

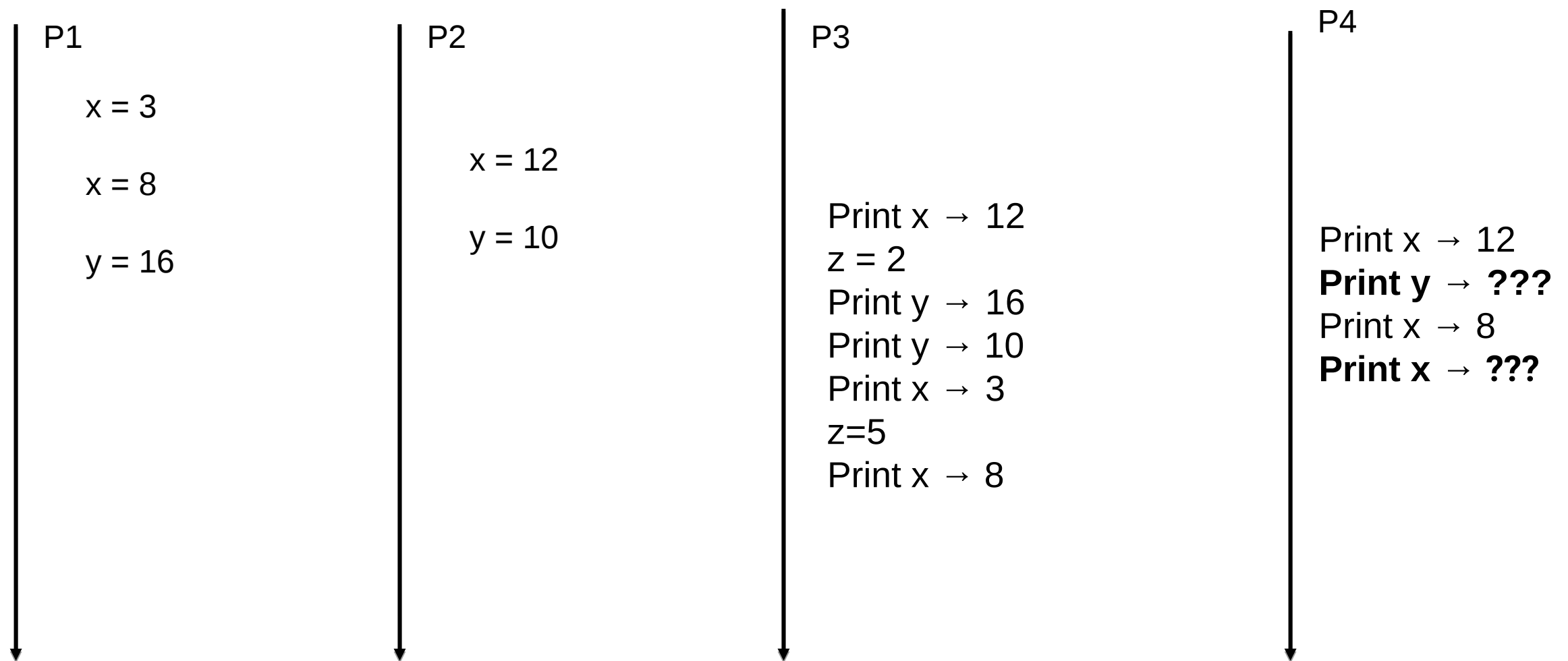
# Coordination

## Part-1

## RECAP: Exercise: Sequential consistency

Fill in the question marks:

What should the read operations return to be sequentially consistent?



# Coordination

## Part-1





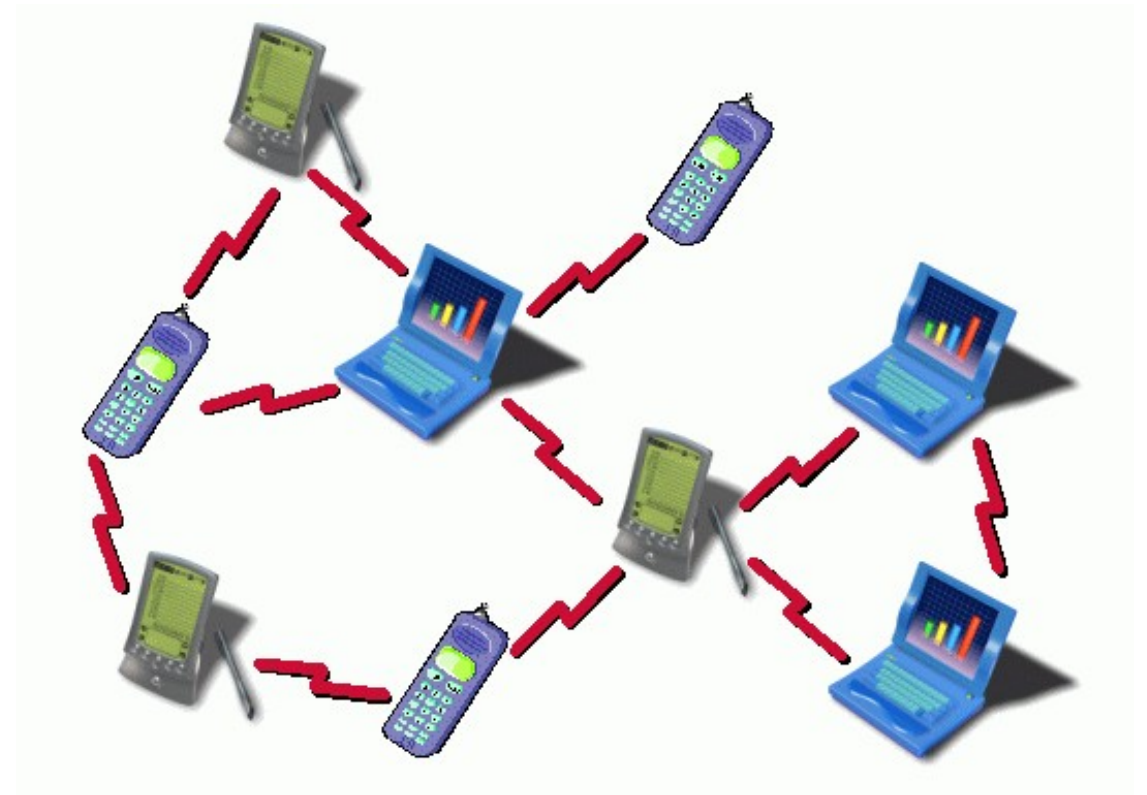


**2,000** drones light up  
night sky in **Shanghai** to  
welcome **new year**

# General Problem

**Given a set of processes  $\Pi=\{p_i\}$ , distributed over multiple hosts**

- how to coordinate actions ?
- agree on contents of shared variables (“global state”) ?



## **Example problems**

- control access to common database (locking)
- elect central node in ad hoc network
- elect time server in network
- avoid static master-slave relations to enhance robustness





**Distributed  
Mutual Exclusion**



**Election  
Mechanisms**

## 1. Distributed mutual exclusion

1. Problem statement
2. Evaluation metrics
3. Centralized approach
4. Ring approach
5. Multicast approach
  1. *Ricart-Agrawala*
  2. *Maekawa voting*

## 2. Election





# Critical sections

Goal: Coordinate process access to shared resources

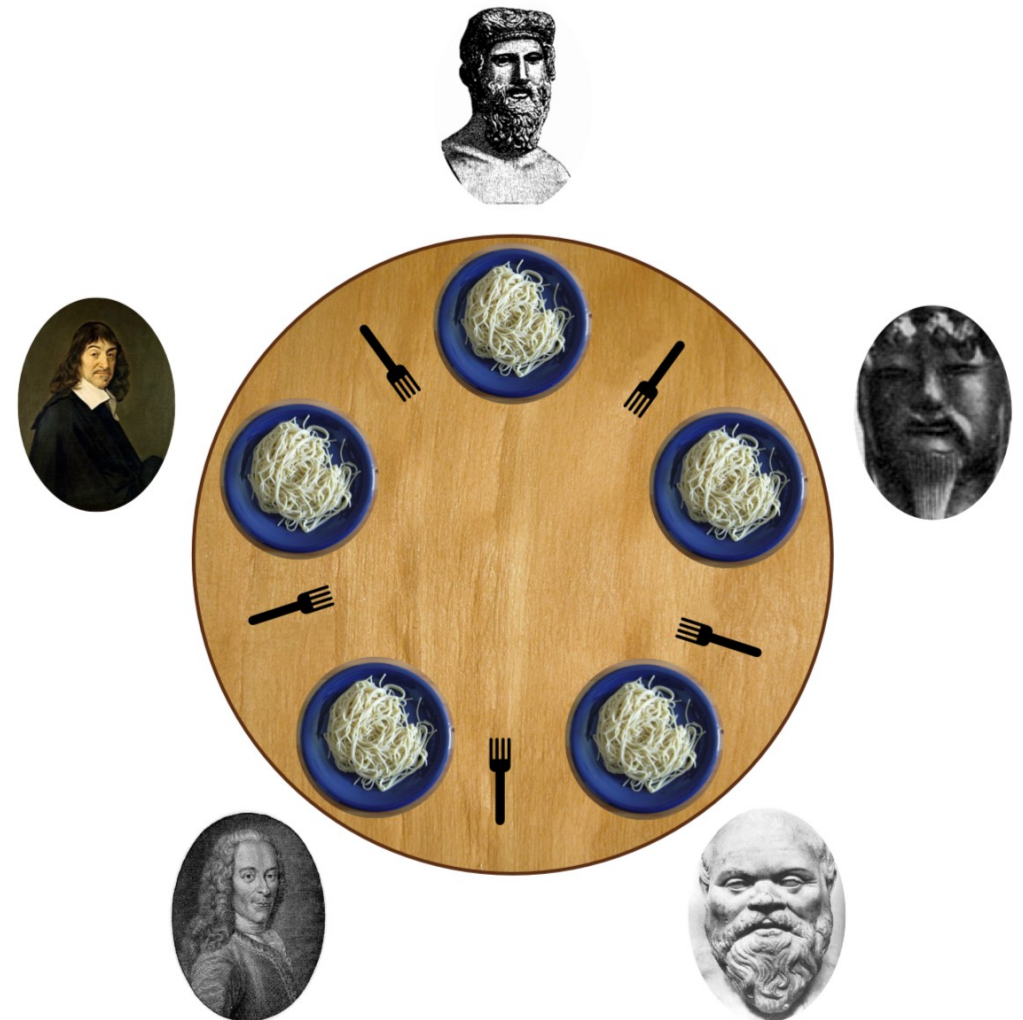


Accesses common resource

No other process should access same resource

## Distributed mutual exclusion

- no shared variables between processes
- no support from common coordinating OS kernel
- only rely on message passing



