

```
In[270]:= ClearAll["Global`*"];
$Version
SetDirectory[NotebookDirectory[]];
(*Mathematica file in the proper location*)

Out[271]= 12.3.0 for Mac OS X x86 (64-bit) (May 10, 2021)
```

Crossed-polarization (CP) optical microscopy intensity calculation

A. Input

```
In[273]:= d = 3.5; (*nm, CNC diameter*)
n1 = 1.33; (*water*)
n3 = 1.33; (*water*)
(*
Refractive index of cellulose crystal from Reference53: Chae I,
et al.Anisotropic Optical and Frictional Properties of Langmuir-
Blodgett Film Consisting of Uniaxially-Aligned Rod-
Shaped Cellulose Nanocrystals.Advanced Materials Interfaces 7,(2020).
*)
nval = Import["nenodn.xlsx"];
Dimensions[nval]
nval // TableForm

ll = Table[nval[[1, i, 1]], {i, 2, 17}];
nol = Table[nval[[1, i, 2]], {i, 2, 17}];
nel = Table[nval[[1, i, 3]], {i, 2, 17}];

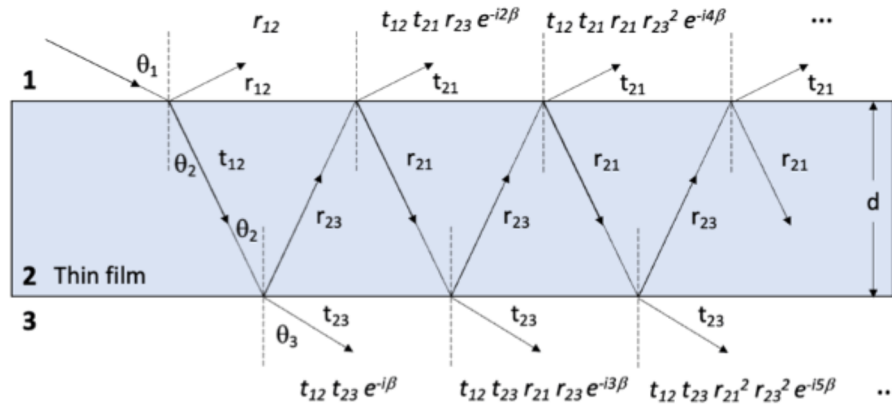
Out[277]= {1, 17, 4}
```

```
Out[278]//TableForm=
```

lamda	250.	300.	350.	400.	450.	500.	550.
no	1.55726	1.52514	1.50931	1.50001	1.494	1.48986	1.48688
ne	1.76155	1.7146	1.691	1.67701	1.66794	1.66168	1.65717
dn	0.20429	0.18946	0.18169	0.177	0.17394	0.17182	0.17029

B. Optical properties

CNC is considered as a thin film



$$\text{In}[282]:= \theta_1 = N\left[\theta * \frac{\pi}{180}\right]; (*\text{rad}*)$$

$$n_{2p} = n_{el};$$

$$n_{2s} = n_{ol};$$

$$\theta_{2p} = \text{ArcSin}[n_1 \text{Sin}[\theta_1] / n_{2p}]; (*\text{Snell's law at the interface between 1 \& 2}*)$$

$$\theta_{3p} = \text{ArcSin}[n_{2p} \text{Sin}[\theta_{2p}] / n_3]; (*\text{Snell's law at the interface between 1 \& 2}*)$$

$$\theta_{2s} = \text{ArcSin}[n_1 \text{Sin}[\theta_1] / n_{2s}]; (*\text{Snell's law at the interface between 1 \& 2}*)$$

$$\theta_{3s} = \text{ArcSin}[n_{2s} \text{Sin}[\theta_{2s}] / n_3]; (*\text{Snell's law at the interface between 1 \& 2}*)$$

$$\beta_p = \frac{2\pi}{\lambda} d * n_{2p} * \text{Cos}[\theta_{2p}]; (*\beta = \frac{2\pi d}{\lambda} n_2 * \cos\theta - \text{Equation 2}*)$$

$$\beta_s = \frac{2\pi}{\lambda} d * n_{2s} * \text{Cos}[\theta_{2s}]; (*\beta = \frac{2\pi d}{\lambda} n_2 * \cos\theta - \text{Equation 2}*)$$

(*thin film equations*)

$$t_{12p} = \frac{2 * \text{Cos}[\theta_1] * \text{Sin}[\theta_{2p}]}{\text{Sin}[\theta_1 + \theta_{2p}] \text{Cos}[\theta_1 - \theta_{2p}]};$$

$$t_{12s} = \frac{2 * \text{Cos}[\theta_1] * \text{Sin}[\theta_{2s}]}{\text{Sin}[\theta_1 + \theta_{2s}]};$$

$$t_{23p} = \frac{2 * \text{Cos}[\theta_{2p}] * \text{Sin}[\theta_{3p}]}{\text{Sin}[\theta_{2p} + \theta_{3p}] \text{Cos}[\theta_{2p} - \theta_{3p}]};$$

$$t_{23s} = \frac{2 * \text{Cos}[\theta_{2s}] * \text{Sin}[\theta_{3s}]}{\text{Sin}[\theta_{2s} + \theta_{3s}]};$$

$$r_{12p} = \frac{\text{Tan}[\theta_1 - \theta_{2p}]}{\text{Tan}[\theta_1 + \theta_{2p}]};$$

$$r_{12s} = -\frac{\sin[\theta_{1s} - \theta_{2s}]}{\sin[\theta_{1s} + \theta_{2s}]};$$

$$r_{23p} = \frac{\tan[\theta_{2p} - \theta_{3p}]}{\tan[\theta_{2p} + \theta_{3p}]};$$

$$r_{23s} = -\frac{\sin[\theta_{2s} - \theta_{3s}]}{\sin[\theta_{2s} + \theta_{3s}]};$$

$$t_{123p} = \frac{t_{12p} * t_{23p} \exp[-I * \beta_p]}{1 + r_{12p} * r_{23p} \exp[-I * 2 * \beta_p]}; (* t_{123} = \frac{t_{12} * t_{23} \exp[-i\beta]}{1 + r_{12} * r_{23} \exp[-i2\beta]} - \text{Equation 1} *)$$

$$t_{123s} = \frac{t_{12s} * t_{23s} \exp[-I * \beta_s]}{1 + r_{12s} * r_{23s} \exp[-I * 2 * \beta_s]}; (* t_{123} = \frac{t_{12} * t_{23} \exp[-i\beta]}{1 + r_{12} * r_{23} \exp[-i2\beta]} - \text{Equation 1} *)$$

$$T_{123p} = t_{123p} * \text{Conjugate}[t_{123p}];$$

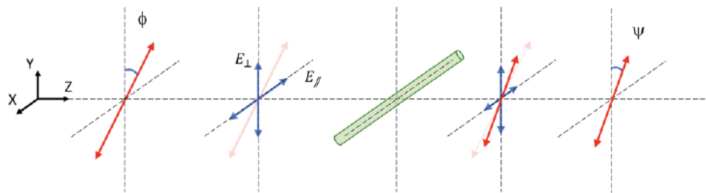
$$T_{123s} = t_{123s} * \text{Conjugate}[t_{123s}];$$

C. Light properties after passing through a single CNC (add figure)

- Electric field, intensity and polarization angle as a function of the polarization angle with respect to the CNC angle

(* Supplementary Figure 8a *)

$$E_p = E_{\parallel}, E_s = E_{\perp}$$



```

In[303]:= (*ε= ~0 *)
ε = 10-9;
θ = ε(*deg*);

(*Incident beam Ep0, Es0, Ip0, Is0*)
Ep0[φ_] := 1 Sin[φ * (π / 180)];
Es0[φ_] := 1 Cos[φ * (π / 180)];
Ip0[φ_] := Ep0[φ]2;
Is0[φ_] := Es0[φ]2;

(* Output beam- Ep1, Es1, Ip1, Is1 after a single CNC *)
Ep[φ_] := Ep0[φ] * t123p[[8]]; (*[[8]]=600nm *)
Es[φ_] := Es0[φ] * t123s[[8]]; (*[[8]]=600nm *)
Ip[φ_] := Ep[φ] * Conjugate[Ep[φ]];
Is[φ_] := Es[φ] * Conjugate[Es[φ]];

(* Output beam- ψ, (ψ-φ) (φ dependence) *)
ψ[φ_] := Piecewise[ {
  {ArcTan[√(Ep[φ] * Conjugate[Ep[φ]]) / √(Es[φ] * Conjugate[Es[φ]])] *  $\frac{180}{\pi}$  - 180,
    φ < -90},
  {ArcTan[√(Ep[φ] * Conjugate[Ep[φ]]) / -√(Es[φ] * Conjugate[Es[φ]])] *  $\frac{180}{\pi}$  + 180,
    φ > 90},
  {ArcTan[√(Ep[φ] * Conjugate[Ep[φ]]) / √(Es[φ] * Conjugate[Es[φ]])] *  $\frac{180}{\pi}$ , φ > 0},
  {ArcTan[√(Ep[φ] * Conjugate[Ep[φ]]) / -√(Es[φ] * Conjugate[Es[φ]])] *  $\frac{180}{\pi}$ , φ > -90}
} ] (* ψ=tan-1[E||/E⊥] - Equation 3 *)

(*Output beam |Etot| and Itot*)
Et[φ_] := √(Ep[φ] * Conjugate[Ep[φ]] + Es[φ] * Conjugate[Es[φ]]);
(* |Etotal| = √(E||*E||* + E⊥*E⊥*) - Equation 4 *)
It[φ_] := Et[φ] * Conjugate[Et[φ]];

(*transmission coefficient*)
tt[φ_] := Et[φ] / 1;

