDM)

* Pair production of dark sector fermions:

$$pp \rightarrow \chi \chi + \text{jets}, \quad \chi = \chi_i^0, \chi_i^{\pm}, \chi^{\pm \pm}$$

Associated with ≥ 1 hard jet from initial state radiation \Rightarrow monojet + $\not\!\!E_T$ final state

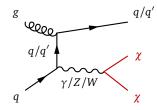


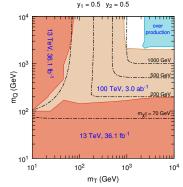
$$Z(\rightarrow \nu \bar{\nu}) + \text{jets}, \quad W(\rightarrow \ell \nu) + \text{jets}$$

Current constraints: ATLAS searches at the 13 TeV **LHC** with 36.1 fb⁻¹ data [ATLAS-CONF-2017-060] excluded parameter regions up to $m_{\chi_1^0} \sim 70-200$ GeV

© Future prospect: SPPC at 100 TeV collecting with 3 ab⁻¹ data would be able to explore up to $m_{\gamma^0} \sim 1-2$ TeV

[JW Wang, XJ Bi, QF Xiang, PF Yin, ZHY, 1711.05622, PRD]





Multilepton + E_T Channel at pp Colliders (TQFDM)

 \aleph Signals in the $2\ell + \cancel{E}_T$ channel:

$$\chi_i^+ \chi_j^- \to W^+ (\to \ell^+ \nu) \ W^- (\to \ell'^- \bar{\nu}) \ \chi_1^0 \chi_1^0$$

Signals in the $2\ell + \mathbf{jets} + \mathbf{E}_T$ channel: $\chi_i^0 \chi_i^{\pm} \to Z(\to \ell^+ \ell^-) W^{\pm}(\to jj) \chi_1^0 \chi_1^0$

$$\lambda_i \lambda_j \rightarrow \Delta(\rightarrow \ell \ \ell \) W (\rightarrow jj)$$

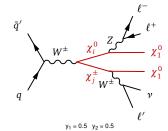
Signals in the $3\ell + \cancel{\mathbb{E}}_T$ channel: $\chi_i^0 \chi_i^{\pm} \to Z(\to \ell^+ \ell^-) W^{\pm}(\to \ell' \nu) \chi_1^0 \chi_1^0$

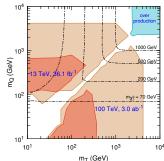
ZZ + jets, WW + jets, WZ + jets, $t\bar{t}$ + jets

Current constraints: ATLAS searches at the 13 TeV LHC with 36.1 fb⁻¹ data [ATLAS-CONF-2017-039]

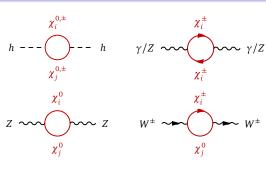
© Future prospect: SPPC experiments at $\sqrt{s} = 100$ TeV with 3 ab⁻¹ data

[JW Wang, XJ Bi, QF Xiang, PF Yin, ZHY, 1711.05622, PRD]



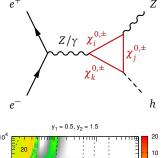


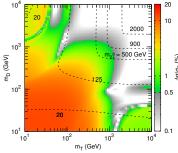
Correction to $e^+e^- \rightarrow Zh$ (DTFDM)



© CEPC experiments with 5 ab $^{-1}$ data can measure the relative deviation from SM down to $\Delta\sigma/\sigma_0 \simeq 0.51\%$ [CEPC-SPPC pre-CDR, Vol. II]

[QF Xiang, XJ Bi, PF Yin, ZHY, 1707.03094, PRD]



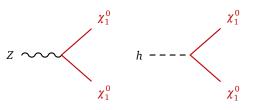


Backups

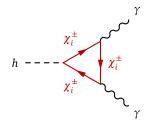
Higgs Boson Invisible and Diphoton Decays (DTFDM)

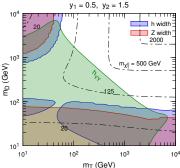
The **LEP** bound on the Z **invisible width** is $\Gamma_{Z \text{ inv}}^{\text{BSM}} < 2 \text{ MeV}$ at 95% CL