# Problem statement

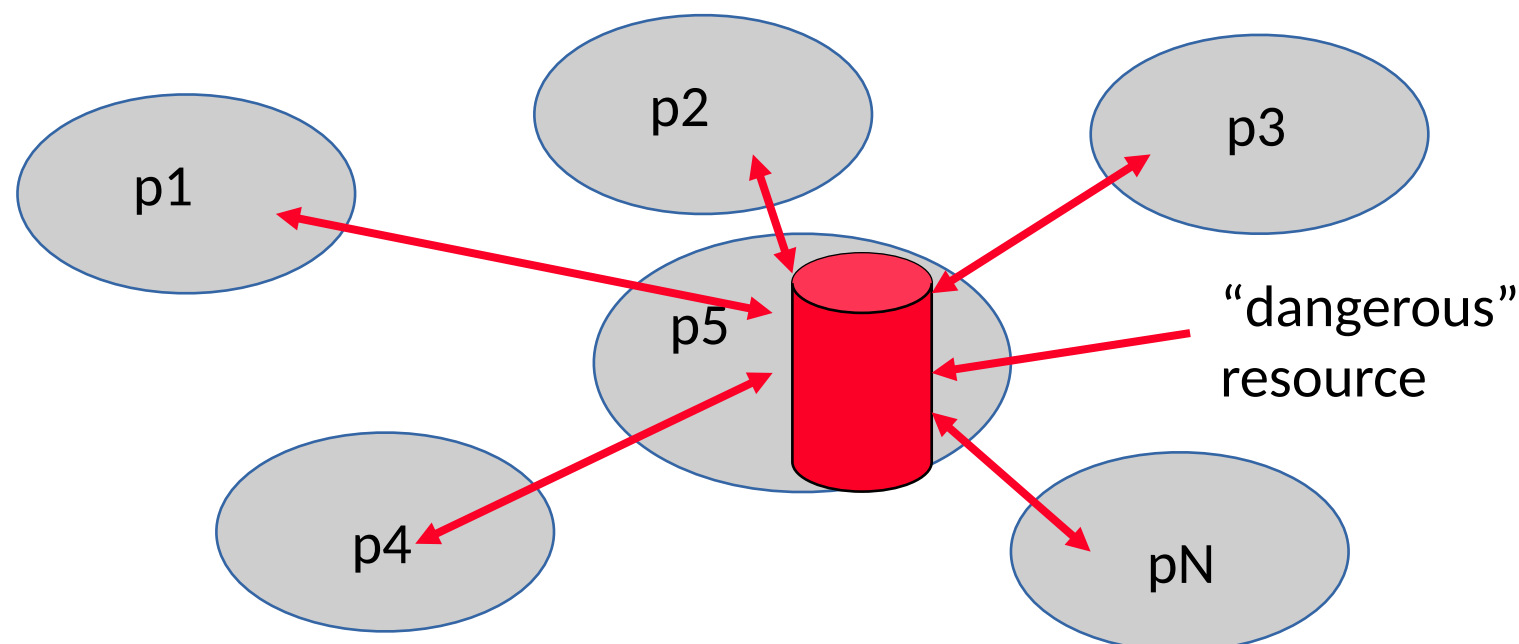
## 2. Mutual exclusion

### Consider

- $N$  processes  $\{p1, \dots, pN\}$ , NO shared variables
- access common resources in a critical section
- asynchronous system
- processes CAN communicate (know each other)

### Failure modes

- reliable channel (each message delivered, exactly once)
- no process failures
- processes are well-behaved  
(leave critical section eventually)



# A good solution should ...

①

## Be safe [REQUIRED]

At most ONE process may execute in critical section at any time

②

## Ensure liveness [REQUIRED]

- Requests to enter/leave critical sections eventually succeed
- deadlock-free algorithm
- no starvation

③

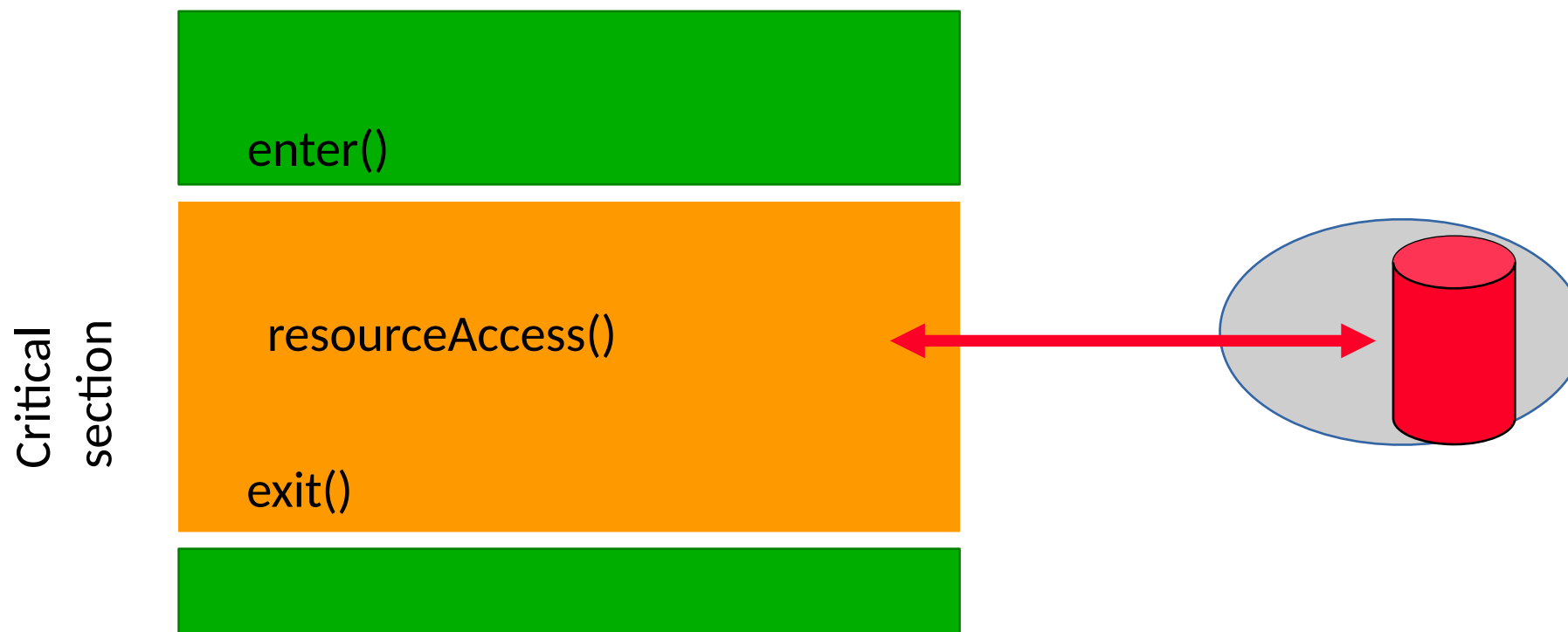
## Be fair[BONUS]

Access to critical section is granted using “happened- before” relation  
Thus, use logical clock to order access requests

# Critical section access API

## Application level primitives

<code>enter()</code>	enter critical section, block if necessary
<code>resourceAccess()</code>	access the shared resource (in critical section)
<code>exit()</code>	leave critical section – make free for other processes





# How to quantify solution quality ?

## Evaluation metrics

①

### Bandwidth consumption

= number of messages sent to enter/leave critical section

②

### Client delay

- time needed to enter/leave critical section
- measured in UNLOADED system
- One-way network delay



# How to quantify solution quality ?

3

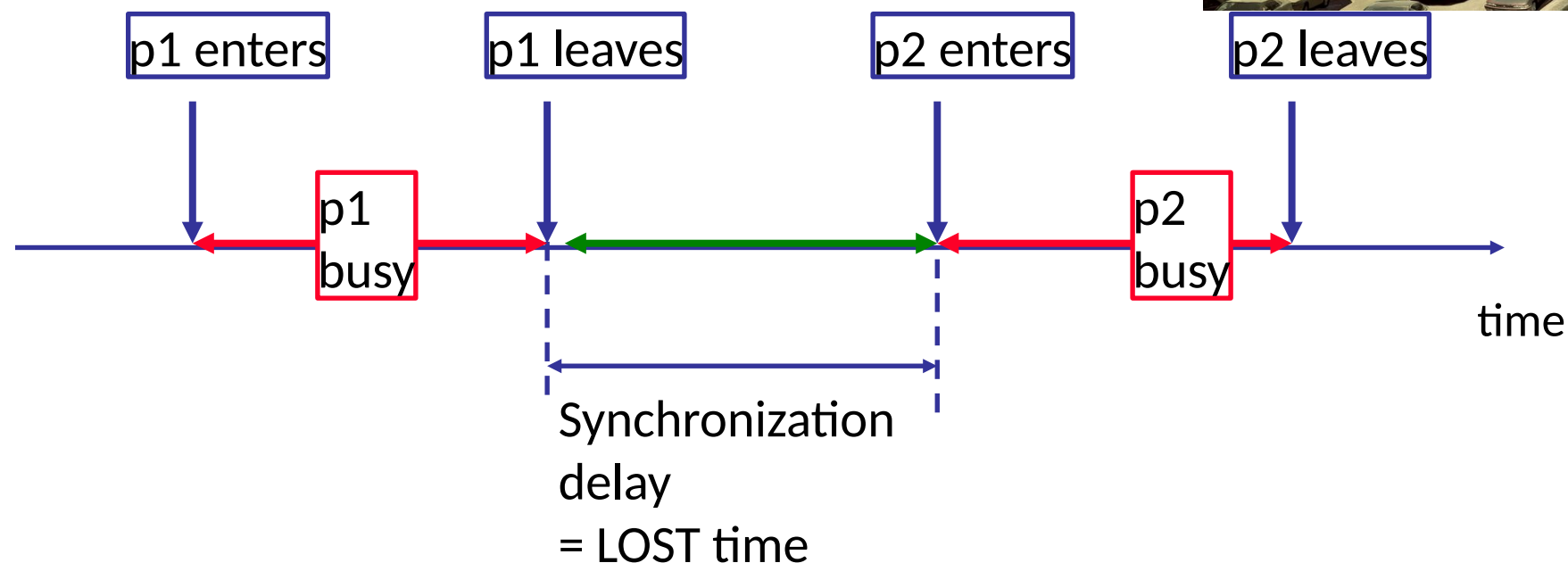
## System throughput

- how many processes can access critical section in given time period ?
- depends on resourceAccess() time

• **derived measure:**

synchronization delay = average (time process (i+1) enters - time process (i) leaves)