```

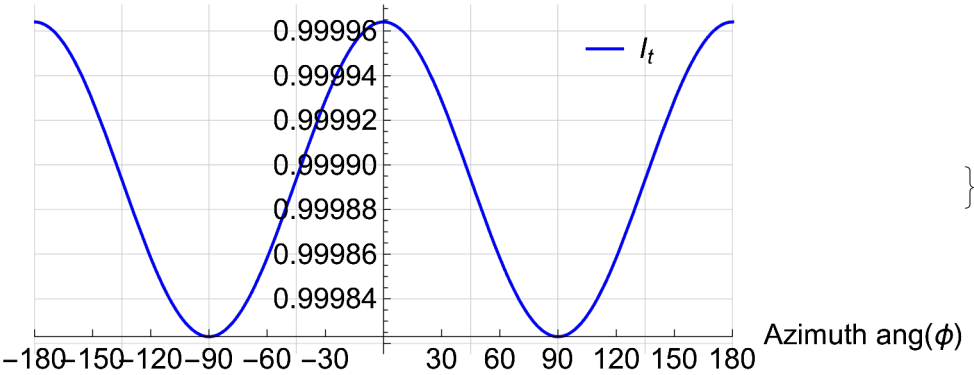
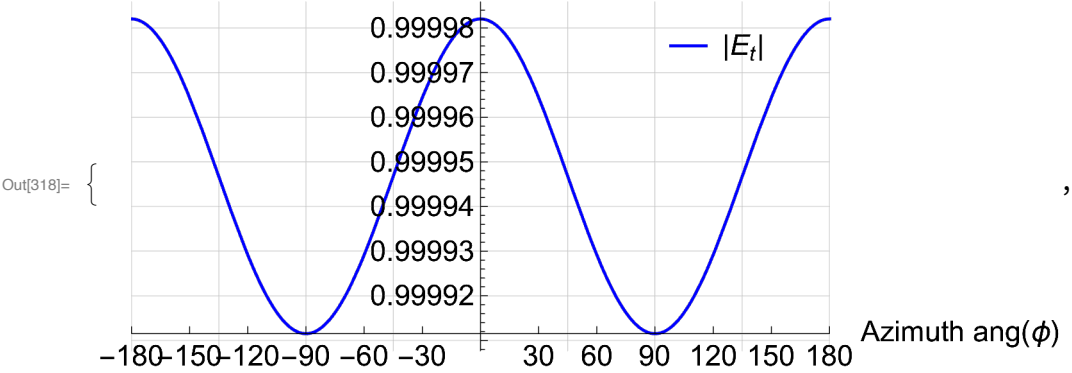
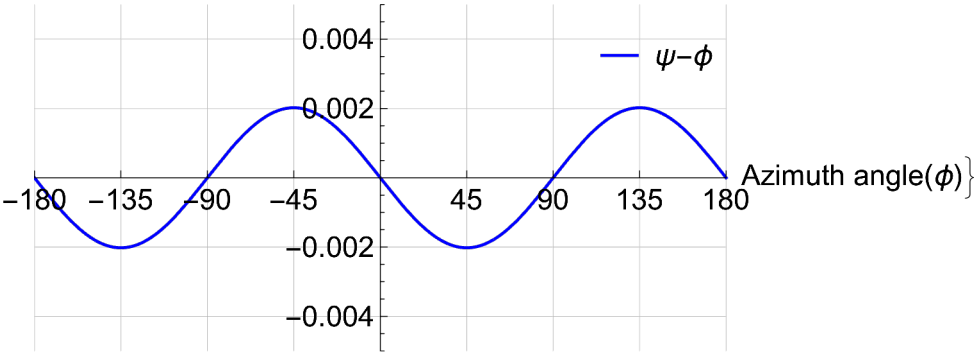
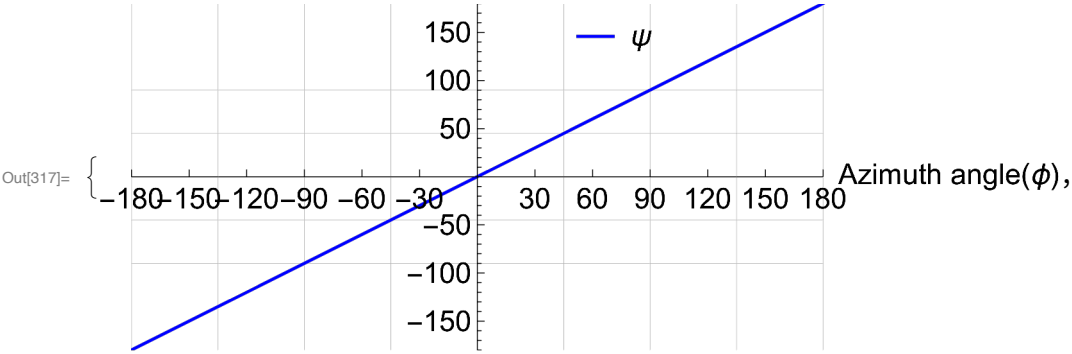
```

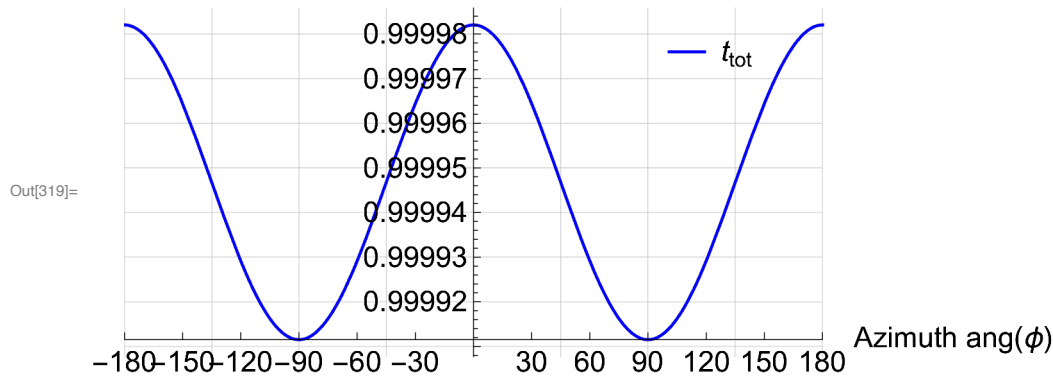
In[317]:= (*check plots*)
{Plot[ψ[φ], {φ, -180, 180}, PlotRange → {{-180, 180}, {-180, 180}},
  Ticks → {Table[30 i, {i, -12, 12}], Automatic},
  GridLines → {Table[45 i, {i, -4, 4}], {-90, -45, 45, 90}},
  PlotLegends → Placed[{"ψ"}, {0.7, 0.9}], PlotStyle → {Blue},
  AxesLabel → {"Azimuth angle(φ)", None}, ImageSize → 500, AspectRatio → 1 / 2,
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black}},
Plot[{ψ[φ] - φ}, {φ, -180, 180}, PlotRange → {{-180, 180}, {-0.005, 0.005}},
  Ticks → {Table[45 i, {i, -12, 12}], Automatic},
  GridLines → {Table[45 i, {i, -12, 12}], Automatic},
  PlotLegends → Placed[{"ψ-φ"}, {0.9, 0.85}], PlotStyle → {Blue},
  AxesLabel → {"Azimuth angle(φ)", None}, ImageSize → 500, AspectRatio → 1 / 2,
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black}]
  (* Supplementary Figure 8b *)
}

{Plot[Et[φ], {φ, -180, 180}, PlotRange → {{-180, 180}, All},
  Ticks → {Table[30 i, {i, -12, 12}], Automatic},
  GridLines → {Table[45 i, {i, -12, 12}], Automatic},
  PlotLegends → Placed[{"|Et|"}, {0.84, 0.87}], PlotStyle → {Blue},
  AxesLabel → {" Azimuth ang(φ)", None}, ImageSize → 500, AspectRatio → 1 / 2,
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black}]
  (* Supplementary Figure 8c *)
Plot[It[φ], {φ, -180, 180}, PlotRange → {{-180, 180}, All},
  Ticks → {Table[30 i, {i, -12, 12}], Automatic},
  GridLines → {Table[45 i, {i, -12, 12}], Automatic},
  PlotLegends → Placed[{"It"}, {0.84, 0.87}], PlotStyle → {Blue},
  AxesLabel → {" Azimuth ang(φ)", None}, ImageSize → 500, AspectRatio → 1 / 2,
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black}}]

Plot[tot[φ], {φ, -180, 180}, PlotRange → {{-180, 180}, All},
  Ticks → {Table[30 i, {i, -12, 12}], Automatic},
  GridLines → {Table[45 i, {i, -12, 12}], Automatic},
  PlotLegends → Placed[{"t_tot"}, {0.84, 0.87}], PlotStyle → {Blue},
  AxesLabel → {" Azimuth ang(φ)", None}, ImageSize → 500, AspectRatio → 1 / 2,
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black}]

```





D. 100 CNC angle generation for the five CMF organizations: crossed-polylamellate, random, helicoidal (10°), uniaxial, and biomodal.

```
In[320]:= n = 100; (* number of CNCs (layers) *)
 $\phi_1 = 60$ ; (* angle of the first CNC *)
(*60 deg was chosen as an example - Supplementary Figure 8 *)
 $\phi_1 = \phi_1$ ; (*  $\epsilon$  is a small number,  $10^{-9}$  *)
```

(*defined functions*)

```
F360[x_] := x - Floor[x, 360];
```

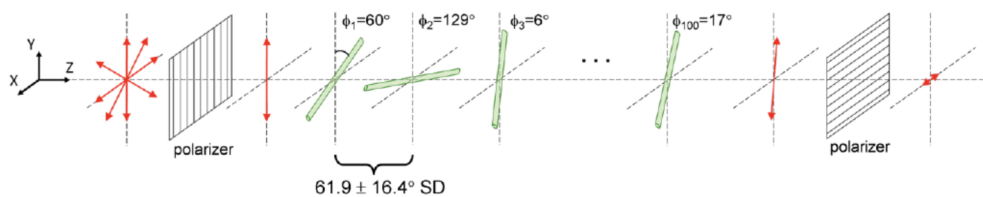
```
F180[x_] := x - Floor[x, 180];
```

```
F180off[x_] := N[ArcSin[Sin[x *  $\frac{\pi}{180}$ ]] *  $\frac{180}{\pi}$ ];
```

```
F90off[x_] := N[ArcCos[Cos[x *  $\frac{\pi}{180}$ ]] *  $\frac{180}{\pi}$ ];
```

(* Supplementary Figure 8d *)

Crossed-polylamellate structure as an example



```

In[327]:= (* Crossed-polylamellate structure*)
 $\phi$ cl = Table[0, {i, 1, n}];
 $\phi$ cl[[1]] =  $\phi$ 1;
d $\phi$ cl = Table[0, {i, 1, n}];
d $\phi$ cl[[1]] =  $\phi$ 1;

For[i = 1, i < n, i++,
   $\phi$ cl[[i + 1]] = Round[
     $\phi$ cl[[i]] + RandomVariate[NormalDistribution[61.9, 15.4]] * (-1)RandomInteger[{1,10}]];
  d $\phi$ cl[[i + 1]] =  $\phi$ cl[[i + 1]] -  $\phi$ cl[[i]];
]

 $\phi$ cl;
 $\phi$ cl360 = F360[ $\phi$ cl]
 $\phi$ cl180 = F180[ $\phi$ cl];
 $\phi$ cl180Norm = F180[ $\phi$ cl180 + 90];

Out[333]:= {60, 328, 261, 189, 102, 137, 187, 132, 200, 146, 223, 145, 53, 22, 293, 232,
  283, 230, 287, 242, 179, 119, 182, 250, 309, 226, 277, 181, 250, 311, 353, 279,
  223, 174, 218, 162, 231, 169, 119, 174, 211, 148, 78, 114, 59, 1, 290, 351,
  271, 331, 276, 358, 53, 346, 56, 3, 71, 149, 204, 249, 321, 23, 84, 7, 68, 121,
  185, 123, 176, 236, 275, 191, 125, 69, 23, 333, 14, 76, 30, 308, 258, 314, 239,
  154, 87, 27, 70, 131, 214, 117, 155, 125, 53, 351, 321, 269, 331, 32, 328, 267}

```



```

In[336]:= (* random orientation *)
 $\phi$ ra = Round[RandomReal[{0, 360}, n]];
 $\phi$ ra[[1]] =  $\phi$ 1;

d $\phi$ ra = Table[0, {i, 1, n}];
d $\phi$ ra[[1]] =  $\phi$ 1;

For[i = 1, i < n, i++,
  d $\phi$ ra[[i + 1]] =  $\phi$ ra[[i + 1]] -  $\phi$ ra[[i]];
]

 $\phi$ ra;
 $\phi$ ra360 = F360[ $\phi$ ra]
 $\phi$ ra180 = F180[ $\phi$ ra];
 $\phi$ ra180Norm = F180[ $\phi$ ra180 + 90];

```

```

Out[342]= {60, 185, 51, 58, 288, 286, 231, 63, 65, 115, 231, 73, 129, 159, 154, 250, 54,
  296, 256, 310, 242, 139, 122, 301, 297, 71, 65, 69, 55, 19, 339, 136, 160, 181,
  281, 46, 170, 36, 172, 25, 175, 145, 21, 47, 240, 301, 256, 19, 137, 6, 261,
  22, 303, 333, 143, 63, 75, 323, 264, 28, 8, 165, 13, 113, 268, 342, 112, 307,
  331, 137, 130, 345, 91, 288, 187, 288, 191, 235, 337, 140, 64, 88, 13, 271,
  130, 22, 192, 216, 157, 301, 315, 144, 7, 218, 323, 109, 222, 297, 94, 103}

