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Perhitungan manual no1.cpp
 a. 3-1 < 1 OR K-5 < 8 +2 AND L+7 >= 9+3
  Javilon separt: (((3-1) < I DR (((h-5) < (8+2)) AND(L+7)>= (9+
               3))))
  Selesaikon:
   (3-1) = 2
                 mensodi:
   (k-5) = 7-5=2 ((2<1) OR ((2 < 10) AND (8 >= 12)))
   (8+2) = 10
                   4) 2<10 = true = 1
   (L+7) = 1+7 =8
                       8>=12 = False = 0
   (9+3)= 12
                       241 = 2 42 = False = 0
                   4(0 OR (1 AND 0))
                         (O OR
                                        0)
b. (((1%3) > u) AND (1(c/u < S) DR (((3*I-4)
     7011)
                      > (((1 >4) AND (1.8 (5)) OR (-1>0))
   Selesailan:
    1%3-1%3-1
                           1>U= 1>5= False = 0
    c/u = 9/s = 1,8
                            1,8 <5 = 1,8 <6 = True = 1
                           -170 - Palse = 0
    3+I-k= 6-7=-1
                           ((0 AND 1) OR 0)
                                = 0 OR 0
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$$C(((1-9) \times k)) \circ R((L+3) \times (4 * C)))$$
 $I-g=2-g=-7 \times k=-7 \times 7=False=0$
 $L+3=1+3=4$
 $J \to A \times (36=7 \text{ true}=1)$
 $A * g=36$
 $O \circ R = 1$
 $A \cdot (1 \circ R((k \land ND \land 1) \times OR((3 \land SH(2))))$
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