- LOADED system

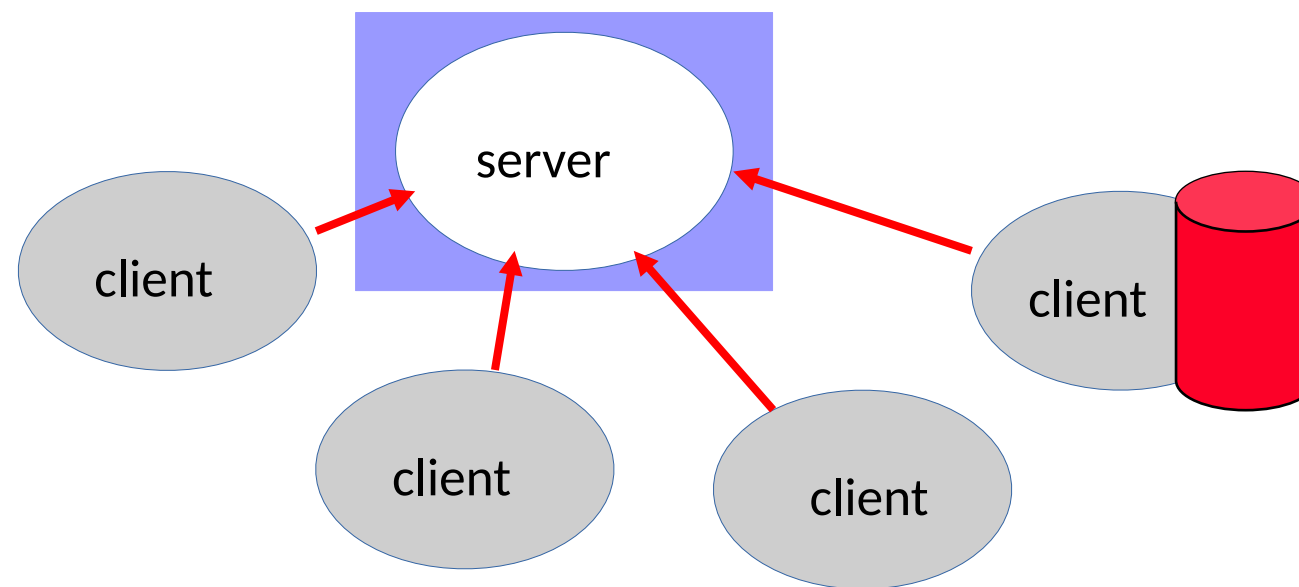


**How would you build such a system?**

# Central server

## Centralized algorithms (one server)

- easy
- but typically poor scaling

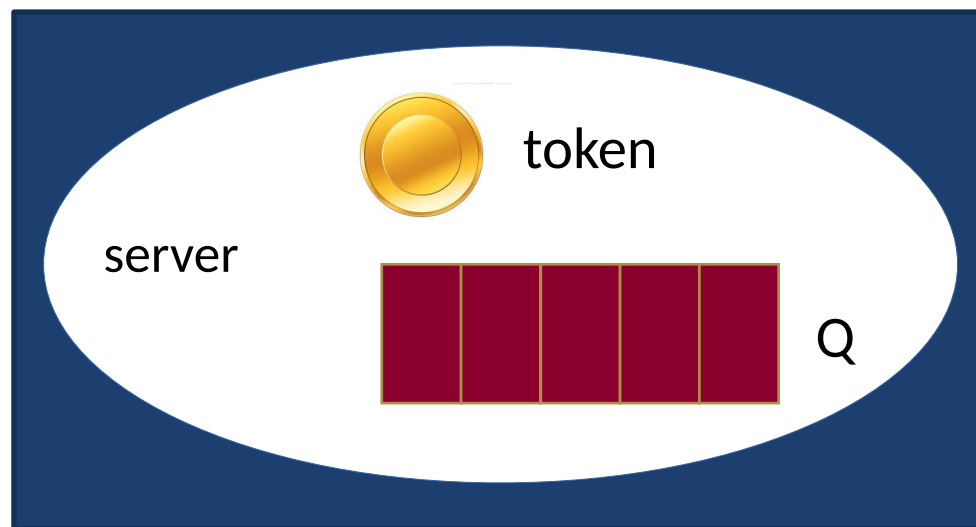


## Messages

- Client -> Server : **Request**
- Server -> Client : **Grant**
- Client -> Server : **Leave**



# Central server algorithm



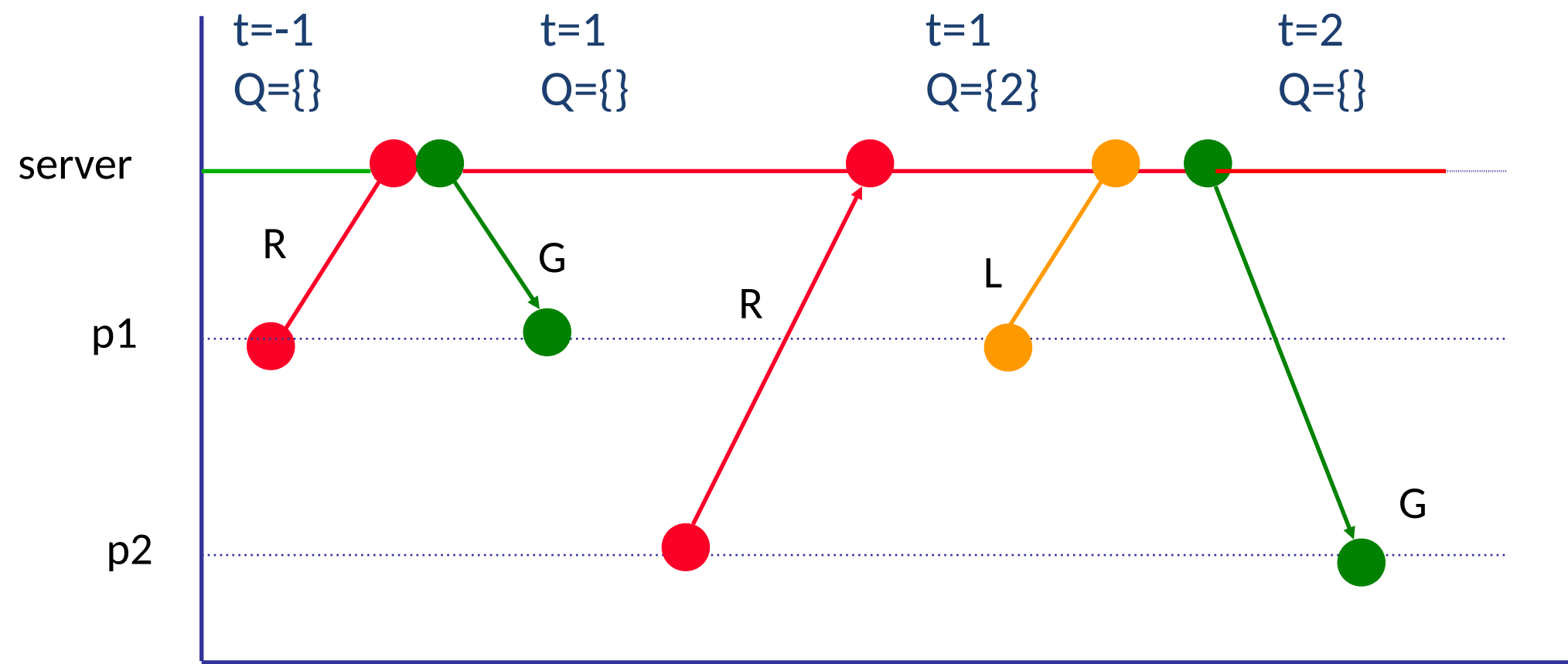
## token variable

== process ID currently active

== -1 if critical section not taken


## message queue Q

stores pending requests



# Central algorithm

## Client side

- 
1. **enter()**
    - send Request message to server
    - wait until Grant received
  2. **accessResource()**
    - perform any application specific logic
  3. **leave()**
    - send Leave message to server

## Server side

When receiving Request

```
if (token == -1) {  
    send Grant to requesting process  
    token=sender(Request)  
} else  
    enqueue Request in Q
```

When receiving Leave

1. dequeue oldest message m from Q
2. token=sender(m)
2. send Grant to sender(m)

# Algorithm OK ?

①

## Safety

guarded by token variable



②

## Liveness

1. Request to enter
  - all processes eventually leave
  - each leave dequeues a message from Q
  - if oldest Request dequeued
  - => every Request eventually handled
2. Request to leave
  - no permission needed from server



③

## Fairness

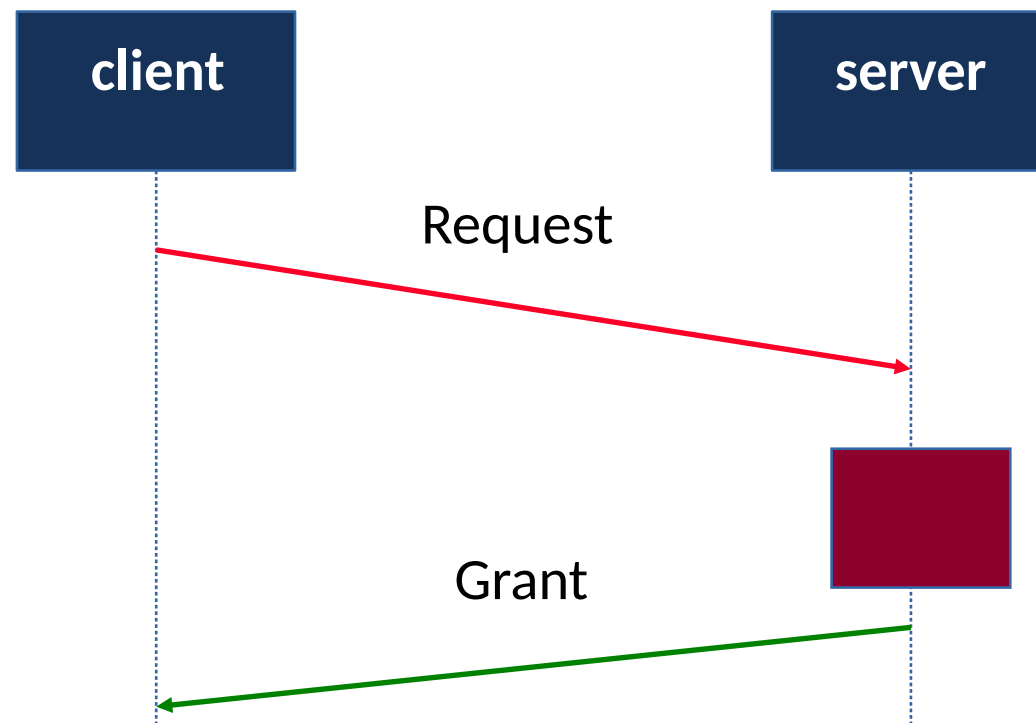
Order Q according to “happened-before”



# Algorithm efficient ?

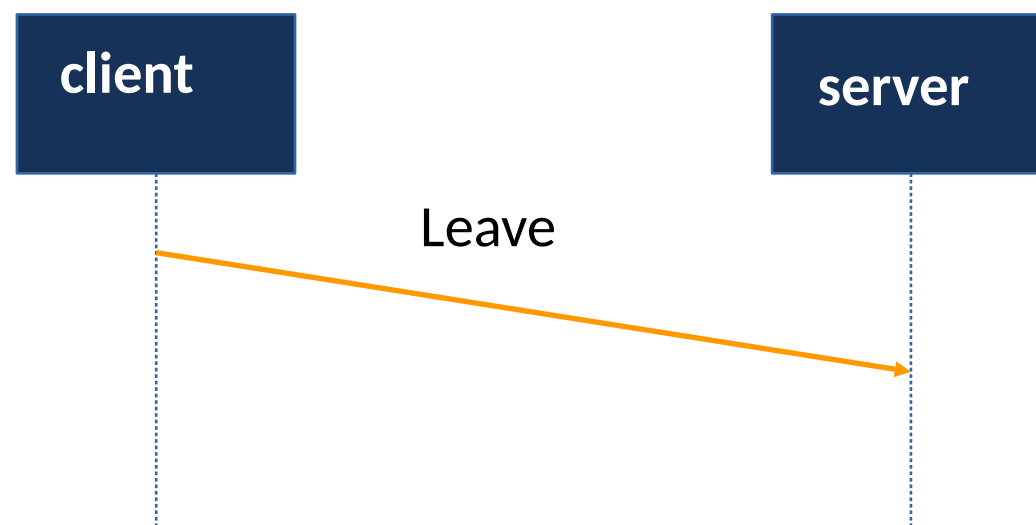
## Bandwidth usage

enter()



=> 2 messages/enter

leave()



=> 1 message/leave



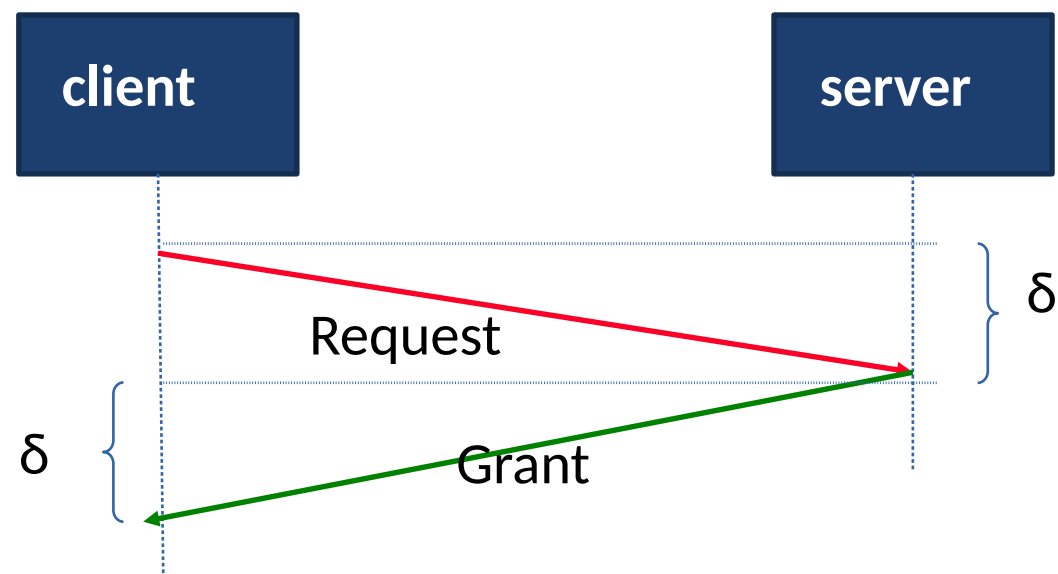
# Algorithm efficient ?