```

```

In[345]:= (* helicoidal 10° *)
 $\phi$ he = Table[0, {i, 1, n}];
 $\phi$ he[[1]] =  $\phi$ 1;

For[i = 1, i < n, i++,
   $\phi$ he[[i + 1]] =  $\phi$ he[[i]] + 10
]
 $\phi$ he;
 $\phi$ he360 = F360[ $\phi$ he]
 $\phi$ he180 = F180[ $\phi$ he];
 $\phi$ he180Norm = F180[ $\phi$ he180 + 90];

```

```

Out[349]= {60, 70, 80, 90, 100, 110, 120, 130, 140, 150, 160, 170, 180, 190, 200, 210, 220,
  230, 240, 250, 260, 270, 280, 290, 300, 310, 320, 330, 340, 350, 0, 10, 20,
  30, 40, 50, 60, 70, 80, 90, 100, 110, 120, 130, 140, 150, 160, 170, 180, 190,
  200, 210, 220, 230, 240, 250, 260, 270, 280, 290, 300, 310, 320, 330, 340, 350,
  0, 10, 20, 30, 40, 50, 60, 70, 80, 90, 100, 110, 120, 130, 140, 150, 160, 170,
  180, 190, 200, 210, 220, 230, 240, 250, 260, 270, 280, 290, 300, 310, 320, 330}

```

```

In[352]:= (* uniaxial 10° *)
 $\phi_{un}$  = Round[RandomVariate[NormalDistribution[90, 10], n], 1]
 $\phi_{un}$ ;
 $\phi_{un360}$  = F360[ $\phi_{un}$ ];
 $\phi_{un180}$  = F180[ $\phi_{un}$ ];
 $\phi_{un180Norm}$  = F180[ $\phi_{un180} + 90$ ];

Out[352]= {78, 85, 86, 86, 89, 111, 91, 102, 107, 78, 97, 93, 107, 83, 84, 84, 98, 65, 91, 80, 102,
84, 82, 81, 89, 94, 101, 107, 104, 114, 96, 85, 77, 90, 84, 85, 87, 94, 89, 94,
89, 69, 88, 89, 92, 87, 86, 98, 101, 90, 86, 95, 88, 65, 100, 78, 91, 86, 93, 87,
90, 89, 82, 94, 81, 86, 91, 103, 85, 87, 105, 82, 77, 99, 90, 89, 90, 112, 98, 89,
100, 89, 85, 87, 108, 97, 106, 78, 84, 91, 91, 84, 83, 107, 90, 94, 91, 93, 80, 87}

In[357]:= (* bimodal ° *)
 $\phi_{bi}$  = RandomVariate[MixtureDistribution[{1, 1},
{NormalDistribution[42, 8], NormalDistribution[135, 10]}], n];
 $\phi_{bi}$  = Round[ $\phi_{bi}$ , 1]
 $\phi_{bi360}$  = F360[ $\phi_{bi}$ ];
 $\phi_{bi180}$  = F180[ $\phi_{bi}$ ];
 $\phi_{bi180Norm}$  = F180[ $\phi_{bi180} + 90$ ];

Out[358]= {29, 21, 149, 41, 46, 36, 123, 126, 40, 31, 136, 50, 41, 44, 139, 145, 40,
116, 34, 149, 38, 49, 138, 119, 146, 137, 134, 154, 51, 130, 128, 142, 128,
39, 131, 141, 132, 141, 138, 145, 34, 134, 130, 120, 45, 34, 40, 143, 48,
146, 39, 139, 138, 45, 46, 28, 32, 124, 46, 37, 35, 142, 43, 37, 134, 132,
143, 35, 29, 56, 121, 129, 132, 34, 48, 39, 145, 130, 41, 134, 45, 126, 52,
138, 127, 22, 139, 136, 123, 53, 113, 51, 154, 128, 31, 41, 42, 146, 135, 41}

```

E. Light properties after the 100 CNC organizations - Loop1 for each organization

```

In[362]:=  $\phi_i = 0$ ; (* the initial polarization direction of the incident beam w.r.t. y-axis *)
(*0 deg was chosen as an example - Supplementary Figure 8 *)
 $\phi_i = \phi_i + \epsilon$ ; (*  $\epsilon$  is a small number,  $10^{-9}$  *)

```

1) Cross-polylamellate

Storage

Loop

```
In[380]:= For[p = 1, p < n + 1, p++,

  ϕbtn[[p]] = ψy[[p]] - ϕcl180Norm[[p]]; (* convert axis: From y-axis to CNC normal *)
  ψres[[p]] = ψ[ϕbtn[[p]]]; (* result of rotation in CNC normal axis*)
  ψy[[p + 1]] = ψres[[p]] + ϕcl180Norm[[p]];
  (* back to y-axis system*) (*F180 is for *)

  dψ[[p]] = ψres[[p]] - ϕbtn[[p]]; (* (ψafter - ψbefore) in CNC axis *)

  ttot[[p]] = tt[ϕbtn[[p]]];
  Etot[[p + 1]] = Etot[[p]] * ttot[[p]]; (* energy loss as passing through *)

  dψ2[[p]] = ψy[[p + 1]] - ψy[[p]];
  (* (ψafter - ψbefore) in CNC axis. How much rotation @ each CNC*)
]
PI = (Etot[[n + 1]] * Sin[(ψy[[n + 1]] - ϕ1) *  $\frac{\pi}{180}$ ])2; (* I = (|Etotal| * sinψ)2 - Equation 5 *)
```

Check plots and final intensity (Supplementary Figure 8e,f here)

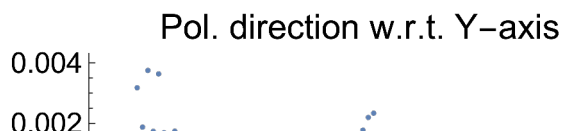
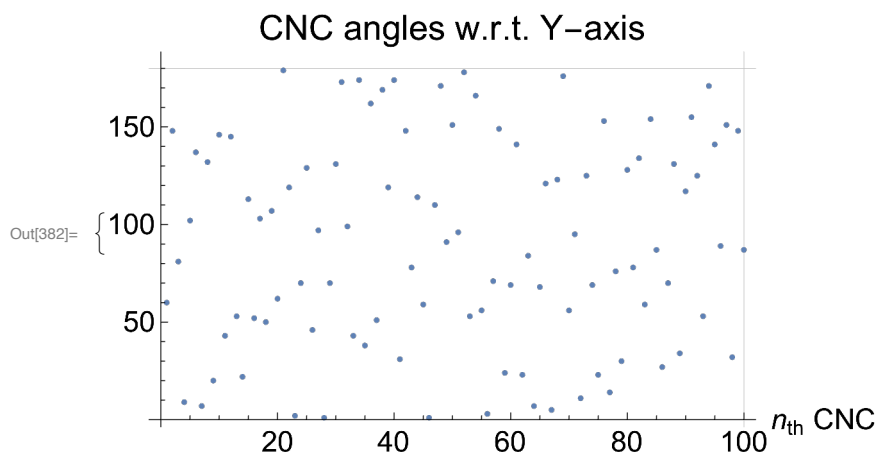
```

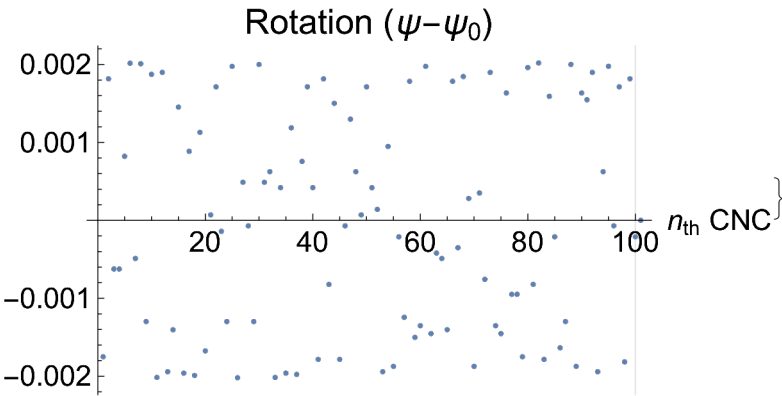
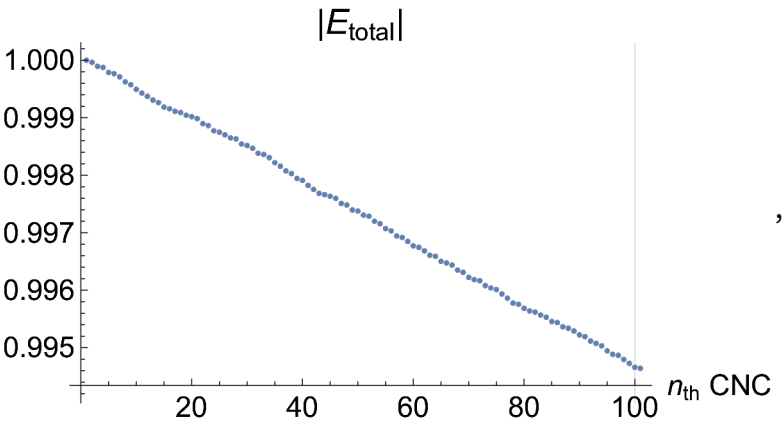
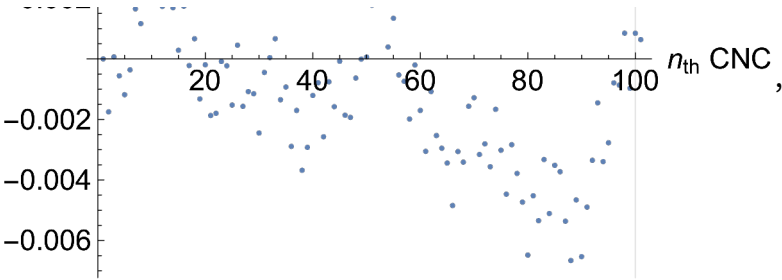
In[382]:= {ListPlot[φcl180, ImageSize → 400, PlotRange → All, AxesLabel → {"nth CNC", None},
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black},
  GridLines → {{100}, {180}}, AxesOrigin → {0, 0},
  PlotLabel → "CNC angles w.r.t. Y-axis"] (* Supplementary Figure 8e *),
ListPlot[ψy, ImageSize → 400, PlotRange → All,
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black},
  AxesLabel → {"nth CNC", None}, PlotLabel → "Pol. direction w.r.t. Y-axis",
  GridLines → {{100}, None}] (* Supplementary Figure 8f *),
ListPlot[Etot, ImageSize → 400, PlotRange → All,
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black},
  AxesLabel → {"nth CNC", None}, PlotLabel → "|Etotal|", GridLines → {{100}, None}],
ListPlot[(dψ), ImageSize → 400, PlotRange → All, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Rotation (ψ-ψ0)", GridLines → {{100}, None}]]
{ListPlot[φbtn, ImageSize → 400, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Pol. direction w.r.t. CNC normal (before)",
  GridLines → {{100}, None}],
ListPlot[ψres, ImageSize → 400, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Pol. direction w.r.t. CNC normal (after)",
  GridLines → {{100}, None}]]

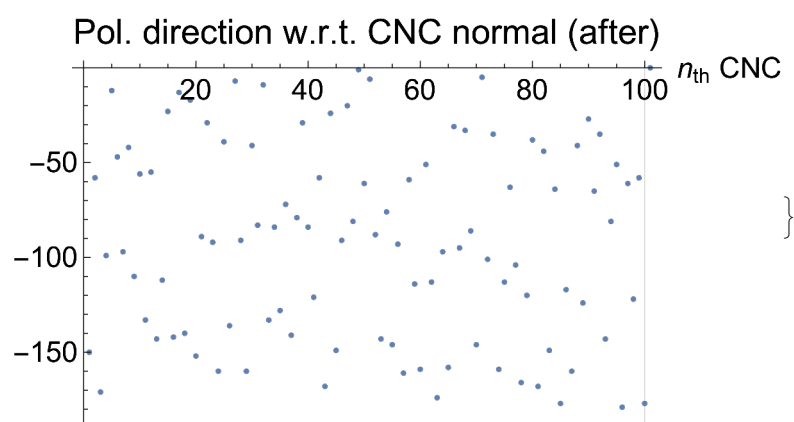
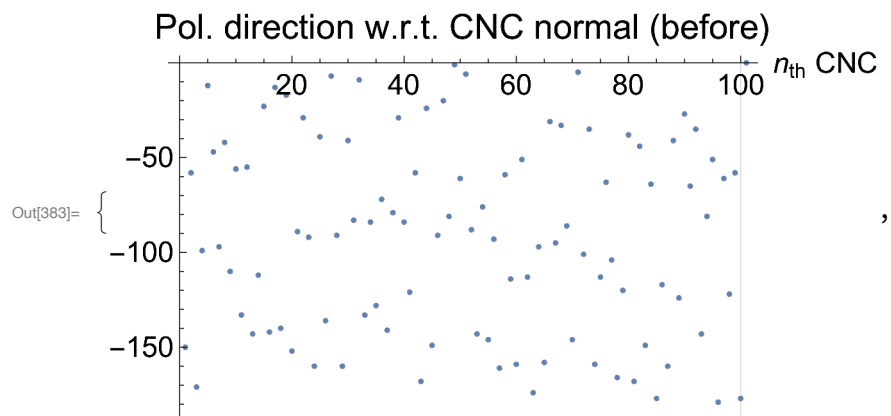
```

```
Print["Etotal after 100th CNC=", Etot[[n+1]]]
```

```
Print["Final intensity after the 2nd polarizer=", PI]
```