For **CEPC** experiments collecting 5 ab⁻¹ data, the 95% CL expected constraint on the h invisible width would be $\Gamma_{h,\text{inv}} < 11.4$ keV, while the relative precision of the $h \to \gamma \gamma$ decay width could be measured to 9.4% [CEPC-SPPC pre-CDR, Vol. II]



[QF Xiang, XJ Bi, PF Yin, **ZHY**, 1707.03094, PRD]

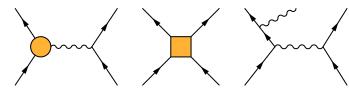




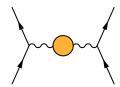
Electroweak Radiative Corrections



Direct Corrections: vertex, box, and bremsstrahlung corrections



Oblique Corrections: gauge boson propagator corrections



Oblique corrections can be treated in a self-consistent, model-independent way through an effective lagrangian to incorporate a large class of Feynman diagrams into a few running couplings [Kennedy & Lynn, NPB 322, 1 (1989)]

EW DM Models

Electroweak Oblique Parameters

 \P EW oblique parameters S, T, and U are introduced to describe **new physics** corrections to gauge boson propagators [Peskin, Takeuchi, PRL, '90; PRD '92]

$$S = 16\pi [\Pi'_{33}(0) - \Pi'_{3Q}(0)]$$

$$T = \frac{4\pi}{s_W^2 c_W^2 m_Z^2} [\Pi_{11}(0) - \Pi_{33}(0)], \quad U = 16\pi [\Pi'_{11}(0) - \Pi'_{33}(0)]$$

Here
$$\Pi_{IJ}'(0) \equiv \partial \Pi_{IJ}(p^2)/\partial p^2|_{p^2=0}$$
, $s_{\rm W} \equiv \sin \theta_{\rm W}$, $c_{\rm W} \equiv \cos \theta_{\rm W}$

$$\gamma \sim \gamma = ie^2 \Pi_{QQ}(p^2) g^{\mu\nu} + (p^\mu p^\nu \text{ terms})$$

$$Z \sim \gamma = \frac{ie^2}{s_W c_W} [\Pi_{3Q}(p^2) - s_W^2 \Pi_{QQ}(p^2)] g^{\mu\nu} + (p^{\mu} p^{\nu} \text{ terms})$$

$$Z \sim \sum_{Z} = \frac{ie^2}{s_W^2 c_W^2} [\Pi_{33}(p^2) - 2s_W^2 \Pi_{3Q}(p^2) + s_W^4 \Pi_{QQ}(p^2)] g^{\mu\nu} + (p^\mu p^\nu \text{ terms})$$

$$W \sim W = \frac{ie^2}{s_W^2} \Pi_{11}(p^2) g^{\mu\nu} + (p^{\mu}p^{\nu} \text{ terms})$$

EW DM Models

Electroweak Precision Observables

Y For evaluating CEPC precision of oblique parameters, we use a simplified set of EW precision observables in the **global fit**:

$$\alpha_{\rm s}(m_Z^2), \ \Delta \alpha_{\rm had}^{(5)}(m_Z^2), \ m_Z, \ m_t, \ m_h, \ m_W, \ \sin^2 \theta_{\rm eff}^{\ell}, \ \Gamma_Z$$

- \Rightarrow Free parameters: the former 5 observables, S, T, and U
- The remaining 3 observables are determined by the free parameters:

$$\begin{split} m_W &= m_W^{\rm SM} \left[1 - \frac{\alpha}{4(c_W^2 - s_W^2)} (S - 1.55T - 1.24U) \right] \\ \sin^2 \theta_{\rm eff}^{\ell} &= (\sin^2 \theta_{\rm eff}^{\ell})^{\rm SM} + \frac{\alpha}{4(c_W^2 - s_W^2)} (S - 0.69T) \\ \Gamma_Z &= \Gamma_Z^{\rm SM} - \frac{\alpha^2 m_Z}{72s_W^2 c_W^2 (c_W^2 - s_W^2)} (12.2S - 32.9T) \end{split}$$