## Client delay (unloaded system)

$\delta$  = time needed for 1 communication

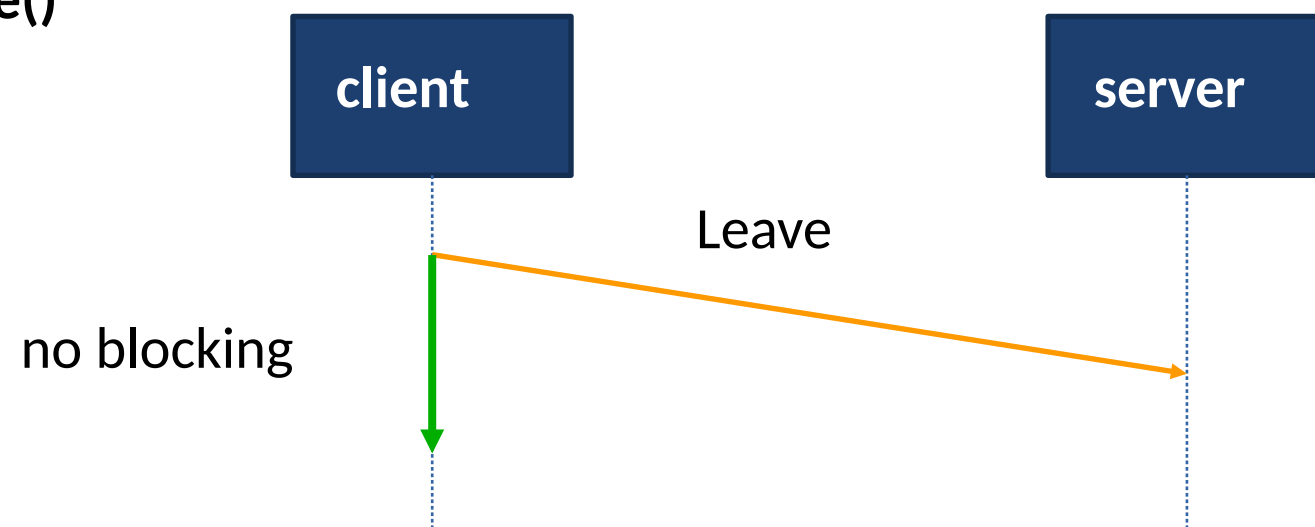
RTT =  $2\delta$

enter()



=>  $2\delta$

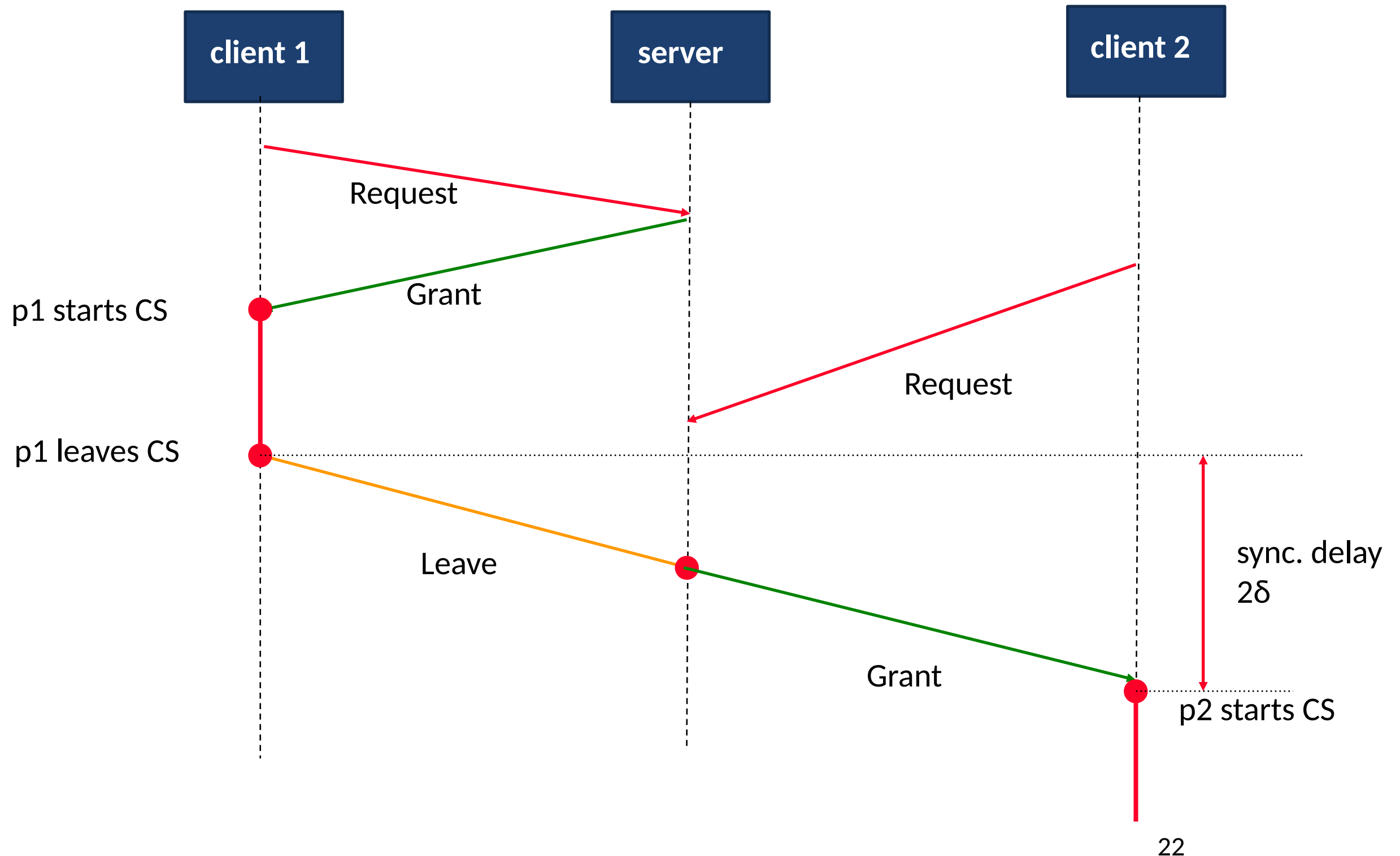
leave()