E_{total} after 100th CNC = $0.994641 + 0.i$

Final intensity after the 2nd polarizer = $0.741974 + 0.i$

Check numbers after each CNC

2) Random

Storage

Loop

```
In[407]:= For[p = 1, p < n + 1, p++,

  ϕbtn[[p]] = ψy[[p]] - ϕra180Norm[[p]]; (* convert axis: From y-axis to CNC normal *)
  ψres[[p]] = ψ[ϕbtn[[p]]]; (* result of rotation in CNC normal axis*)
  ψy[[p + 1]] = ψres[[p]] + ϕra180Norm[[p]];
  (* back to y-axis system*) (*F180 is for *)

  dψ[[p]] = ψres[[p]] - ϕbtn[[p]]; (* (ψafter - ψbefore) in CNC axis *)

  ttot[[p]] = tt[ϕbtn[[p]]];
  Etot[[p + 1]] = Etot[[p]] * ttot[[p]]; (* energy loss as passing through *)

  dψ2[[p]] = ψy[[p + 1]] - ψy[[p]];
  (* (ψafter - ψbefore) in CNC axis. How much rotation @ each CNC*)
]
PI = (Etot[[n + 1]] * Sin[(ψy[[n + 1]] - ϕ1) *  $\frac{\pi}{180}$ ])2; (* I = (|Etotal| * sinψ)2 - Equation 5 *)
```

Check plots and final intensity

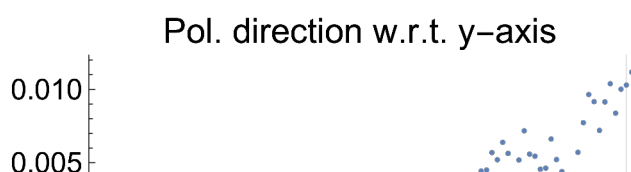
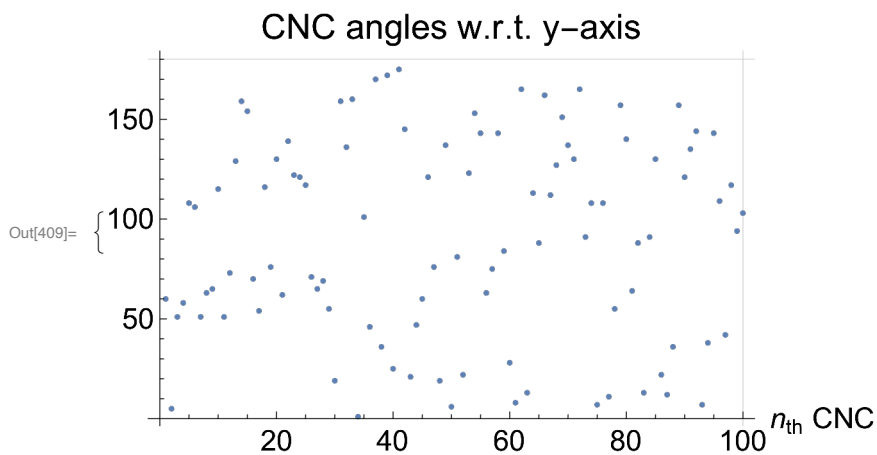
```

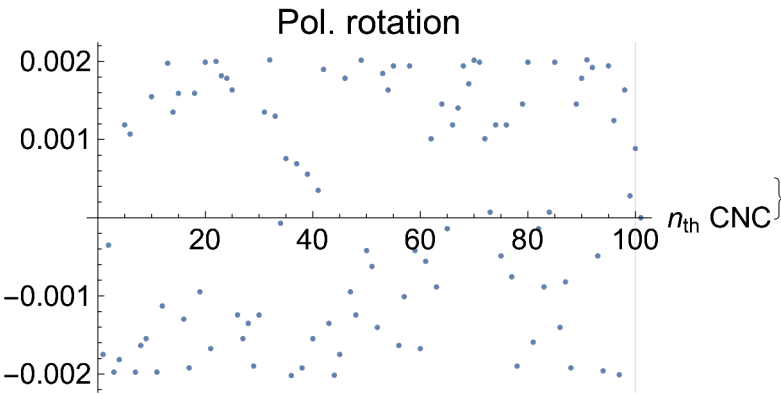
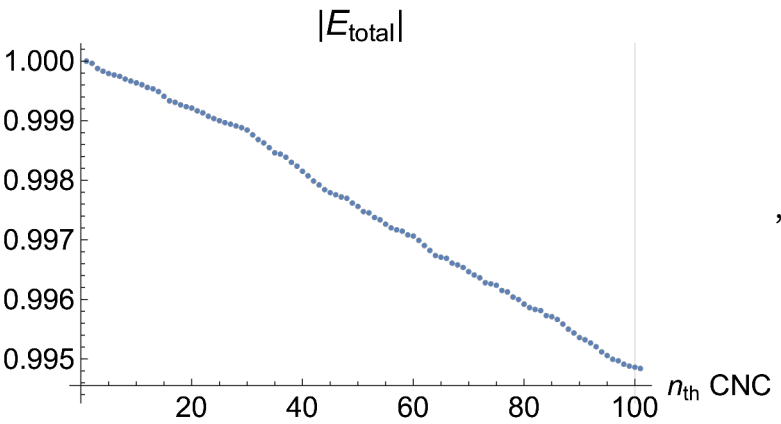
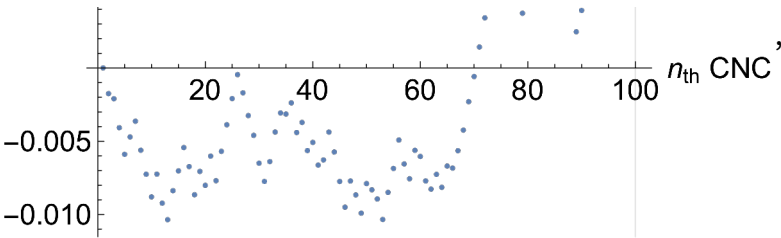
In[409]:= {ListPlot[φra180, ImageSize → 400, PlotRange → All, AxesLabel → {"nth CNC", None},
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black},
  GridLines → {{100}, {180}}, AxesOrigin → {0, 0},
  PlotLabel → "CNC angles w.r.t. y-axis",
ListPlot[ψy, ImageSize → 400, PlotRange → All, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Pol. direction w.r.t. y-axis", GridLines → {{100}, None}],
ListPlot[Etot, ImageSize → 400, PlotRange → All,
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black},
  AxesLabel → {"nth CNC", None}, PlotLabel → "|Etotal|", GridLines → {{100}, None}],
ListPlot[(dψ), ImageSize → 400, PlotRange → All, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Pol. rotation", GridLines → {{100}, None}]}
{ListPlot[φbtn, ImageSize → 400, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Pol. direction w.r.t. CNC normal (before)",
  GridLines → {{100}, None}],
ListPlot[ψres, ImageSize → 400, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Pol. direction w.r.t. CNC normal (after)",
  GridLines → {{100}, None}]}

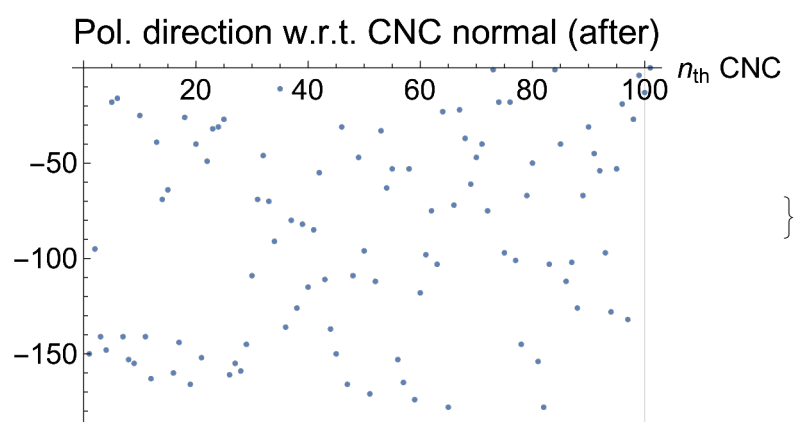
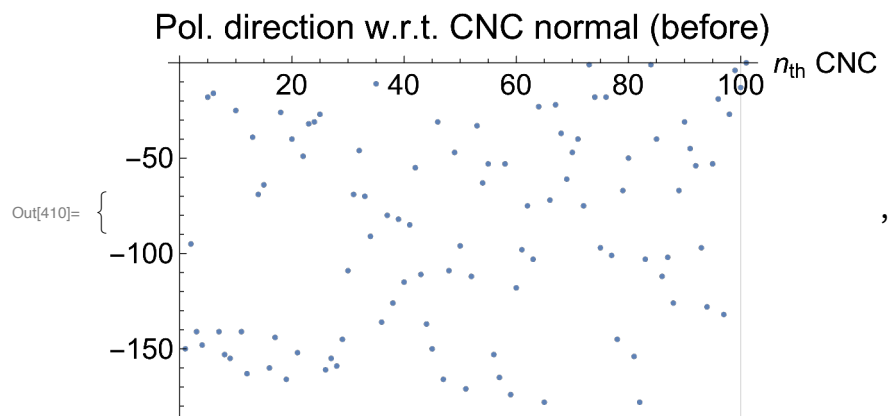
```

```
Print["Etotal after 100th CNC=", Etot[[n+1]]]
```

```
Print["Final intensity after the 2nd polarizer=", PI]
```







E_{total} after 100th CNC = $0.994841 + 0.i$

Final intensity after the 2nd polarizer = $0.742114 + 0.i$

Check numbers after each CNC

3) Helicoidal

Storage

Loop

```
In[434]:= For[p = 1, p < n + 1, p++,

  ϕbtn[[p]] = ψy[[p]] - ϕhe180Norm[[p]]; (* convert axis: From y-axis to CNC normal *)
  ψres[[p]] = ψ[ϕbtn[[p]]]; (* result of rotation in CNC normal axis*)
  ψy[[p + 1]] = ψres[[p]] + ϕhe180Norm[[p]];
  (* back to y-axis system*) (*F180 is for *)

  dψ[[p]] = ψres[[p]] - ϕbtn[[p]]; (* (ψafter - ψbefore) in CNC axis *)

  ttot[[p]] = tt[ϕbtn[[p]]];
  Etot[[p + 1]] = Etot[[p]] * ttot[[p]]; (* energy loss as passing through *)

  dψ2[[p]] = ψy[[p + 1]] - ψy[[p]];
  (* (ψafter - ψbefore) in CNC axis. How much rotation @ each CNC*)
]
PI = (Etot[[n + 1]] * Sin[(ψy[[n + 1]] - ϕ1) *  $\frac{\pi}{180}$ ])2; (* I = (|Etotal| * sinψ)2 - Equation 5 *)
```