The calculation of SM predictions is based on 2-loop radiative corrections

CEPC Precision of Electroweak Observables

	Current data	CEPC-B precision	CEPC-I precision
$\alpha_{\rm s}(m_Z^2)$	0.1185 ± 0.0006	$\pm 1 \times 10^{-4}$	
$\Delta \alpha_{\rm had}^{(5)}(m_Z^2)$	0.02765 ± 0.00008	$\pm 4.7 \times 10^{-5}$	
m_Z [GeV]	91.1875 ± 0.0021	$\pm 5 \times 10^{-4}$	$\pm 1 \times 10^{-4}$
m_t [GeV]	$173.34 \pm 0.76_{\rm ex} \pm 0.5_{\rm th}$	$\pm 0.2_{\rm ex} \pm 0.5_{\rm th}$	$\pm 0.03_{\rm ex} \pm 0.1_{\rm th}$
m_h [GeV]	125.09 ± 0.24	$\pm 5.9 \times 10^{-3}$	
m_W [GeV]	$80.385 \pm 0.015_{\rm ex} \pm 0.004_{\rm th}$	$(\pm 3_{\rm ex} \pm 1_{\rm th}) \times 10^{-3}$	
$\sin^2\! heta_{ m eff}^\ell$	0.23153 ± 0.00016	$(\pm 2.3_{\rm ex} \pm 1.5_{\rm th}) \times 10^{-5}$	
$\Gamma_{\!Z}$ [GeV]	2.4952 ± 0.0023	$(\pm 5_{\rm ex} \pm 0.8_{\rm th}) \times 10^{-4}$	$(\pm 1_{\rm ex} \pm 0.8_{\rm th}) \times 10^{-4}$

@ For CEPC baseline (CEPC-B) precisions, experimental uncertainties will be mostly reduced by CEPC measurements; theoretical uncertainties of m_W , $\sin^2\theta_{\rm eff}^{\,\ell}$, and Γ_Z can be reduced by fully calculating 3-loop corrections in the future

- @ CEPC improved (CEPC-I) precisions need
 - ullet A high-precision beam energy calibration for improving m_Z and $\Gamma_{\!Z}$ measurements
 - ullet A $tar{t}$ threshold scan for the m_t measurement at other e^+e^- colliders, like ILC

Global Fit



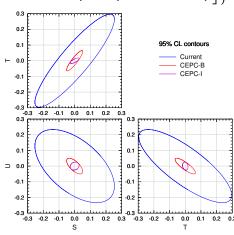
Modified χ^2 **function** [JJ Fan, Reece, LT Wang, 1411.1054, JHEP]:

$$\sum_{i} \left(\frac{O_{i}^{\text{meas}} - O_{i}^{\text{pred}}}{\sigma_{i}} \right)^{2} + \sum_{j} \left\{ -2 \ln \left[\text{erf} \left(\frac{O_{j}^{\text{meas}} - O_{j}^{\text{pred}} + \frac{\boldsymbol{\delta}_{j}}{\sigma_{j}}}{\sqrt{2}\sigma_{j}} \right) - \text{erf} \left(\frac{O_{j}^{\text{meas}} - O_{j}^{\text{pred}} - \frac{\boldsymbol{\delta}_{j}}{\sigma_{j}}}{\sqrt{2}\sigma_{j}} \right) \right] \right\}$$

The experimental uncertainty σ_j and the theoretical uncertainty δ_j of an observable O_j are treated as Gaussian and flat errors

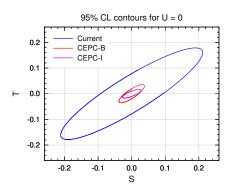
	Current	CEPC-B	CEPC-I
$\sigma_{\scriptscriptstyle S}$	0.10	0.021	0.011
$\sigma_{\scriptscriptstyle T}$	0.12	0.026	0.0071
$\sigma_{\scriptscriptstyle U}$	0.094	0.020	0.010
$ ho_{\scriptscriptstyle ST}$	+0.89	+0.90	+0.74
$ ho_{\scriptscriptstyle SU}$	-0.55	-0.68	+0.15
$ ho_{\scriptscriptstyle TU}$	-0.80	-0.84	-0.21