=>  $0\delta$

# Algorithm efficient ?

## Synchronization delay (loaded system)

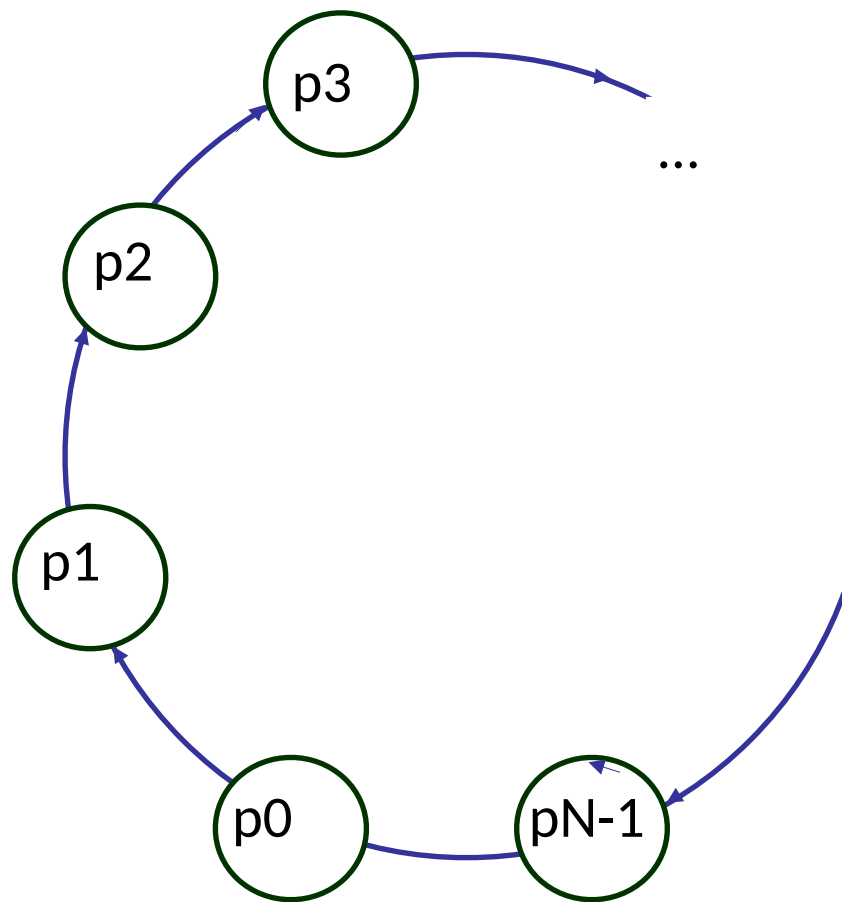


# Ring-based algorithm

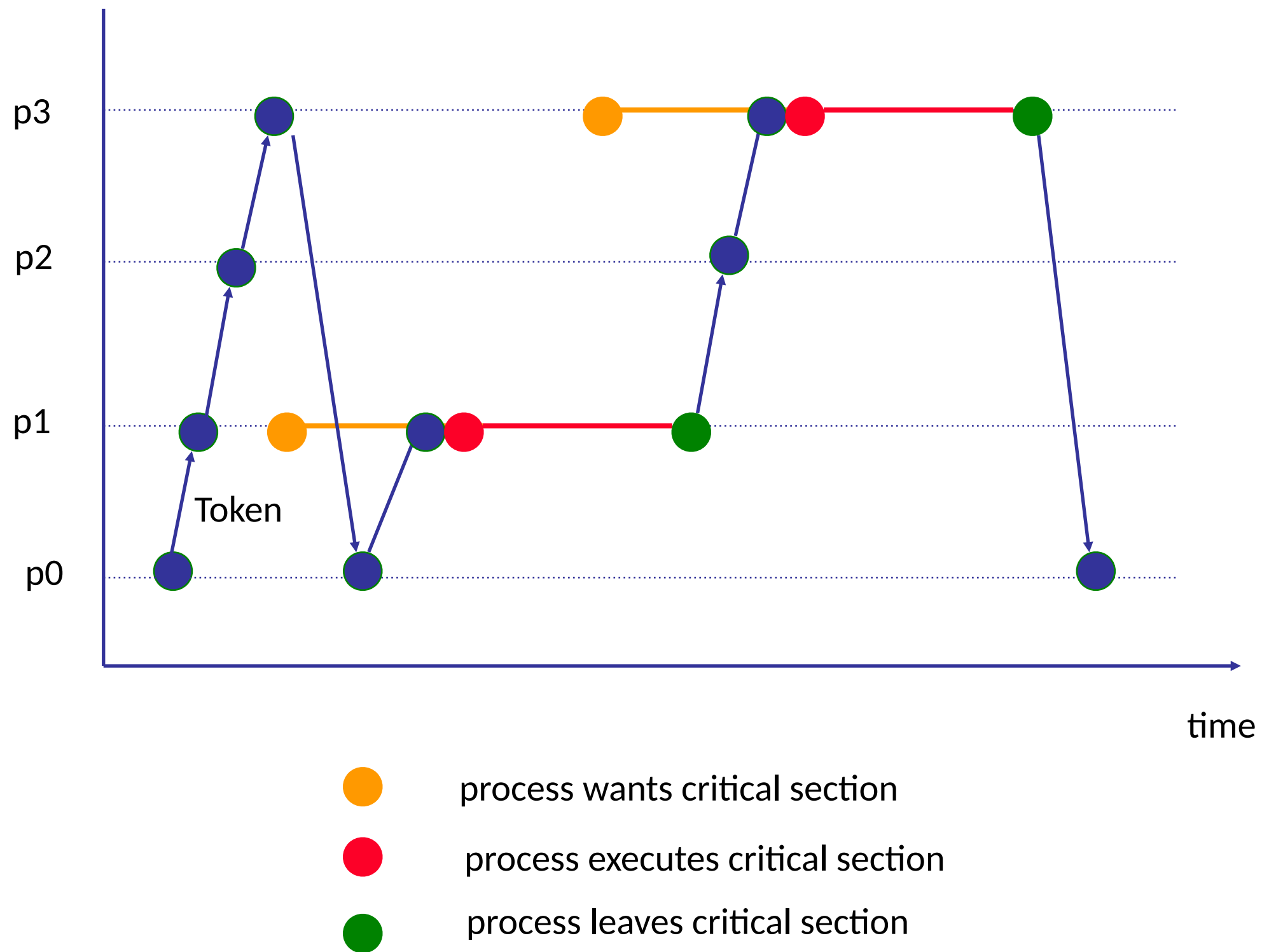
- Processes  $\{p_0, \dots, p_{N-1}\}$  arranged in logical ring
- Process  $p_i$  has one unidirectional communication channel to  $p_{(i+1)}$
- token = message passed along ring

Only one process has token  
Symmetric algorithm  
(no “special” process)

Message : Token



# Ring-based algorithm





# Algorithm OK ?

each process p

When process p receives “Token”

```
if (p wants access) {  
    execute logic in critical section  
    leave()  
} else send(Token) to next process
```

①

## Safety

process can only send Token if it has received Token



②

## Liveness

process eventually leave  
=> Token circulates in the ring  
    (p not allowed new access !)  
=> No starvation



③

## Fairness

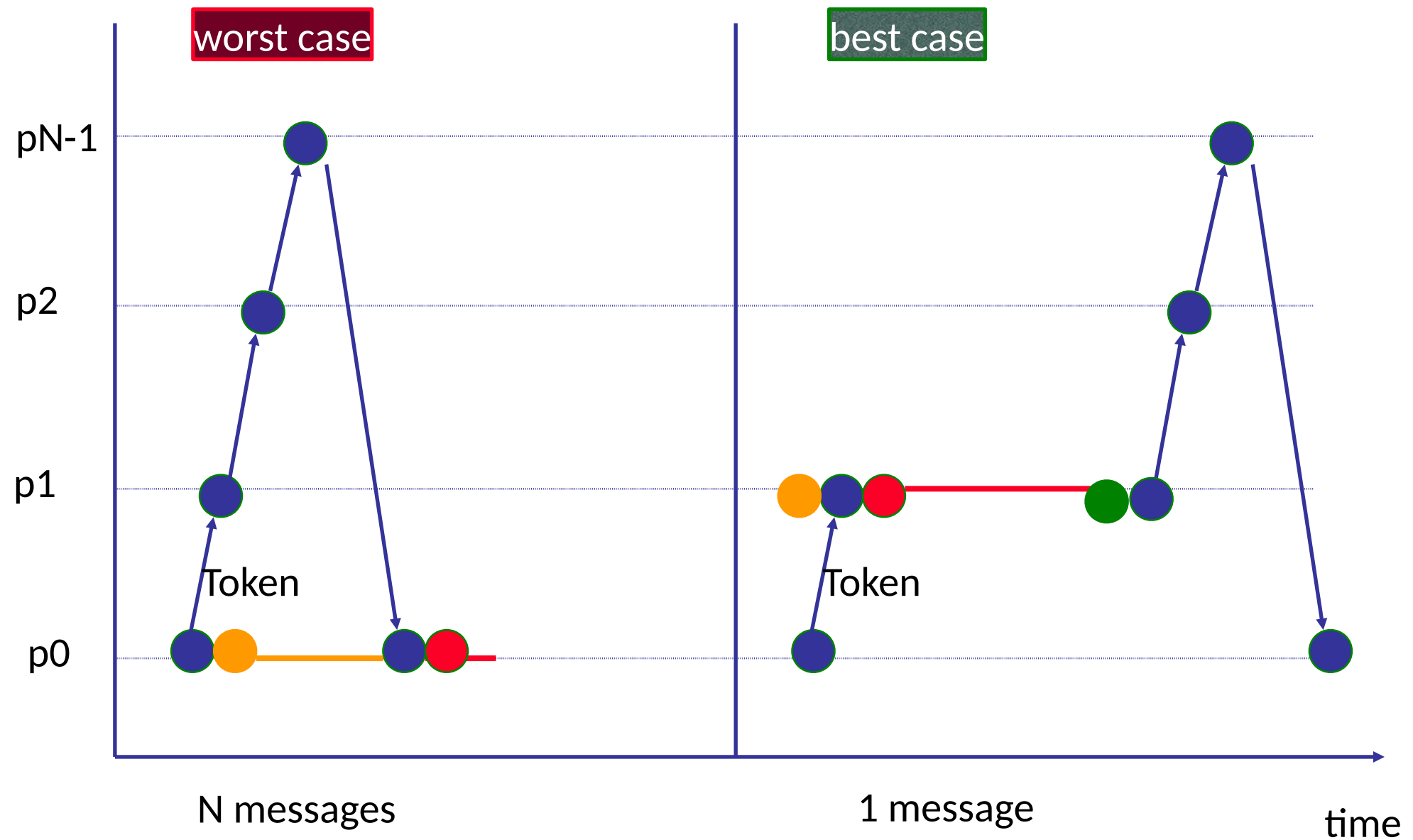
not guaranteed : processes need luck for early access  
access order not based “happened before” of requests



# Algorithm efficient ?

## Bandwidth

enter



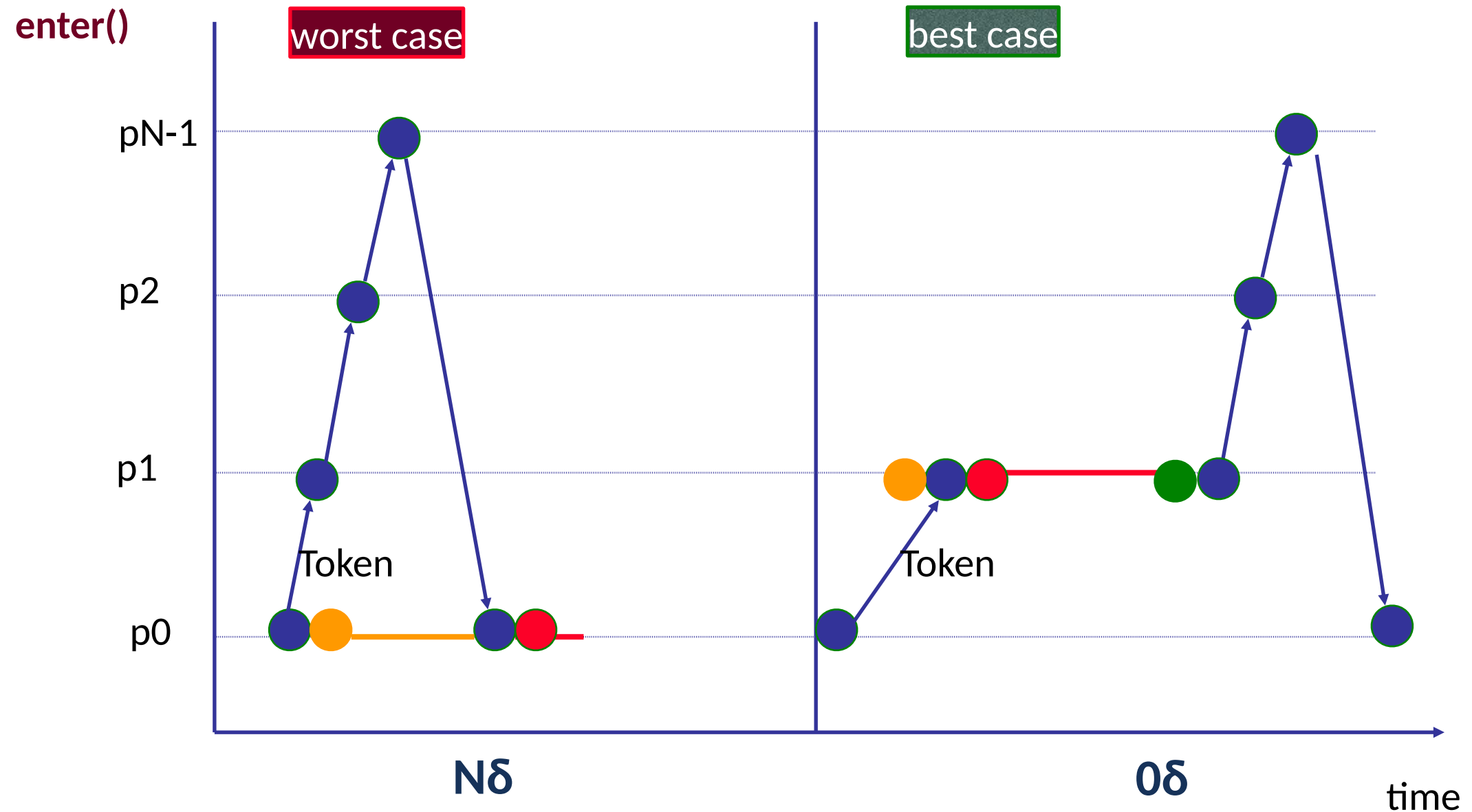
**leave** : included in enter

*BUT : algorithm always consumes bandwidth !*

**average :  $(N+1)/2$  messages**

# Algorithm efficient ?

Client delay (unloaded system)