Check plots and final intensity

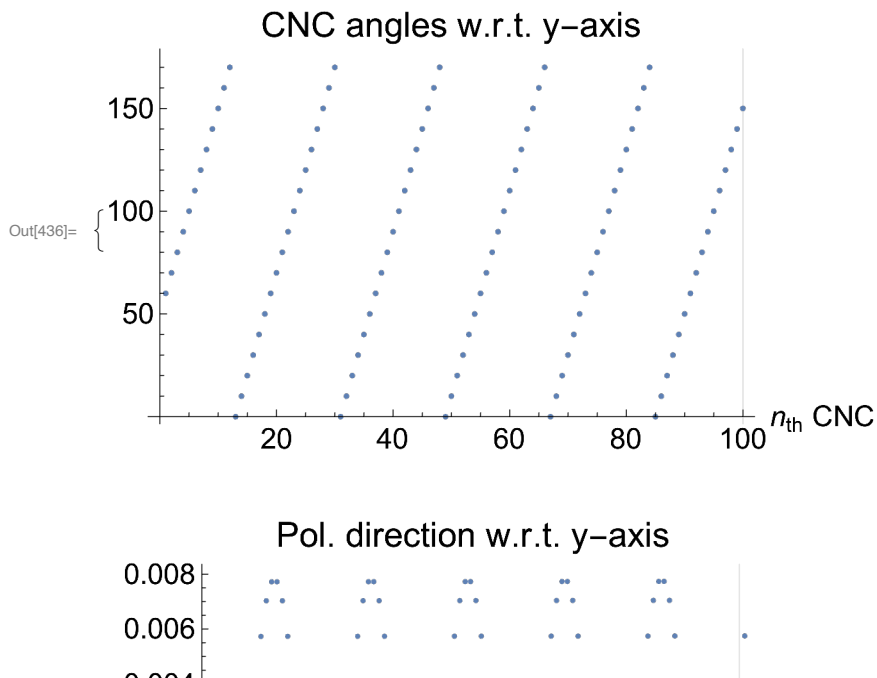
```

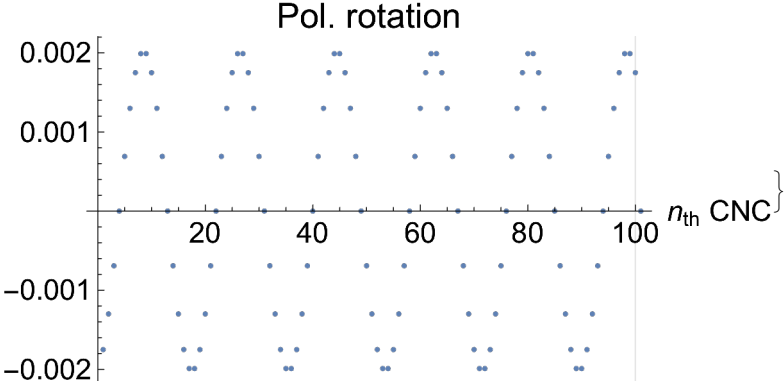
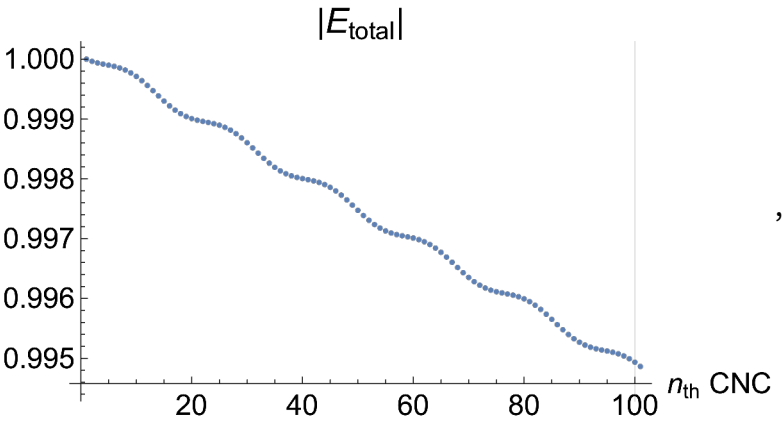
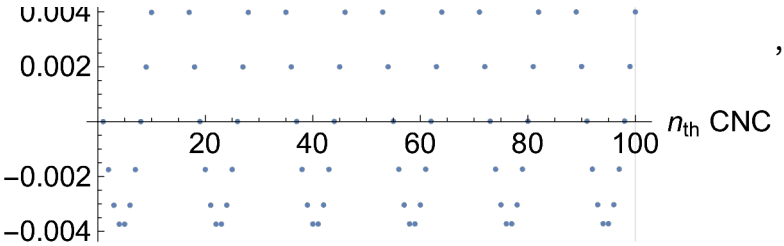
In[436]:= {ListPlot[phi180, ImageSize -> 400, PlotRange -> All, AxesLabel -> {"nth CNC", None},
  LabelStyle -> {FontFamily -> "Arial", FontSize -> 15, Black},
  GridLines -> {{100}, {180}}, AxesOrigin -> {0, 0},
  PlotLabel -> "CNC angles w.r.t. y-axis",
ListPlot[psi, ImageSize -> 400, PlotRange -> All, LabelStyle ->
  {FontFamily -> "Arial", FontSize -> 15, Black}, AxesLabel -> {"nth CNC", None},
  PlotLabel -> "Pol. direction w.r.t. y-axis", GridLines -> {{100}, None}],
ListPlot[Etot, ImageSize -> 400, PlotRange -> All,
  LabelStyle -> {FontFamily -> "Arial", FontSize -> 15, Black},
  AxesLabel -> {"nth CNC", None}, PlotLabel -> "|Etotal|", GridLines -> {{100}, None}],
ListPlot[(dpsi), ImageSize -> 400, PlotRange -> All, LabelStyle ->
  {FontFamily -> "Arial", FontSize -> 15, Black}, AxesLabel -> {"nth CNC", None},
  PlotLabel -> "Pol. rotation", GridLines -> {{100}, None}]]
{ListPlot[phibtn, ImageSize -> 400, LabelStyle ->
  {FontFamily -> "Arial", FontSize -> 15, Black}, AxesLabel -> {"nth CNC", None},
  PlotLabel -> "Pol. direction w.r.t. CNC normal (before)",
  GridLines -> {{100}, None}],
ListPlot[psires, ImageSize -> 400, LabelStyle ->
  {FontFamily -> "Arial", FontSize -> 15, Black}, AxesLabel -> {"nth CNC", None},
  PlotLabel -> "Pol. direction w.r.t. CNC normal (after)",
  GridLines -> {{100}, None}]]

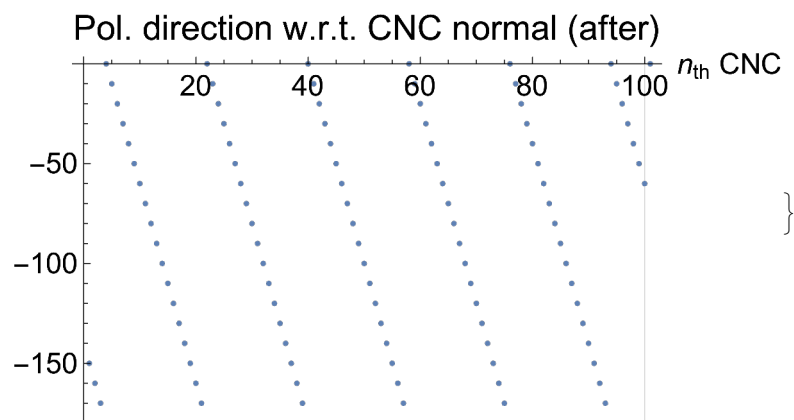
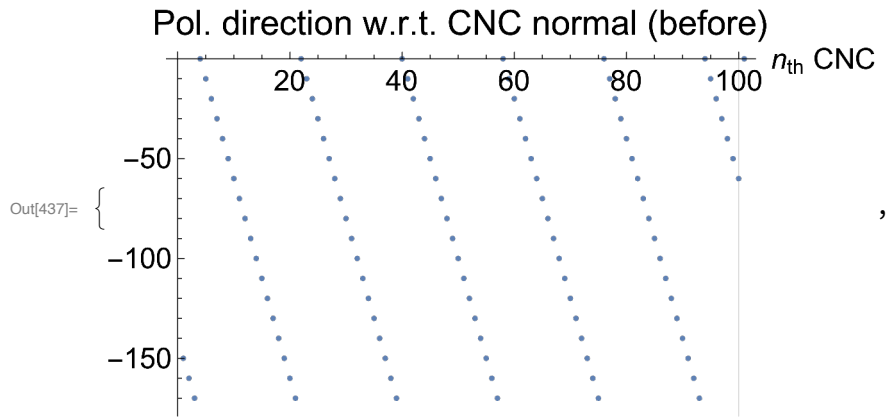
```

```
Print["Etotal after 100th CNC=", Etot[[n+1]]]
```

```
Print["Final intensity after the 2nd polarizer=", PI]
```







E_{total} after 100th CNC = $0.994863 + 0.i$

Final intensity after the 2nd polarizer = $0.742228 + 0.i$

Check numbers after each CNC

4) Uniaxial

Storage

Loop

```
In[461]:= For[p = 1, p < n + 1, p++,

  ϕbtn[[p]] = ψy[[p]] - ϕun180Norm[[p]]; (* convert axis: From y-axis to CNC normal *)
  ψres[[p]] = ψ[ϕbtn[[p]]]; (* result of rotation in CNC normal axis*)
  ψy[[p + 1]] = ψres[[p]] + ϕun180Norm[[p]];
  (* back to y-axis system*) (*F180 is for *)

  dψ[[p]] = ψres[[p]] - ϕbtn[[p]]; (* (ψafter - ψbefore) in CNC axis *)

  ttot[[p]] = tt[ϕbtn[[p]]];
  Etot[[p + 1]] = Etot[[p]] * ttot[[p]]; (* energy loss as passing through *)

  dψ2[[p]] = ψy[[p + 1]] - ψy[[p]];
  (* (ψafter - ψbefore) in CNC axis. How much rotation @ each CNC*)

]
```

$$PI = \left(Etot[[n + 1]] * \sin \left[(\psi y[[n + 1]] - \phi 1) * \frac{\pi}{180} \right] \right)^2; \quad (* I = (|E_{total}| * \sin \psi)^2 - \text{Equation 5} *)$$