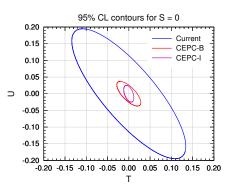
[CF Cai. ZHY, HH Zhang, 1611,02186, NPB]



Backups

Fit Results for Some Parameters Fixed to 0





T = U = 0 fixed

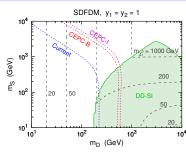
	Current	CEPC-B	CEPC-I
$\sigma_{\scriptscriptstyle S}$	0.037	0.0085	0.0068

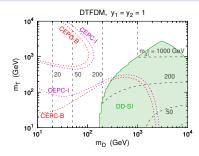
$$S = U = 0$$
 fixed

	Current	CEPC-B	CEPC-I
$\sigma_{\it T}$	0.032	0.0079	0.0042

[CF Cai, ZHY, HH Zhang, 1611.02186, NPB]

CEPC Sensitivity to Fermionic Models



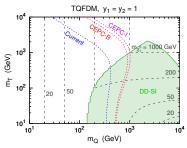


© Dotted lines: expected 95% CL constraints from **current**, **CEPC-B**, and **CEPC-I** precisions of EW oblique parameters assuming T = U = 0

Q DD-SI: excluded by spin-independent direct detection experiments at 90% CL

Nashed lines: DM particle mass

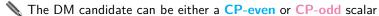
[CF Cai, **ZHY**, HH Zhang, 1611.02186, NPB]

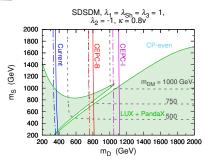


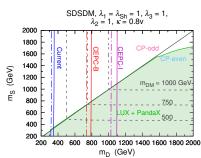
Singlet-Doublet Scalar Dark Matter (SDSDM)

 \P A real singlet scalar $S \in (1,0)$ and a complex doublet scalar $\Phi \in (2,1/2)$:

$$\begin{split} \mathcal{L} \supset \frac{1}{2} (\partial_{\mu} S)^2 - \frac{1}{2} m_S^2 S^2 + (D_{\mu} \Phi)^{\dagger} D^{\mu} \Phi - m_D^2 |\Phi|^2 - (\kappa S \Phi^{\dagger} H + \text{h.c.}) - \frac{1}{2} \frac{\lambda_{Sh}}{S^2} |H|^2 \\ - \frac{\lambda_1}{2} |H|^2 |\Phi|^2 - [\frac{\lambda_2}{2} (\Phi^{\dagger} H)^2 + \text{h.c.}] - \frac{\lambda_3}{2} |\Phi^{\dagger} H|^2 \end{split}$$







Dot-dashed lines: free S, T, and U

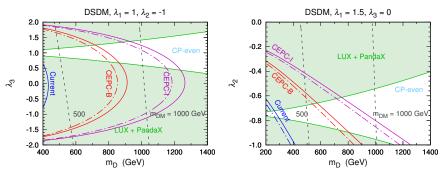
Solid lines: assuming U = 0

[CF Cai, ZHY, HH Zhang, 1705.07921, NPB]

Reduction to the Inert Higgs Doublet Model

Ψ In the limit κ = 0 and $m_S → ∞$, the singlet decouples the SDSDM model reduces to the **inert Higgs doublet model** [Deshpande, Ma, PRD 18, 2574 (1978)]

- $\lambda_2 < 0$: CP-even DM candidate, coupling to the Higgs $\propto \lambda_1 + 2\lambda_2 + \lambda_3$
- $\lambda_2 > 0$: CP-odd DM candidate, coupling to the Higgs $\propto \lambda_1 2\lambda_2 + \lambda_3$



 $\textbf{Dot-dashed lines:} \ \ \mathsf{free} \ \ S, \ \ T, \ \mathsf{and} \ \ U$

