

1. Short Answer

- a. Flat clustering should be used when efficiency is needed in the clustering algorithm. Flat clustering also requires a defined number of documents, N , and a defined number of clusters, k . If a consistent algorithm is required, hierarchical clustering produces the most deterministic results. It is also possible to use hierarchical clustering without knowing K , the number of clusters to form. This is because the algorithm produces a hierarchy of soft clusters, with documents belonging to parent, grandparent, etc. clusters.

b.

i. K-means

- ii. Initial seed selection upon beginning K-means
- iii. Number of clusters to form, K
- iv. Number of documents, N
- v. Number of iterations of reassignment and recomputation
- vi. Distance between document vectors and cluster centroids
- vii. Final RSS value (want to minimize)

viii. HAC

- ix. Number of documents, N
- x. Which similarity algorithm is used (single link, complete link, centroid, group average)

2. Problem Solving

- a. $\text{doc_raw_tf} = \{\text{term1: } f, \text{ term2: } f, \text{ etc}\}$

$\text{doc1_raw_tf} = \{\text{carp: } 1, \text{ swim: } 1, \text{ water: } 1\}$

$\text{doc2_raw_tf} = \{\text{horse: } 1, \text{ neck: } 1, \text{ land: } 1, \text{ lung: } 1\}$

$\text{doc3_raw_tf} = \{\text{lion: } 1, \text{ lung: } 1, \text{ land: } 1\}$

$\text{doc4_raw_tf} = \{\text{elephant: } 1, \text{ lung: } 1, \text{ snout: } 1\}$

$\text{doc5_raw_tf} = \{\text{dolphins: } 1, \text{ swim: } 1, \text{ water: } 1, \text{ lung: } 1\}$

$\text{doc6_raw_tf} = \{\text{seahorse: } 1, \text{ swim: } 1, \text{ water: } 1, \text{ neck: } 1\}$

$\text{doc1_norm} = \{\text{carp: } 1/\sqrt{3}, \text{ swim: } 1/\sqrt{3}, \text{ water: } 1/\sqrt{3}\}$

$\text{doc2_norm} = \{\text{horse: } 1/2, \text{ neck: } 1/2, \text{ land: } 1/2, \text{ lung: } 1/2\}$

$\text{doc3_norm} = \{\text{lion: } 1/\sqrt{3}, \text{ lung: } 1/\sqrt{3}, \text{ land: } 1/\sqrt{3}\}$

$\text{doc4_norm} = \{\text{elephant: } 1/\sqrt{3}, \text{ lung: } 1/\sqrt{3}, \text{ snout: } 1/\sqrt{3}\}$

$\text{doc5_norm} = \{\text{dolphins: } 1/2, \text{ swim: } 1/2, \text{ water: } 1/2, \text{ lung: } 1/2\}$

$\text{doc6_norm} = \{\text{seahorse: } 1/2, \text{ swim: } 1/2, \text{ water: } 1/2, \text{ neck: } 1/2\}$

Reassignment:

Distance doc1 -> doc3 = $\sqrt{(1/\sqrt{3} - 0)^2 + (1/\sqrt{3} - 0)^2 + (1/\sqrt{3} - 0)^2 + (0 - 1/\sqrt{3})^2 + (0 - 1/\sqrt{3})^2 + (0 - 1/\sqrt{3})^2}$ = 1.41

Distance doc2 -> doc3 = $\sqrt{(1/2 - 0)^2 + (1/2 - 0)^2 + (1/2 - 1/\sqrt{3})^2 + (1/2 - 1/\sqrt{3})^2 + (0 - 1/\sqrt{3})^2}$ = .919

distance doc1 > distance doc2. Doc3 will be clustered with doc2 centroid.

Distance doc1 -> doc4 = $\sqrt{(1/\sqrt{3} - 0)^2 + (1/\sqrt{3} - 0)^2 + (1/\sqrt{3} - 0)^2 + (0 - 1/\sqrt{3})^2 + (0 - 1/\sqrt{3})^2 + (0 - 1/\sqrt{3})^2}$ = 1.41

Distance doc2 -> doc4 = $\sqrt{(1/2 - 0)^2 + (1/2 - 0)^2 + (1/2 - 0)^2 + (1/2 - 1/\sqrt{3})^2 + (0 - 1/\sqrt{3})^2 + (0 - 1/\sqrt{3})^2}$ = 1.19

distance doc1 > distance doc2. Doc4 will be clustered with doc2 centroid.