Check plots and final intensity

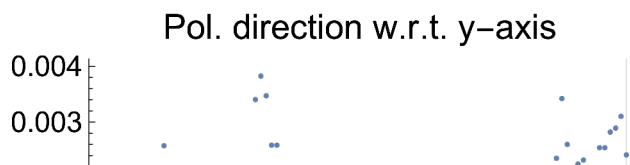
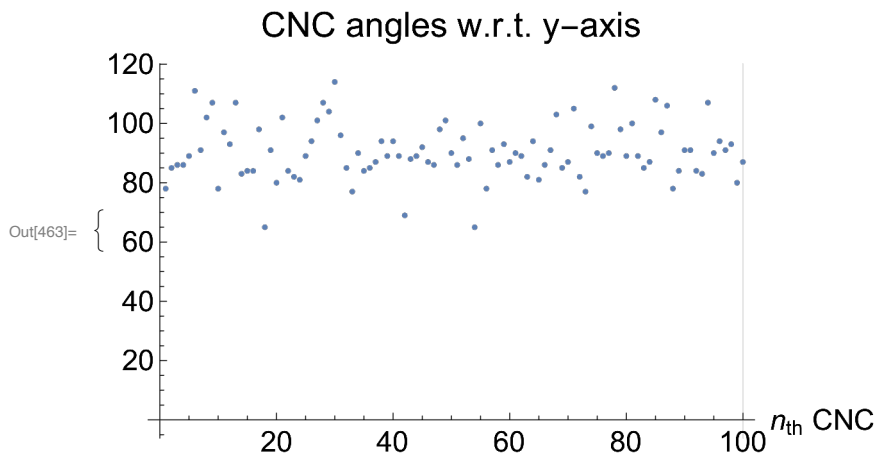
```

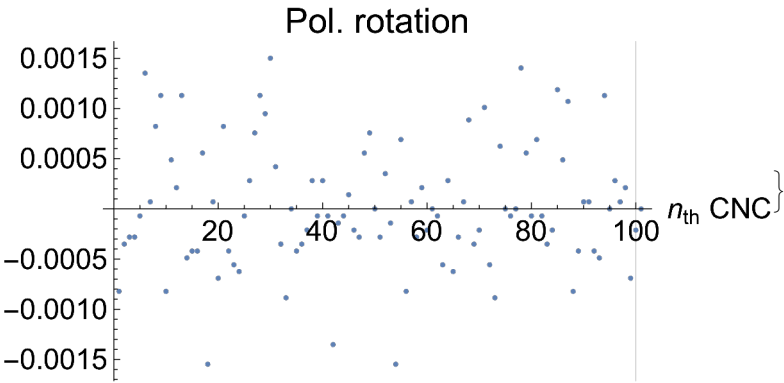
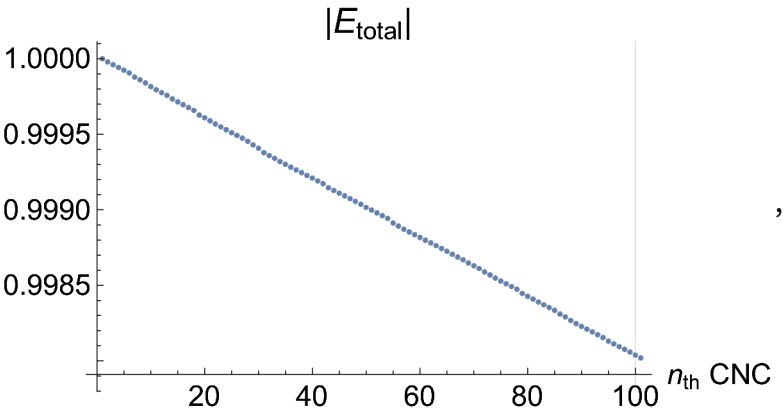
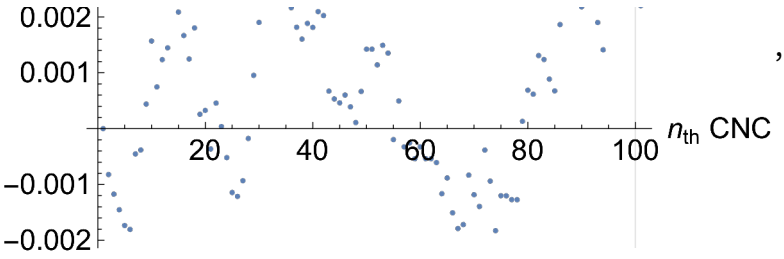
In[463]:= {ListPlot[ϕun180, ImageSize → 400, PlotRange → All, AxesLabel → {"nth CNC", None},
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black},
  GridLines → {{100}, {180}}, AxesOrigin → {0, 0},
  PlotLabel → "CNC angles w.r.t. y-axis"],
ListPlot[ψy, ImageSize → 400, PlotRange → All, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Pol. direction w.r.t. y-axis", GridLines → {{100}, None}],
ListPlot[Etot, ImageSize → 400, PlotRange → All,
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black},
  AxesLabel → {"nth CNC", None}, PlotLabel → "|Etotal|", GridLines → {{100}, None}],
ListPlot[(dψ), ImageSize → 400, PlotRange → All, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Pol. rotation", GridLines → {{100}, None}]]
{ListPlot[ϕbtn, ImageSize → 400, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Pol. direction w.r.t. CNC normal (before)",
  GridLines → {{100}, None}],
ListPlot[ψres, ImageSize → 400, LabelStyle →
  {FontFamily → "Arial", FontSize → 15, Black}, AxesLabel → {"nth CNC", None},
  PlotLabel → "Pol. direction w.r.t. CNC normal (after)",
  GridLines → {{100}, None}]]

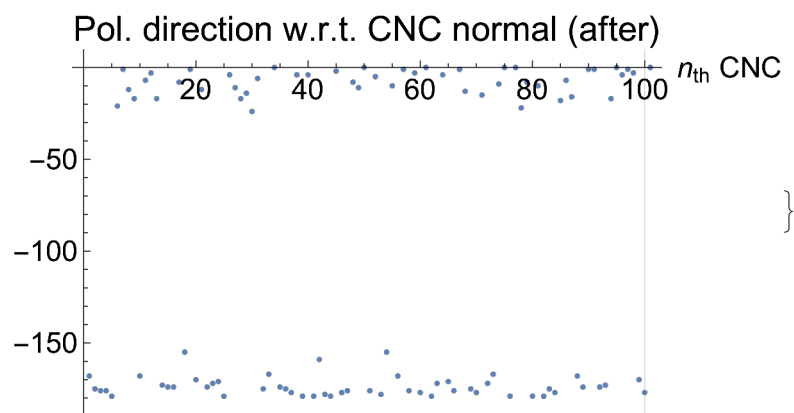
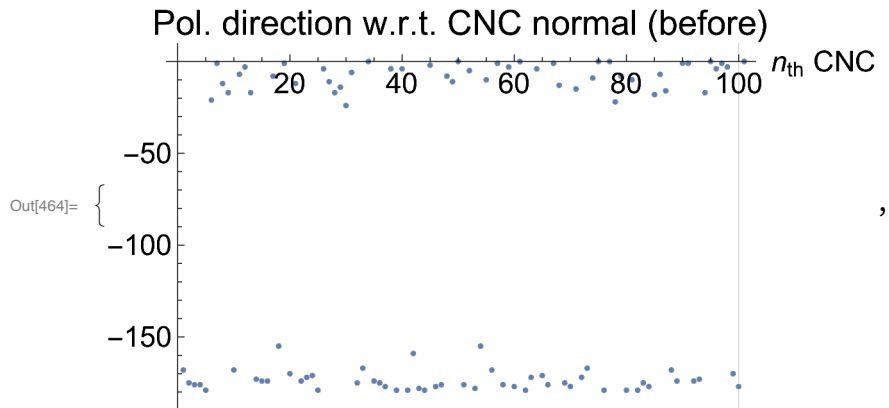
```

```
Print["Etotal after 100th CNC=", Etot[[n+1]]]
```

```
Print["Final intensity after the 2nd polarizer=", PI]
```







E_{total} after 100th CNC = $0.99802 + 0.i$

Final intensity after the 2nd polarizer = $0.747 + 0.i$

Check numbers after each CNC

5) Bimodal

Storage

Loop

```
In[488]:= For[p = 1, p < n + 1, p++,

  ϕbtn[[p]] = ψy[[p]] - ϕbi180Norm[[p]]; (* convert axis: From y-axis to CNC normal *)
  ψres[[p]] = ψ[ϕbtn[[p]]]; (* result of rotation in CNC normal axis*)
  ψy[[p + 1]] = ψres[[p]] + ϕbi180Norm[[p]];
  (* back to y-axis system*) (*F180 is for *)

  dψ[[p]] = ψres[[p]] - ϕbtn[[p]]; (* (ψafter - ψbefore) in CNC axis *)

  ttot[[p]] = tt[ϕbtn[[p]]];
  Etot[[p + 1]] = Etot[[p]] * ttot[[p]]; (* energy loss as passing through *)

  dψ2[[p]] = ψy[[p + 1]] - ψy[[p]];
  (* (ψafter - ψbefore) in CNC axis. How much rotation @ each CNC*)
]
PI = (Etot[[n + 1]] * Sin[(ψy[[n + 1]] - ϕ1) *  $\frac{\pi}{180}$ ])2; (* I = (|Etotal| * sinψ)2 - Equation 5 *)
```