Solid lines: assuming U = 0 [CF Cai, ZHY, HH Zhang, 1705.07921, NPB]

Scalar Models

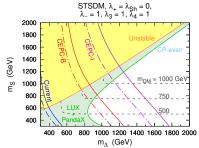
Backups

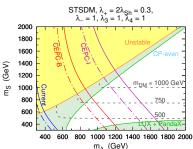
Singlet-Triplet Scalar Dark Matter (STSDM)

A real singlet scalar $S \in (1,0)$ and a complex triplet scalar $\Delta \in (3,0)$:

$$\begin{split} -\mathcal{L} \supset \frac{1}{2} m_S^2 S^2 + m_\Delta^2 |\Delta|^2 + \frac{1}{2} \lambda_{Sh} S^2 |H|^2 + \lambda_0 |H|^2 |\Delta|^2 + \lambda_1 H_i^\dagger \Delta_j^i (\Delta^\dagger)_k^j H^k \\ + \lambda_2 H_i^\dagger (\Delta^\dagger)_j^i \Delta_k^j H^k - (\lambda_3 H_i^\dagger \Delta_j^i \Delta_k^j H^k + \lambda_3' |H|^2 \Delta_j^i \Delta_i^j + \lambda_4 S H_i^\dagger \Delta_j^i H^j + \text{h.c.}) \end{split}$$

Define $\lambda_{\pm} \equiv \lambda_1 \pm \lambda_2$, and λ_3 and λ_0 can be absorbed into λ_3 and λ_+





Dot-dashed lines: assuming S = 0

Solid lines: assuming S = U = 0

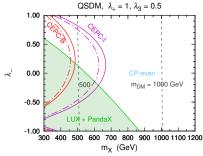
[CF Cai, **ZHY**, HH Zhang, 1705.07921, NPB]

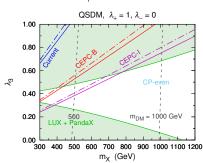
Quadruplet Scalar Dark Matter (QSDM)

A complex quadruplet scalar $X \in (4, 1/2)$:

$$-\mathcal{L} \supset m_X^2 |X|^2 + \frac{\lambda_0}{|H|^2} |X|^2 + \frac{\lambda_1}{|H|^4} H_i^{\dagger} X_k^{ij} (X^{\dagger})_{jl}^k H^l + \frac{\lambda_2}{|H|^4} H_i^{\dagger} (X^{\dagger})_{jk}^i X_l^{jk} H^l$$
$$-(\lambda_3 H_i^{\dagger} H_i^{\dagger} X_l^{ik} X_k^{jl} + \text{h.c.})$$

No Define $\lambda_{\pm} \equiv \lambda_1 \pm \lambda_2$, and λ_0 can be absorbed into λ_{\pm}





Dot-dashed lines: free S, T, and U

Solid lines: assuming U = 0

[CF Cai, **ZHY**, HH Zhang, 1705.07921, NPB]

EW DM Models pp Colliders Higgs Precision EW Oblique Scalar Models Conclusions Backups
00000 00 0000000 0000 € 00000

Conclusions

- WIMP models can be naturally constructed by extending the Standard Model with a dark sector consisting of electroweak multiplets, whose electrically neutral components provide a DM candidate.
- ② Such models typically introduce several **new electroweak particles** that could lead to remarkable signatures at pp and e^+e^- colliders.
- We have studied the corresponding direct production signals at the LHC and at the future SPPC, as well as the indirect searches via Higgs and electroweak precision measurements at the future CEPC.

Conclusions

- WIMP models can be naturally constructed by extending the Standard Model with a dark sector consisting of electroweak multiplets, whose electrically neutral components provide a DM candidate.
- ② Such models typically introduce several **new electroweak particles** that could lead to remarkable signatures at pp and e^+e^- colliders.
- We have studied the corresponding direct production signals at the LHC and at the future SPPC, as well as the indirect searches via Higgs and electroweak precision measurements at the future CEPC.

Thanks for your attention!