Distance doc1 -> doc5 = $\sqrt{(1/\sqrt{3} - 0)^2 + (1/\sqrt{3} - 1/2)^2 + (1/\sqrt{3} - 1/2)^2 + (0 - 1/2)^2 + (0 - 1/2)^2}$ = 1.19

Distance doc2 -> doc5 = $\sqrt{(1/2 - 0)^2 + (1/2 - 0)^2 + (1/2 - 0)^2 + (1/2 - 1/2)^2 + (0 - 1/2)^2 + (0 - 1/2)^2 + (0 - 1/2)^2}$ = 1.22

Distance doc1 < distance doc2. Doc5 will be clustered with doc1 centroid.

Distance doc1 -> doc6 = $\sqrt{(1/\sqrt{3} - 0)^2 + (1/\sqrt{3} - 1/2)^2 + (1/\sqrt{3} - 1/2)^2 + (0 - 1/2)^2 + (0 - 1/2)^2}$ = .919

Distance doc2 -> doc6 = $\sqrt{(1/2 - 0)^2 + (1/2 - 1/2)^2 + (1/2 - 0)^2 + (1/2 - 0)^2 + (0 - 1/2)^2 + (0 - 1/2)^2 + (0 - 1/2)^2}$ = 1.22

distance doc1 < distance doc2. Doc6 will be clustered with doc1 centroid.

doc1 centroid -> (doc5, doc6)

doc2 centroid -> (doc3, doc4)

Recomputation:

For each term in cluster, sum norm. term values.

Then divide the value by num docs in the cluster.

doc1 cluster = {carp: $(1/\sqrt{3} + 0 + 0)$, swim: $(1/2 + 1/2 + 1/\sqrt{3})$, water: $(1/2 + 1/2 + 1/\sqrt{3})$, dolphins: $(1/2 + 0 + 0)$, lung: $(1/2 + 0 + 0)$, seahorse: $(1/2 + 0 + 0)$, neck: $(1/2 + 0 + 0)$ }

doc2 cluster = {horse: $(1/2 + 0 + 0)$, neck: $(1/2 + 0 + 0)$, land: $(1/2 + 1/\sqrt{3} + 0)$, lung: $(1/2 + 1/\sqrt{3} + 1/\sqrt{3})$, lion: $(1/\sqrt{3} + 0 + 0)$, elephant: $(1/\sqrt{3} + 0 + 0)$, snout: $(1/\sqrt{3} + 0 + 0)$ }

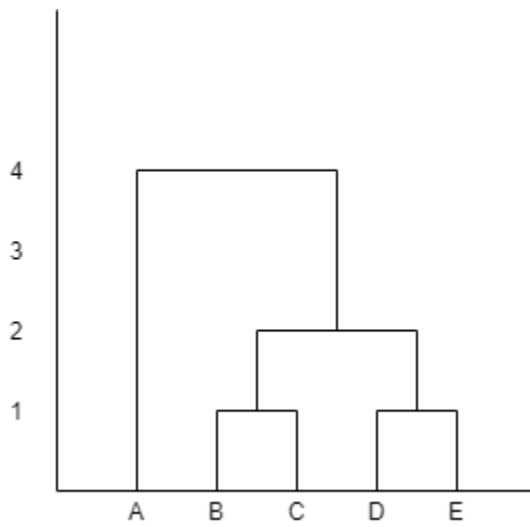
Divide all vals by 3 because there are 3 documents in each cluster.

New centroid cluster 1 = {carp: .192, swim: .525, water: .525, dolphins: .166, lung: .166, seahorse: .166, neck: .166}

New centroid cluster 2 = {horse: .166, neck: .166, land: .359, lung: .551, lion: .192, elephant: .192, snout: .192}

3. Problem Solving

a.



b.