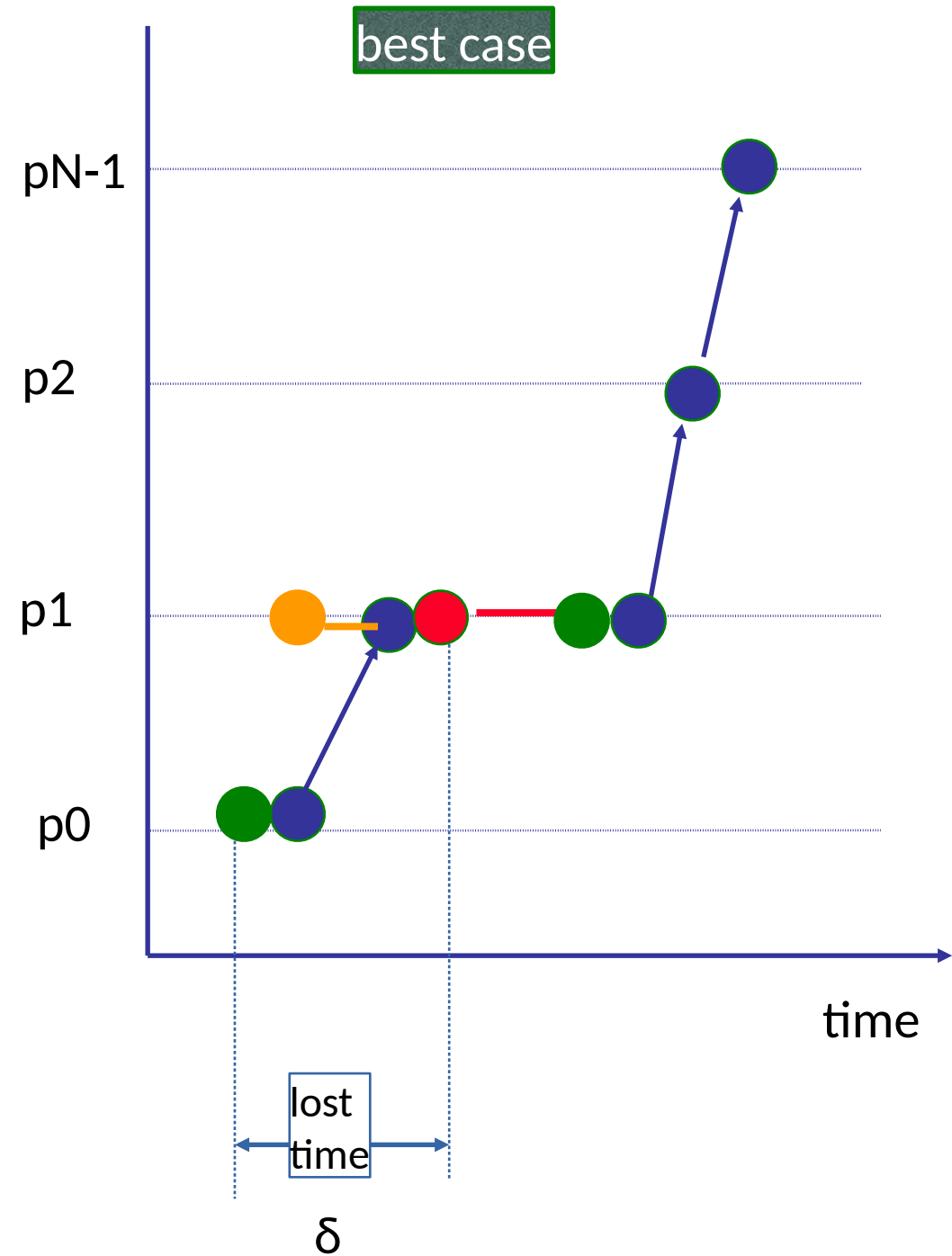
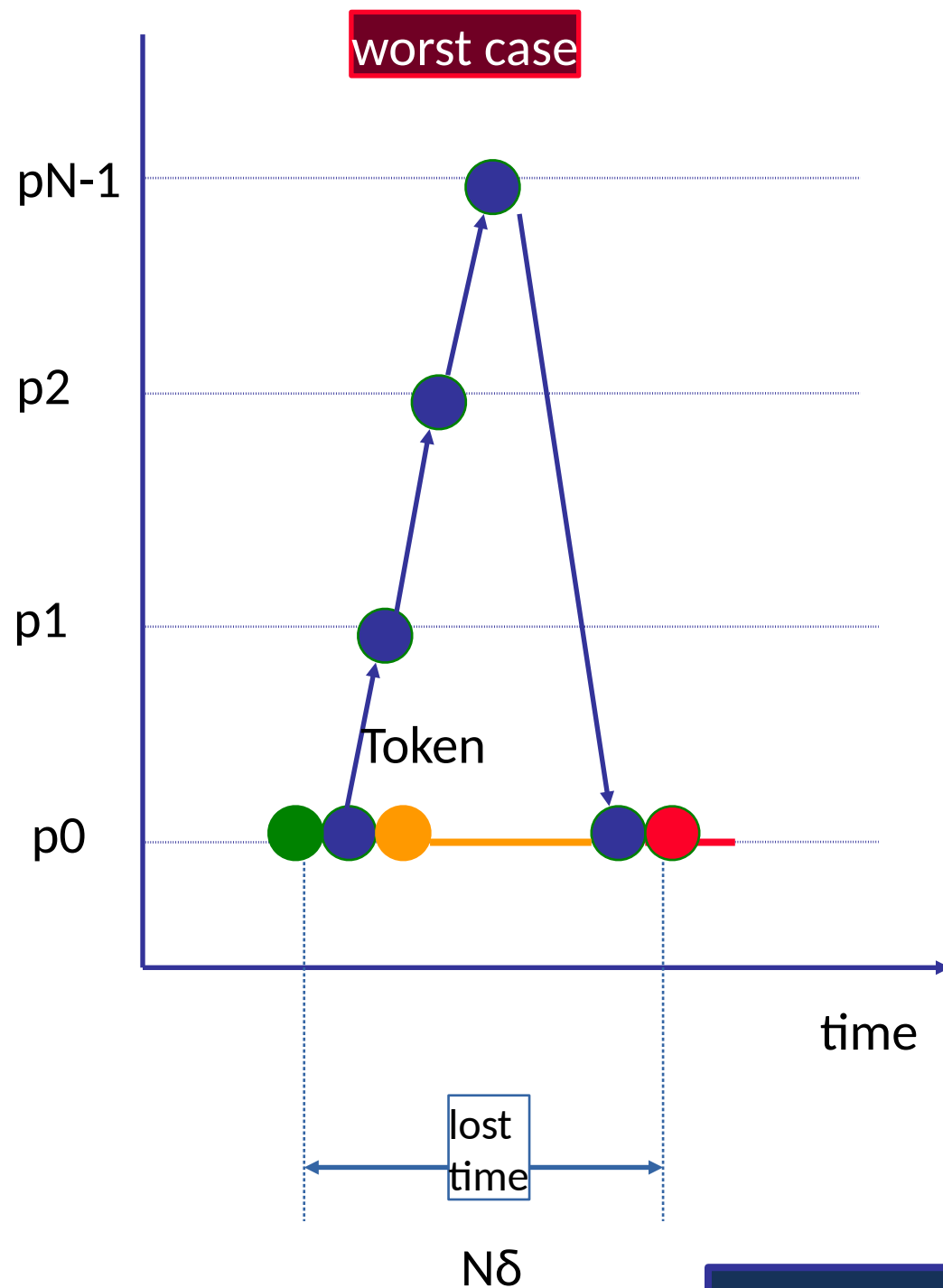


leave() : no blocking for process to leave critical section  $0\delta$

average client delay :  $N\delta/2$

# Algorithm efficient ?

## Synchronization delay (loaded system)



**average sync. delay :  $(N+1)\delta/2$**

# Multicast : Ricart-Agrawala algorithm

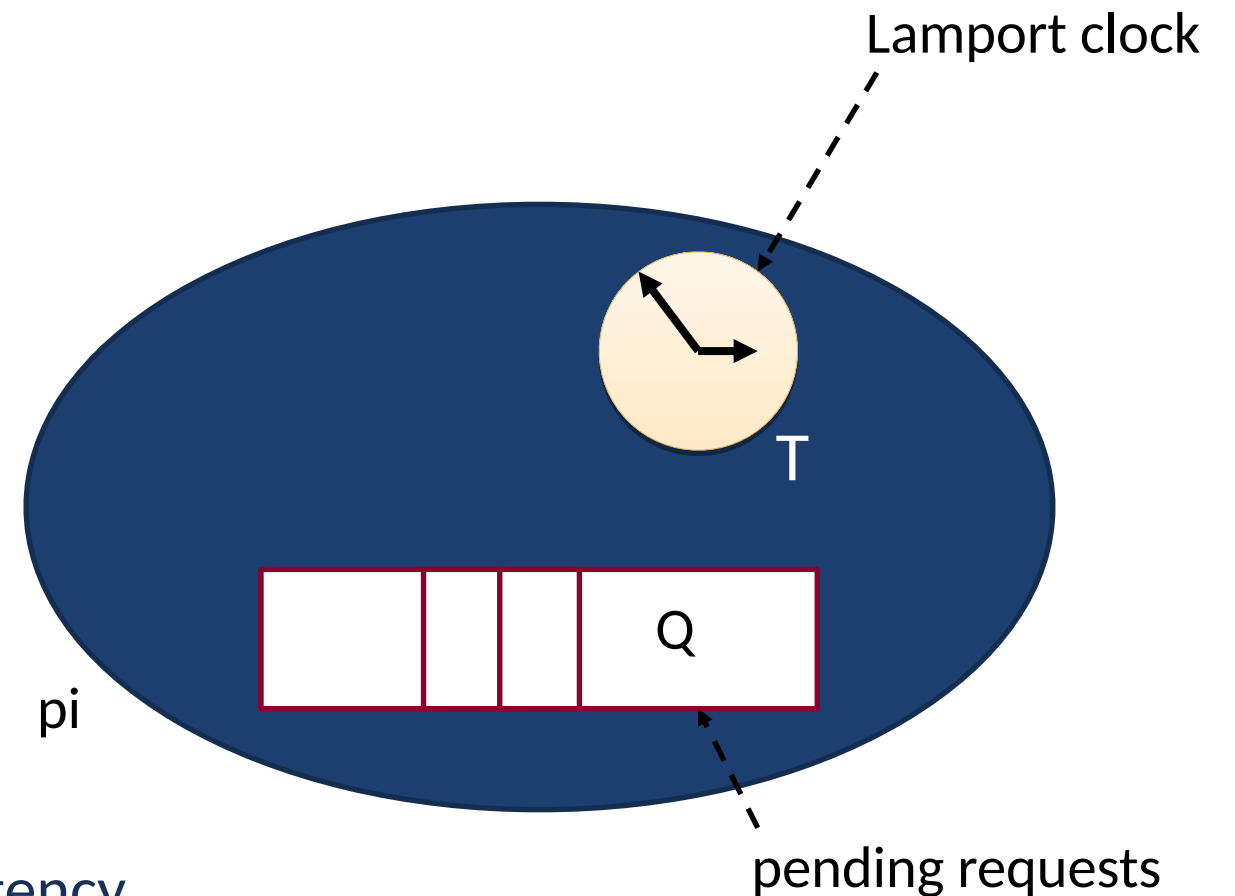
## Filosophy

- Use multicast to reduce bandwidth
- Use logical clock (Lamport clock) to realize fairness
- Basic mechanism to enter CS :  
multicast request and enter if all others agree



## Each process $p_i$

- has **state** variable
  - *Released* : outside critical section
  - *Wanted* : wants to enter
  - *Held* : inside critical section
- Lamport clock  $T$
- Queue  $Q$  to store pending Requests



## Organization of $Q$ ?

- Lamport-clock based happened-before
- total ordering implemented to ensure consistency

$$\langle p_1, T_1 \rangle < \langle p_2, T_2 \rangle$$

$$\Leftrightarrow (T_1 < T_2) \text{ or } ((T_1 = T_2) \text{ and } (p_1 < p_2))$$