Custodial Symmetry

EW DM Models

Standard model (SM) scalar potential $V = -\mu^2 H^{\dagger} H + \lambda (H^{\dagger} H)^2$ is a function of $H^{\dagger} H$, which respects an $SU(2)_L \times SU(2)_R$ global symmetry:

$$H^\dagger H = -\frac{1}{2} \epsilon_{AB} \epsilon^{ij} (\mathcal{H}^{A})_i (\mathcal{H}^{B})_j, \quad (\mathcal{H}^{A})_i \equiv \begin{pmatrix} H_i^\dagger \\ H_i \end{pmatrix} \text{ is an SU(2)}_{\mathbb{R}} \text{ doublet}$$

$$H \to \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v \end{pmatrix} \Rightarrow SU(2)_L \times SU(2)_R \to SU(2)_{L+R}$$
 custodial symmetry

 ${
m SU(2)_L}$ gauge bosons W_μ^a transform as an ${
m SU(2)_{L+R}}$ triplet and acquire the same mass from EW symmetry breaking

The custodial symmetry protects the tree-level relation $\rho \equiv m_W^2/(m_Z^2 c_W^2) = 1$ up to EW radiative corrections [Sikivie *et al.*, NPB 173, 189 (1980)], and leads to T = U = 0 (note that $\rho - 1 = \alpha T$)

The custodial symmetry is approximate in the SM, explicitly broken by the Yukawa couplings of fermions and the $U(1)_Y$ gauge interaction

Oblique Parameters and Electroweak Multiplets

We study the CEPC sensitivity to WIMP models with a dark sector consisting of **EW multiplets**. By imposing a Z_2 symmetry, the DM candidate would be the lightest mass eigenstate of the neutral components.

- **1** EW oblique parameters S, T, and U respond to **EW symmetry breaking**
 - Mass splittings among the multiplet components induced by the nonzero Higgs VEV would break the EW symmetry
 - ⇒ Nonzero oblique parameters
 - If the Higgs VEV just gives a common mass shift to every components in a multiplet, the effect can be absorbed into the gauge-invariant mass term
 - ⇒ No EW symmetry breaking effect manifests
 - \Rightarrow Vanishing S, T, and U
- ② S relates to the $U(1)_Y$ gauge field
 - \Rightarrow A multiplet with **zero hypercharge cannot contribute to** S
- Multiplet couplings to the Higgs respect a custodial symmetry
 - \Rightarrow Vanishing T and U

Fermionic and Scalar Multiplets

In other to have nonzero contributions to EW oblique parameters, dark sector multiplets should couple to the SM Higgs doublet

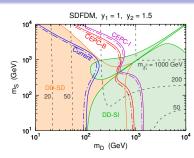
Fermionic multiplets

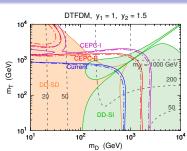
- 1 vector-like fermionic $SU(2)_L$ multiplet: the Z_2 symmetry for stabilizing DM forbids the multiplet coupling to the Higgs $\Rightarrow S = T = U = 0$
- 2 types of vector-like $SU(2)_L$ multiplets whose dimensions differ by one: Yukawa couplings split the components \Rightarrow Nonzero oblique parameters

Scalar multiplets

- 1 real scalar multiplet Φ : the quartic coupling $\lambda' \Phi^{\dagger} \Phi H^{\dagger} H$ can only induce a common mass shift $\Rightarrow S = T = U = 0$
- 1 complex scalar multiplet Φ : the quartic coupling $\lambda'' \Phi^{\dagger} \tau^a \Phi H^{\dagger} \sigma^a H$ can induce mass splittings \Rightarrow Nonzero oblique parameters
- ≥ 2 scalar multiplets: various trilinear and quartic couplings could break the mass degeneracy ⇒ Nonzero oblique parameters

Fermionic Models with $y_1 = 1$ and $y_2 = 1.5$





Expected 95% CL constraints from current, CEPC-B, and CEPC-I precisions of EW oblique parameters

Dot-dashed lines: free S, T, and U **Solid lines:** assuming U = 0

DD-SI: excluded by SI direct detection **DD-SD:** excluded by SD direct detection