Check plots and final intensity

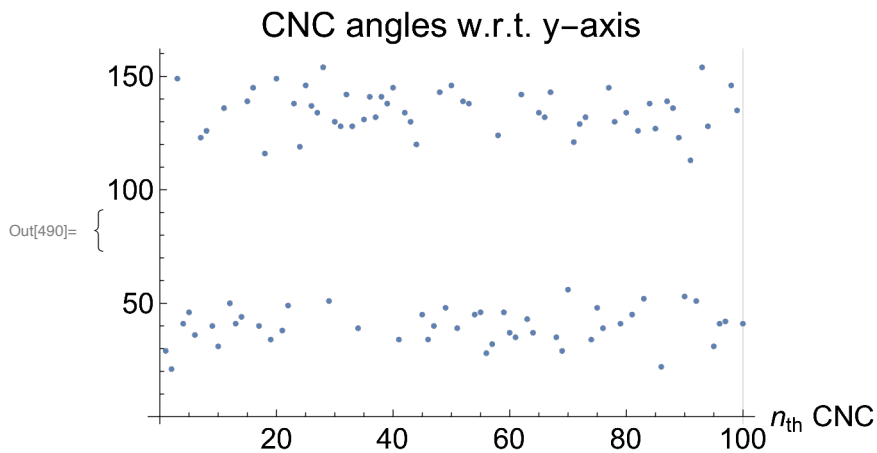
```

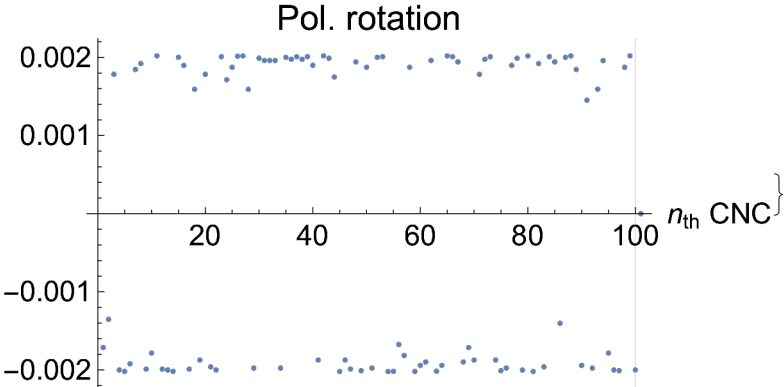
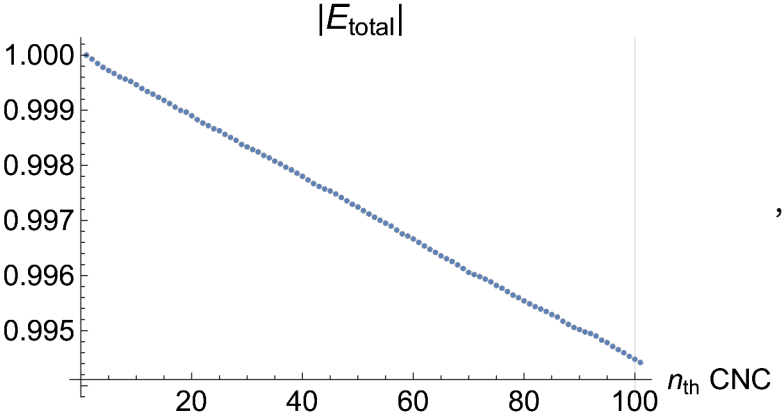
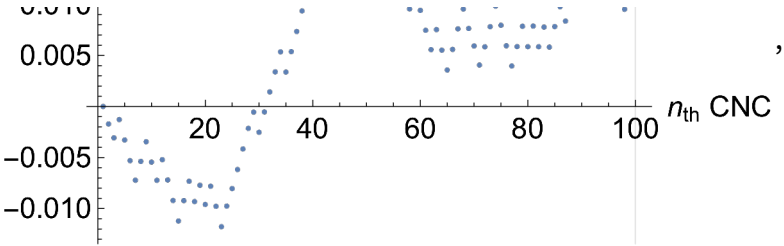
In[490]:= {ListPlot[phi180, ImageSize -> 400, PlotRange -> All, AxesLabel -> {"nth CNC", None},
  LabelStyle -> {FontFamily -> "Arial", FontSize -> 15, Black},
  GridLines -> {{100}, {180}}, AxesOrigin -> {0, 0},
  PlotLabel -> "CNC angles w.r.t. y-axis"],
ListPlot[psi, ImageSize -> 400, PlotRange -> All, LabelStyle ->
  {FontFamily -> "Arial", FontSize -> 15, Black}, AxesLabel -> {"nth CNC", None},
  PlotLabel -> "Pol. direction w.r.t. y-axis", GridLines -> {{100}, None}],
ListPlot[Etot, ImageSize -> 400, PlotRange -> All,
  LabelStyle -> {FontFamily -> "Arial", FontSize -> 15, Black},
  AxesLabel -> {"nth CNC", None}, PlotLabel -> "|Etotal|", GridLines -> {{100}, None}],
ListPlot[(dpsi), ImageSize -> 400, PlotRange -> All, LabelStyle ->
  {FontFamily -> "Arial", FontSize -> 15, Black}, AxesLabel -> {"nth CNC", None},
  PlotLabel -> "Pol. rotation", GridLines -> {{100}, None}]]
{ListPlot[phibtn, ImageSize -> 400, LabelStyle ->
  {FontFamily -> "Arial", FontSize -> 15, Black}, AxesLabel -> {"nth CNC", None},
  PlotLabel -> "Pol. direction w.r.t. CNC normal (before)",
  GridLines -> {{100}, None}],
ListPlot[psires, ImageSize -> 400, LabelStyle ->
  {FontFamily -> "Arial", FontSize -> 15, Black}, AxesLabel -> {"nth CNC", None},
  PlotLabel -> "Pol. direction w.r.t. CNC normal (after)",
  GridLines -> {{100}, None}]]

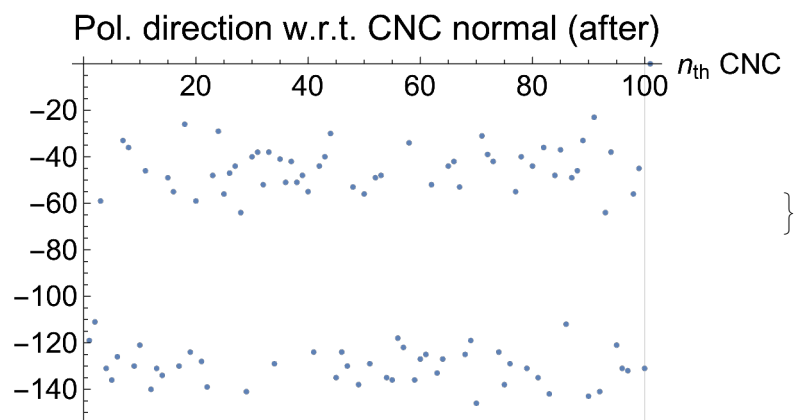
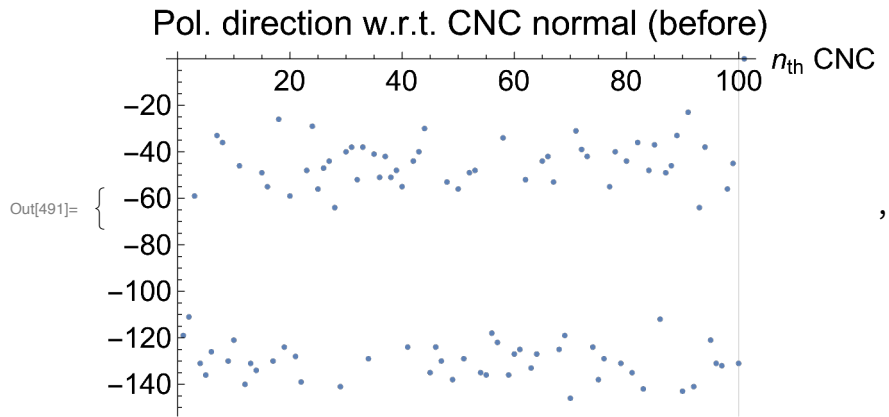
```

```
Print["Etotal after 100th CNC=", Etot[[n+1]]]
```

```
Print["Final intensity after the 2nd polarizer=", PI]
```







E_{total} after 100th CNC= $0.994422 + 0. i$

Final intensity after the 2nd polarizer= $0.741486 + 0. i$

Check numbers after each CNC

G. Final intensity as a function of the incident polarization angle

Note: the same calculation with various incident polarization angle (no explanation included). Data exportation included.

```
In[499]:= (*Crossed-polylamellate*)
PIcl[x_] := Module[{i,
   $\phi_i = x + \epsilon$ ; (* Polarization direction w.r.t. y-axis *)
   $\psi_y = \text{Table}[0, \{i, 1, n+1\}]$ ; (* Azimuth angle after passing a CNC*)
   $\psi_y[[1]] = N[\phi_i]$ ;

   $\phi_{btn} = \text{Table}[0, \{i, 1, n+1\}]$ ; (*angle between Pol. direction & CNC normal*)

   $\psi_{res} = \text{Table}[0, \{i, 1, n+1\}]$ ; (* Azimuth angle after passing a CNC*)

   $E_{tot} = \text{Table}[0, \{i, 1, n+1\}]$ ;
   $E_{tot}[[1]] = 1$ ;
   $t_{tot} = \text{Table}[0, \{i, 1, n+1\}]$ ;

   $d\psi = \text{Table}[0, \{i, 1, n+1\}]$ ;
   $d\psi_2 = \text{Table}[0, \{i, 1, n+1\}]$ ;

  (**)
  For[p = 1, p < n + 1, p++,

     $\phi_{btn}[[p]] = \psi_y[[p]] - \phi_{cl180} \text{Norm}[[p]]$ ; (* convert axis: From y-axis to CNC normal *)
     $\psi_{res}[[p]] = \psi[\phi_{btn}[[p]]]$ ; (* result of rotation in CNC normal axis*)
     $\psi_y[[p+1]] = \psi_{res}[[p]] + \phi_{cl180} \text{Norm}[[p]]$ ;
    (* back to y-axis system*) (*F180 is for *)

     $d\psi[[p]] = \psi_{res}[[p]] - \phi_{btn}[[p]]$ ; (* ( $\psi_{after} - \psi_{before}$ ) in CNC axis *)

     $t_{tot}[[p]] = t[\phi_{btn}[[p]]]$ ;
     $E_{tot}[[p+1]] = E_{tot}[[p]] * t_{tot}[[p]]$ ; (* energy loss as passing through *)

     $d\psi_2[[p]] = \psi_y[[p+1]] - \psi_y[[p]]$ ;
    (* ( $\psi_{after} - \psi_{before}$ ) in CNC axis. How much rotation @ each CNC*)

  ];
   $PI = \left( E_{tot}[[n+1]] * \text{Sin} \left[ (\psi_y[[n+1]] - \phi_i) * \frac{\pi}{180} \right] \right)^2$ 
]
clAng = Table[{i, PIcl[i]}, {i, 0, 180, 5}];
```

```

In[501]:= (*Random*)
PIra[x_] := Module[{i},
   $\phi_i = x + \epsilon$ ; (* Polarization direction w.r.t. y-axis *)
   $\psi_y = \text{Table}[0, \{i, 1, n+1\}]$ ; (* Azimuth angle after passing a CNC*)
   $\psi_y[[1]] = N[\phi_i]$ ;

   $\phi_{btn} = \text{Table}[0, \{i, 1, n+1\}]$ ; (*angle between Pol. direction & CNC normal*)

   $\psi_{res} = \text{Table}[0, \{i, 1, n+1\}]$ ; (* Azimuth angle after passing a CNC*)

  Etot = Table[0, {i, 1, n+1}];
  Etot[[1]] = 1;
  ttot = Table[0, {i, 1, n+1}];

  d $\psi$  = Table[0, {i, 1, n+1}];
  d $\psi_2$  = Table[0, {i, 1, n+1}];

  (**)
  For[p = 1, p < n + 1, p++,

     $\phi_{btn}[[p]] = \psi_y[[p]] - \phi_{ra180Norm}[[p]]$ ; (* convert axis: From y-axis to CNC normal *)
     $\psi_{res}[[p]] = \psi[\phi_{btn}[[p]]]$ ; (* result of rotation in CNC normal axis*)
     $\psi_y[[p + 1]] = \psi_{res}[[p]] + \phi_{ra180Norm}[[p]]$ ;
    (* back to y-axis system*) (*F180 is for *)

    d $\psi[[p]] = \psi_{res}[[p]] - \phi_{btn}[[p]]$ ; (* ( $\psi_{after} - \psi_{before}$ ) in CNC axis *)

    ttot[[p]] = tt[ $\phi_{btn}[[p]]$ ];
    Etot[[p + 1]] = Etot[[p]] * ttot[[p]]; (* energy loss as passing through *)

    d $\psi_2[[p]] = \psi_y[[p + 1]] - \psi_y[[p]]$ ;
    (* ( $\psi_{after} - \psi_{before}$ ) in CNC axis. How much rotation @ each CNC*)

  ];
  
$$PI = \left( \text{Etot}[[n + 1]] * \text{Sin} \left[ (\psi_y[[n + 1]] - \phi_i) * \frac{\pi}{180} \right] \right)^2$$

]
raAng = Table[{i, PIra[i]}, {i, 0, 180, 5}];

```



```

In[503]:= (*Helicoidal*)
PIhe[x_] := Module[{i},
   $\phi i = x + \epsilon$ ; (* Polarization direction w.r.t. y-axis *)
   $\psi y = \text{Table}[0, \{i, 1, n+1\}]$ ; (* Azimuth angle after passing a CNC*)
   $\psi y[[1]] = N[\phi i]$ ;

   $\phi btn = \text{Table}[0, \{i, 1, n+1\}]$ ; (*angle between Pol. direction & CNC normal*)

   $\psi res = \text{Table}[0, \{i, 1, n+1\}]$ ; (* Azimuth angle after passing a CNC*)

  Etot = Table[0, {i, 1, n+1}];
  Etot[[1]] = 1;
  ttot = Table[0, {i, 1, n+1}];

  d $\psi$  = Table[0, {i, 1, n+1}];
  d $\psi 2$  = Table[0, {i, 1, n+1}];

  (**)
  For[p = 1, p < n + 1, p++,

     $\phi btn[[p]] = \psi y[[p]] - \phi he180 \text{Norm}[[p]]$ ; (* convert axis: From y-axis to CNC normal *)
     $\psi res[[p]] = \psi[\phi btn[[p]]]$ ; (* result of rotation in CNC normal axis*)
     $\psi y[[p + 1]] = \psi res[[p]] + \phi he180 \text{Norm}[[p]]$ ;
    (* back to y-axis system*) (*F180 is for *)

    d $\psi[[p]] = \psi res[[p]] - \phi btn[[p]]$ ; (* ( $\psi$ after -  $\psi$ before) in CNC axis *)

    ttot[[p]] = tt[ $\phi btn[[p]]$ ];
    Etot[[p + 1]] = Etot[[p]] * ttot[[p]]; (* energy loss as passing through *)

    d $\psi 2[[p]] = \psi y[[p + 1]] - \psi y[[p]]$ ;
    (* ( $\psi$ after -  $\psi$ before) in CNC axis. How much rotation @ each CNC*)

  ];
  
$$PI = \left( \text{Etot}[[n + 1]] * \text{Sin} \left[ (\psi y[[n + 1]] - \phi i) * \frac{\pi}{180} \right] \right)^2$$

]
heAng = Table[{i, PIhe[i]}, {i, 0, 180, 5}];