Please see related file in Blackboard for more details on Lamport clocks

# Ricart-Agrawala algorithm

## Messages

- Request( $p_i, T_i$ ),
- Reply

## Each process $p_i$

### Initialization

**state** = Released

### enter()

**state** = Wanted

multicast **Request**( $p_i, T_i$ ) to all processes

store **T**= $T_i$  of Request message

wait until (**N-1**) Reply messages received

**state** = Held

### leave()

**state** = Released

send Reply to all pending Requests in **Q**

### when receiving Request( $p_j, T_j$ ) at $p_i$ ( $i \neq j$ )

if (**state** == Held) or ((**state** == Wanted) and ( $T, p_i < T_j, p_j$ )) {

enqueue Request in **Q**

// do NOT reply

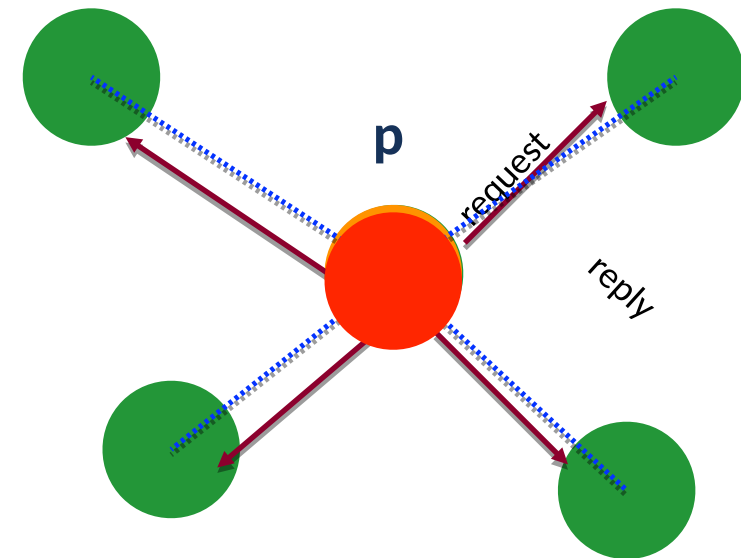
} else send Reply to  $p_j$



# Examples

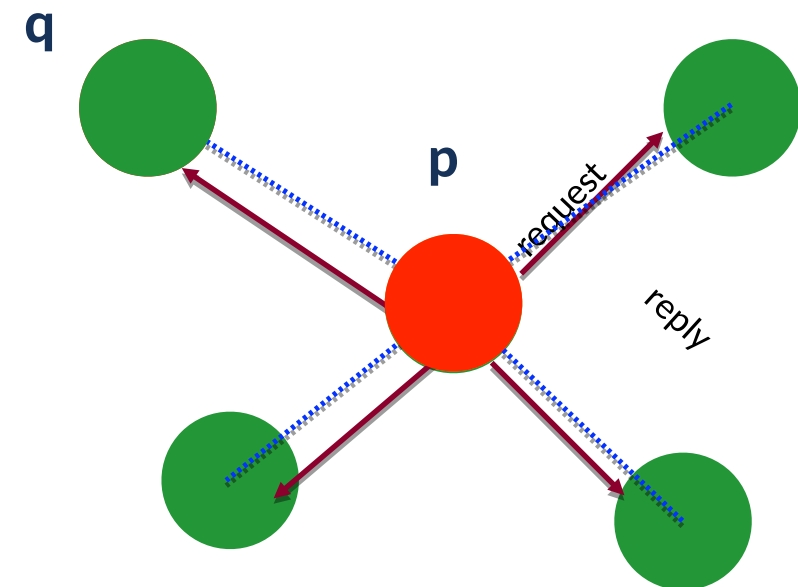
## 1. Process $p$ requests entry, all others in RELEASED-state

- all  $(N-1)$  other processes reply immediately
- $p$  can enter CS



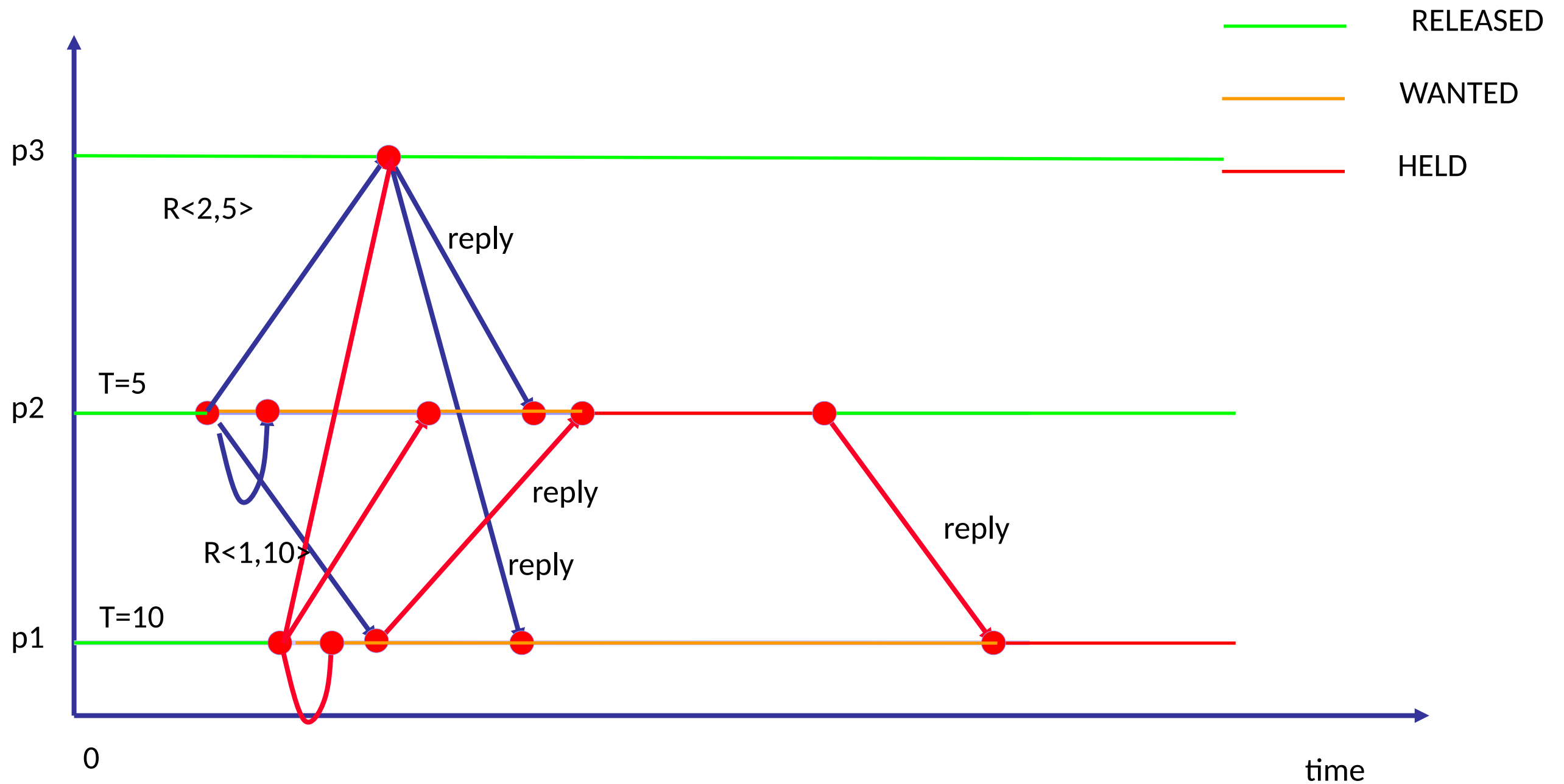
## 2. Process $p$ requests entry, one process $q$ in HELD-state, all others in RELEASED-state

- $(N-2)$  other processes reply immediately
- $p$  waits until  $q$  has left CS
- $p$  can enter CS



# Examples

## 3. Processes p1 and p2 request entry, p3 not



# Algorithm OK ?



## Safety : a proof

Suppose **p** and **q** simultaneously executing critical section

- both **p** and **q** received **(N-1)** Reply-messages
- **p** sent **Reply** to **q** AND **q** sent **Reply** to **p**
- condition  $(state(i) == \text{Held})$  or  $((state(i) == \text{Wanted}) \text{ and } (T_i, p_i) < (T_j, p_j))$   
DOES NOT hold for

$(p_j = q), (p_i = p)$  (a)

AND  $(p_j = p), (p_i = q)$  (b)

some logic for (a)

- $![(state(p) == \text{Held}) \text{ or } ((state(p) == \text{Wanted}) \text{ and } (T_p, p) < (T_q, q))]$
- $(state(p) \neq \text{Held}) \text{ AND } [(state(p) \neq \text{Wanted}) \text{ or } (T_q, q) < (T_p, p)]$
- $[(state(p) \neq \text{Held}) \text{ and } (state(p) \neq \text{Wanted})]$   
or  $[(state(p) \neq \text{Held}) \text{ and } (T_q, q) < (T_p, p)]$
- $(state(p) == \text{Released}) \text{ or } [(state(p) \neq \text{Held}) \text{ and } (T_q, q) < (T_p, p)]$
- **p** can NOT be in state **Released** (because now in **CS**)
- $[(state(p) \neq \text{Held}) \text{ and } (T_q, q) < (T_p, p)]$

# Algorithm OK ?

1

## Safety : a proof

...

(a)  $\Rightarrow [(state(p) \neq Held) \text{ and } (T_{p,p}) > (T_{q,q})]$

(b)  $\Rightarrow [(state(q) \neq Held) \text{ and } (T_{q,q}) > (T_{p,p})]$

CAN NOT hold simultaneously

$\Rightarrow$  **p** and **q** can NOT be executing simultaneously in critical section

2

## Liveness

Every Request eventually granted

- immediately

- after dequeueing from **Q**

□ every process will eventually receive **(N-1)** answers

3

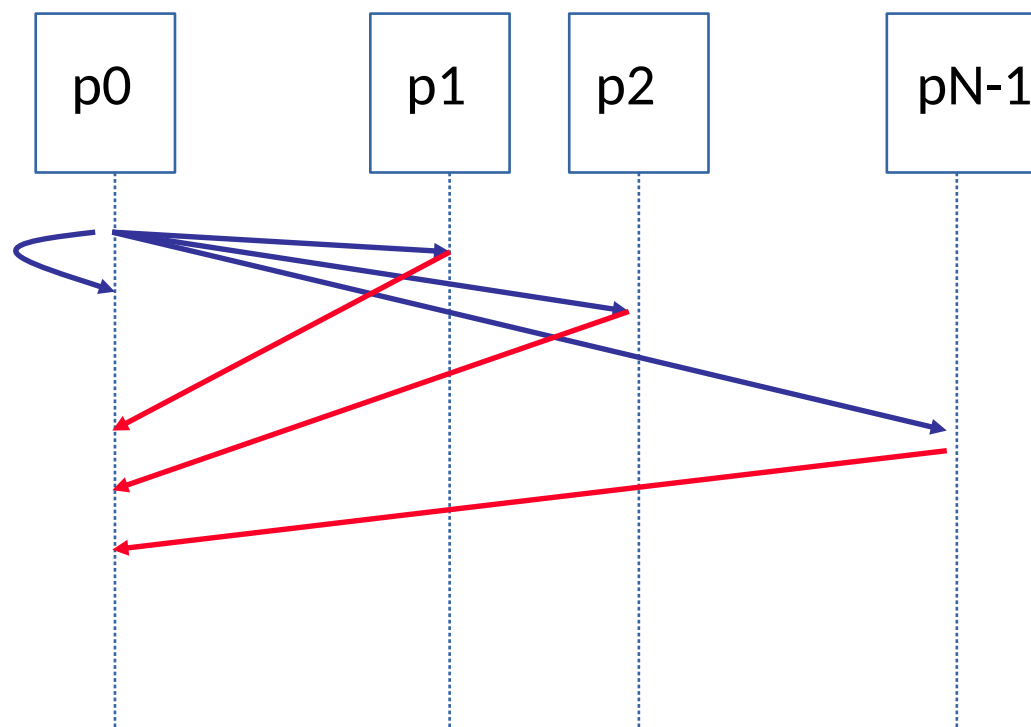
## Fairness

Requests replied in happened-before order

# Algorithm efficient ?

## Bandwidth usage

**enter()**



**N** Request messages  
**(N-1)** Reply messages

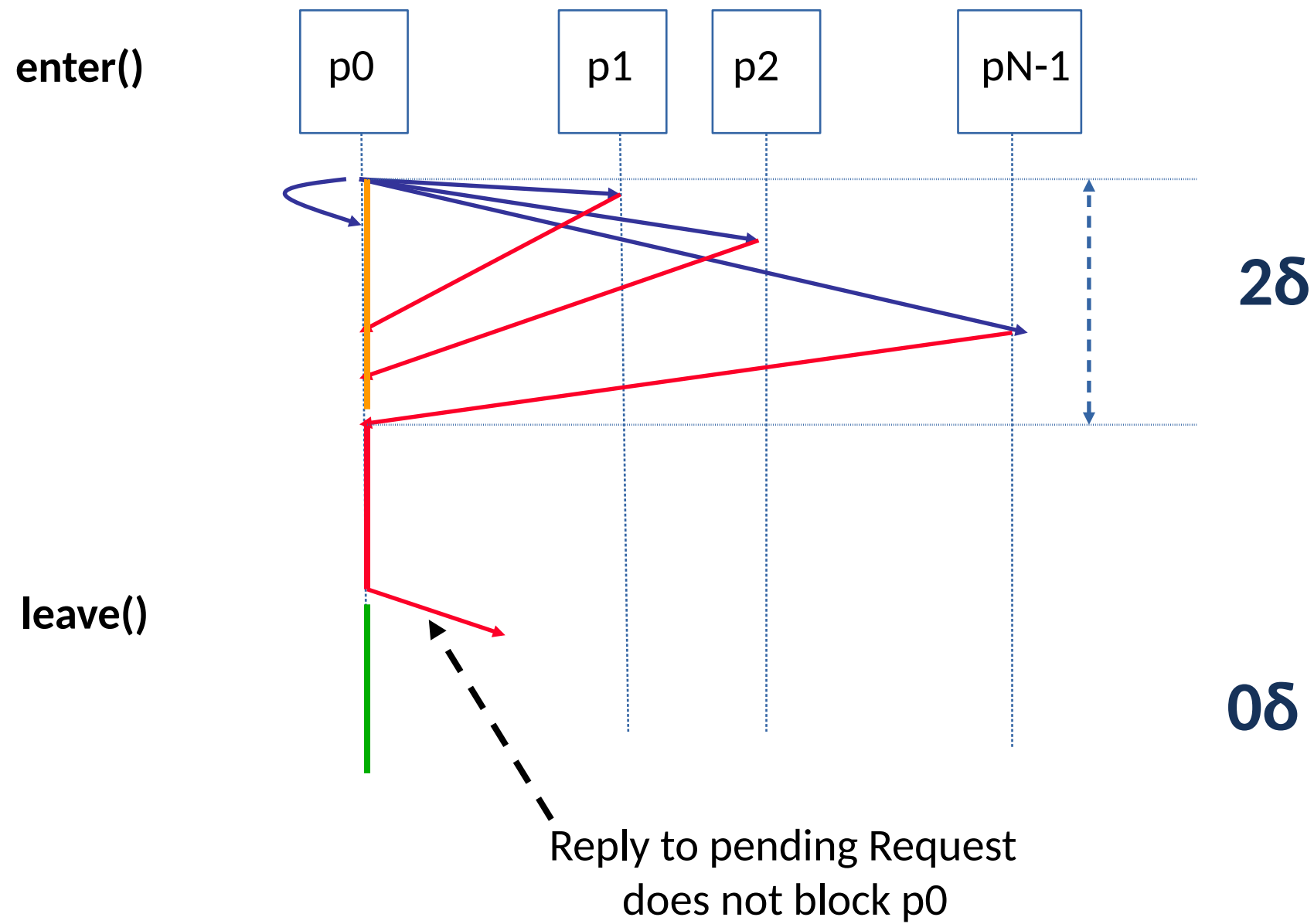
if multicast supported  
1 Request message only !

**leave()**

no messages needed for leaving

# Algorithm efficient ?

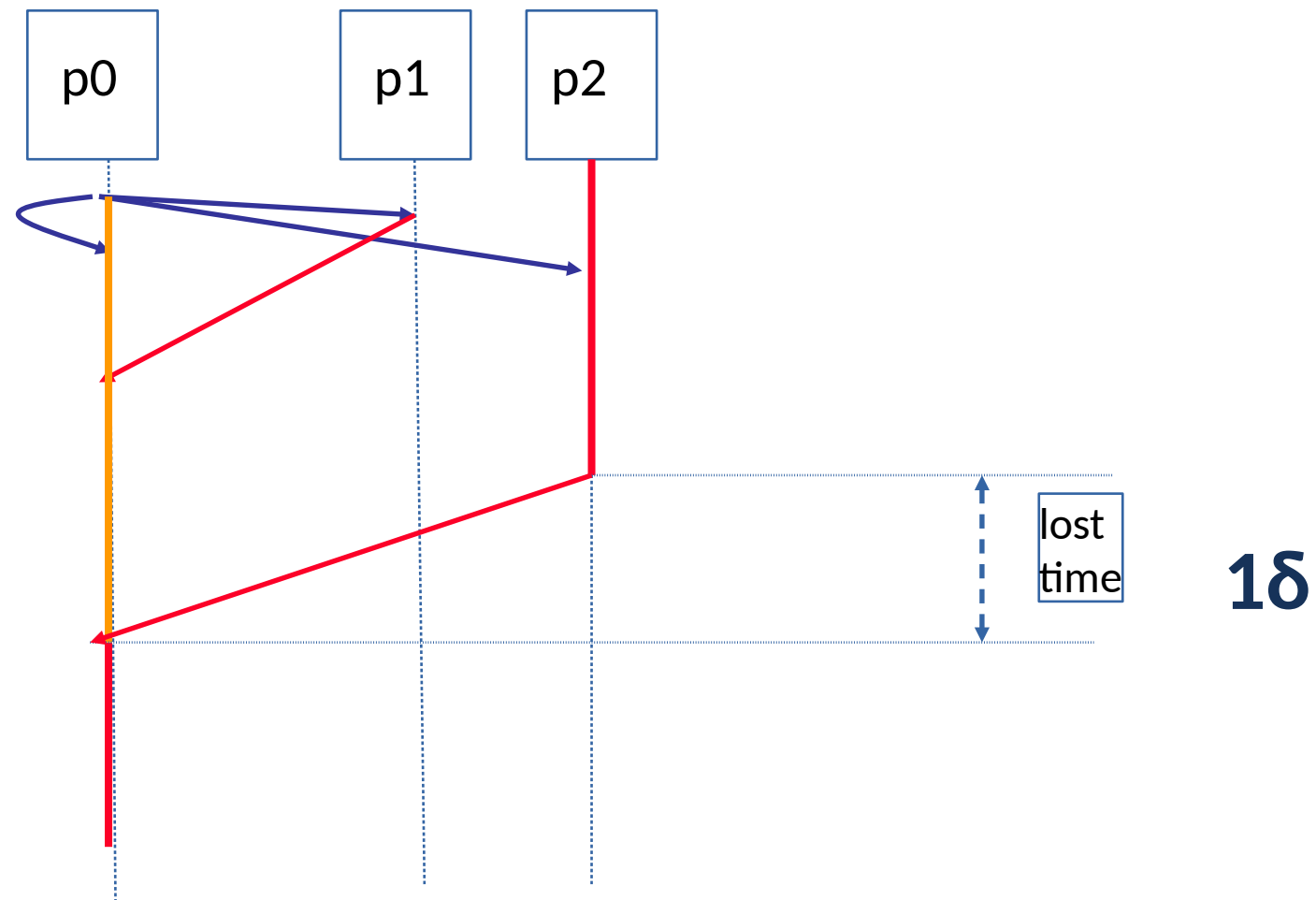
## Client delay





# Algorithm efficient ?

## Synchronization delay (loaded system)

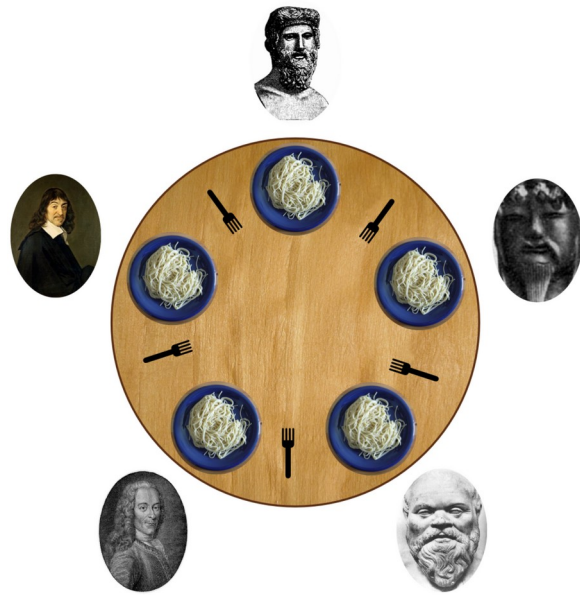


# Summary on efficiency

	Bandwidth		Client delay		Synchronization delay
	enter()	leave()	enter()	leave()	
Central server	$2M$	$1M$	$2\delta$	$0\delta$	$2\delta$
Ring algorithm	constant $(N+1)/2$		$N\delta/2$		$(N+1)\delta/2$
Ricart-Agrawala	$(2N-1)M$	$0M$	$2\delta$	$0\delta$	$1\delta$

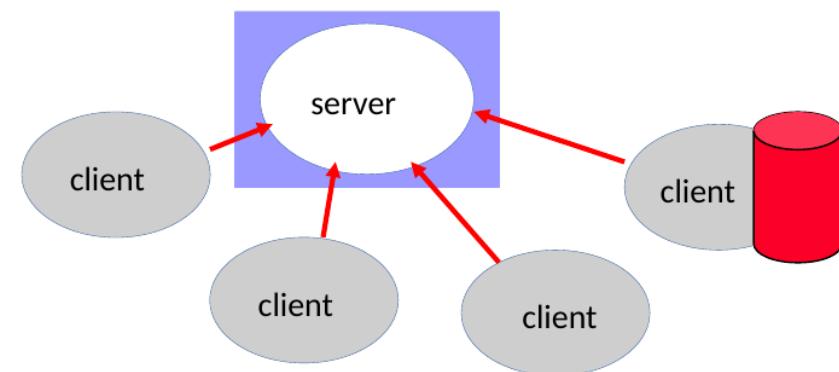
$N$ : number of processes  
 $M$ : number of voting sets that each process belongs to  
 $\delta$  : cost of sending a message

# Summarizing



## Coordination

- Basic Operations
- Desirable Properties:
  - Safety, Liveness, Fairness
- Evaluation Metrics:
  - Bandwidth, Client delay, Synchronization delay



## Discussed Algorithms

- Central server algorithm
- Ring Algorithm
- Ricart-Agrawala Algorithm

# Questions?

# Coordination

## Part-2