```

```

In[505]:= (*Uniaxial*)
PIun[x_] := Module[{i},
   $\phi_i = x + \epsilon$ ; (* Polarization direction w.r.t. y-axis *)
   $\psi_y = \text{Table}[0, \{i, 1, n+1\}]$ ; (* Azimuth angle after passing a CNC*)
   $\psi_y[[1]] = N[\phi_i]$ ;

   $\phi_{btn} = \text{Table}[0, \{i, 1, n+1\}]$ ; (*angle between Pol. direction & CNC normal*)

   $\psi_{res} = \text{Table}[0, \{i, 1, n+1\}]$ ; (* Azimuth angle after passing a CNC*)

  Etot = Table[0, {i, 1, n+1}];
  Etot[[1]] = 1;
  ttot = Table[0, {i, 1, n+1}];

  d $\psi$  = Table[0, {i, 1, n+1}];
  d $\psi_2$  = Table[0, {i, 1, n+1}];

  (**)
  For[p = 1, p < n + 1, p++,

     $\phi_{btn}[[p]] = \psi_y[[p]] - \phi_{un180Norm}[[p]]$ ; (* convert axis: From y-axis to CNC normal *)
     $\psi_{res}[[p]] = \psi[\phi_{btn}[[p]]]$ ; (* result of rotation in CNC normal axis*)
     $\psi_y[[p + 1]] = \psi_{res}[[p]] + \phi_{un180Norm}[[p]]$ ;
    (* back to y-axis system*) (*F180 is for *)

    d $\psi[[p]] = \psi_{res}[[p]] - \phi_{btn}[[p]]$ ; (* ( $\psi_{after} - \psi_{before}$ ) in CNC axis *)

    ttot[[p]] = tt[ $\phi_{btn}[[p]]$ ];
    Etot[[p + 1]] = Etot[[p]] * ttot[[p]]; (* energy loss as passing through *)

    d $\psi_2[[p]] = \psi_y[[p + 1]] - \psi_y[[p]]$ ;
    (* ( $\psi_{after} - \psi_{before}$ ) in CNC axis. How much rotation @ each CNC*)

  ];
  
$$PI = \left( Etot[[n + 1]] * \text{Sin} \left[ (\psi_y[[n + 1]] - \phi_i) * \frac{\pi}{180} \right] \right)^2$$

]
unAng = Table[{i, PIun[i]}, {i, 0, 180, 5}];

```

In[507]:= (*Bimodal*)

```

PIbi[x_] := Module[{i},
   $\phi_i = x + \epsilon$ ; (* Polarization direction w.r.t. y-axis *)
   $\psi_y = \text{Table}[0, \{i, 1, n+1\}]$ ; (* Azimuth angle after passing a CNC*)
   $\psi_y[[1]] = N[\phi_i]$ ;

   $\phi_{btn} = \text{Table}[0, \{i, 1, n+1\}]$ ; (*angle between Pol. direction & CNC normal*)

   $\psi_{res} = \text{Table}[0, \{i, 1, n+1\}]$ ; (* Azimuth angle after passing a CNC*)

  Etot = Table[0, {i, 1, n+1}];
  Etot[[1]] = 1;
  ttot = Table[0, {i, 1, n+1}];

  d $\psi$  = Table[0, {i, 1, n+1}];
  d $\psi_2$  = Table[0, {i, 1, n+1}];

  (**)
  For[p = 1, p < n+1, p++,

     $\phi_{btn}[[p]] = \psi_y[[p]] - \phi_{bi180Norm}[[p]]$ ; (* convert axis: From y-axis to CNC normal *)
     $\psi_{res}[[p]] = \psi[\phi_{btn}[[p]]]$ ; (* result of rotation in CNC normal axis*)
     $\psi_y[[p+1]] = \psi_{res}[[p]] + \phi_{bi180Norm}[[p]]$ ;
    (* back to y-axis system*) (*F180 is for *)

    d $\psi[[p]] = \psi_{res}[[p]] - \phi_{btn}[[p]]$ ; (* ( $\psi_{after} - \psi_{before}$ ) in CNC axis *)

    ttot[[p]] = tt[ $\phi_{btn}[[p]]$ ];
    Etot[[p+1]] = Etot[[p]] * ttot[[p]]; (* energy loss as passing through *)

    d $\psi_2[[p]] = \psi_y[[p+1]] - \psi_y[[p]]$ ;
    (* ( $\psi_{after} - \psi_{before}$ ) in CNC axis. How much rotation @ each CNC*)

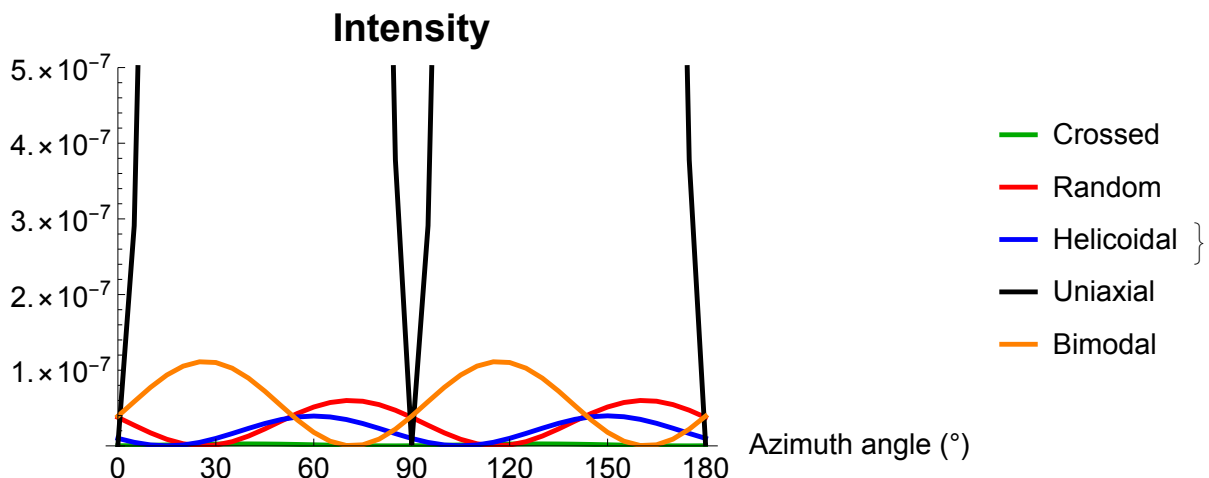
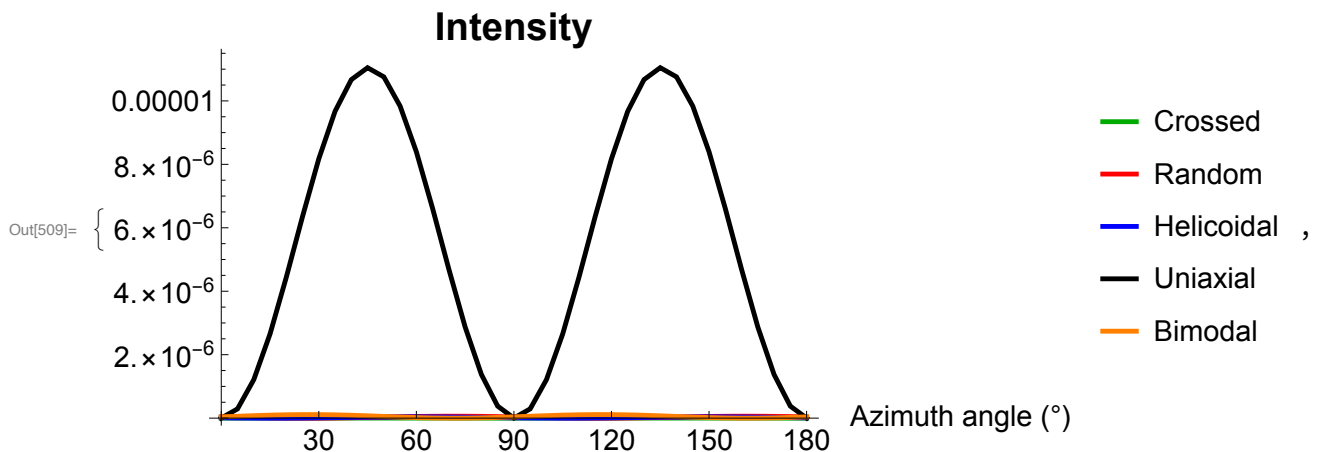
  ];
  
$$PI = \left( \text{Etot}[[n+1]] * \text{Sin} \left[ (\psi_y[[n+1]] - \phi_i) * \frac{\pi}{180} \right] \right)^2$$

]
biAng = Table[{i, PIbi[i]}, {i, 0, 180, 5}];

```

```
In[509]:= (* Check plots *)
```

```
{ListPlot[{clAng, raAng, heAng, unAng, biAng},
  PlotStyle → {{Darker[Green], Thickness[0.008]}, {Red, Thickness[0.008]}, {Blue,
    Thickness[0.008]}, {Black, Thickness[0.008]}, {Orange, Thickness[0.008]}},
  Ticks → {Table[30 i, {i, 0, 6}], Automatic}, PlotRange → All,
  ImageSize → 500, AxesLabel → {" Azimuth angle (°)", None},
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black},
  PlotLabel → Style["Intensity", 20, Black, Bold], Joined → True,
  PlotLegends → {"Crossed", "Random", "Helicoidal", "Uniaxial", "Bimodal"}],
ListPlot[{clAng, raAng, heAng, unAng, biAng},
  PlotStyle → {{Darker[Green], Thickness[0.008]}, {Red, Thickness[0.008]}, {Blue,
    Thickness[0.008]}, {Black, Thickness[0.008]}, {Orange, Thickness[0.008]}},
  Ticks → {Table[30 i, {i, 0, 6}], Automatic}, PlotRange → {All, {0, 5 * 10-7}},
  ImageSize → 500, AxesLabel → {" Azimuth angle (°)", None},
  LabelStyle → {FontFamily → "Arial", FontSize → 15, Black},
  PlotLabel → Style["Intensity", 20, Black, Bold], Joined → True,
  PlotLegends → {"Crossed", "Random", "Helicoidal", "Uniaxial", "Bimodal"}}]
```



```

In[510]:= (* Combine generated data *)
clAng2 = Transpose[clAng];
raAng2 = Transpose[raAng];
heAng2 = Transpose[heAng];
unAng2 = Transpose[unAng];
biAng2 = Transpose[biAng];
b1 = {clAng2[[1]], clAng2[[2]], raAng2[[2]], heAng2[[2]], unAng2[[2]], biAng2[[2]]};
b1 = Abs[b1];
b1 = b1 // Transpose;
b1 // MatrixForm;

(* Data exportation *)
name = CurrentValue[EvaluationNotebook[], {"NotebookFileName"}];
name = StringDrop[name, -3];
time = TextString[TimeObject[]];
text1 = StringTake[time, 2];
text2 = StringTake[time, {4, 5}];
text3 = StringTake[time, -2];
time2 = ToExpression["text1"] <> ToString["."] <>
  ToExpression["text2"] <> ToString["."] <> ToExpression["text3"]
Export[NotebookDirectory[] <> ToExpression["name"] <>
  ToExpression["time2"] <> ToString["_"] <> "CRHUB.xlsx", b1];

```

Out[525]= 22.27.42